## Signaling Screening:

A PBE is a set of: 1) beliefs p(0 le)

2) wages w(e)

3) signals ellez, ez

1) wages are optimal given beliefs

Contracts adverse

selection

type in

2) signals are optimal given wages

3) beliefs are consistent with given signals

Such that:

Solve for optimal wage by maximizing firm payoff: max & u= p(01e)

Take FOC W.Y. + W

Check that SOC is <0 for a max!

Single crossing property: d2c > 0 or d2u 20

dode dode

- negative cross partial of cost - A Separating equilibrium exists. High types

can signal their type o by sending high signals e.

Intuitive Criterion (Cho-Freps: of all the PBE, if nigh types were to collude and still choose a PBE, what would they choose? It they would stay

put, it satisfies the criterion.

Information Rent - uses to the type whose IC binds, show their IR constraint is slack (utility 70)

For a continuum of e values, see 2018 exam @1. To find a range on the evalues for a separating equilibrium, use both 10 constraints! Finding separating equilibria:  $\frac{2020 \text{ Q2}}{\text{Usually}}$  D Find w as a function of  $\theta$  (w = E[ $\theta$ [ $\theta$ ]) using firm FOC W.r.+ W. ② Set  $P(\theta|e) = \begin{cases} 1 & \text{if } \theta = \theta + \text{ and } e = e + \dots \\ 1 & \text{if } \theta = \theta + \text{ and } e \neq e + \dots \\ 0 & \text{otherwise} \end{cases}$ 3 Then WH = E[O | CH] = 1. OH = OH WL = E[Oleten]=1. OL=OL NOTES EL = 0 (no incentive to choose effores). ® IR constraint: Uw≥0 IC constraint: uni ≥ unj wi- c(ei/ei) ≥ wj-c(ei/ei) (5) Use 1C constraints to solve for efer Pooling Equilibria 2018 Q1

① Find w as a function of the using firm Foc

w.v.+ w (usually w= E[t]) 2 set p(ole) = prior mass of each of e 3 Then w\*= E[Ole\*]. Sct w(e) = 02 (prod of low type) for etet and e=0 for etet. 4) IC constraints: W\* - c(e\*/fi) = 1 3 solve for et using LCs.

Adverse Selection: hidden info (quality, type)

An allocation is ex-post efficient if the person with the highest utility receives the item.

when parameters unknown, sufficient conditions
for trade occur using expectations.

p = E[u] 

= sell

If one agent knows parameter, other agent will condition expectation. 2020 Q1

Joint conditional expectation:

$$E[x|x<\alpha] = \int_0^a x f(x) dx / \int_0^a f(x) dx$$
 $E[x|x<\alpha] = \int_0^a x f(x) f(y) dx dy / \int_0^b \int_0^a f(x) f(y) dx dy$ 

For  $x \sim u[0,1]$ ,  $f(x) = 1$ ,  $F(x) = x$ .

Efficiency - surplus is maximized, if there are tracks that should have happened actually happened - potimal if evenuous could observe

- optimal if everyone could observe all types

## Moral Hazard: hidden action (effort)

If the firm can observe effort, firm absorbs risk since workers are risk averse.

max  $E[T_h]$  max  $E[T_L]$  T = x-W of  $IR_h$  of  $IR_L$ 

Take FOC w.r.t wn, we, usually wn=we, plugint 1R, Check to see which In, The move profitable

If the firm can't observe effort:

If the firm wants to induce high effort,

LC: E[U#]≥ E[UL] 20 where UH is a function of WH,

2019 EXAM

WH function of output XH,
out ut a stochastic function of effort.

- E[u(w)] for non-induced effort =0
- Solve for wage using 10, not FOCS

si dominated if: ui(si, s-i, ti) = max u(si, s-i(u), t)

Intuitive criterion --rules out all pooling equilibria - the PBE that is "best" for a sender or receiver of a signal while still maintaining a separating eq.