

Comparison of Bohr and Shrodinger equation

Information

energy levels e- H atom

$$E_n = -\frac{13.6 \text{ eV}}{n^2} \quad n=1,2,3,4$$

a. Bohr quantum number

$$E_n = -\frac{13.6 \text{ eV}}{n^2}$$

n: principle quantum number

► L [orbital angular momentum] of e-

$$L = n\hbar \quad n=1,2,3,4, \dots$$

[no possibility of 0 angular momentum]

$$L = \sqrt{l(l+1)}\hbar$$

$$l = 0, 1, 2, 3, \dots, (n-1)$$

[electron can't have 0 angular momentum]

[0 possible]
0 only spherically symmetric

► Which quantum numbers specify a quantum state of electron

n = Bohr quantum number

$$n=1,2,3,4, \dots$$

[quantum state specified

by Bohr quantum number]

$$n, l, m_l$$

$$n = 1, 2, 3, \dots, \infty$$

$$l = 0, 1, 2, 3, \dots, n-1$$

$$m_l = 0, \pm 1, \pm 2, \dots, \pm l$$

[quantum number specified by (ψ_{nlm_l})]

► role of n

Energy: angular momentum

specifies energy but no orbital angular momentum
[nothing to do with l or n]

► What is the role of l

no n

angular momentum

$$L^2 = l(l+1)\hbar^2$$

► What is the role of m_l

no role

specifies z -comp of L : L_z
or, $L_z = m_l \hbar$