

# Principal Component Analysis (PCA - A dimensionality reduction technique)

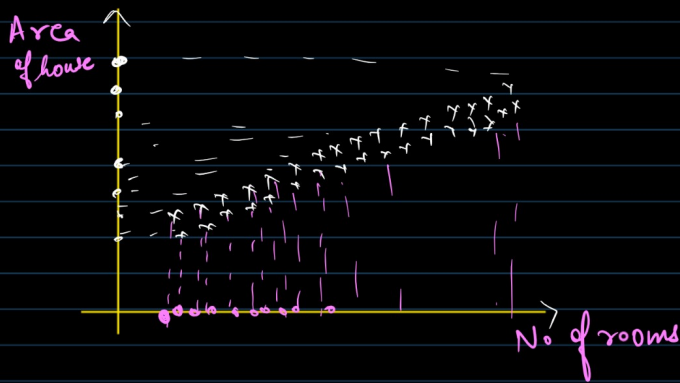
(Geometric Intuition)

[illegible]

\* Since PCA is a dimensionality reduction technique  $\Rightarrow$  We will try to reduce the dimension

- \* ML is about learning patterns of data.

$2d \rightarrow 1d$  Using PCA.



→ If you want to convert 2d-1d, take only one feature that is number of room or Area of house.

→ Say no of rooms  $\Rightarrow$  X axis you selected.

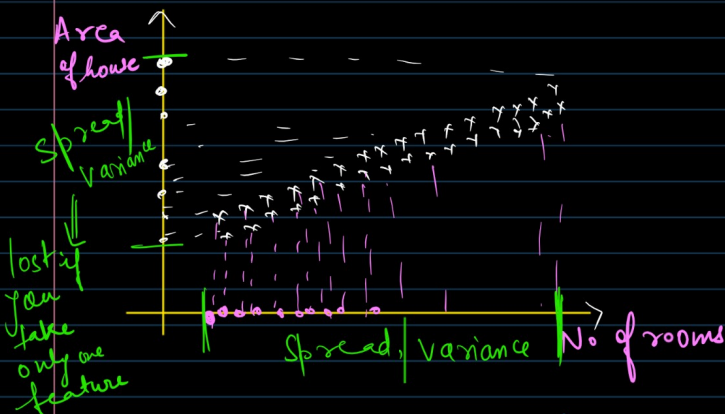
→ We will loose Area of house.

(Actually this also happened in feature selection using correlation)

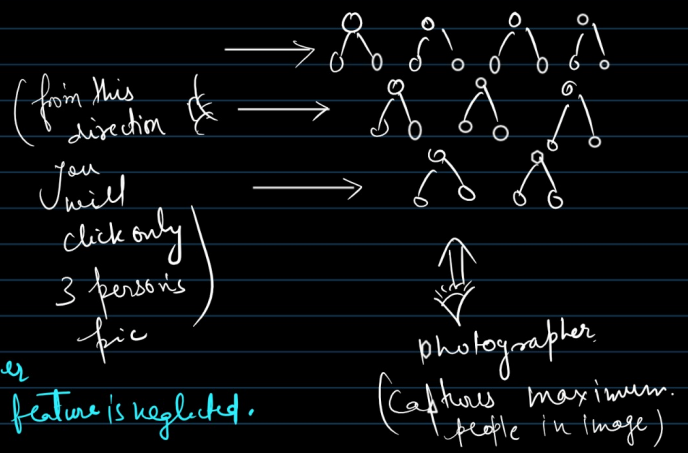
→ But you want both the feature.

⇒ To get both the features, we need to understand the concept of Variance / Spread / information.

↓  
Analogy



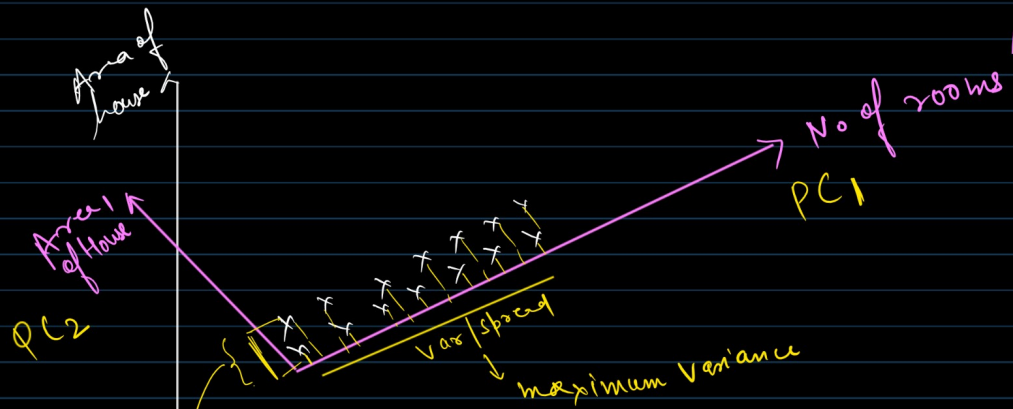
→ If you select only one feature in order to reduce  $2d-1d$ , then spread/variance of other feature is neglected. <sup>pic</sup>



Spread  $\uparrow$  Variance  $\uparrow$

Maximum spread captured.

→ Spread/Variance is pattern of data and ML is about learning patterns, what to do to capture maximum variance and also reduce the dimension.



→ Since you transformed the axis, spread/variance along the axis changed.

PC<sub>1</sub> & PC<sub>2</sub>

Still you are getting 2 PC's

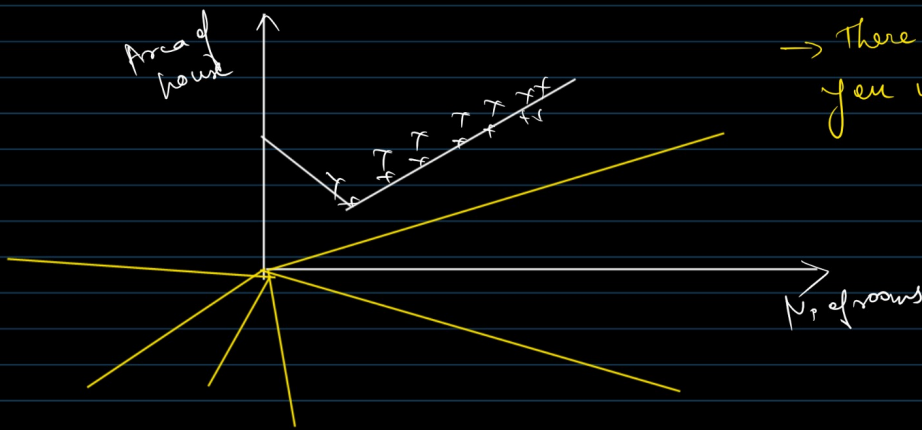
2d → PC<sub>1</sub>, PC<sub>2</sub>

PC<sub>1</sub> will be used for model training as it captures the maximum var/spread of data

If you neglect this, less amount of variance will be lost.

2d - 1d (PC<sub>1</sub>)

→ If you use only new feature No. of rooms' (PC<sub>1</sub>) then very less amount of variance will be lost.



→ There can be n-dimension but you want the maximum variance capture.

$f_1$	$f_2$	$f_3$	$\dots$	$f_{1000}$	$y$	$PC_1$	$PC_2$	$PC_3$	$\dots$	$PC_{100}$
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\* No of Principal Components will be equal to number of feature.

$$* PC_1 > PC_2 > PC_3 \dots PC_n$$

Var                  Var                  Var                  Var.

$$\begin{matrix} f_1 & f_2 & f_3 \\ PC_1 & PC_2 & PC_3 \end{matrix}$$

$$Var(PC_1) > Var(PC_2) > Var(PC_3)$$

→ first few principal components will capture almost 90% variance/spread/pattern of data. So instead of 1000 PC's you will use only first few.

\* In principal component  $y$  (target variable) is not used, that's why PCA is also called Unsupervised Algorithm.

Axis transformation  $\Rightarrow$  Eigen decomposition of Covariance matrix

\* Disadvantage of PCA  $\rightarrow$  loss of information