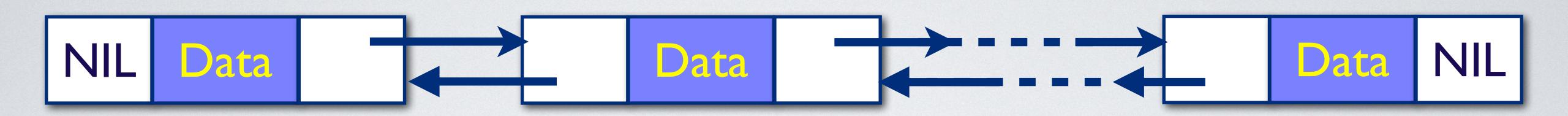
# DOUBLY-LINKED LIST



- A doubly-linked list is a sequence of data items, each connected by two links called next and previous.
- A data item may be a primitive value, a composite value, or even another pointer.
- Traversal in a double-linked list is bidirectional.
- · Deleting of a node at either end of a doubly-linked list is straight forward.

#### A DOUBLY-LINKED LIST REPRESENTATION WITH SHARED POINTERS

```
template<typename T>
class DoublyLinkedList
public:
  using Node = std::shared_ptr<DoublyLinkedList<T>>;
  T fData;
  std::shared_ptr<DoublyLinkedList<T>> fNext;
  std::weak_ptr<DoublyLinkedList<T>> fPrevious;
  DoublyLinkedList( constT& aData ) noexcept : fData(aData), fNext(), fPrevious()
  DoublyLinkedList(T&& aData) noexcept: fData(std::move(aData)), fNext(), fPrevious()
                                          // unlink node
  void isolate() noexcept;
                                                                              overloaded constructors
  // factory method for list nodes
  template<typename... Args>
  static Node makeNode(Args&&... args);
```

shared pointer

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# DOUBLY-LINKED LIST NODE ISOLATION

```
void isolate() noexcept
  if (fNext)
                                  // Is there a next node?
     fNext->fPrevious = fPrevious;
  Node INode = Previous.lock(); // lock std::weak_ptr
  if (INode)
                                  // Is there a previous node?
     INode->fNext = fNext;
  fPrevious.reset();
  fNext.reset();
                                clear smart pointer
                                    references
```

### DOUBLY-LINKED LIST ITERATOR SPECIFICATION

```
template<typenameT>
class DoublyLinkedListIterator
public:
  using Iterator = DoublyLinkedListIterator<T>;
  using Node = typename DoublyLinkedList<T>::Node;
                                                                           iterator states
  enum class States { BEFORE, DATA, AFTER };
  DoublyLinkedListIterator( const Node& aHead, const Node& aTail ) noexcept;
  const \( \tag{8}\) operator*() const noexcept;
  lterator& operator++() noexcept;
                                                // prefix
  lterator operator++(int) noexcept;
                                                // postfix
  lterator& operator--() noexcept;
                                                // prefix
  Iterator operator--(int) noexcept;
                                                // postfix
  bool operator==( const Iterator& aOther ) const noexcept;
  bool operator!=( const Iterator& aOther ) const noexcept;
  lterator begin() const noexcept;
  lterator end() const noexcept;
  lterator rbegin() const noexcept;
  lterator rend() const noexcept;
private:
```

Node fHead;

States fState;

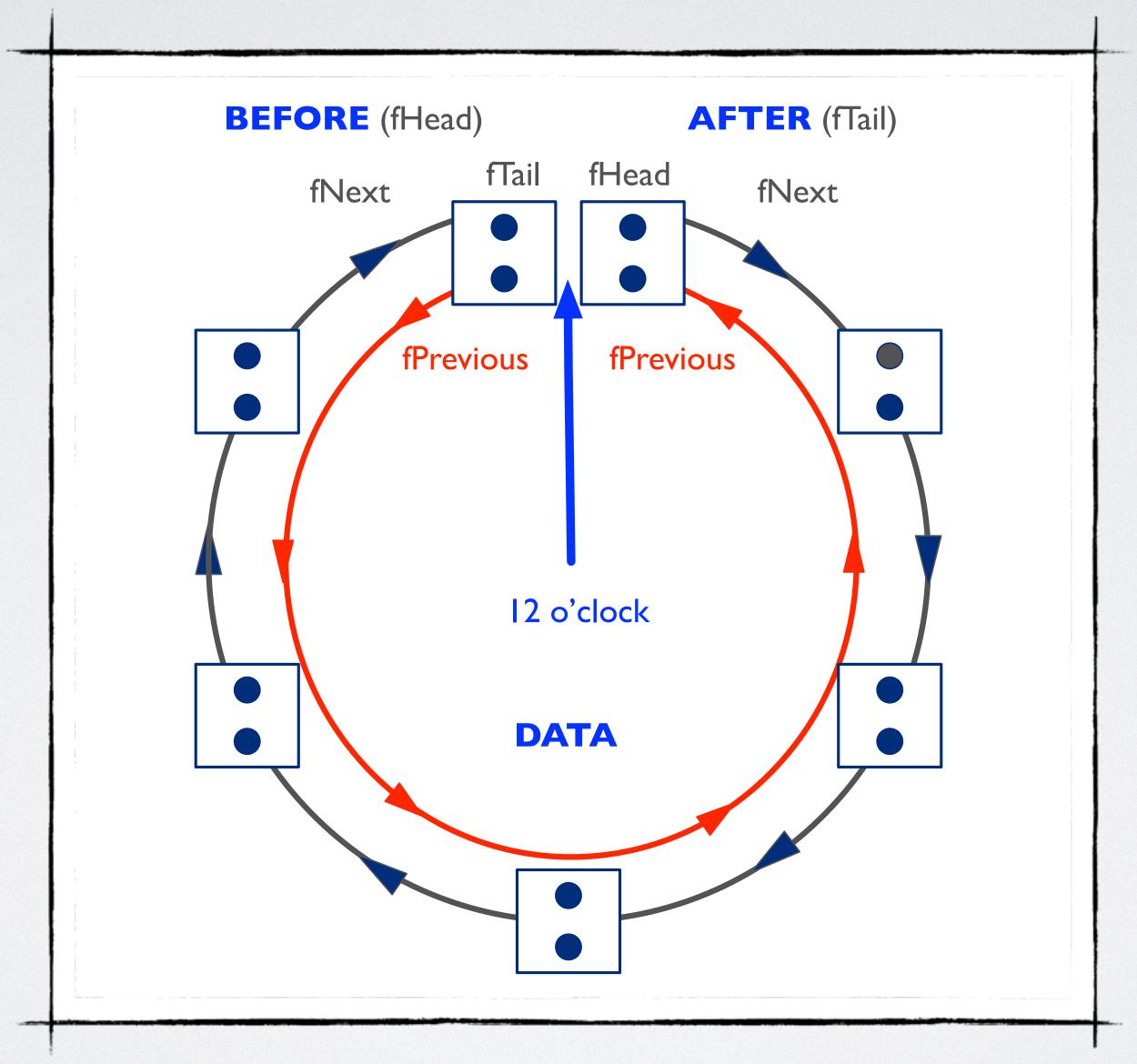
Node fCurrent;

Node fTail;

bidirectional iterator

iterator auxiliaries

# ITERATOR MOVING AROUND THE CLOCK



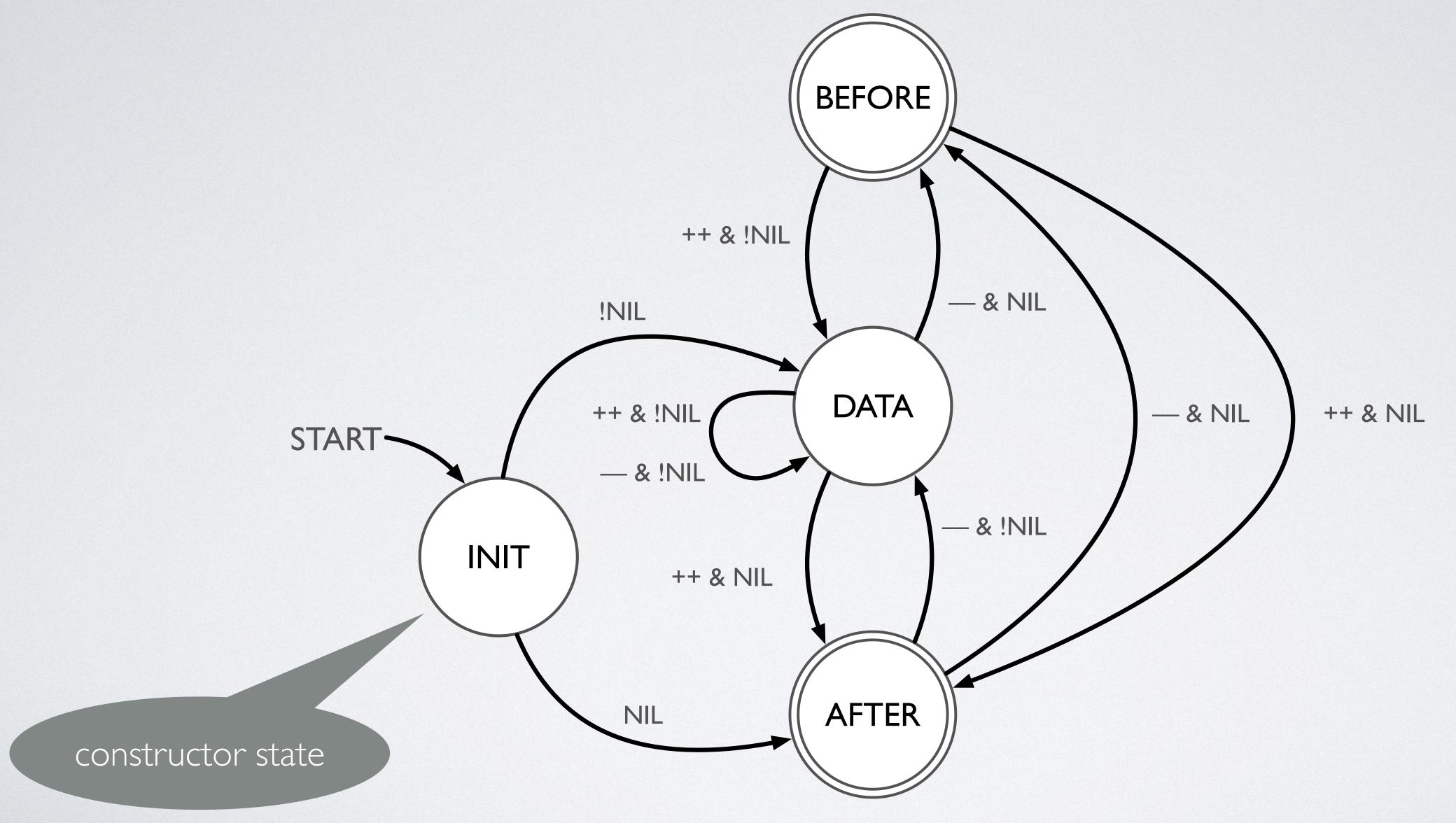
### DETERMINISTIC FINITE AUTOMATA

- A deterministic finite automaton is a quintuple ( $\Sigma$ , Q, q<sub>0</sub>,  $\sigma$ , F) with:
  - a finite, non-empty set  $\Sigma$  of actions (input alphabet),
  - a non-empty set  $Q = \{q_0, q_1,...\}$  of states,
  - a subset F ⊆ Q, called the accepting states,
  - a function  $\sigma = Q \times \Sigma \times Q$ , called the transition relation,
  - a designated initial state qo.
- A transition  $(q, a, q') \in \sigma$  is usually written  $q \xrightarrow{a} q'$
- Note, we require a DFA to be enabled on all actions in all states, that is, the transition relation  $\sigma$  is defined for all pairs  $(a, q) \in \Sigma \times Q$ .

## TRANSITION DIAGRAMS

- A transition diagram for a DFA  $A = (\Sigma, Q, q_0, \sigma, F)$  is a graph defined as follows:
  - · For each state in Q there is a node.
  - For each state  $q \in Q$  and each action  $a \in \Sigma$ , let  $\sigma(q, a) = p$ . Then the transition diagram has an arc from node q to node p, labeled a. If there are several actions that cause transitions from q to p, then the transition diagram can have one arc, labeled by the list of these actions.
  - There is an arrow to the start state  $q_0$ , labeled Start. This arrow does not originate at any node.
  - Nodes corresponding to accepting states (those in F) are marked by a double circle. States not in F have a single circle.

#### LIST ITERATOR STATE TRANSITION DIAGRAM



### STATETRANSITIONS AS SWITCH STATEMENT

```
switch (fState )
  case States::BEFORE:
    // BEFORE logic
     break;
  case States::DATA:
    // DATA logic
     break;
  case States::AFTER:
     // AFTER logic
     break;
```

exhaustive case

analysis

- In every state, we first have to inspect the current position of the iterator and second perform a state transition to the next state.
- The transition logic can be empty, if the iterator is already in an end position.
- The iterator can "hop onto" a list from either end using the corresponding endpoints passed to the iterator.
- In C++, the **break** statement is optional, that is, the compiler does not report an error if it is missing. The resulting fall though are a source of hard-to-find defects. Always end a case with **break**, if no fall through is permitted.
- A switch statement usually requires a **default** case unless you perform an exhaustive case analysis.

#### ITERATOR ADVANCING FORWARD IN STATE DATA

```
case States::DATA:
    fCurrent = fCurrent->fNext;

if (!fCurrent)
{
    fState = States::AFTER;
}

break;
```

- We advance the iterator forward along the next link.
- If the next node is NIL (i.e., the smart pointer fCurrent evaluates to false in a Boolean context), then the next state is AFTER. Otherwise, the iterator remains in state DATA.