

Chapter 2

Number System

Decimal – 0-9

Hexadecimal 0-9, A, B, C, D, E, F

Octal – 0-7

Binary - 0,1

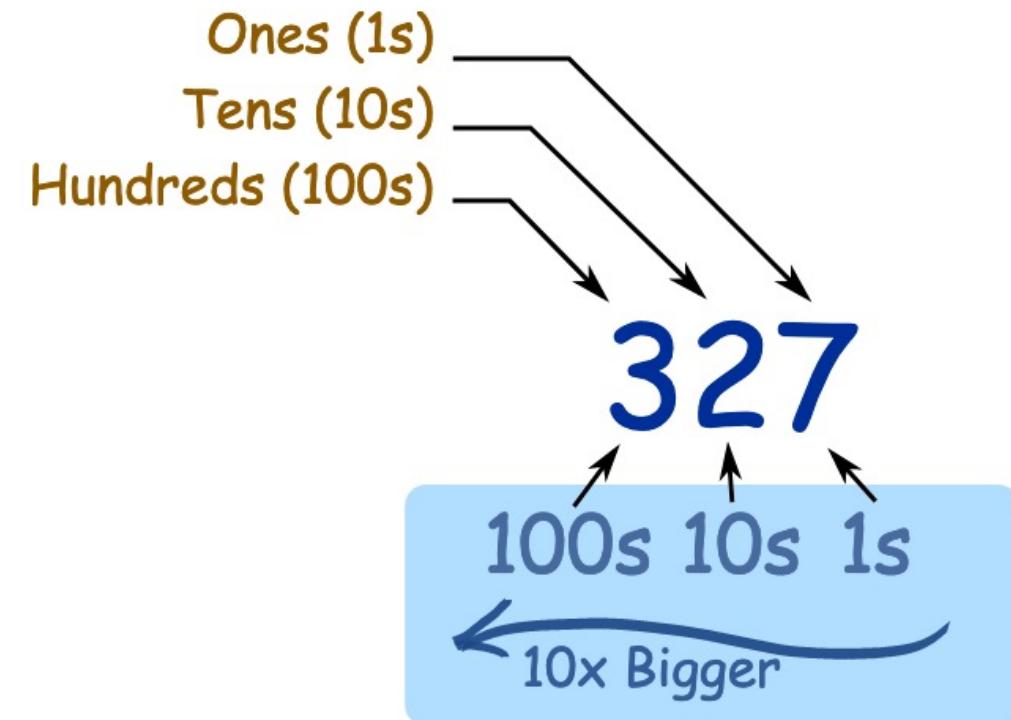
Definition of

Decimal Number System

[more ...](#)

The number system we use every day, based on 10 digits (0,1,2,3,4,5,6,7,8,9).

Position is important, with the first position being units, then next on the left being tens, then hundreds and so on.



Hexadecimal

16 Different Values

There are **16** Hexadecimal digits. They are the same as the decimal digits up to 9, but then there are the letters A, B, C, D, E and F in place of the decimal numbers 10 to 15:

Hexadecimal:	0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F
Decimal:	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15

So a single Hexadecimal digit can show 16 different values instead of the normal 10.

Octal

An Octal Number uses only these 8 digits: 0, 1, 2, 3, 4, 5, 6 and 7

Examples:

- **7** in Octal equals 7 in the Decimal Number System
- **10** in Octal equals 8 in the Decimal Number System
- **11** in Octal equals 9 in the Decimal Number System
- ...
- **167** in Octal equals 119 in the Decimal Number System

Binary Number

A Binary Number is made up of only **0s** and **1s**.

110100

Example of a Binary Number

There is no 2, 3, 4, 5, 6, 7, 8 or 9 in Binary!

Base 10 (Denary)

0 1 2 3 4 5 6 7 8 9

digits

1000

Decimal System - Poistional Number System



$$(5 * 100) + (3 * 10) + (7 * 1)$$

Base 2 (Binary)

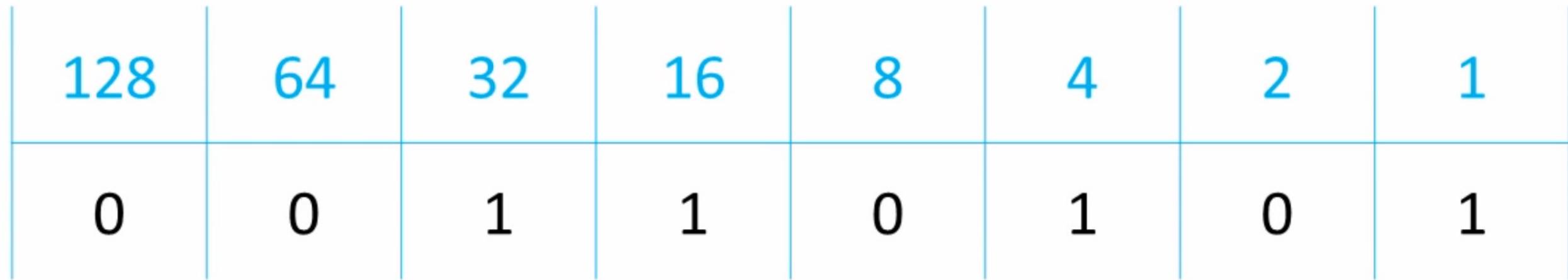
0 1

Electrial Signal – On & Off

bits

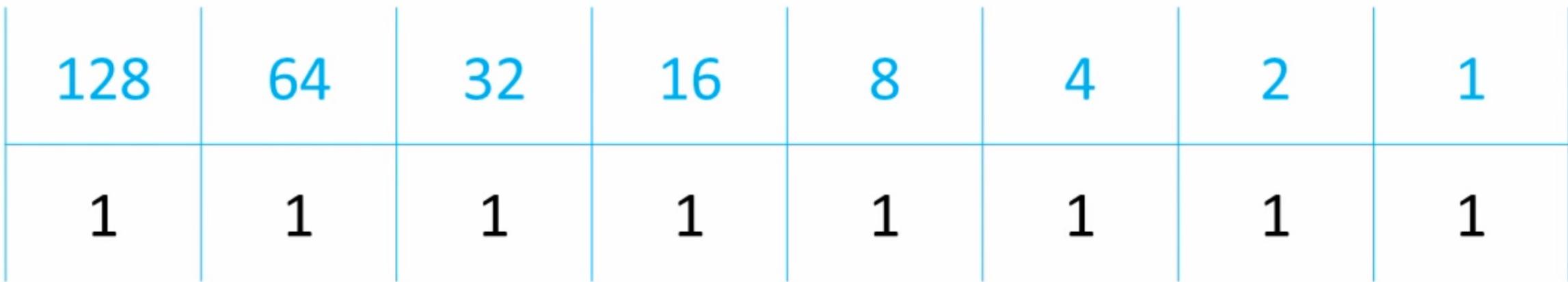
11111111

Binary System - Poistional Number System



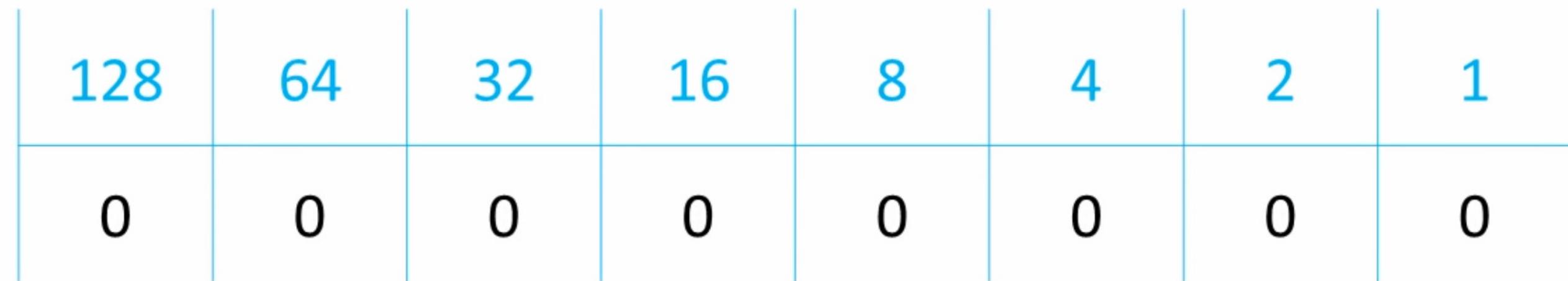
$$(1 * 32) + (1 * 16) + (1 * 4) + (1 * 1) = 53$$

Largest Binary – 8 Bits

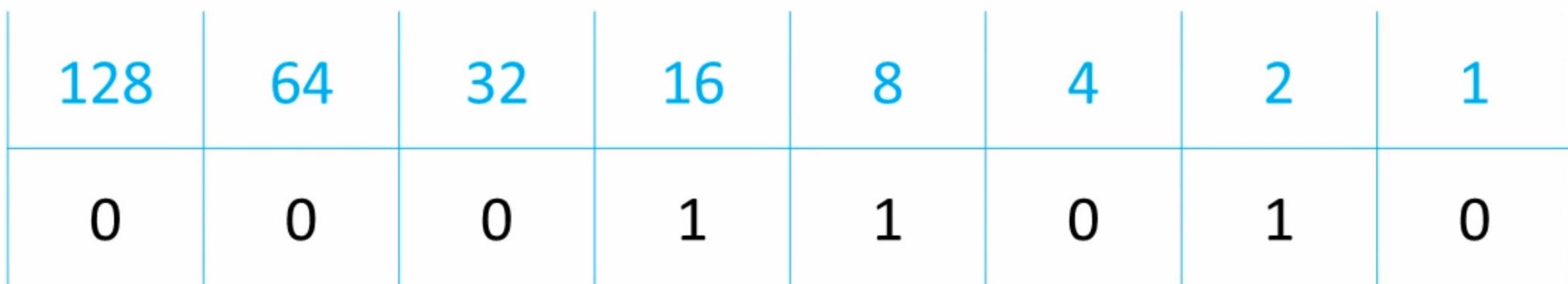


$$(1 * 128) + (1 * 64) + (1 * 32) + (1 * 16) + (1 * 8) + (1 * 4) + (1 * 2) + (1 * 1) = 255$$

Smallest Binary – 8 Bits



Convert the 8 bit binary number 00011010 into denary



$$16 + 8 + 2 = 26$$

$$00011010_2 = 26_{10}$$

Excerise - 1

00000101

01111111

01111001

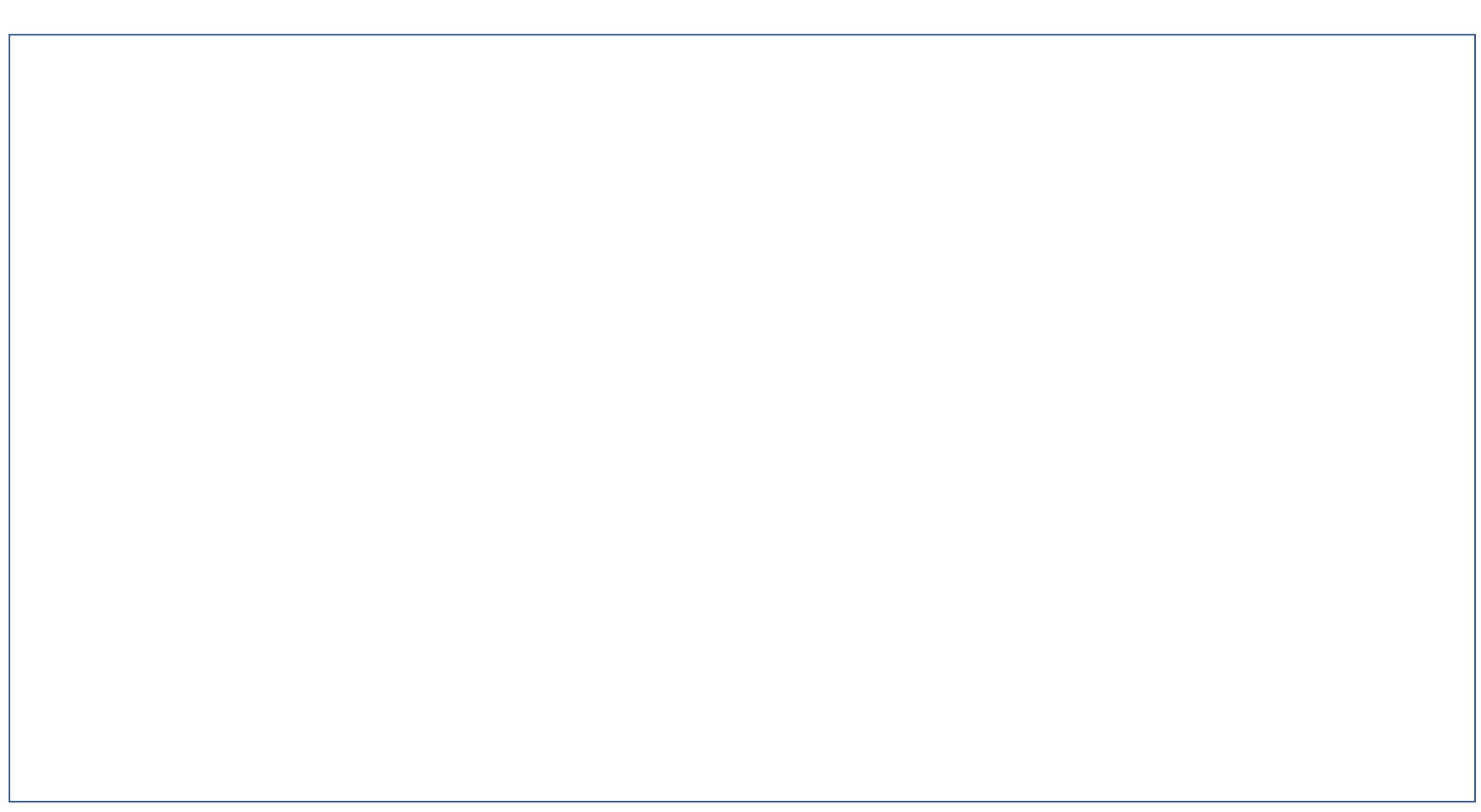
10000000

01010100

10101010

01101101

11000011



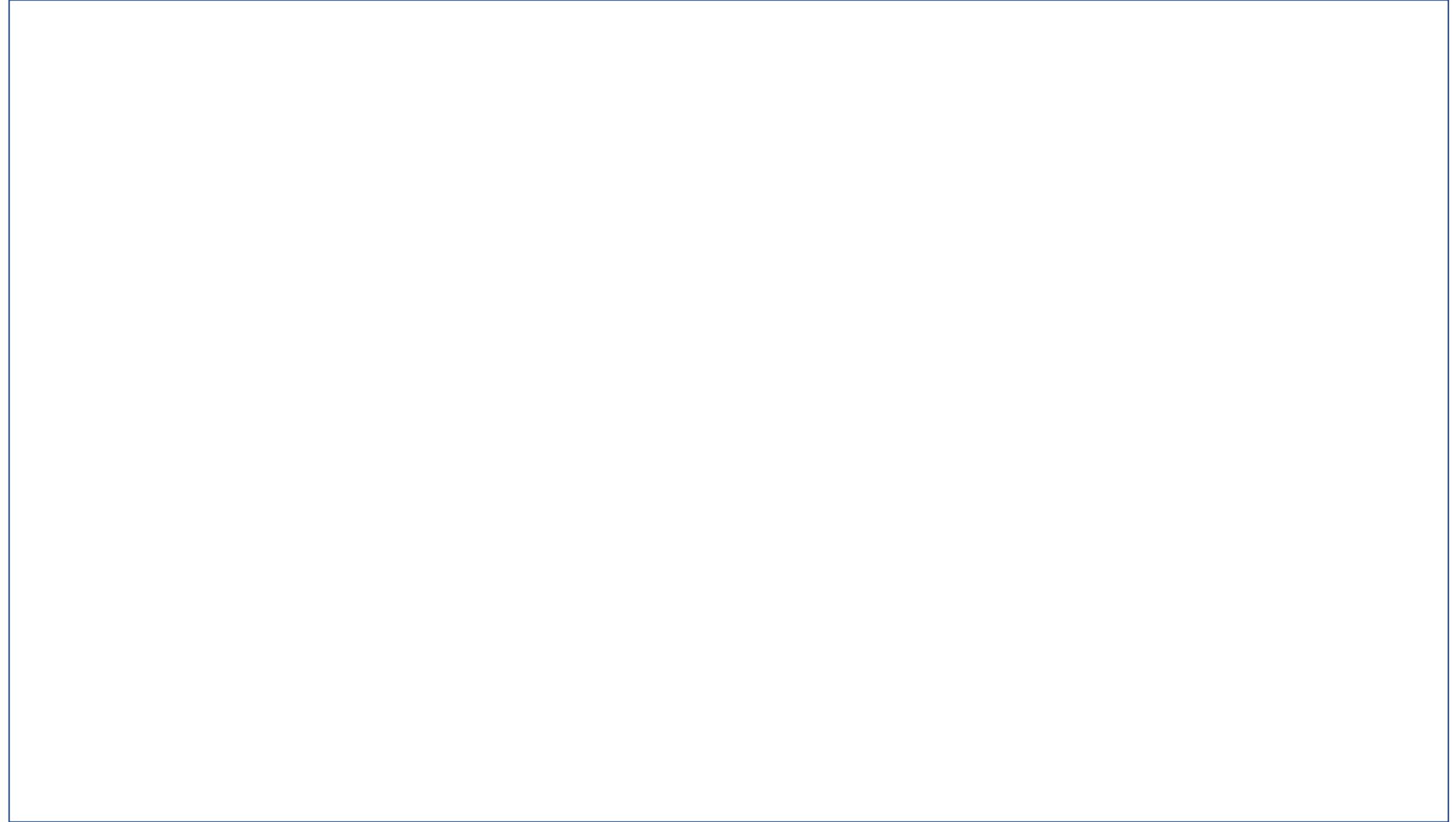
Excerise - 2

17

44

132

101



Exercise - 3

What is the biggest denary number that you can represent in binary using 8 bits?

How many different denary numbers can you represent in binary using 8 bits?

The ASCII and Unicode Character Sets

List of characters a computer can understand

American Standard Code for Information Interchange (ASCII)

Number	Character	Description	Number	Character	Description	Number	Character	Description	Number	Character	Description
0	NULL	NUL CHARACTER	32	SPACE	SPACES	64	@	AT SIGN	96	`	GRADUATION MARK
1	SOH	START OF HEADING	33	!	EXCLAMATION MARK	65	A	LETTER A	97	a	LOWER CASE LETTER A
2	STX	START OF TEXT	34	"	QUOTE MARK	66	B	LETTER B	98	b	LOWER CASE LETTER B
3	ETX	END OF TEXT	35	#	NUMBER SIGN	67	C	LETTER C	99	c	LOWER CASE LETTER C
4	EOT	END OF TRANSMISSION	36	\$	DOLLAR SIGN	68	D	LETTER D	100	d	LOWER CASE LETTER D
5	ENQ	ENQUIRY	37	%	PERCENT SIGN	69	E	LETTER E	101	e	LOWER CASE LETTER E
6	ACK	ACKNOWLEDGE	38	&	AMPERSAND	70	F	LETTER F	102	f	LOWER CASE LETTER F
7	BEL	BELL	39	'	PRIME MARK	71	G	LETTER G	103	g	LOWER CASE LETTER G
8	BS	BACKSPACE	40	(OPEN PARENTHESIS	72	H	LETTER H	104	h	LOWER CASE LETTER H
9	HT	HORIZONTAL TAB	41)	CLOSE PARENTHESIS	73	I	LETTER I	105	i	LOWER CASE LETTER I
10	LF	LINE FEED	42	*	MULTIPLICATION SIGN	74	J	LETTER J	106	j	LOWER CASE LETTER J
11	VT	VERTICAL TAB	43	+	PLUS SIGN	75	K	LETTER K	107	k	LOWER CASE LETTER K
12	FF	FORM FEED	44	,	COMMA	76	L	LETTER L	108	l	LOWER CASE LETTER L
13	CR	CARRIAGE RETURN	45	-	MINUS SIGN	77	M	LETTER M	109	m	LOWER CASE LETTER M
14	SO	SHIFT OUT	46	.	DECIMAL POINT	78	N	LETTER N	110	n	LOWER CASE LETTER N
15	SI	SHIFT IN	47	/	SOLIDUS	79	O	LETTER O	111	o	LOWER CASE LETTER O
16	DLE	DATALINK ESCAPE	48	0	NUMBER ZERO	80	P	LETTER P	112	p	LOWER CASE LETTER P
17	DC1	DEVICE CONTROL 1	49	1	NUMBER ONE	81	Q	LETTER Q	113	q	LOWER CASE LETTER Q
18	DC2	DEVICE CONTROL 2	50	2	NUMBER TWO	82	R	LETTER R	114	r	LOWER CASE LETTER R
19	DC3	DEVICE CONTROL 3	51	3	NUMBER THREE	83	S	LETTER S	115	s	LOWER CASE LETTER S
20	DC4	DEVICE CONTROL 4	52	4	NUMBER FOUR	84	T	LETTER T	116	t	LOWER CASE LETTER T
21	NAK	NEGATIVE ACKNOWLEDGE	53	5	NUMBER FIVE	85	U	LETTER U	117	u	LOWER CASE LETTER U
22	SYN	SYNCHRONOUS IDLE	54	6	NUMBER SIX	86	V	LETTER V	118	v	LOWER CASE LETTER V
23	ETB	END OF TRANS., BLOCK	55	7	NUMBER SEVEN	87	W	LETTER W	119	w	LOWER CASE LETTER W
24	CAN	CANCEL	56	8	NUMBER EIGHT	88	X	LETTER X	120	x	LOWER CASE LETTER X
25	EM	END OF MEDIUM	57	9	NUMBER NINE	89	Y	LETTER Y	121	y	LOWER CASE LETTER Y
26	SUB	SUBSTITUTE	58	:	COLON	90	Z	LETTER Z	122	z	LOWER CASE LETTER Z
27	ESC	ESCAPE	59	;	SEMICOLON	91	[LEFT BRACKET	123	{	LEFT curly brace
28	FS	FILE SEPARATOR	60	<	LESS THAN SIGN	92	\	BACKSLASH	124	 	VERTICAL LINE
29	GS	GROUP SEPARATOR	61	=	EQUAL SIGN	93]	CLOSE BRACKET	125	}	CLOSE curly brace
30	RS	RECORD SEPARATOR	62	>	GREATER THAN SIGN	94	^	UP ARROW	126	~	WAVE
31	US	UNIT SEPARATOR	63	?	QUESTION MARK	95	-	MINUS SIGN	127	DEL	DELETION

American Standard Code for Information Interchange (ASCII)

Decimal	Hex	Binary	Character		Decimal	Hex	Binary	Character	Decimal	Hex	Binary	Character	Decimal	Hex	Binary	Character
0	00	0000000	NULL	NULL CHARACTER	32	20	0100000	SPACE	64	40	1000000	@	96	60	1100000	`
1	01	0000001	SOH	START OF HEADING	33	21	0100001	!	65	41	1000001	A	97	61	1100001	a
2	02	0000010	STX	START OF TEXT	34	22	0100010	"	66	42	1000010	B	98	62	1100010	b
3	03	0000011	ETX	END OF TEXT	35	23	0100011	#	67	43	1000011	C	99	63	1100011	c
4	04	0000100	EOT	END OF TRANSMISSION	36	24	0100100	\$	68	44	1000100	D	100	64	1100100	d
5	05	0000101	ENQ	ENQUIRY	37	25	0100101	%	69	45	1000101	E	101	65	1100101	e
6	06	0000110	ACK	ACKNOWLEDGE	38	26	0100110	&	70	46	1000110	F	102	66	1100110	f
7	07	0000111	BEL	BELL	39	27	0100111	'	71	47	1000111	G	103	67	1100111	g
8	08	0001000	BS	BACKSPACE	40	28	0101000	(72	48	1001000	H	104	68	1101000	h
9	09	0001001	HT	HORIZONTAL TAB	41	29	0101001)	73	49	1001001	I	105	69	1101001	i
10	0A	0001010	LF	LINE FEED	42	2A	0101010	*	74	4A	1001010	J	106	6A	1101010	j
11	0B	0001011	VT	VERTICAL TAB	43	2B	0101011	+	75	4B	1001011	K	107	6B	1101011	k
12	0C	0001100	FF	FORM FEED	44	2C	0101100	,	76	4C	1001100	L	108	6C	1101100	l
13	0D	0001101	CR	CARRIAGE RETURN	45	2D	0101101	-	77	4D	1001101	M	109	6D	1101101	m
14	0E	0001110	SO	SHIFT OUT	46	2E	0101110	.	78	4E	1001110	N	110	6E	1101110	n
15	0F	0001111	SI	SHIFT IN	47	2F	0101111	/	79	4F	1001111	O	111	6F	1101111	o
16	10	0010000	DLE	DATALINK ESCAPE	48	30	0110000	0	80	50	1010000	P	112	70	1110000	p
17	11	0010001	DC1	DEVICE CONTROL 1	49	31	0110001	1	81	51	1010001	Q	113	71	1110001	q
18	12	0010010	DC2	DEVICE CONTROL 2	50	32	0110010	2	82	52	1010010	R	114	72	1110010	r
19	13	0010011	DC3	DEVICE CONTROL 3	51	33	0110011	3	83	53	1010011	S	115	73	1110011	s
20	14	0010100	DC4	DEVICE CONTROL 4	52	34	0110100	4	84	54	1010100	T	116	74	1110100	t
21	15	0010101	NAK	NEGATIVE ACKNOWLEDGE	53	35	0110101	5	85	55	1010101	U	117	75	1110101	u
22	16	0010110	SYN	SYNCHRONOUS IDLE	54	36	0110110	6	86	56	1010110	V	118	76	1110110	v
23	17	0010111	ETB	END OF TRANS, BLOCK	55	37	0110111	7	87	57	1010111	W	119	77	1110111	w
24	18	0011000	CAN	CANCEL	56	38	0111000	8	88	58	1011000	X	120	78	1111000	x
25	19	0011001	EM	END OF MEDIUM	57	39	0111001	9	89	59	1011001	Y	121	79	1111001	y
26	1A	0011010	SUB	SUSTITUTE	58	3A	0111010	:	90	5A	1011010	Z	122	7A	1111010	z
27	1B	0011011	ESC	ESCAPE	59	3B	0111011	;	91	5B	1011011	[123	7B	1111011	{
28	1C	0011100	FS	FILE SEPARATOR	60	3C	0111100	<	92	5C	1011100	\	124	7C	1111100	
29	1D	0011101	GS	GROUP SEPARATOR	61	3D	0111101	=	93	5D	1011101]	125	7D	1111101	}
30	1E	0011110	RS	RECORD SEPARATOR	62	3E	0111110	>	94	5E	1011110	^	126	7E	1111110	~
31	1F	0011111	US	UNIT SEPARATOR	63	3F	0111111	?	95	5F	1011111	-	127	7F	1111111	DEL

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0	00	0000000	NULL	NUL	32	20	0100000	SPACE	64	40	1000000	@	96	60	1100000	`
1	01	0000001	SOH	START OF HEADING	33	21	0100001	!	65	41	1000001	A	97	61	1100001	a
2	02	0000010	STX	START OF TEXT	34	22	0100010	"	66	42	1000010	B	98	62	1100010	b
3	03	0000011	ETX	END OF TEXT	35	23	0100011	#	67	43	1000011	C	99	63	1100011	c
4	04	0000100	EOT	END OF TRANSMISSION	36	24	0100100	\$	68	44	1000100	D	100	64	1100100	d
5	05	0000101	ENQ	ENQUIRY	37	25	0100101	%	69	45	1000101	E	101	65	1100101	e
6	06	0000110	ACK	ACKNOWLEDGE	38	26	0100110	&	70	46	1000110	F	102	66	1100110	f
7	07	0000111	BEL	BELL	39	27	0100111	?	71	47	1000111	G	103	67	1100111	g
8	08	0001000	BS	BACKSPACE	40	28	0101000	^	72	48	1001000	H	104	68	1101000	h
9	09	0001001	HT	HORIZONTAL TAB	41	29	0101001	=	73	49	1001001	I	105	69	1101001	i
10	0A	0001010	LF	LINE FEED	42	2A	0101010	;	74	4A	1001010	J	106	6A	1101010	j
11	0B	0001011	VT	VERTICAL TAB	43	2B	0101011	:	75	4B	1001011	K	107	6B	1101011	k
12	0C	0001100	FF	FORM FEED	44	2C	0101100	;	76	4C	1001100	L	108	6C	1101100	l
13	0D	0001101	CR	CARRIAGE RETURN	45	2D	0101101	;	77	4D	1001101	M	109	6D	1101101	m
14	0E	0001110	SO	SHIFT OUT	46	2E	0101110	;	78	4E	1001110	N	110	6E	1101110	n
15	0F	0001111	SI	SHIFT IN	47	2F	0101111	;	79	4F	1001111	O	111	6F	1101111	o
16	10	0010000	DLE	DATALINK ESCAPE	48	30	0110000	;	80	50	1010000	P	112	70	1110000	p
17	11	0010001	DC1	DEVICE CONTROL 1	49	31	0110001	;	81	51	1010001	Q	113	71	1110001	q
18	12	0010010	DC2	DEVICE CONTROL 2	50	32	0110010	;	82	52	1010010	R	114	72	1110010	r
19	13	0010011	DC3	DEVICE CONTROL 3	51	33	0110011	;	83	53	1010011	S	115	73	1110011	s
20	14	0010100	DC4	DEVICE CONTROL 4	52	34	0110100	;	84	54	1010100	T	116	74	1110100	t
21	15	0010101	NAK	NEGATIVE ACKNOWLEDGE	53	35	0110101	;	85	55	1010101	U	117	75	1110101	u
22	16	0010110	SYN	SYNCHRONOUS IDLE	54	36	0110110	;	86	56	1010110	V	118	76	1110110	v
23	17	0010111	ETB	END OF TRANS, BLOCK	55	37	0110111	;	87	57	1010111	W	119	77	1110111	w
24	18	0011000	CAN	CANCEL	56	38	0111000	;	88	58	1011000	X	120	78	1111000	x
25	19	0011001	EM	END OF MEDIUM	57	39	0111001	;	89	59	1011001	Y	121	79	1111001	y
26	1A	0011010	SUB	SUBSTITUTE	58	3A	0111010	;	90	5A	1011010	Z	122	7A	1111010	z
27	1B	0011011	ESC	ESCAPE	59	3B	0111011	;	91	5B	1011011	[123	7B	1111011	{
28	1C	0011100	FS	FILE SEPARATOR	60	3C	0111100	;	92	5C	1011100	\	124	7C	1111100	
29	1D	0011101	GS	GROUP SEPARATOR	61	3D	0111101	;	93	5D	1011101]	125	7D	1111101	}
30	1E	0011110	RS	RECORD SEPARATOR	62	3E	0111110	;	94	5E	1011110	^	126	7E	1111110	~
31	1F	0011111	US	UNIT SEPARATOR	63	3F	0111111	;	95	5F	1011111	-	127	7F	1111111	DEL

$$2^7 = 128$$

1 1 1 1 1 1 1

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Decimal	Hex	Binary	Character		Decimal	Hex	Binary	Character	Decimal	Hex	Binary	Character	Decimal	Hex	Binary	Character
0	00	0000000	NULL	NULL CHARACTER	32	20	0100000	SPACE	64	40	1000000	@	96	60	1100000	`
1	01	0000001	SOH	START OF HEADING	33	21	0100001	!	65	41	1000001	A	97	61	1100001	a
2	02	0000010	STX	START OF TEXT	34	22	0100010	"	66	42	1000010	B	98	62	1100010	b
3	03	0000011	ETX	END OF TEXT	35	23	0100011	#	67	43	1000011	C	99	63	1100011	c
4	04	0000100	EOT	END OF TRANSMISSION	36	24	0100100	\$	68	44	1000100	D	100	64	1100100	d
5	05	0000101	ENQ	ENQUIRY	37	25	0100101	%	69	45	1000101	E	101	65	1100101	e
6	06	0000110	ACK	ACKNOWLEDGE	38	26	0100110	&	70	46	1000110	F	102	66	1100110	f
7	07	0000111	BEL	BELL	39	27	0100111	'	71	47	1000111	G	103	67	1100111	g
8	08	0001000	BS	BACKSPACE	40	28	0101000	(72	48	1001000	H	104	68	1101000	h
9	09	0001001	HT	HORIZONTAL TAB	41	29	0101001)	73	49	1001001	I	105	69	1101001	i
10	0A	0001010	LF	LINE FEED	42	2A	0101010	*	74	4A	1001010	J	106	6A	1101010	j
11	0B	0001011	VT	VERTICAL TAB	43	2B	0101011	+	75	4B	1001011	K	107	6B	1101011	k
12	0C	0001100	FF	FORM FEED	44	2C	0101100	,	76	4C	1001100	L	108	6C	1101100	l
13	0D	0001101	CR	CARRIAGE RETURN	45	2D	0101101	-	77	4D	1001101	M	109	6D	1101101	m
14	0E	0001110	SO	SHIFT OUT	46	2E	0101110	.	78	4E	1001110	N	110	6E	1101110	n
15	0F	0001111	SI	SHIFT IN	47	2F	0101111	/	79	4F	1001111	O	111	6F	1101111	o
16	10	0010000	DLE	DATALINK ESCAPE	48	30	0110000	0	80	50	1010000	P	112	70	1110000	p
17	11	0010001	DC1	DEVICE CONTROL 1	49	31	0110001	1	81	51	1010001	Q	113	71	1110001	q
18	12	0010010	DC2	DEVICE CONTROL 2	50	32	0110010	2	82	52	1010010	R	114	72	1110010	r
19	13	0010011	DC3	DEVICE CONTROL 3	51	33	0110011	3	83	53	1010011	S	115	73	1110011	s
20	14	0010100	DC4	DEVICE CONTROL 4	52	34	0110100	4	84	54	1010100	T	116	74	1110100	t
21	15	0010101	NAK	NEGATIVE ACKNOWLEDGE	53	35	0110101	5	85	55	1010101	U	117	75	1110101	u
22	16	0010110	SYN	SYNCHRONOUS IDLE	54	36	0110110	6	86	56	1010110	V	118	76	1110110	v
23	17	0010111	ETB	END OF TRANS. BLOCK	55	37	0110111	7	87	57	1010111	W	119	77	1110111	w
24	18	0011000	CAN	CANCEL	56	38	0111000	8	88	58	1011000	X	120	78	1111000	x
25	19	0011001	EM	END OF MEDIUM	57	39	0111001	9	89	59	1011001	Y	121	79	1111001	y
26	1A	0011010	SUB	SUBSTITUTE	58	3A	0111010	:	90	5A	1011010	Z	122	7A	1111010	z
27	1B	0011011	ESC	ESCAPE	59	3B	0111011	;	91	5B	1011011	[123	7B	1111011	{
28	1C	0011100	FS	FILE SEPARATOR	60	3C	0111100	<	92	5C	1011100	\	124	7C	1111100	
29	1D	0011101	GS	GROUP SEPARATOR	61	3D	0111101	=	93	5D	1011101]	125	7D	1111101	}
30	1E	0011110	RS	RECORD SEPARATOR	62	3E	0111110	>	94	5E	1011110	^	126	7E	1111110	~
31	1F	0011111	US	UNIT SEPARATOR	63	3F	0111111	?	95	5F	1011111	_	127	7F	1111111	DEL

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2	02	0000010	STX	START OF TEXT	34	22	0100010	"	66	42	1000010	B	98	62	1100010	b
3	03	0000011	ETX	END OF TEXT	35	23	0100011	#	67	43	1000011	C	99	63	1100011	c
4	04	0000100	EOT	END OF TRANSMISSION	36	24	0100100	\$	68	44	1000100	D	100	64	1100100	d
5	05	0000101	ENQ	ENQUIRY	37	25	0100101	%	69	45	1000101	E	101	65	1100101	e
6	06	0000110	ACK	ACKNOWLEDGE	38	26	0100110	&	70	46	1000110	F	102	66	1100110	f
7	07	0000111	BEL	BELL	39	27	0100111	*	71	47	1000111	G	103	67	1100111	g
8	08	0001000	BS	BACKSPACE					72	48	1001000	H	104	68	1101000	h
9	09	0001001	HT	HORIZONTAL TAB					73	49	1001001	I	105	69	1101001	i
10	0A	0001010	LF	LINE FEED					74	4A	1001010	J	106	6A	1101010	j
11	0B	0001011	VT	VERTICAL TAB					75	4B	1001011	K	107	6B	1101011	k
12	0C	0001100	FF	FORM FEED					76	4C	1001100	L	108	6C	1101100	l
13	0D	0001101	CR	CARRIAGE RETURN					77	4D	1001101	M	109	6D	1101101	m
14	0E	0001110	SO	SHIFT OUT					78	4E	1001110	N	110	6E	1101110	n
15	0F	0001111	SI	SHIFT IN					79	4F	1001111	O	111	6F	1101111	o
16	10	0010000	DLE	DATALINK ESCAPE					80	50	1010000	P	112	70	1110000	p
17	11	0010001	DC1	DEVICE CONTROL 1					81	51	1010001	Q	113	71	1110001	q
18	12	0010010	DC2	DEVICE CONTROL 2					82	52	1010010	R	114	72	1110010	r
19	13	0010011	DC3	DEVICE CONTROL 3	50	32	0110010	2	83	53	1010011	S	115	73	1110011	s
20	14	0010100	DC4	DEVICE CONTROL 4	51	33	0110011	3	84	54	1010100	T	116	74	1110100	t
21	15	0010101	NAK	NEGATIVE ACKNOWLEDGE	52	34	0110100	4	85	55	1010101	U	117	75	1110101	u
22	16	0010110	SYN	SYNCHRONOUS IDLE	53	35	0110101	5	86	56	1010110	V	118	76	1110110	v
23	17	0010111	ETB	END OF TRANS, BLOCK	54	36	0110110	6	87	57	1010111	W	119	77	1110111	w
24	18	0011000	CAN	CANCEL	55	37	0110111	7	88	58	1011000	X	120	78	1111000	x
25	19	0011001	EM	END OF MEDIUM	56	38	0111000	8	89	59	1011001	Y	121	79	1111001	y
26	1A	0011010	SUB	SUBSTITUTE	57	39	0111001	9	90	5A	1011010	Z	122	7A	1111010	z
27	1B	0011011	ESC	ESCAPE	58	3A	0111010	:	91	5B	1011011	[123	7B	1111011	{
28	1C	0011100	FS	FILE SEPARATOR	59	3B	0111011	;	92	5C	1011100	\	124	7C	1111100	
29	1D	0011101	GS	GROUP SEPARATOR	60	3C	0111100	<	93	5D	1011101]	125	7D	1111101	}
30	1E	0011110	RS	RECORD SEPARATOR	61	3D	0111101	=	94	5E	1011110	^	126	7E	1111110	~
31	1F	0011111	US	UNIT SEPARATOR	62	3E	0111110	>	95	5F	1011111	_	127	7F	1111111	DEL

8	4	2	1
1	0	0	1

American Standard Code for Information Interchange (ASCII)

Decimal	Hex	Binary	Character		Decimal	Hex	Binary	Character	Decimal	Hex	Binary	Character	Decimal	Hex	Binary	Character
0	00	0000000	NULL	NULL CHARACTER	32	20	0100000	SPACE	64	40	1000000	@	96	60	1100000	`
1	01	0000001	SOH	START OF HEADING	33	21	0100001	!	65	41	1000001	A	97	61	1100001	a
2	02	0000010	STX	START OF TEXT	34	22	0100010	"	66	42	1000010	B	98	62	1100010	b
3	03	0000011	ETX	END OF TEXT	35	23	0100011	#	67	43	1000011	C	99	63	1100011	c
4	04	0000100	EOT	END OF TRANSMISSION	36	24	0100100	\$	68	44	1000100	D	100	64	1100100	d
5	05	0000101	ENQ	ENQUIRY	37	25	0100101	%	69	45	1000101	E	101	65	1100101	e
6	06	0000110	ACK	ACKNOWLEDGE	38	26	0100110	&	70	46	1000110	F	102	66	1100110	f
7	07	0000111	BEL	BELL	39	27	0100111	'	71	47	1000111	G	103	67	1100111	g
8	08	0001000	BS	BACKSPACE	40	28	0101000	(72	48	1001000	H	104	68	1101000	h
9	09	0001001	HT	HORIZONTAL TAB	41	29	0101001)	73	49	1001001	I	105	69	1101001	i
10	0A	0001010	LF	LINE FEED	42	2A	0101010	*	74	4A	1001010	J	106	6A	1101010	j
11	0B	0001011	VT	VERTICAL TAB	43	2B	0101011	+	75	4B	1001011	K	107	6B	1101011	k
12	0C	0001100	FF	FORM FEED	44	2C	0101100	,	76	4C	1001100	L	108	6C	1101100	l
13	0D	0001101	CR	CARRIAGE RETURN	45	2D	0101101	-	77	4D	1001101	M	109	6D	1101101	m
14	0E	0001110	SO	SHIFT OUT	46	2E	0101110	.	78	4E	1001110	N	110	6E	1101110	n
15	0F	0001111	SI	SHIFT IN	47	2F	0101111	/	79	4F	1001111	O	111	6F	1101111	o
16	10	0010000	DLE	DATALINK ESCAPE	48	30	0110000	0	80	50	1010000	P	112	70	1110000	p
17	11	0010001	DC1	DEVICE CONTROL 1	49	31	0110001	1	81	51	1010001	Q	113	71	1110001	q
18	12	0010010	DC2	DEVICE CONTROL 2	50	32	0110010	2	82	52	1010010	R	114	72	1110010	r
19	13	0010011	DC3	DEVICE CONTROL 3	51	33	0110011	3	83	53	1010011	S	115	73	1110011	s
20	14	0010100	DC4	DEVICE CONTROL 4	52	34	0110100	4	84	54	1010100	T	116	74	1110100	t
21	15	0010101	NAK	NEGATIVE ACKNOWLEDGE	53	35	0110101	5	85	55	1010101	U	117	75	1110101	u
22	16	0010110	SYN	SYNCHRONOUS IDLE	54	36	0110110	6	86	56	1010110	V	118	76	1110110	v
23	17	0010111	ETB	END OF TRANS, BLOCK	55	37	0110111	7	87	57	1010111	W	119	77	1110111	w
24	18	0011000	CAN	CANCEL	56	38	0111000	8	88	58	1011000	X	120	78	1111000	x
25	19	0011001	EM	END OF MEDIUM	57	39	0111001	9	89	59	1011001	Y	121	79	1111001	y
26	1A	0011010	SUB	SUBSTITUTE	58	3A	0111010	:	90	5A	1011010	Z	122	7A	1111010	z
27	1B	0011011	ESC	ESCAPE	59	3B	0111011	;	91	5B	1011011	[123	7B	1111011	{
28	1C	0011100	FS	FILE SEPARATOR	60	3C	0111100	<	92	5C	1011100	\	124	7C	1111100	
29	1D	0011101	GS	GROUP SEPARATOR	61	3D	0111101	=	93	5D	1011101]	125	7D	1111101	}
30	1E	0011110	RS	RECORD SEPARATOR	62	3E	0111110	>	94	5E	1011110	^	126	7E	1111110	~
31	1F	0011111	US	UNIT SEPARATOR	63	3F	0111111	?	95	5F	1011111	_	127	7F	1111111	DEL

	0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F
0	NUL	SOH	STX	ETX	EOT	ENQ	ACK	BEL	BS	TAB	LF	VT	FF	CR	SO	SI
1	DLE	DC1	DC2	DC3	DC4	NAK	SYN	ETB	CAN	EM	SUB	ESC	FS	GS	RS	US
2	!	"	#	\$	%	&	'	()	*	+	,	-	.	/	
3	0	1	2	3	4	5	6	7	8	9	:	;	<	=	>	?
4	@	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O
5	P	Q	R	S	T	U	V	W	X	Y	Z	[\]	^	_
6	'	a	b	c	d	e	f	g	h	i	j	k	l	m	n	o
7	p	q	r	s	t	u	v	w	x	y	z	{		}	~	DEL

	0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F
0	NUL	SOH	STX	ETX	EOT	ENQ	ACK	BEL	BS	HT	LF	VT	FF	CR	SO	SI
1	DLE	DC1	DC2	DC3	DC4	NAK	SYN	ETB	CAN	EM	SUB	ESC	FS	GS	RS	US
2	SP	!	"	#	\$	%	&	'	()	*	+	,	-	.	/
3	0	1	2	3	4	5	6	7	8	9	:	;	<	=	>	?
4	@	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O
5	P	Q	R	S	T	U	V	W	X	Y	Z	[\	^	-	
6	'	a	b	c	d	e	f	g	h	i	j	k	l	m	n	o
7	p	q	r	s	t	u	v	w	x	y	z	{		}	~	DEL
8		BPH	NBH		NEL	SSA	ESA	HTS	HTJ	VTS	PLD	PLU	RI	SS2	SS3	
9	DCS	PU1	PU2	STS	CCH	MW	SPA	EPA	SOS		SCI	CSI	ST	OSC	PM	APC
A	nbsp	À	Â	È	Ê	Î	Ï	'	˘	˘	˘	˘	˘	˘	˘	˘
B	˘	Ý	ý	˘	˘	˘	˘	˘	˘	˘	˘	˘	˘	˘	˘	˘
C	â	ê	ô	û	á	é	ó	ú	à	è	ò	ù	ä	ë	ö	ü
D	Å	î	ø	æ	å	í	ø	æ	ää	í	ö	ü	é	í	ß/þ	ö
E	Á	Ã	ä	ð	í	ì	ó	ò	ö	š	š	ú	ÿ	ÿ		
F	þ	þ	.	μ/μ	¶	%	SHY	¼	½	‰	¤	«	■	»	±	

A	nbsp	I	C	E	H	¥	i	§	©	C	L	Ł	ł	+	Á	Â	Ě	
B	°	±	²	³	'	μ	¶	·	·	D	đ	Đ	Đ	€	d'	ň	í	î
C	À	Á	Â	Ã	Ä	Å	Æ	Ç	È	É	Ó	Þ	Ô	Ñ	ń	š	š	ž
D	ð	ñ	ò	ó	ô	õ	ö	ö	×	ø	ú	ù	ü	ü	ÿ	ÿ	ÿ	ÿ
E	à	á	â	ã	ä	å	æ	ç	è	é	ó	þ	ô	ñ	ń	š	š	ž
F	ð	ñ	ò	ó	ô	õ	ö	ö	÷	ø	ú	ù	ü	ü	ÿ	þ	ÿ	ÿ

	0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F	
0	NUL	SOH	STX	ETX	EOT	ENQ	ACK	BEL	BS	HT	LF	VT	FF	CR	SO	SI	
1	DLE	DC1	DC2	DC3	DC4	NAK	SYN	ETB	CAN	EM	SUB	ESC	FS	GS	RS	US	
2	SP	!	"	#	\$	%	&	'	()	*	+	,	-	.	/	
3	0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F	
4	F	G	H	I	J	K	L	M	N	O	U	V	W	X	Y	Z	
5	PF	HT	LF	VT	FF	CR	SO	SI	PF	HT	LF	VT	FF	CR	SO	SI	
6	0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F	
7	PF	HT	LF	VT	FF	CR	SO	SI	PF	HT	LF	VT	FF	CR	SO	SI	
8	0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F	
9	PF	HT	LF	VT	FF	CR	SO	SI	PF	HT	LF	VT	FF	CR	SO	SI	
A	NUL	☺	☻	♥	♦	♣	♠	•	▫	○	♂	♀	♪	♫	☼	~	DEL
B	►	◀	↕	‼	¶	§	—	▬	▬	▬	▬	▬	▬	▬	▬	▬	▬
C	SP	!	"	#	\$	%	&	'	()	*	+	,	-	.	/	
D	0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F	
E	P	Q	R	S	T	U	V	W	X	Y	Z	[\	^	-	˘	
F	ˇ	˘	˘	˘	˘	˘	˘	˘	˘	˘	˘	˘	˘	˘	˘	˘	˘
0	PF	HT	LF	VT	FF	CR	SO	SI	PF	HT	LF	VT	FF	CR	SO	SI	
1	PF	HT	LF	VT	FF	CR	SO	SI	PF	HT	LF	VT	FF	CR	SO	SI	
2	PF	HT	LF	VT	FF	CR	SO	SI	PF	HT	LF	VT	FF	CR	SO	SI	
3	PF	HT	LF	VT	FF	CR	SO	SI	PF	HT	LF	VT	FF	CR	SO	SI	
4	PF	HT	LF	VT	FF	CR	SO	SI	PF	HT	LF	VT	FF	CR	SO	SI	
5	PF	HT	LF	VT	FF	CR	SO	SI	PF	HT	LF	VT	FF	CR	SO	SI	
6	PF	HT	LF	VT	FF	CR	SO	SI	PF	HT	LF	VT	FF	CR	SO	SI	
7	PF	HT	LF	VT	FF	CR	SO	SI	PF	HT	LF	VT	FF	CR	SO	SI	
8	PF	HT	LF	VT	FF	CR	SO	SI	PF	HT	LF	VT	FF	CR	SO	SI	
9	PF	HT	LF	VT	FF	CR	SO	SI	PF	HT	LF	VT	FF	CR	SO	SI	
A	PF	HT	LF	VT	FF	CR	SO	SI	PF	HT	LF	VT	FF	CR	SO	SI	
B	PF	HT	LF	VT	FF	CR	SO	SI	PF	HT	LF	VT	FF	CR	SO	SI	
C	PF	HT	LF	VT	FF	CR	SO	SI	PF	HT	LF	VT	FF	CR	SO	SI	
D	PF	HT	LF	VT	FF	CR	SO	SI	PF	HT	LF	VT	FF	CR	SO	SI	
E	PF	HT	LF	VT	FF	CR	SO	SI	PF	HT	LF	VT	FF	CR	SO	SI	
F	PF	HT	LF	VT	FF	CR	SO	SI	PF	HT	LF	VT	FF	CR	SO	SI	

After www – unicode standard was published in 1991.



The design goals of Unicode

- A unique code point for every possible character

$$2^{16} = 65536$$

The design goals of Unicode

- A unique code point for every possible character
- Backwards compatibility with ASCII
- Space efficient

00000000 00000000 00000000 01000001

The design goals of Unicode

- A unique code point for every possible character
- Backwards compatibility with ASCII
- Space efficient
- Allow for efficient data transmission

00000000 00000000 00000000 01000001

Unicode Transformation Format (UTF-8)

A

0	1	0	0	0	0	0	1
---	---	---	---	---	---	---	---

U+0041

Control Bit

			1024	512	256	128	64
1	1	0	0	1	1	1	0

Ω

			32	16	8	4	2	1
1	0	1	0	1	0	0	0	1

U+03A9

Unicode Transformation Format (UTF-8)

A

0	1	0	0	0	0	0	1
---	---	---	---	---	---	---	---

U+0041

Ω

			1024	512	256	128	64
1	1	0	0	1	1	1	0

			32	16	8	4	2	1
1	0	1	0	1	0	0	0	1

U+03A9

♪

				32768	16384	8192	4096
1	1	1	0	0	0	1	0

			2048	1024	512	256	128	64
1	0	0	1	1	0	0	0	1

			32	16	8	4	2	1
1	0	1	0	1	0	1	0	1

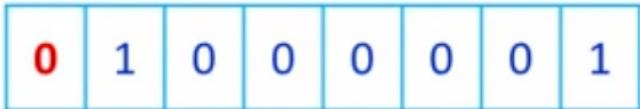
U+266B

For Chinese, Koren + other symbols

Byte 1	Byte 2	Byte 3	Byte 4	Bits available
0XXXXXXX				7
110XXXXX	10XXXXXX			11
1110XXXX	10XXXXXX	10XXXXXX		16
11110XXX	10XXXXXX	10XXXXXX	10XXXXXX	21

Emojis

A



U+0041

A



U+0041

	0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F
U+1F30x	🌀	🗻	☂️	🏙️	🌄	🌅	🌇	🌆	🌉	🌋	🌊	🌋	🌌	🌐	🌍	🌐
U+1F31x	🌐	🌑	🌓	🌔	🌕	🌖	🌗	🌘	🌙	🌓	🌔	🌖	🌘	🌙	🌖	🌗
U+1F32x	⭐️	🌡️		☀️	🌤️	🌦️	🌧️	🌨️	🌩️	🌫️	🌫️	🌫️	🌫️	🌫️	🌫️	🌫️
U+1F33x	🌰	🌱	🌲	🌳	🌴	🌵	🌶️	튤립	🌸	🌹	🌻	🌻	🌽	🌾	🌿	🌿
U+1F34x	🍀	🍂	🌰	🌿	🍄	🍅	🍆	🍇	🍉	🍊	🍋	🍌	🍍	🍎	🍏	🍏
U+1F35x	🍐	🍑	🍒	🍓	🍔	🍕	🍖	🍗	🍙	🍙	🍙	🍙	🍙	🍞	🍟	🍟
U+1F36x	kapsalon	🍢	🍢	🍣	🍣	🍥	🍥	🍦	🍧	🍩	🍪	🍫	🍬	🍭	☕️	☕️
U+1F37x	🍰	🍱	🍜	🍳	🍴	🍲	🍶	🍷	🍸	🍹	🍺	🍺	🍼	🍽️	🍾	🍿
U+1F38x	🎀	🎁	🎂	🎃	🎄	🎅	🎆	🎇	🎈	🎉	🎊	🎊	🎌	🎌	🎌	🎌
U+1F39x	🌬️	🌁	🎒	🎓			⭐️	🎗️		🎗️	🎗️	🎗️		🎟️	🎟️	🎟️
U+1F3Ax	🎠	🎡	🎢	🎣	🎤	🎥	📽️	🎧	🎨	🎩	🎪	🎭	🎬	🎮	🎯	🎯
U+1F3Bx	🎰	🎱	🎲	🎳	🏓	🎵	🎶	🎷	🎸	🎹	🎺	🎻	🎼	🎾	🎿	🎿
U+1F3Cx	🏀	🏁	🏂	🏃	🏄	🏅	🏆	🏇	🏈	🏉	🏊	🏋️	🏑	🏍️	🏎️	🏎️

Byte 1	Byte 2	Byte 3	Byte 4	Bits available
0XXXXXXX				7
110XXXXX	10XXXXXX			11
1110XXXX	10XXXXXX	10XXXXXX		16
11110XXX	10XXXXXX	10XXXXXX	10XXXXXX	21

More than 1 million possible characters

Summary

- ASCII is a 7 bit encoding system for a limited number of characters
- Extended ASCII resulted in lots of incompatible code pages
- Unicode allows every character in every written language to be encoded
- Unicode is backwards compatible with ASCII
- Unicode is space efficient
- Unicode Transformation Format (UTF-8) uses 1, 2, 3 or 4 bytes
- Unicode is universally supported

Representing Negative Integers in Binary

Two's Complement

Convert 01011010 into denary

128	64	32	16	8	4	2	1
0	1	0	1	1	0	1	0

$$64 + 16 + 8 + 2 = 90$$

$$01011010_2 = 90_{10}$$

Convert 11011010 into denary

-128	64	32	16	8	4	2	1
1	1	0	1	1	0	1	0

$$-128 + 64 + 16 + 8 + 2 = -38$$

$$11011010_2 = -38_{10}$$

$$\begin{array}{r} 9 & 0^1 \\ - 3^1 & 8 \\ \hline 5 & 2 \end{array}$$

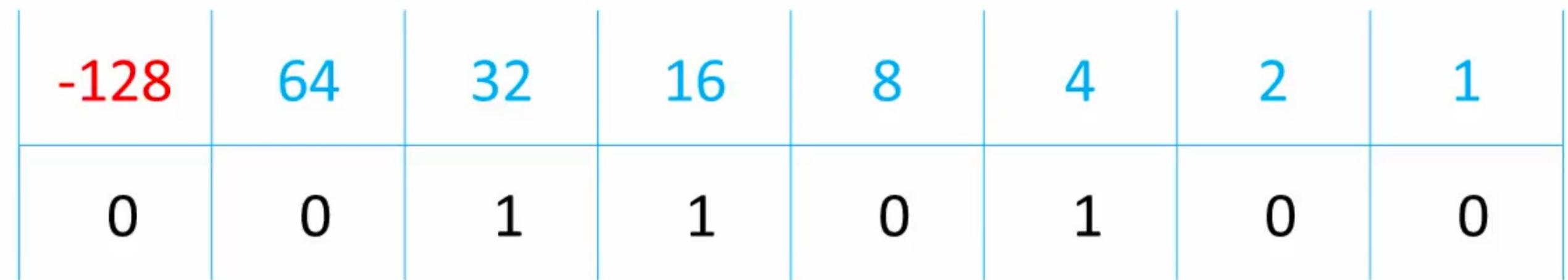
$$\begin{array}{r} 9 & 0 \\ + \textcolor{red}{-}3 & 8 \\ \hline 5 & 2 \end{array}$$

0 1 0 1 1 1 0 1 0 0 90

1 + 1 1 0 1 1 0 1 0 -38

0 0 1 1 0 1 0 0 0

Convert 00110100 into denary

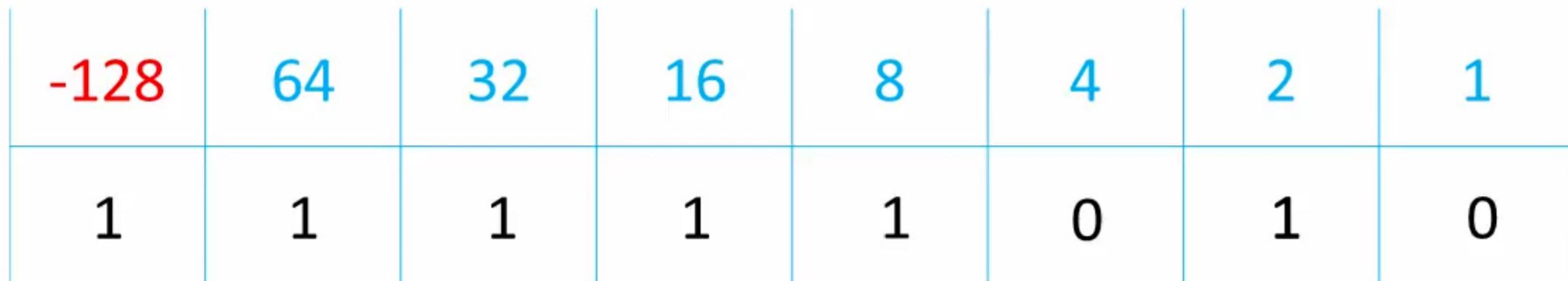


$$32 + 16 + 4 = 52$$

$$00110100_2 = 52_{10}$$



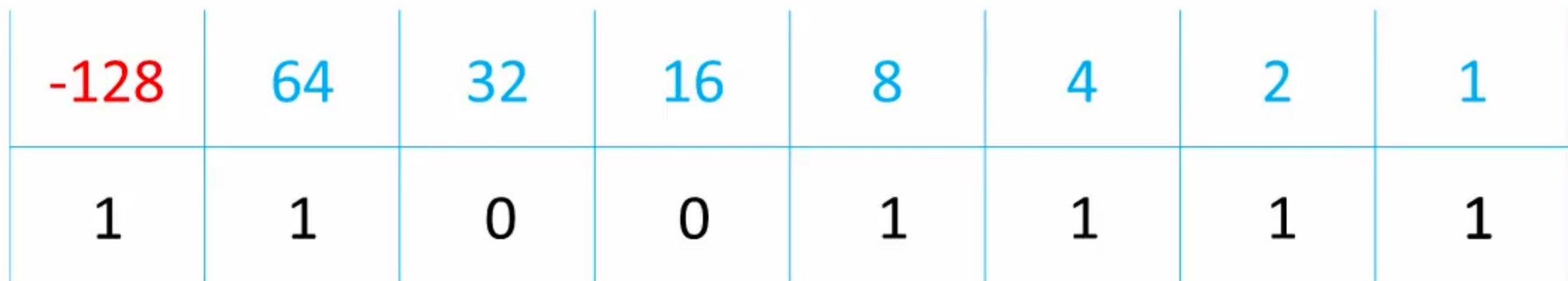
Convert -6 into 8 bit binary



$$-128 + 64 + 32 + 16 + 8 + 2 = -6$$

$$-6_{10} = 11111010_2$$

Convert -49 into 8 bit binary



$$-128 + 64 + 8 + 4 + 2 + 1 = -49$$

$$-49_{10} = 11001111_2$$

-128

64

32

16

8

4

2

1

1

1

1

1

1

1

1

1

$$-128 + 64 + 32 + 16 + 8 + 4 + 2 + 1 = -1$$

$$11111111_2 = -1_{10}$$

-128

64

32

16

8

4

2

1

0

1

1

1

1

1

1

1

$$64 + 32 + 16 + 8 + 4 + 2 + 1 = 127$$

$$01111111_2 = 127_{10}$$

-128

64

32

16

8

4

2

1

1

0

0

0

0

0

0

0

-128

$$10000000_2 = -128_{10}$$

0	00000000	32	00100000	64	01000000	96	01100000	128	10000000	160	10100000	192	11000000	224	11100000
1	00000001	33	00100001	65	01000001	97	01100001	129	10000001	161	10100001	193	11000001	225	11100001
2	00000010	34	00100010	66	01000010	98	01100010	130	10000010	162	10100010	194	11000010	226	11100010
3	00000011	35	00100011	67	01000011	99	01100011	131	10000011	163	10100011	195	11000011	227	11100011
4	00000100	36	00100100	68	01000100	100	01100100	132	10000100	164	10100100	196	11000100	228	11100100
5	00000101	37	00100101	69	01000101	101	01100101	133	10000101	165	10100101	197	11000101	229	11100101
6	00000110	38	00100110	70	01000110	102	01100110	134	10000110	166	10100110	198	11000110	230	11100110
7	00000111	39	00100111	71	01000111	103	01100111	135	10000111	167	10100111	199	11000111	231	11100111
8	00001000	40	00101000	72	01001000	104	01101000	136	10001000	168	10101000	200	11001000	232	11101000
9	00001001	41	00101001	73	01001001	105	01101001	137	10001001	169	10101001	201	11001001	233	11101001
10	00001010	42	00101010	74	01001010	106	01101010	138	10001010	170	10101010	202	11001010	234	11101010
11	00001011	43	00101011	75	01001011	107	01101011	139	10001011	171	10101011	203	11001011	235	11101011
12	00001100	44	00101100	76	01001100	108	01101100	140	10001100	172	10101100	204	11001100	236	11101100
13	00001101	45	00101101	77	01001101	109	01101101	141	10001101	173	10101101	205	11001101	237	11101101
14	00001110	46	00101110	78	01001110	110	01101110	142	10001110	174	10101110	206	11001110	238	11101110
15	00001111	47	00101111	79	01001111	111	01101111	143	10001111	175	10101111	207	11001111	239	11101111
16	00010000	48	00110000	80	01010000	112	01110000	144	10010000	176	10110000	208	11010000	240	11110000
17	00010001	49	00110001	81	01010001	113	01110001	145	10010001	177	10110001	209	11010001	241	11110001
18	00010010	50	00110010	82	01010010	114	01110010	146	10010010	178	10110010	210	11010010	242	11110010
19	00010011	51	00110011	83	01010011	115	01110011	147	10010011	179	10110011	211	11010011	243	11110011
20	00010100	52	00110100	84	01010100	116	01110100	148	10010100	180	10110100	212	11010100	244	11110100
21	00010101	53	00110101	85	01010101	117	01110101	149	10010101	181	10110101	213	11010101	245	11110101
22	00010110	54	00110110	86	01010110	118	01110110	150	10010110	182	10110110	214	11010110	246	11110110
23	00010111	55	00110111	87	01010111	119	01110111	151	10010111	183	10110111	215	11010111	247	11110111
24	00011000	56	00111000	88	01011000	120	01111000	152	10011000	184	10111000	216	11011000	248	11111000
25	00011001	57	00111001	89	01011001	121	01111001	153	10011001	185	10111001	217	11011001	249	11111001
26	00011010	58	00111010	90	01011010	122	01111010	154	10011010	186	10111010	218	11011010	250	11111010
27	00011011	59	00111011	91	01011011	123	01111011	155	10011011	187	10111011	219	11011011	251	11111011
28	00011100	60	00111100	92	01011100	124	01111100	156	10011100	188	10111100	220	11011100	252	11111100
29	00011101	61	00111101	93	01011101	125	01111101	157	10011101	189	10111101	221	11011101	253	11111101
30	00011110	62	00111110	94	01011110	126	01111110	158	10011110	190	10111110	222	11011110	254	11111110
31	00011111	63	00111111	95	01011111	127	01111111	159	10011111	191	10111111	223	11011111	255	11111111

0	00000000	32	00100000	64	01000000	96	01100000	-128	10000000	-96	10100000	-64	11000000	-32	11100000
1	00000001	33	00100001	65	01000001	97	01100001	-127	10000001	-95	10100001	-63	11000001	-31	11100001
2	00000010	34	00100010	66	01000010	98	01100010	-126	10000010	-94	10100010	-62	11000010	-30	11100010
3	00000011	35	00100011	67	01000011	99	01100011	-125	10000011	-93	10100011	-61	11000011	-29	11100011
4	00000100	36	00100100	68	01000100	100	01100100	-124	10000100	-92	10100100	-60	11000100	-28	11100100
5	00000101	37	00100101	69	01000101	101	01100101	-123	10000101	-91	10100101	-59	11000101	-27	11100101
6	00000110	38	00100110	70	01000110	102	01100110	-122	10000110	-90	10100110	-58	11000110	-26	11100110
7	00000111	39	00100111	71	01000111	103	01100111	-121	10000111	-89	10100111	-57	11000111	-25	11100111
8	00001000	40	00101000	72	01001000	104	01101000	-120	10001000	-88	10101000	-56	11001000	-24	11101000
9	00001001	41	00101001	73	01001001	105	01101001	-119	10001001	-87	10101001	-55	11001001	-23	11101001
10	00001010	42	00101010	74	01001010	106	01101010	-118	10001010	-86	10101010	-54	11001010	-22	11101010
11	00001011	43	00101011	75	01001011	107	01101011	-117	10001011	-85	10101011	-53	11001011	-21	11101011
12	00001100	44	00101100	76	01001100	108	01101100	-116	10001100	-84	10101100	-52	11001100	-20	11101100
13	00001101	45	00101101	77	01001101	109	01101101	-115	10001101	-83	10101101	-51	11001101	-19	11101101
14	00001110	46	00101110	78	01001110	110	01101110	-114	10001110	-82	10101110	-50	11001110	-18	11101110
15	00001111	47	00101111	79	01001111	111	01101111	-113	10001111	-81	10101111	-49	11001111	-17	11101111
16	00010000	48	00110000	80	01010000	112	01110000	-112	10010000	-80	10110000	-48	11010000	-16	11110000
17	00010001	49	00110001	81	01010001	113	01110001	-111	10010001	-79	10110001	-47	11010001	-15	11110001
18	00010010	50	00110010	82	01010010	114	01110010	-110	10010010	-78	10110010	-46	11010010	-14	11110010
19	00010011	51	00110011	83	01010011	115	01110011	-109	10010011	-77	10110011	-45	11010011	-13	11110011
20	00010100	52	00110100	84	01010100	116	01110100	-108	10010100	-76	10110100	-44	11010100	-12	11110100
21	00010101	53	00110101	85	01010101	117	01110101	-107	10010101	-75	10110101	-43	11010101	-11	11110101
22	00010110	54	00110110	86	01010110	118	01110110	-106	10010110	-74	10110110	-42	11010110	-10	11110110
23	00010111	55	00110111	87	01010111	119	01110111	-105	10010111	-73	10110111	-41	11010111	-9	11110111
24	00011000	56	00111000	88	01011000	120	01111000	-104	10011000	-72	10111000	-40	11011000	-8	11111000
25	00011001	57	00111001	89	01011001	121	01111001	-103	10011001	-71	10111001	-39	11011001	-7	11111001
26	00011010	58	00111010	90	01011010	122	01111010	-102	10011010	-70	10111010	-38	11011010	-6	11111010
27	00011011	59	00111011	91	01011011	123	01111011	-101	10011011	-69	10111011	-37	11011011	-5	11111011
28	00011100	60	00111100	92	01011100	124	01111100	-100	10011100	-68	10111100	-36	11011100	-4	11111100
29	00011101	61	00111101	93	01011101	125	01111101	-99	10011101	-67	10111101	-35	11011101	-3	11111101
30	00011110	62	00111110	94	01011110	126	01111110	-98	10011110	-66	10111110	-34	11011110	-2	11111110
31	00011111	63	00111111	95	01011111	127	01111111	-97	10011111	-65	10111111	-33	11011111	-1	11111111

Excercise -4

10000101

127

11111001

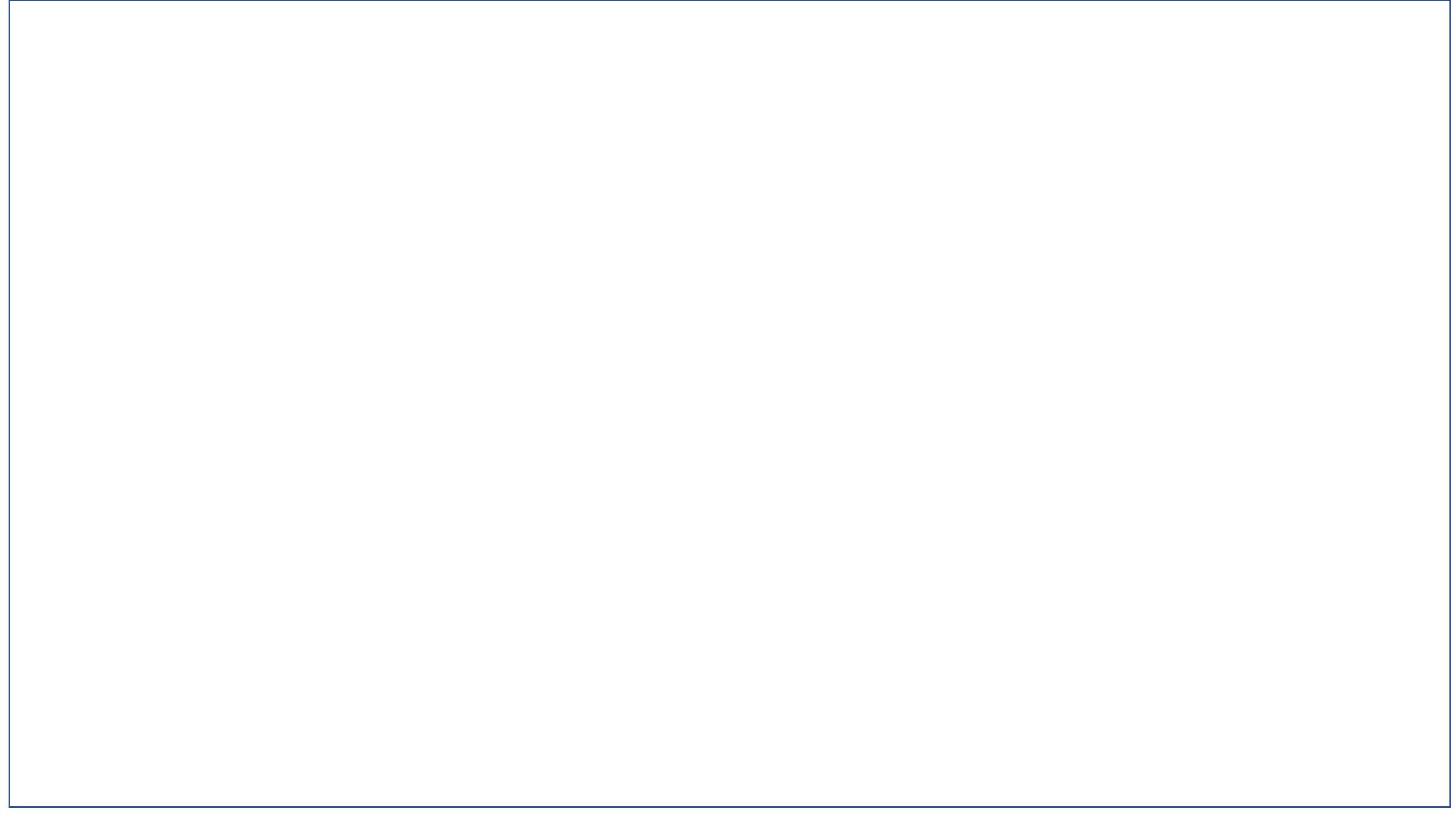
-56

01010110

-86

11101101

-61



Two's Complement

Convert -6 into 8 bit binary

128

64

32

16

8

4

2

1

0

0

0

0

0

1

1

0

1

1

1

1

1

0

0

1

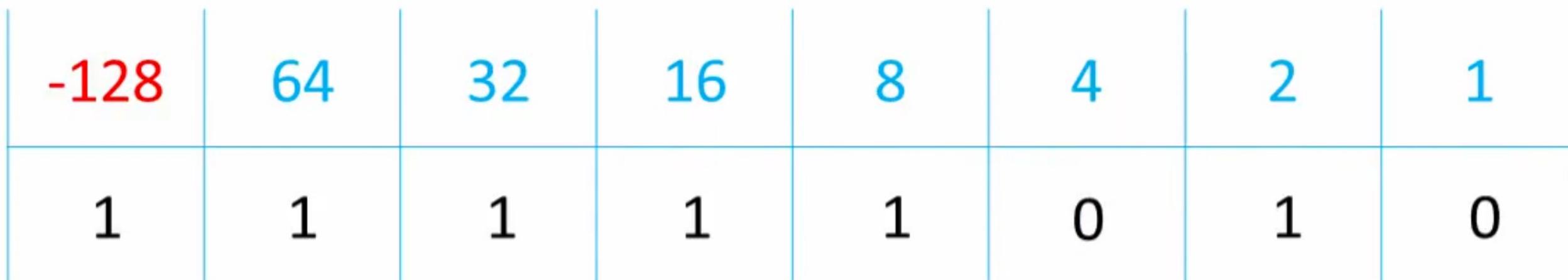
One's Compliment

Convert -6 into 8 bit binary

Add 1 to One's Compliment to get its Two's Compliment

$$\begin{array}{r} 1 & 1 & 1 & 1 & 1 & 0 & 0 & 1 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 1 \\ \hline 1 & 1 & 1 & 1 & 1 & 0 & 1 & 0 \end{array}$$

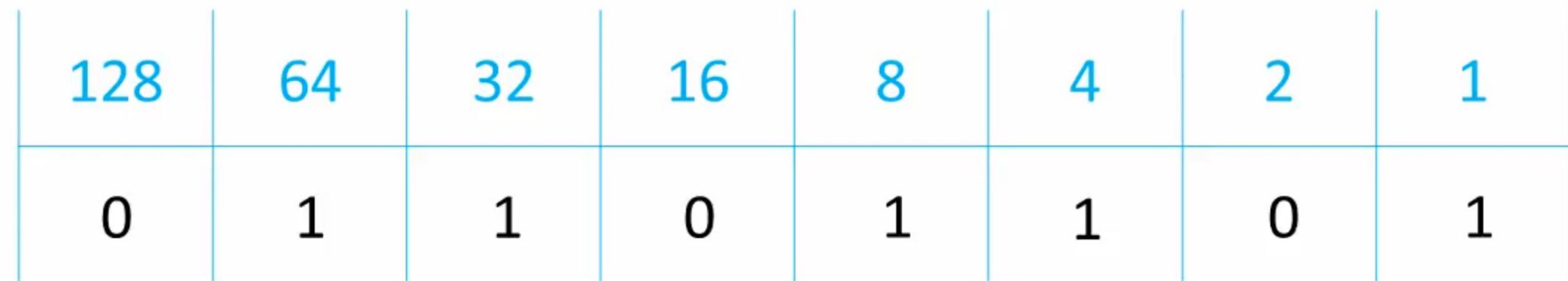
Convert -6 into 8 bit binary



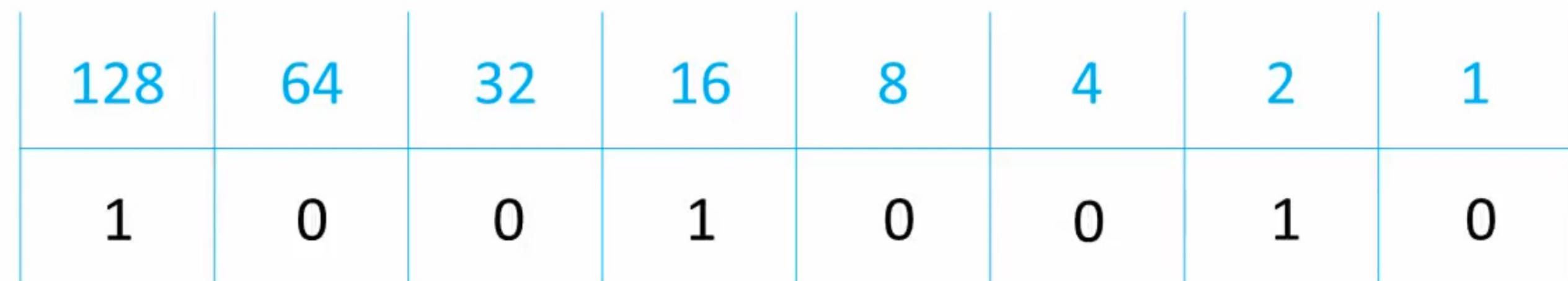
$$-128 + 64 + 32 + 16 + 8 + 2 = -6$$

$$11111010_2 = -6_{10}$$

Convert -109 into 8 bit binary



Convert -109 into 8 bit binary



Convert -109 into 8 bit binary

1	0	0	1	0	0	1	0
---	---	---	---	---	---	---	---

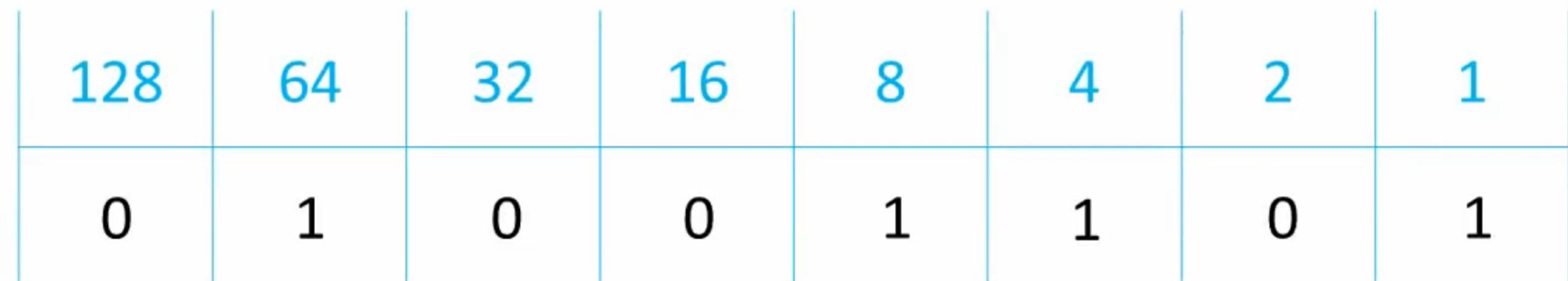
0	0	0	0	0	0	0	1
---	---	---	---	---	---	---	---

1	0	0	1	0	0	1	1
---	---	---	---	---	---	---	---

Convert -109 into 8 bit binary

1 0 0 1 0 0 1 1

Convert -77 into 8 bit binary



Convert -77 into 8 bit binary

128	64	32	16	8	4	2	1
1	0	1	1	0	0	1	0

Convert -77 into 8 bit binary

1	0	1	1	0	0	1	0
---	---	---	---	---	---	---	---

0	0	0	0	0	0	0	1
---	---	---	---	---	---	---	---

1	0	1	1	0	0	1	1
---	---	---	---	---	---	---	---

Convert -77 into 8 bit binary

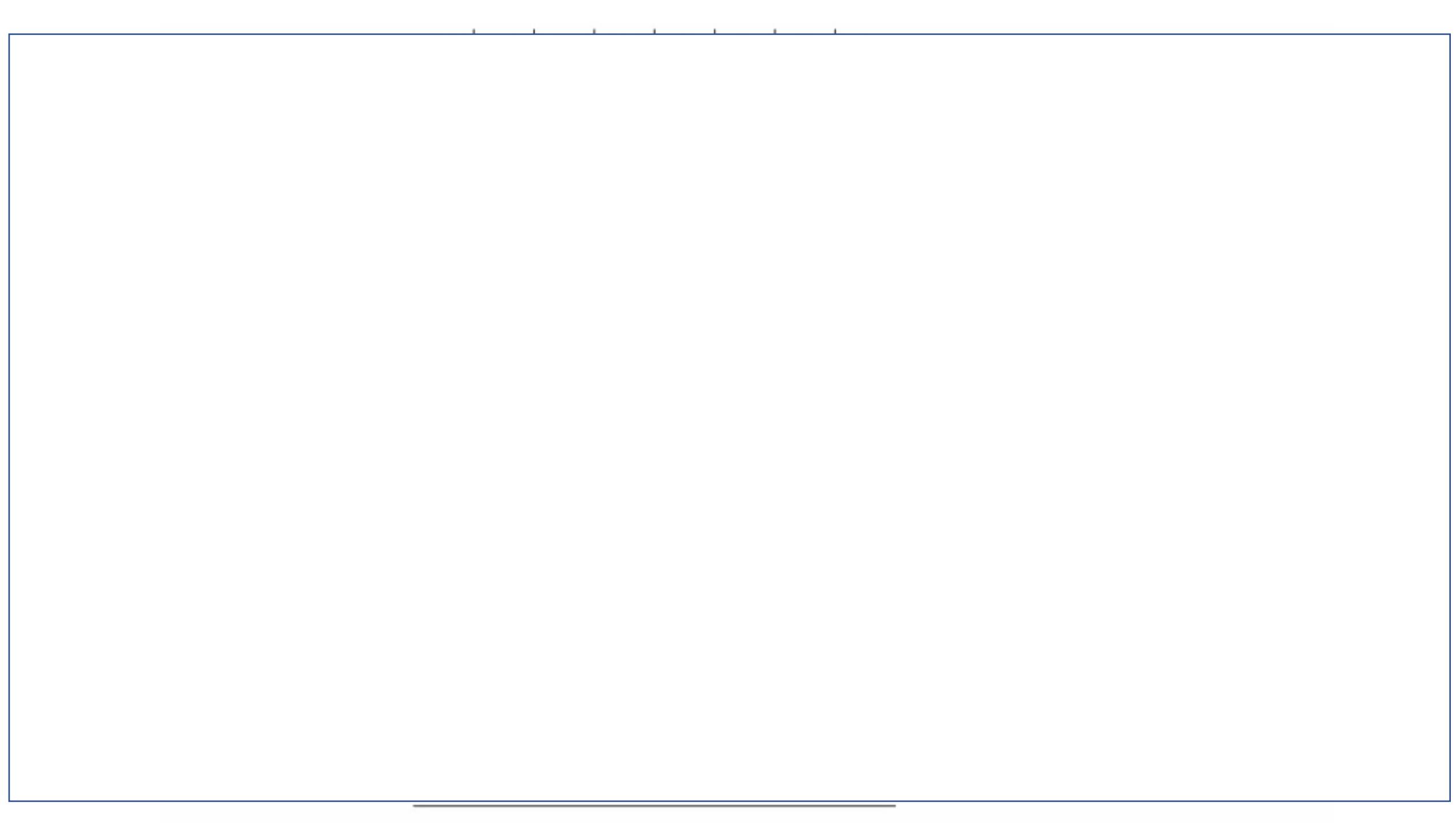
1 0 1 1 0 0 1 1

**Excercise 5: Convert them
using Two's Compliment.**

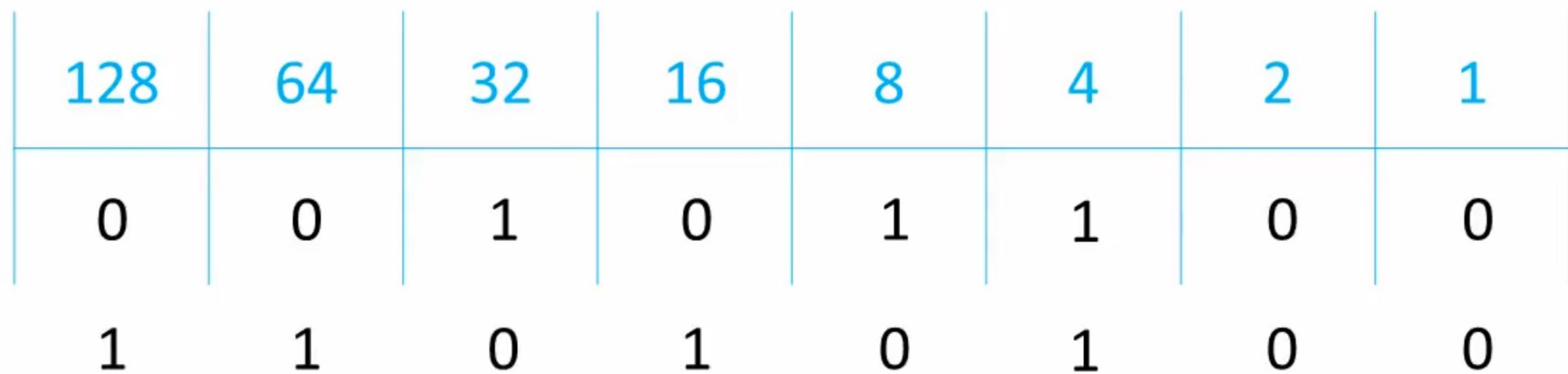
-17

-44

-122



Convert -44 into 8 bit binary



$$-44_{10} = 11010100_2$$

Summary

- Computers use two's complement to represent negative numbers in binary
- Half of the available combinations of bits are used to represent negative numbers
- Three methods to convert negative denary numbers into binary

Decimal to Binary

Conversion steps:

1. Divide the number by 2.
2. Get the integer quotient for the next iteration.
3. Get the remainder for the binary digit.
4. Repeat the steps until the quotient is equal to 0.

Example #1

Convert 13_{10} to binary:

Division by 2	Quotient	Remainder	Bit #
$13/2$	6	1	0
$6/2$	3	0	1
$3/2$	1	1	2
$1/2$	0	1	3

So $13_{10} = 1101_2$

Binary to Decimal

For binary number with n digits:

$$d_{n-1} \dots d_3 d_2 d_1 d_0$$

The decimal number is equal to the sum of binary digits (d_n) times their power of 2 (2^n):

$$\text{decimal} = d_0 \times 2^0 + d_1 \times 2^1 + d_2 \times 2^2 + \dots$$

Example

Find the decimal value of 111001_2 :

binary number:	1	1	1	0	0	1
power of 2:	2^5	2^4	2^3	2^2	2^1	2^0

$$111001_2 = 1 \cdot 2^5 + 1 \cdot 2^4 + 1 \cdot 2^3 + 0 \cdot 2^2 + 0 \cdot 2^1 + 1 \cdot 2^0 = 57_{10}$$

Decimal to Hexadecmial

Conversion steps:

1. Divide the number by 16.
2. Get the integer quotient for the next iteration.
3. Get the remainder for the hex digit.
4. Repeat the steps until the quotient is equal to 0.

Example #1

Convert 7562_{10} to hex:

Division by 16	Quotient (integer)	Remainder (decimal)	Remainder (hex)	Digit #
$7562/16$	472	10	A	0
$472/16$	29	8	8	1
$29/16$	1	13	D	2
$1/16$	0	1	1	3

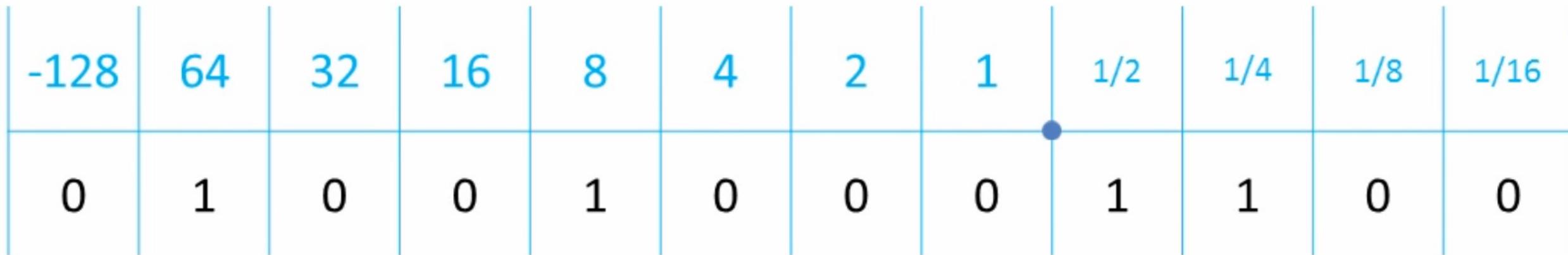
So $7562_{10} = 1D8A_{16}$

Representing Real Numbers in Binary

Fixed Point Binary Fractions

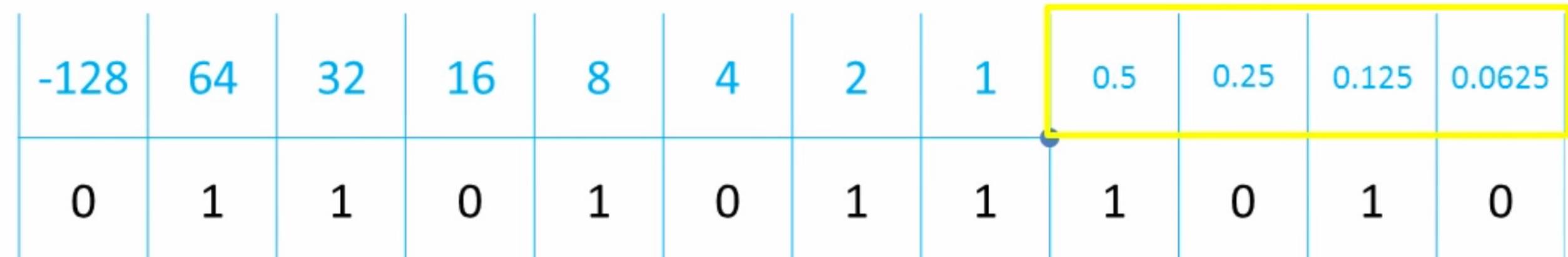
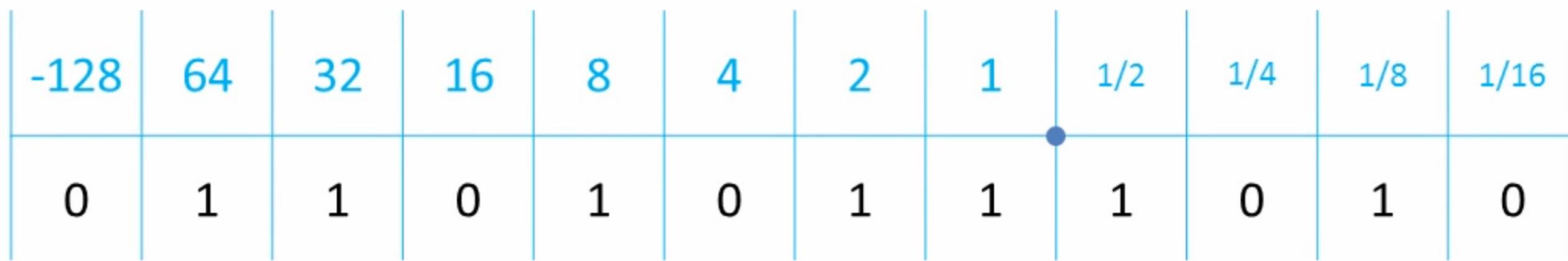
Decimal Point in Denary

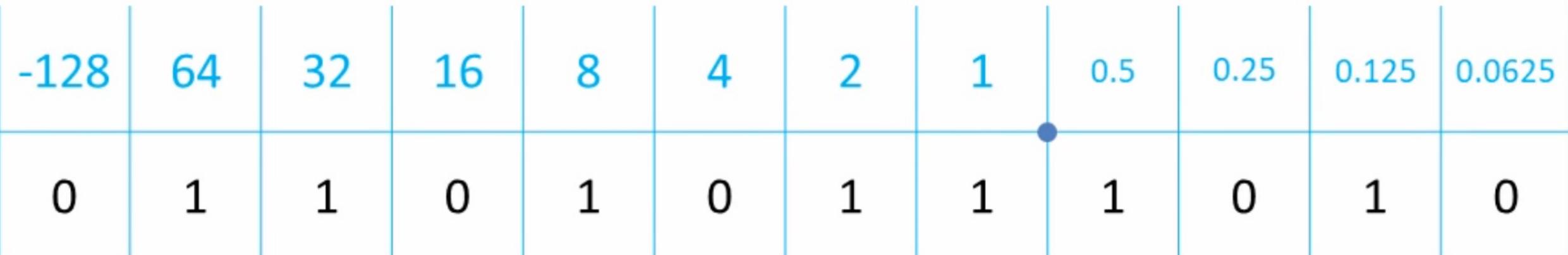
Binary Point in Binary



$$64 + 8 + \frac{1}{2} + \frac{1}{4} = 72\frac{3}{4}$$

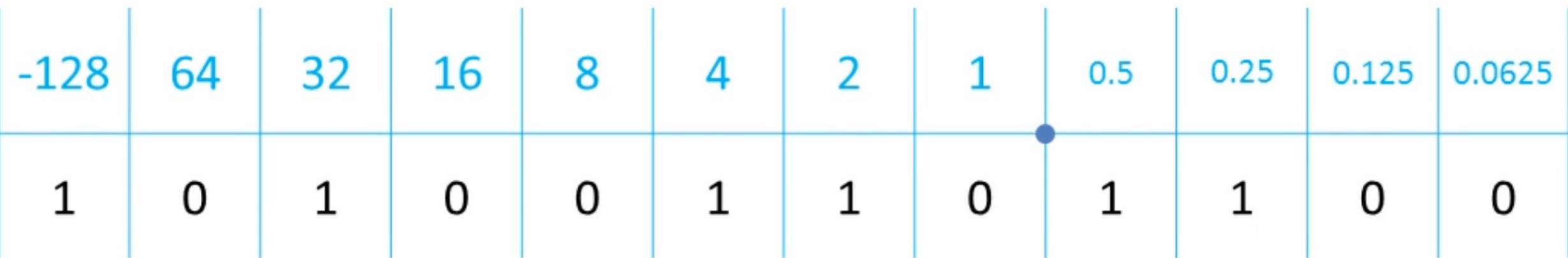
$$010010001100_2 = 72.75_{10}$$





$$64 + 32 + 8 + 2 + 1 + 0.5 + 0.125 = 107.625$$

$$011010111010_2 = 107.625_{10}$$



$$-128 + 32 + 4 + 2 + 0.5 + 0.25 = -89.25$$

$$101001101100_2 = -89.25_{10}$$

Excercise 6

The following binary numbers are stored using two's complement in a 12 bit register with 4 bits after the binary point. Convert them into decimal fractions.

011111111111

111111111111

00000110010

Excercise 7

Using two's complement, convert the following denary numbers into fixed point binary to be stored in a 12 bit register with 4 bits after the binary point.

27.5

-55.75

-1.75



Given a 4 bit register, with 1 bit before and 3 bits after the binary point, using two's complement, calculate:

- The largest positive number that can be represented

-1	0.5	0.25	0.125
0	1	1	1

$$0.5 + 0.25 + 0.125 = 0.875$$

- The smallest positive number that can be represented (not including 0)

-1	0.5	0.25	0.125
0	0	0	1

$$0.125$$

- The smallest magnitude negative number that can be represented (closest to 0)

-1	0.5	0.25	0.125
1	1	1	1

$$-1 + 0.5 + 0.25 + 0.125 = -0.125$$

- The largest magnitude negative number that can be represented

-1	0.5	0.25	0.125
1	0	0	0

$$-1$$

Summary

- Fixed point binary is used in Digital Signal Processing
- Simpler and therefore cheaper processor hardware
- Greatly simplified arithmetic means much faster processing
- Trade off between range and precision
- Some numbers can never be represented accurately

Floating Point Binary

- To represent very large values
- To represent very small values
- To represent values with great accuracy

Standard Scientific Notation

2.99×10^8 m/s

Speed of light

6.02×10^{23} /mol

Avogadro's number

1.60×10^{-19} C

Charge of electron

4.35×10^{17} s

Age of the universe

mantissa

exponent

$$6.02 \times 10^{23}$$

6020000000000000000.

Governs the precision

Governs the range

6.022140857 x 10²³

6022140857000000000000000.

1.60×10^{-19}

0.0000000000000000000160

mantissa

exponent



mantissa

exponent



mantissa

exponent



mantissa

exponent



Floating-Point Binary

IEEE Short Real: 32 bits	1 bit for the sign, 8 bits for the exponent, and 23 bits for the mantissa. Also called <i>single precision</i> .
IEEE Long Real: 64 bits	1 bit for the sign, 11 bits for the exponent, and 52 bits for the mantissa. Also called <i>double precision</i> .

Both formats use essentially the same method for storing floating-point binary numbers, so we will use the Short Real as an example in this tutorial. The bits in an IEEE Short Real are arranged as follows, with the most significant bit (MSB) on the left:

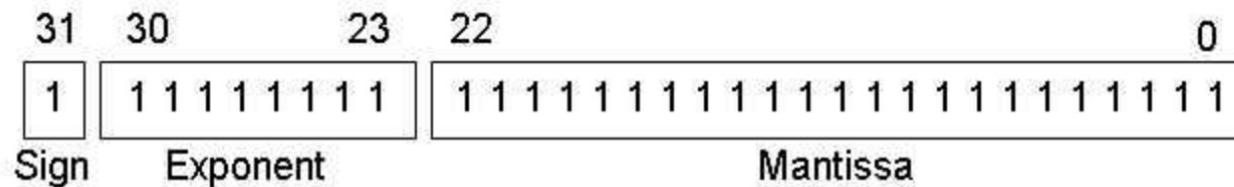
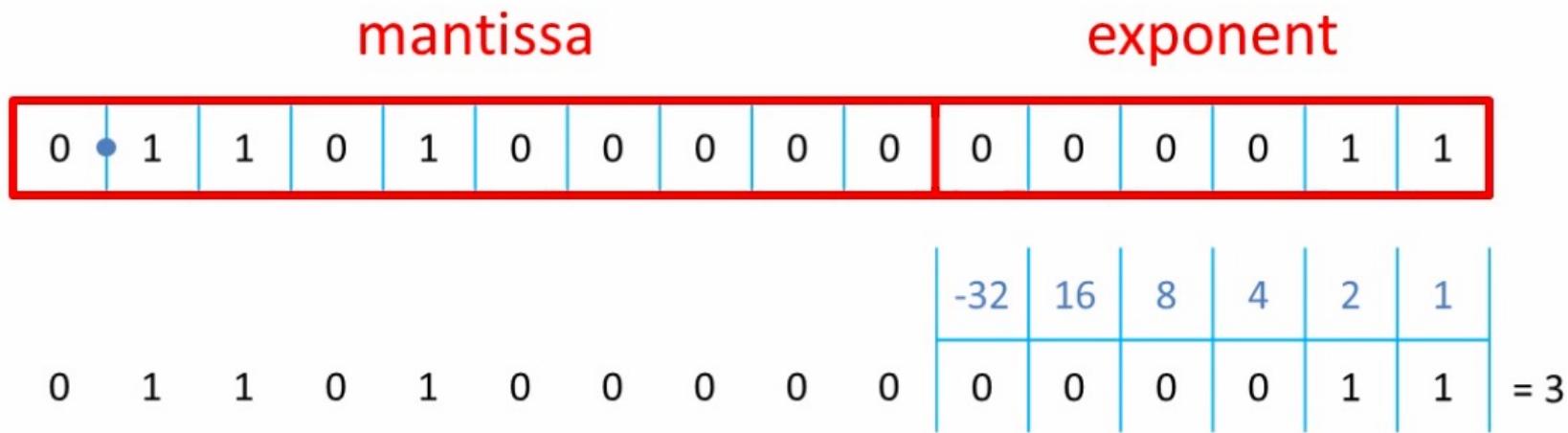


Fig. 1

http://cstl-csm.semo.edu/xzhang/Class%20Folder/CS280/Workbook_HTML/FLOATING_tut.htm

Floating-Point Binary



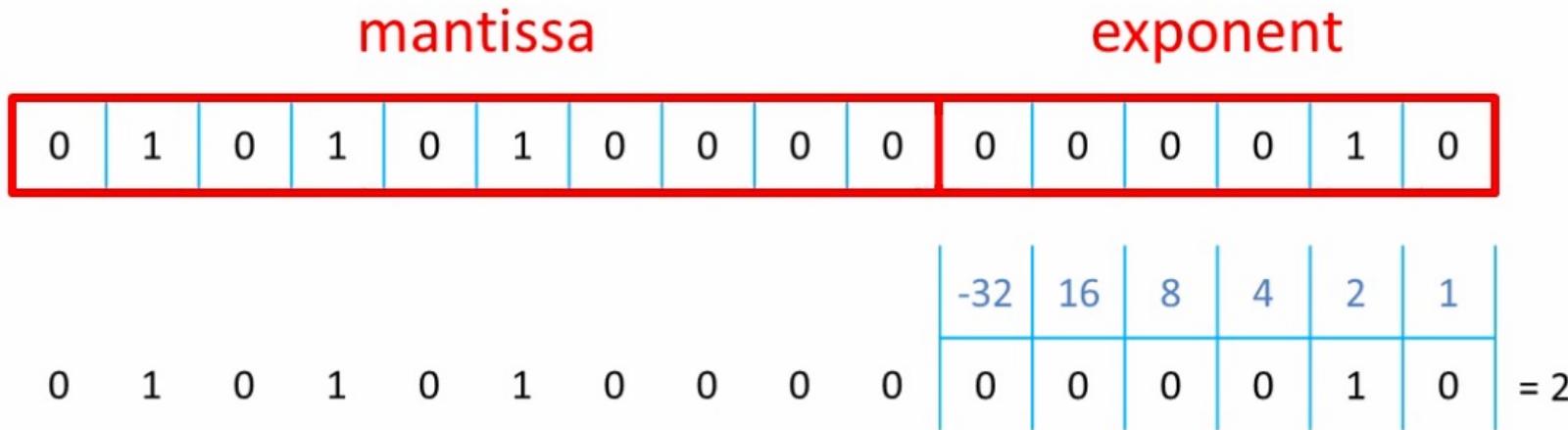
0    1 0 0 0 0 x 2^3

4	2	1	0.5
1	1	0	• 1

$$= 6.5$$

$$011010000000011_2 = 6.5_{10}$$

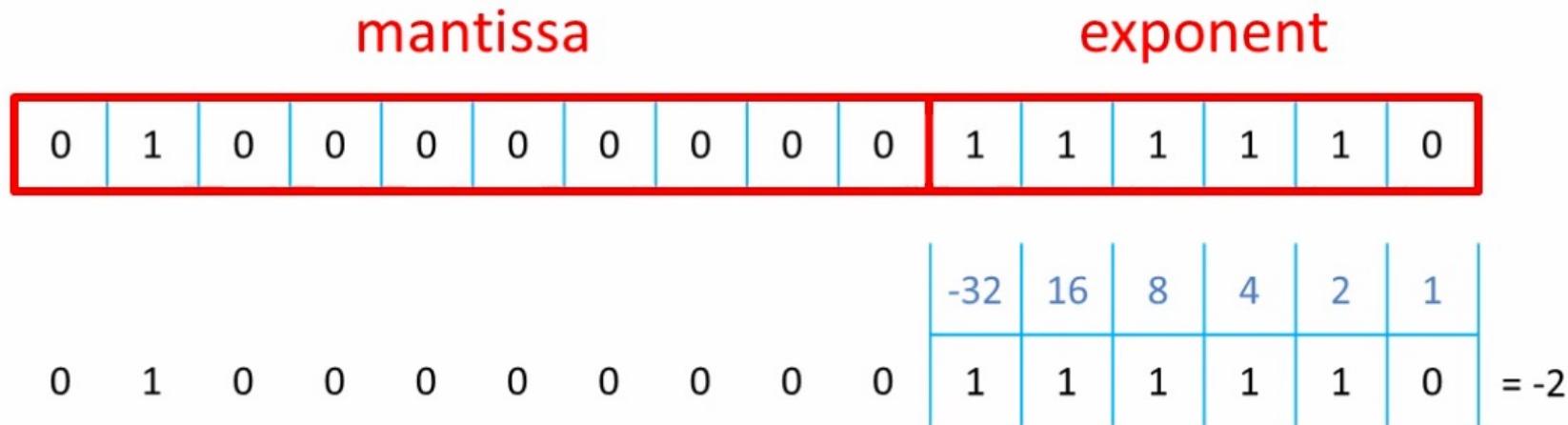
Floating-Point Binary



$$0 \text{ } \swarrow \text{ } 1 \text{ } \curvearrowright \text{ } 0 \text{ } \curvearrowright \text{ } 1 \text{ } \text{ } 0 \text{ } \text{ } 1 \text{ } \text{ } 0 \text{ } \text{ } x \text{ } 2^2$$

$$\begin{array}{|c|c|c|c|c|} \hline
 2 & 1 & 0.5 & 0.25 & 0.125 \\ \hline
 1 & 0 & 1 & 0 & 1 \\ \hline
 \end{array} = 2.625 \quad 010101000000010_2 = 2.625_{10}$$

Floating-Point Binary



0 . 0 0 0 1 0 0 0 0 0 0 0 $\times 2^{-2}$

1	0.5	0.25	0.125
0	0	0	1

$= 0.125$

$$0100000000111110_2 = 0.125_{10}$$

Exercise 8

Convert the following floating point binary numbers into denary. Assume 10 bits for the mantissa and 6 bits for the exponent, both in two's complement

0110110000000100

010100000111111

Exercise 9

Convert the following floating point binary numbers into denary. Assume 4 bits for the mantissa and 4 bits for the exponent, both in two's complement

01110011

01111110

Floating-Point Binary

mantissa										exponent					
1	1	1	0	1	0	0	0	0	0	0	0	0	0	1	1
1	1	1	0	1	0	0	0	0	0	-32	16	8	4	2	1

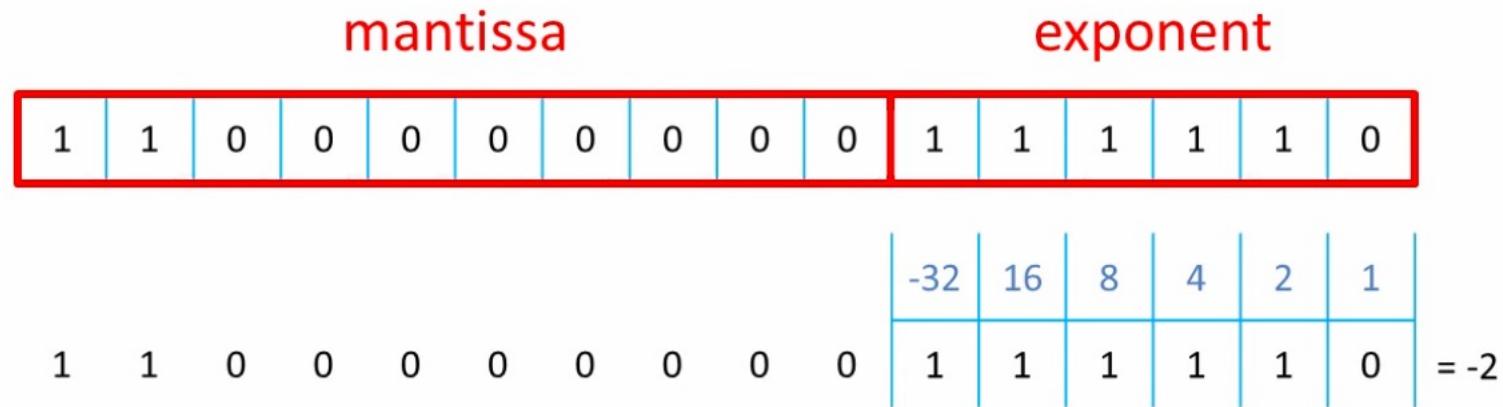
0 0 0 0 1 1 = 3

1 1 1 0 1 0 0 0 0 x 2³

-8	4	2	1	0.5
1	1	1	0	1

= -1.5 111010000000011₂ = -1.5₁₀

Floating-Point Binary



$$0 \cdot 0 \quad 1 \quad 1 \quad 0 \quad x \quad 2^{-2}$$

1	0.5	-0.25	0.125
0	0	1	1

$$1100000000111110_2 = -0.125_{10}$$

Exercise 10

Convert the following floating point binary numbers into denary. Assume 10 bits for the mantissa and 6 bits for the exponent, both in two's complement

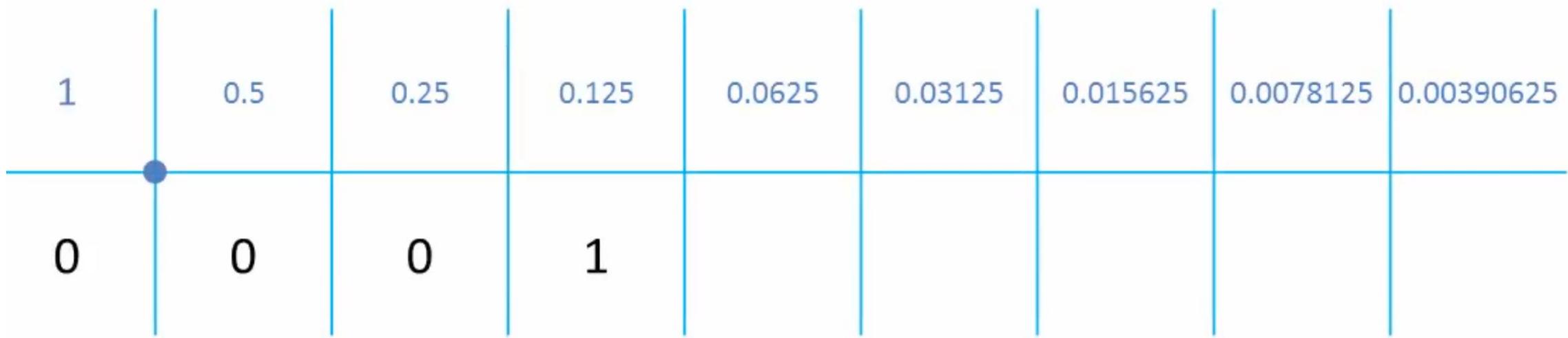
1101000000 111111

100110100000110

Floating Point Binary

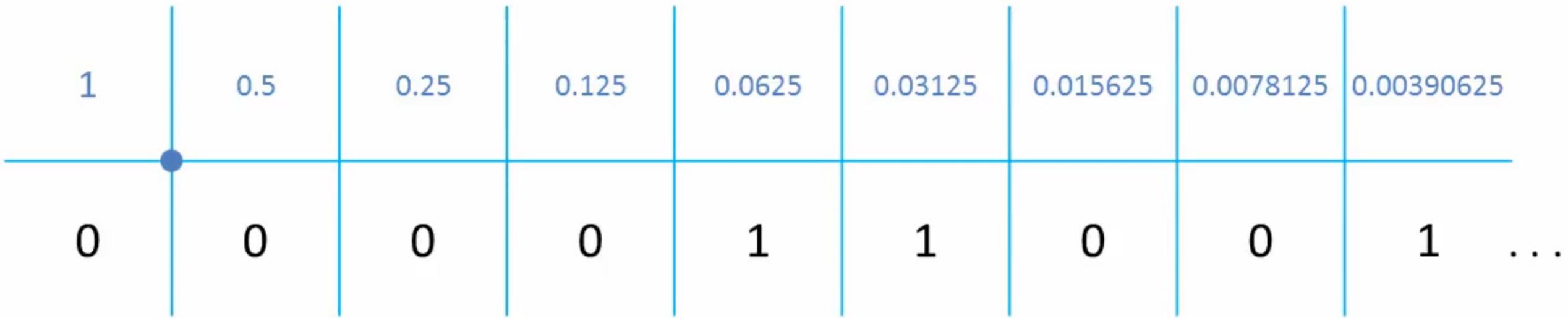
Range versus Precision

$$0.125_{10} = 0.001_2$$



Precision relates to numbers of bits used to represent a binary.
These two values are exactly the same.
With the precision of 4 bits you can represent accurately.

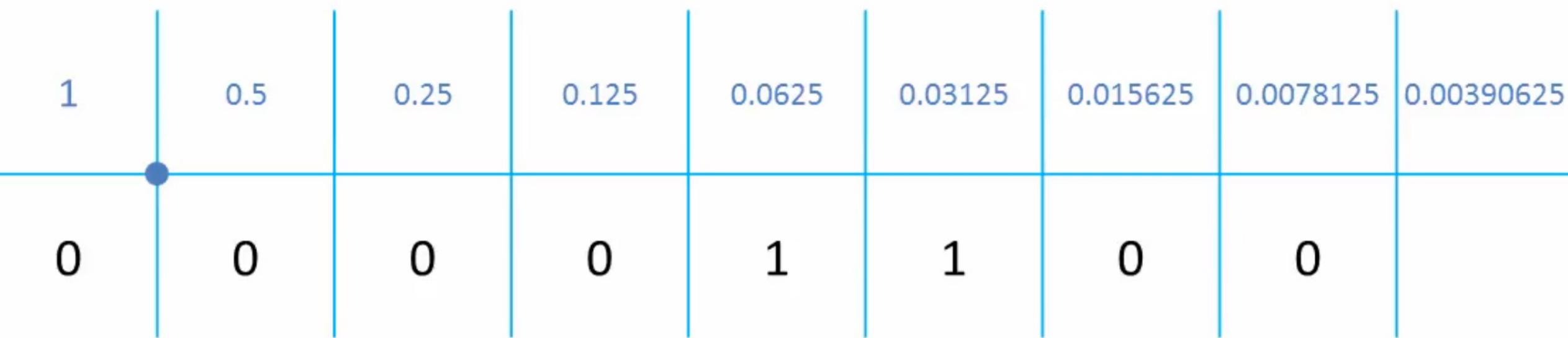
$$0.1_{10} = 0.000110011001100110011..._2$$



1/10 in Decimal cannot be accurately represented in Binary as it is recurring sequence of bits.

Cannot be represented accurately in binary with any number of bits.

$$0.1_{10} = 0.00011_2$$



$$0.00011_2 = 0.0625 + 0.03125 = 0.09375_{10}$$

Only an approximation

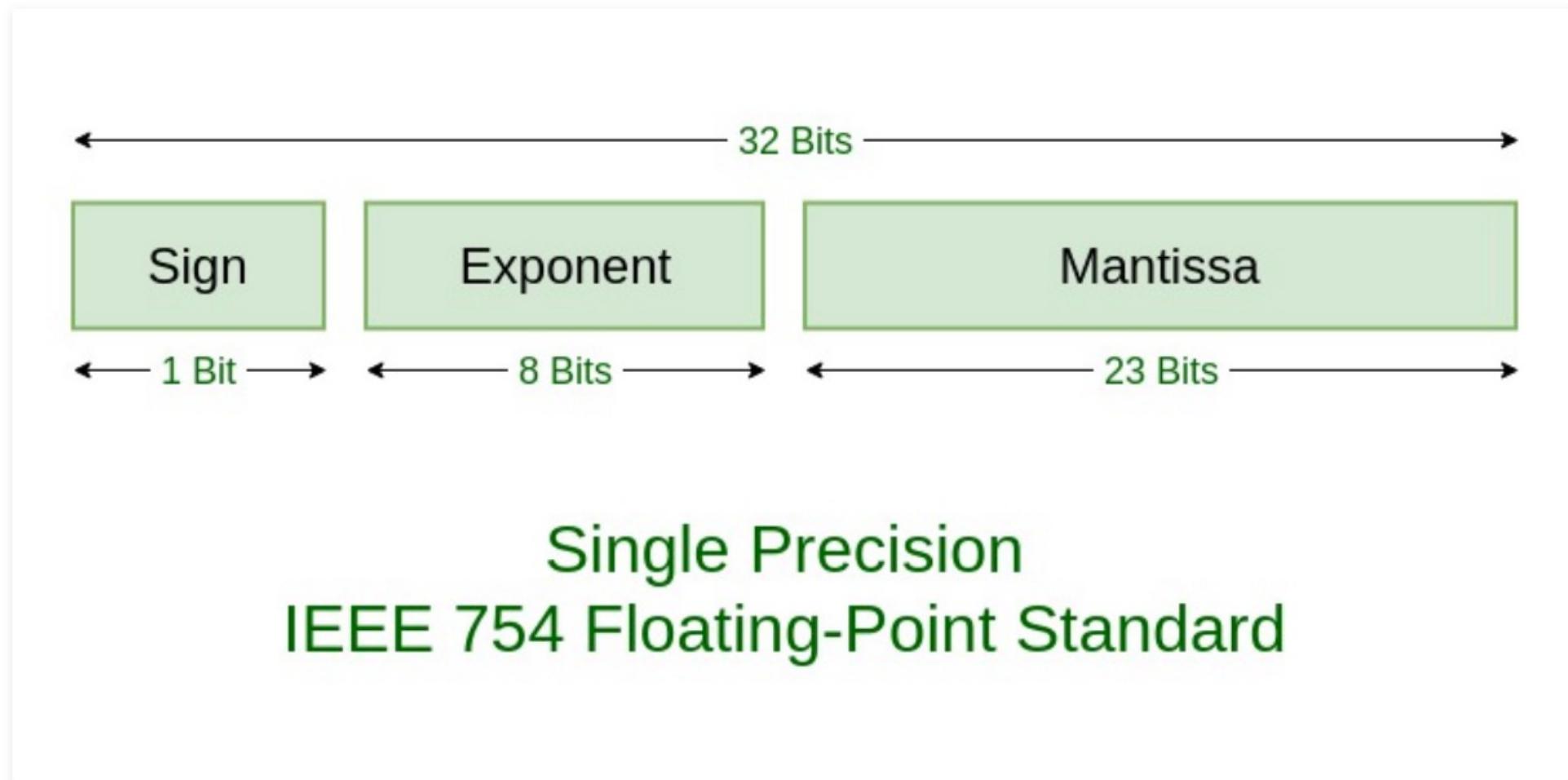
Precision and Accuracy are used interchangeably.

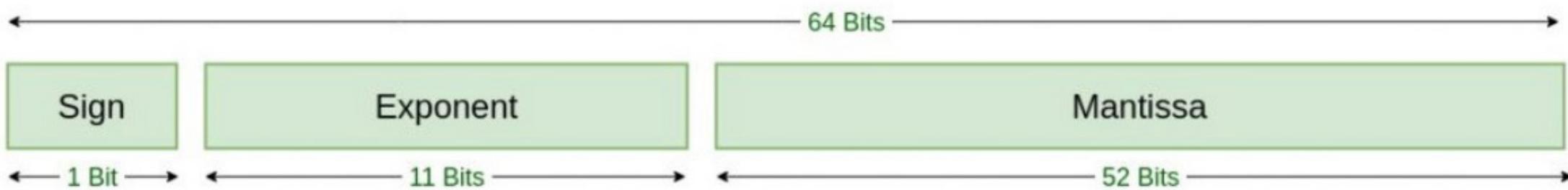
Low precision means less accuracy. However, this is not always true.

For example- 0.5 in Decimal can easily be represented accurately with 2 bits.

In floating point binary precision is governed by the number of bits allocated to the mantissa.

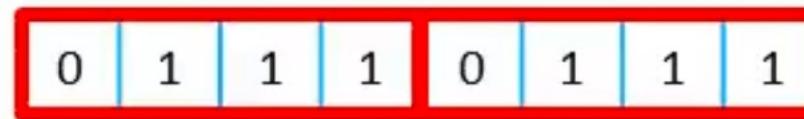
**IEEE 754 numbers are divided into two based on the above three components:
single precision and double precision.**





Double Precision
IEEE 754 Floating-Point Standard

Largest and Smallest Value Possible



112



0.000488281



Can we represent accurately 7.5 in the register?

Largest and Smallest Value Possible

0	1	1	1	1	0	1	1
---	---	---	---	---	---	---	---

7.5

0 1 1 1 1 ● 1

0	0	0	0	1	1	0	0
---	---	---	---	---	---	---	---

0.00390625

0 ● 0 0 0 0 0 1

Summary

- For a given sized register, the number of values that can be represented is limited
- Greater precision comes at the expense of range
- Greater range comes at the expense of precision
- Accuracy often depends on precision, but not always
- There will always be values that can't be represented accurately in binary
- Programmers should understand how floating point binary works

```
using System;

namespace FloatingNumber
{
    class Program
    {
        static void Main(string[] args)
        {
            float a = 12.345F;
            float b = 12;
            float c = a - b;
            Console.WriteLine(c);
        }
    }
}
```

```
using System;

namespace FloatingNumber
{
    class Program
    {
        static void Main(string[] args)
        {
            decimal a = 12.345M;
            decimal b = 12;
            decimal c = a - b;
            Console.WriteLine(c);

        }
    }
}
```

Floating Point Binary

Convert from Denary to Normalised Binary

01110011

= 0.111 0011

= 0.111 $\times 2^3$

= 0  111.

= 0111.0

= 4 + 2 + 1

= 7

01110011₂ = 7₁₀

01111110

= 0.111 1110

= 0.111 $\times 2^{-2}$

= . 111

= 0.00111

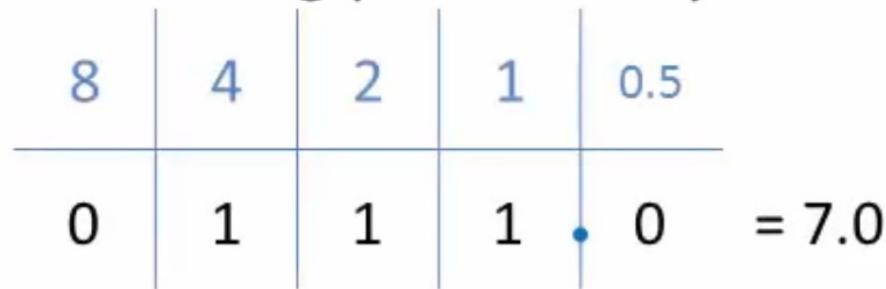
= 0.125 + 0.0625 + 0.03125

= 0.21875

01111110₂ = 0.21875₁₀

Convert positive denary numbers into floating point binary

With 4 bits for the mantissa and 4 bits for the exponent, both in two's complement, convert the value 7 into floating point binary



With 4 bits for the mantissa and 4 bits for the exponent, both in two's complement, convert the value 7 into floating point binary

$$0 \quad 1 \quad 1 \quad 1 \quad \bullet \quad 0 = 7.0$$

$$0 \bullet 1 1 1$$

$$0 \bullet 1 1 1$$

$\times 2^3$			
8	4	2	1
0	0	1	1

$$0 \bullet 1 1 1$$

With 4 bits for the mantissa and 4 bits for the exponent, both in two's complement, convert the value 7 into floating point binary

$$0 \quad 1 \quad 1 \quad 1 \cdot 0 = 7.0$$

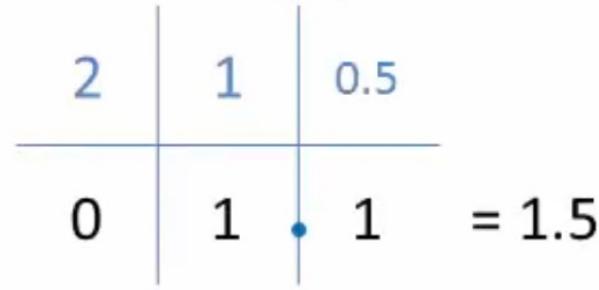
$$0 \cdot 111$$

$$0 \cdot 111 \times 2^3$$

$$0 \cdot 1110011$$

$$7_{10} = 01110011_2$$

With 4 bits for the mantissa and 4 bits for the exponent, both in two's complement, convert the value 1.5 into floating point binary



With 4 bits for the mantissa and 4 bits for the exponent, both in two's complement, convert the value 1.5 into floating point binary

$$0 \quad 1 \cdot 1 = 1.5$$

$$0 \cdot 110$$

$$0 \cdot 110$$

$$0 \cdot 110$$

$\times 2^1$			
8	4	2	1
0	0	0	1

With 4 bits for the mantissa and 4 bits for the exponent, both in two's complement, convert the value 1.5 into floating point binary

$$0 \quad 1 \cdot 1 = 1.5$$

$$0 \cdot 1 \quad 1 \quad 0$$

$$0 \cdot 1 \quad 1 \quad 0 \quad \times 2^1$$

$$0 \cdot 1 \quad 1 \quad 0 \quad 0 \quad 0 \quad 0 \quad 1$$

$$1.5_{10} = 01100001_2$$

With 4 bits for the mantissa and 4 bits for the exponent, both in two's complement, convert the value 0.25 into floating point binary

$$\begin{array}{c|c|c} 1 & 0.5 & 0.25 \\ \hline 0 & 0 & 1 = 0.25 \end{array}$$

With 4 bits for the mantissa and 4 bits for the exponent, both in two's complement, convert the value 0.25 into floating point binary

$$0 \text{ . } 0 \quad 1 = 0.25$$

A diagram showing the binary representation of 0.25. It consists of three columns of digits: a sign column with '0', a fraction column with a blue dot above '0', and a power column with '1'. A blue curved arrow starts from the blue dot above the '0' in the fraction column and points to the '1' in the power column.

$$\begin{matrix} 0 & \text{.} & 0 \\ & \curvearrowright & \end{matrix} \quad 1$$

With 4 bits for the mantissa and 4 bits for the exponent, both in two's complement, convert the value 0.25 into floating point binary

$$0 \text{ . } 0 \text{ } 1 = 0.25$$



0 . 1

With 4 bits for the mantissa and 4 bits for the exponent, both in two's complement, convert the value 0.25 into floating point binary

$$0 \text{ . } 0 \quad 1 = 0.25$$

A binary floating-point representation consisting of a sign bit (0), a 4-bit exponent (0100), and a 4-bit mantissa (0000). A blue dot is placed between the sign bit and the exponent, and another blue dot is placed between the exponent and the mantissa.

0 1 0 0 0 0 0

With 4 bits for the mantissa and 4 bits for the exponent, both in two's complement,
convert the value 0.25 into floating point binary

$$0 \text{ . } 0 \quad 1 = 0.25$$

0 1 0 0

0 1 0 0 $\times 2^{-1}$

With 4 bits for the mantissa and 4 bits for the exponent, both in two's complement,
convert the value 0.25 into floating point binary

$$0 \bullet 0 \quad 1 = 0.25$$

0 1 0 0

0 1 0 0

0 • 1 0 0

$\times 2^{-1}$

- 8	4	2	1
1	1	1	1

With 4 bits for the mantissa and 4 bits for the exponent, both in two's complement, convert the value 0.25 into floating point binary

$$0 \bullet 0 \quad 1 = 0.25$$

0 1 0 0

0 1 0 0 $\times 2^{-1}$

0 • 1 0 0 1 1 1 1

$$0.25_{10} = 01001111_2$$

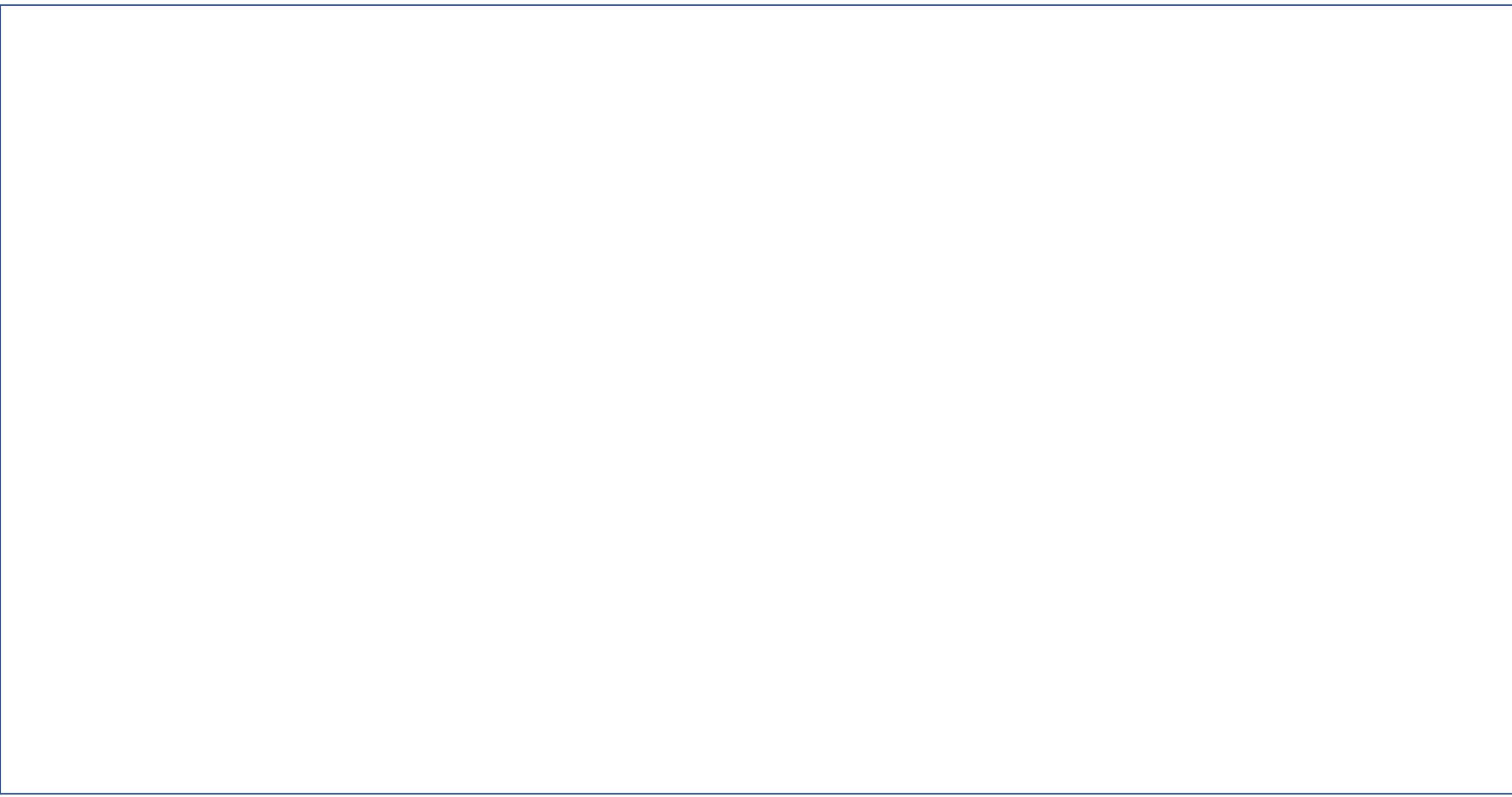
Exercise 11

Convert the following denary numbers into floating point binary. Assume 4 bits for the mantissa and 4 bits for the exponent, both in two's complement

2.5

1.75

0.375

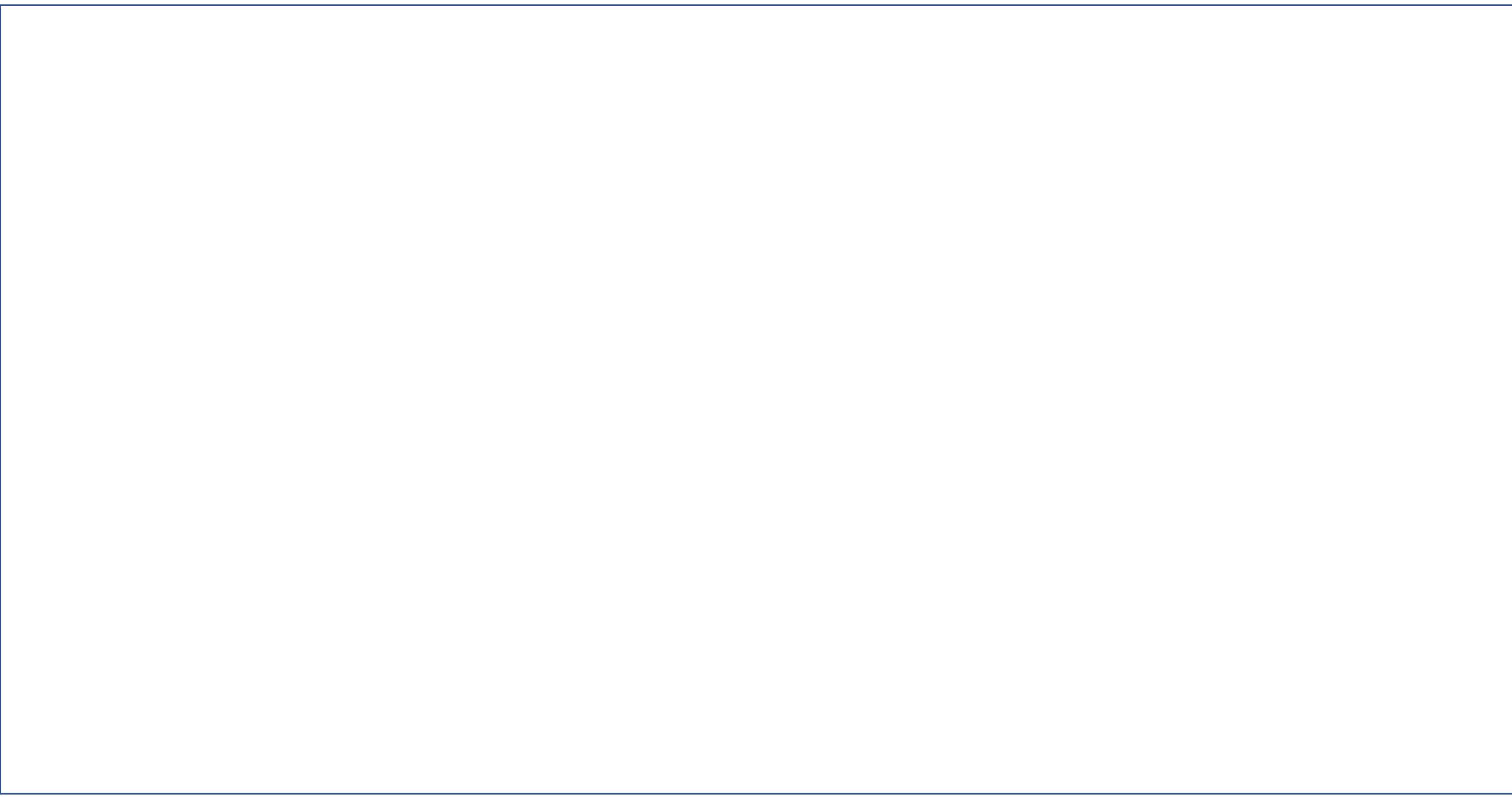


Exercise 12

Convert the following denary numbers into floating point binary. Assume 10 bits for the mantissa and 6 bits for the exponent, both in two's complement

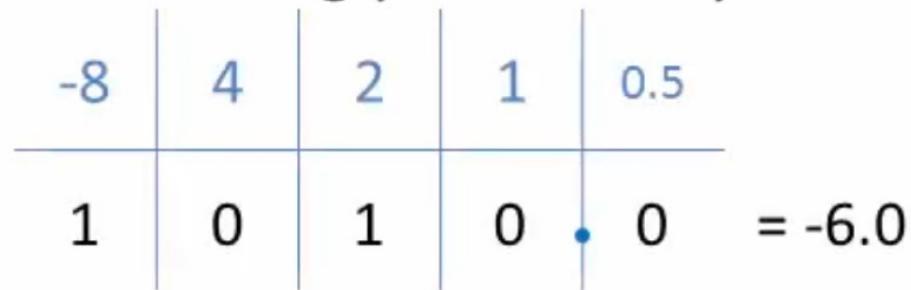
19.25

0.0625



Convert negative denary numbers into floating point binary

With 4 bits for the mantissa and 4 bits for the exponent, both in two's complement, convert the value -6 into floating point binary



With 4 bits for the mantissa and 4 bits for the exponent, both in two's complement, convert the value -6 into floating point binary

$$\begin{array}{cccccc} 1 & 0 & 1 & 0 & \cdot & 0 \end{array} = -6.0$$

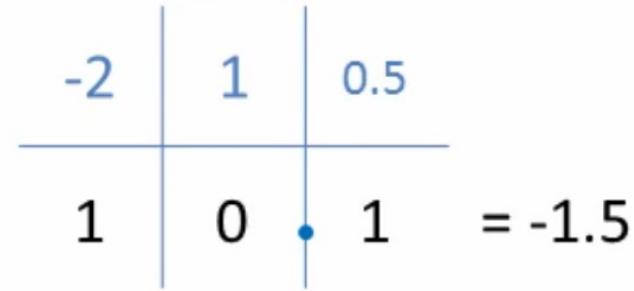




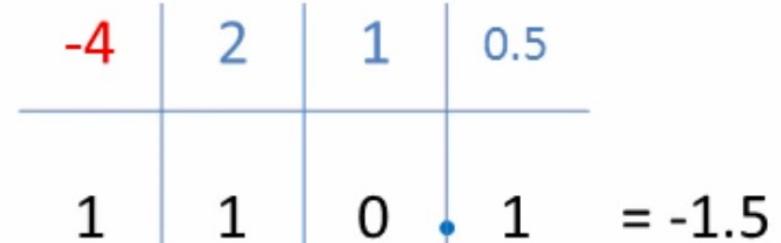
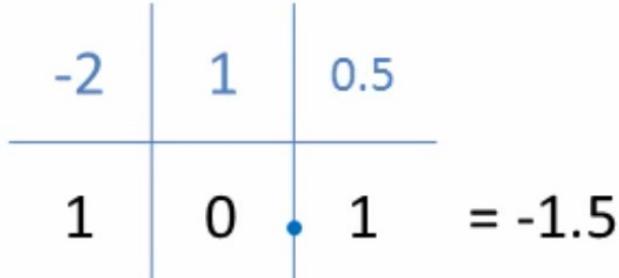


$$-6_{10} = 10100011_2$$

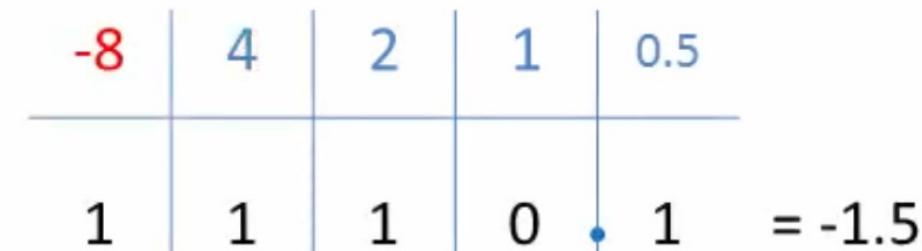
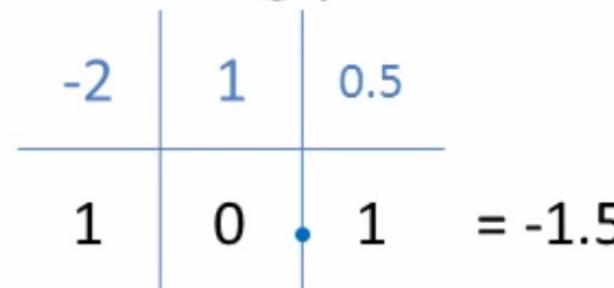
With 4 bits for the mantissa and 4 bits for the exponent, both in two's complement, convert the value -1.5 into floating point binary



With 4 bits for the mantissa and 4 bits for the exponent, both in two's complement, convert the value -1.5 into floating point binary



With 4 bits for the mantissa and 4 bits for the exponent, both in two's complement, convert the value -1.5 into floating point binary



With 4 bits for the mantissa and 4 bits for the exponent, both in two's complement,
convert the value -1.5 into floating point binary

$$1 \quad 0 \cdot 1 = -1.5$$

1 ⚫ 0 1 0

1 ⚫ 0 1 0 $\times 2^1$

1 ⚫ 0 1 0 0 0 0 1

$$-1.5_{10} = 10100001_2$$

Exercise 13

Convert the following denary numbers into floating point binary. Assume 4 bits for the mantissa and 4 bits for the exponent, both in two's complement

-4

-0.25

-1.75

Exercise 14

Convert the following denary numbers into floating point binary. Assume 10 bits for the mantissa and 6 bits for the exponent, both in two's complement

-12.75

-0.125

Normalisation

4 bit Mantissa + 4 bit Exponent

01001111	00010001	00100000
= 0.100 1111	= 0.001 0001	= 0.010 0000
= 0.100 $\times 2^{-1}$	= 0.001 $\times 2^1$	= 0.010 $\times 2^0$
= .0 100	= 0 0.01	= 0.010
= 0.0100	= 00.01	= 0.010
= 0.25	= 0.25	= 0.25

Speed of Light in Vacuum (m/s)

2.99×10^8

299000000

29.9×10^7

$299. \times 10^6$

29.9×10^7

2.99×10^8

0.29×10^9

0.02×10^{10}

$299. \times 10^6$

29.9×10^7

Normalized form – best
balance between
precision and range

2.99×10^8

0.29×10^9

0.02×10^{10}

01001111

$$= 0.100\ 1111$$

$$= 0.100 \times 2^{-1}$$

$$=.0\ 100$$

$$= 0.0100$$

$$= 0.25$$

00010001

$$= 0.001\ 0001$$

$$= 0.001 \times 2^1$$

$$= 0.001$$

$$= 00.01$$

$$= 0.25$$

00100000

$$= 0.010\ 0000$$

$$= 0.010 \times 2^0$$

$$= 0.010$$

$$= 0.010$$

$$= 0.25$$

Normalized form – sign bit 0 is followed immediately by 1

Objectives of normalisation

- Maximise precision
- Unambiguous representation
- Simplify arithmetic

- For POSITIVE numbers, the normalised form starts with a 0 followed immediately by a 1
- For NEGATIVE numbers, the normalised form starts with a 1 followed immediately by a 0

The floating point binary number 00010001 is stored using 4 bits for the mantissa and 4 bits for the exponent, both in two's complement. Normalise it.

0 0 0 1 0 0 0 1

= 0 . 0 0 1 0 0 0 1

= 0 . 0 0 1 x 2¹

= 0  0 0 . 1

= 0 . 1 0 0

= 0 . 1 0 0 x 2^{1 - 2} = -1

= 0 1 0 0 1 1 1 1

The floating point binary number 00111111 is stored using 4 bits for the mantissa and 4 bits for the exponent, both in two's complement. Normalise it.

0 0 1 1 1 1 1 1

= 0 . 0 1 1 1 1 1 1

= 0 . 0 1 1 x 2⁻¹

= 0  0 . 1 1

= 0 . 1 1 0

= 0 . 1 1 0 x 2^{-1 - 1} = -2

= 0 1 1 0 1 1 1 0

The floating point binary number 11000001 is stored using 4 bits for the mantissa and 4 bits for the exponent, both in two's complement. Normalise it.

11000001

$$= 1.100\ 0001$$

$$= 1.100 \times 2^1$$

$$= 1 \text{ } \overset{\curvearrowleft}{1.00}$$

$$= 1.000$$

$$= 1.000 \times 2^{1-1} = 0$$

$$= 10000000$$

The floating point binary number 11101011 is stored using 5 bits for the mantissa and 3 bits for the exponent, both in two's complement. Normalise it.

11101011

= 1.1101 011

= 1.1101 $\times 2^3$

= 1  11.0 1

= 1.0100

= 1.0100 $\times 2^{3-2} = 1$

= 10100001

Exercise 15

The following floating point binary numbers are stored using 5 bits for the mantissa and 3 bits for the exponent, Normalise them.

11011001

0001111

Exercise 16

The following floating point binary numbers are stored using 10 bits for the mantissa and 6 bits for the exponent, Normalise them.

0000000110000111

111110100001011

Summary

- Normalisation maximises precision
- Normalisation allows for an unambiguous representation
- For positive numbers, the normalised form starts with 01
- For negative numbers, the normalised form starts with 10

Primitive Types and Expressions

1. Variables
2. Constants
3. Scope
4. Overflow
5. Operators

```
int number;  
  
int Number = 1;  
  
const float Pi = 3.14f;
```

Variables – A name given to storage location in the memory

Constants – An immutable value

Data Type and Identifier is required to declare a variable followed by a semicolon. For constants. Its compulsory to assign a value to it.

Identifiers

1. Cannot starts with a number
 1. 1route – illegal
 2. oneroute – legal
2. No Whitespaces
 1. First Name – illegal
 2. firstName - legal
3. Cannot be a keyword
 1. int – illegal
 2. @int - legal
4. Always use meaningful names

Code need to be

1. Readable
2. Maintainable
3. Cleaner

Naming Conventions – C Language Family

Camel Case – firstName

Pascal Case – FirstName

Hungarian Notation – strFirstName (Came from C/C++ background. However, not liked by C# developers.

- For local variables: Camel Case

```
int number;
```

- For constants: Pascal Case

```
const int MaxZoom = 5;
```

Primitive Data Types

	C# Type	.NET Type	Bytes	Range
Integral Numbers	byte	Byte	1	0 to 255
	short	Int16	2	-32,768 to 32,767
	int	Int32	4	-2.1B to 2.1B
	long	Int64	8	...
Real Numbers	float	Single	4	-3.4×10^{38} to 3.4×10^{38}
	double	Double	8	...
	decimal	Decimal	16	-7.9×10^{28} to 7.9×10^{28}
Character	char	Char	2	Unicode Characters
Boolean	bool	Boolean	1	True / False

Real Numbers

Real Numbers	C# Type	.NET Type	Bytes	Range
	float	Single	4	-3.4×10^{38} to 3.4×10^{38}
	double	Double	8	...
	decimal	Decimal	16	-7.9×10^{28} to 7.9×10^{28}

```
float number = 1.2f;
```

```
decimal number = 1.2m;
```

Non-Primitive Data Types

1. Strings
2. Arrays
3. Enum
4. Class

Overflowing

```
byte number = 255;  
  
number = number + 1; // 0
```

Ariane 5 Explosion | A Very Costly Coding Error

<https://www.youtube.com/watch?v=5tJPXYA0Nec>

```
checked  
{  
    byte number = 255;  
  
    number = number + 1;  
}
```

Scope

Scope – where a variable or constant have a meaning

```
{  
    byte a = 1;  
  
    {  
        byte b = 2;  
  
        {  
            byte c = 3;  
        }  
    }  
}
```

Type Conversions

Implicit Type Conversion

Explicit Type Conversion (Casting)

Conversion between non compatible types

Implicit Type Conversion

```
byte b = 1;          00000001  
int i = b;          00000000 00000000 00000000 00000001
```

Explicit Types Conversion

```
int i = 1;  
  
byte b = i;          // won't compile
```

int i = 1;	float f = 1.0f;
byte b = <u>(byte)</u> i;	int i = (int)f;

Non-Compatible Types

```
string s = "1";  
  
int i = (int)s;      // won't compile
```

Use Convert class defined in System Namespace or
Parse method

```
string s = "1";  
  
int i = Convert.ToInt32(s);  
  
int j = int.Parse(s);
```

Convert Class

- ToByte()
- ToInt16()
- ToInt32()
- ToInt64()

Primitive Types and Expressions

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