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UNIT - 4

→ Intermediate code
→ Notational form
with

Syntax directed Translation (SDT):-

Attribute:

Value attached to a grammar symbol is attribute
(on)

Symbol " " " " "

(on)
Type of grammar attached to a grammar
symbol
(on)

string attached to a grammar symbol

Rules: Rules are attached with productions of
semantic Action the grammar

calculation

concatenation

print

Two types of attributes. They are:

(1) synthesized Attribute

→ The value of the root node is calculated with the leaf node.

(2) Inherited "

→ The value of the grammar symbol is denoted by the leaf of the node.
(calculated)

Eg:- $E \rightarrow E^1 + E^2$

$E \cdot \text{val}$

$$\{ E \cdot \text{val} = E^1 \cdot \text{val} + E^2 \cdot \text{value} \}$$

$E^1 \cdot \text{val}$
 $E^2 \cdot \text{val}$

attr
butes

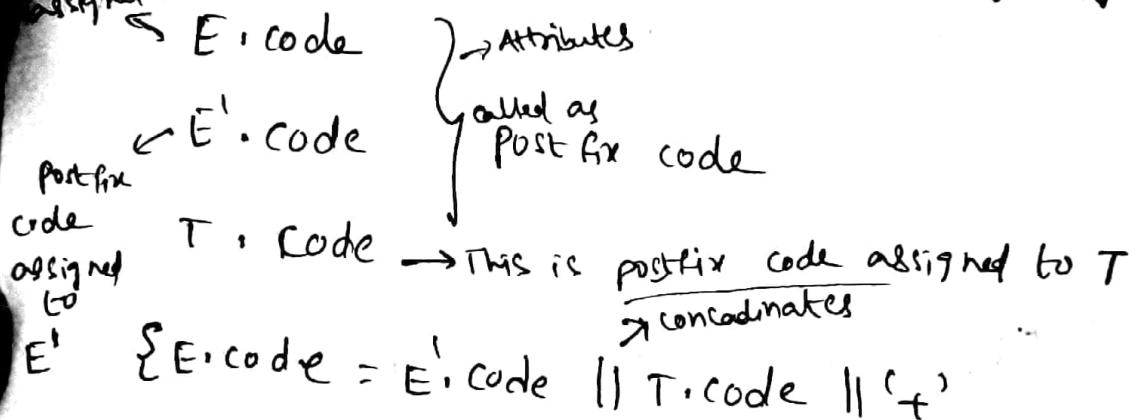
(2) Inherited Attribute

[bottom up is inherited]

Eg:- $A \rightarrow XYZ$

$$\{ V.value = Z * A.val + Z.val \}$$

Eg:- $E \rightarrow E^T T$ [for string attached to a grammar symbol]
postfix code assigned to E



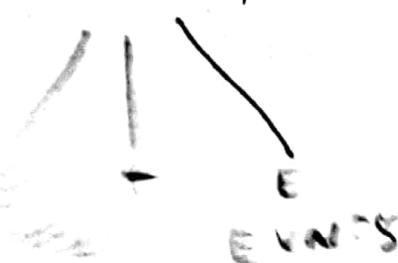
Annotated (on decorated tree):

Parse tree with value attached at the node
is called Annotated (on decorated parse tree).

Eg:-
 $E \rightarrow \text{digit}$

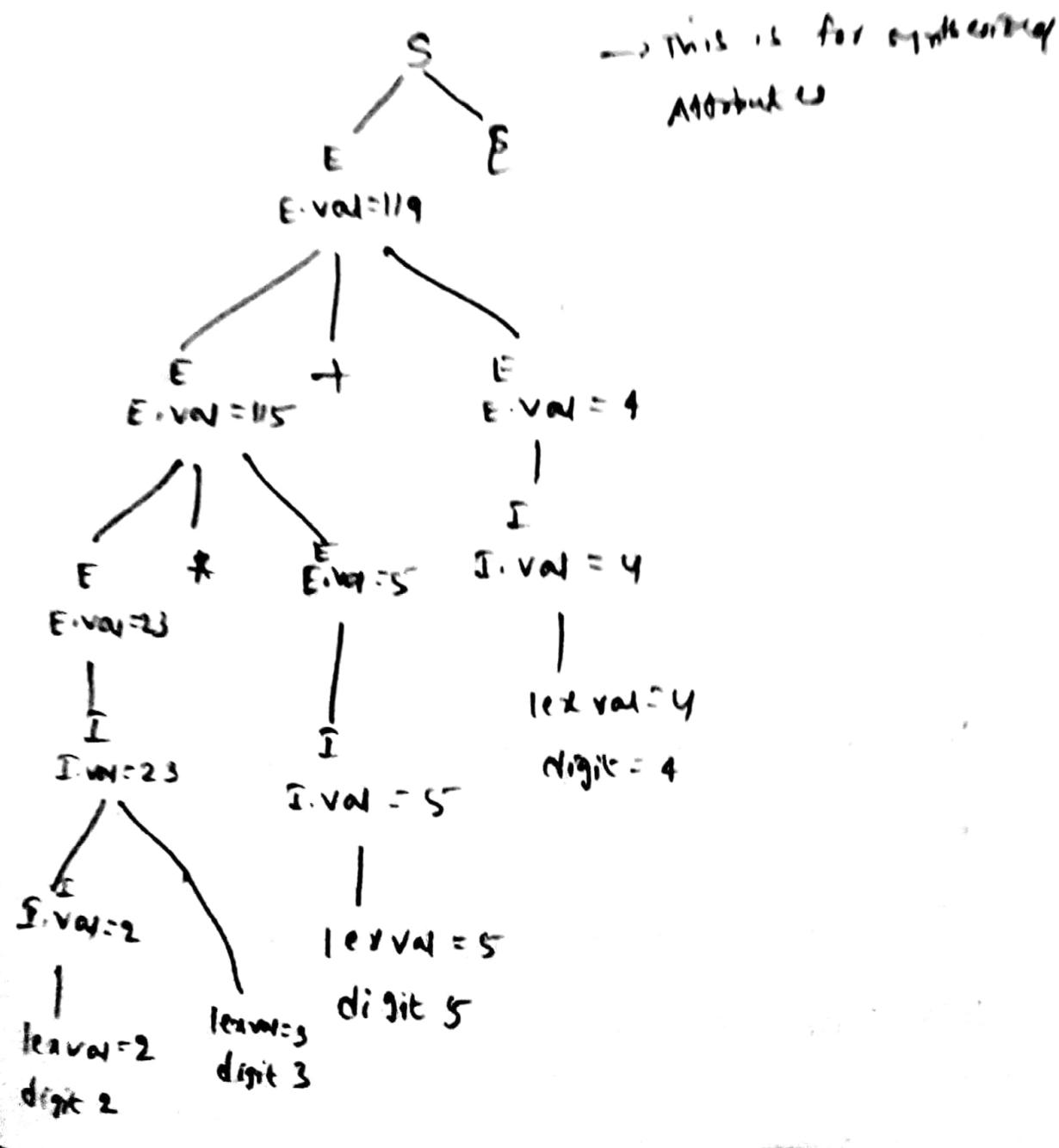
$$\{ E.val = \text{lexval} \}$$

E
 $E.val = 9$



	Point level	Calculate
S \rightarrow E E	E.val = L.val + R.val	
E \rightarrow E + E	L.val = E.val * R.val	
E \rightarrow E * E	L.val = E.val + R.val	
E \rightarrow (E)	L.val = L.val	
E \rightarrow I	R.val = R.val	
I \rightarrow <u>digit</u>	I.val = 10 * L.val + R.val	
I \rightarrow digit	I.val = lex val	

$23 * 5 + 48 \rightarrow$ write Annotated tree for this



→ In this, stack contains two fields. They are state field and value field

Ex:-

B		B-val
A		A-val

state value



State containing
the grammar
symbol



contain the attributes of
the ~~GRAMMARS~~ [A, B]
grammar
symbols.

Program statement:- [for previous problem]

Print val[Top]

$$val[Top] = val[Top] + val[Top-2]$$

$$val[Top] = val[Top] * val[Top-2]$$

$$val[Top] = val[Top-2]$$

None

$$val[Top] = 10 * val[Top] + lex val$$

$$val[Top] = lex val$$

<u>Sentence</u>	<u>state</u>	<u>value</u>	<u>working production at each Production</u>
$23 * 5 + 4 \text{ £}$	-	-	
$3 * 5 + 4 \text{ £}$	2	-	$I \rightarrow \text{digit}$
$3 * 5 + 4 \text{ £}$	I	2	
$* 5 + 4 \text{ £}$	I3	2 -	
$* 5 + 4 \text{ £}$	I	(23)	
$* 5 + 4 \text{ £}$	E	(23)	
$5 + 4 \text{ £}$	E*	(23) -	
$+ 4 \text{ £}$	E* 5	(23) - -	$I \rightarrow \text{digit}$
$+ 4 \text{ £}$	E*I	(23) - 5	$E \rightarrow I$
$+ 4 \text{ £}$	E* E	(23) - 5	
$+ 4 \text{ £}$	E	115	
$+ 4 \text{ £}$	E+	(115) -	
4 £	E+ 4	(115) - -	
£	E+ I	(115) - 4	
£	E+E	(115) - 4	
£	E	119	
-	E £	119	
	S	point value 119	

make this program a "calculator" or "conversion calculator"

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Dependency Graph:- (on order of evaluation,
(on Annotated tree)

It is also a $\overset{PT}{\uparrow}$ which shows the
order of evaluation.

Q) This question is for inherited attribute,
 $T \rightarrow FT' \{ T'.inh = F.val \}$

$$T.val = T'.syn.y$$

$$T' \rightarrow FT' \{ T'.inh = T'.inh * F.val \}$$

$$T'.syn = T'.syn.y$$

$$T' \rightarrow E \{ T'.syn = T'.syn.y \}$$

$$F \rightarrow \text{digit} \{ F.val = \text{lex val} \}$$

draw annotated tree for $4 * 5$

derivation for $4 * 5$ is

$$T \rightarrow FT'$$

$$\text{digit } T'$$

$$\text{digit } * FT'$$

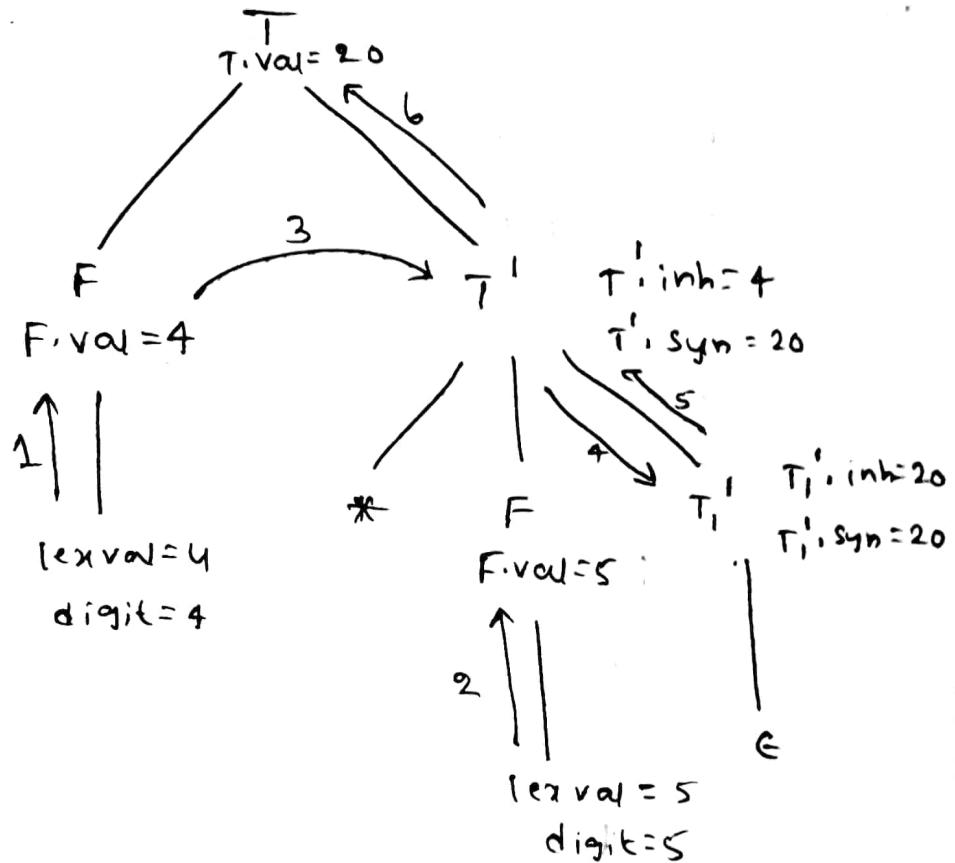
$$\text{digit } * \text{digit } T'$$

$$\text{digit } * \text{digit } E$$

$$\text{digit } * \text{digit}$$

$$4 * 5$$

draw tree based on deviation first



Intermediate code:

- (1) Three address code
 - (2) Post fix code
 - (3) Syntax tree

Quadruples
Triples
Tn direct triples

Syntax tree - eliminates the redundant information.
↳ It is a modification of semantic tree.

(1) Three address code:

Eg:-

1. $A = B \text{ op } C$

2. $A = \text{op } B$

3. Go to L

4. if $A > \text{lop } B$ Goto C

5. Call $p(A_1, A_2, \dots, A_n)$

Parameter A_1

Parameter A_2

⋮
⋮
⋮

Parameter A_n

Call $p_{1,n}$

6. $A[I] = B$

7. $B = A[I]$

Q) write three address code for $A = -B * (C + D)$

Sol: $A = -B * (C + D)$

$$T_1 = -B$$

$$T_2 = C + D$$

$$T_3 = T_1 * T_2$$

$$A = T_3$$

{ T_1, T_2, T_3 are
temporary
variables }

(i) Quadruples:

- T_L is a array of record. Each record has 4 fields.
- 4 fields.
- Each T^q is represented with record with 4 fields.

	OP	arg 1	arg 2	Result
0	uminus	B		T_1
1	+	C	D	T_2
2	*	T_1	T_2	T_3
3	=	T_3		A

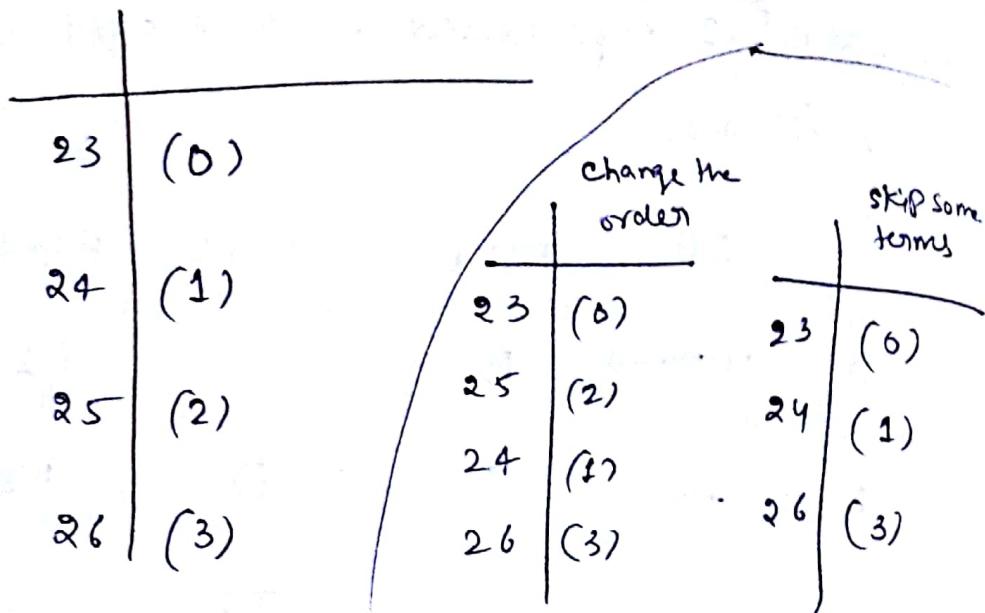
(ii) Triples:

- contains 3 fields
- Three fields are OP, arg 1, arg 2

	OP	arg 1	arg 2
0	uminus	B	
1	+	C	D
2	*	(0)	(1)
3	=	A	(2)

(iii) Indirected triples:

→ list the pointers to the triples



→ If you want to change the order of execution (or skip some terms in execution) this Indirected triples will be preferred.

Q) write the three address code for this

$$X = -(a+b) * (c+d) - (a+b+c)$$

and find quadruples and triples for this question.

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$$X = -(a+b) * (c+d) - (a+b+c)$$

$$T_1 = a+b$$

$$T_2 = -T_1$$

$$T_3 = c+d$$

$$T_4 = T_1 + C$$

$$T_5 = T_2 * T_3$$

$$T_6 = T_5 - T_4$$

$$X = T_6$$

(i) Quadruples:

	op	arg 1	arg 2	Res
0	+	a	b	T1
1	uminus	T1		T2
2	+	c	d	T3
3	+	T1	c	T4
4	*	T2	T3	T5
5	-	T5	T4	T6
6	=	T6		X

(ii) Triples:

	op	arg 1	arg 2
0	+	a	b
1	uminus	(0)	-
2	+	c	d
3	+	(0)	c
4	*	(1)	(2)
5	=	(4)	(3)

(iii) Indirected triples

23	(0)
24	(1)
25	(2)
26	(3)
27	(4)
28	(5)
29	(6)

Q) write three address code for

while $a < c$ do

if $a = 1$ then $c = c + 1$

else

while $a < d$ do

$a = a + 3$

Sol: Begin ; IF $a < c$ GOTO L1

GOTO End

L1: If $a = 1$ GOTO L2

GOTO L3

L2: $c = c + 1$

GOTO Begin

L3 : IF $a < d$ Go to L4

Go to Begin

L4 : $a = a + 3$

Go to L3

END.

(2) post fix code:

$a+b \Rightarrow ab+$

if e then x else y $\Rightarrow exy?$

Q) if a then if c-d then a+c else a*c
else a+b

Sol: $a cd - ac+ ac*? ab+?$

→ This post fix code is easy to evaluate the
expressions.

another simple example

$a+b * c - x/y$

$abc*xy/+ - \rightarrow$ doubt

$abc*+xy/-$

SDT for post fix code:

$E \rightarrow E^{(1)} OP E^{(2)}$	{ $E \cdot \text{code} = E^{(1)}, \text{code} \parallel E^{(2)}, \text{code} \parallel \text{op}$ }
$E \rightarrow (E^{(1)})$	{ $E \cdot \text{code} = E^{(1)}, \text{code} \parallel \text{op}$ }
$E \rightarrow \text{id}$	{ $E \cdot \text{code} = \text{id}$ }

Stack entry

Print op

{ }

Print id

check for $a+b*c$

Say: Push a

Reduce a to E $E \rightarrow \text{id}$ print a

Push +

Push b

Reduce b to E $E \rightarrow \text{id}$ print b

Push *

Push c

Reduce c to E $E \rightarrow \text{id}$ print c

Reduce $E \rightarrow E * E$ print *

Reduce $E \rightarrow E + E$ print +

∴ Finally we got abc*+ [last term]

Syntax tree:

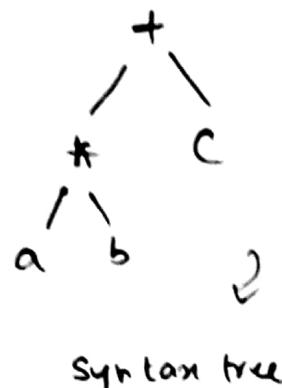
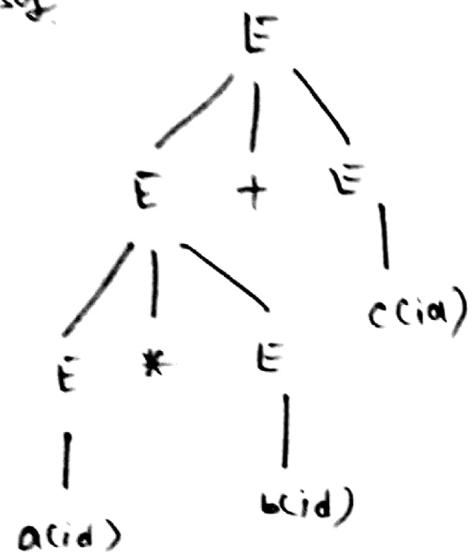
→ which eliminates the redundant information.

Defn:

$$E \rightarrow E + L \mid E * E / id$$

$$w = a * b + c$$

so:



Syntax tree

Parse tree

SPT for generation Syntax tree

$$E \rightarrow E' + T \rightarrow E \cdot \text{node} = \text{newnode}(+, E' \cdot \text{node}, T \cdot \text{node})$$

$$E \rightarrow E' - T \rightarrow E \cdot \text{node} = \text{newnode}(-, E' \cdot \text{node}, T \cdot \text{node})$$

$$E \rightarrow E * T \rightarrow E \cdot \text{node} = \text{newnode}(*, E' \cdot \text{node}, T \cdot \text{node})$$

$$E \rightarrow T \rightarrow E \cdot \text{node} = T \cdot \text{node}$$

$$T \rightarrow (E) \rightarrow T \cdot \text{node} = E \cdot \text{node}$$

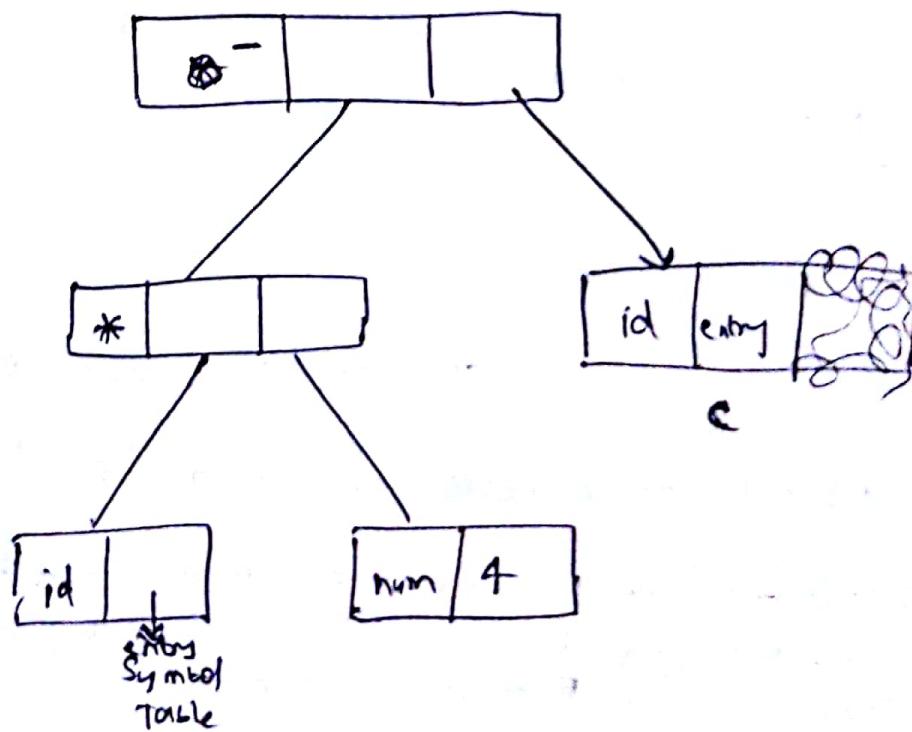
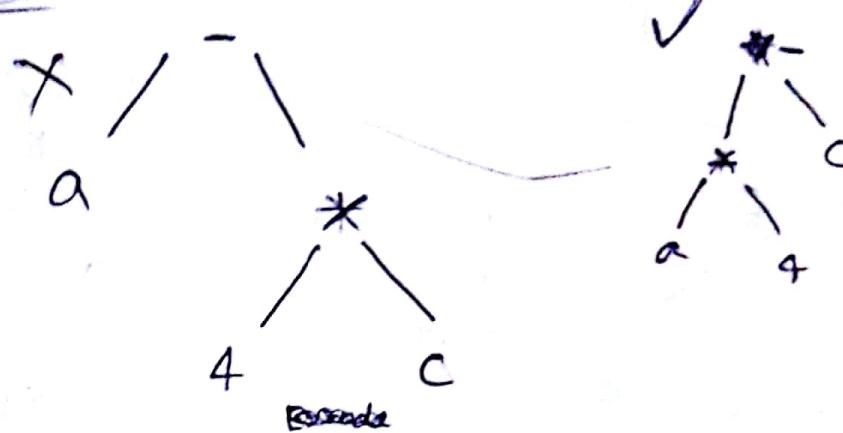
$$T \rightarrow id \rightarrow T \cdot \text{node} = \text{newleaf}(id, id \cdot \text{entry})$$

$$T \rightarrow num \rightarrow T \cdot \text{node} = \text{newleaf}(num, num \cdot \text{val})$$

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Q) Construct the syntax tree for $a * 4 - c$.

Syntax tree



S-attributed definition:

If all the attributes are synthesized attributes then it is called as "S-attributed definition".

L-attributed definition:

which uses ^{inherited} synthesized attributes as well as inherited attributes, it is called as "L-attributed definition".

(Or) (ii) ^{inherited & synthesized attr.}
of grammar

SDT for Generating 3 address stmts
 ~ ~ ~ (on)
Assignment stmts (on)
arithmetic stmts

E.code \rightarrow set of 3 addr stmts

E.place \rightarrow Location which holds the value of E

New Temp() \rightarrow Generates the temporary names
(i.e., T1, T2, ...)

(1) $A \rightarrow id := E$

A.code : = E.code ||

id.place := E.place

holds the location of value of id.

{ Generates id.place := E.place }
(2) $E \rightarrow E^{(1)} + E^{(2)}$ { T = New Temp() }

E.place := T

E.code := E⁽¹⁾.code || E⁽²⁾.code ||

$E \cdot place ::= E^{(1)}, place || E^{(2)}, place$

(3) $E \rightarrow E^{(1)} * E^{(2)}$ { Given $E \cdot place ::= E^{(1)}, place || E^{(2)}, place$
 $E \cdot place := T$ }

$E \cdot code ::= E^{(1)}, code || E^{(2)}, code$

$E \cdot place ::= E^{(1)}, place * E^{(2)}, place$
Given $E \cdot place ::= E^{(1)}, place * E^{(2)}, place$
Eg (2nd one) $E \rightarrow E_1 + E_2$
 $E_1 = (a * b * c) + (x * y)$ E_2

$E_1 \cdot code ::= T_1 = a * b$

$E_2 \cdot code ::=$

$T_2 = T_1 + c$

$T_3 = x * y$

$E \cdot place = T_2$

$E \cdot place = T_3$

$\boxed{T_4} := T_2 + T_3$
Final Temp value

(4) $E \rightarrow - E^{(1)}$

{ $T := \text{New Temp}()$ }

$E \cdot place := T$

$E \cdot code ::= E^{(1)}, code$

$E \cdot place ::= - || E^{(1)}, place$
Given $E \cdot place ::= - || E^{(1)}, place$

(5) $E \rightarrow (E')$

- $E \cdot code = E^{(1)}, code$

$E \cdot place = E^{(1)}, place$ { ignore old ones }

(6) $E \rightarrow id$

$E.code = null$

$E.place = id.place$

{~~over none~~ }
}

a) trace for the following $A := -B * (C + D)$ by using SOT rules.

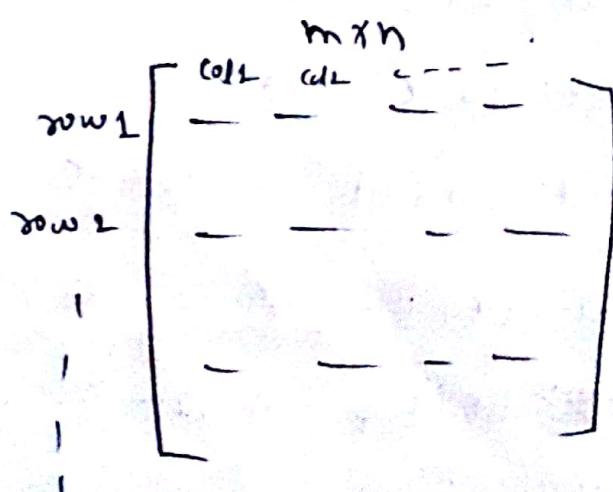
<u>input</u>	<u>stack</u>	<u>place</u>	<u>instruction Generation</u>
$A := -B * (C + D)$			
$:= -B * (C + D)$	A	-	\nearrow higher
$:= -B * (C + D)$	id	A	
$-B * (C + D)$	id :=	A -	
$B * (C + D)$	id := -	A --	
$* (C + D)$	id := -B	A ---	
$* (C + D)$	id := -id	A -- B	
$* (C + D)$	id := - E	A -- B	
$* (C + D)$	id := E	A - T1	$T1 = -B$
$(C + D)$	id := E *	A - T1 -	
$(C + D)$	id := E * (A - T1 --	
$+D)$	id := E * (C	A - T1 ---	
$+D)$	id := E * (id	A - T1 --- C	
$+D)$	id := E * (E	A - T1 --- C	
$D)$	id := E * (E +	A - T1 --- C -	
)	id := E * (E + D	A - T1 --- C - -	

)	$\text{id} := E * (E + \text{id})$	A - T1 -- C - D
)	$\text{id} := E * (E + E)$	A - T1 -- C - D
)	$\text{id} := E * (E)$	A - T1 -- T2 T2 = C + D
-	$\text{id} := E * (E)$	A - T1 -- T2 -
-	$\text{id} := E * E$	A - T1 - T3 T3 = (C + D)
-	$\text{id} := E$	A - T4 T4 = (B) * (C + D)
-	$\text{id} := E * E$	A - T1 - T2
-	$\text{id} := E$	A - T3 T3 = (T2 * (T2)) T3 != T2 * (T2)

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SDT for array referencing:

→ used to calculate the address of array elements.



Row major order

Column major order

List of attributes:

- (1) elist - used to group the index expression
(on group the arrays)
- (2) elist.Array - denotes the symbol table entry for the arrayname
- (3) elist.NDim - NDim means no. of dimensions
- (4) Limit(Array, i) - Returns the upper limit along the i^{th} dimension of the array.
- (5) elist.place - denotes the symbol table entry for a name whose value is computed by 3 add stmt generated for elist.
- (6) L.offset - gives the starting address of array
(on Null)
- (7) bpw - bytes per word

for Generating Simple Assignment Stmt:

(1) $A \rightarrow L := E$

{ if ($L.\text{offset} = \text{null}$) then

$L.\text{place} := E.\text{place}$

else

Gen ($L.\text{place}[\text{offset}] := E.\text{place}$)

(2) $E \rightarrow E^{(1)} + E^{(2)}$

$T := \text{NewTemp}()$

Gen ($T := E^{(1)}.\text{place} + E^{(2)}.\text{place}$)

$E.\text{place} := T;$

(3) $E \rightarrow (E'')$

$E.\text{place} = E''.\text{place}$

(4) $E \rightarrow L$

{if ($L.\text{offset} = \text{null}$) then

$E.\text{place} := L.\text{place}$

else

begin

$T := \text{NewTemp}()$

Gen ($T := L.\text{place}(L.\text{offset})$)

end b - $E.\text{place} := T$

(5) $L \rightarrow \text{elist}$

{ $T := \text{NewTemp}();$ } one to hold the location
 $U := \text{NewTemp}();$ and another one is to
Gen($T := \text{elist}.\text{Array}_c$ calculate the offset
Gen($U := \text{bpw} * \text{elist}.\text{place}$
 $L.\text{place} := T$
 $L.\text{offset} := U$ }

(6) $L \rightarrow \text{id}$

$L.\text{place} = \text{id}.\text{place}$
 $L.\text{offset} = \text{null}$ }

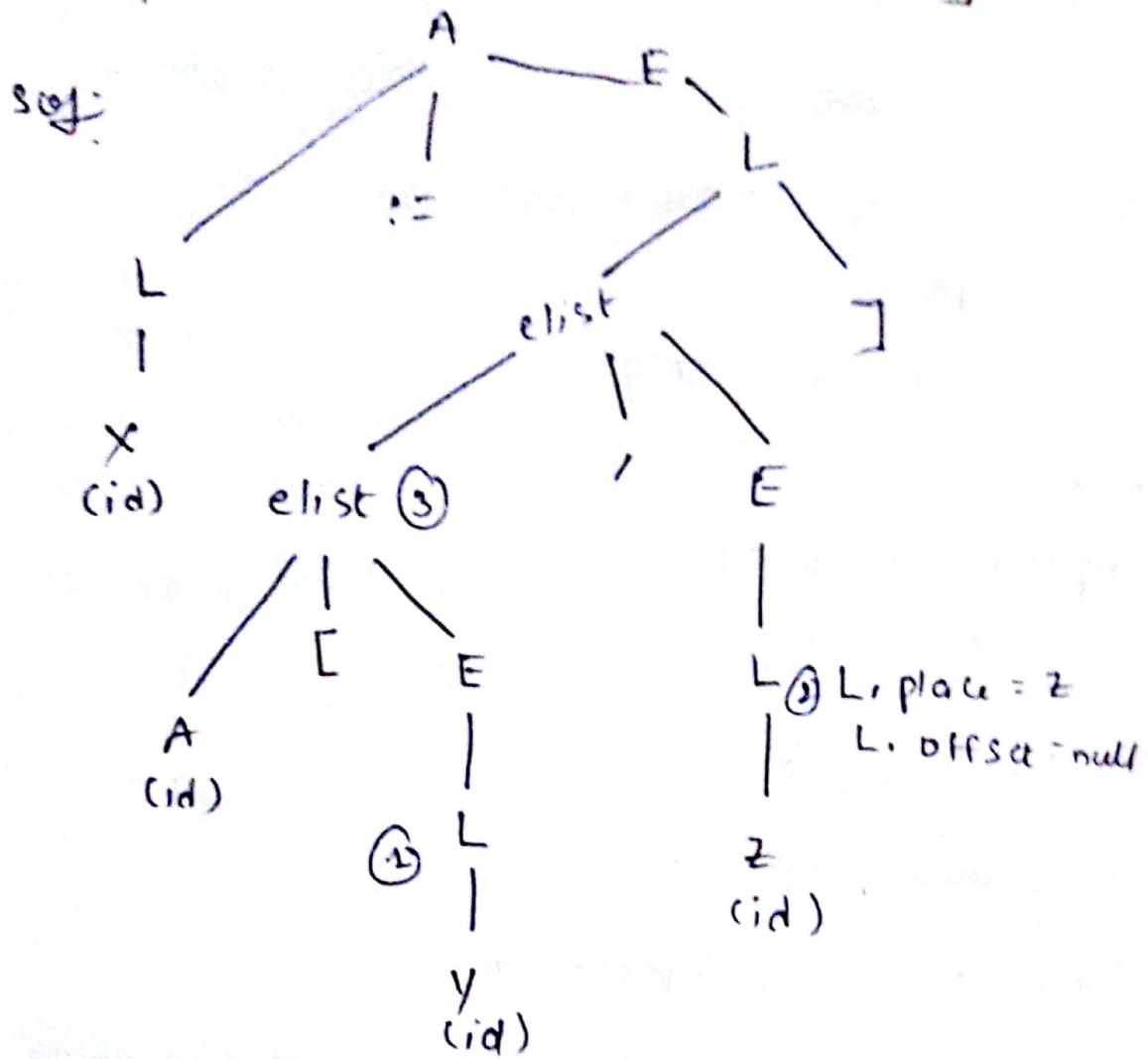
(7) $\text{elist} \rightarrow \text{elist}^{(1)}, E$

{ $T := \text{NewTemp}();$
Gen($T := \text{elist}^{(1)}.\text{place} *$
Limit($\text{elist}^{(1)}.\text{Array}, \text{elist}^{(1)}.\text{NDim} + 1$);
Gen($T := T + E.\text{place}$)
 $\text{elist}.\text{Array} = \text{elist}^{(1)}.\text{Array}$
 $\text{elist}.\text{place} := T$
 $\text{elist}.\text{NDim} := \text{elist}.\text{NDim} + 1$

(8) $\text{elist} \rightarrow \text{id}[E]$

$\text{elist}.\text{place} := E.\text{place}$
 $\text{elist}.\text{NDim} := 1$
 $\text{elist}.\text{Array} := \text{id}.\text{place}$

Q) write the Annotated tree (or) decorated parse tree for $x := A[y, z]$



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Boolean expressions:

1. condition exp

IF ()

2. to compute the Logical values

A (or) B and C

\downarrow
less priority than and.

and - more priority

or - less "

two methods for this. They are:

(i) simple Arithmetic expression

(ii) Flow of control

(1) Simple Arithmetic expressions'

Eg: (i) A or B and C

T₁ := B and C

T₂ := A or T₁

(ii) A < B

1. if A < B GOTO 4

2. T := 0

3. GO TO [] -

[∴ 1 ≠ 3 goes to 4]

4. T := 1

(iii) $A < B$ or C

1. if $A < B$ Go to 4 // Next Quad

2. $T := 0$

3. Go to 5

4. $T := 1$

5. $T_2 := T_1$ or C

SDT's:

(1) $E \rightarrow E^{(1)} \text{ or } E^{(2)}$

{ $T := \text{NewTemp}()$

$E.place := T$

Gen ($T := E^{(1)}.place$ or $E^{(2)}.place$) }

(2) $E \rightarrow id^{(1)} \text{ relop } id^{(2)}$

$T := \text{NewTemp}();$

$E.place := T;$

Gen (if $id^{(1)}.place \text{ relop } id^{(2)}.place$
goto NextQuad + 3)

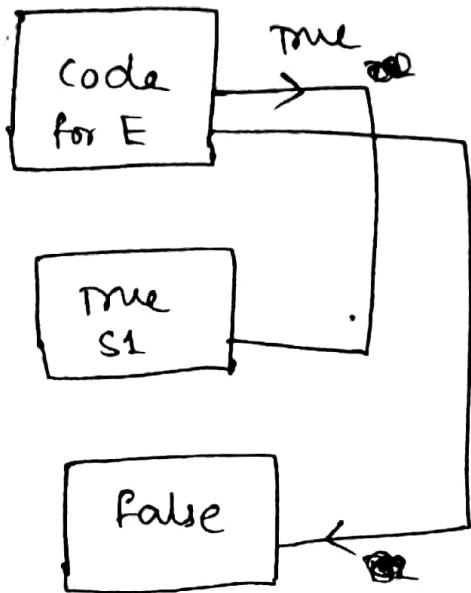
Gen $T := 0;$

Gen (Go to NextQuad + 2)

Gen $T := 1;$

(2) Flow of control:

(i) if E then S1 else false



Eg:- $A \text{ and } (B \text{ or } c) \Rightarrow \text{If } A \text{ is true then check } (B \text{ or } c)$

$A \text{ or } B \text{ and } C \Rightarrow \text{If } A \text{ false then check } (B \text{ and } c)$

$A \text{ or } B$

→ To evaluate flow of control. we have three different procedures. They are :-

(1) BackPatch (P, i)

(2) Merge (P₁, P₂)

(3) Makelist (i)

Makelist (i)

→ Makelist (i) creates a new list containing only i an index into the array of quadruples being generated.

→ A makelist returns a point to the list it has made.

Merge(p₁, p₂)

→ Takes the lists pointed by p₁ and p₂
Concatenates them into one list and returns
a pointer to the concatenated list.

Backpatch(p, i)

→ Makes each of the Quaternaries on the
list pointed by 'p' to take Quadruple 'i' as
a target.

SDT's:

(1) $E \rightarrow E^{(1)} \text{ or } \begin{cases} E^{(2)} \\ M \end{cases}$ → write as $E \rightarrow E^{(1)} \text{ or } M E^{(2)}$

M = marker non terminal to concat addrs of $E^{(2)}$

If $E^{(1)}$ is true no need to check $E^{(2)}$

If $E^{(1)}$ is false then check for $E^{(2)}$

$E \rightarrow E^{(1)} \text{ or } M E^{(2)}$

Backpatch($E^{(1)}$, False, M, Quad)

$E_{\text{true}} := \text{Merge}(E^{(1)}, \text{true}, E^{(2)}, \text{true})$

$E_{\text{false}} := E^{(2)}, \text{false}$

(2) $E \rightarrow E^{(1)} \text{ and } M E^{(2)}$

backpatch ($E^{(1)}$), true, M, Quad)

$E \cdot \text{false} := \text{merge} (E^{(1)}. \text{false}, E^{(2)}. \text{false})$

$E \cdot \text{true} := E^{(2)}. \text{true}$

(3) $E \rightarrow \text{not } E^{(1)}$

$E \cdot \text{true} := E^{(1)}. \text{false}$

$E \cdot \text{false} := E^{(1)}. \text{true}$

(4) $E \rightarrow (E^{(1)})$

$E \cdot \text{true} := E^{(1)}. \text{true};$

$E \cdot \text{false} := E^{(1)}. \text{false};$

(5) $E \rightarrow \text{id}$

$E \cdot \text{true} := \text{makelist} (\text{NextQuad})$

$E \cdot \text{false} := \text{makelist} (\text{NextQuad} + 1)$

Gen(if id.place GOTO -)

Gen(GOTO -)

(6) $E \rightarrow \text{id}^{(1)} \text{ relOp } \text{id}^{(2)}$

$E \cdot \text{true} := \text{makelist} (\text{Next Quad})$

$E \cdot \text{false} := \text{makelist} (\text{Next Quad} + 1)$

Gen(if id⁽¹⁾.place relOp id⁽²⁾.place GOTO -)

Gen(GOTO -)

(7) $M \rightarrow E$

($M_1 Quad := Next Quad$)

Q) $P < Q$ or $R < S$ and $T < U$

write the intermediate code and ^{Annotated} parse tree.

Sol: Intermediate code:

100: if $P < Q$ Go To 106

101: Go To 102

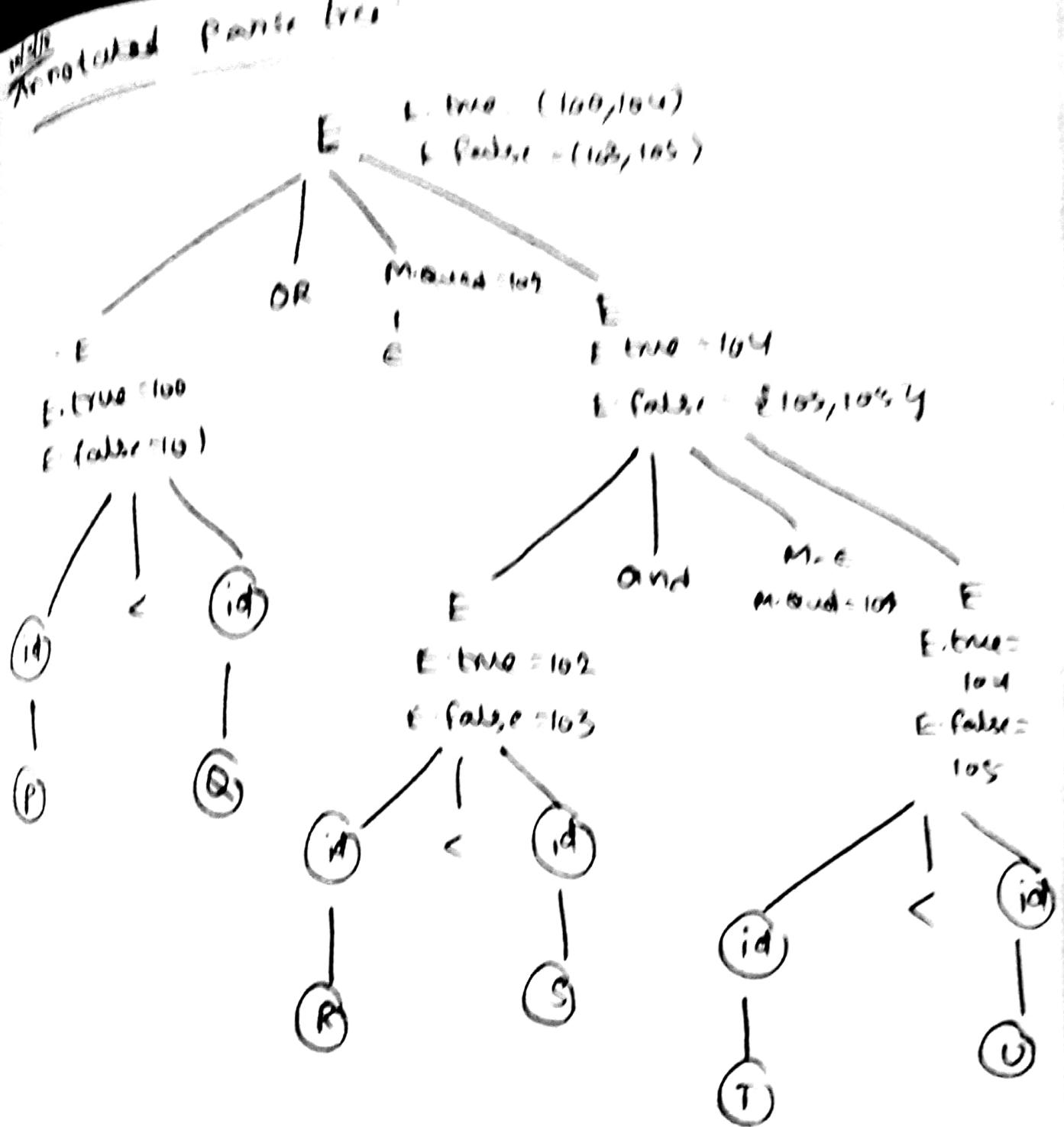
102: if $R < S$ Go To 104

103: Go To 106

104: if $T < U$ Go To 106

105: Go To 106

101318 106: END



(B) $S \rightarrow if(B) S_1$

B.bme = Newlabel()

B. False = S.next = S_i.next

$S_1.\text{code} = S_1.\text{code} \parallel \text{Label}(a, \text{true}) \parallel$ generates a label (a)
 $S_2.\text{code}$ Set of stmts

(Newlabel)

↓
It is a label which
generates a label (an)
Set of stmts.

Q) $S \rightarrow \text{if } (B) \ S_1 \ \text{else} \ S_2$

$B.\text{true} = \text{NewLabel}()$

$B.\text{false} = \text{NewLabel}()$

$S_1.\text{next} = S_2, \text{next} = S.\text{next}$

$S.\text{code} = B.\text{code} \ || \ \text{Label}(B.\text{true}) \ || S_1.\text{code} \ ||$

$\text{Gen(goto } S.\text{next}) \ || \ \text{Label}(B.\text{false}) \ ||$

$S_2.\text{code}$

Q) $S \rightarrow \text{while}(B) \ S_1$

Mixed mode expression:-
~~~~~~~~~

// E-mode

$T := \text{New Temp}()$

if  $E^{(1)}.\text{mode} = \text{int}$  and  $E^{(2)}.\text{mode} = \text{int}$

begin

$\text{Gen}(T = E^{(1)}, \text{place int op } E^{(2)}, \text{place})$

$E.\text{mode} = \cancel{\text{int}}$

end

else

if  $E^{(1)}.\text{mode} = \text{real}$  and  $E^{(2)}.\text{mode} = \text{real}$

begin

$(T = E^{(1)}, \text{place real op } E^{(2)}, \text{place})$

E.mode = real

else

if (E'.mode = int) then

U = NewTemp()

U = into real E'''.place

Gen (T = U readop E'''.place)

E.mode = Real

else

U = NewTemp()

U = into real (E'''.place)

Gen (T = E'''.place readop U)

E.mode = Real

END.

Ex for s-attributed and L-attributed definitions:

(S)  $\overline{T} \rightarrow F \overline{T}'$        $T'.inh = \overline{F}.val$

$\overline{T}' \rightarrow *FT'_i$        $T'_i.inh = T'.inh * F.val$

$A \rightarrow BC$

B.val = C.val

$$Q) A[1] = B$$

$$B = A[3]$$

|        | op  | arg 1 | arg 2 |
|--------|-----|-------|-------|
| O [ ]: | A   | I     |       |
| i. arr | (o) | B     |       |

Post Fix translation;

semantic rules

$$\text{eg: } E \rightarrow E^1 + E^2 \quad \{ \}$$

- If the semantic rule are at the right side of the production then it is called "post fix translation"
- If post fix translation is S-attatched then

simplify it by using stack.