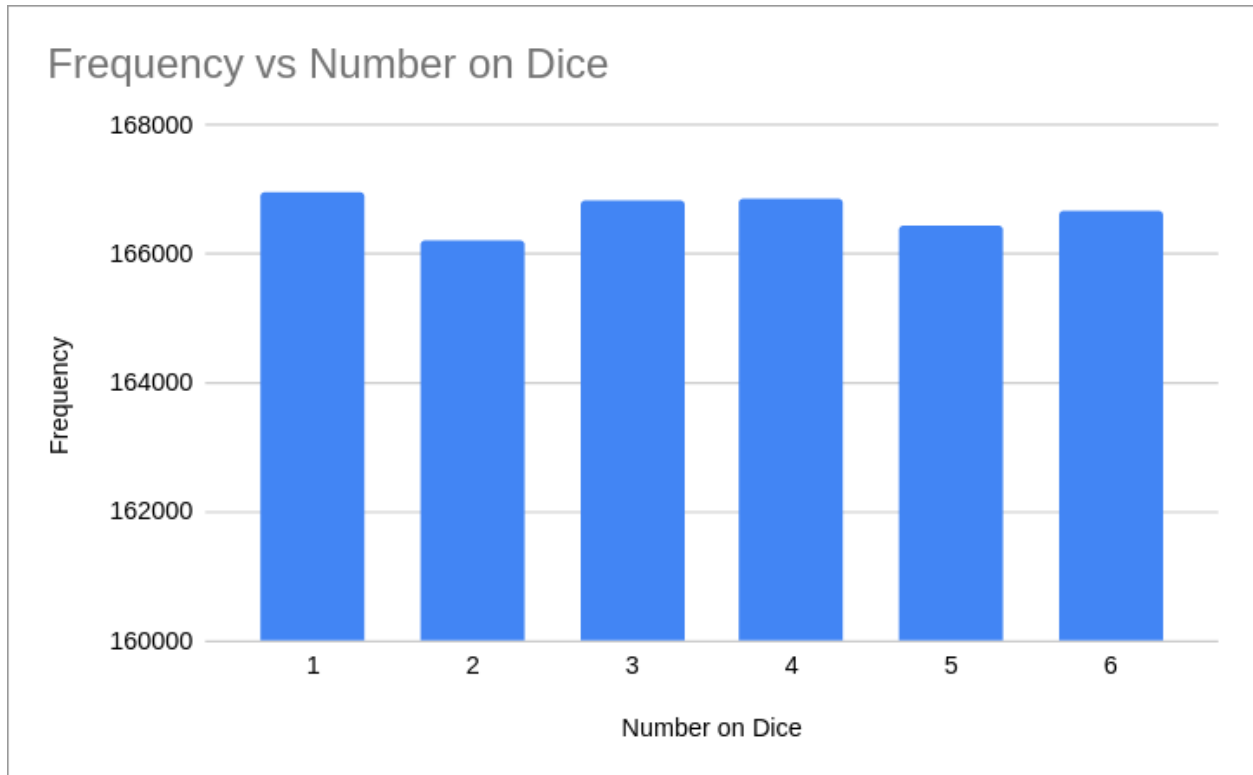


Q1-3 REPORT

Q1:



Since there are 1,000,000 trials of the dice throw,

Ideally, number of times each $i(1 \leq i \leq 6)$ appears on the dice is $1000000/6$

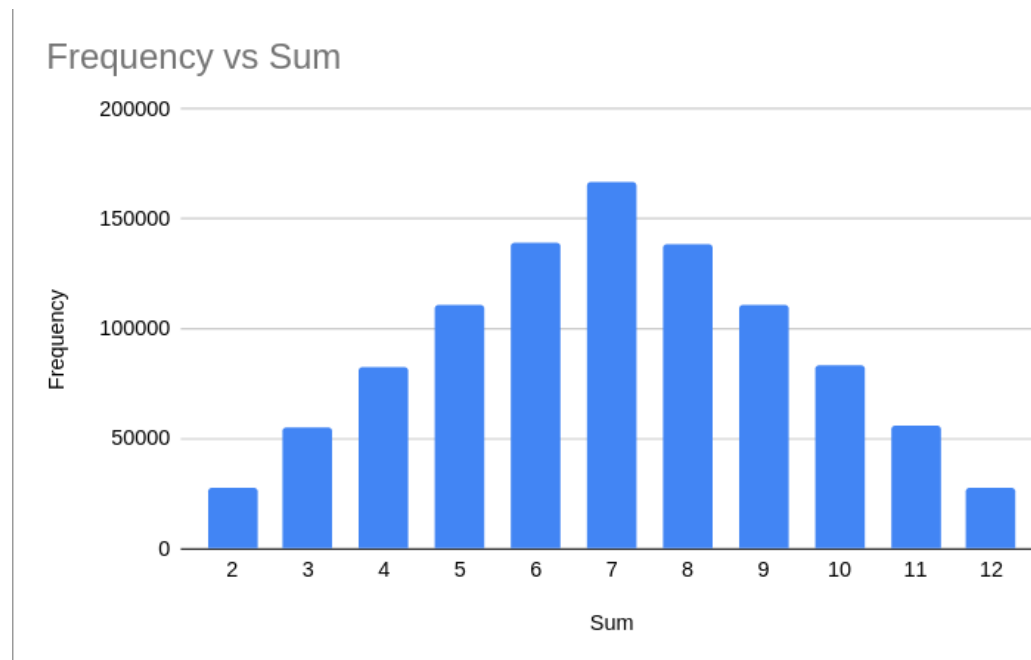
$$= 166666.666667$$

And experimentally,

| Number on Dice | Frequency |
|----------------|-----------|
| 1 | 166959 |
| 2 | 166213 |
| 3 | 166843 |
| 4 | 166861 |
| 5 | 166454 |
| 6 | 166670 |

So each experimental frequency value is <1000 numbers away from the ideal frequency.

Q2:



Here,

| Sum | Frequency |
|-----|-----------|
| 2 | 27747 |
| 3 | 55127 |
| 4 | 83010 |
| 5 | 111411 |
| 6 | 139448 |
| 7 | 166506 |
| 8 | 138678 |
| 9 | 111153 |
| 10 | 83649 |
| 11 | 55775 |
| 12 | 27496 |

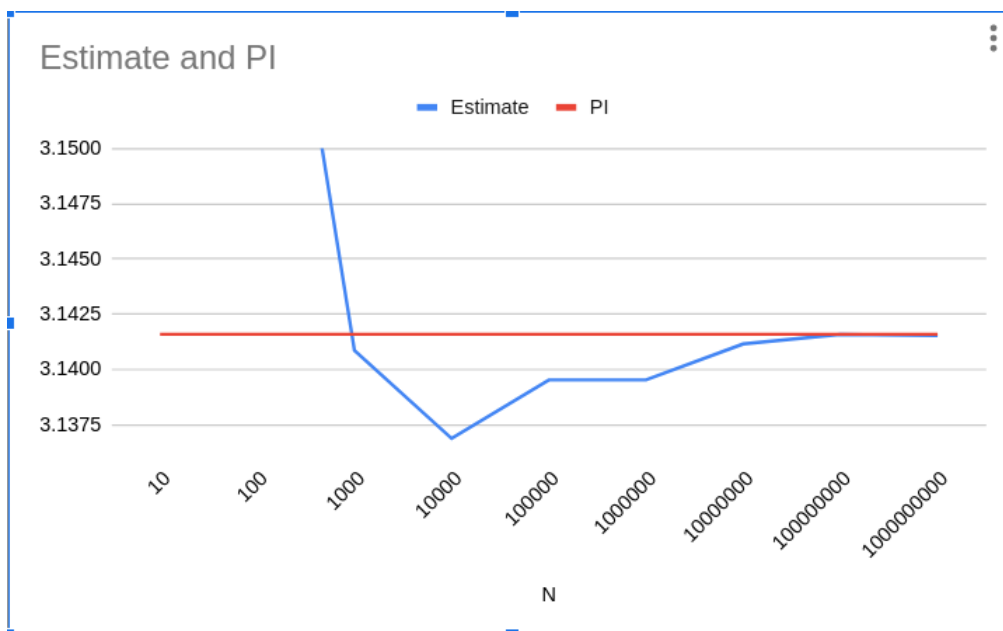
But theoretically,

| Sum | Frequency |
|-----|---------------|
| 2 | 27777.7777778 |
| 3 | 55555.5555556 |
| 4 | 83333.3333333 |
| 5 | 111111.111111 |
| 6 | 138888.888889 |

| | |
|----|---------------|
| 7 | 166666.666667 |
| 8 | 138888.888889 |
| 9 | 111111.111111 |
| 10 | 83333.333333 |
| 11 | 55555.555556 |
| 12 | 27777.777778 |

Again, experimental values differ from ideal values by <1000.

Q3:



| N | Estimate |
|------------|----------|
| 10 | 3.272727 |
| 100 | 3.168317 |
| 1000 | 3.140859 |
| 10000 | 3.136886 |
| 100000 | 3.139529 |
| 1000000 | 3.139533 |
| 10000000 | 3.141157 |
| 100000000 | 3.141583 |
| 1000000000 | 3.141529 |

The actual value of PI is around 3.141592654 , so as N increases, the accuracy of the estimated value of PI also increases.