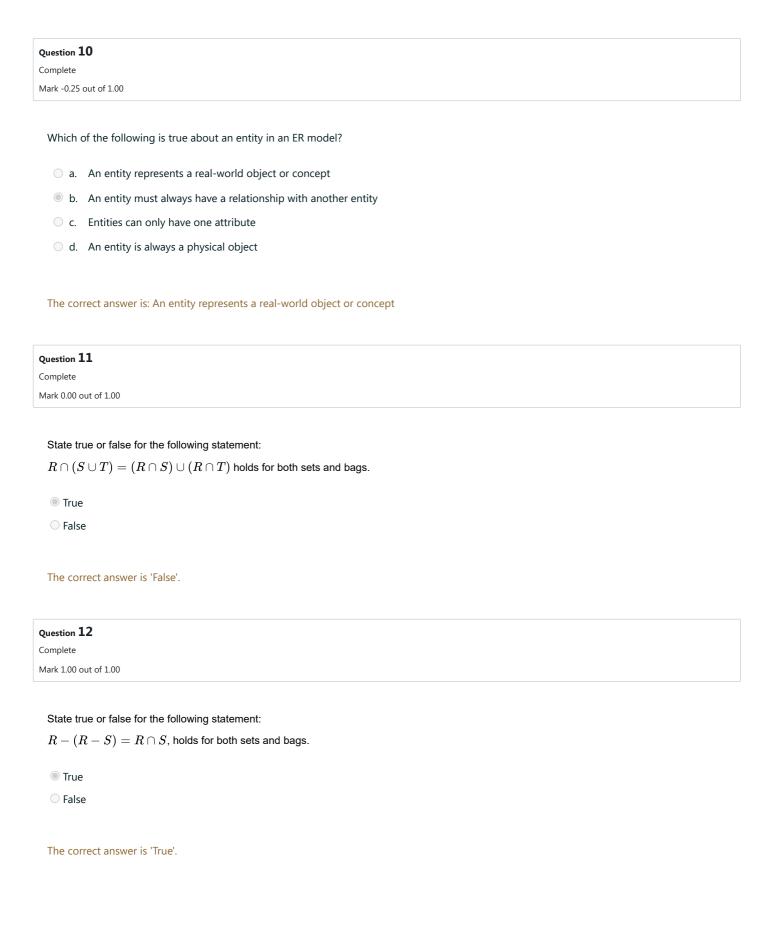
Started on	Tuesday, 28 January 2025, 10:35 AM
State	Finished
	Tuesday, 28 January 2025, 10:50 AM
	14 mins 51 secs
	14.50/47.00
Grade	<b>0.93</b> out of 3.00 ( <b>30.85</b> %)
Question 1	
Complete	
Mark 1.00 out of 1.00	
Assuming set sema	entics, State true or false for the following statement:
_	combination of $(\sigma, \Pi, x)$ .
орошин	
True	
○ False	
The correct answer	is 'True'.
Question 2	
Complete	
Mark 1.00 out of 2.00	
Schema :	
Consider the follo	wing university database schema:
	ne, Age, Major, GPA)
Course ( <u>CID</u> , Title,	Department, Credits)
Enrollment ( <u>SID</u> , <u>C</u>	ID, Semester, Grade)
Professor ( <u>PID</u> , Na	nme, Department, Salary)
Teaches ( <u>PID</u> , <u>CID</u> ,	Semester)
Which of the follow more than expressi	ing relational algebra expression(s) will Retrieve the names of all students enrolled in at least one course? (Note: there can be ons)
$lacksquare$ a. $\pi_{ m Name}({ m Str})$	$\operatorname{ident} owtie \operatorname{Enrollment})$
$lacksquare$ b. $\pi_{ m Name}({ m Str}$	$\operatorname{ident} \ltimes \operatorname{Enrollment})$
	$\operatorname{ident} owtie \operatorname{Enrollment} owtie \operatorname{Course})$
	$({ m ident}) - \pi_{ m Name}({ m Student} \ltimes { m Enrollment})$
~ Name (Dil	Name (Station & Difforment)
The correct answer	s are: $\pi_{ ext{Name}}( ext{Student} owtie  ext{Enrollment})$
, $\pi_{\mathrm{Name}}(\mathrm{Student})$	$-\pi_{\mathrm{Name}}(\mathrm{Student} \ltimes \mathrm{Enrollment})$

Question 3
Complete
Mark 1.00 out of 1.00
What does cardinality in an ER model define?
a. None of the others  The state of a size of
b. The total number of entities in a database
c. The number of foreign keys in a table
<ul> <li>d. The number of attributes in an entity</li> </ul>
The correct answer is: None of the others
Question 4
Complete
Mark 1.00 out of 1.00
What is a weak entity?
Mac 5 a weak entity.
<ul> <li>a. An entity that does not have a primary key and relies on a strong entity</li> </ul>
<ul> <li>b. An entity that does not have any attributes</li> </ul>
c. An entity that is stored as a separate database table
d. An entity that has multiple relationships
The correct answer is: An entity that does not have a primary key and relies on a strong entity
Question 5
Complete  Marks 100 put of 100
Mark 1.00 out of 1.00
Assuming set semantics, State true or false for the following statement:
The full outer-join operator $\bowtie$ can be expressed as a combination of $(\bowtie, \bowtie, \cup)$ .
True
○ False
The correct answer is 'True'.

Question 6
Complete  Mark 0.00 out of 1.00
State true or false for the following statement:
State true of false for the following statement: $(R\cap S)-T=R\cap (S-T)$ , holds for both sets and bags
(It+B) = I = It+(B-I), notes for both sets and bags
True
○ False
The correct answer is 'False'.
Question 7
Complete
Mark 2.00 out of 4.00
Consider the following university database schema:
Student ( <u>SID</u> , Name, Age, Major, GPA)
Course ( <u>CID</u> , Title, Department, Credits)
Enrollment ( <u>SID</u> , <u>CID</u> , Semester, Grade)
Professor ( <u>PID</u> , Name, Department, Salary)
Teaches ( <u>PID</u> , <u>CID</u> , Semester)
Which of the following relational algebra expression(s) will Find students who have taken both Course C1 and Course C2? (Note: there can be
more than expressions)
$ \  \   \exists \  \   a.  \pi_{Name}\left((\pi_{SID}(\sigma_{CID='C1'}(Enrollment))\cap\pi_{SID}(\sigma_{CID='C2'}(Enrollment)))\bowtie Student\right)$
$\square$ b. $\pi_{Name}\left((\sigma_{E1.CID='C1'}(Enrollment)\bowtie_{E1.SID=E2.SID}\sigma_{E2.CID='C1'}(Enrollment))\bowtie Student ight)$
$ riangleq$ c. $\pi_{Name}\left((\sigma_{E1.CID='C1'}(Enrollment)\bowtie_{E1.SID=E2.SID}\sigma_{E2.CID='C2'}(Enrollment))\bowtie Student ight)$
$ \  \   \Box \  \   d.  \pi_{Name}\left(\left(\pi_{SID}(\sigma_{CID='C1'}(Enrollment)) \cup \pi_{SID}(\sigma_{CID='C2'}(Enrollment))\right) \bowtie Student\right)$
The correct anguers are: — ((= (= (Engelles and)) > = (= (Engelles and)) > = (U =
The correct answers are: $\pi_{Name}\left((\pi_{SID}(\sigma_{CID='C1'}(Enrollment))\cap\pi_{SID}(\sigma_{CID='C2'}(Enrollment)))\bowtie Student)$ , $\pi_{Name}\left((\sigma_{E1.CID='C1'}(Enrollment))\bowtie_{E1.SID=E2.SID}\ \sigma_{E2.CID='C2'}(Enrollment))\bowtie Student\right)$

Question 8	
Complete	
Mark 2.00 out of 2.00	
Consider the following university database schema:	
Student ( <u>SID</u> , Name, Age, Major, GPA)	
Course ( <u>CID</u> , Title, Department, Credits)	
Enrollment ( <u>SID</u> , <u>CID</u> , Semester, Grade)	
Professor ( <u>PID</u> , Name, Department, Salary)	
Teaches ( <u>PID</u> , <u>CID</u> , Semester)	
Which of the following relational algebra expression(s) will retrieve the titles of all courses offered by the 'Mathematics' department. (Note: there can be more than expressions)	
a. None of the above	
$oxed{igsquare} egin{array}{ll} {oxdot} {o$	
$\square$ c. $\sigma_{ ext{Title}='Mathematics'}( ext{Course})$	
$lacksquare$ d. $\pi_{ ext{Title}}(\sigma_{ ext{Department}='Mathematics'}( ext{Course}))$	
The correct answer is: $\pi_{\mathrm{Title}}(\sigma_{\mathrm{Department}='Mathematics'}(\mathrm{Course}))$ Question 9  Complete	
Mark 2.00 out of 4.00	
Mark 2.00 Out of 4.00	
Consider the following university database schema:	
Student ( <u>SID</u> , Name, Age, Major, GPA)	
Course ( <u>CID</u> , Title, Department, Credits)	
Enrollment ( <u>SID</u> , <u>CID</u> , Semester, Grade)	
Professor ( <u>PID</u> , Name, Department, Salary)	
Teaches ( <u>PID</u> , <u>CID</u> , Semester)	
Which of the following relational algebra expression(s) will Retrieve the names of students who are enrolled in Course C1 but not in Course C2. (Note: there can be more than expressions)	
$ \   \square \   \text{a.}  \pi_{Name}\left(\left(\pi_{SID}(\sigma_{CID='C1'}(Enrollment)) - \pi_{SID}(\sigma_{CID='C2'}(Enrollment))\right) \bowtie Student\right) \\$	
■ b. $\pi_{Name}\left((\pi_{SID}(Enrollment\bowtie\sigma_{CID='C1'}(Course)) - \pi_{SID}(Enrollment\bowtie\sigma_{CID='C2'}(Course)))\bowtie Student\right)$ ■ c. $\pi_{Name}\left((\pi_{SID}(Enrollment\bowtie\sigma_{CID='C1'}(Course)) - \pi_{SID}(\sigma_{CID='C2'}(Enrollment\bowtie Course)))\bowtie Student\right)$ ■ d. $\pi_{Name}\left(\pi_{SID}(\sigma_{CID='C1'}(Enrollment))\bowtie Student\right) - \pi_{Name}\left(\pi_{SID}(\sigma_{CID='C2'}(Enrollment))\bowtie Student\right)$	

The correct answers are:  $\pi_{Name}\left(\left(\pi_{SID}(\sigma_{CID='C1'}(Enrollment)) - \pi_{SID}(\sigma_{CID='C2'}(Enrollment))\right)\bowtie Student\right)$  ,  $\pi_{Name}\left(\left(\pi_{SID}(Enrollment\bowtie\sigma_{CID='C1'}(Course)) - \pi_{SID}(Enrollment\bowtie\sigma_{CID='C2'}(Course))\right)\bowtie Student\right)$ 



Question 13
Complete
Mark 2.00 out of 2.00
Consider the following university database schema:
Circles (CVD November 1997)
Student ( <u>SID</u> , Name, Age, Major, GPA)  Course ( <u>CID</u> , Title, Department, Credits)
Enrollment (SID, CID, Semester, Grade)
Professor (PID, Name, Department, Salary)
Teaches ( <u>PID</u> , <u>CID</u> , Semester)
Which of the following relational algebra expression(s) will Retrieve the names of professors who teach at least one course? (Note: there can be more than expressions)
a. None of the above
$oxdots$ b. $\pi_{ ext{Name}}(\sigma_{ ext{Salary}>50000}( ext{Professor}))$
$ exttt{ }  ext$
$lacksquare$ d. $\pi_{ ext{Name}}( ext{Teaches}owtie  ext{Professor})$
The correct answers are: $\pi_{\mathrm{Name}}(\mathrm{Teaches} \bowtie \mathrm{Professor})$ , $\pi_{\mathrm{Name}}(\sigma_{\mathrm{PID}=\mathrm{Teaches.PID}}(\mathrm{Professor} \times \mathrm{Teaches}))$
Question 14
Complete
Mark 1.00 out of 1.00
Assuming set semantics, State true or false for the following statement: The grouping operator $\gamma$ (gamma) can do duplicate elimination.
True
○ False
The correct answer is 'True'.

Question <b>1</b>	5
Complete	
Mark -0.25 o	out of 1.00
In an ER	diagram, a double rectangle is used to represent?
○ a.	A multi-valued attribute
<ul><li>b.</li></ul>	A strong entity
O c.	A weak entity
O d.	A recursive relationship
The cor	rect answer is: A weak entity
Question <b>1</b>	6
Not answere	
Marked out	of 1.00
Which c	f the following is NOT a type of attribute in an ER model?
О а.	Recursive
O b.	Composite
O c.	Derived
O d.	Simple
The cor	rect answer is: Recursive
Question <b>1</b>	7
Not answere	
Marked out	of 1.00
What sy	mbol is used to represent a relationship in an ER diagram?
○ a.	Ellipse
O b.	Triangle
O c.	Rectangle
O d.	Diamond

The correct answer is: Diamond

Question 1	18
lot answer	red
Marked out	t of 1.00
What is	the primary key in an ER model?
○ a.	A unique identifier for an entity
O b.	A relationship between two entities
O c.	A type of attribute that stores numerical values
O d.	A foreign key in a different table
TI	
rne cor	rect answer is: A unique identifier for an entity
Question 1	19
lot answer	
Narked out	t of 2.00
A hosp	ital manages Doctors, Patients, and Appointments through a three-way relationship called DoctorAssignment, which models:
	Doctor is assigned to a Patient for a specific Appointment.
	N Doctor can attend multiple Appointments, but each Appointment is handled by exactly one Doctor. No Patient can have multiple Appointments, possibly with different Doctors.
• 4	realient can have multiple Appointments, possibly with different Doctors.
How ca	in this three-way relationship be simplified while preserving all constraints?
О а.	Split into two binary relationships, introducing an associative entity:
	DoctorSchedules(Doctor — Appointment) (One-to-Many)
	$\textbf{PatientAppointments} (\textbf{Patient} - \textbf{Appointment, with assigned Doctor ID}) \ (\textbf{Many-to-One, but stores the Doctor ID explicitly})$
O b.	Introduce a direct Many-to-Many relationship between Doctor and Patient and remove the need for an Appointment entity.
O c.	Create two binary relationships:
	Treats(Doctor — Patient) (Many-to-Many)

The correct answer is: Split into two binary relationships, introducing an associative entity:

DoctorSchedules(Doctor — Appointment) (One-to-Many)

 ${\tt Schedules(Patient-Appointment)\ (One-to-Many)}$ 

relationship.

 $\textbf{PatientAppointments} (\textbf{Patient} - \textbf{Appointment, with assigned Doctor ID}) \ (\textbf{Many-to-One, but stores the Doctor ID explicitly})$ 

od. Create an associative entity called DoctorPatient to store (DoctorID, PatientID, AppointmentID) and keep the three-way

Marked out of 1.00	
Assuming set semantics, State true or false for the following statement:	
The grouping operator $\gamma$ , can be expressed as a combination of $(\sigma, \Pi, \cup)$ .	
○ True	
○ False	
- Turse	
The correct answer is 'False'.	

Question 20 Not answered

## Question 21

Not answered

Marked out of 4.00

Suppose we have the following schema:

Person(id, name),

CarType(carTypeId, type),

Car(carId, ownerId, carTypeId, carName)

describing, respectively, people, types of cars, and cars and their owners. The data corresponding to these tables is as follows:

## Person

ID	NAME
1	Madeleine
2	Alice
3	Nalini

CarType

CarTypeId	Туре
1	Small
2	Medium
3	Large

## Car

CarId	OwnerId	CarTypeId	CarName
1	1	1	Nano
2	2	2	Santro

Select the correct returned tuple of the following SQL query:

```
select distinct Q.name from
  (select P.name, C.carName, CT.carTypeId
  from Person P
  left outer join Car C on (C.ownerId = P.id)
  inner join CarType CT on (C.carTypeId = CT.carTypeId)) as Q
```

- a. Alice, Nalini
- b. Alice, Madeleine
- oc. None of above
- od. Alice, Madeleine, Nalini

The correct answer is: Alice, Madeleine

Question 22
Not answered
Marked out of 1.00
State true or false for the following statement:
$R \cup (S \cap T) = (R \cup S) \cap (R \cup T)$ , holds for both sets and bags.
○ True
○ False
The correct answer is 'True'.
The correct answer is line.
Question 23
Not answered
Marked out of 4.00
Consider the following university database schema:
Student ( <u>SID</u> , Name, Age, Major, GPA)
Course ( <u>CID</u> , Title, Department, Credits)
Enrollment (SID, CID, Semester, Grade)
Professor ( <u>PID</u> , Name, Department, Salary)
Teaches ( <u>PID</u> , <u>CID</u> , Semester)
Which of the following relational algebra expression(s) will Retrieve the names of students who have taken at least one of the courses C1 or C2.
(Note: there can be more than expressions)
$\square$ a. $\pi_{Name}(\sigma_{CID='C1'\lor CID='C2'}(Enrollment)\bowtie Student)$
$\square$ b. $\pi_{Name}((\pi_{SID}(\sigma_{CID='C1'}(Enrollment)) \cup \pi_{SID}(\sigma_{CID='C2'}(Enrollment))) \bowtie Student)$
$\square$ c. $\pi_{Name}(\sigma_{CID='C1'}(Enrollment)\bowtie\sigma_{CID='C2'}(Enrollment)\bowtie Student)$
$\square$ d. $\pi_{Name}(\pi_{SID}(\sigma_{CID='C1'\lor CID='C2'}(Enrollment))\bowtie Student)$
The correct answers are: $\pi_{Name}((\pi_{SID}(\sigma_{CID='C1'}(Enrollment)) \cup \pi_{SID}(\sigma_{CID='C2'}(Enrollment))) \bowtie Student)$
$(\pi_{SID}(\sigma_{CID='CI'}(Ehrottment))) \bowtie Student)$ $(\pi_{SID}(\sigma_{CID='CI'}(Ehrottment))) \bowtie Student)$

Not answered
Marked out of 2.00
Consider the following university database schema:
Student ( <u>SID</u> , Name, Age, Major, GPA)
Course ( <u>CID</u> , Title, Department, Credits)
Enrollment ( <u>SID</u> , <u>CID</u> , Semester, Grade)
Professor ( <u>PID</u> , Name, Department, Salary)
Teaches ( <u>PID</u> , <u>CID</u> , Semester)
Which of the following relational algebra expression(s) will Retrieve the names of all students majoring in 'Computer Science'. (Note: there can be more than expressions)
$lacksquare$ a. $\pi_{ ext{Name}}(\sigma_{ ext{Major}='ComputerScience'}( ext{Student}) \bowtie \pi_{ ext{Name}}( ext{Student}))$
$oxed{igsquare}  ext{ b. } \sigma_{ ext{Name}='ComputerScience'}( ext{Student})$
$\ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ $
$\ igsqcup$ d. $\pi_{ ext{Name}}( ext{Student}owtie \sigma_{ ext{Major}='ComputerScience'}( ext{Course}))$
The correct answers are: $\pi_{\text{Name}}(\sigma_{\text{Major}='ComputerScience'}(\text{Student}))$ , $\pi_{\text{Name}}(\sigma_{\text{Major}='ComputerScience'}(\text{Student}))\bowtie \pi_{\text{Name}}(\text{Student}))$
Question 25 Not answered
Marked out of 4.00
Consider the following university database schema:
Student ( <u>SID</u> , Name, Age, Major, GPA)
Course ( <u>CID</u> , Title, Department, Credits)
Enrollment (SID, CID, Semester, Grade)
Professor ( <u>PID</u> , Name, Department, Salary)
Teaches ( <u>PID</u> , <u>CID</u> , Semester)
Which of the following relational algebra expression(s) will Find courses that are either taught by Professor A or taken by Student X but not both? (Note: there can be more than expressions)
$ \qquad \text{a.}  \pi_{CID}\left((\pi_{CID}(\sigma_{PID='A'}(Teaches)) \cup \pi_{CID}(\sigma_{SID='X'}(Enrollment))) - (\pi_{CID}(\sigma_{PID='A'}(Teaches)) \cap \pi_{CID}(\sigma_{SID='X'}(Enrollment))) \right) \\ = (\pi_{CID}(\pi_{CID}(\sigma_{PID='A'}(Teaches)) \cup \pi_{CID}(\sigma_{SID='X'}(Enrollment)))) \\ = (\pi_{CID}(\pi_{CID}(\pi_{CID}(Teaches)) \cup \pi_{CID}(\pi_{CID}(Teaches)))) \\ = (\pi_{CID}(\pi_{CID}(Teaches)) \cup \pi_{CID}(\pi_{CID}(Teaches))) \\ = (\pi_{CID}(\pi_{CID}(Teaches)) \cup \pi_{CID}(\pi_{CID}(Teaches)) \\ = (\pi_{CID}(\pi_{CID}(Teaches)) \cup \pi_{CID}(Teaches)) \\ = (\pi_{CID}(\pi_{CID}(Teaches)) \cup \pi_{CID}(Teaches) \\ = (\pi_{CI$
$ \   \Box \   b. \   \pi_{CID}\left((\pi_{CID}(\sigma_{PID='A'}(Teaches)) - \pi_{CID}(\sigma_{SID='X'}(Enrollment))\right) \cap (\pi_{CID}(\sigma_{SID='X'}(Enrollment)) - \pi_{CID}(\sigma_{PID='A'}(Teaches)) - \pi_{CID}(\sigma_{SID='X'}(Enrollment))) \cap (\pi_{CID}(\sigma_{SID='X'}(Enrollment))) \cap (\pi_{CID}(\sigma_{SID='X'}(Enrollment))) \cap (\pi_{CID}(\sigma$
$ \  \Box \ \ c.  \pi_{CID}\left((\pi_{CID}(\sigma_{PID='A'}(Teaches)) \cup \pi_{CID}(\sigma_{SID='X'}(Enrollment))\right) - \pi_{CID}(\sigma_{PID='A'}(Teaches) \cap \sigma_{SID='X'}(Enrollment))$
$ \qquad \qquad \square \   \text{d.}  \pi_{CID}\left((\pi_{CID}(\sigma_{PID='A'}(Teaches)) - \pi_{CID}(\sigma_{SID='X'}(Enrollment))\right) \cup \left(\pi_{CID}(\sigma_{SID='X'}(Enrollment)) - \pi_{CID}(\sigma_{PID='A'}(Teaches)) - \pi_{CID}(\sigma_{PID='A'}(Teaches))\right) = 0 $
The correct answers are: $\pi_{CID}\left(\left(\pi_{CID}(\sigma_{PID='A'}(Teaches)) \cup \pi_{CID}(\sigma_{SID='X'}(Enrollment))\right) - \left(\pi_{CID}(\sigma_{PID='A'}(Teaches)) \cap \pi_{CID}(\sigma_{SID='X'}(Enrollment))\right)$
$\pi_{CID}\left((\pi_{CID}(\sigma_{PID='A'}(Teaches)) - \pi_{CID}(\sigma_{SID='X'}(Enrollment))\right) \cup \left(\pi_{CID}(\sigma_{SID='X'}(Enrollment)) - \pi_{CID}(\sigma_{PID='A'}(Teaches))\right)$

Question 24

Question 26
Not answered
Marked out of 2.00
Consider the following university database schema:
Student ( <u>SID</u> , Name, Age, Major, GPA)
Course ( <u>CID</u> , Title, Department, Credits)
Enrollment ( <u>SID</u> , <u>CID</u> , Semester, Grade)
Professor ( <u>PID</u> , Name, Department, Salary)
Teaches ( <u>PID</u> , <u>CID</u> , Semester)
Which of the following relational algebra expression(s) will Retrieve the names of students with an 'A' grade in at least one course? (Note: there can be more than expressions)
$lacksquare$ a. $\pi_{ ext{Name}}\left(\sigma_{ ext{Grade}='A'}\left( ext{Enrollment}oxtimes ext{Student} ight) ight)$
$lacksquare$ b. $\pi_{ ext{Name}}\left( ext{Enrollment}oxtimes\sigma_{ ext{Grade}='A'}\left( ext{Course} ight) ight)$
$\ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ $
$lacksquare$ d. $\sigma_{ ext{Name}='A'}\left( ext{Enrollment}oxtimes ext{Student} ight)$
The correct answers are: $\pi_{\mathrm{Name}}\left(\sigma_{\mathrm{Grade}='A'}\left(\mathrm{Enrollment}\bowtie\mathrm{Student}\right)\right)$
, $\pi_{Name}(Student owtie (Enrollment owtie \sigma_{Grade='A'}(Enrollment)))$