ASSIGNMENT 6	
Resolution qUESTION	
(a) Marcus was a man. (b) Marcus was a Roman. (c) All men are people. (d) Caesar was a ruler. (e) All Romans were either loyal to Caesa (f) Everyone is loyal to someone. (g) People only try to assassinate rulers (h) Marcus tried to assassinate Caesar	27 1(4)
qUERY::::::	
Who hated Caesar?	
First order logic	
 (a) Marcus was a man. (b) Marcus was a Roman. (c) All men are people. (d) Caesar was a ruler. (e) All Romans were either loyal to Caesar or hated him (or both). (f) Everyone is loyal to someone. (g) People only try to assassinate rulers they are not loyal to. ∀x (h) Marcus tried to assassinate Caesar 	=> M(Marcus) => R(Marcus) => \forall x (M(x) -> P(x)) => Ruler(Caesar) => \forall x R(x) -> Layal(x, (area) \text{ Hated(x, Caesar)} => \forall x \end{area} \text{ Layal(x, y)} => \forall x \forall y \text{ Layal(x, y)} => \forall x \forall y \text{ Assassinate(x, y) -> \text{ Layal(x, y)} => Assassinate(Marcus, Caesar)}
Now, Let - Hated(Marcus, Caesar)	
Layal(x, Caesar) Y Hated(x, Caesar) Layal(Marcus, Caesar)	- Hated(Marcus, Caesar) esar)
Assassinate(Marcus, Caesar) - Assass Contradiction	sinate(Marcus, Caesar)

So, Marcus hates Caesar.

- Q. Consider the following paragraph:
 "anything anyone eats are called food. Milka likes all kind of food. Bread is a food. Mango is a food. Alka eats pizza. Alka eats everything milka eats."
 Translate the following sentences into (WFF) in predicate logic and then into set of clauses. Using resolution principle answer the following:

 1. Does Milka like pizza?
 2. what food Alka eats[Question answering]

 1. Anything anyone eats are called food
 \[
 \forall x: \forall y: eats(x, y) -> food(y)
 \[
 \forall x: \forall y: \square eats(x, y) \tau food(y)
 \]
 \[
 \times x: \forall y: \square eats(x, y) \tau food(y)
 \]
 \[
 \times x: \forall y: \square eats(x, y) \tau food(y)
 \]
 \[
 \times x: \forall y: \square eats(x, y) \tau food(y)
 \]
 \[
 \times x: \forall y: \square eats(x, y) \tau food(y)
 \]
 \[
 \times x: \forall y: \square eats(x, y) \tau food(y)
 \]
- 2. Milka likes all kind of food

 Yy1: Food(y1) -> like(Milka, y1)

 Yy1: ¬ Food(y1) Y like(Milka, y1)

 => ¬ Food(y1) Y like(Milka, y1)
- 4. Mango is a food => food(Mango)

5. Alka eats pizza

=> eats(Alka, pizza)

Bread is a food
 Food(Bread)

- 6. Alka eats everything milka eats
 ∀x: ∀y: eats(Milka, x1) -> eats(Alka, x1)
 ∀x: ∀y: ¬ eats(Milka, x1) Y eats(Alka, x1)
 => ¬ eats(Milka, x1) Y eats(Alka, x1)
- i> Does Milka like pizza?

 Assume, Milka doesn't like pizza

 like(Milka, pizza)
 - like(Milka, pizza) food(y) Y like(Milka, y1)
 eats(x, y) Y food(y) food(pizza)

eats(Alka, pizza) - eats(x, pizza)

Since - like(Milka, pizza) is contradiction like(Milka, pizza) is true.

2. What food Alka eats ∃x: eats(Alka, x)

Failed assumption

Assume: Alka doesn't eats anything ¬ (∃ x2: eats(Alka, x2))

∀x2: ¬ eats(Alka, x2) => ¬ eats(Alka, x2)

- eats(Alka, x2) eats(Alka, pizza)

Assumption failed So, Alka eats anything is true, Alka eats pizza.

```
Q. Consider the following axioms:

    Every child loves Santa.

Represent these axioms in predicate calculus; skolemize as necessary and convert
each formula to clause form. (Note: `has a red nose' can be a single predicate.
Remember to negate the conclusion.) Prove the unsatisfiability of the set of clauses
by resolution.

    Every child loves Santa.

        \forall x \text{(child, } x) \rightarrow \text{love}(x, \text{Santa}) \Rightarrow \neg \text{ child}(x) \ \forall \text{ love}(x, \text{Santa})
2. Everyone who loves Santa loves any reindeer.
  ∀x(love(x, Santa)) -> ∀y(reindeer(y)) -> love(x, y)
  => - love(x, Santa) Y (- reindeer(y) Y love(x, y))
3. Rudolph is a reindeer, and Rudolph has a red nose.
        reindeer(Rudolph) / rednose(Rudolph)
4. Anything which has a red nose is weird or is a clown.
                                                           - rednose(x) Y (weird(x), clown(x))
        \forall x (rednose(x) -> weird(x) \lor clown(x))
5. No reindeer is a clown.
                                                 - reindeer(x) Y - clown(x)
        \neg \exists x (reindeer(x) \land clown(x))
6. Scrooge does not love anything which is weird.
                                                      - weird(x) Y - love(Scrooge, x)
        \forall x (weird(x) -> \neg love(Scrooge, x)
7. (Conclusion) Scrooge is not a child.
                                                     - child(Scrooge)
        - child(Scrooge)
  - child(x) Y love(x, Santa)
                                              - child(Scrooge)
                           So, let: - child(x): love(Scrooge, Santa)
  - love(x, Santa) Y (- reindeer(y) Y love(x, y))
                                                                  love(Scrooge, Santa)
                       - reindeer(y) Y love(Scrooge, y)
  - reindeer(x) Y clown(x)
                                        reindeer(Rudolph)
                             - clown(Rudolph)
  ¬ weird(r) Y ¬ love(Scrooge, r)
                                               weird(Rudolph)
               - love(Scrooge, Rudolph)
                            - clown(Rudolph)
                                                                  - love(Scrooge, Rudolph)
                                            - clown(Rudolph)
       Contradiction
```

Hense, The set of clauses are unsatisfied.