

Background Prerequisites

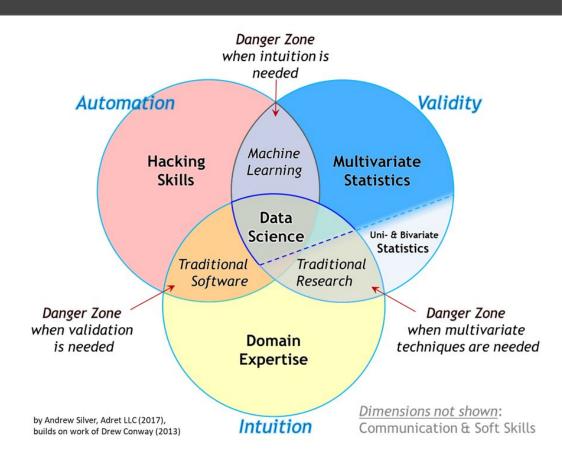
Programming

R / Python

Statistics, Calculus

Machine Learning / Deep Learning

Parallel Computing



Course Plan

- 1. General Introduction to ML and DL, basic principles
- 2. Algorithms and Models
- 3. Convolutional Neural Networks
- 4. Generative Models
- 5. Recurrent Neural Networks
- 6. (brief) Reinforcement Learning
- 7. Afternoon: High Performance Machine Learning

What is Machine Learning?

It is **NOT**:

Mimicking human intelligence

Robotics

Deep Learning

ML is the study of computer algorithms that can improve automatically through experience and by the use of data.^[1] It is seen as a part of artificial intelligence.

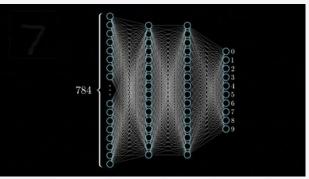
- wikipedia

Artificial Intelligence

Having computers to exert Intelligent behaviour







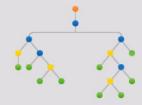
Artificial Intelligence

Having computers to exert Intelligent behaviour



Machine Learning

Perform tasks without Explicitly programmed from data



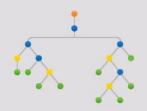
Artificial Intelligence

Having computers to exert Intelligent behaviour



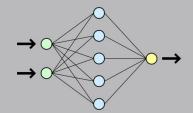
Machine Learning

Perform tasks without Explicitly programmed from data



Deep Learning

Use (deep) neural networks



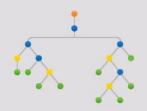
Artificial Intelligence

Having computers to exert Intelligent behaviour



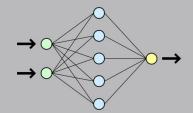
Machine Learning

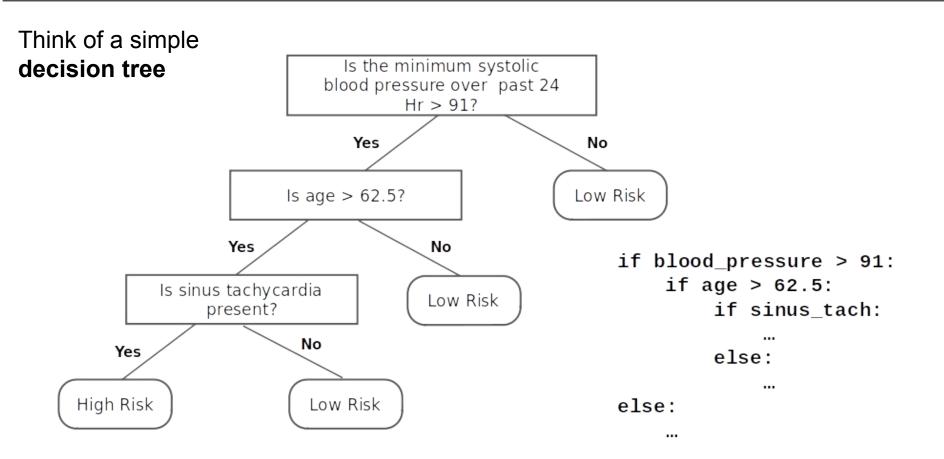
Perform tasks without Explicitly programmed from data

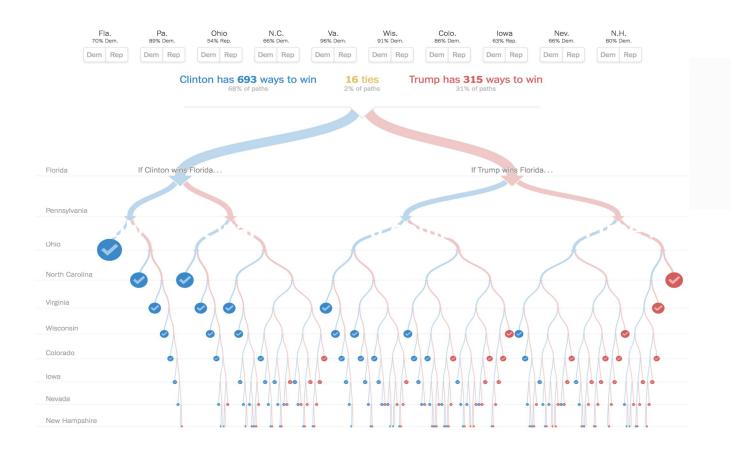


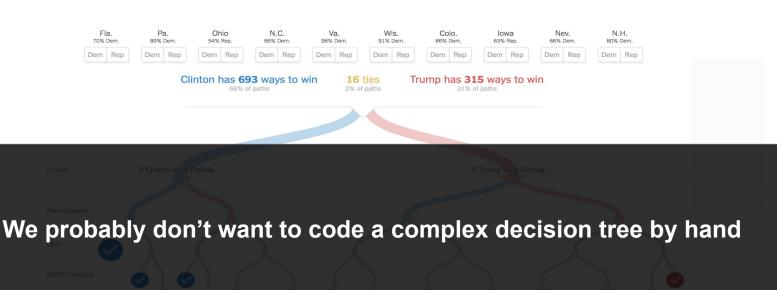
Deep Learning

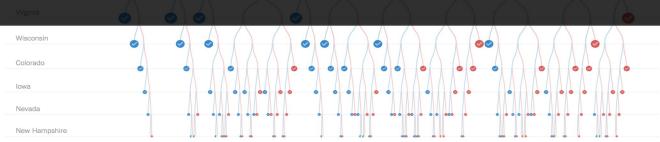
Use (deep) neural networks











What is a dog?



What is a **dog**?

Driven by Data

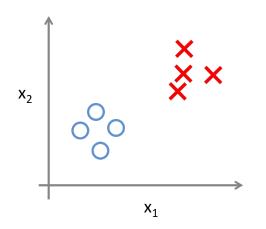


Categories of Machine Learning

Supervised

Learn from labels

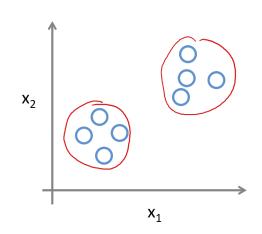
Regression, Classification



Unsupervised

Detect patterns in the data

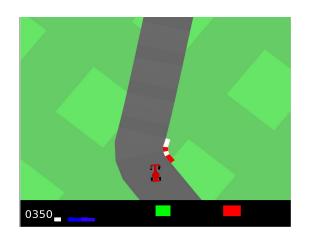
Clustering, Dimensionality reduction



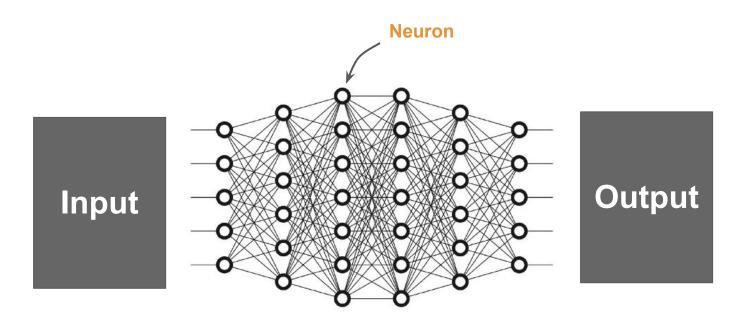
Reinforcement

Learn from mistakes

Control, Gaming

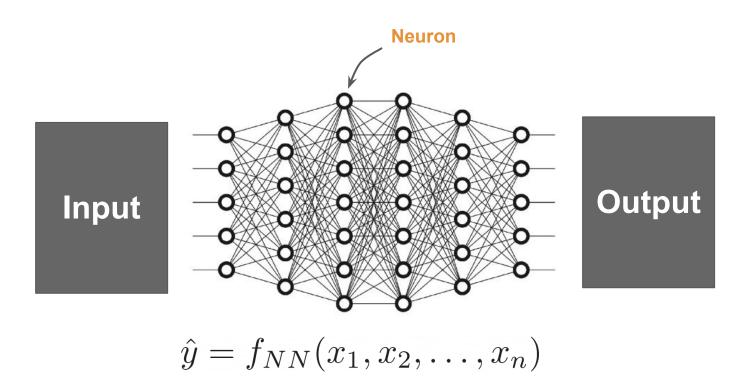


Neural Networks



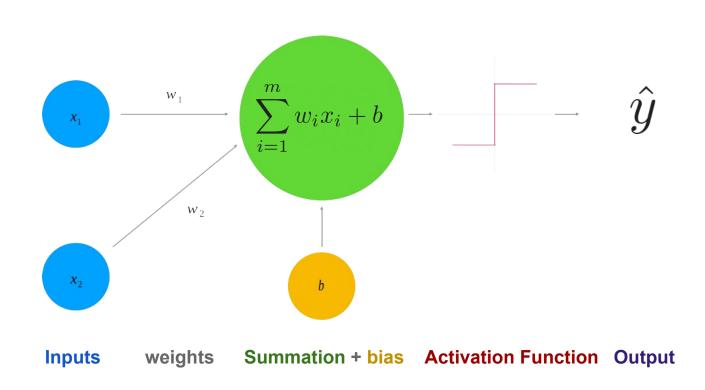
Use a (deep) neural network to approximate an unknown function

Neural Networks

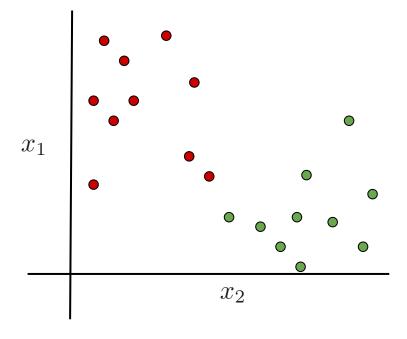


Use a (deep) neural network to approximate an unknown function

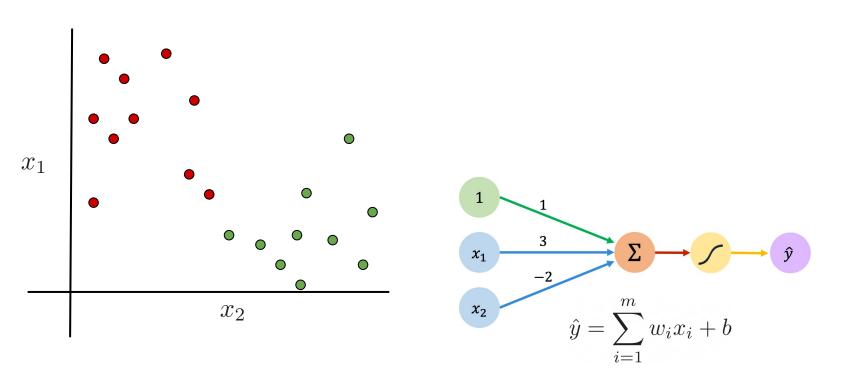
Anatomy of Neural Networks



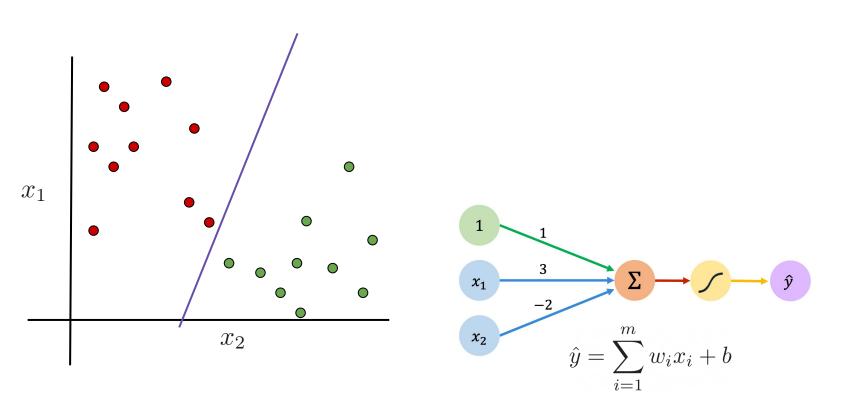
Binary Classification Task

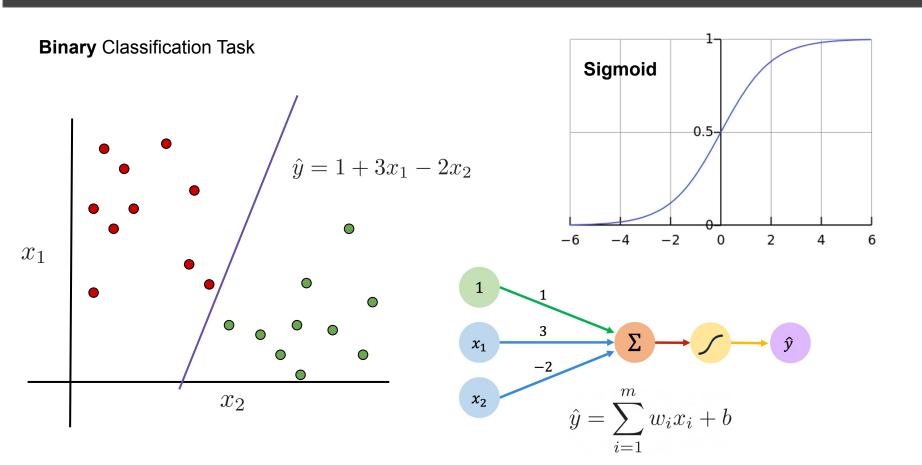


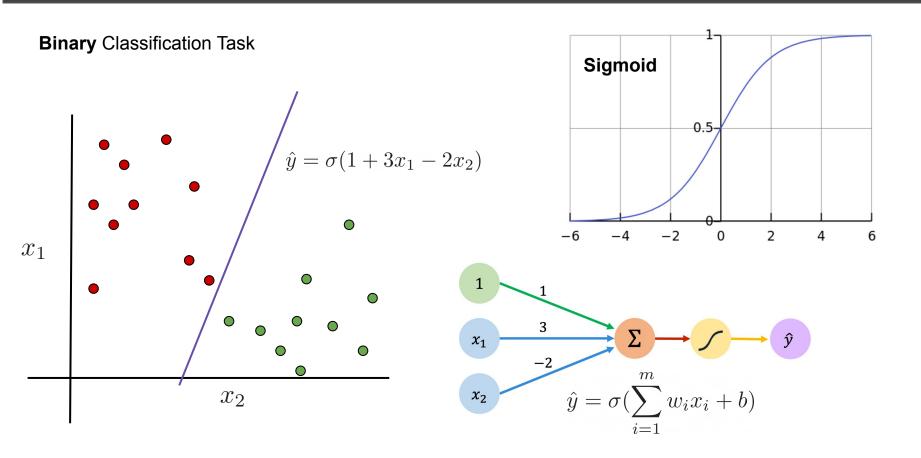
Binary Classification Task



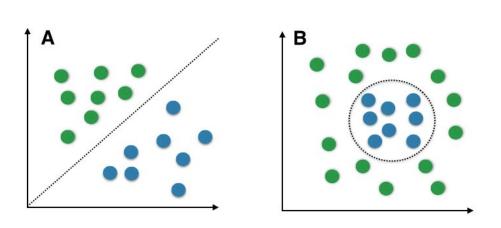
Binary Classification Task

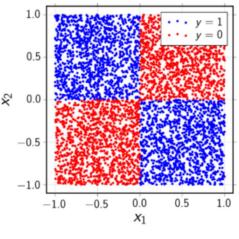






Limitation of Linear Single-Layer Classifiers



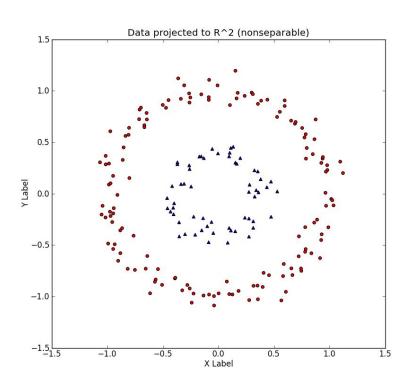


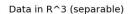
XOR Problem

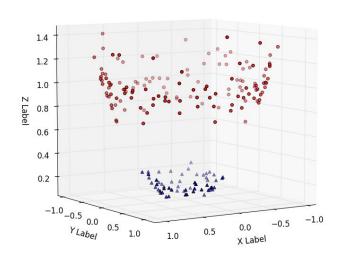
Possible solutions:

- Add more layers (deep learning)
- Map into another (higher dimensional) space

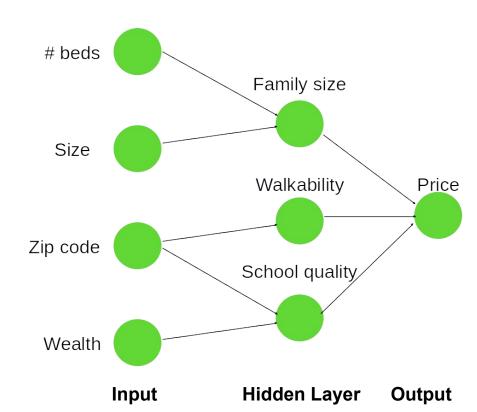
Kernel Trick



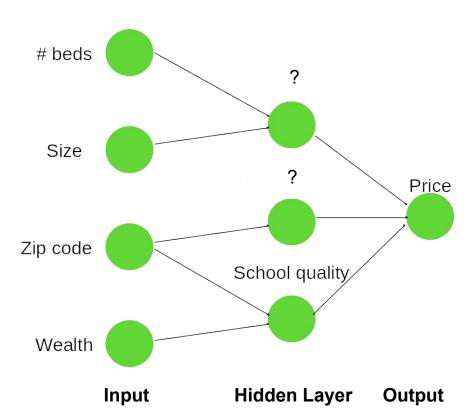




House price prediction

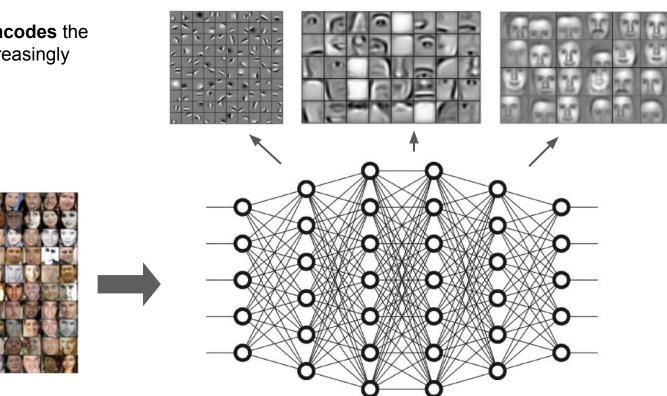


House price prediction

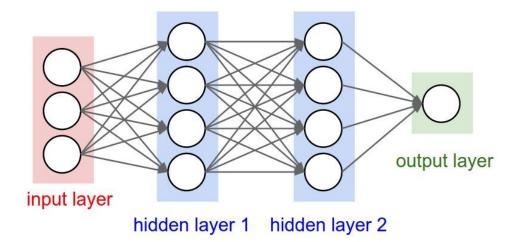


During the **optimization** process, The machine learns to **encode** a **representation** that maps the input to the output

A deep neural network **encodes** the **representation** in an increasingly abstract way



- Neural networks are made from neurons and edges
- A collection of neurons in a layer
- The output of previous layer is used as an input to the next layer
- The input layer is data input and the output is a prediction
- Anything in between is **hidden**
- Layers are represented as vectors
- Edges are usually represented as matrices The weights
- We train the weights



Universal Approximation Theorem

"Given a neural network with a **single hidden layer** of **sufficient size**, the network can Approximate any continuous function"

In other words:

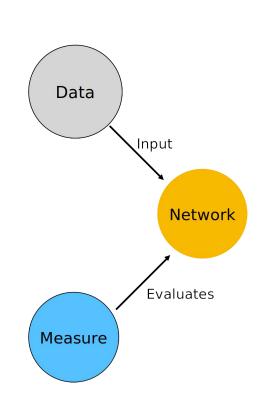
- There exists a true function relating the inputs to the outputs
- A neural network can approximate this function to arbitrary precision given sufficient layer size
- The required layer size can be extremely large and grow rapidly with the dimensionality of the problem

Use **multiple hidden layers** — Encoding becomes increasingly more abstract

Estimate
$$\hat{y} = f_{NN}(x_1, x_2, \dots, x_n)$$

Loss

Ground Truth

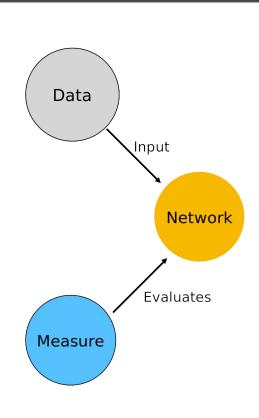


Estimate
$$\hat{y} = f_{NN}(x_1, x_2, \dots, x_n)$$

$$L(y, \hat{y}) = L(W, b) = (y_i - \hat{y}_i)^2$$

Ground Truth

Loss

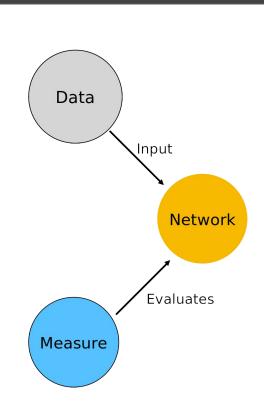


Estimate $\hat{y} = f_{NN}(x_1, x_2, \dots, x_n)$

$$L(y, \hat{y}) = L(W, b) = \frac{1}{N} \sum_{i=1}^{N} (y_i - \hat{y}_i)^2$$

Ground Truth

Loss

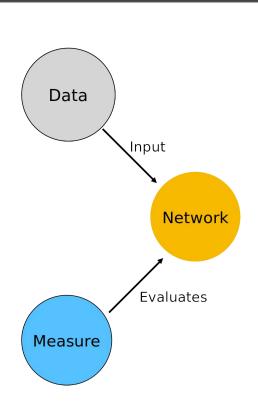


Estimate $\hat{y} = f_{NN}(x_1, x_2, \dots, x_n)$

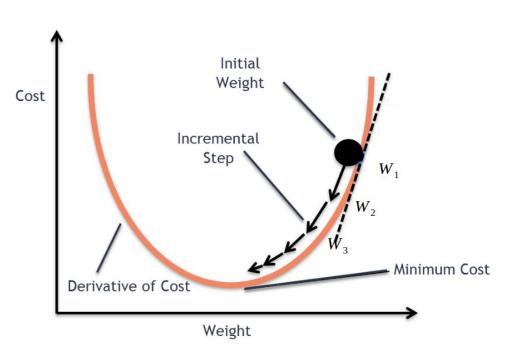
$$L(y, \hat{y}) = L(W, b) = \frac{1}{N} \sum_{i=1}^{N} (y_i - \hat{y}_i)^2$$

Ground Truth $\mathbf{x} = (x_1, \dots, x_m), y$

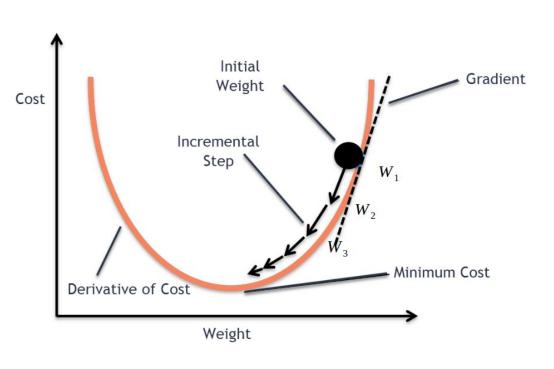
Loss



Training a Neural Network

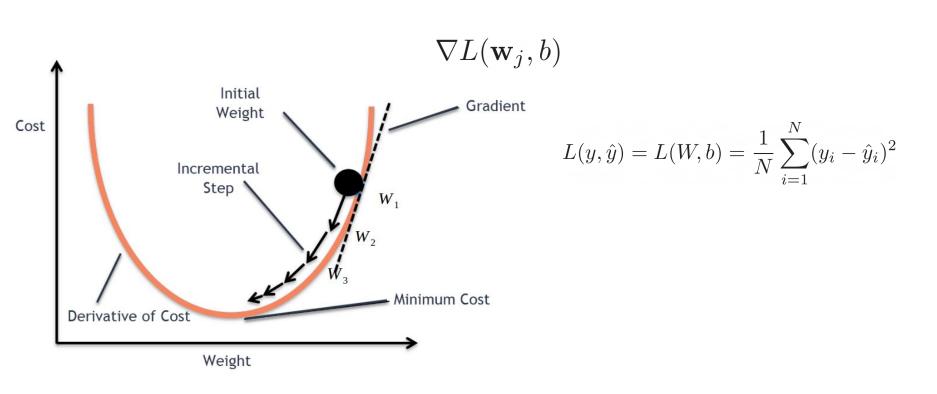


Training a Neural Network

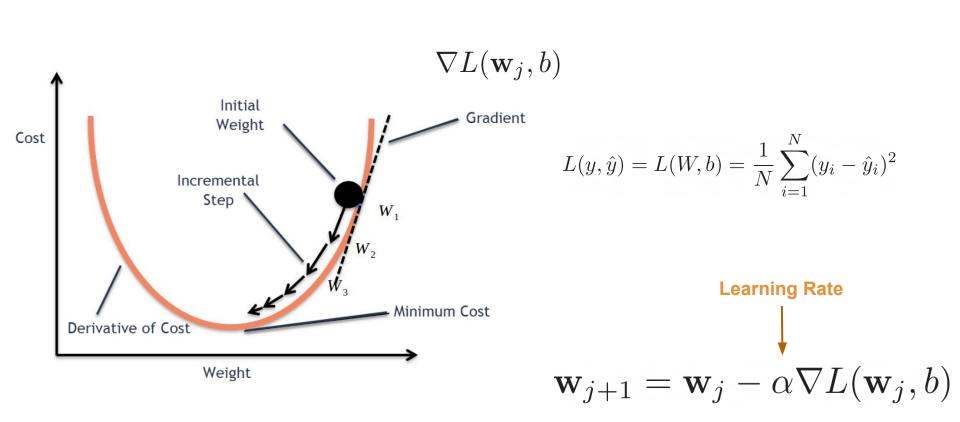


$$L(y, \hat{y}) = L(W, b) = \frac{1}{N} \sum_{i=1}^{N} (y_i - \hat{y}_i)^2$$

Training a Neural Network

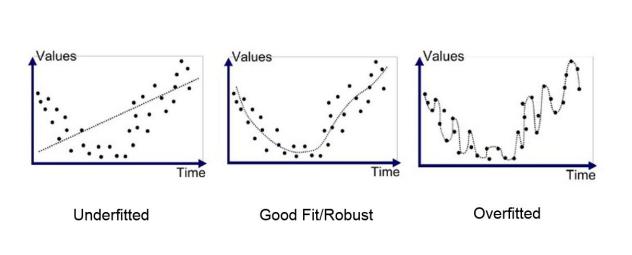


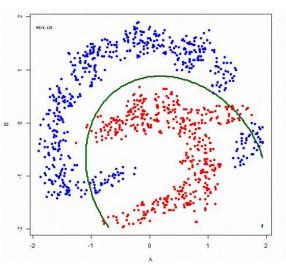
Training a Neural Network



Overfitting

Do we want the lowest loss? Not Really



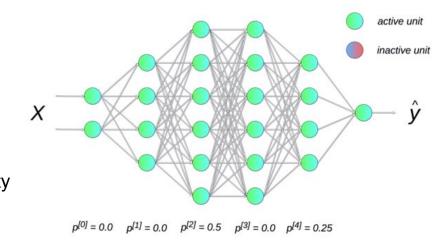


Overfitting

We have to combat overfitting

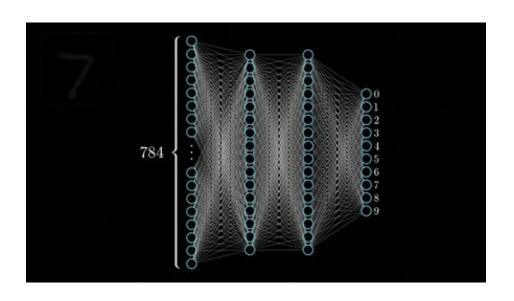
A few ways to do so is by:

- Simply stopping training earlier
- Dropout: deactivate a neuron and its connections for the forward propagation with a certain probability

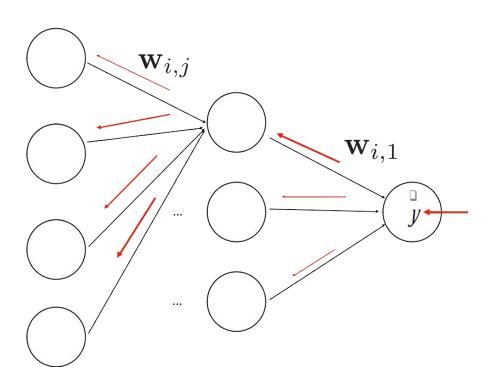


Decay the value of your weights over time

Forwards Propagation

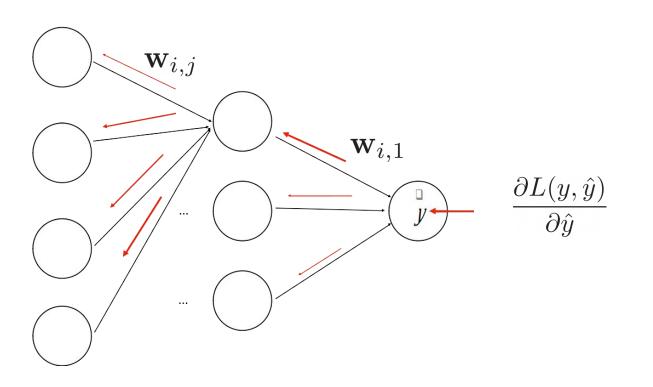


Backwards Propagation



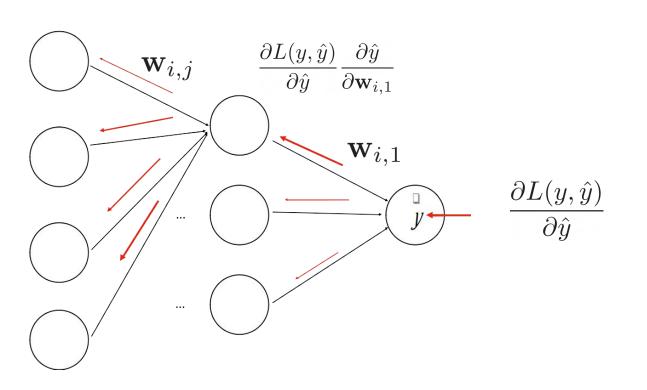
- We need to compute the gradient for each layer
- Apply the chain rule
- This is backpropagation

Backwards Propagation



- We need to compute the gradient for each layer
- Apply the chain rule
- This is backpropagation

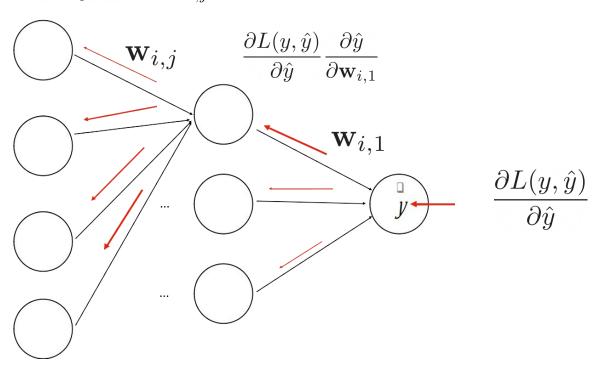
Backwards Propagation



- We need to compute the gradient for each layer
- Apply the chain rule
- This is backpropagation

$$\frac{\partial L(y, \hat{y})}{\partial \hat{y}} \frac{\partial \hat{y}}{\partial \mathbf{a}_i} \frac{\partial \mathbf{a}_i}{\partial \mathbf{w}_{i,j}}$$

Backwards Propagation

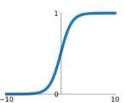


- We need to compute the gradient for each layer
- Apply the chain rule
- This is backpropagation

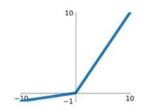
Activation Functions

Sigmoid

$$\sigma(x) = \frac{1}{1 + e^{-x}}$$

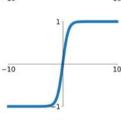


Leaky ReLU $\max(0.1x, x)$



tanh

tanh(x)

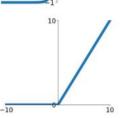


Maxout

 $\max(w_1^T x + b_1, w_2^T x + b_2)$

ReLU

 $\max(0,x)$



$$\begin{cases} x & x \ge 0 \\ \alpha(e^x - 1) & x < 0 \end{cases}$$

Many more! We can design our own!

Commonly used loss functions

Regression

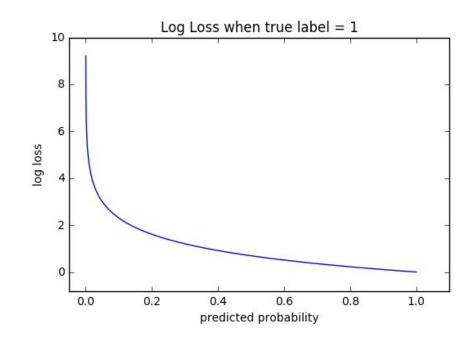
- Mean Squared Error (MSE)
- Mean Squared Log Error
- Mean Absolute Error

Binary Classification

- Binary cross-entropy
- Hinge Loss

Multi-Class Classification

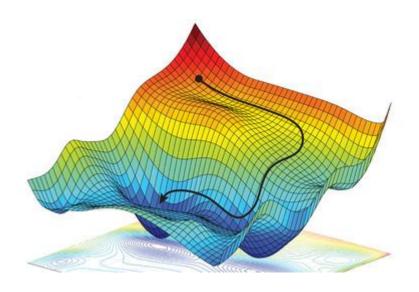
- Multi-class cross-entropy
- Kullback-Leibler Divergence



Cross-entropy loss outputs a log probability

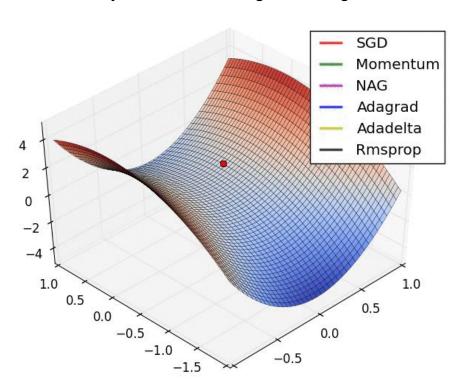
Optimizers

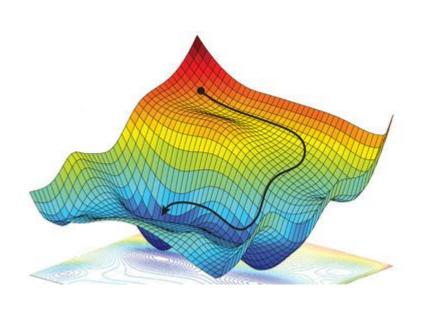
In what way should we change the weights?



Optimizers

In what way should we change the weights?



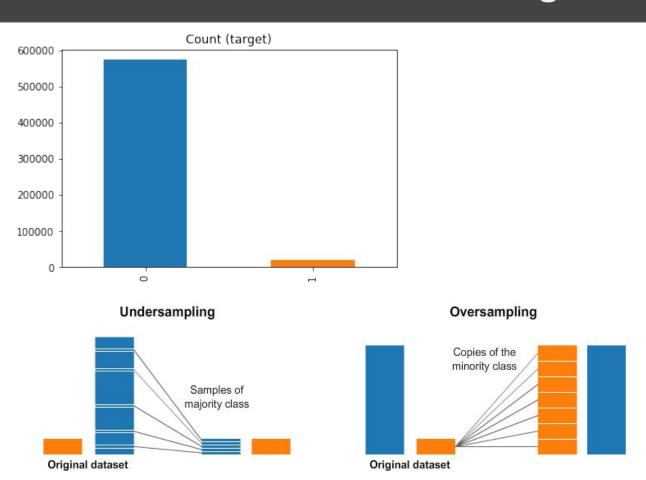


General Workflow of ML

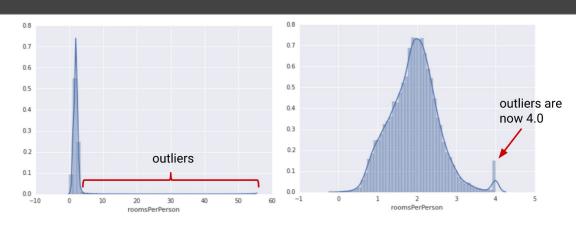
You need to know your data and your models well.

Artificial Intelligence still heavily relies on human intelligence

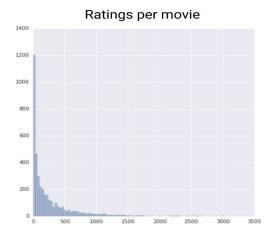
Imbalanced Training set



Data Normalization

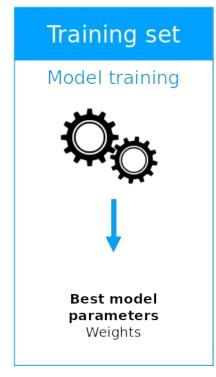


A process to transform the input **data** in a **well-behaved** form

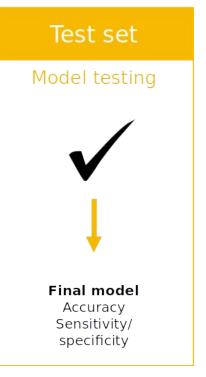




Dataset Splitting

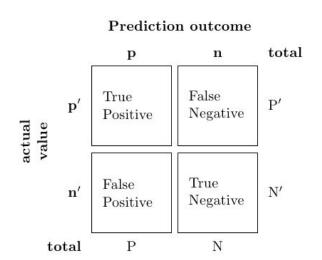


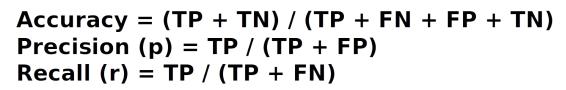


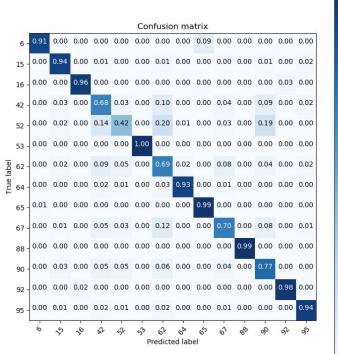


70% 20% 10%

Network Evaluation



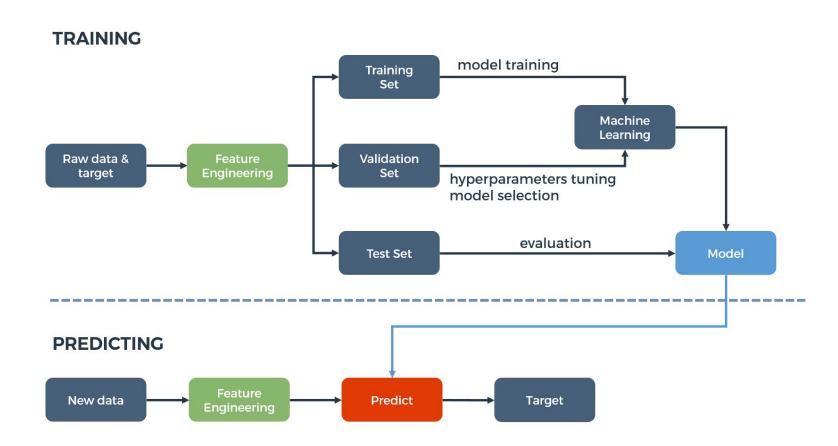




0.4

0.2

Workflow



DL Frameworks

In DL you need to

- Define neurons and layers
- Define loss function
- Calculate losses
- Calculate gradient
- Propagate backward
- Update weights
- Existing frameworks exist:
 - TensorFlow (Keras)
 - Torch
 - Jax
 - MXNet

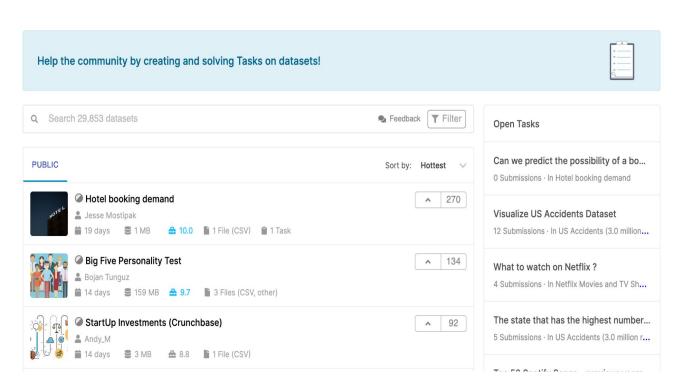


Open Datasets

+ New Dataset

Datasets

Find and use datasets or complete tasks. Learn more.



Processed, balanced, well-behaved and labelled datasets

tensorflow.org/datasets

kaggle.com/datasets

topepo.github.io/caret/data-sets.html

github.com/awesomedata/awesome-pu blic-datasets

Take Home Messages

Machine Learning

New paradigm of programming, driven by data An optimization process

Deep Learning

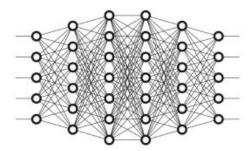
A subfield of ML Relies on deep neural networks Learns to encode the input data using many layers of concept hierarchies

Take Home Messages

In a neuron:

- ... the main job is to calculate a weighted average
- ... the decision is made through the activation function





In a neural network:

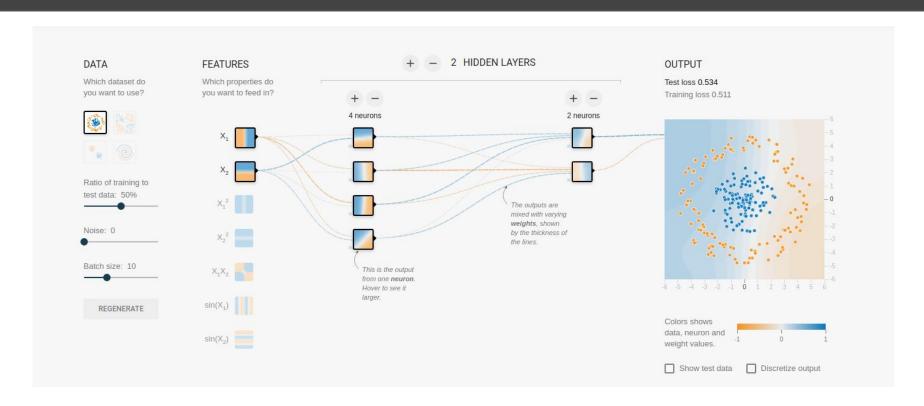
- ... losses are calculated using the loss function
- ... losses are calculated by comparing the labels and the prediction
- ... predictions are made through forward propagation
- ... weights are updated through the backward propagation process
- ... optimizers are used to decide the weights updating strategies

In a deep learning workflow:

- ... the heavy lifting is mostly done by DL frameworks
- ... open datasets are crucial for benchmarking and bootstrapping DNNs



Live Demo



https://playground.tensorflow.org/