

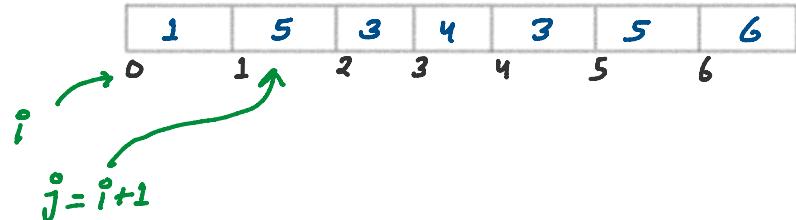
5. Find First Repeating Element (GFG)

EXAMPLE 01:
INPUT: arr{1,5,3,4,3,5,6} and N=7
OUTPUT: 2
Explanation: Value 5 is at index 2

EXAMPLE 02:
INPUT: arr{1,2,3,4,5,6,7} and N=7
OUTPUT: -1
Explanation: No repeated value

Note: Position return should be according to 1-based indexing

Brute force approach



i	$j = i+1$	$arr[i] == arr[j]$
0	1	1 == 5 X
	2	1 == 3 X
	3	1 == 4 X
	4	1 == 5 X
	5	1 == 6 X
	6	5 == 3 X
1	2	5 == 4 X
	3	5 == 3 X
	4	5 == 5 L
	5	

→ return $i+1$;

```
// BRUTE FORCE APPROACH
int bruteForceSol(int *arr, int n) {
    for(int i=0;i<n;i++){ → T.C. = O(N)
        for(int j=i+1;j<n;j++){ → T.C. = O(N)
            if(arr[i]==arr[j]){
                return i+1;
            }
        }
    }
    return -1;
} → O(N*N)
→ O(N^2)
```

```

    }
    return -1;
}
// TIME COMPLEXITY: O(N^2)
// SPACE COMPLEXITY: O(1)

```

$\Rightarrow O(N^2)$
 $T.C \Rightarrow O(N^2)$

Optimal approach with hashing technique

	1	5	3	4	3	5	5	6
0	1	2	3	4	5	6		

Step 01: Traverse array and store it's element as hashing

KEY	VALUE
1	1
5	2
3	2
4	1
6	1

Step 02: Traverse array to check each element if it has occurrence in future

	1	5	3	4	3	5	5	6
0	1	2	3	4	5	6		

KEY	VALUE
1	1
5	2
3	2
4	1
6	1

Hashing: We can use unordered map to store array's element in pair of key and value

Declaration of unordered map

unordered_map<int, int> hash
 keyType \rightarrow Name
 valueType \rightarrow Name

```

// OPTIMAL SOLUTION WITH HASHING APPROACH
int optimalSol(int arr[], int n){

    // Declared unordered_map
    unordered_map<int, int> hash;

    // Step 01: Traverse array and store it's element as hashing
    for(int i=0; i<n; i++){
        hash[arr[i]]++;
    } → T.C = O(N)

    // Step 02: Traverse array to check each element if it has occurrence in future
    for(int i=0; i<n; i++){
        if(hash[arr[i]] > 1){ → T.C = O(N)
            return i+1;
        }
    }
    return -1;
} T.C = O(N) + O(N)
⇒ O(N)

// TIME COMPLEXITY: O(N)
// SPACE COMPLEXITY: O(N)

```

6. Common Element in 3 Sorted Array (GFG)

Example 01:

Input:

$n_1 = 6; A = \{1, 5, 10, 20, 40, 80\}$
 $n_2 = 5; B = \{6, 7, 20, 80, 100\}$
 $n_3 = 8; C = \{3, 4, 15, 20, 30, 70, 80, 120\}$
Output: 20 80

Example 02:

Input:

$n_1 = 3; A = \{3, 3, 3\}$
 $n_2 = 3; B = \{3, 3, 3\}$
 $n_3 = 3; C = \{3, 3, 3\}$
Output: 3

Optimal Approach:

Step 01: remove duplicates from sorted array

Step 02: store common value of all three arrays in new array

Step 01: store unique element in new array with the help of C++ STL Data Structure is `set(dataType)`

Declaration of set

`Set<int> st;`
↓
datatype NAME

EXAMPLE

`arr` 

`for(i=0 — 3) {`

`st.insert(arr[i]);`

`st`



RY RUN

Step 02: store common value of all three arrays in new array

A	1	5	10	20	40	80	
	i 0	1	2	3	4	5	
B	6	7	20	80	100		
	j 0	1	2	3	4		
C	3	4	15	20	30	70	80 120
	0	1	2	3	4	5	6 7

if ($A[i] == B[j] \ \&\& \ B[k] == C[k] \ \&\& \ C[k] == A[i]$)

{

 st.insert(A[i]);

 i++, j++, k++;

}

else if ($A[i] < B[j]$)

{

 i++;

else if ($B[j] < C[k]$)

{

 j++;

else

 k++;

}

else

 k++;

}

Terminating
Condition

→ ($i < n_1 \ \&\& \ j < n_2 \ \&\& \ k < n_3$)

```
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// Common Element in 3 Sorted Array (GFG)
class Solution
{
public:
    vector<int> commonElements (int A[], int B[], int C[], int n1, int n2, int n3)
    {
        vector<int> ans;
        set<int> st;
        int i=0, j=0, k=0;

        while(i<n1 && j<n2 && k<n3)
        {
            if(A[i]==B[j] && B[j]==C[k] && C[k]==A[i])
            {
                st.insert(A[i]);
                i++, j++, k++;
            }
            else if(A[i]<B[j])
            {
                i++;
            }
            else if(B[j]<C[k])
            {
                j++;
            }
            else
            {
                k++;
            }
        }
        for(int x: st)
        {
            ans.push_back(x);
        }
        return ans;
    }
}
```

```

        else if(A[i]<B[j])
        {
            i++;
        }
        else if(B[j]<C[k])
        {
            j++;
        }
        else
        {
            k++;
        }
    }

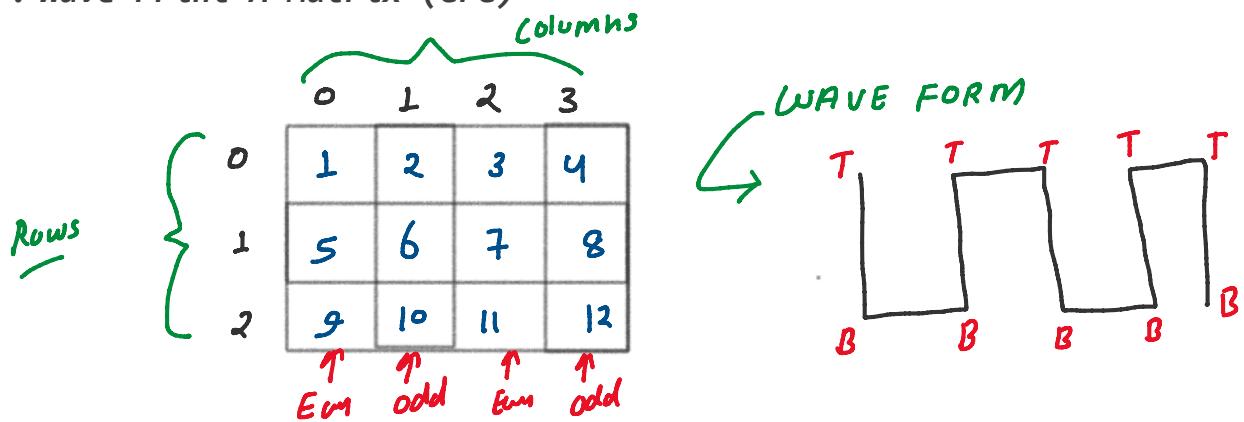
    for(auto i: st)
    {
        ans.push_back(i);
    }

    return ans;
}

// TIME COMPLEXITY: O(N1+N2+N3)
// SPACE COMPLEXITY: O(N1+N2+N3)

```

7. Wave Print A Matrix (GFG)



Approach:

- When number of column is even then print row top to bottom
- When number of column is odd then print row bottom to top

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// Print wave matrix
void printWaveMatrix(vector<vector<int>> matrix){
    int row = matrix.size();
    int col = matrix[0].size();

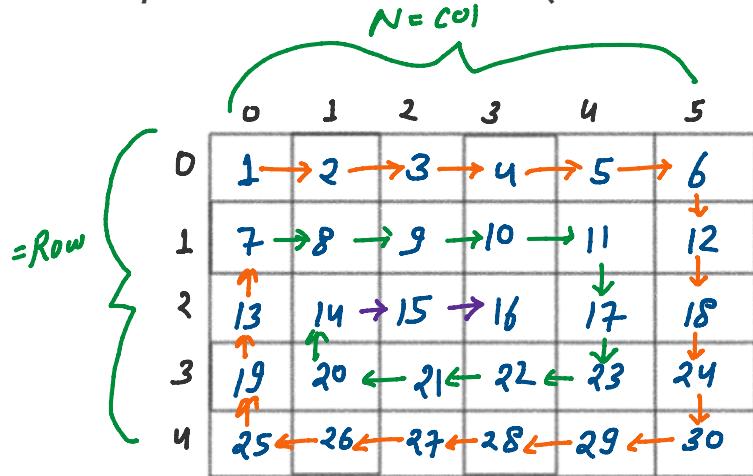
    // Iterate array column wise
    for(int startCol=0; startCol<col; startCol++){

        // when startCol==even then print row top to bottom
        if((startCol & 1)==0){
            for(int i=0; i<row; i++){
                cout<<matrix[i][startCol]<< " ";
            }
        }
        // when startCol==odd then print row bottom to top
        else{
            for(int i=row-1; i>=0; i--){
                cout<<matrix[i][startCol]<< " ";
            }
        }
    }
}

```

$T.C. \Rightarrow O(M \times N)$

8. Spiral Print A Matrix (Leetcode-54)



Output:

1 2 3 4 5 6 12 18 24 30 29 28 27 26 25
19 13 7 8 9 10 11 17 23 22 21 14 15 16

startingRow = 0
endingCol = 5
endingRow = 4
startingCol = 0

startingRow = 1
endingCol = 4
endingRow = 3
startingCol = 1

startingRow = 2
endingCol = 3
endingRow = 2
startingCol = 2

Optimal Approach:

Step 01: find total elements

Step 02: iterate matrix till end of the total element and print

- Print startingRow
- Print endingCol
- Print endingRow
- Print startingCol

```

// HW 08: Spiral Print A Matrix (Leetcode-54)
class Solution {
public:
    vector<int> spiralOrder(vector<vector<int>>& matrix) {
        vector<int> ans;
        int m=matrix.size();
        int n=matrix[0].size();

        // Step 01: Total elements of matrix
        int totalElements=m*n;

        int startingRow = 0;
        int endingCol = n-1;
        int endingRow = m-1;
        int startingCol = 0;

        // Step 02: Iterate matrix till end of the total element
        int count=0;
        while(count<totalElements){
            // Print startingRow
            for(int i=startingRow;i<=endingCol && count<totalElements;i++){
                ans.push_back(matrix[startingRow][i]);
                count++;
            }
            startingRow++;

            // Print endingCol
            for(int i=startingRow;i<=endingRow && count<totalElements;i++){
                ans.push_back(matrix[i][endingCol]);
                count++;
            }
            endingCol--;

            // Print endingRow
            for(int i=endingCol;i>=startingCol && count<totalElements;i--){
                ans.push_back(matrix[endingRow][i]);
                count++;
            }
            endingRow--;

            // Print startingCol
            for(int i=endingRow;i>=startingRow && count<totalElements;i--){
                ans.push_back(matrix[i][startingCol]);
                count++;
            }
            startingCol++;
        }
        return ans;
    };
}

/*
Example 01:
Input: {{1, 2, 3, 4},
         {5, 6, 7, 8},
         {9, 10, 11, 12},
         {13, 14, 15, 16 }}

Output: 1 2 3 4 8 12 16 15 14 13 9 5 6 7 11 10

Example 02:
Input: {{1, 2, 3, 4, 5, 6},
         {7, 8, 9, 10, 11, 12},
         {13, 14, 15, 16, 17, 18} }

Output: 1 2 3 4 5 6 12 18 17 16 15 14 13 7 8 9 10 11
*/

```