

ANS-2.1

LAB-0

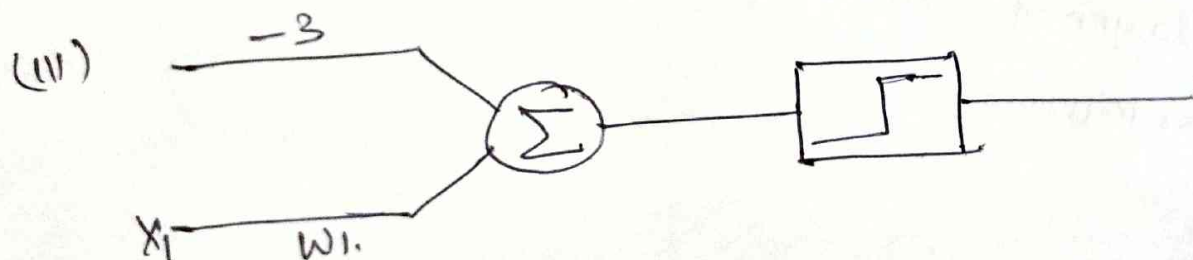
Given $n_i = f(w_0 + w_1 x)$.

$$n_i = f(5.6).$$

- (i) $n_i = 1.6$ the f is not possible.
- (ii) $n_i = 1.0$ then $f = \text{signum function}$.
- (iii) $n_i = 0.9963 \rightarrow f = \text{Log Sigmoidal}$.
- (iv) $n_i = -1$ then $f =$ is not possible.

ANS-2.2

- (i) Symmetrical hard limit function is required.
- (ii) We can take $w_0 = -3$ as a bias. Bias is Not Related to Input weight.



ANS 2.3

- (i) If bias is zero then:

$$y_i = f(w_0 + w_1 s_1 + w_2 s_2)$$

$$w_0 = 0$$

$$0.5 = f(0 + 3 \times -5 + 2 \times 7)$$

$$0.5 = f(-1)$$

there is no f from table 2.1 possible.

(II) ~~bias = 1.5~~ Yes, there is a bias the
Linear transfer function is used.
bias = 1.5 and f is purelin.

(III) Yes, a Log-sigmoid transfer function is
used, bias = 1.

(IV) No, bias is possible if symmetrical hardlim
is used.

ANS 2.4

(I) In 2nd layer 4 neurons are required.
corresponding to 4 output.

In layer 1 No. of neuron cannot be
determined.

(II).

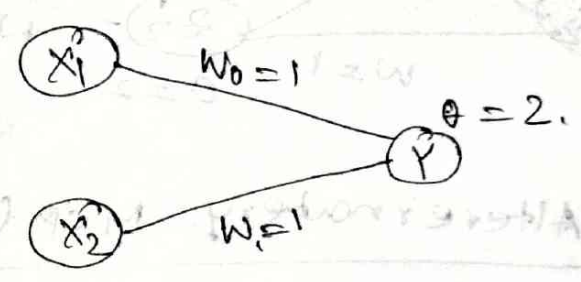
(III) Log-sigmoidal transfer function can be used
in each layer.

(IV) No.

ANS-4 (a)

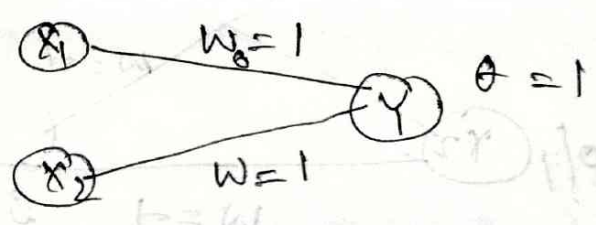
a) AND Gate

X_1	X_2	Y
-1	-1	-1
-1	1	-1
1	-1	-1
1	1	1



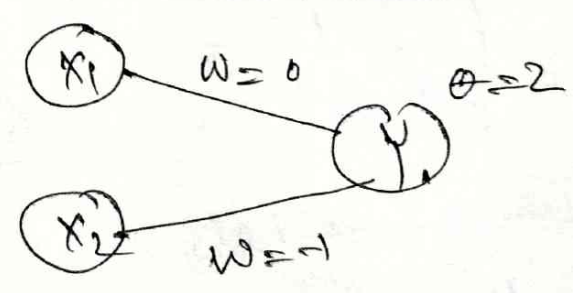
b) OR Gate

X_1	X_2	Y
1	1	1
1	-1	1
-1	1	1
-1	-1	-1



c) AND - NOT

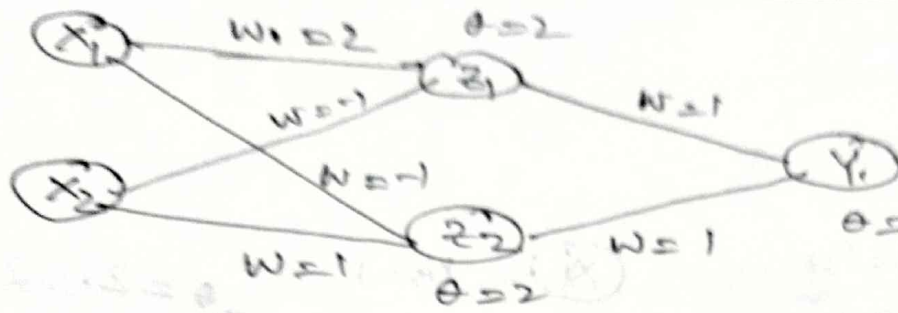
X_1	X_2	Y
-1	-1	-1
-1	1	-1
1	-1	1
1	1	-1



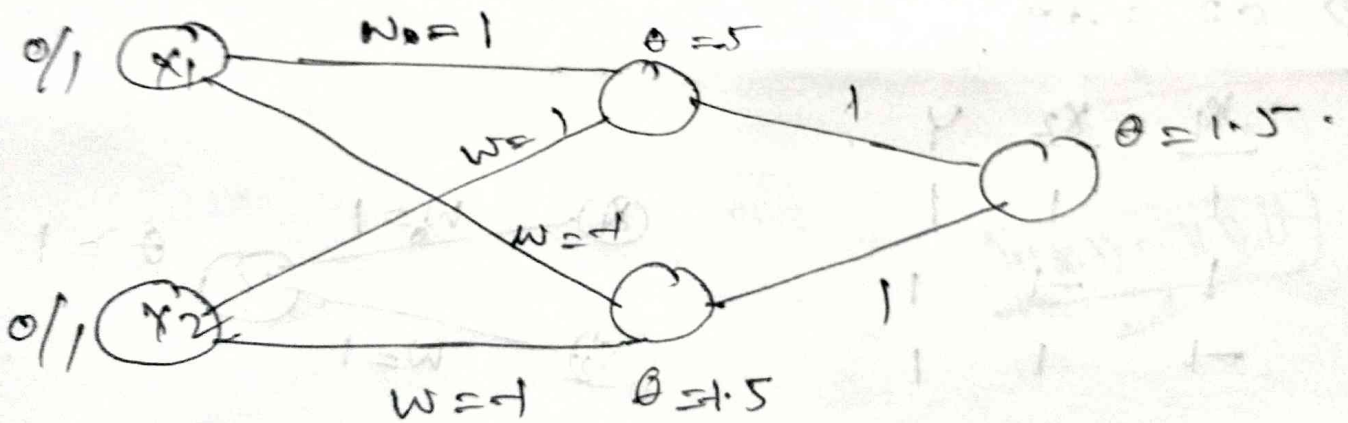
ANS-4 (b)

X_1	X_2	Z_1	Z_2	Y
-1	-1	-1	-1	-1
-1	1	-1	1	1
1	-1	1	-1	1
1	1	-1	-1	-1

$Z_1 = X_1 \text{ AND NOT } X_2$
 $Z_2 = X_2 \text{ AND NOT } X_1$



Alternately MCP (Binary)



ANS 4(c)

x_1

$\begin{pmatrix} 1 \\ 1 \end{pmatrix} \begin{pmatrix} 1 \\ 3 \end{pmatrix} \left\{ \begin{array}{l} \text{Belong to} \\ \text{+ve class} \end{array} \right.$

x_2

$\begin{pmatrix} 1 \\ -0.5 \end{pmatrix} \begin{pmatrix} 1 \\ -2 \end{pmatrix} \left\{ \begin{array}{l} \text{Belong} \\ \text{to -ve} \\ \text{class} \end{array} \right.$

Let the weight vector (w_0, w_1)
hyperplane $w^T x_1$.

Pattern 1 $\rightarrow (w_0, w_1) \begin{pmatrix} 1 \\ 1 \end{pmatrix} = w_0 + w_1 = 0$
 $\Rightarrow w_0 = -w_1$
 \rightarrow (+ve class)

Pattern 2 $\rightarrow (w_0, w_1) \begin{pmatrix} 1 \\ 3 \end{pmatrix} = w_0 = -3w_1$
 \rightarrow (+ve class)

Pattern 3 $\rightarrow (w_0, w_1) \begin{pmatrix} 1 \\ -0.5 \end{pmatrix} \rightarrow w_0 = 0.5w_1 \rightarrow$ (-ve class)

Pattern 4 $\rightarrow (w_0, w_1) \begin{pmatrix} 1 \\ -2 \end{pmatrix} \rightarrow w_0 = 2w_1 \rightarrow$ (-ve class)

