## Compute performance metrics for the given Y and Y score without sklearn

In [2]: 1 import numpy as np
2 import pandas as pd
3 # other than these two you should not import any other packages

A. Compute performance metrics for the given data 5\_a.csv

Note 1: in this data you can see number of positive points >> number of negatives points

Note 2: use nandas on number to need the data from 5 a csv

Note 2: use pandas or numpy to read the data from 5\_a.csv Note 3: you need to derive the class labels from given score

 $y^{pred} = [0 \text{ if y\_score} < 0.5 \text{ else } 1]$ 

- 1. Compute Confusion Matrix
- 2. Compute F1 Score
- 3. Compute AUC Score, you need to compute different thresholds and for each threshold compute tpr,fpr and then use numpy.trap z(tpr\_array, fpr\_array) <a href="https://stackoverflow.com/q/53603376/4084039">https://stackoverflow.com/q/53603376/4084039</a> (https://stackoverflow.com/q/53603376/4084039), https://stackoverflow.com/a/39678975/4084039

  (https://stackoverflow.com/a/39678975/4084039)

  Note: it should be numpy.trapz(tpr\_array, fpr\_array) not numpy.trapz(fpr\_array, tpr\_array)
- 4. Compute Accuracy Score

#### Out[3]:

```
        y
        proba

        0
        1.0
        0.637387

        1
        1.0
        0.635165

        2
        1.0
        0.766586

        3
        1.0
        0.724564

        4
        1.0
        0.889199

        5
        1.0
        0.601600

        6
        1.0
        0.666323

        7
        1.0
        0.567012

        8
        1.0
        0.650230

        9
        1.0
        0.829346
```

#### Out[4]:

		у	proba	ypred
_	0	1.0	0.637387	1
	1	1.0	0.635165	1
	2	1.0	0.766586	1
	3	1.0	0.724564	1
	4	1.0	0.889199	1
	5	1.0	0.601600	1
	6	1.0	0.666323	1
	7	1.0	0.567012	1
	8	1.0	0.650230	1
	9	1.0	0.829346	1

### **Compute Confusion Matrix**

```
In [5]:
             positive=0
          2
             negative=0
          3
             for i in range(0,len(data1)):
                 if data1['y'].loc[i]==1:
          4
          5
                         positive+=1
          6
                 elif data1['y'].loc[i]==0:
          7
                         negative+=1
             print("positive numbers are",positive)
             print("negative numbers are", negative)
        positive numbers are 10000
        negative numbers are 100
In [ ]:
In [6]:
          1 # computing confusion matrix
          2 confusion matrix=[]
          3 TP=int(data1[(data1.y == 1) & (data1.ypred == 1)].count()[0])
            TN=int(data1[(data1.y == 0) & (data1.ypred == 0)].count()[0])
            FP=int(data1[(data1.y == 0) & (data1.ypred == 1)].count()[0])
             FN=int(data1[(data1.y == 1) & (data1.ypred == 0)].count()[0])
          7
            print(TP)
          8
             print(TN)
          9
         10 print(FP)
         11 print(FN)
         12 confusion matrix.append(TN)
         13 confusion matrix.append(FN)
         14 confusion matrix.append(FP)
         15 confusion matrix.append(TP)
         16 | # print(confusion_matrix)
             x=np.reshape(confusion matrix,(2,2))
         18
             print(x)
        10000
        0
        100
        0
        [[
              0
                    0]
            100 10000]]
```

## compute precision, recall and F1 Score

```
In [7]: 1 precision=((TP)/(TP+FP))
    print('precision ',precision)

4 recall=((TP)/(TP+FN))
    print('recall ',recall)

6    7 F1_score=2*(precision*recall)/(precision+recall)
    print('F1-score ',F1_score)

precision 0.990099009901
```

recall 1.0 F1-score 0.9950248756218906

#### **Compute Accuracy Score**

```
In [8]: 1 accuracy_score=(TP+TN)/(TP+FP+FN+TN)
2 print('accuracy score',accuracy_score)
```

accuracy score 0.9900990099009901

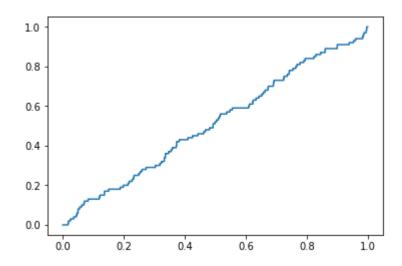
#### Compute AUC\_CURVE

```
In [32]:
              from tqdm import tqdm
              unique=list(set(data1.proba))
              unique.sort()
             # print(unique)
           4
           6 TPR=[]
           7
              FPR=[]
              for i in tqdm(unique):
           8
                  data1.loc[data1['proba'] < i, 'ypred'] = 0</pre>
           9
          10
                  data1.loc[data1['proba'] > i, 'ypred'] = 1
          11
          12
                  TP=int(data1[(data1.y == 1) & (data1.ypred == 1)].count()[0])
                  TN=int(data1[(data1.y == 0) & (data1.ypred == 0)].count()[0])
          13
                  FP=int(data1[(data1.y == 0) & (data1.ypred == 1)].count()[0])
          14
          15
                  FN=int(data1[(data1.y == 1) & (data1.ypred == 0)].count()[0])
          16
          17
                  tpr=(TP/(TP+FN))
                  TPR.append(tpr)
          18
          19
                  fpr=(FP/(FP+TN))
          20
                  FPR.append(fpr)
          21
```

100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%|

# In [33]: 1 x=sorted(TPR) 2 y=sorted(FPR) 3 from matplotlib import pyplot as plt 4 a=plt.plot(x,y) 5 print(a)

[<matplotlib.lines.Line2D object at 0x000000009FAD2E8>]



```
In [34]: 1 AUC_CURVE= np.trapz(x,y)
2 AUC_CURVE
```

Out[34]: 0.48829900000000004

/p

B. Compute performance metrics for the given data 5\_b.csv
 Note 1: in this data you can see number of positive points << number o
f negatives points</pre>

Note 2: use pandas or numpy to read the data from 5\_b.csv

Note 3: you need to derive the class labels from given score

 $y^{pred} = [0 \text{ if y\_score} < 0.5 \text{ else } 1]$ 

- 1. Compute Confusion Matrix
- 2. Compute F1 Score
- 3. Compute AUC Score, you need to compute different thresholds and for each threshold compute tpr,fpr and then use numpy.trap z(tpr\_array, fpr\_array) <a href="https://stackoverflow.com/q/53603376/4084039">https://stackoverflow.com/q/53603376/4084039</a> (<a href="https://stackoverflow.com/q/53603376/4084039">https://stackoverflow.com/q/53603376/4084039</a> (<a href="https://stackoverflow.com/a/39678975/4084039">https://stackoverflow.com/a/39678975/4084039</a> (<a href="https://stackoverflow.com/a/stackoverflow.com/a/stackoverflow.com/a/stackoverflow.com/a/stackoverfl
- 4. Compute Accuracy Score

#### Out[12]:

	у	proba
0	0.0	0.281035
1	0.0	0.465152
2	0.0	0.352793
3	0.0	0.157818
4	0.0	0.276648
5	0.0	0.190260
6	0.0	0.320328
7	0.0	0.435013
8	0.0	0.284849
9	0.0	0.427919

#### Out[13]:

	У	proba	ypred
0	0.0	0.281035	0
1	0.0	0.465152	0
2	0.0	0.352793	0
3	0.0	0.157818	0
4	0.0	0.276648	0
5	0.0	0.190260	0
6	0.0	0.320328	0
7	0.0	0.435013	0
8	0.0	0.284849	0
9	0.0	0.427919	0

positive numbers are 100 negative numbers are 10000

```
1 ## compute confusion matrix
```

```
In [15]:
           1 | # computing confusion matrix
           2 confusion matrix=[]
           3 TP=int(data2[(data2.y == 1) & (data2.ypred == 1)].count()[0])
           4 TN=int(data2[(data2.y == 0) & (data2.ypred == 0)].count()[0])
            FP=int(data2[(data2.y == 0) & (data2.ypred == 1)].count()[0])
             FN=int(data2[(data2.y == 1) & (data2.ypred == 0)].count()[0])
           8 print(TP)
           9 print(TN)
          10 print(FP)
         11 print(FN)
         12 confusion_matrix.append(TN)
         13 confusion_matrix.append(FN)
          14 confusion_matrix.append(FP)
         15 confusion matrix.append(TP)
         16 # print(confusion_matrix)
         17 x=np.reshape(confusion matrix,(2,2))
         18 print(x)
         55
         9761
```

```
55
9761
239
45
[[9761 45]
[ 239 55]]
```

## # compute precision ,recall and f1\_score

precision 0.1870748299319728
recall 0.55
F1-score 0.2791878172588833

## 1 ## compute accuracy score

accuracy score 0.9718811881188119

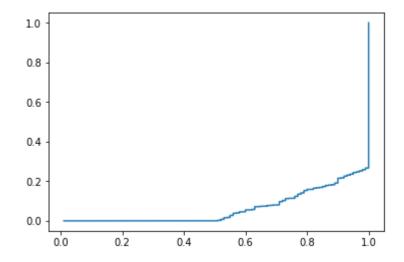
#### 1 ## compute AUC\_CURVE

```
In [18]:
              from tqdm import tqdm
              unique=list(set(data2.proba))
           2
           3
              unique.sort()
              # print(unique)
           4
           5
           6
              TPR=[]
           7
              FPR=[]
           8
              for i in tqdm(unique):
           9
                  data2.loc[data2['proba'] < i, 'ypred'] = 0</pre>
                  data2.loc[data2['proba'] > i, 'ypred'] = 1
          10
          11
          12
                  TP=int(data2[(data2.y == 1) & (data2.ypred == 1)].count()[0])
                  TN=int(data2[(data2.y == 0) & (data2.ypred == 0)].count()[0])
          13
                  FP=int(data2[(data2.y == 0) & (data2.ypred == 1)].count()[0])
          14
                  FN=int(data2[(data2.y == 1) & (data2.ypred == 0)].count()[0])
          15
          16
          17
                  tpr=(TP/(TP+FN))
          18
                  TPR.append(tpr)
                  fpr=(FP/(FP+TN))
          19
                  FPR.append(fpr)
          20
          21
```

100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%|

```
In [19]: 1 x=sorted(TPR)
2 y=sorted(FPR)
3 from matplotlib import pyplot as plt
4 a=plt.plot(x,y)
5 print(a)
```

[<matplotlib.lines.Line2D object at 0x0000000009E8D358>]



Out[20]: 0.9376570000000001

**C.** Compute the best threshold (similarly to ROC curve computation) of probability which gives lowest values of metric **A** for the given data **5\_c.csv** 

you will be predicting label of a data points like this:  $y^{pred} = [0 \text{ if } y\_\text{score} < \text{threshold else } 1]$ 

 $A = 500 \times \text{number of false negative} + 100 \times \text{number of false positive}$ 

**Note 1:** in this data you can see number of negative points > number of positive points

Note 2: use pandas or numpy to read the data from 5\_c.csv

#### Out[60]:

	у	prob
0	0	0.458521
1	0	0.505037
2	0	0.418652
3	0	0.412057
4	0	0.375579
5	0	0.595387
6	0	0.370288
7	0	0.299273

8 0 0.297000

9 0 0.266479

#### Out[22]:

	у	prob	ypred
0	0	0.458521	0
1	0	0.505037	1
2	0	0.418652	0
3	0	0.412057	0
4	0	0.375579	0
5	0	0.595387	1
6	0	0.370288	0
7	0	0.299273	0
8	0	0.297000	0
9	0	0.266479	0

## # Compute the best threshold

```
In [61]:
              from tqdm import tqdm
              unique=list(data3.prob)
           3
              unique.sort()
           4
              s={}
           5
              for i in tqdm(unique):
                  data3.loc[data3['prob'] < i, 'ypred'] = 0</pre>
           6
           7
                  data3.loc[data3['prob'] > i, 'ypred'] = 1
                    TP=int(data3[(data3.y == 1) & (data3.ypred == 1)].count()[0])
           8
           9
                    TN=int(data3[(data3.y == 0) & (data3.ypred == 0)].count()[0])
                  FP=int(data3[(data3.y == 0) & (data3.ypred == 1)].count()[0])
          10
                  FN=int(data3[(data3.y == 1) & (data3.ypred == 0)].count()[0])
          11
          12
          13
                  A=(500*FN)+(100*FP)
          14
                  s[i]=A
          15
          16
```

100%| 2852/2852 [00:51<00:00, 55.80it/s]

the minimum value 141000 and the threshold 0.2300390278970873

- D. Compute performance metrics(for regression) for the given data 5\_d.csv Note 2: use pandas or numpy to read the data from 5\_d.csv Note 1: 5\_d.csv will having two columns Y and predicted\_Y both are real valued features
- 1. Compute Mean Square Error
- Compute MAPE: https://www.youtube.com/watch?v=ly6ztgIkUxk
- Compute R^2 error: https://en.wikipedia.org/wiki/Coefficient\_of\_dete rmination#Definitions

#### Out[110]:

```
y pred

0 101.0 100.0

1 120.0 100.0

2 131.0 113.0

3 164.0 125.0

4 154.0 152.0

5 133.0 153.0

6 148.0 139.0

7 172.0 145.0

8 153.0 162.0

9 162.0 154.0
```

## 1 ## Compute Mean Square Error

Out[111]: 177.16569974554707

## 1 ## Compute mean absolute percentage error

12.663242720450786

#### 1 ## Compute R^2 error

0.9563600409880488