

Quantifying Latent Fingerprint Quality

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Harvey Mudd Clinic

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Project Goal

Develop and implement a mathematical model for
latent fingerprint quality with regard to **AFIS matching** and assess the performance of various **quality features**.

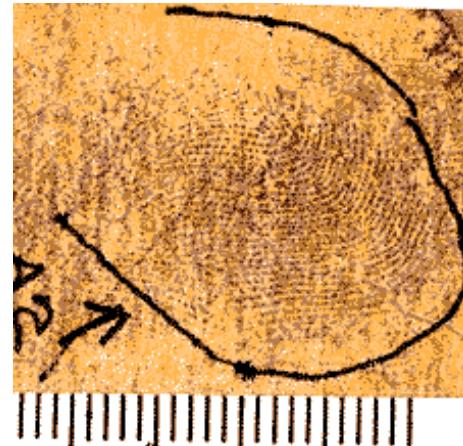
Fingerprint Overview

Exemplar Prints



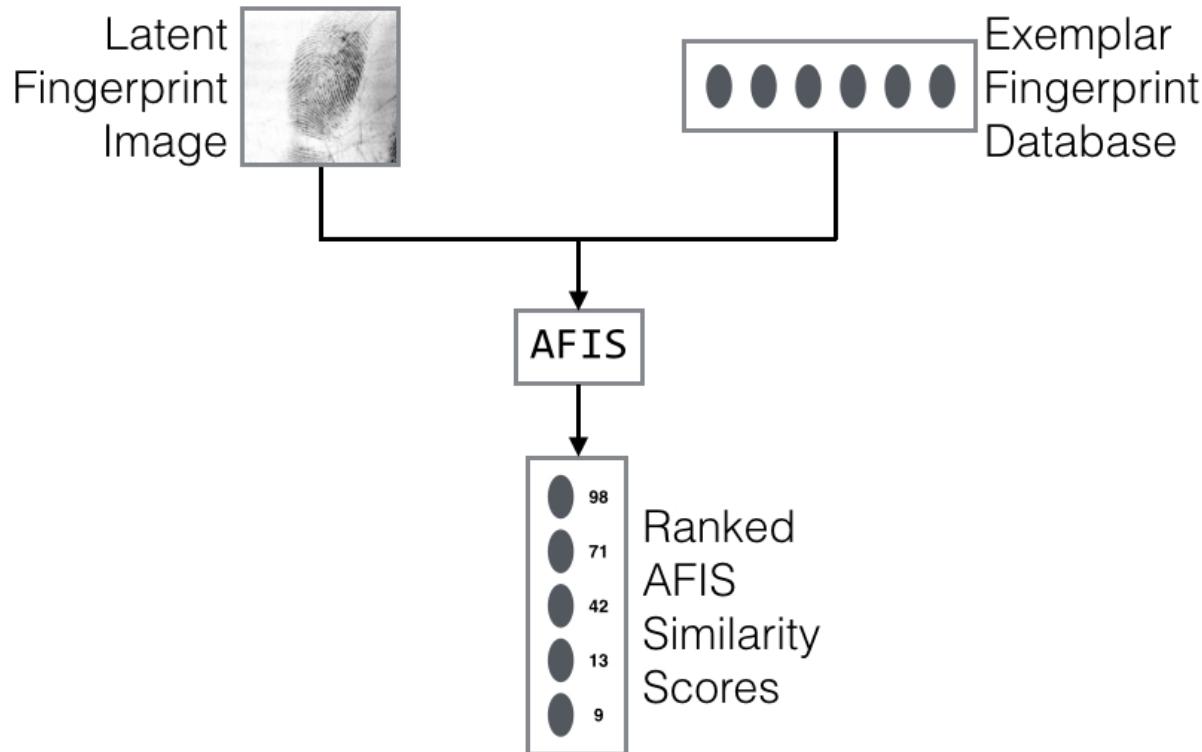
- Taken on purpose
- Comprise databases

Latent Prints

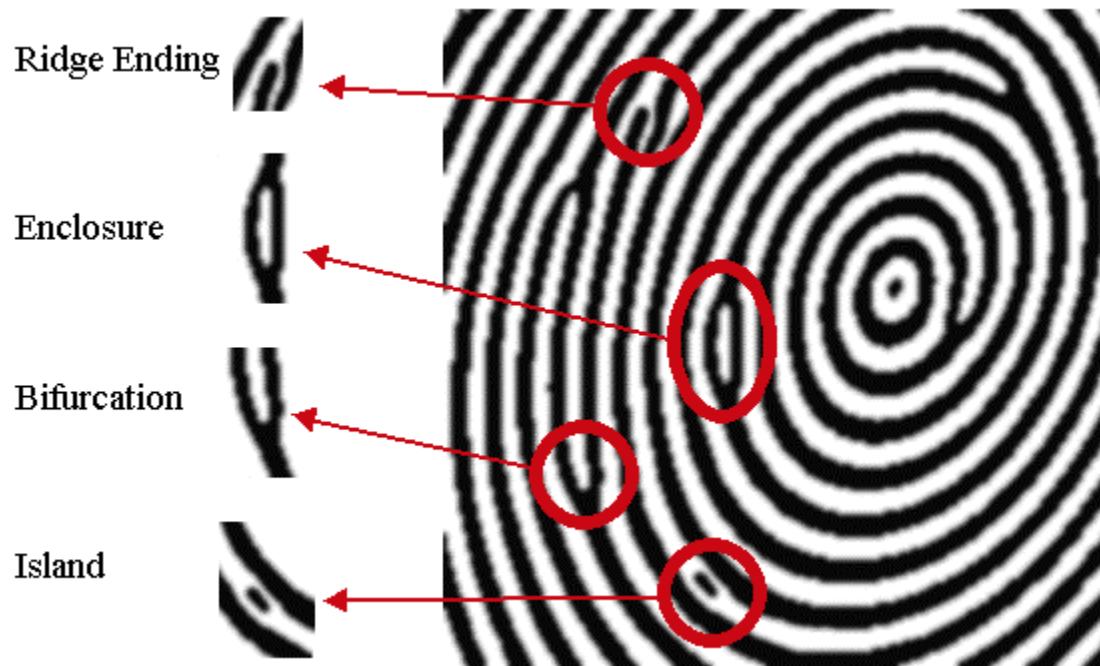


- Crime scene prints
 - Incomplete
 - Background noise
 - Unknown orientation

Automated Fingerprint Identification System



Minutiae

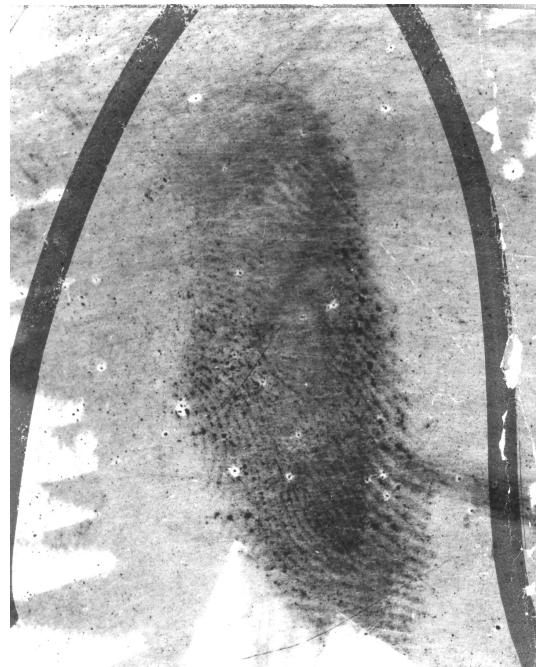


Latent Suitability for AFIS Identification

“Good”



“Bad”



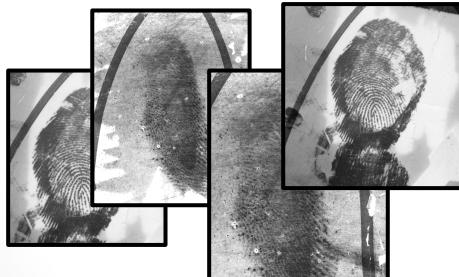
Project Goal

Develop and implement a mathematical model for
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Quality Scores

Problem:

- Some latents are not suitable for AFIS identification
- Too many prints, not enough AFIS time



Quality Scores

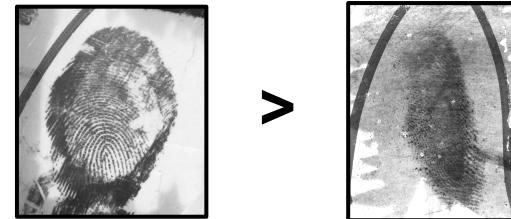
Problem:

- Some latents are not suitable for AFIS identification
- Too many prints, not enough AFIS time



Solution:

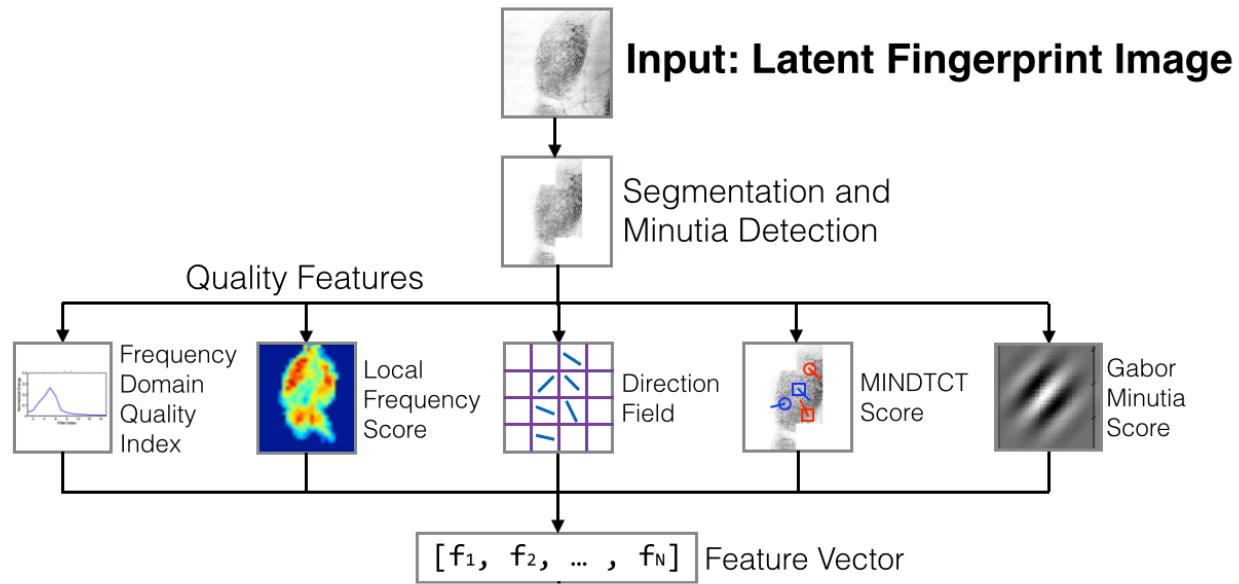
- Model latent fingerprint image quality
- Only use AFIS for good quality latents



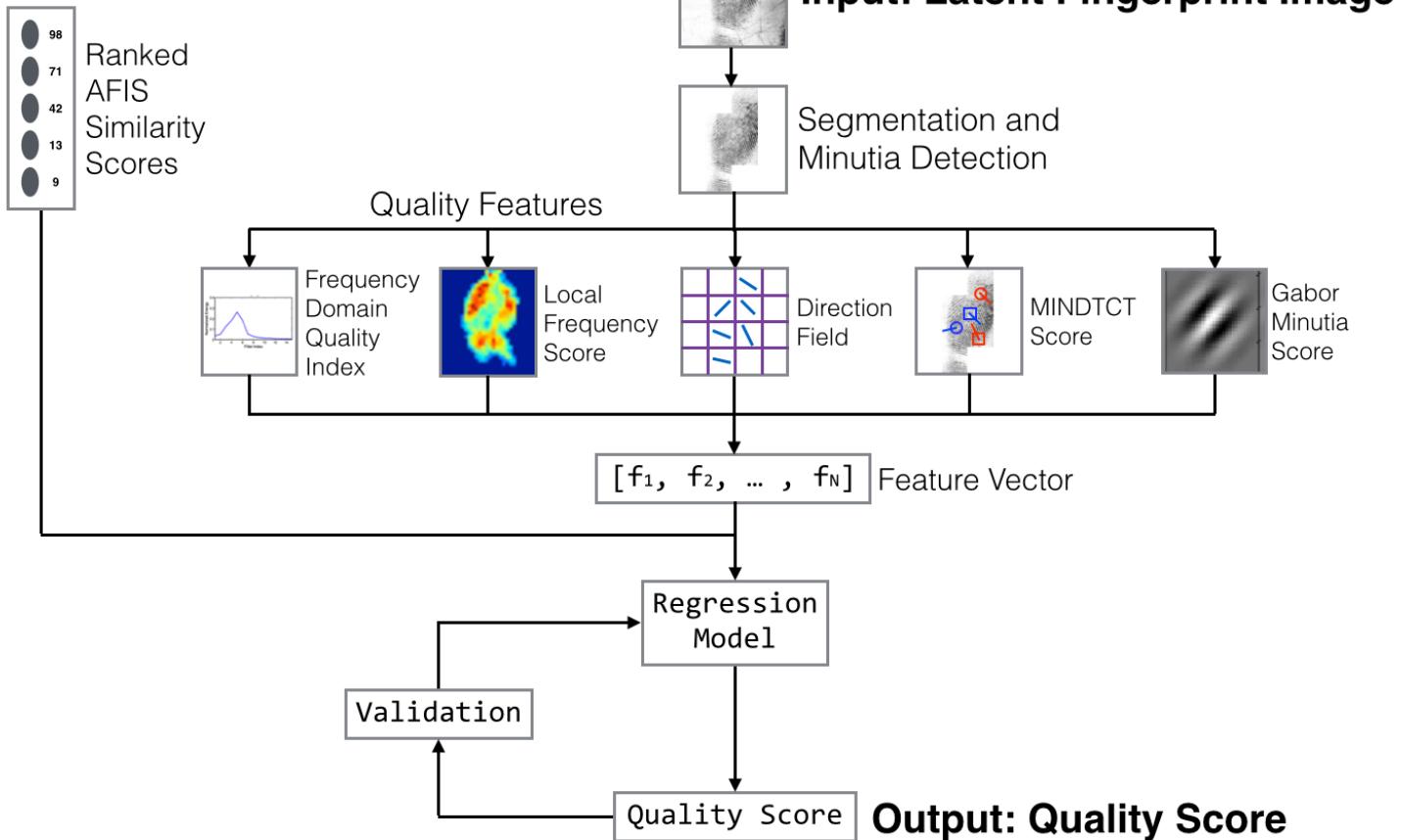
Project Goals

- Assess latents' suitability for identification with AFIS
- Analysis of existing fingerprint quality metrics
- Mathematical model for latent fingerprint quality
- Implementation of quality score

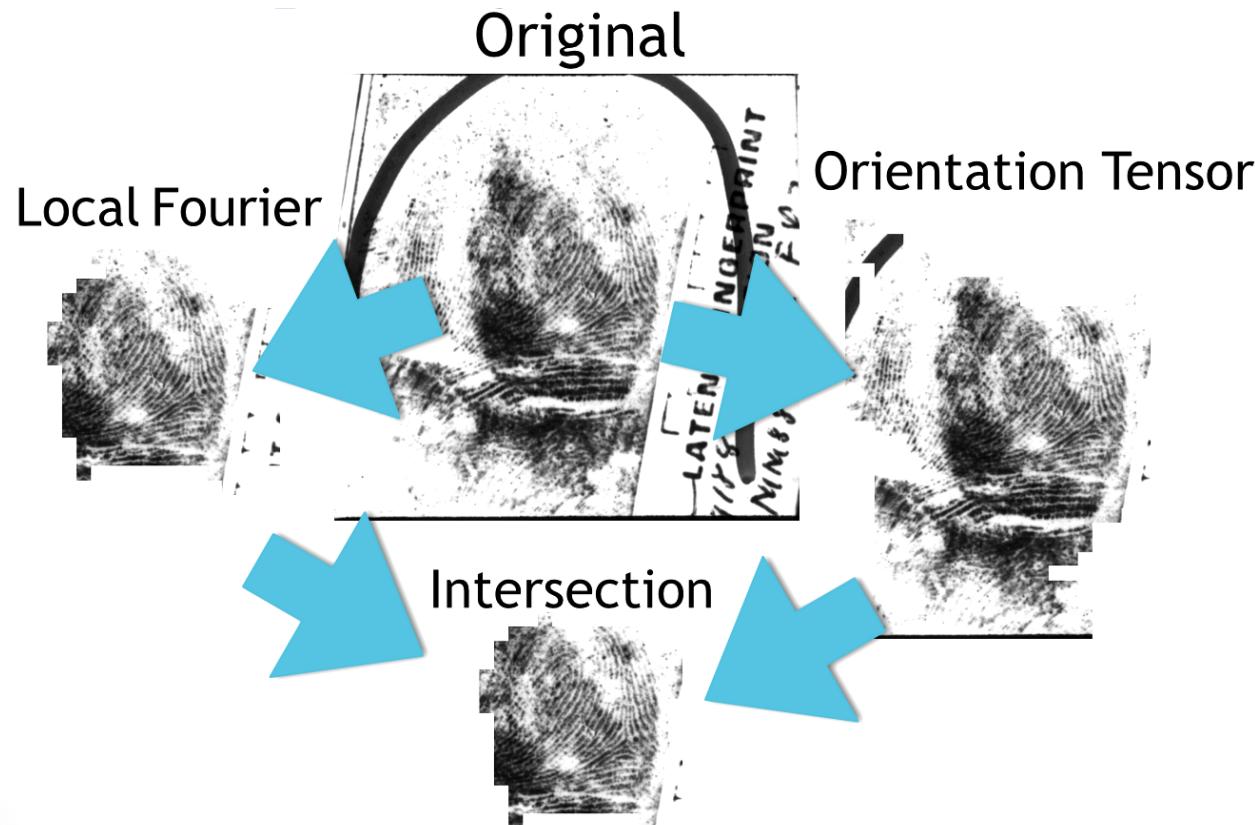
Pipeline



Pipeline



Segmentation

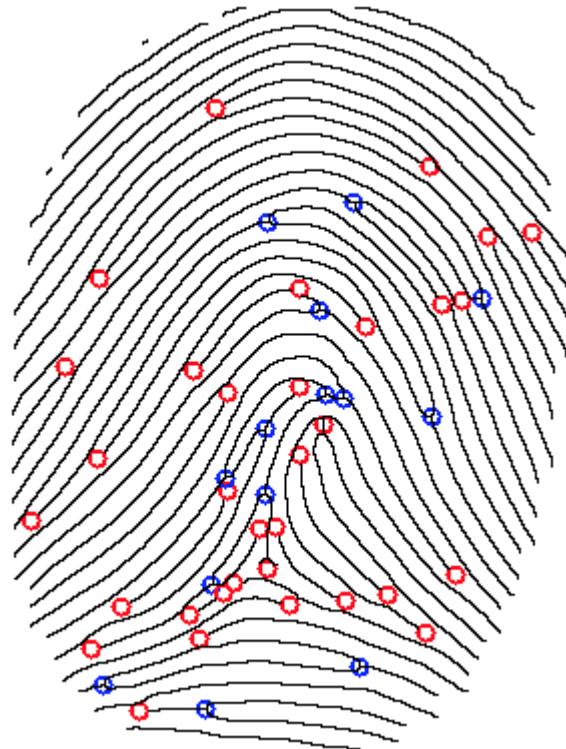


Minutiae Detection

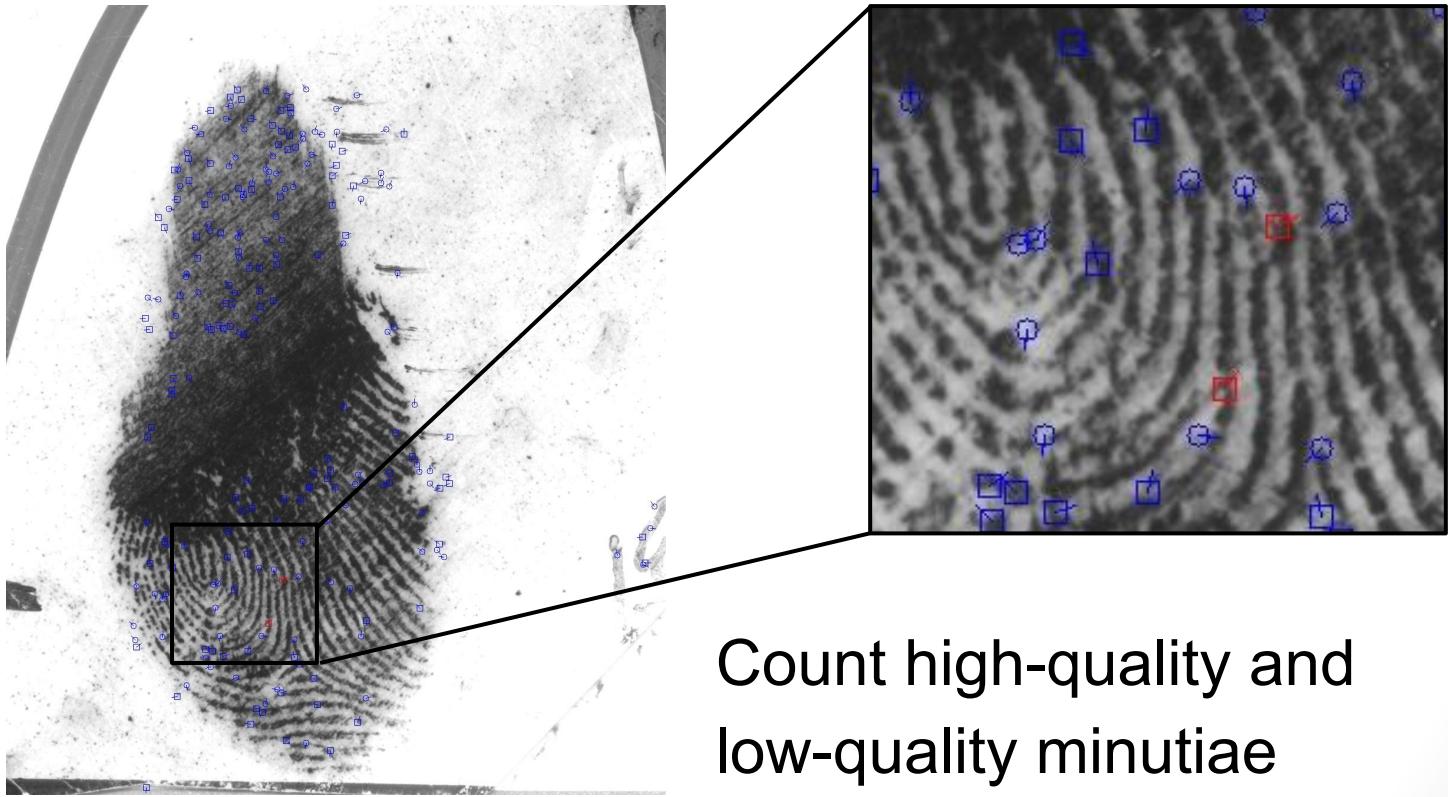
Image (w,h) 516 485

60 Minutiae Detected

0 :	209,	117	:	13	:	0.058	:	RIG
1 :	212,	164	:	14	:	0.057	:	RIG
2 :	216,	188	:	14	:	0.122	:	RIG
3 :	218,	120	:	13	:	0.124	:	RIG
4 :	224,	151	:	30	:	0.123	:	RIG
5 :	224,	203	:	27	:	0.061	:	BIF
6 :	225,	159	:	11	:	0.123	:	BIF
7 :	240,	104	:	0	:	0.058	:	BIF
8 :	245,	156	:	5	:	0.125	:	RIG
9 :	246,	193	:	9	:	0.124	:	BIF
10 :	248,	164	:	9	:	0.128	:	BIF
11 :	248,	200	:	25	:	0.058	:	BIF
12 :	251,	134	:	2	:	0.124	:	RIG
13 :	255,	147	:	3	:	0.122	:	BIF
14 :	260.	126	:	5	:	0.126	:	RTG



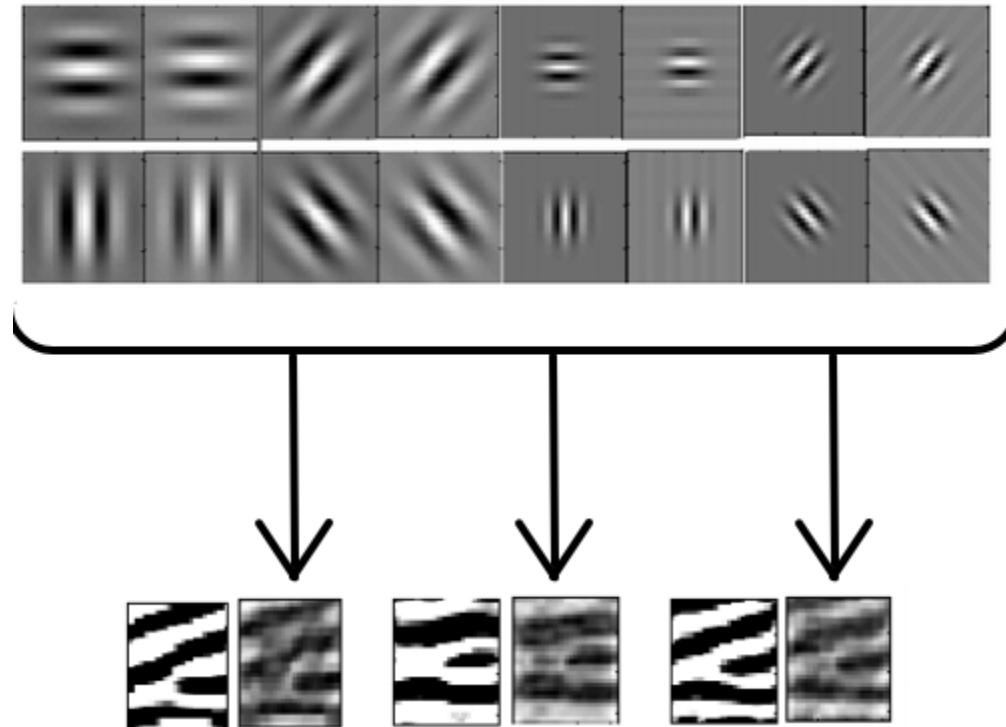
Good and Bad Minutia Counts



(16)

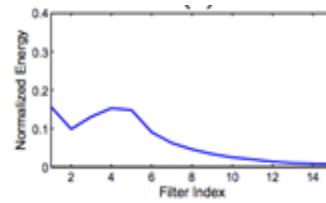
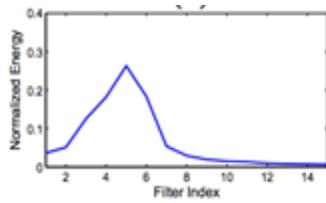
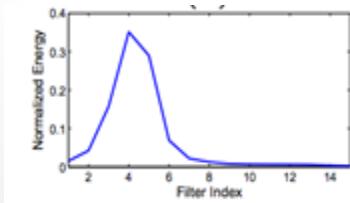
Gabor Minutia Score

Recreate a
minutia using
basis functions



Learn mapping
of coefficients
to quality

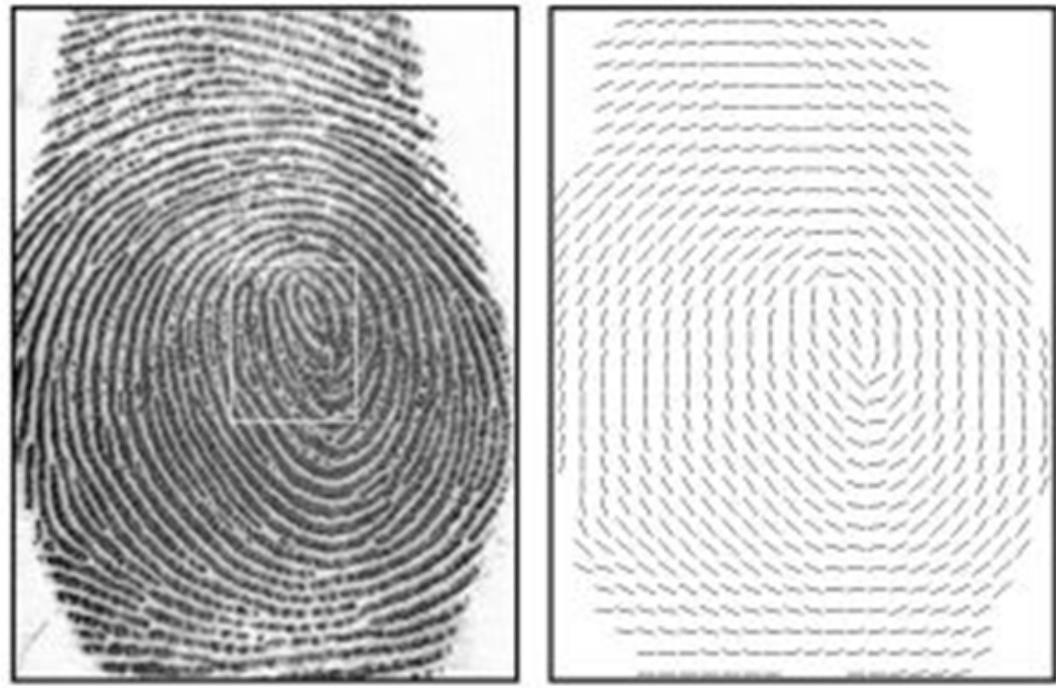
Frequency Domain Quality Index



High-quality prints have narrow peaks in the frequency domain

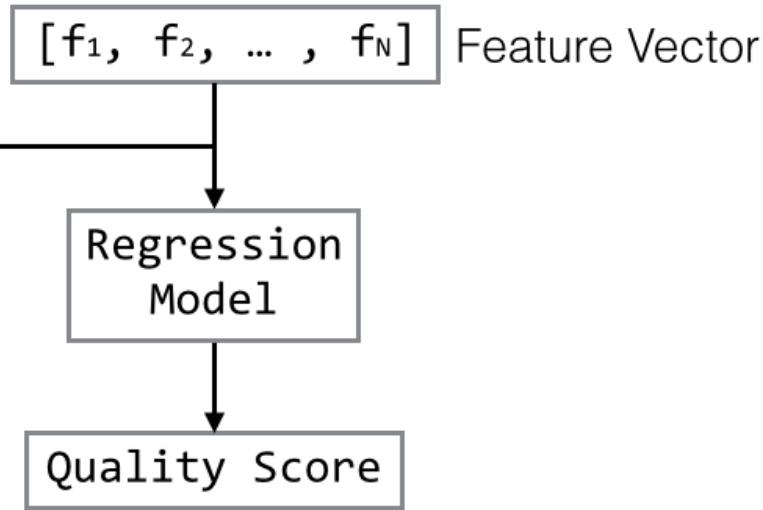
Direction Field

Measure ridge continuity

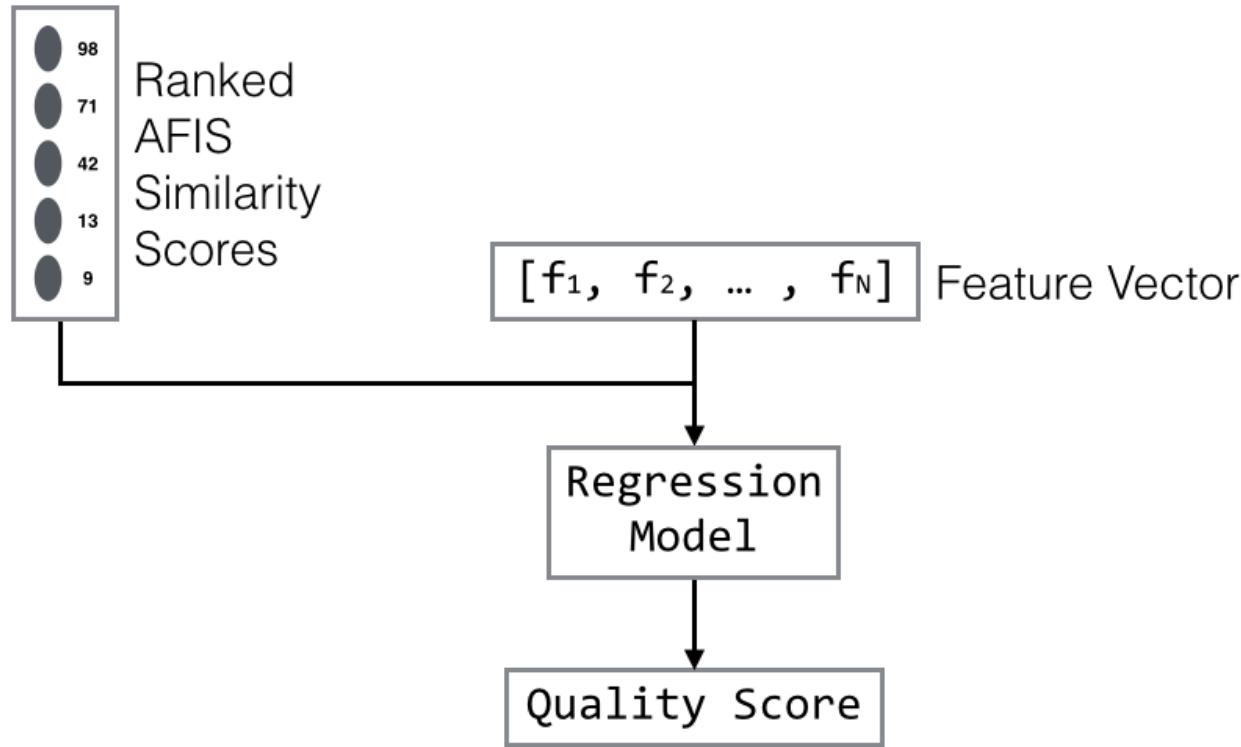


Predicting Quality from Features

?



Predicting Quality from Features



Response Variable

- **Quality**: The chance that the correct match (assuming it exists) will appear in the top 20 ranked AFIS results
- **Response**: Our approximation of quality, derived from AFIS results

Response Variable

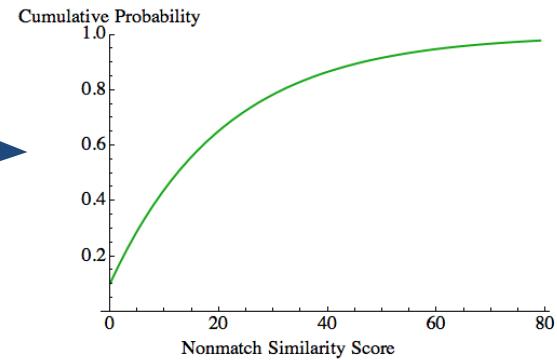
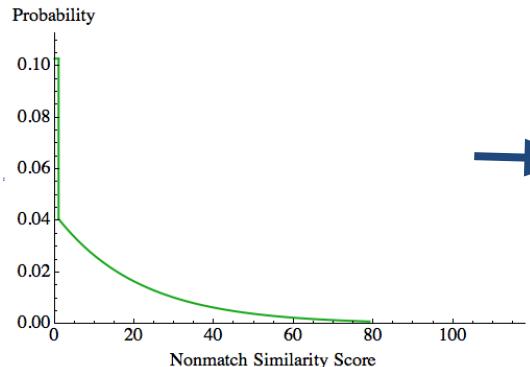
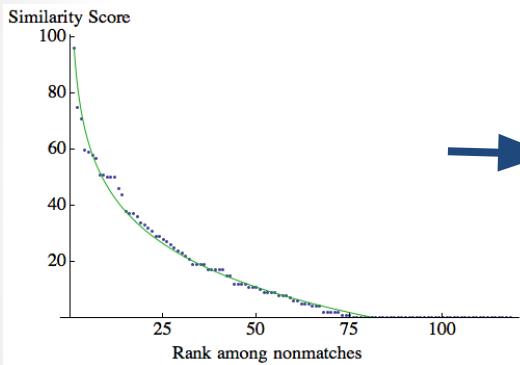
$$q = \int_0^{\infty} Q(s)R(s)ds$$

$Q(s)$: probability that correct match will have similarity score s

$R(s)$: probability that an incorrect match will have similarity score less than s

Response Variable

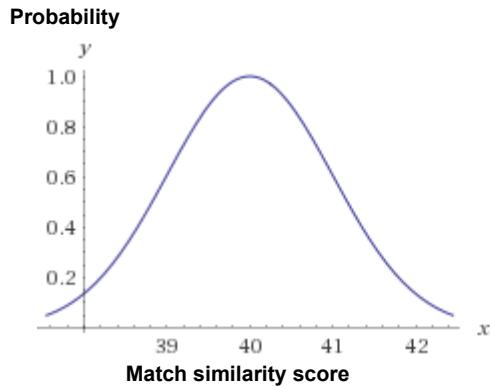
$$q = \int_0^\infty Q(s)R(s)ds$$



$R(s)$: probability that an incorrect match will have similarity score less than s

Response Variable

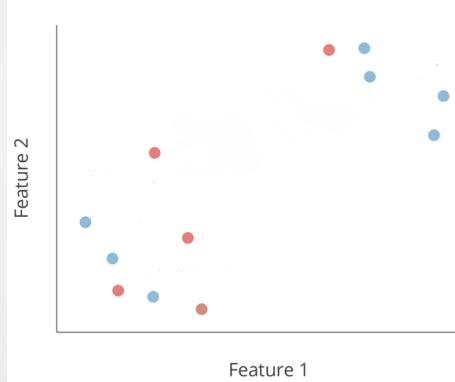
$$q = \int_0^\infty Q(s)R(s)ds$$



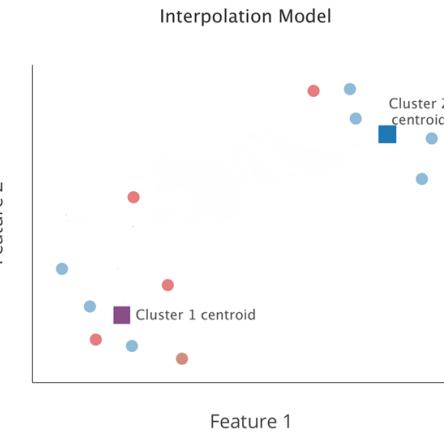
$Q(s)$: probability that correct match will have similarity score s

Models: Clustering/Interpolation

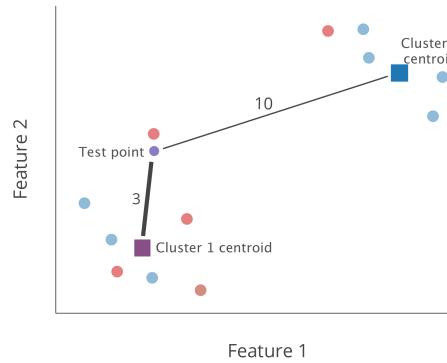
Interpolation Model



Interpolation Model



Interpolation Model



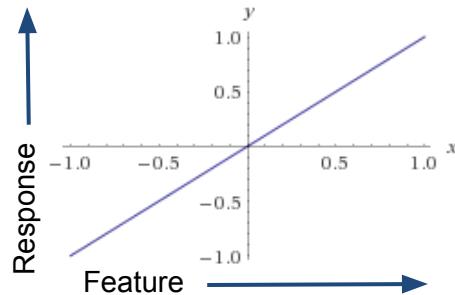
Models: Regression



Models

Linear Regression

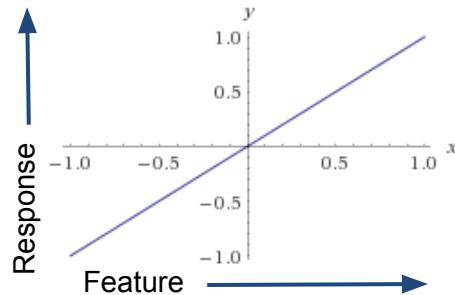
$$y = a_0 + a_1x_1 + a_2x_2 + \dots + a_nx_n$$



Models

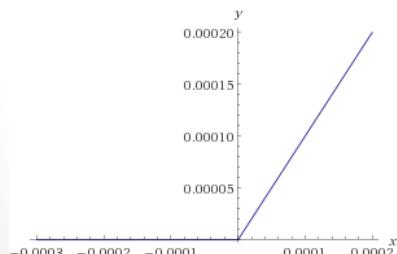
Linear Regression

$$y = a_0 + a_1x_1 + a_2x_2 + \dots + a_nx_n$$



Capped Linear Regression

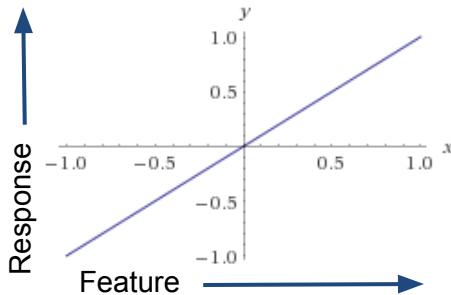
$$y = \max(b, a_0 + a_1x_1 + a_2x_2 + \dots + a_nx_n)$$



Models

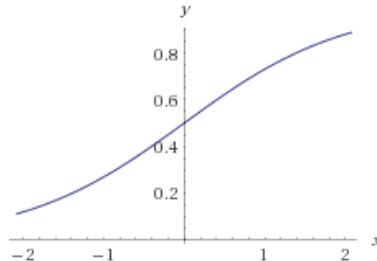
Linear Regression

$$y = a_0 + a_1x_1 + a_2x_2 + \dots + a_nx_n$$



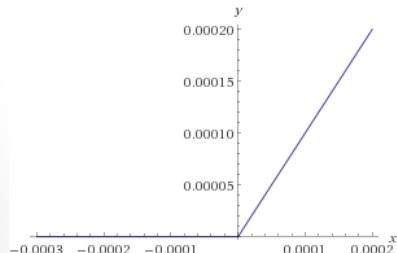
Logistic Regression

$$y = \frac{b}{1 + e^{a_0 + a_1x_1 + a_2x_2 + \dots + a_nx_n}}$$



Capped Linear Regression

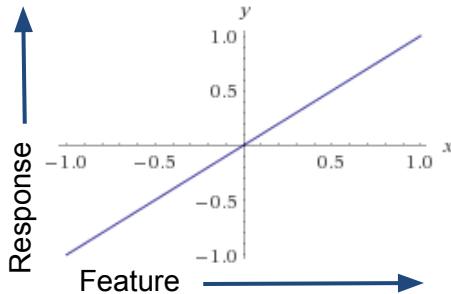
$$y = \max(b, a_0 + a_1x_1 + a_2x_2 + \dots + a_nx_n)$$



Models

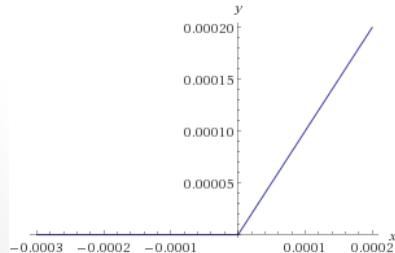
Linear Regression

$$y = a_0 + a_1x_1 + a_2x_2 + \dots + a_nx_n$$



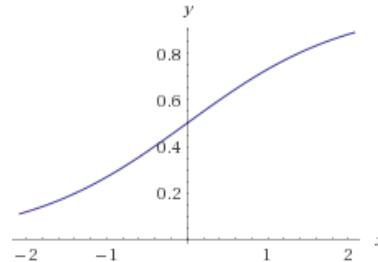
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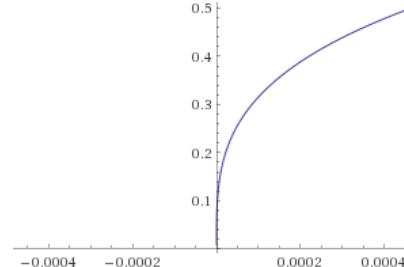
Logistic Regression

$$y = \frac{b}{1 + e^{a_0 + a_1x_1 + a_2x_2 + \dots + a_nx_n}}$$

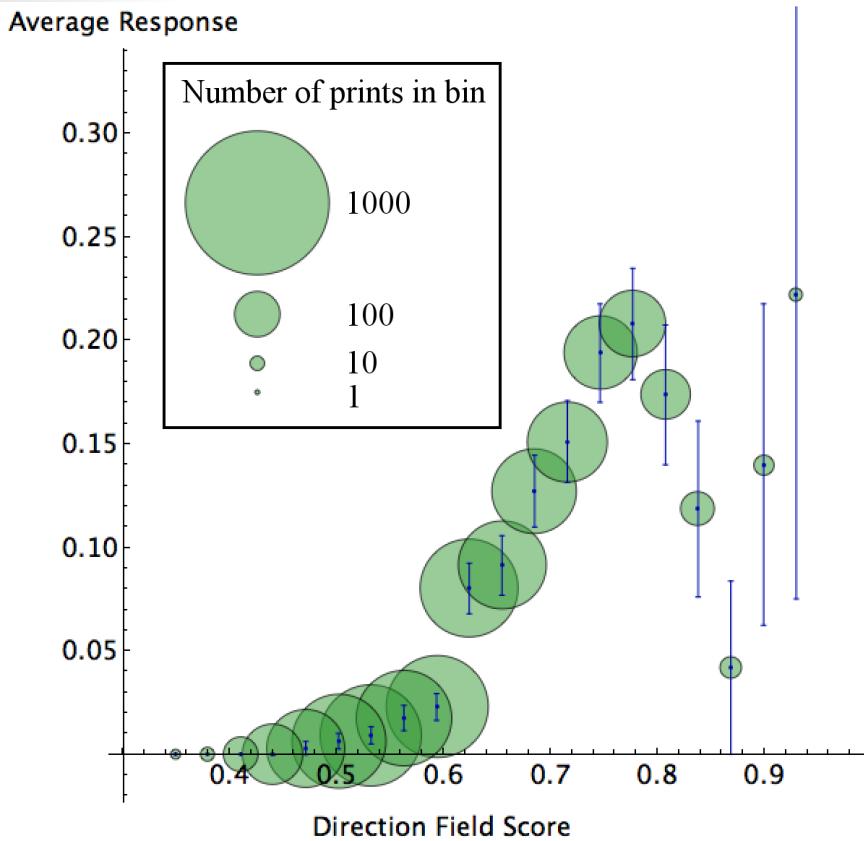


“Product” regression

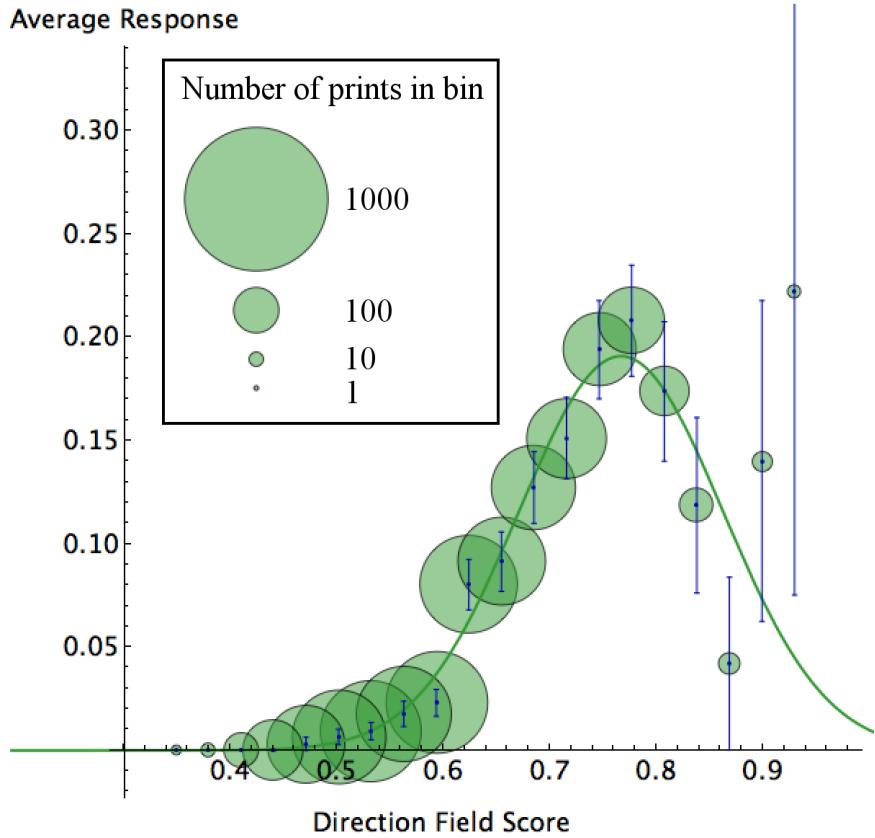
$$y = a(x_1x_2 \dots x_n)^b$$



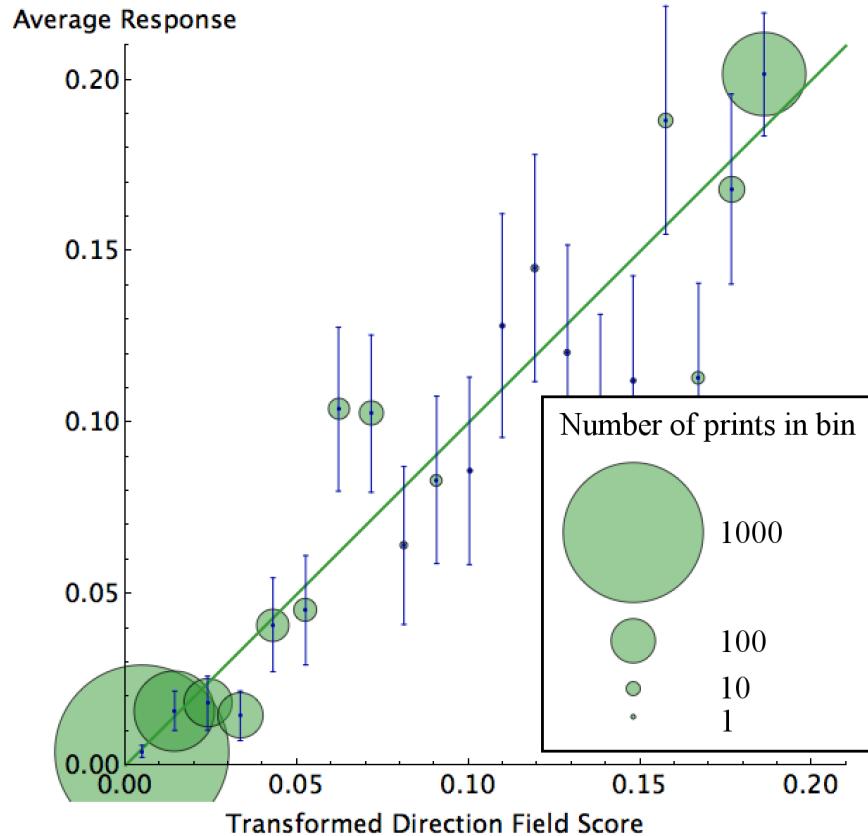
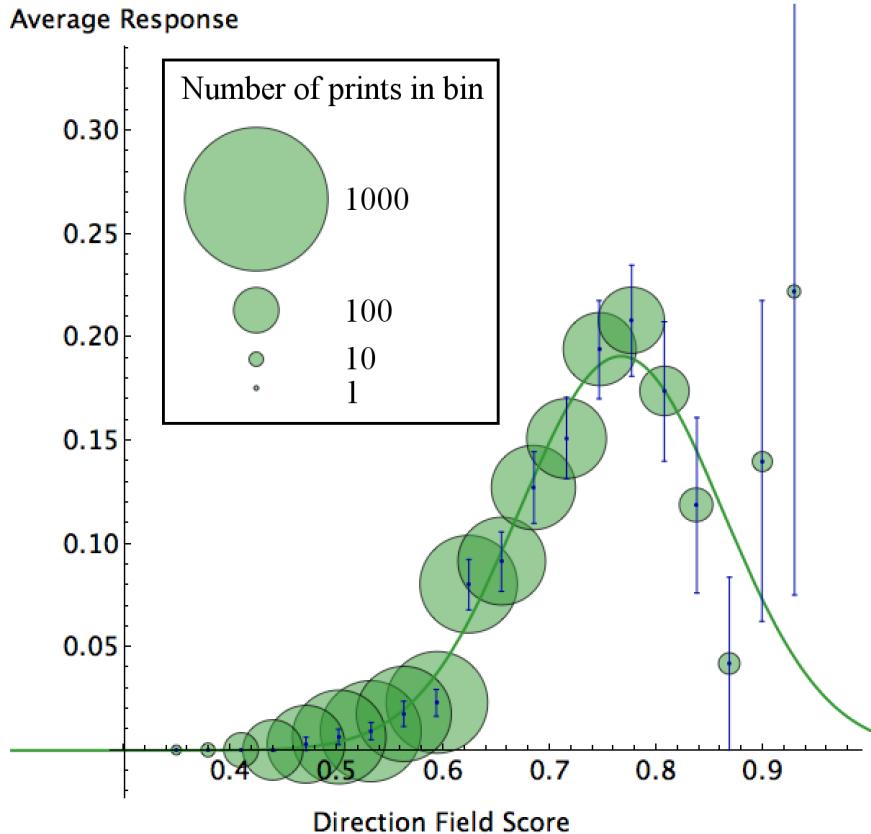
Feature Transformations



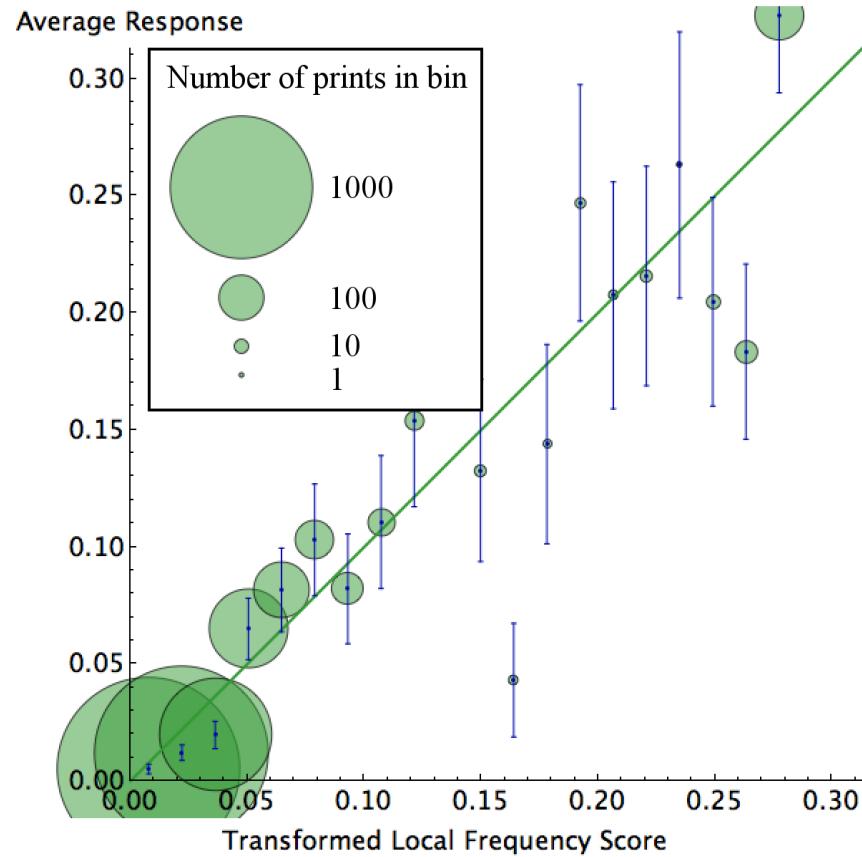
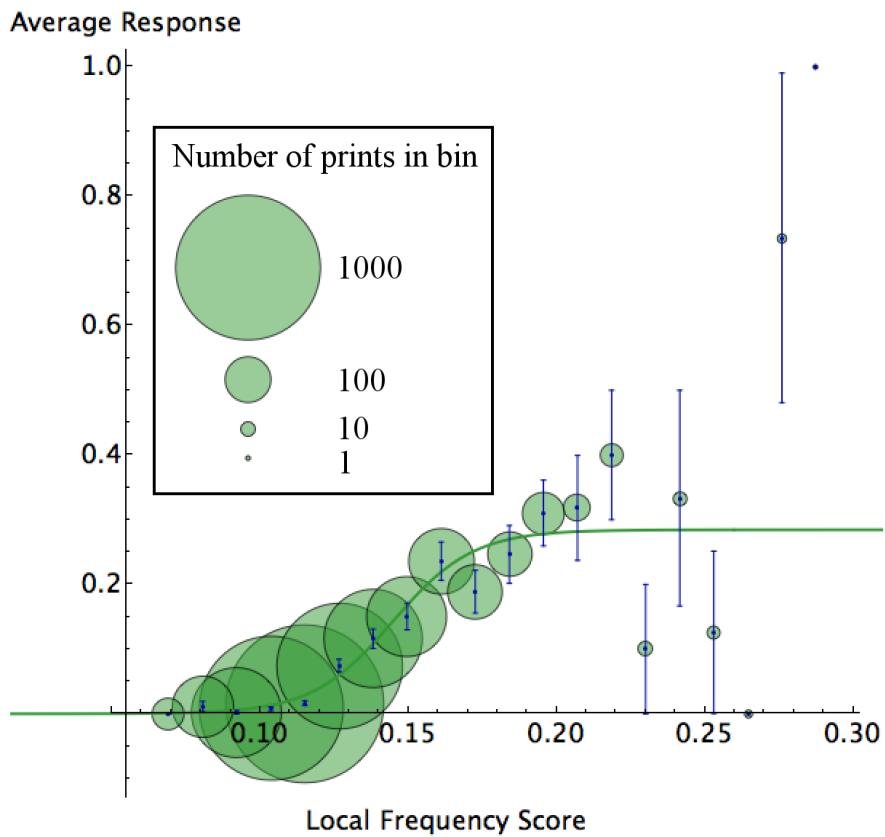
Feature Transformations



Feature Transformations



Feature Transformations



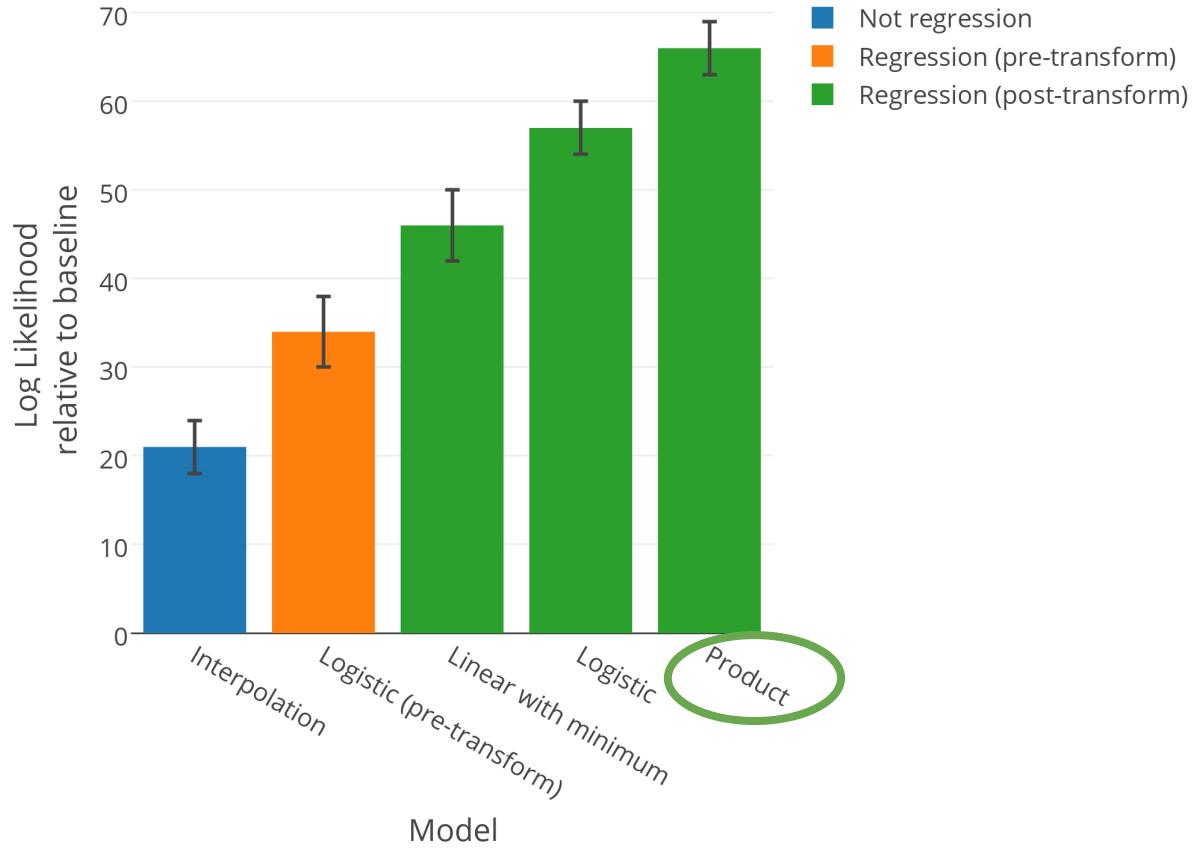
Log Likelihood

Our best statistic for judging a model:

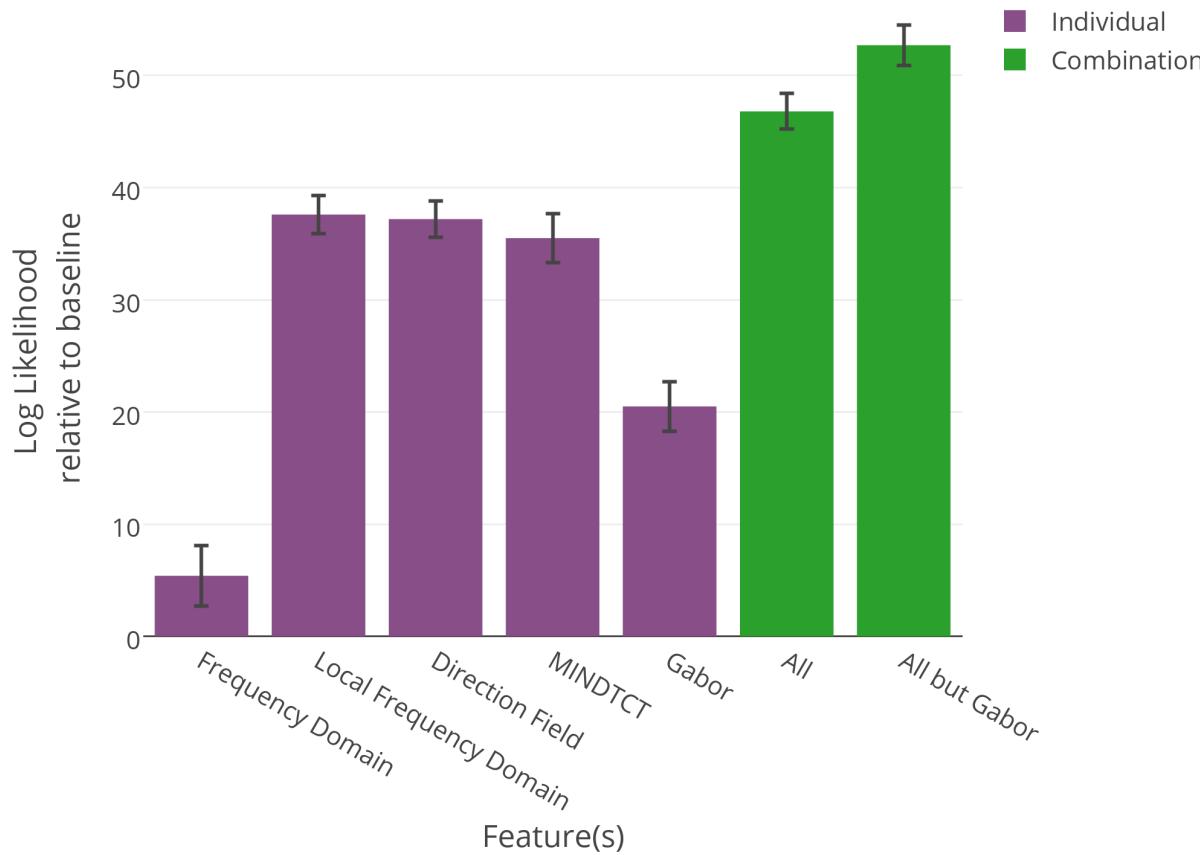
$$\text{log likelihood} = \sum_{\text{testing}} \ln(q_o q_p + (1 - q_0)(1 - q_p))$$

- The probability of observing testing data, assuming our model is correct
- Incorporates both how powerful the model is and how consistent its claims are
- The higher, the better

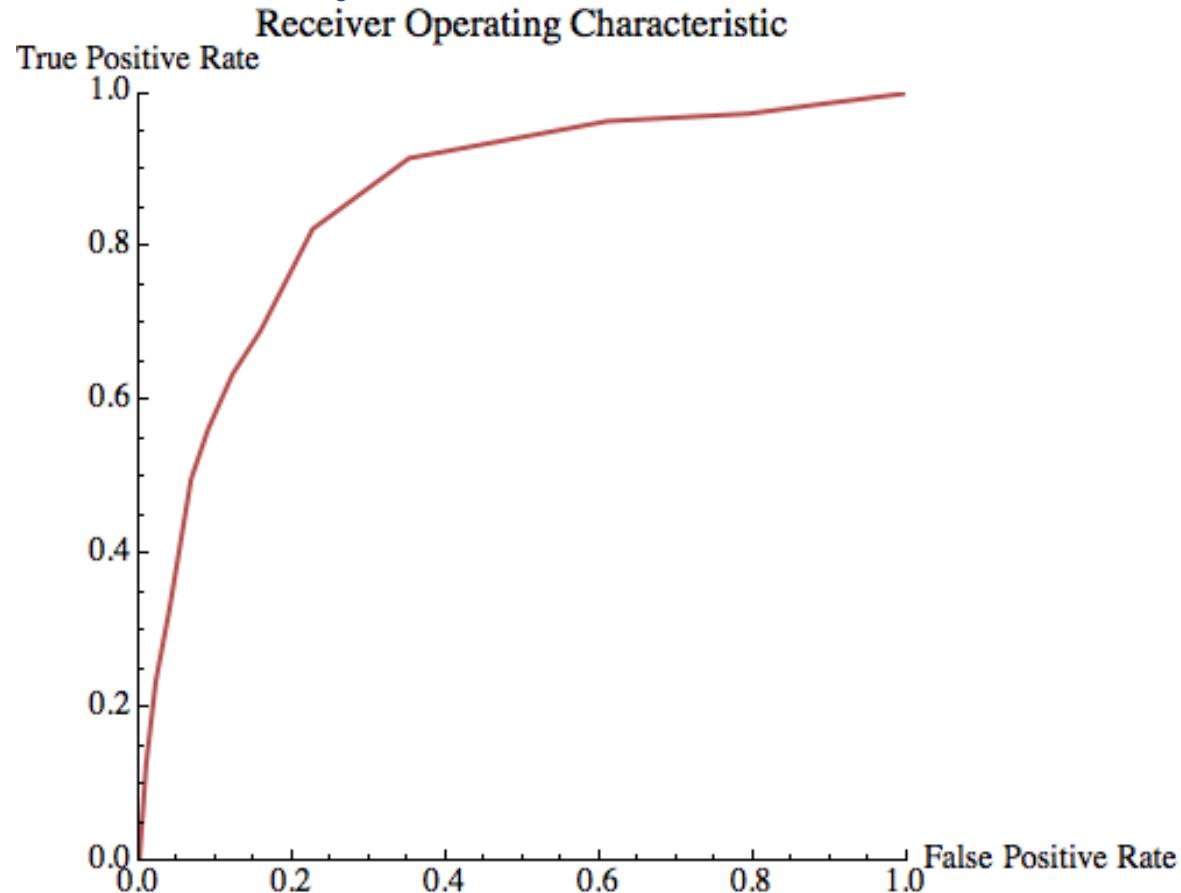
Model Performance



Feature Performance



High/Low Quality Classification



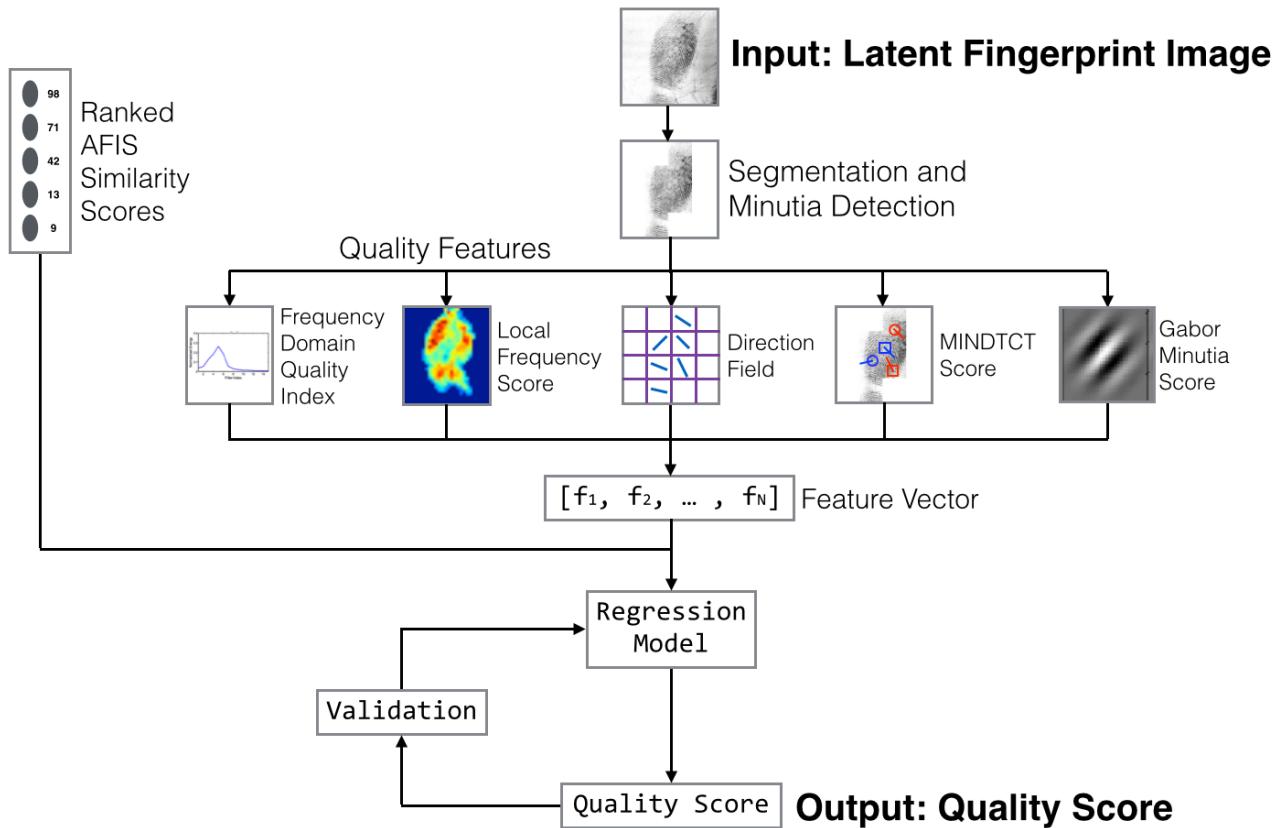
Limitations

- Only one data set of ~5000 latent prints and 120 exemplar prints used
- Data set prints only from 6 individuals
- Only one AFIS

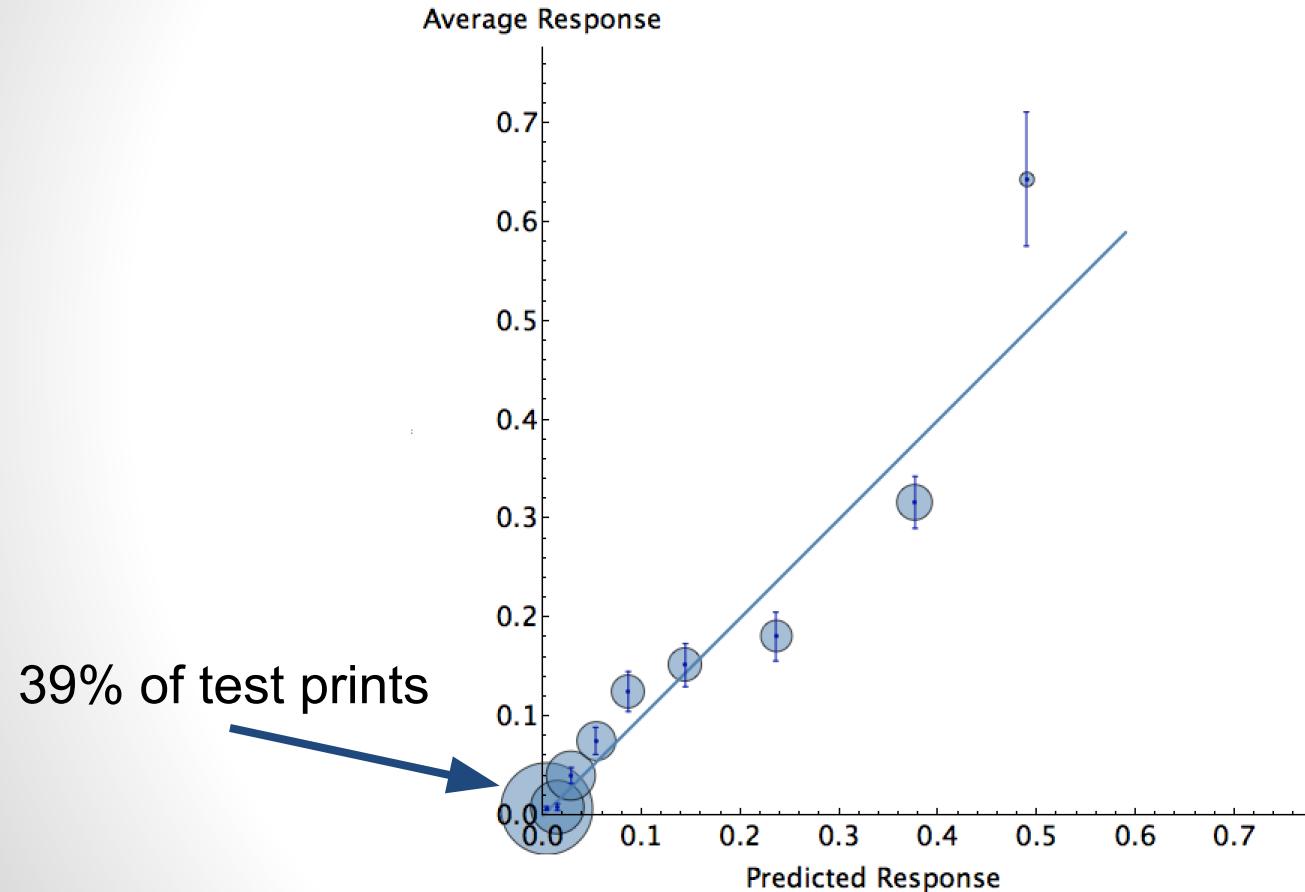
Takeaways

- Calculate quality of a print using a trained model
- Determined a model which effectively incorporates data from multiple features
- Reject at least 36% of latent prints with over 99% confidence

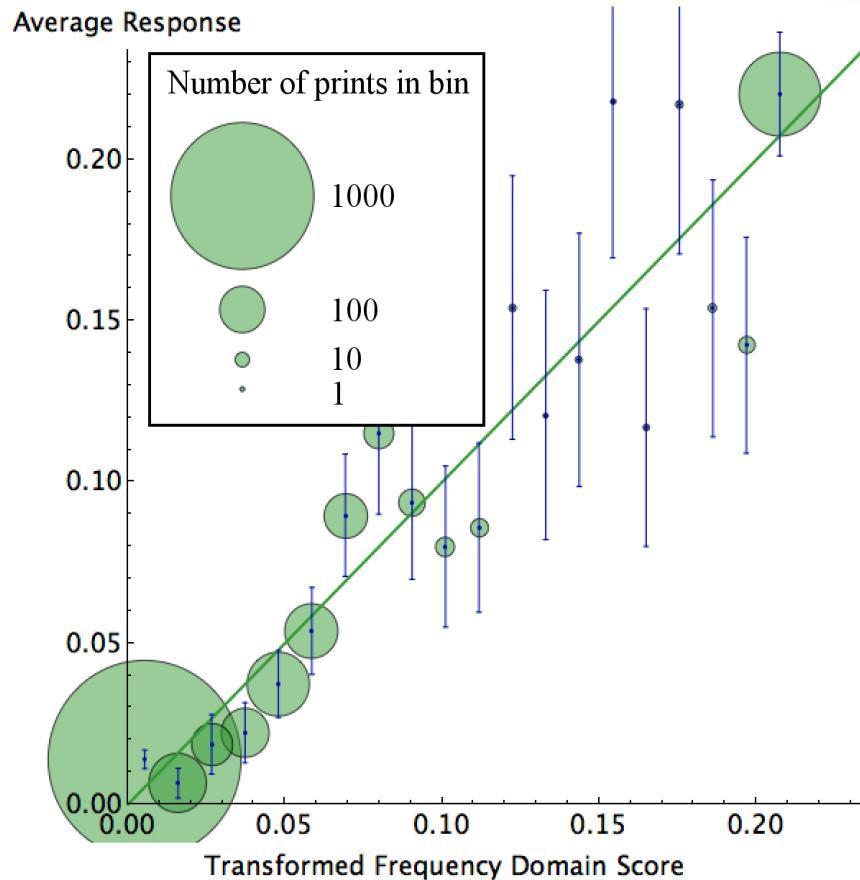
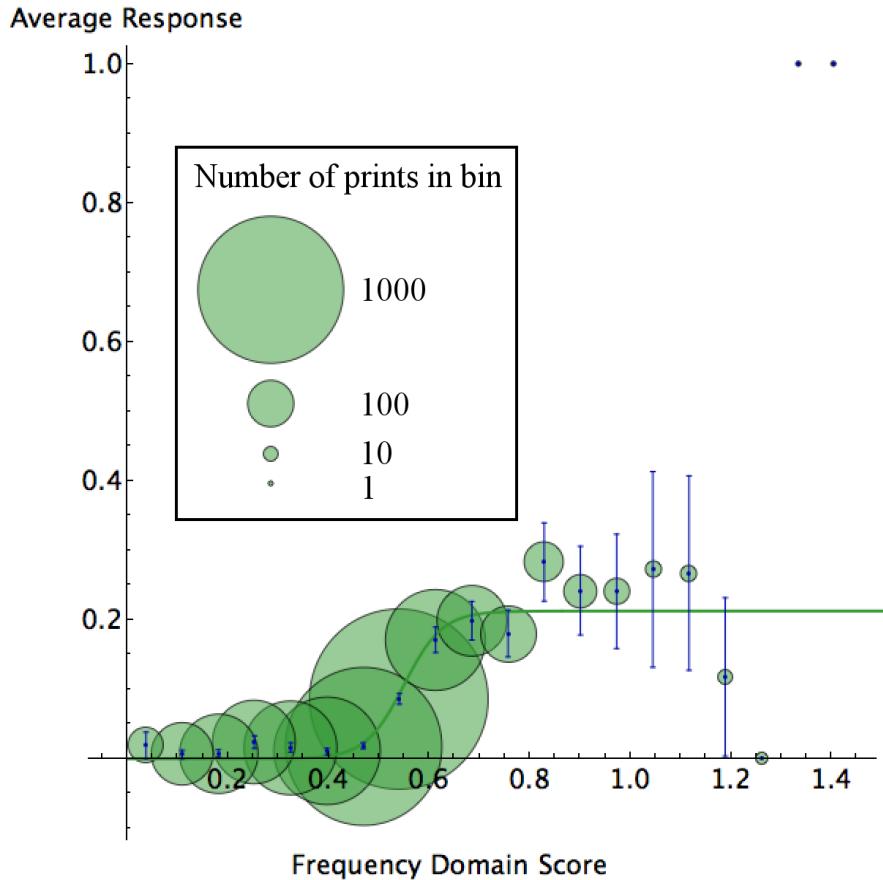
Questions?



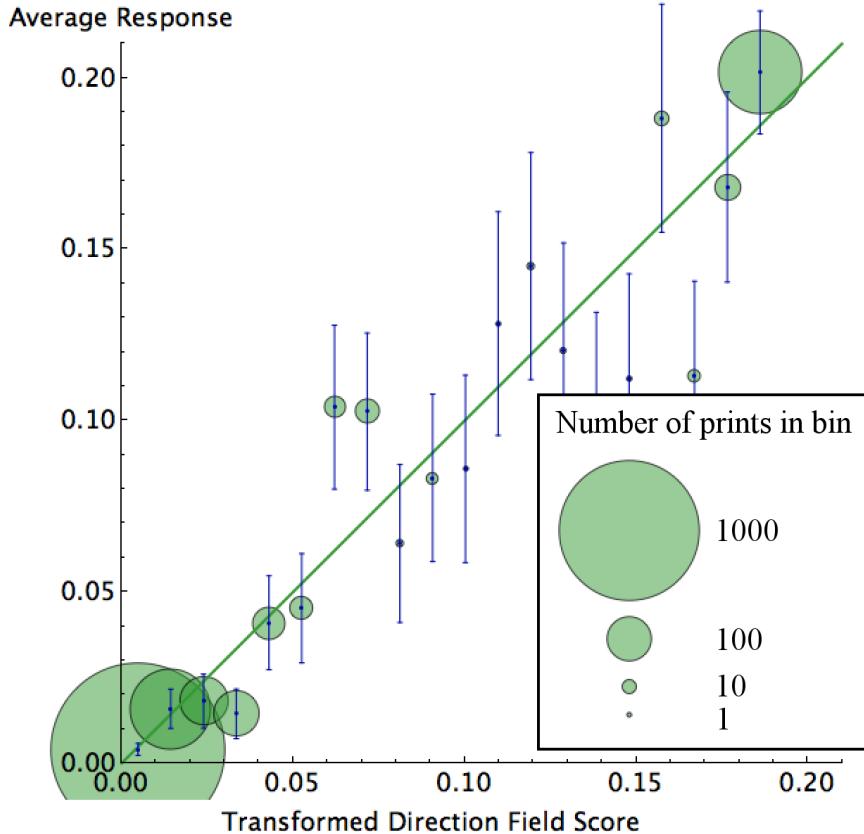
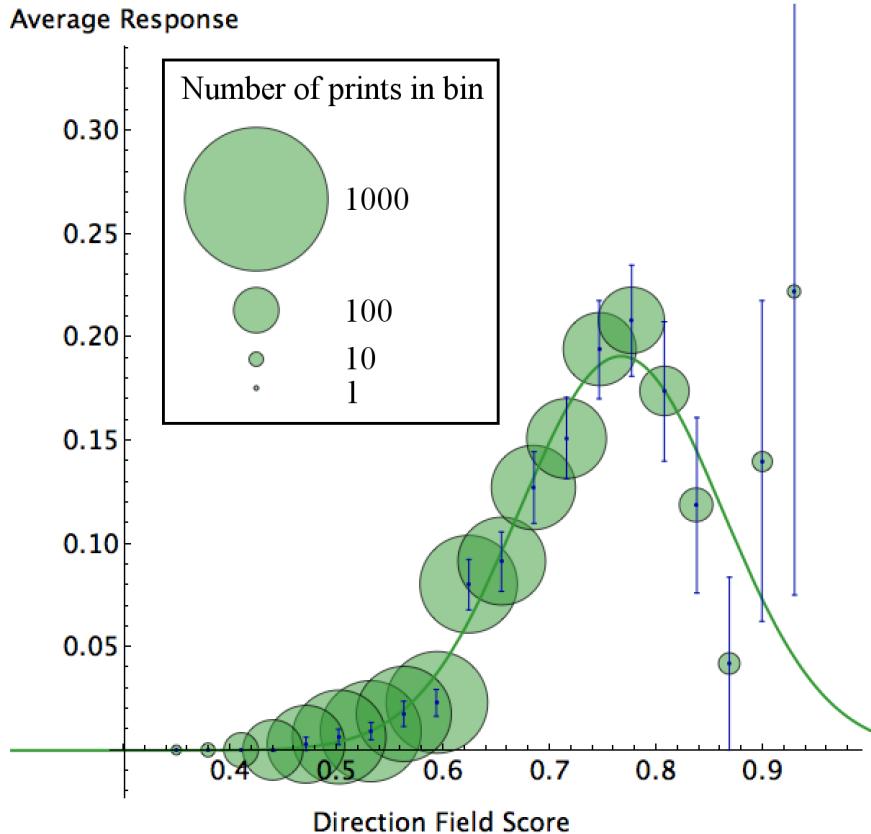
Model Predictions versus Response Variable



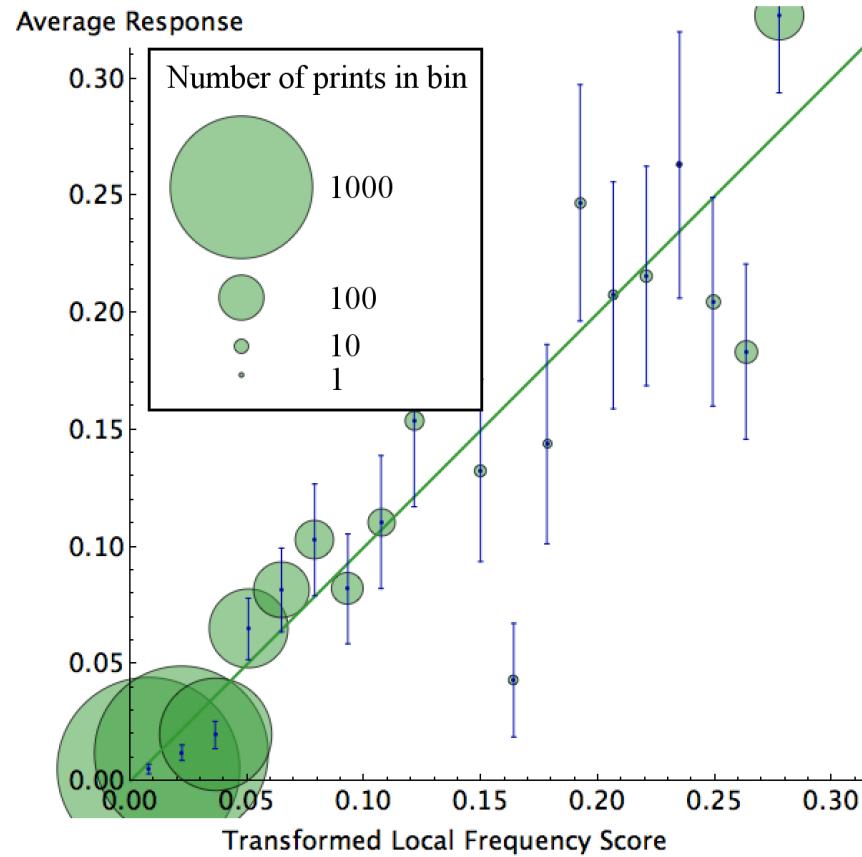
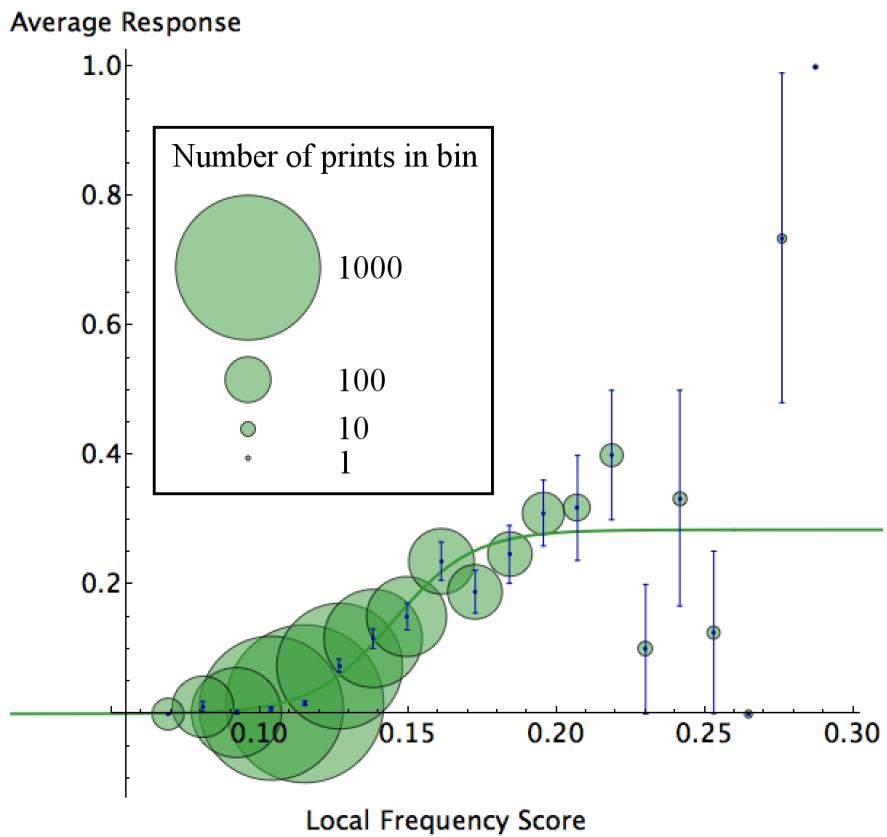
Feature Transformations



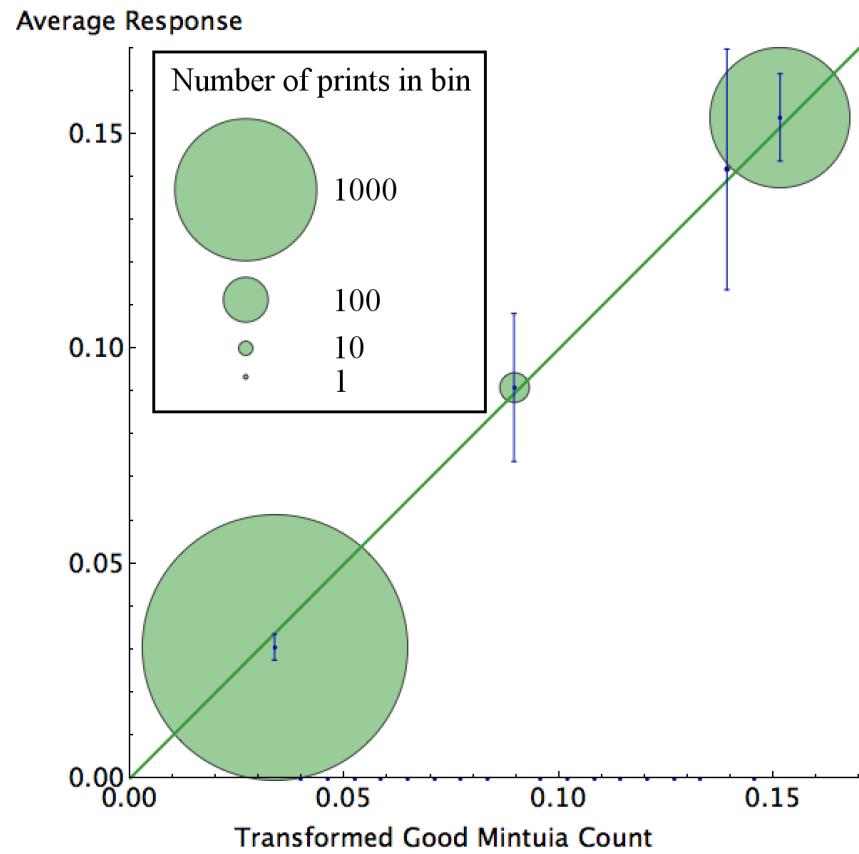
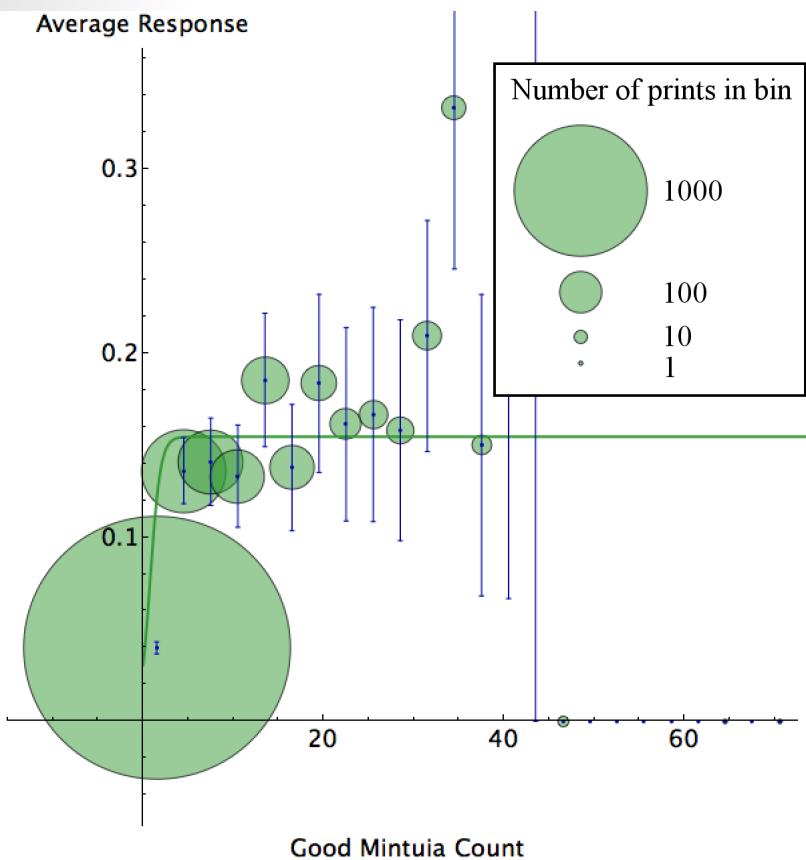
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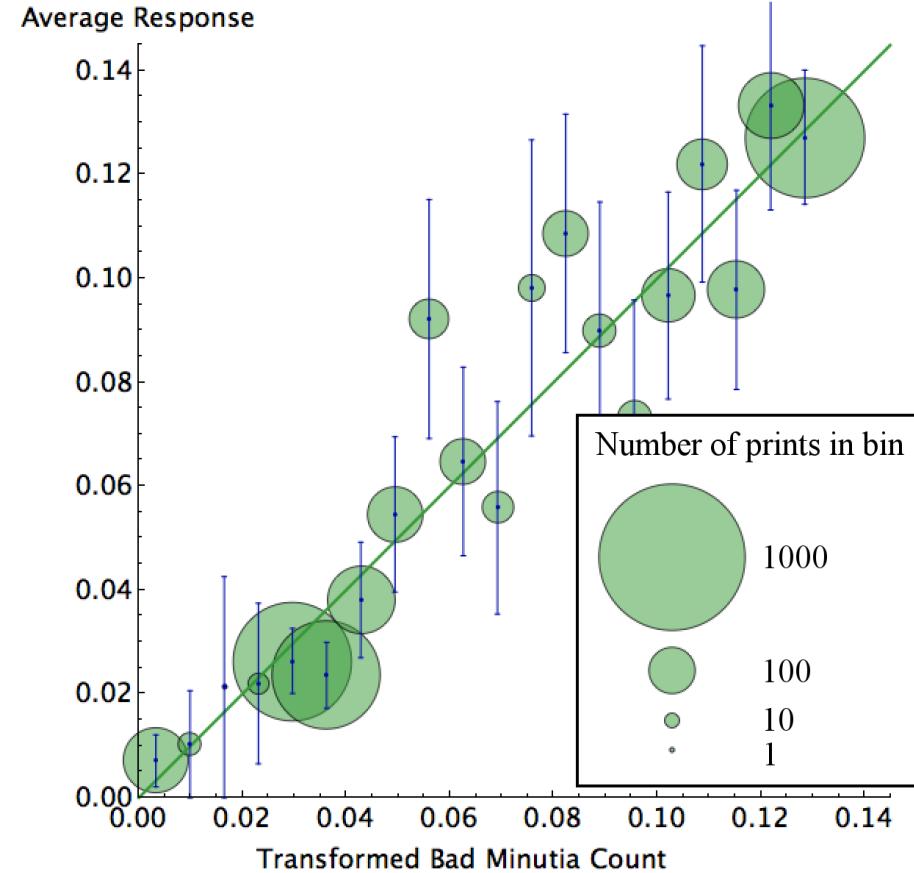
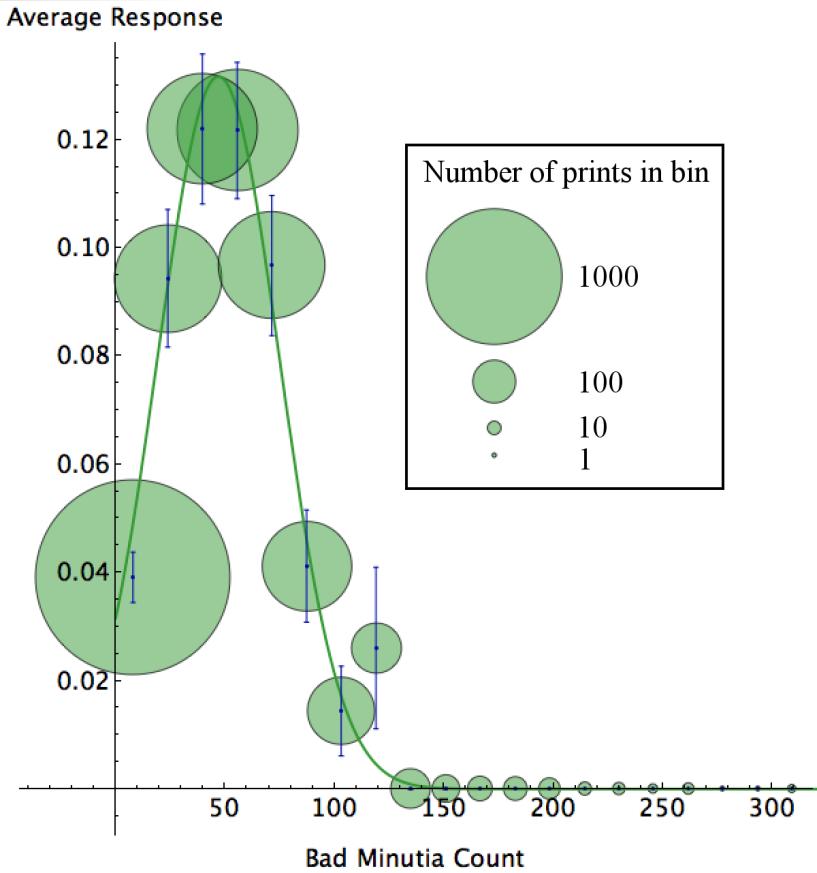
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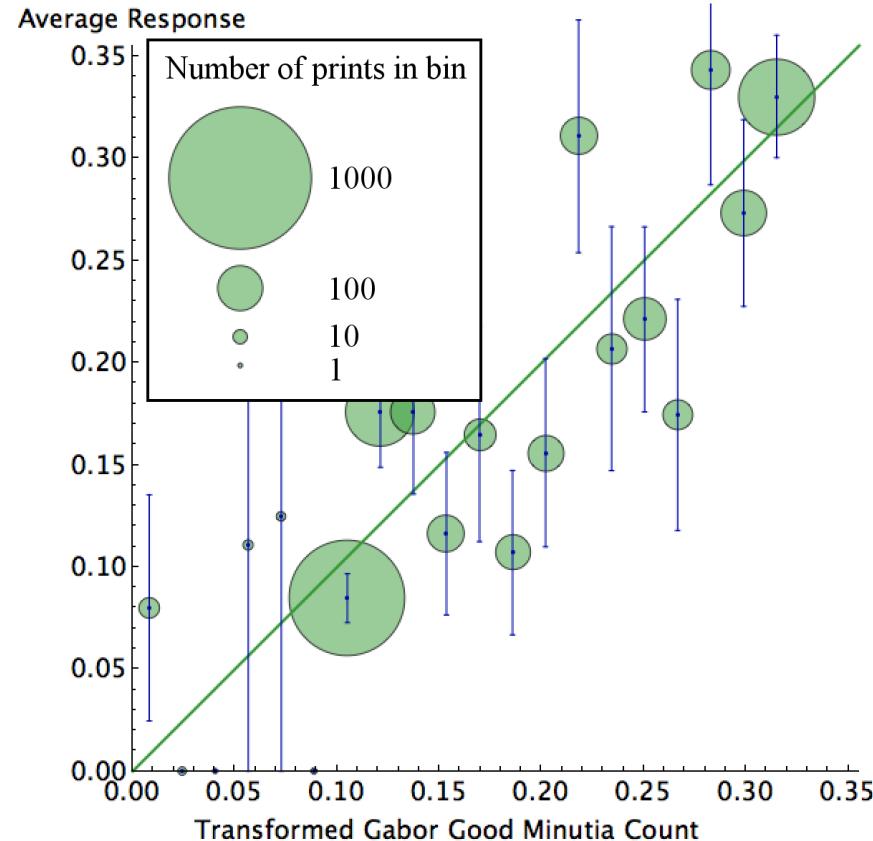
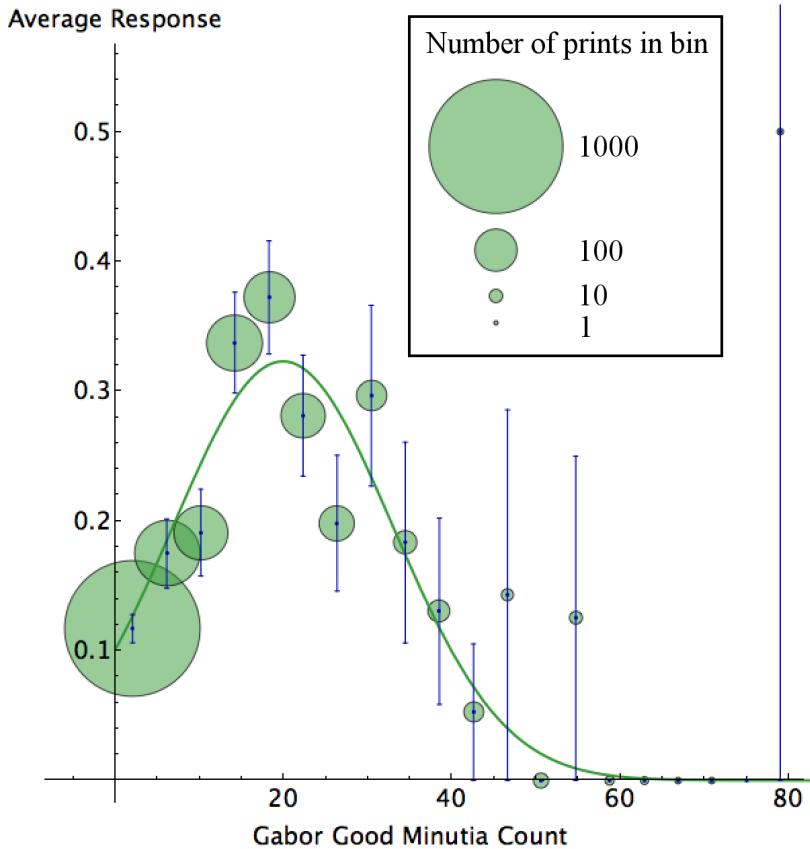
Feature Transformations



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Feature Transformations



Feature Transformations

