

# Assignment No 3

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## 1 Abstract

This experiment reads data from files and parses them. After analysing data, a function is fit to it. The effect of noise on the fitting process is studied and relevant graphs are plotted.

## 2 Tasks

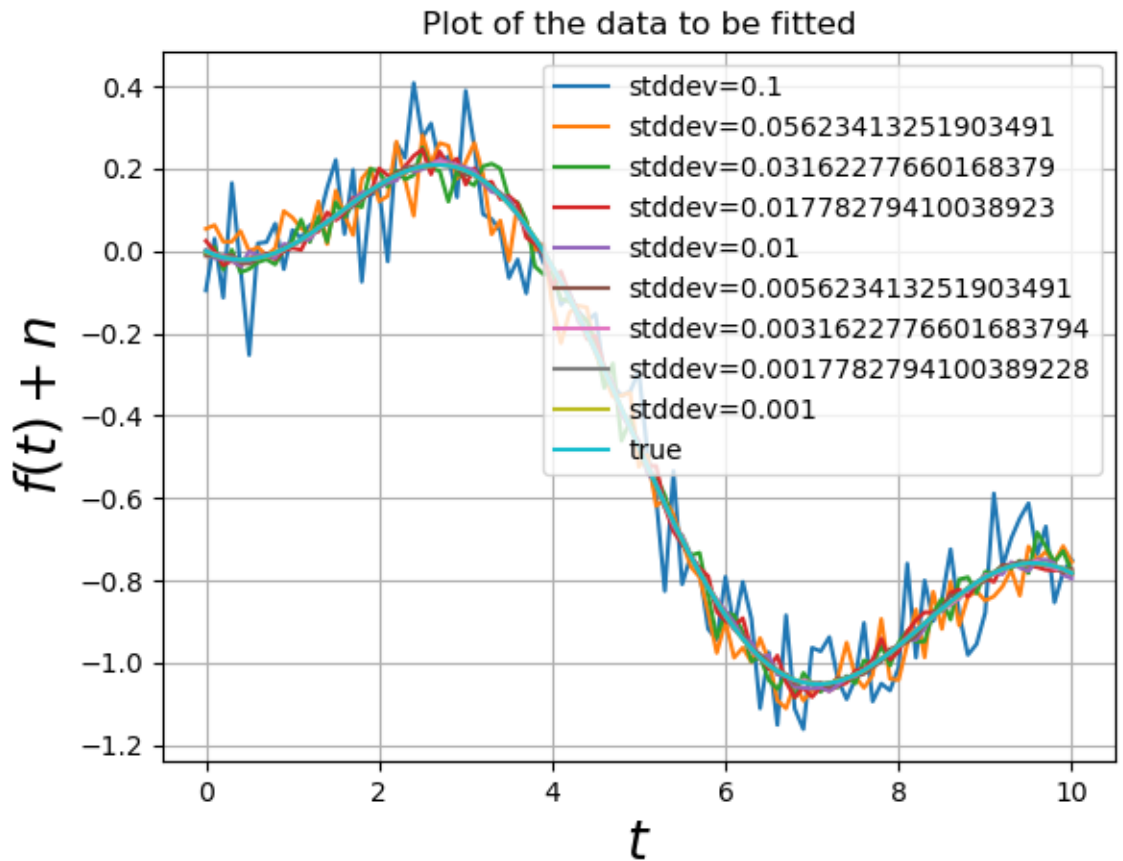
*matplotlib throws an elementwise comparison error, which is yielding different plots when the same code is run on different versions of python. Please find attached, these two variants of plots.*

1. Download and run the given python script.
2. The file has noisy data columns. Extract these using the following code:

```
yf=np.loadtxt("fitting.dat")
(N,k)=yf.shape
t=yf[:,0]
```

3. Plot the labelled noisy curves in Figure 0.

```
scl=logspace(-1,-3,9)
figure(0)
for i in range(1,k):
    plot(t,yf[:,i],label='$\sigma={}'.format(around(scl[i-1]),5))
xlabel(r'$t$',size=20)
ylabel(r'$f(t)+n$',size=20)
title(r'Plot of the data to be fitted')
```



4. Define a function that fits a given function to the data. Thereafter, plot the true value ( $A=1.05$ ,  $B=-0.105$ ).

```
def g(tk=t,A=1.05,B=-0.105):
    return A*sp.jn(2,tk)+B*t
y=g()
plot(t,y,label='true')
legend()
grid(True)
show()
```

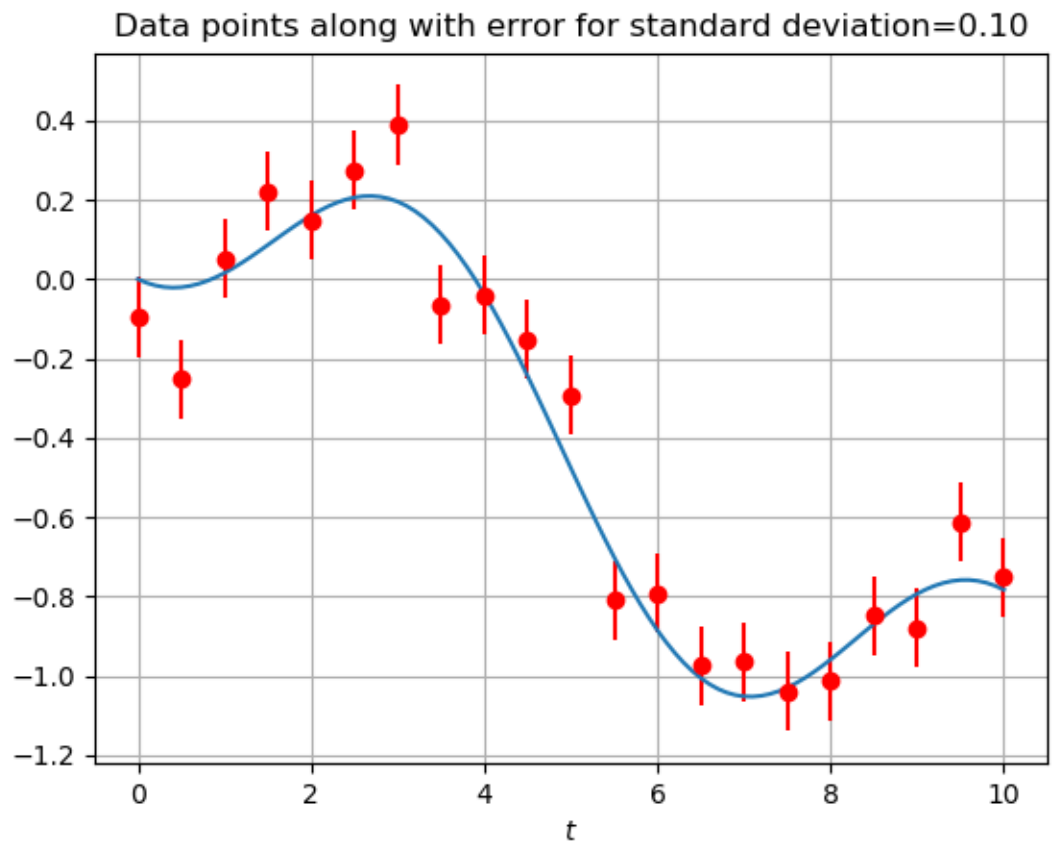
5. Generate a plot of the first column with errorbars, using every fifth point to do so.

```
figure(1)
plot(t,y,label='true')
```

```

errorbar(t[::5],yf[:,1][::5],scl[0],fmt='ro')
xlabel(t)
title(r'Data points along with error for
      standard deviation=0.10')
grid(True)
show()

```



6. Obtain  $g(t;A;B)$  as a column vector by creating a matrix equation.
7. Compute the mean squared error between the data and the assumed model for  $A=0,0.1,\dots,2$  and  $B=-0.2,-0.19\dots 0$ .

```

n=21
A=linspace(0,2,n)
B=linspace(-0.2,0,n)
eps=np.zeros((n,n))

```

```

for i in range(n):
    for j in range(n):
        eps[i][j]=mean(square(yf[:,1]-g(t,A[i],B[j])))

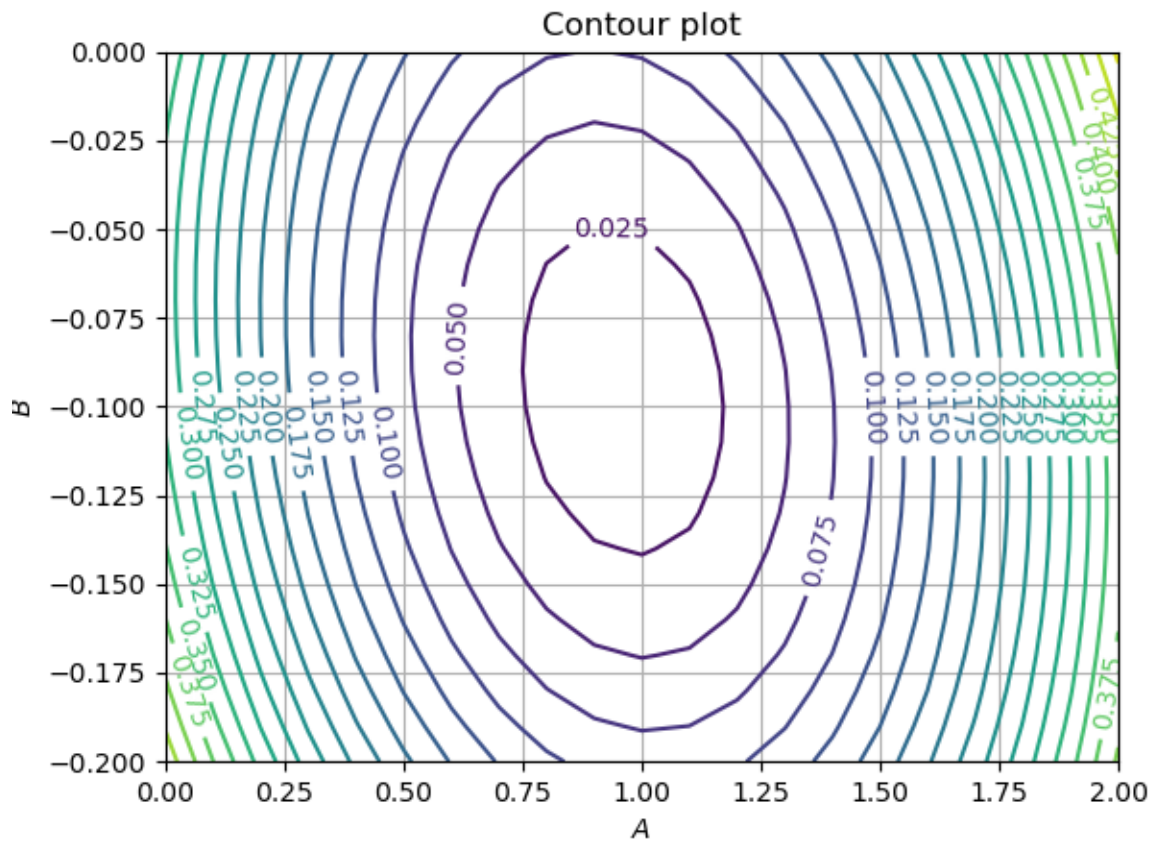
```

8. Plot a contour plot of  $\epsilon_{ij}$ .

```

figure(2)
pl=contour(A,B,eps,levels=20)
xlabel(A)
ylabel(B)
title(r'Contour plot')
clabel(pl)
grid(True)
show()

```



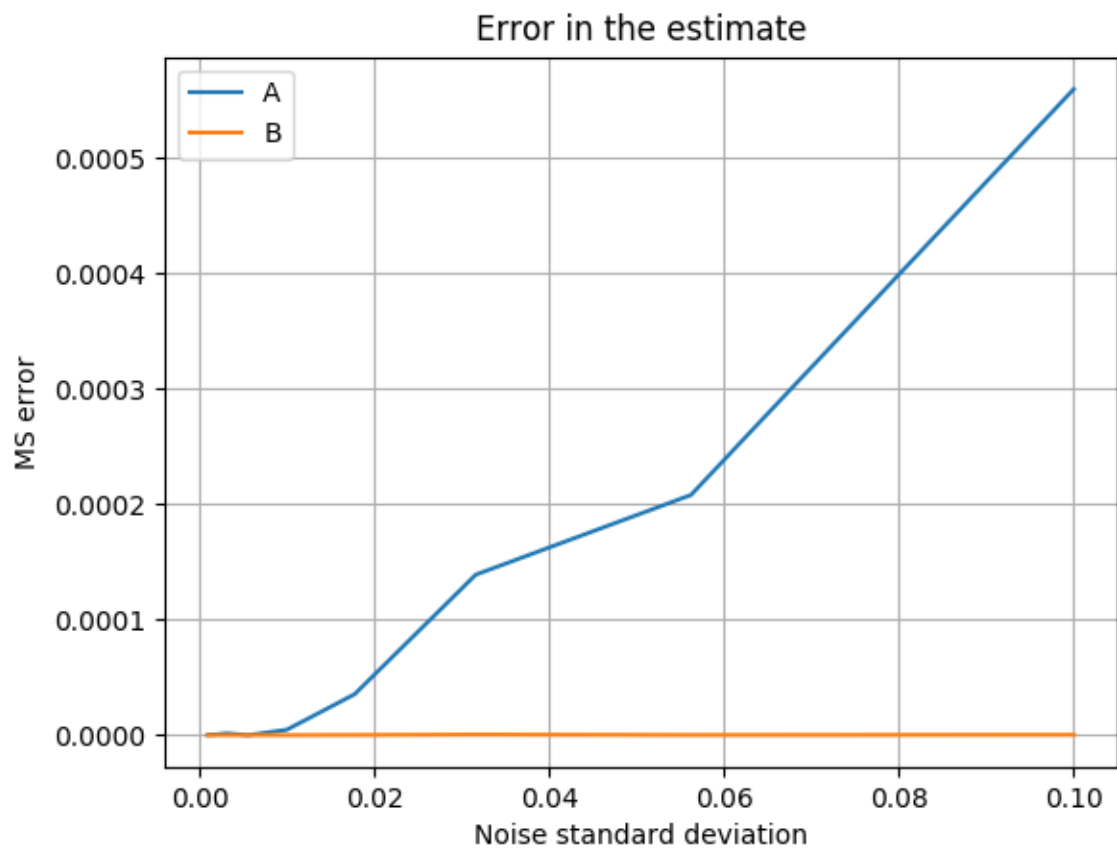
9. Obtain the best estimate of  $A$  and  $B$  using `lstsq`.

```
ex=np.zeros((2,1))
ex=scipy.linalg.lstsq(M,y)[0]
```

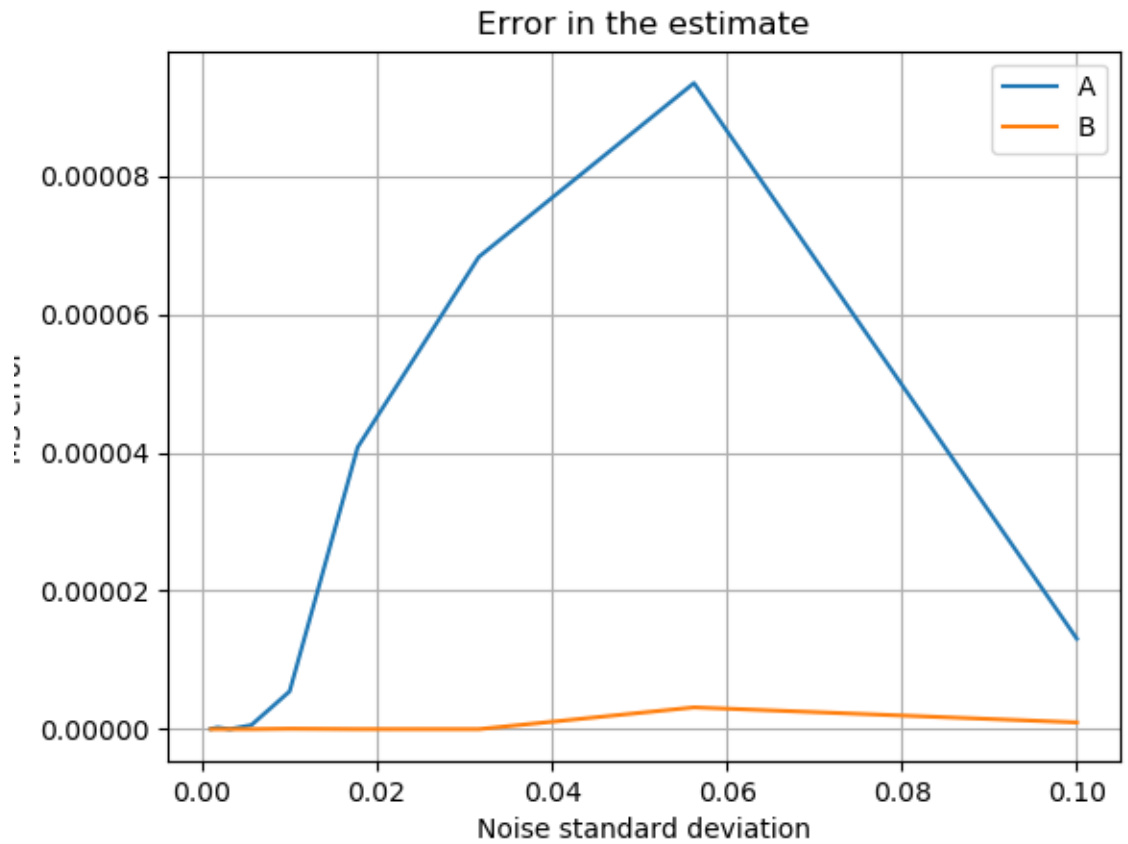
10. Plot the error in the estimate of  $A$  and  $B$  for different data files, versus the noise.

```
fit=np.zeros((k-1,2))
for i in range(k-1):
    fit[i]=scipy.linalg.lstsq(M,yf[:,i+1])[0]
Ae=np.zeros((k-1,1))
Be=np.zeros((k-1,1))
for i in range(k-1):
    Ae[i]=abs(fit[i][0]-ex[0])
    Be[i]=abs(fit[i][1]-ex[1])
figure(3)
plot(scl,Ae,label='A')
plot(scl,Be,label='B')
xlabel('Noise standard deviation')
ylabel('MS error')
title('Error in the estimate')
legend()
grid(True)
show()
```

Graph, as plotted on ubuntu:



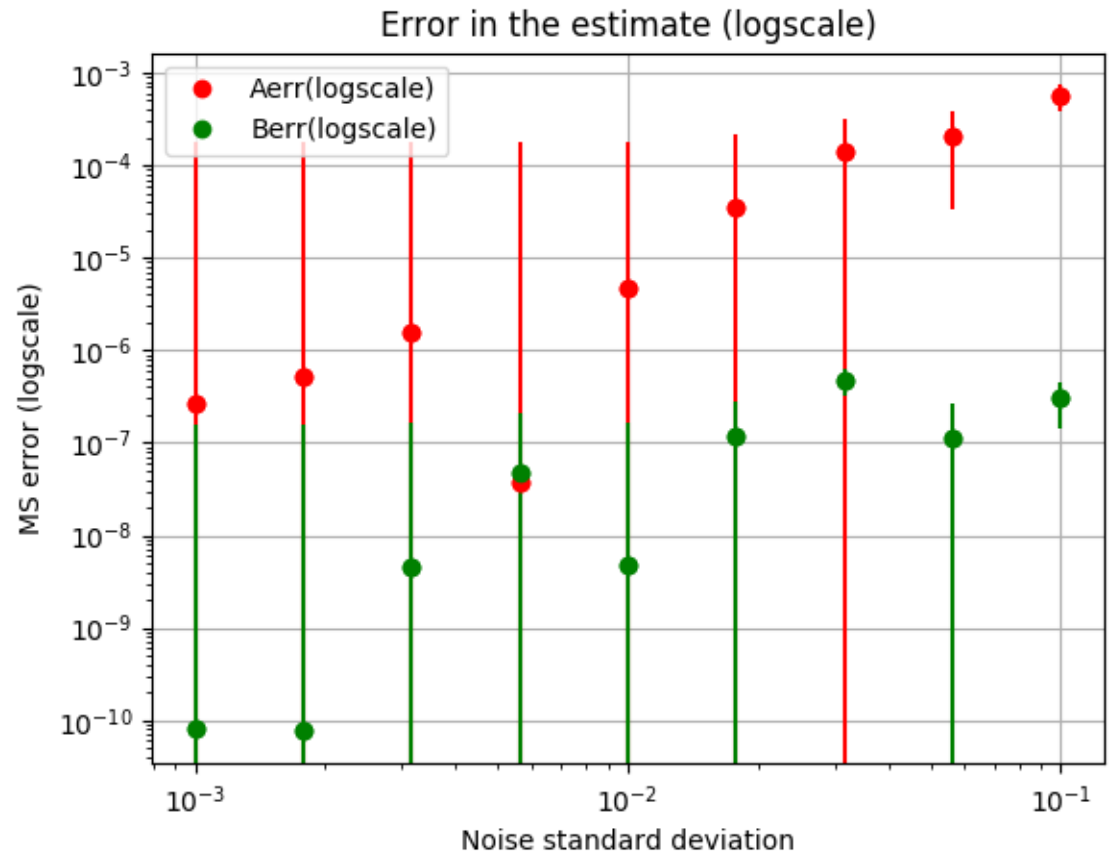
Graph, as plotted on windows:



11. Replot above curves using loglog.

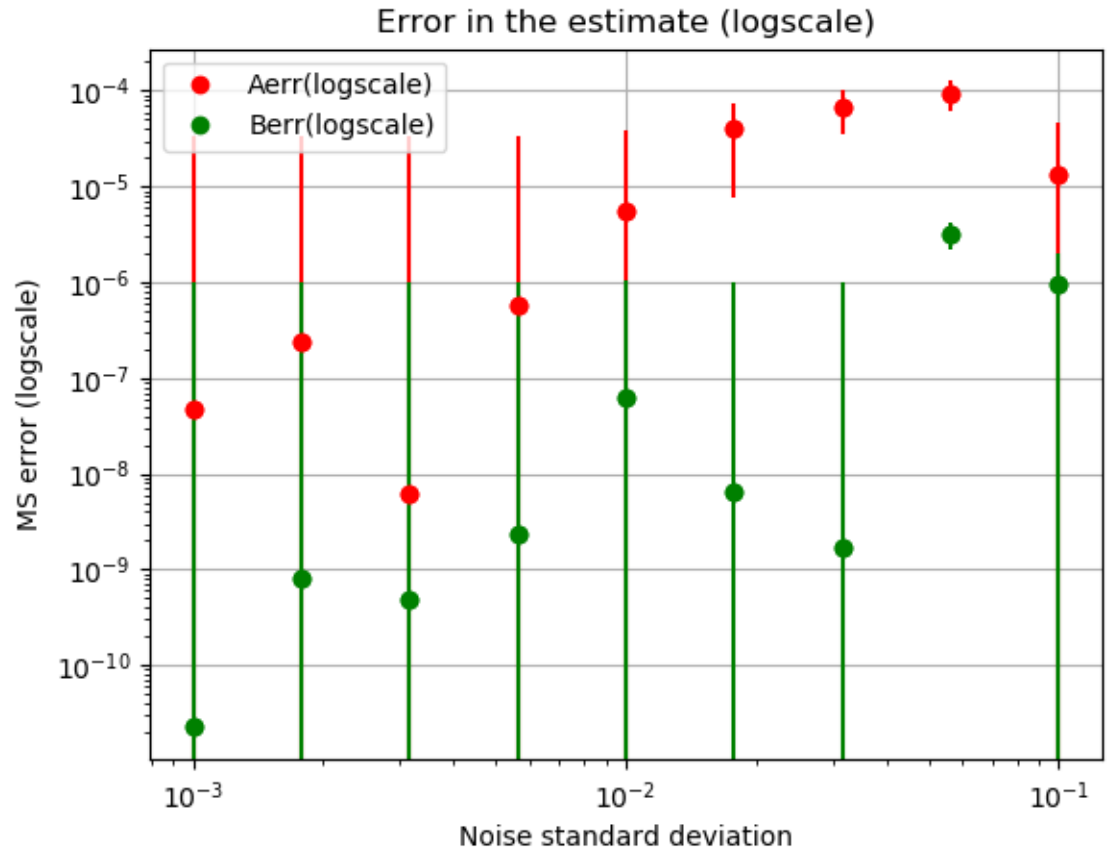
```
loglog(scl,Ae,'ro',label='Aerr(logscale)')
loglog(scl,Be,'go',label='Berr(logscale)')
errorbar(scl,Ae,std(Ae),fmt='ro')
errorbar(scl,Be,std(Be),fmt='go')
xlabel('Noise standard deviation')
ylabel('MS error (logscale)')
title('Error in the estimate (logscale)')
legend()
grid(True)
show()
```

Graph, as plotted on ubuntu:



Graph, as plotted on windows:





### 3 Conclusion

Noisy data was read from the file fitting.dat and a function was fit to it. The effect of noise on the fitting process was studied and graphs were plotted accordingly.