#### Problem Solving Session 1

- 1. ADD OR NOT
- 2. Find Smallest Again
- 3. Langust Rectangle in Kistogram
  Ly Max Reetangle in Binary Matrix

#### ADD OR NOT

liner an array A[N] & integer B.

In a single operation, you can increase any ali) by I. You are allowed to do at most B such operations. find the no. with the maximum no. of occurances.

If there are multiple even numbers, find minimum one,

$$A = [3 \ 1 \ 2 \ 2 \ 1]$$

P1

F1

F1

frequency number

$$A = [5, 5, 5]$$
  $B = 3$   $am = [3, 5]$ 

### Sort array

 $A = \begin{bmatrix} 1 & 1 & 2 & 2 & 3 \end{bmatrix}$ 

#### brukforce

```
sort ( array)
  am=0
num=-1
forli=0 to n-1) g
   int C=1;
   int of = B;
  for (j=i-1 to 0) {
     if (au) -au) <= op) {
          op -= aui-alj)
     eln
  if (am < c) §
       am = c;
```

num =ali)

TC= O(N2)

SU O(1)

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1<=N<=105

Do binary search to find out now many elements can become equal to ali) in <=B operations.

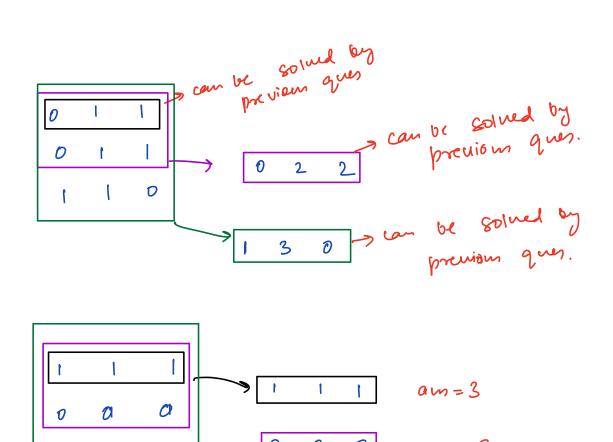
$$A = \begin{bmatrix} 1 & 1 & 2 & 2 \\ 1 & 2 & 2 \\ 1 & 1 & 2 \end{bmatrix}$$
au)

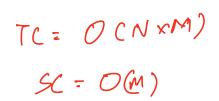
cam me make this sange of exements equal to all)

=) 
$$3-1$$
  
 $3-2$   
=)  $3 \times 3 - (1+2+2)$   
=)  $3 \times 3 - (\text{Sum of elements from 1 ms})$ 

# Largest Rectangle in Vistogram TC=O(N) S(=O(N)

# Mar Rectaugle in Binary Matrix





## And Small Again

leinen array A[n]

If we stork sum of each triplet in a list, tind the 15th smallest element in 113t.

3rd smallst

Sort tue array

A= [2234]

1= smalles aus = a10)+a11) +a12)

(= largest am = aln-1) +aln-2) faln-3)

do binary search in [2,8]

mid = lf(x-1)/2

11 how to check if mid is answer

main now many triplet sums is less than mid

maiy Thing

$$A = \begin{bmatrix} 1 & 2 & 3 & \begin{bmatrix} 5 & 7 \end{bmatrix} \end{bmatrix}$$

mid = 13

Codes link

https://ideone.com/sEQttU