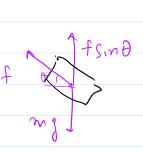


Let us consider only vertical motion

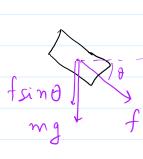
 $N = mg \cos \theta$ $M = mg \cos \theta$ $ma = mg \sin \theta - f$ $ma = mg \sin \theta - h$ $ma = g \sin \theta - h \cos \theta$ $mhen gaing up, a = g (sin \theta + h \cos \theta)$

Downward motion



$$ma_1 = mg - fsin\theta$$
 $= mg - \mu mg \cos\theta \sin\theta$
 $= a_1 = g(1 - \mu \sin\theta \cos\theta)$

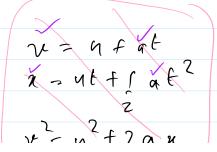
Upward motion



$$ma_n = mg + fsin\theta$$

$$\Rightarrow a_n = g(1 + \mu sin\theta(0 + 0))$$

So, using 2=uffsat?



$$l = 0 + 1 a_1 t_1^2 =) \qquad t_d = \sqrt{\frac{2h}{ad}}$$

For upwald motion,

$$v = ufat_{u} \Rightarrow 0 = ufat_{u} \Rightarrow u_{n} = -a_{n}t_{u}$$
Then,

Then,
$$v^2 = u^2 + 2ax = 0 = (-a_u + u)^2 + 2a_u (-h)$$

$$\Rightarrow 4n^2 = 2a_nh$$

$$\Rightarrow \left\{ t_{n} = \sqrt{\frac{2h}{g_{n}}} \right\}$$

$$a_{n} > a_{d}$$

$$\Rightarrow \sqrt{\frac{1}{a_{d}}} > \sqrt{\frac{1}{a_{n}}} \Rightarrow t_{d} > t_{u}$$

Method 2 (krotur-inspired)

while going down, vintat

$$= v_d = a_g t - a_f t$$

Now,

$$s = \langle v \rangle t_1$$

 $= (a_g t_f - a_f t_g)/2$

where s is dist-travelled on

where s is dist-travelled on (see'lessons" for derivation
of t)

the incline

Thus,
$$t_d \left(\frac{a_g - a_f}{z} \right) = t_u \left(\frac{a_g + a_f}{z} \right)$$

$$\Rightarrow \frac{t_d}{t_u} = \frac{(a_g + a_f)}{(a_g - a_f)} > 1 \Rightarrow t_d > t_u$$

Air deag:

Draj has effects ~ to fouction. It will oppose motion

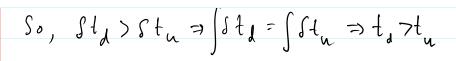




Thus,
$$\frac{t_d}{t_n} = \frac{(a_g + a_f + a_{drag})}{(a_g - a_f - a_{drag})} > 1.50, \text{ the result is unchanged}$$

Kerotov's solution

In absence of ferition,



Traffic light L = 400 $V = 54 \times 5 = 15 \text{ m/s}$ V = 60 s $a = -0.3 \text{ m/s}^2$

We can compute the distance using $\alpha = 4t + 1 at^2$, but that would give us the final displa-

-cement, including negative motion, if any. So, let us check when the object comes to rust.

V=ufat

Any motion given by the kinematic equations

b/w t=50 and t=60s will be in the negative

direction, which is not possible with a braking

system. This could happen on a system which

is using negative currents on a motor to stop

a hobot though.

Now, the distance at the point of halt is our final distance. So,

 $\chi_{halt} = \frac{\chi^2 - u^2}{2a} = 0^{\frac{2}{3}(15)^2} = \frac{225}{3} = 375m$

So, distance from traffic light = L-x half = 400-375=25m

Incorrect solution
Dist Brunn traffic light = 1-x

Incorrect solution

Pist from traffic light = L-x= L-ut-1 at $\frac{1}{2}$ = $400-15(60)-1(-0.3)(60)^{2}$ = 400-900+540= 40m