Started on	Friday, 7 February 2025, 10:35 AM
State	Finished
Completed on	Friday, 7 February 2025, 10:50 AM
Time taken	14 mins 50 secs
Marks	14.50/28.00
Grade	1.55 out of 3.00 (51.79 %)

Question ${f 1}$

Incorrect

Mark -0.25 out of 1.00

Consider a relation R(A, B, C, D) with the functional dependencies:

- $1. \ \mathsf{A} \to \mathsf{B}$
- $2. \ B \rightarrow C$
- $3. C \rightarrow D$

What is the highest normal form satisfied by R?

- a. Only in 2NF
- b. 3NF but not BCNF ×
- c. BCNF
- O d. 1NF

The correct answer is: 1NF

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Question 2
Correct
Mark 2.00 out of 2.00
  Given the following SQL query:
  Film (FilmID, Title, Year, Genre, DirectorID)
  Director (DirectorID, Name, BirthYear, Nationality)
  Actor (ActorID, Name, BirthYear, Nationality)
  Film_Actor (FilmID, ActorID, Role)
  SELECT f.Title
  FROM Film f
  WHERE NOT EXISTS (
       SELECT 1
       FROM Film_Actor fa
       JOIN Actor a ON fa.ActorID = a.ActorID
       WHERE fa.FilmID = f.FilmID AND a.Nationality <> 'American'
  );
  Which of the following Relational Algebra expressions correctly represents this query?
    \  \, \square \  \, \text{a.} \quad \pi_{\text{Title}}(\text{Film}) - \pi_{\text{Title}}(\text{Film} \bowtie \text{Film\_Actor} \bowtie \sigma_{\text{Nationality='Non-American'}}(\text{Actor})) 
   {\color{red} {\mathbb Z}} b. \pi_{\mathrm{Title}}(\mathrm{Film}) - \pi_{\mathrm{Title}}(\mathrm{Film} \bowtie \mathrm{Film\_Actor} \bowtie \sigma_{\mathrm{Nationality} \neq \mathrm{`American'}}(\mathrm{Actor})) \checkmark
   \square c. \pi_{\text{Title}}(\sigma_{\text{Nationality}='\text{American}'}(\text{Film}))
   The correct answer is: \pi_{Title}(Film) - \pi_{Title}(Film \bowtie Film\_Actor \bowtie \sigma_{Nationality \neq 'American'}(Actor))
Question \bf 3
Correct
Mark 1.00 out of 1.00
 Which of the following relations is in BCNF?
   \blacksquare a. R(X, Y, Z) with functional dependency X \rightarrow Y, Y \rightarrow Z
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The correct answer is: R(A, B, C) with functional dependency $A \rightarrow B$ and $A \rightarrow C$, where A is a candidate key

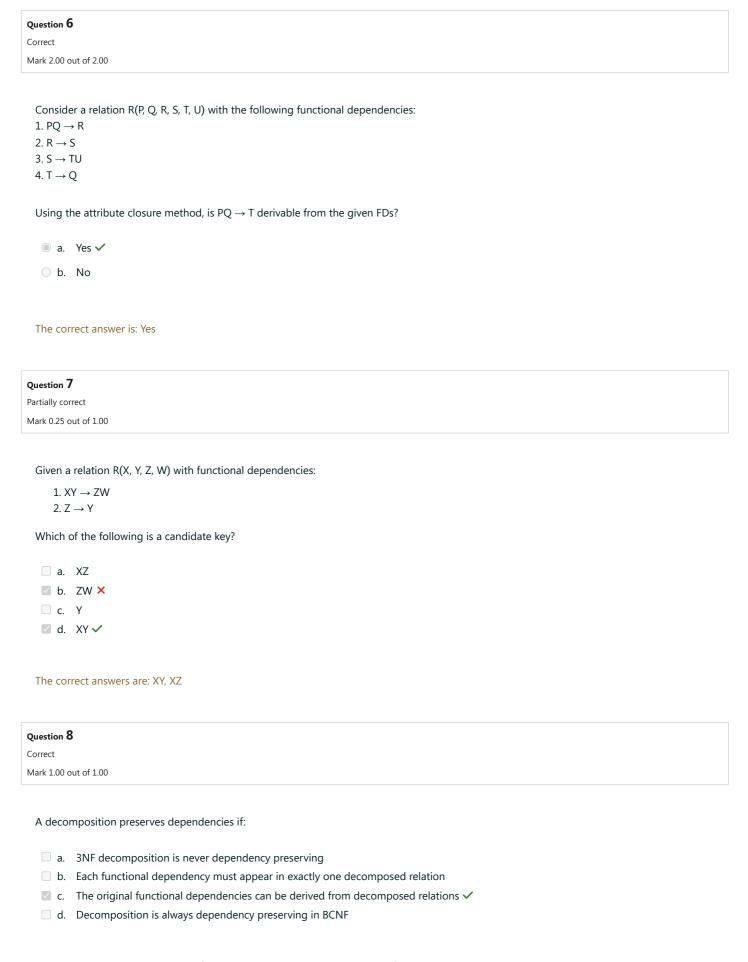
☑ c. R(A, B, C) with functional dependency A \rightarrow B and A \rightarrow C, where A is a candidate key \checkmark ☐ d. R(M, N, O) with functional dependency M \rightarrow N and N \rightarrow O, where M is not a candidate key

 \square b. R(P, Q, R) with functional dependency P \rightarrow Q, where P is not a candidate key

Incorrect	
Mark 0.00 out of 2.00	
Consider a relation R(A, B, C, D, E, F) with the following functional dependencies:	
1. $A \rightarrow B$	
$2. B \rightarrow C$	
$3. \text{ CD} \rightarrow \text{E}$	
$4. E \rightarrow F$	
The candidate key is AD.	
What is the highest normal form this relation satisfies?	
a. In 3NF but not in BCNF	
○ b. Only in 3NF	
○ c. Only in BCNF	
d. In both 3NF and BCNF ×	
The correct answer is: In 3NF but not in BCNF	
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Question 5	
Partially correct	
Mark 0.50 out of 1.00	
A relation is in 3NF if:	
a. Every determinant is a superkey	
☑ b. Every non-prime attribute depends only on a superkey or is part of a candidate key ✓	
c. No partial dependencies exist	
d. The relation contains no transitive dependencies	
The correct answers are: Every non-prime attribute depends only on a superkey or is part of a candidate key. The relation contains no transitive	

 ${\sf Question}~4$

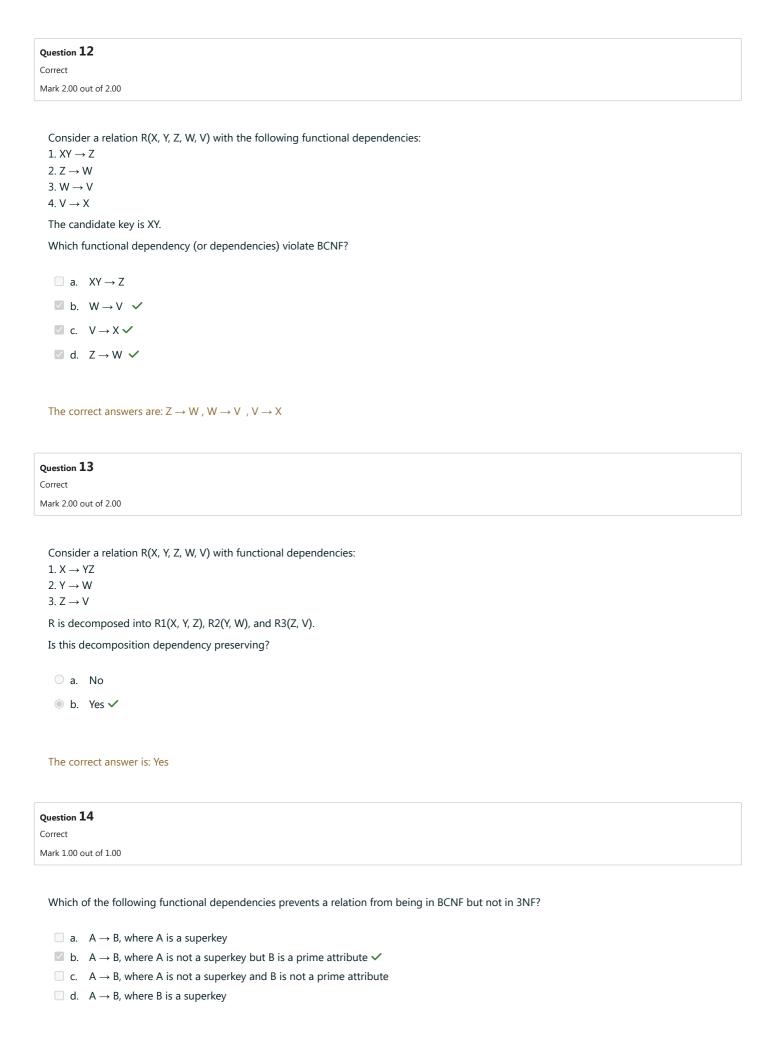
The correct answers are: Every non-prime attribute depends only on a superkey or is part of a candidate key, The relation contains no transitive dependencies



The correct answer is: The original functional dependencies can be derived from decomposed relations

Question 9
Partially correct
Mark 0.25 out of 1.00
Which of the following is true about BCNF decomposition?
 □ a. BCNF decomposition is always lossless and dependency preserving
 ☑ b. Every BCNF decomposition has at least one redundancy ×
c. BCNF decomposition eliminates all transitive dependencies
 ☑ d. A BCNF decomposition may not always preserve dependencies ✓
The correct answers are: A BCNF decomposition may not always preserve dependencies, BCNF decomposition eliminates all transitive dependencies
Question 10 Partially correct
Mark 1.50 out of 2.00
Given the following SQL query:
empAge(empNo,age)
SELECT DISTINCT E1.empNo
FROM empAge E1
JOIN empAge E2
ON E1.age > E2.age;
Which of the following Relational Algebra expressions correctly represents this query?
$oxed{\ }$ a. $\pi_{\mathrm{empNo1}}(\mathrm{empAge}\bowtie_{\mathrm{age}>\mathrm{age1}} ho_{\mathrm{empNo1,age1}}(\mathrm{empAge}))$
$lacksquare$ b. $\pi_{ m empNo}(m empAge marphi_{ m age1>age} ho_{ m empNo1,age1}(m empAge))$ $m{ imes}$
${}^{ extstyle eta}$ c. $\pi_{ ext{empNo}}(ext{empAge}\bowtie_{ ext{age}> ext{age1}} ho_{ ext{empNo1,age1}}(ext{empAge}))$ $m{\checkmark}$
$lacksquare$ d. $\pi_{ m empNo}({ m empAge} imes ho_{ m empNo1,age1}({ m empAge}))$
The correct answer is: $\pi_{\mathrm{empNo}}(\mathrm{empAge}\bowtie_{\mathrm{age}>\mathrm{age1}} ho_{\mathrm{empNo1,age1}}(\mathrm{empAge}))$
Question 11
Partially correct
Mark 0.25 out of 1.00
A decomposition is lossless if:
$ riangle$ a. The intersection of decomposed relations contains a candidate key or allows recovery of the original relation \checkmark
□ b. All decomposed relations are in BCNF
✓ c. There is no transitive dependency ×
d. Every FD appears in at least one decomposed relation

The correct answers are: The intersection of decomposed relations contains a candidate key or allows recovery of the original relation, All decomposed relations are in BCNF



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Marked out of 2.00
  Given the following SQL query:
  Employee(eId, Name)
  Brand(bld, bName)
  Own(eId, bId)
  SELECT 01.eId
  FROM Own O1
  WHERE NOT EXISTS (
        SELECT B.bId
        FROM Brand B
        WHERE NOT EXISTS (
              SELECT *
              FROM Own 02
               WHERE O2.eId = O1.eId AND O2.bId = B.bId
         )
  );
  Which of the following Relational Algebra expressions correctly represents this query?
    \square a. \pi_{\mathrm{eId}}\left(\left(\pi_{\mathrm{eId}}(\mathrm{Own}) \times \pi_{\mathrm{bId}}(\mathrm{Own})\right) \div \pi_{\mathrm{bId}}(\mathrm{Brand})\right)
    lacksquare b. \pi_{\mathrm{eId}}\left(\pi_{\mathrm{eId,bId}}(\mathrm{Own}) \div \pi_{\mathrm{bId}}(\mathrm{Own})\right)
    \quad \  \  \, \Box \  \  \, \text{c.} \quad \, \pi_{eId}(Own) - \pi_{eId}\left((\pi_{eId}(Own) \times \pi_{bId}(Brand)) - \pi_{eId,bId}(Own)\right)
    \square d. \pi_{\mathrm{eId}} (\pi_{\mathrm{eId,bId}}(\mathrm{Own}) \div \pi_{\mathrm{bId}}(\mathrm{Brand}))
  The correct answers are: \pi_{eId} (\pi_{eId,bId}(Own) \div \pi_{bId}(Brand))
  , \pi_{\mathrm{eId}}(\mathrm{Own}) - \pi_{\mathrm{eId}}\left((\pi_{\mathrm{eId}}(\mathrm{Own}) \times \pi_{\mathrm{bId}}(\mathrm{Brand})) - \pi_{\mathrm{eId,bId}}(\mathrm{Own})\right)
Question 16
Complete
Not graded
  Consider a relation R(P, Q, R, S, T, U) with the following functional dependencies:
  1. P \rightarrow QR
  2.\;Q\to S
  3. R \rightarrow TU
  Which of the following functional dependencies must also hold?
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The correct answers are: $P \to STU~$, $P \to QRT~$, $Q \to TU$

a. $P \rightarrow STU$ b. $Q \rightarrow TU$ c. $P \rightarrow QRT$ d. $S \rightarrow U$ e. $QR \rightarrow P$

Question 15

Not answered

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Question 17
Correct
Mark 1.00 out of 1.00
  Given the following SQL query:
  SELECT student_id
  FROM Enrollments
  WHERE course = 'Math'
  INTERSECT
  SELECT student_id
  FROM Enrollments
  WHERE course = 'Science';
  Which of the following Relational Algebra expressions correctly represents this query?
    lacksquare a. \sigma_{\text{course}='Math'}(\text{Enrollments}) \cap \sigma_{\text{course}='Science'}(\text{Enrollments})
    	exttt{$ullet} b. \pi_{	ext{student\_id}}(\sigma_{	ext{course}='Math'}(	ext{Enrollments})) \cap \pi_{	ext{student\_id}}(\sigma_{	ext{course}='Science'}(	ext{Enrollments})) \checkmark
    \begin{tabular}{ll} \hline & c. & $\pi_{\rm student\_id}({\rm Enrollments}\bowtie_{\rm course='Math'}\bowtie_{\rm course='Science'})$\\ \end{tabular}
    \blacksquare d. \pi_{\mathrm{student\_id}}(\mathrm{Enrollments})
  The correct answer is: \pi_{\text{student\_id}}(\sigma_{\text{course}='Math'}(\text{Enrollments})) \cap \pi_{\text{student\_id}}(\sigma_{\text{course}='Science'}(\text{Enrollments}))
Question 18
Not answered
Marked out of 2.00
  Given the following SQL query:
  SELECT *
  FROM Employee
  WHERE Salary > 50000 AND Department <> 'Finance';
  Which of the following Relational Algebra expressions correctly represents this query?
    \blacksquare a. \sigma_{\mathrm{Salary}>50000}(\mathrm{Employee}) - \sigma_{\mathrm{Department}='Finance'}(\mathrm{Employee})
    \square b. \sigma_{\text{Salary}>50000}(\text{Employee})
    \square c. \sigma_{	ext{Salary}>50000}(	ext{Employee}) \cap \sigma_{	ext{Department} 
eq'Finance'}(	ext{Employee})
    \square d. Employee \bowtie \sigma_{\text{Salary}>50000}(\text{Employee})
  The correct answers are: \sigma_{\text{Salary}>50000}(\text{Employee}) - \sigma_{\text{Department}='Finance'}(\text{Employee})
  ,\,\sigma_{\mathrm{Salary}>50000}(\mathrm{Employee})\cap\sigma_{\mathrm{Department}\neq'Finance'}(\mathrm{Employee})
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Question 19
Not answered
Marked out of 2.00
 Consider a relation R(M, N, O, P, Q, R) with the following functional dependencies:
  1. MN \rightarrow OP
  2. O \rightarrow Q
  3. P \rightarrow R
  R is decomposed into R1(M, N, O, P) and R2(O, Q, P, R).
 Is this decomposition lossless?
   a. Yes
   Ob. No
  The correct answer is: Yes
Question 20
Not answered
Marked out of 1.00
 Given the following SQL query:
  SELECT DISTINCT E.Lname, E.Fname
  FROM Employee E, Department D
  WHERE E.Dno = D.Dnumber AND D.Dname = 'Research';
  Which of the following Relational Algebra expressions correctly represents this query?
   \  \  \, \square \  \, \text{a.} \quad \pi_{\operatorname{Lname},\operatorname{Fname}}(\sigma_{\operatorname{Dname}='Research'}(\operatorname{Employee}\bowtie\operatorname{Department}))
   \hfill \Boxb. \pi_{\mathsf{Lname},\mathsf{Fname}}(\sigma_{\mathsf{Dname}='Research'}(\mathsf{Employee}\times\mathsf{Department}))
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□ c. $\pi_{\text{Lname,Fname}}(\sigma_{\text{Dname}='Research'}(\text{Employee}\bowtie_{\text{Dnumber}=\text{Dno}}\text{Department}))$ □ d. $\pi_{\text{Lname,Fname}}(\sigma_{\text{Dname}='Research'}(\text{Employee}\bowtie_{\text{Dno}=\text{Dnumber}}\text{Department}))$

, $\pi_{\text{Lname,Fname}}(\sigma_{\text{Dname}='Research'}(\text{Employee} \bowtie_{\text{Dnumber}=\text{Dno}} \text{Department}))$

The correct answers are: $\pi_{\text{Lname},\text{Fname}}(\sigma_{\text{Dname}='Research'}(\text{Employee}\bowtie_{\text{Dno}=\text{Dnumber}}\text{Department}))$