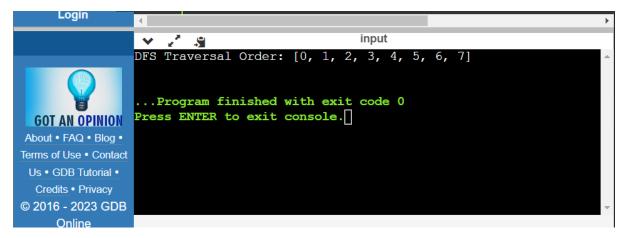
Day-23

Problem 1: Given an undirected graph, return a vector of all nodes by traversing the graph using depth-first search (DFS).

```
def dfs(graph, start_node, visited, traversal_order):
  visited[start_node] = True
  traversal_order.append(start_node)
  for neighbor in graph[start_node]:
    if not visited[neighbor]:
       dfs(graph, neighbor, visited, traversal_order)
def dfs_traversal(graph):
  num_nodes = len(graph)
  visited = [False] * num_nodes
  traversal_order = []
  for node in range(num_nodes):
    if not visited[node]:
       dfs(graph, node, visited, traversal_order)
  return traversal_order
example_graph = {
  0: [1, 2],
  1: [0, 2, 3],
  2: [0, 1, 3],
  3: [1, 2, 4],
  4: [3, 5],
  5: [4],
  6: [7],
  7: [6]
}
```

traversal_result = dfs_traversal(example_graph)

print("DFS Traversal Order:", traversal_result)



Problem – 2: Given an undirected graph, return a vector of all nodes by traversing the graph using breadth-first search (BFS).

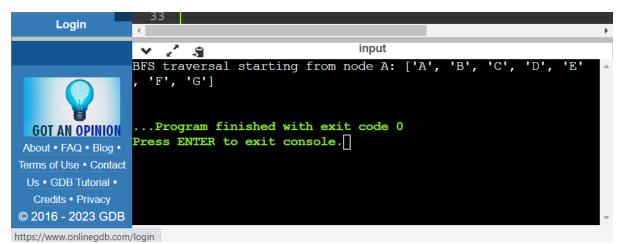
from collections import deque

```
def bfs(graph, start_node):
  visited = set()
  queue = deque([start_node])
  visited.add(start_node)
  result = []
  while queue:
    current_node = queue.popleft()
    result.append(current_node)
    for neighbor in graph[current_node]:
       if neighbor not in visited:
         visited.add(neighbor)
         queue.append(neighbor)
  return result
graph = {
  'A': ['B', 'C'],
  'B': ['A', 'D', 'E'],
  'C': ['A', 'F', 'G'],
  'D': ['B'],
  'E': ['B'],
  'F': ['C'],
  'G': ['C']
}
```

start_node = 'A'

bfs_result = bfs(graph, start_node)

print("BFS traversal starting from node {}: {}".format(start_node, bfs_result))



Problem – 3 Given an undirected graph with V vertices and E edges, check whether it contains any cycle or not. (using DFS)

from collections import defaultdict

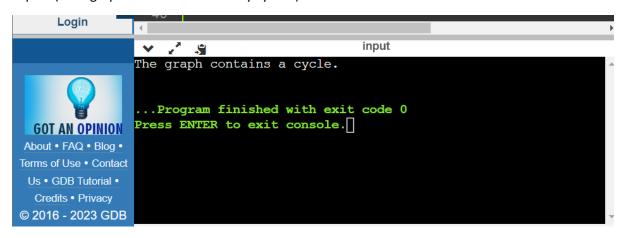
```
class Graph:
  def __init__(self, vertices):
    self.V = vertices
    self.graph = defaultdict(list)
  def add_edge(self, u, v):
    self.graph[u].append(v)
    self.graph[v].append(u)
  def is_cyclic_util(self, v, visited, parent):
    visited[v] = True
    for neighbor in self.graph[v]:
       if not visited[neighbor]:
         if self.is_cyclic_util(neighbor, visited, v):
            return True
       elif parent != neighbor:
         return True
     return False
  def contains_cycle(self):
    visited = [False] * self.V
    for i in range(self.V):
       if not visited[i]:
         if self.is_cyclic_util(i, visited, -1):
```

return True

return False

```
V = 5
E = 4
g = Graph(V)
edges = [(0, 1), (1, 2), (2, 1), (3, 4)]
for u, v in edges:
    g.add_edge(u, v)

if g.contains_cycle():
    print("The graph contains a cycle.")
else:
    print("The graph does not contain any cycle.")
```

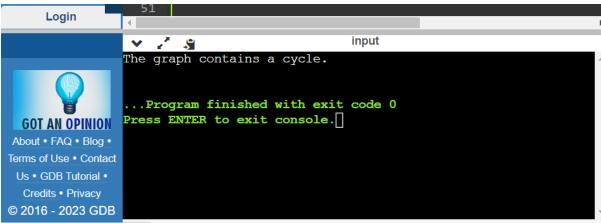


Problem – 4 Given an undirected graph with V vertices and E edges, check whether it contains any cycle or not. (using BFS)

from collections import defaultdict, deque

```
class Graph:
  def __init__(self, vertices):
    self.V = vertices
    self.graph = defaultdict(list)
  def add_edge(self, u, v):
    self.graph[u].append(v)
    self.graph[v].append(u)
  def is_cyclic_util(self, v, visited, parent):
    queue = deque([(v, parent)])
    visited[v] = True
    while queue:
      current_node, parent = queue.popleft()
      for neighbor in self.graph[current_node]:
         if not visited[neighbor]:
           queue.append((neighbor, current_node))
           visited[neighbor] = True
         elif parent != neighbor:
           return True
    return False
  def contains_cycle(self):
    visited = [False] * self.V
```

```
for v in range(self.V):
       if not visited[v]:
         if self.is_cyclic_util(v, visited, -1):
            return True
    return False
V = 4
E = 4
g = Graph(V)
edges = [(0, 1), (1, 2), (2, 3), (3, 0)]
for u, v in edges:
  g.add_edge(u, v)
if g.contains_cycle():
  print("The graph contains a cycle.")
else:
  print("The graph does not contain any cycle.")
```



Problem 5 Given an directed graph with V vertices and E edges, check whether it contains any cycle or not. (using DFS)

from collections import defaultdict

```
class Graph:
  def __init__(self, vertices):
    self.vertices = vertices
    self.graph = defaultdict(list)
  def add_edge(self, u, v):
    self.graph[u].append(v)
  def is_cyclic_util(self, v, visited, recursion_stack):
    visited[v] = True
    recursion_stack[v] = True
    for neighbor in self.graph[v]:
       if not visited[neighbor]:
         if self.is_cyclic_util(neighbor, visited, recursion_stack):
           return True
       elif recursion_stack[neighbor]:
         return True
    recursion_stack[v] = False
    return False
  def contains_cycle(self):
    visited = [False] * self.vertices
    recursion_stack = [False] * self.vertices
    for v in range(self.vertices):
```

```
if not visited[v]:
       if self.is_cyclic_util(v, visited, recursion_stack):
         return True
    return False
V = 4
E = 6
graph = Graph(V)
graph.add_edge(0, 1)
graph.add_edge(0, 2)
graph.add_edge(1, 2)
graph.add_edge(2, 0)
graph.add_edge(2, 3)
graph.add_edge(3, 3)
if graph.contains_cycle():
  print("The graph contains at least one cycle.")
else:
  print("The graph does not contain any cycle.")
                                           input
The graph contains at least one cycle.
 ...Program finished with exit code 0
Press ENTER to exit console.
```

Problem – 6 : Topological Sort (BFS)

from collections import defaultdict, deque def topological_sort_bfs(graph): in_degree = {node: 0 for node in graph} for node in graph: for neighbor in graph[node]: in_degree[neighbor] += 1 queue = deque() for node in in_degree: if in_degree[node] == 0: queue.append(node) topological_order = [] while queue: node = queue.popleft() topological_order.append(node) for neighbor in graph[node]: in_degree[neighbor] -= 1 if in_degree[neighbor] == 0: queue.append(neighbor) if len(topological_order) != len(graph): # The graph contains cycles, so topological sort is not possible return None return topological_order graph = {

'A': ['B', 'C'],

```
'B': ['D'],

'C': ['D'],

'D': ['E'],

'E': []
}

result = topological_sort_bfs(graph)

if result is not None:

    print("Topological Sort (BFS):", result)

else:

    print("The graph contains cycles. Topological Sort is not possible.")
```

```
input

Topological Sort (BFS): ['A', 'B', 'C', 'D', 'E']

...Program finished with exit code 0

Press ENTER to exit console.
```

Problem – 7 : Topological Sort (DFS)

from collections import defaultdict

```
class Graph:
  def __init__(self):
    self.graph = defaultdict(list)
  def add_edge(self, u, v):
    self.graph[u].append(v)
  def topological_sort_util(self, v, visited, stack):
    visited[v] = True
    for neighbor in self.graph[v]:
       if not visited[neighbor]:
         self.topological_sort_util(neighbor, visited, stack)
    stack.append(v)
  def topological_sort(self):
    visited = [False] * (max(self.graph) + 1)
    stack = []
    for i in range(len(visited)):
       if not visited[i]:
         self.topological_sort_util(i, visited, stack)
    return stack[::-1]
g = Graph()
g.add_edge(5, 2)
```

```
g.add_edge(5, 0)
g.add_edge(4, 0)
g.add_edge(4, 1)
g.add_edge(2, 3)
g.add_edge(3, 1)
```

print("Topological Sort (DFS):", g.topological_sort())

```
input
Topological Sort (DFS): [5, 4, 2, 3, 1, 0]

...Program finished with exit code 0

Press ENTER to exit console.
```

Problem – 8 Given a boolean 2D matrix grid of size N x M. You have to find the number of distinct islands where a group of connected 1s (horizontally or vertically) forms an island. Two islands are considered to be distinct if and only if one island is equal to another (not rotated or reflected).

```
def numDistinctIslands(grid):
  def dfs(x, y, shape):
    if 0 \le x \le len(grid) and 0 \le y \le len(grid[0]) and grid[x][y] == 1:
       grid[x][y] = 0
       shape.append((x, y))
       dfs(x + 1, y, shape)
       dfs(x - 1, y, shape)
       dfs(x, y + 1, shape)
       dfs(x, y - 1, shape)
  unique_shapes = set()
  for i in range(len(grid)):
     for j in range(len(grid[0])):
       if grid[i][j] == 1:
         shape = []
         dfs(i, j, shape)
         unique_shapes.add(tuple(shape))
  return len(unique_shapes)
grid = [
  [1, 1, 0, 0, 0],
  [1, 1, 0, 0, 0],
  [0, 0, 0, 1, 1],
  [0, 0, 0, 1, 1]
```

]

print(numDistinctIslands(grid))

```
input

2

...Program finished with exit code 0

Press ENTER to exit console.

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```
Problem - 9,10: Bipartite Check using:
        9. DFS
        10. BFS
from collections import deque
def is_bipartite_bfs(graph, start_node):
  queue = deque([start_node])
  color = {start_node: 1} # Colors: 1 and -1 represent the two partitions.
  while queue:
    current_node = queue.popleft()
    for neighbor in graph[current_node]:
      if neighbor not in color:
         color[neighbor] = -color[current_node]
         queue.append(neighbor)
      elif color[neighbor] == color[current_node]:
         return False
  return True
def is_bipartite_dfs(graph, start_node):
  stack = [(start_node, 1)]
  color = {}
  while stack:
    current_node, current_color = stack.pop()
    if current_node in color:
      if color[current_node] != current_color:
         return False
      continue
    color[current_node] = current_color
```

```
next_color = -current_color
  stack.extend((neighbor, next_color) for neighbor in graph[current_node])

return True

def is_bipartite(graph):
  start_node = next(iter(graph))
  return is_bipartite_bfs(graph, start_node) and is_bipartite_dfs(graph, start_node)

graph = {
    1: [2, 3],
    2: [1, 4],
    3: [1, 4],
    4: [2, 3]
}
```

print(is_bipartite(graph))

```
input

True

...Program finished with exit code 0

Press ENTER to exit console.
```