Two Pointers

Agenda

- 1015 of questions

Buerlien 1

liven a gosted arrang A & integer k. find any

pair (i,j) s.t. Au) + A(j) = K & i)=j

 $A = \begin{bmatrix} -5 & -2 \\ 1 & 8 \end{bmatrix}$ $\begin{bmatrix} 9 & 5 & 6 \\ 10 & 12 & 15 \end{bmatrix}$ $\begin{bmatrix} 12 & 15 \\ 1 & 12 & 15 \end{bmatrix}$

am = (2,4)

A=[-3 0 1 3 6 8 11 14 18 25] K=12

1. Bruteforce > TC=O(N2) SC=O(1)

2. Hasting > Alj) = K-Ali) is present.

T(=OLN) S(=OW)

$$A = \begin{bmatrix} -5 & -2 & 1 & 8 & 10 & 12 & 15 \end{bmatrix}$$

$$\dot{i} \qquad \dot{i} \qquad \dot{j} \qquad$$

$$-2+12 = 10 < K$$
 $1+12 = 13 > K$
 $1+10 = 11 = K$

code

Question 2 (sosted array)

Count the no. of pairs (i',i) s.t. Au)+ A(j) = K f

(i'!=j)

2 parks: 1. Distinct array
2. Duplicatos allowed

1. Distinct array

$$A = \begin{bmatrix} 1 & 2 & 3 & 4 & 5 & 6 \\ 2 & 3 & 4 & 5 & 6 & 8 \end{bmatrix} \qquad [K = 10]$$

$$1 + 8 < 10 = 10$$

$$2 + 9 = 10 = 2 \text{ cut pp}, i + p = 10$$

$$3 + 6 < 10 = 2 \text{ cut pp}, i + p = 10$$

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2. Duplicate Auss

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(ode

```
(ut=0, i=0, j=m-)
while (i<j) }
   if (Au) + Ay) < K) i++
    au if (Au) + Auj) >k) j--
    euce & 4 Au) + AU) = K
         if (AU) == AY)) 3
              c=j-i+1
              octum cut
          eln { 1. Ali) < AG)
            C1 =1
            while (Au) == Ali+1]) }
               CIPP, L'PP
            C2 = 1
             wwilc(AG) -= AG-1))}
                (2+4, j--
                                     7 C- O(N)
             Cut += C1 + C2
                                       SL = 0(1)
```

return cut

$$1+8 < 10 \Rightarrow i+1$$

 $2+8 = 10 (2!=8) (2!=8) (2=4) (2=4) (2=4) (3=4) (2=4) (3=4)$

$$C = j - i + 1 = 6 - 5 + 1 = 2$$
 $2L_2 = 1$

Suntien 3

luner a sosted array A & integer K.

find any pair li,j) S.t. Ayj-Au) = k & i!=j

2 K70

Bouteforce V

Hasning V

Binary search

Two Pointen

$$A = \begin{bmatrix} -5 & -2 & 1 & 8 & 10 & 12 & 15 \end{bmatrix}$$
 | $K = 11$

$$A = \begin{bmatrix} -5 & -2 & 1 & 8 & 10 & 12 & 15 \end{bmatrix}$$

$$-2 - (-5) = 3 & (11 =) increase$$

$$1 - (-5) = 6 & (11 =) -7 +$$

$$8 - (-5) = 13 & (-7) = 3 & decrease$$

$$(+7) = 10 & (-7) = 10 & (-7) = 10 & (-7) = 12 & (-7) = 10 & (-7) = 12 & (-7) = 10 & (-7) = 12 & (-7) = 10 & (-7) = 12 & (-7) = 10 & (-7) = 12 & (-7) = 10 & (-7) = 12 & (-7) = 10 & (-7) = 12 & (-7) = 10 & (-7) = 12 & (-7) = 10 & (-7) = 12 & (-7) = 10 &$$

Code

while
$$(j < n)$$
?

$$if(A(j) - A(i)) = = R$$

$$if(A(j) - A(i)) = = R$$

$$if(A(j) - A(i)) = R$$

$$if(A(j) - A(i)) = R$$

$$C = O(1)$$

SC= 0(1)

else 1:44

3

setum (-1,-1)

Question 4 (not sosted)

linen an array A l'integer K fi, Ali) 70 eveck if these exist a kubarray with sum=K.

A = [1 3 15 10 20 3 23] K = 33

Bruteforce > # subarray, check sum=K

TC=O(N2) SC=O(1) using carry freward

A=[125 43] K=9

Profix Sum

$$A = \begin{bmatrix} 1 & 2 & 3 & 4 & 5 & 6 \\ A = \begin{bmatrix} 1 & 3 & 15 & 10 & 20 & 3 & 23 \end{bmatrix}$$
 $K = 33$
 $Pf = \begin{bmatrix} 1 & 4 & 19 & 29 & 49 & 52 & 75 \end{bmatrix}$

La always increasing =) sorted

$$pf(j) - pf(i) = K$$
 or $pf(j) = K$ uike Quertion 3

$$A = \begin{bmatrix} 1 & 2 & 3 & 4 & 5 \\ 1 & 3 & 15 & 10 & 20 & 3 \\ 23 & 3 & 3 & 3 &$$

4 < K

19 < K

29 KK

49 7K =

=) semone elements

48 > K

45 >K

30 KK

33 = K

Cocle i=0, j=0, Sum = A(0) while (j < n) = K if (sum < K) = K

if (sum < K) \S j++ //j=nif (j==n) return talse sum += A L j)

/
els {
sum -= Au)

sum -= AU) i+1

xtum false

TC=OW)

SC=0(1)

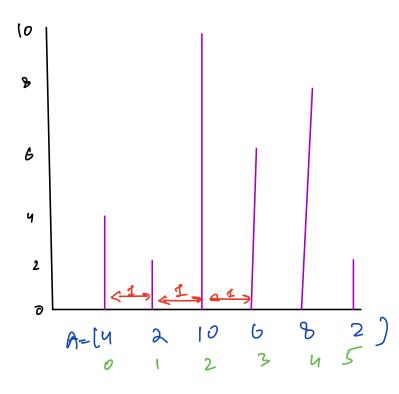
Sussian 5

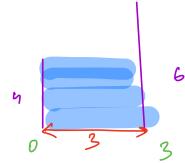
liver an array where all) represent height of in wall. find any 2 walls that can form a container to store maximum water.

area = height * widter

L

nin(Acil, Acil) j-i

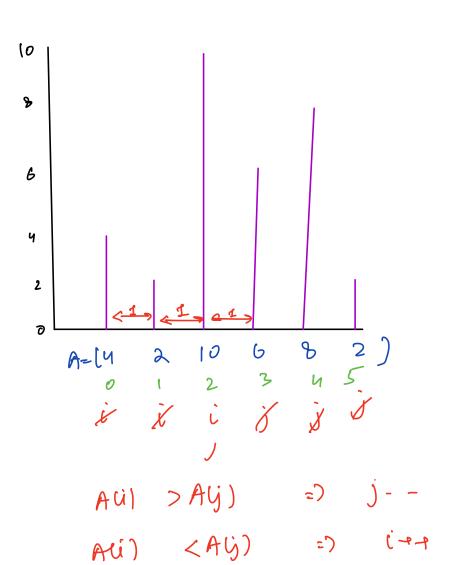




$$M = \min(9,6) = 4$$
 $W = 3$
 $\max_{1} = 3x4 = 12$

Boutefore - +ij. s.t i<j

Calculate area & take mox T(=0) S(=011)



$$(5-0) \times uuiu(4/2) = 5 \times 2 = 10$$
 $(4-0) \times uuiu(4/8) = 4 \times 4 = 16$
 $(4-1) \times uuiu(2/8) = 3 \times 2 = 6$
 $(4-2) \times uuiu(10/8) = 2 \times 8 = 16$
 $(3-2) \times uuiu(10/6) = | \times 6 = 6$

Code

$$i=0$$
, $j=n-1$, $aun=0$
while $(i < j)$ f
 $area = (j-i) + min(Aui), A(j1)$
 $am = max(aun, area)$
if $(Aui) < A(j1)$ iff
 $cix if (Aui) > A(j1) j--$

eux
$$\frac{2}{3}$$

$$\frac{1}{3}$$

datio Contest Re-attempt

Re-attemp 2: Nov 16 - Nov 23
Re-attemp 3: Nov 23 - Jan 7