

## MODULE 3

### ONE WAY AND TWO WAY SLABS

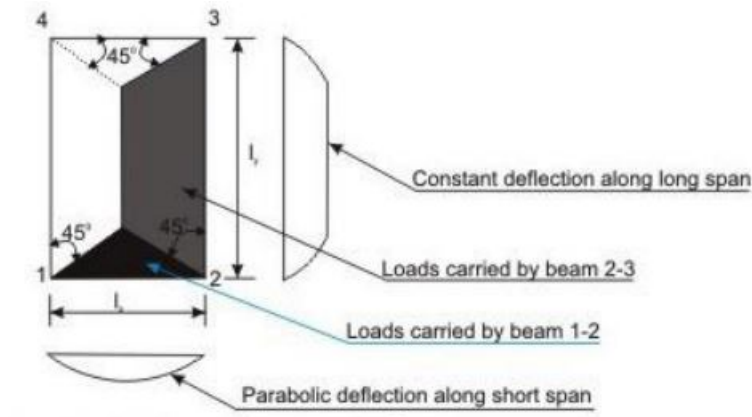


Figure (a) One-way slab ( $l_y/l_x > 2$ )

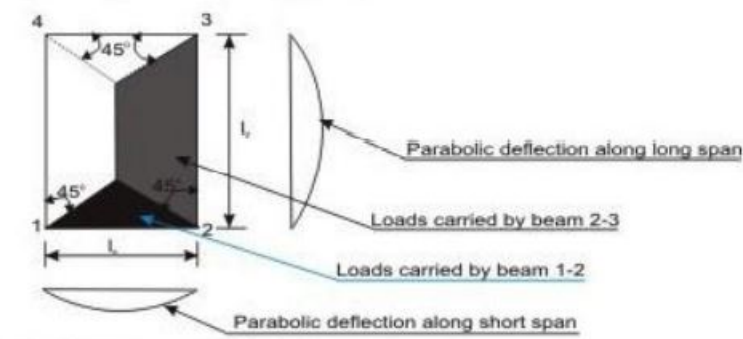


Figure (b) Two-way slab ( $l_y/l_x \leq 2$ )

Figures (a) and (b) explain the share of loads on beams supporting solid slabs along four edges when vertical loads are uniformly distributed. It is evident from the figures that the share of loads on beams in two perpendicular directions depends upon the aspect ratio  $l_y/l_x$  of the slab,  $l_x$  being the shorter span. For large values of  $l_y$ , the triangular area is much less than the trapezoidal area (Fig.a). Hence, the share of loads on beams along shorter span will gradually reduce with increasing ratio of  $l_y/l_x$ . In such cases, it may be said that the loads are primarily taken by beams along longer span. The deflection profiles of the slab along both directions are also shown in the figure. The deflection profile is found to be constant along the longer span except near the edges for the slab panel of Fig. a. These slabs are designated as **one-way slabs** as they span in one direction (shorter one) only for a large part of the slab when  $l_y/l_x > 2$ . On the other hand, for square slabs of  $l_y/l_x = 1$  and rectangular slabs of  $l_y/l_x$  up to 2, the deflection profiles in the two directions are parabolic (Fig. b). Thus, they are spanning in two directions and these slabs with  $l_y/l_x$  up to 2 are designated as **two-way slabs**, when supported on all edges. It would be noted that an entirely one-way slab would need lack of support on short edges. Also, even for  $l_y/l_x < 2$ ,

absence of supports in two parallel edges will render the slab one-way. In Fig. (b), the separating line at 45 degree is tentative serving purpose of design. Actually, this angle is a function of  $I_y/I_x$ .

### **Design of One-way Slabs**

The procedure of the design of one-way slab is the same as that of beams. However, the amounts of reinforcing bars are for one metre width of the slab as to be determined from either the governing design moments (positive or negative) or from the requirement of minimum reinforcement. The different steps of the design are explained below.

#### **Step 1: Selection of preliminary depth of slab**

The depth of the slab shall be assumed from the span to effective depth ratios.

#### **Step 2: Design loads, bending moments and shear forces**

The total factored (design) loads are to be determined adding the estimated dead load of the slab, load of the floor finish, given or assumed live loads etc. after multiplying each of them with the respective partial safety factors. Thereafter, the design positive and negative bending moments and shear forces are to be determined using the respective coefficients given in Tables 12 and 13 of IS 456.

#### **Step 3: Determination/checking of the effective and total depths of slabs**

The effective depth of the slab shall be determined employing.

$$M_{u,lim} = R_{lim} b d^2$$

The total depth of the slab shall then be determined adding appropriate nominal cover (Table 16 and 16A of cl.26.4 of IS 456) and half of the diameter of the larger bar if the bars are of different sizes. Normally, the computed depth of the slab comes out to be much less than the assumed depth in Step 1. However, final selection of the depth shall be done after checking the depth for shear force.

#### **Step 4: Depth of the slab for shear force**

Theoretically, the depth of the slab can be checked for shear force if the design shear strength of concrete is known. Since this depends upon the percentage of tensile reinforcement, the design shear strength shall be assumed considering the lowest percentage of steel. The value of  $\tau_c$  shall be modified after knowing the multiplying factor  $k$  from the depth tentatively selected for the slab in Step 3. If necessary, the depth of the slab shall be modified.

#### **Step 5: Determination of areas of steel**

Area of steel reinforcement along the direction of one-way slab should be determined employing the following Eq.

$$M_u = 0.87 f_y A_{st} d \{1 - (A_{st})(f_y)/(f_{ck})(bd)\}$$

The above equation is applicable as the slab in most of the cases is under-reinforced due to the selection of depth larger than the computed value in Step 3. The area of steel so determined should be checked whether it is at least the minimum area of steel as mentioned in cl.26.5.2.1 of IS 456.

**Step 6: Selection of diameters and spacings of reinforcing bars (cls.26.5.2.2 and 26.3.3 of IS 456)**

The diameter and spacing of bars are to be determined as per cls.26.5.2.2 and 26.3.3 of IS 456. As mentioned in Step 5, this step may be avoided when using the tables and charts of SP-16.