

# Homework 3

Submission 1, Spring 2026

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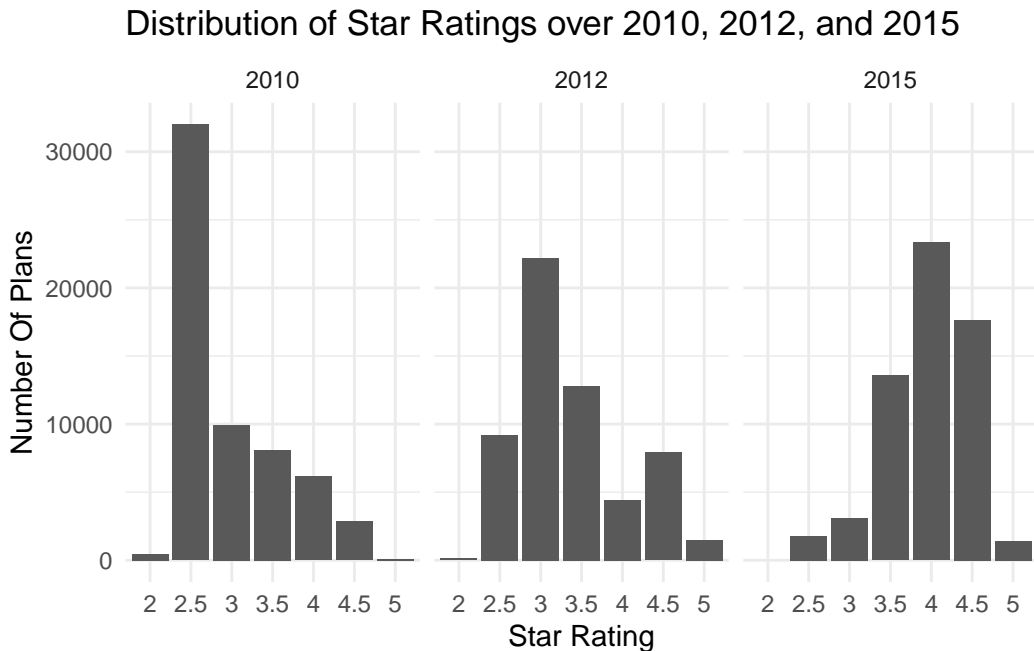
## Problem 1

```
# A tibble: 6 x 5
  year `Average Star Rating` `Average Enrollments` `Average Market Share`
  <int>           <dbl>           <dbl>           <dbl>
1  2010                2.97             256.             0.0658
2  2011                3.26             343.             0.0855
3  2012                3.36             377.             0.0856
4  2013                3.55             396.             0.0815
5  2014                3.81             437.             0.08
6  2015                3.96             470.             0.0787
# i 1 more variable: `Total Number Of Plans` <int>
```

## Problem 2

```
# A tibble: 6 x 4
  year `Average Enrollments` `Average Market Share` `Total Number Of Plans`
  <int>           <dbl>           <dbl>           <int>
1  2010             107.             0.0673           48643
2  2011             168.             0.09            12754
3  2012             173.             0.0567            9077
4  2013             214.             0.06             3661
5  2014             258.             0.0557            3708
6  2015             314.             0.0405            4680
```

### Problem 3



We note that there is a steep decrease in the number of high-rated plans in 2010, whereas in 2012, the difference is less stark, and in 2015, we notice an improvement, with the existence of a larger number of high-rated plans.

### Problem 4

	2010	2011	2012	2013	2014	2015
Excluded ( $\leq 2.5$ stars)	0.0634	0.0702	0.0789	0.0491	0.0640	0.0606
3 Stars	0.0126	0.0350	0.0307	0.0621	0.0267	0.0271
3.5 Stars	0.0005	0.0191	0.0129	0.0385	0.0273	0.0388
4 Stars	-0.0036	0.0028	-0.0246	0.0172	0.0074	0.0115
$\geq 4.5$ Stars	-0.0076	-0.0095	-0.0134	0.0222	0.0071	0.0233

### Problem 5

```
# A tibble: 5 x 2
  `Star Rating`    `Corresponding Number Of Plans`
  <chr>              <int>
1 Rounded up to 3      9918
2 Rounded up to 3.5    8091
3 Rounded up to 4      4284
```

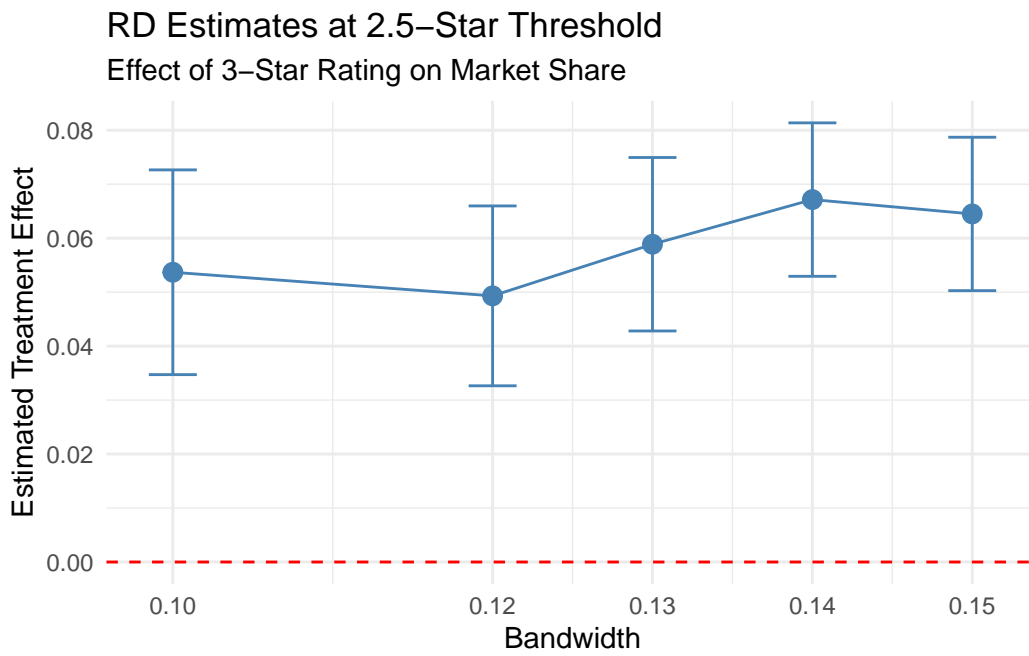
4 Rounded up to 4.5  
5 Rounded up to 5

771  
30

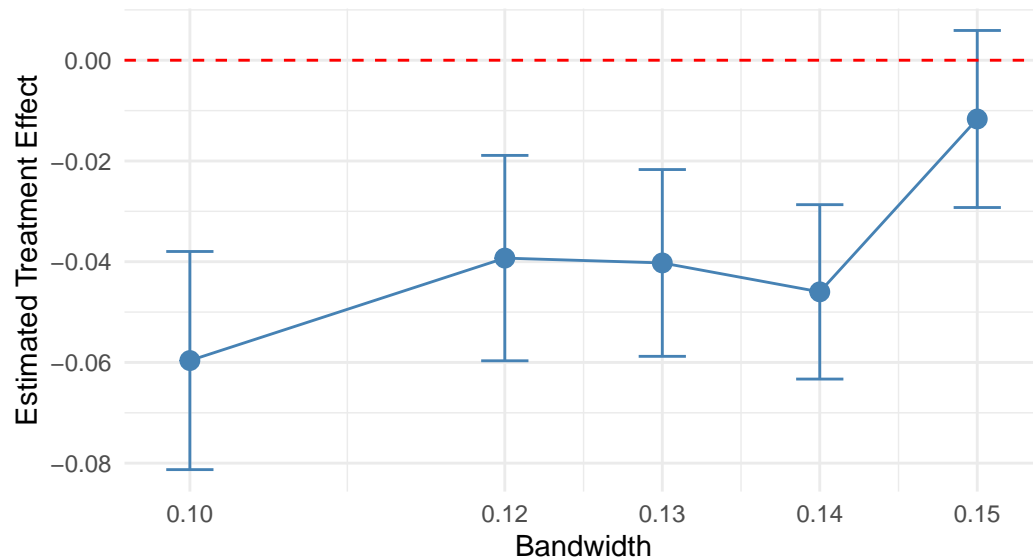
## Problem 6

X3.vs.3.5    X2.5.vs.3  
RD Estimate 0.0546005 -0.03953024

## Problem 7

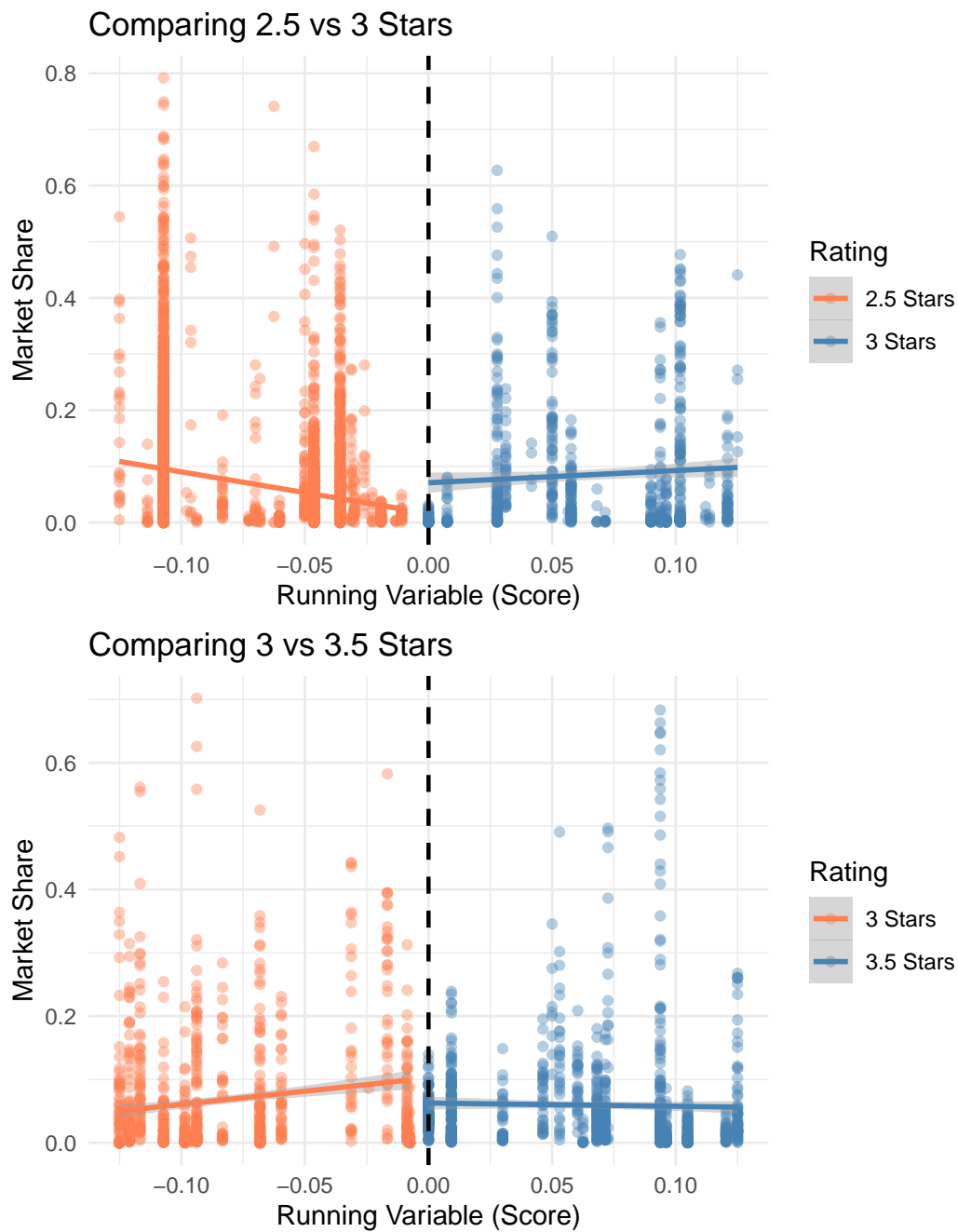


### RD Estimates at 3-Star Threshold Effect of 3.5-Star Rating on Market Share



We note that findings are indeed sensitive to bandwidth choice. For instance, the treatment effect in comparing 3 versus 3.5 star plans appears to be more vivid when compared at the threshold of 0.1 as opposed to 0.15. Similarly, we see a difference in calculated effect when a bandwidth of 0.12 is chosen as opposed to 0.14 while comparing 2.5 star plans versus 3-star plans.

## Problem 8



We do see an abrupt increment in market share concurring to values below and above the threshold, particularly prominent near the threshold of comparison for 2.5 stars against 3 stars (i.e., the first plot). Particularly, the drop from -0.10 to -0.05 in the upper plot and a slight increase from 0.05 to 0.10 in the lower plot.

## Problem 9

	Threshold	PartD_Yes	PartD_No	Below_Threshold	Above_Threshold
1	2.5 vs 3 Stars	11868	9396	19313	1951
2	3 vs 3.5 Stars	4851	672	3127	2396

With a bandwidth of 0.125, we note that there are substantially more Plan D contracts below the threshold than above, for both categories. Furthermore, we see the number of plans that are HMO-approved (calculated via adjusted raw rating as HMO is constituted through Part C and defined here as score) to be significantly varying below and above the threshold. Thus, there are indeed varying characteristics between plans.

## Problem 10

The effect of increased star rating is directly proportional to a larger number of enrollments, particularly prominent from the upward and downward slopes, above and below the threshold, respectively, in the Problem 8 plot comparing 2.5-star plans against 3-star ones. However, these results are highly sensitive to the chosen bandwidth (Problems 6 & 7), as that brings an asymmetric distribution of the number of plan D contracts below and above it (Problem 9). Further, an effect is added from the fact that the 3-star ratings experience the largest number of round-ups as compared to plans above it, thereby making that region particularly volatile to analysis.