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Task-D: Collinear features and their effect on linear models
In [39]: %matplotlib inline
         import warnings
          warnings.filterwarnings("ignore")
         import pandas as pd
          import numpy as np
          from sklearn.datasets import load_iris
          from sklearn.linear_model import SGDClassifier
          from sklearn.model_selection import GridSearchCV
          import seaborn as sns
          import matplotlib.pyplot as plt
          from sklearn.linear_model import LogisticRegression
          from sklearn.svm import SVC
In [40]: data = pd.read_csv('task_d.csv')
In [41]: data.head()
Out[41]:
                                                     2*y 2*z+3*x*x
                                            х*х
                                                                         w target
          0 -0.581066 0.841837
                              -1.012978
                                       -0.604025 0.841837
                                                          -0.665927
                                                                  -0.536277 0
          1 -0.894309 -0.207835
                              -1.012978
                                       -0.883052 | -0.207835
                                                         -0.917054
                                                                  -0.522364
          2 -1.207552 0.212034
                              -1.082312
                                       -1.150918 | 0.212034
                                                          -1.166507 | 0.205738
          3 -1.364174 0.002099
                                                          -1.266540 | -0.665720 | 0
                              -0.943643 | -1.280666 | 0.002099
          4 -0.737687
                     1.051772
                              -1.012978
                                       -0.744934 | 1.051772
                                                          -0.792746
                                                                   -0.735054
In [42]: X = data.drop(['target'], axis=1).values
          Y = data['target'].values
In [43]: data.head()
Out[43]:
                                                     2*y 2*z+3*x*x
                                            х*х
                                                                         w target
          0 -0.581066 0.841837
                              -1.012978
                                       -0.604025 0.841837
                                                          -0.665927
                                                                  -0.536277 0
          1 -0.894309
                     -0.207835 | -1.012978
                                       -0.883052 -0.207835
                                                                  -0.522364
                                                          -0.917054
          2 -1.207552 0.212034
                              -1.082312
                                       -1.150918 0.212034
                                                          -1.166507
                                                                  0.205738
          3 -1.364174 0.002099
                              -0.943643 | -1.280666 | 0.002099
                                                          -1.266540
                                                                  -0.665720
          4 -0.737687 | 1.051772
                              -1.012978 | -0.744934 | 1.051772
                                                         -0.792746 | -0.735054
In [44]: data=data.drop('target', axis = 1)
In [45]: data.head()
Out[45]:
                                            X*X
                                                     2*y
                                                         2*z+3*x*x
                                                                         w
          0 -0.581066 0.841837
                              -1.012978 | -0.604025 | 0.841837
                                                         -0.665927
                                                                  -0.536277
          1 -0.894309 -0.207835 -1.012978 -0.883052 -0.207835
                                                         -0.917054 | -0.522364
          2 -1.207552
                              -1.082312
                     0.212034
                                       -1.150918 | 0.212034
                                                          -1.166507 0.205738
          3 -1.364174 0.002099
                              -0.943643
                                       -1.280666 0.002099
                                                          -1.266540 -0.665720
          4 -0.737687 1.051772
                              -1.012978
                                       -0.744934 | 1.051772
                                                         -0.792746 | -0.735054
          Doing perturbation test to check the presence of collinearity
         Task: 1 Logistic Regression
             1. Finding the Correlation between the features
                 a. check the correlation between the features
                 b. plot heat map of correlation matrix using seaborn heatmap
             2. Finding the best model for the given data
                 a. Train Logistic regression on data(X,Y) that we have created in the above cell
                 b. Find the best hyper prameter alpha with hyper parameter tuning using k-fold cro
             ss validation (grid search CV or
                 random search CV make sure you choose the alpha in log space)
                 c. Creat a new Logistic regression with the best alpha
                 (search for how to get the best hyper parameter value), name the best model as 'be
             st_model'
             3. Getting the weights with the original data
                 a. train the 'best_model' with X, Y
                 b. Check the accuracy of the model 'best_model_accuracy'
                 c. Get the weights W using best_model.coef_
             4. Modifying original data
                 a. Add a noise(order of 10^-2) to each element of X
                 and get the new data set X'(X' = X + e)
                 b. Train the same 'best_model' with data (X', Y)
                 c. Check the accuracy of the model 'best_model_accuracy_edited'
                 d. Get the weights W' using best_model.coef_
             5. Checking deviations in metric and weights
                 a. find the difference between 'best_model_accuracy_edited' and 'best_model_accura
             cy'
                 b. find the absolute change between each value of W and W' ==> |(W-W')|
                 c. print the top 4 features which have higher % change in weights
                 compare to the other feature
         Task: 2 Linear SVM
             1. Do the same steps (2, 3, 4, 5) we have done in the above task 1.
         Find correlation between features
In [46]: ##https://www.geeksforgeeks.org/how-to-create-a-seaborn-correlation-heatmap-in-python/
          correlation=data.corr()
In [47]: | dataplot = sns.heatmap(correlation, cmap="YlGnBu", annot=True)
          plt.title("correlation between features")
          plt.show()
                        correlation between features
                                                       0.9
                                          -0.26 -0.4
                                                       - 0.6
                                     -0.6
                                          0.85 0.67
                   0.81
                                0.81
                                                       0.3
                                     -0.21
                                           1
                        -0.21
                            0.81
               2*y - -0.21
                       -0.26 0.85
          2*z+3*x*x -
                                                       -0.3
                            0.67 0.58
                                      -0.4
                                                      - -0.6
                                 x*x 2*y 2*z+3*x*x w
         Finding the best model for the given data
In [48]: ##https://stackoverflow.com/questions/19018333/gridsearchcv-on-logisticregression-in-scikit-
          alpha=np.logspace(0.001,0.1,1,5,8)
         A=alpha
          #print(A)
          param\_grid = \{'C': A\}
          model = LogisticRegression(random_state=42)
          Search=GridSearchCV(model, param_grid , cv=5)
Search.fit(X,Y)
Out[48]: GridSearchCV(cv=5, estimator=LogisticRegression(random_state=42),
                       param_grid={'C': array([1.00208161])})
In [49]: Search.best_params_
Out[49]: {'C': 1.0020816050796328}
          Getting the weights with the original data
In [50]: | best_model=LogisticRegression(C=1.0020816050796328, random_state=42)
          best_model.fit(X,Y)
          weight = best_model.coef_[0]
         print("weight:", weight)
         weight: [ 0.72329758 -0.90390578 1.68356004 0.66756968 -0.90390578 0.80407875
           0.50979515]
In [51]: ##https://www.codegrepper.com/code-examples/python/how+to+get+test+accuracy+in+logistic+regr
          ession+model+in+python
          from sklearn.metrics import accuracy_score
          pred = best_model.predict(X)
          best_model_accuracy=(accuracy_score(Y, pred))
         print(best_model_accuracy)
1.0
          Modifying original data
In [52]:
         Xm = X+0.01
In [53]: best_model.fit(Xm,Y)
Out[53]: LogisticRegression(C=1.0020816050796328, random_state=42)
In [54]: pred_mod = best_model.predict(Xm)
          best_model_accuracy_edited = (accuracy_score(Y, pred_mod))
          print(best_model_accuracy_edited)
         1.0
In [55]: weight_mod = best_model.coef_[0]
          print("weight:", weight_mod)
         weight: [ 0.72329329 -0.90390618 1.68356007 0.66757059 -0.90390618 0.80407955
           0.50979151]
          Checking deviations in metric and weights
In [56]: Acc_diff=(best_model_accuracy_edited-best_model_accuracy)
         Acc_diff
Out[56]: 0.0
In [57]: Wt_diff = weight - weight_mod
          Wt_diff
Out[57]: array([ 4.28394267e-06,  3.98921538e-07, -3.31293399e-08, -9.05736003e-07,
                  3.98921538e-07, -8.00066609e-07, 3.63705858e-06])
In [58]: percent_change=[]
          for i in range(len(data.columns)):
              percent=100*(Wt_diff[i]/weight[i])
              percent_change.append(percent)
In [59]: print(percent_change)
          [0.0005922794177936326, -4.413308829825735e-05, -1.967814583107191e-06, -0.000135676622944295]
         6, -4.413308826140982e-05, -9.950102624229029e-05, 0.0007134353067270253]
In [61]: ##https://www.skytowner.com/explore/numpy_argpartition_method
          top_four = np.argpartition(percent_change, 2)[-4:]
          print(top_four)
          Top_four=(data.columns[top_four])
         print("top four ", list(reversed(Top_four)))
          [0 4 2 6]
         top four ['w', 'z', '2*y', 'x']
         Task2
In [62]: alpha=np.logspace(0.001,0.1,1,5,8)
          A=alpha
          #print(A)
          param_grid = {'C': A }
          model_SVM = SVC(kernel="linear", random_state=42)
          Search=GridSearchCV(model_SVM, param_grid , cv=5)
          Search.fit(X,Y)
Out[62]: GridSearchCV(cv=5, estimator=SVC(kernel='linear', random_state=42),
                       param_grid={'C': array([1.00208161])})
In [63]: | Search.best_params_
Out[63]: {'C': 1.0020816050796328}
In [64]: best_model=SVC(kernel="linear", C=1.0020816050796328, random_state=42)
          best_model.fit(X,Y)
         weight = best_model.coef_[0]
          print("weight:", weight)
         weight: [ 0.42059793 -0.36090175 1.04442829 0.34263578 -0.36090175 0.43447147
           0.17056102]
In [65]: from sklearn.metrics import accuracy_score
          pred = best_model.predict(X)
          best_model_accuracy=(accuracy_score(Y, pred))
         print(best_model_accuracy)
         1.0
In [66]: Xm = X+0.01
         best_model.fit(Xm,Y)
Out[66]: SVC(C=1.0020816050796328, kernel='linear', random_state=42)
In [67]: pred_mod = best_model.predict(Xm)
          best_model_accuracy_edited = (accuracy_score(Y, pred_mod))
         print(best_model_accuracy_edited)
         1.0
In [72]: weight_mod = best_model.coef_[0]
         print("weight:", weight_mod)
         weight: [ 0.42059794 -0.36090176 1.04442829 0.34263578 -0.36090176 0.43447147
           0.17056109]
In [73]: Acc_diff=(best_model_accuracy_edited-best_model_accuracy)
         Acc_diff
Out[73]: 0.0
In [74]: Wt_diff = weight - weight_mod
         Wt_diff
Out[74]: array([-7.43466311e-09, 7.75015052e-09, 3.76124021e-10, 9.42294021e-11,
                  7.75015041e-09, 1.30217614e-10, -6.79247945e-08])
In [75]: percent_change=[]
          for i in range(len(data.columns)):
              percent=100*(Wt_diff[i]/weight[i])
              percent_change.append(percent)
          print(percent_change)
         -08, -2.1474404983235887e-06, 2.9971499620355126e-08, -3.982433563470589e-05]
In [78]: top_four = np.argpartition(percent_change,1)[-4:]
          print(top_four)
         Top_four=(data.columns[top_four])
         print("top four ", list(reversed(Top_four)))
         top four ['x', '2*z+3*x*x', '2*y', 'x*x']
         1. After perturbation test, since there is no significant change in the weights, there is less chance of collinearity.
         2. The weights chage in the order of e-06 to e-08
         3. Some features are correlated with others.
         4.percentage changes of Linear SVM [-1.7676413861213756e-06, -2.1474405290860614e-06, 3.601243126721183e-08,
         2.7501331521809104e-08, -2.1474404983235887e-06, 2.9971499620355126e-08, -3.982433563470589e-05]
         5.Top 4 features=['x', '2z+3xx', '2y', 'x*x']
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6.percentage changes of logistic regression [0.0005922794177936326, -4.413308829825735e-05, -1.967814583107191e-06,

-0.0001356766229442956, -4.413308826140982e-05, -9.950102624229029e-05, 0.0007134353067270253]

7.Top 4 features = ['w', 'z', '2*y', 'x']