

Group Project 1

Lee Ann & Jonathan

2025-11-04

```
#####
#####Data import and wrangling - LAS#####
#####

#Libraries
library(readr)
library(tidyverse)

## -- Attaching core tidyverse packages ----- tidyverse 2.0.0 --
## v dplyr      1.1.4      v purrr      1.1.0
## v forcats    1.0.0      v stringr   1.5.1
## v ggplot2    3.5.2      v tibble    3.3.0
## v lubridate  1.9.4      v tidyr     1.3.1
## -- Conflicts ----- tidyverse_conflicts() --
## x dplyr::filter() masks stats::filter()
## x dplyr::lag()     masks stats::lag()
## i Use the conflicted package (<http://conflicted.r-lib.org/>) to force all conflicts to become errors

library(reshape2)

##
## Attaching package: 'reshape2'
##
## The following object is masked from 'package:tidyr':
##
##      smiths

library(pastecs)

##
## Attaching package: 'pastecs'
##
## The following objects are masked from 'package:dplyr':
##
##      first, last
##
## The following object is masked from 'package:tidyr':
##
##      extract

library(ggplot2)
library(dplyr)
library(tidyr)
library(reshape2)
```



```
#It is TRUE confirming we successfully converted it to a factor
#Now that our data is imported and has the correct names and classes, we can
#begin to create our figures and start our analysis.
```

```
#####
#####Box Plot - JR#####
#####
```

```
#I'll start by reordering the columns and then shifting to a long "tidy"
#data set by "melting" the Baseline and Six_months columns. I create an object,
#pipe df into select to reorder my columns (just a little OCD), pipe into
#rename(this is so the six months variable appears without the underscore in
#the graph),
#and pipe into melt to create a tidy data frame.
```

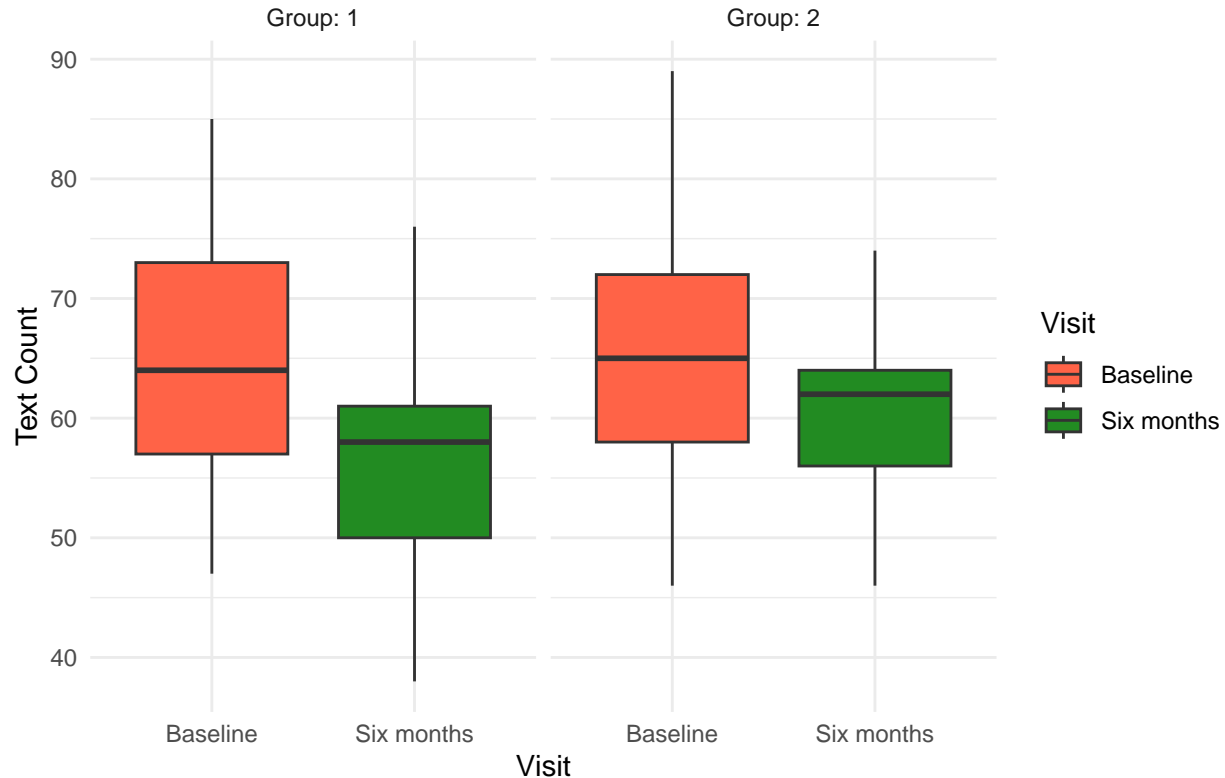
```
df_long <- df %>% select(Participant, Group, Baseline, Six_months) %>%
  rename("Six_months" = Six_months) %>%
  melt(id.vars = c("Participant", "Group"), variable.name = "Visit",
       value.name = "Text_Count")
```

```
#Next, I'll create the stratified boxplot by group. I assign an object, pipe the
#new data frame into ggplot, assign aesthetics, add a boxplot layer,
#removed the outliers, used "free_y" in facet_grid; this
#allows R to handle how to assign the y-axis.facet by group with a labeller
#argument for the two groups, add a color scheme by visit, and in the themes
#layer, I remove the legend, and (just for fun) change the background color.
```

```
text_count_boxplot2 <- df_long %>%
  ggplot(aes(x = Visit, y = Text_Count, fill = Visit)) +
  geom_boxplot(outliers = FALSE) +
  facet_grid(~Group, labeller = label_both, scales = "free_y") +
  scale_fill_manual(values = c("tomato", "forestgreen")) +
  theme(legend.position = "none"
        ) + theme_minimal() +
  labs(title = "Text messages by Group", y = "Text Count")
```

```
text_count_boxplot2
```

Text messages by Group



```
#####
#####bar charts - LAS#####
#####
```

```
#To make our bar plot we will first convert our data from wide to long format.
#Jonathan has already done this above
```

```
#Next, since our bar plot will compare the means between groups, we will
#calculate the mean text messages and 95% CI for each group and timepoint.
# Compute summary statistics for mean and 95% CI per group/time. We will
#put these results in their own data frame called df_summary
```

```
df_summary <- df_long %>%
  group_by(Group, Visit) %>%
  summarize(
    mean_count = mean(Text_Count, na.rm = TRUE),
    sd = sd(Text_Count, na.rm = TRUE),
    n = n(),
    se = sd / sqrt(n),
    ci_lower = mean_count - 1.96 * se,
    ci_upper = mean_count + 1.96 * se,
    .groups = "drop"
  )
```

```
#Now that we have our values, I will rename them so that they look more
#aesthetically pleasing in our plot.
```

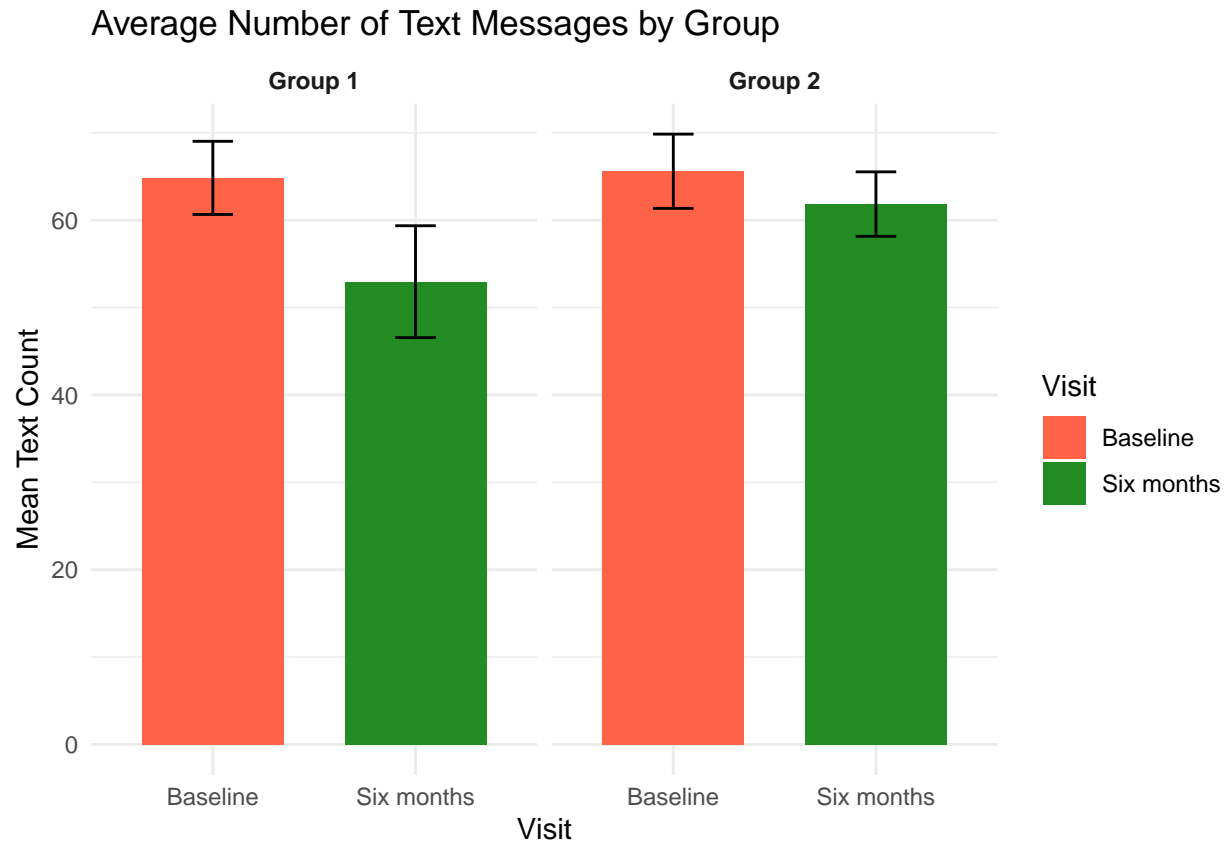
```

df_summary <- df_summary %>%
  mutate(
    Visit = recode(Visit,
      "Baseline" = "Baseline",
      "Six_months" = "Six months"),
    Group = recode_factor(as.factor(Group),
      "1" = "Group 1",
      "2" = "Group 2")
  )

#we can now plot our bar plot. We will use ggplot to
#make a bar plot that compares the mean text messages at each time point and
#we will facet by groups so that we can visualize the differences in time
#points between groups as well

ggplot(df_summary, aes(x = Visit, y = mean_count, fill = Visit)) +
  geom_col(position = position_dodge(), width = 0.7) +
  geom_errorbar(aes(ymin = ci_lower, ymax = ci_upper),
    width = 0.2, position = position_dodge(0.7)) +
  facet_wrap(~ Group) +
  labs(
    title = "Average Number of Text Messages by Group",
    x = "Visit",
    y = "Mean Text Count",
    fill = "Visit"
  ) +
  theme_minimal() +
  scale_fill_manual(values = c("tomato", "forestgreen")) +
  theme(
    legend.position = "right",
    strip.text = element_text(face = "bold")
  )

```



*#Here we can see the mean and 95% CI plotted at each time point for each group
 #Baseline values are pink and six month follow up values are blue. The color
 #designations are describe din the legend on the right. The panel
 #on the left show the results of group 1 while the one on the right shows the
 #results of group 2. The error bars on the top of each bar represent the 95%
 #CI. We can clearly see that both group one and group 2 experience a decrease
 #In the mean number of messages at follow up compared to baseline. The 95% CI
 #do not appear to overlap in group one, but they do appear to overlap in group
 #2 suggesting that the decrease in messages was statistically significant for
 #group 1 but not for group 2.*

*#####
 #####Summary statistics - JR#####
 #####*

#Summary statistics by group and time:

```
by(df$Baseline, df$Group, function(x) round(stat.desc(x, norm = TRUE), 3))
```

```
## df$Group: 1
##      nbr.val      nbr.null      nbr.na      min      max      range
##      25.000      0.000      0.000     47.000     85.000    38.000
##      sum      median      mean  SE.mean CI.mean.0.95      var
##    1621.000     64.000    64.840    2.136    4.408    114.057
##      std.dev      coef.var      skewness      skew.2SE      kurtosis      kurt.2SE
##      10.680      0.165      0.035      0.037     -1.273     -0.706
```

```
## normtest.W normtest.p
## 0.962 0.448
## -----
## df$Group: 2
## nbr.val nbr.null nbr.na min max range
## 25.000 0.000 0.000 46.000 89.000 43.000
## sum median mean SE.mean CI.mean.0.95 var
## 1640.000 65.000 65.600 2.167 4.473 117.417
## std.dev coef.var skewness skew.2SE kurtosis kurt.2SE
## 10.836 0.165 0.418 0.451 -0.587 -0.325
## normtest.W normtest.p
## 0.971 0.669
```

```
by(df$Baseline, df$Group, summary)
```

```
## df$Group: 1
## Min. 1st Qu. Median Mean 3rd Qu. Max.
## 47.00 57.00 64.00 64.84 73.00 85.00
## -----
## df$Group: 2
## Min. 1st Qu. Median Mean 3rd Qu. Max.
## 46.0 58.0 65.0 65.6 72.0 89.0
```

*#At Baseline, the two groups are quite similar with similar means, medians
#and interquartile ranges. The variances are also quite close, thus so is the
#coefficients of variation and 95% CIs. For both groups, a Shapiro-Wilks normality
#test shows both groups with a high likelihood of being normally distributed.*

```
by(df$Six_months, df$Group, function(x) round(stat.desc(x, norm = TRUE), 3))
```

```
## df$Group: 1
## nbr.val nbr.null nbr.na min max range
## 25.000 0.000 0.000 9.000 78.000 69.000
## sum median mean SE.mean CI.mean.0.95 var
## 1324.000 58.000 52.960 3.266 6.741 266.707
## std.dev coef.var skewness skew.2SE kurtosis kurt.2SE
## 16.331 0.308 -1.100 -1.186 0.808 0.448
## normtest.W normtest.p
## 0.877 0.006
## -----
```

```
## df$Group: 2
## nbr.val nbr.null nbr.na min max range
## 25.000 0.000 0.000 46.000 79.000 33.000
## sum median mean SE.mean CI.mean.0.95 var
## 1546.000 62.000 61.840 1.882 3.884 88.557
## std.dev coef.var skewness skew.2SE kurtosis kurt.2SE
## 9.410 0.152 0.164 0.177 -0.741 -0.411
## normtest.W normtest.p
## 0.942 0.161
```

```
by(df$Six_months, df$Group, summary)
```

```
## df$Group: 1
## Min. 1st Qu. Median Mean 3rd Qu. Max.
## 9.00 50.00 58.00 52.96 61.00 78.00
## -----
```

```
## df$Group: 2
##      Min. 1st Qu.  Median      Mean 3rd Qu.      Max.
##    46.00   56.00   62.00   61.84   64.00   79.00
```

#At six months, Group 1 is lower in almost every category: mean, median, interquartile range. However, group 1 shows significantly more deviation, with a coefficient of variation more than twice that of group 2. Group 1 also may not be normally distributed, as the output for the Shapiro-Wilks test would reject the null at an alpha level = .05 with a p-value of .006, suggesting that the data is likely not normally distributed. Group two, on the other hand, tests as likely normal.