

Chapter : 1 Introduction to DS

TDA

1) What is data structure?

→ It is study of various structure use to store an access information (data).

Basic Types :- (5 mks)

D.S. Types

On Access (info)
Linear

On Memory allocation

Linear

Non-linear

1) Sequential access - Direct or guided access

Static

Dynamic

2) Easy to code (+ve) - Too complex to code (-ve)

Queue

Linked list

3) Slow in access (-ve) - Faster in access (+ve)

Graph

Tree

e.g. Stack, queue, e.g. Tree, Graph

L.L

G D

Static

1) Memory allocation at compile time.

2) Once allocated can't ↑ or ↓

3) Memory given on prediction, hence not efficient.

4) Easy to code. int a[100]

Dynamic

1) Memory allocated at run time

2) Can ↑ or ↓ on demand

3) Memory given on demand hence more efficient.

4) Complex due to commands used in giving memory,

malloc (10 * size of(int)) / free (free)

ADT

Abstract
Data
Type→ D.S are complex
↓

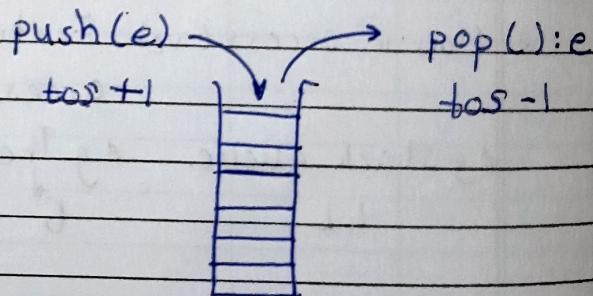
Encapsulation

when needed to implement ~~we have~~
should / must implement
operations also (normal operation
won't work) $(\text{Data} + \text{Operation})$ List of operations each D.S
should / must have in ADT

→ ADT

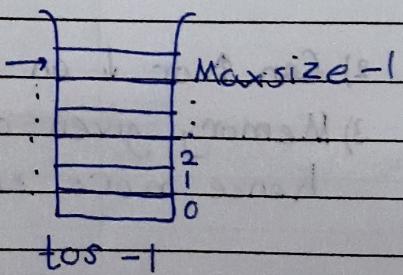
List of operations to be coded to implement Ds

→ Stack (static)
 - Linear
 - Single ended
 - property LIFO



ADT stack :-

① Create stack (size)

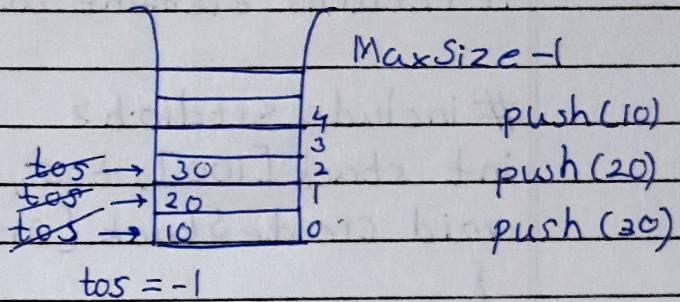

 $\text{MaxSize} = \text{size};$
 $\text{tos} = -1;;$

② push (e)

adds data to stack

① tos + 1

② stack [tos] = e

③ isFull () : 1/0

it returns 1 if Stack is Full else 0

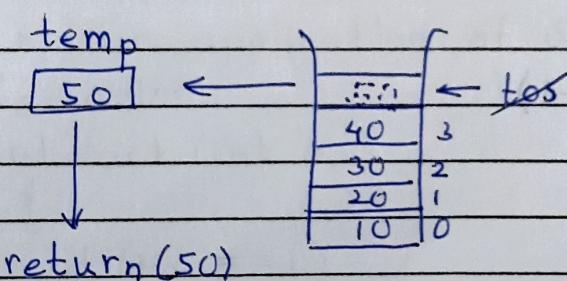
when tos == MaxSize-1 it is full.

④ Pop () : e [It removes and return]

① Record element at tos

② Reduce tos → tos - 1

③ Return (old element at tos)

⑤ isEmpty () : 1/0

it returns 1 if empty else 0 if tos is at -1 then empty

⑥ printStack () : LIFO

print data from top to 0

↑
tos

⑦ peek () : e

it returns element at tos

```
#include <stdio.h>
int stack[100], tos, MaxSize;
void createStack(int size)
```

{

```
MaxSize = size;
```

```
tos = -1;
```

}

```
void push(int e)
```

{

```
tos++;
```

```
stack[tos] = e;
```

}

```
int isFull()
```

{

```
if (tos == MaxSize - 1)
```

```
return (1);
```

```
else
```

```
return (0);
```

}

```
int pop()
```

{

```
int temp;
```

```
temp = stack[tos];
```

```
tos--;
```

```
return (temp);
```

}

```
int isEmpty()
```

{

```
if (tos == -1)
```

```

    return (1);
else
    return (0);
}

int peek ()
{
    return (stack [tos]),
}

void printStack ()
{
    int i;
    for (i=tos, i>=0 ; i--)
        if ("\n %d", stack [i]);
}

```

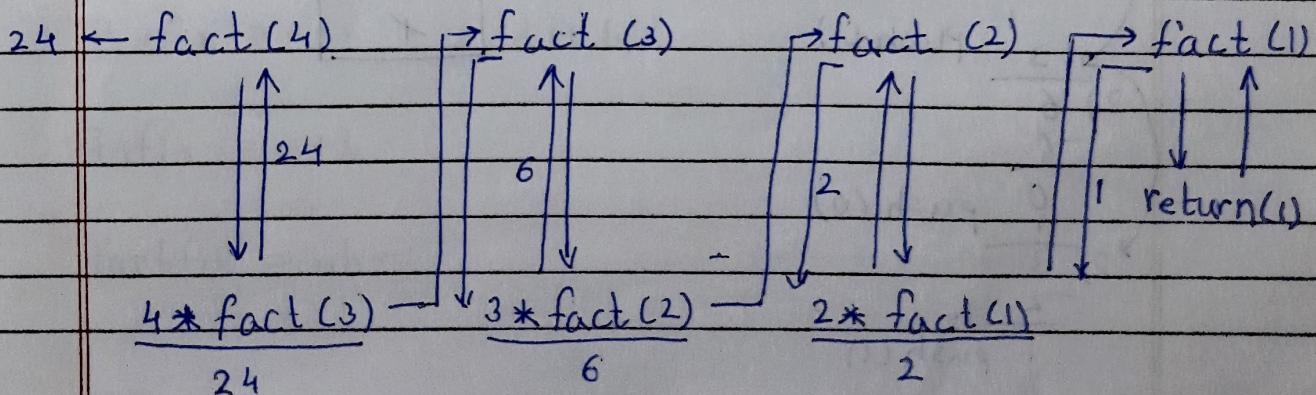
5mik Q) Explain application of Stack

① Recursion :-

```

int fact (int No.)
{
    if (No == 1)
        return (1);
    else
        return (No * fact (No - 1));
}

```



fact(2)
fact(3)
fact(4)

+ve - Make code look smaller
hence more readable

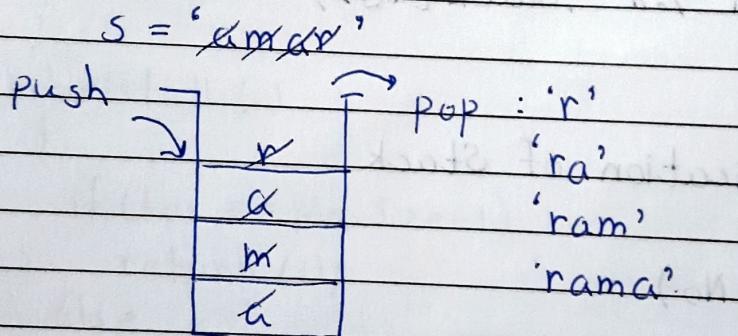
-ve - More complex to understand
-Takes more memory
-Slow in execution

Imp :-

- Recursion should be used as last option.

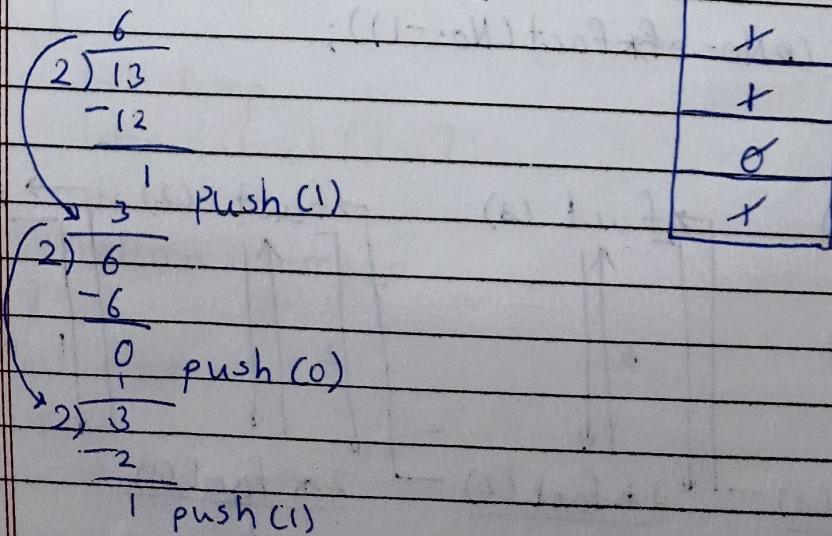
② Reversing Word :-

- Push every word till string is over
- Pop character by character and copy to string



③ Decimal to Binary :-

$$(13)_{10} \rightarrow (1101)_2$$

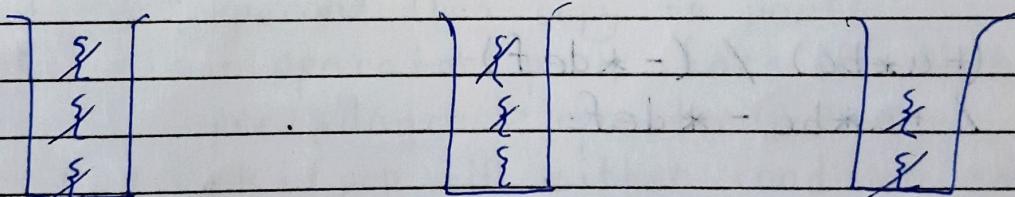
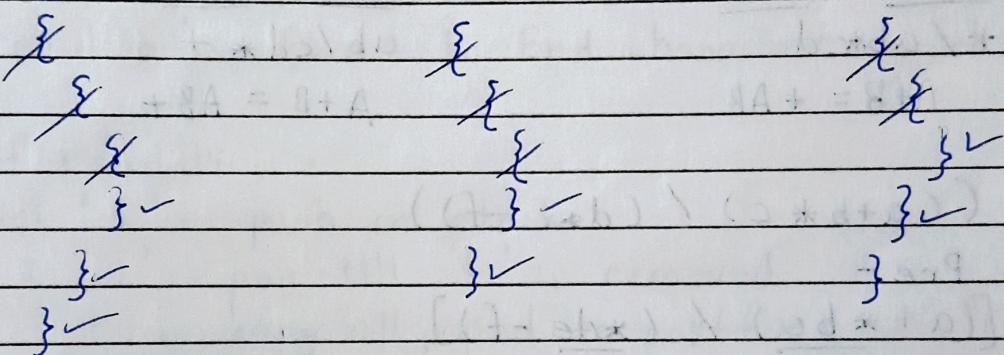


$$\begin{array}{r} 2 \\ \times 1 \\ \hline 2 \\ - 0 \\ \hline 0 \end{array}$$

 push(0)

4) Wellness of Control: or $\{[(\)]\}$ (Balance)

- push each opening
- on every closing pop.
- if balanced then at end stack becomes empty
- else error



Error: Expected

Error: unexpected

5) Undo / Redo Command

* Expression Evaluation and Conversion :-

Prefix = +ab add(a,b)

Infix = a+b

Postfix = ab+

* Rules :

- if all equal to go $\xrightarrow{L \rightarrow R}$
- if not equal then go for higher and then lower
(lower : + - higher : * / %)
- in case of () solve from inner most.

e.g

1) $a/b + c * d$

Pre -

$$\underline{ab} + \underline{cd}$$

$$+ / ab * cd$$

$$A+B = + AB$$

Post -

$$\underline{ab} / + \underline{cd} *$$

$$ab / cd * +$$

$$A+B = AB +$$

2) $((a+b*c)/ (d*c-f))$

Pre -

$$[(a + \underline{bc}) / (\underline{de} - f)]$$

$$(+ a * bc) / (- * def)$$

$$/ + a * bc - * def.$$

Post -

$$[(a + \underline{bc*}) / (\underline{de*} - f)]$$

$$(abc*+) / (def -)$$

$$abc*+ def - /$$

3) $(a+b*c) + (d-e+f)$

Pre - (Extra)

$$(a + \underline{bc}) + (- \underline{de} + f)$$

$$(+ a * bc) + (+ def)$$

$$+ a * bc + - def -$$

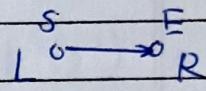
Post -

(a + b c *) + (d e - f +)

(a b c * +) + (d e - f +)

a b c * + d e - f + +

Algorithm:- (Postfix)

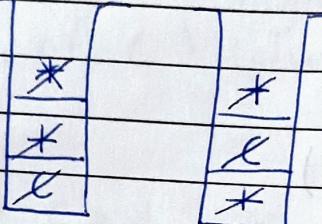


- 1) accept infix and initialize stack
- 2) read infix start to End character by character.
- 3) if read is :
 - 3.1 'C' : push on stack
 - 3.2 ')' : pop till 'C' is removed
copy all popped to postfix (not 'C')
 - 3.3 : Operand then copy to postfix
 - 3.4 : if operator push stack iff it has precedence > operator @ tos.
else pop till either condition satisfies
or stack becomes empty then push.
Copy all popped to postfix.
- 4) Continue step 3 till infix not over.
- 5) Copy leftover from stack to postfix..
- 6) Stop.

e.g. $(a + b * c) + (a - e + f)$

Postfix $abc * + de - f + +$

stack



Read: C push to stack
 a copy to post
 + push on stack
 b copy to post
 * push on stack
 & c copy to post
) pop till 'C' and
 copy popped to post
 + push to stack
 'C' push to stack
 d copy to post
 - push to stack
 e copy to post
 + pop - and push +
 f copy to post
) pop till 'C' and
 copy popped to post

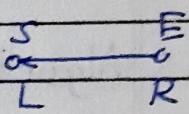
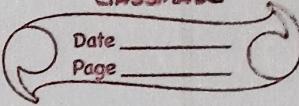
Algorithm :- (prefix).

$(a + b - c) * (d / e * f)$

$(+ab -c) * (/de * f)$

$(- +ab * c) * (* /def)$

$* - +ab * c * /def$



1) accept infix and initialize stack

2) Read infix from end to start, character by character.

3) if read is

3.1 ')' : push on stack

3.2 '(' : pop till ')' is removed

copy all popped to prefix (not ')')

3.3 operand then copy to prefix

3.4 : if operator push stack iff it has precedence \geq operator @ tos
else pop till either condition satisfies
or stack becomes empty then push.
Copy all popped to prefix

4) Continue step 3 till infix not over

5) Copy leftover from stack to prefix.

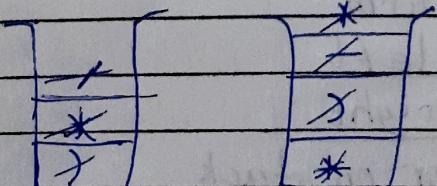
6) Reverse prefix

7) Stop

e.g.

~~(a * b + c) * (d / e * f)~~

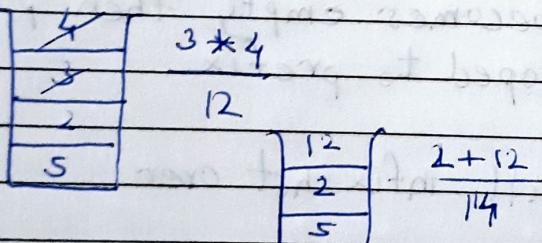
fed /* c ba + - *] . | * - + abc * / def



Algorithm : Postfix evaluation

- 1) Accept Postfix and initialize stack
- 2) Read postfix start to End
- 3) if read is operand push
- 4) if read is operator perform
 - 2 pops let 1st pop be right
 - 2nd pop be left
 operator and push answer on stack
- 5) Continue step 2,3,4 till postfix not over
- 6) pop stack and take it as answer.

~~8 2 3 4 * * *~~



$$\boxed{14} \quad \frac{5 - 14}{-9}$$

$$\boxed{-9} - 9$$

Algorithm : Prefix evaluation

- 1) Accept Prefix and initialize stack.
- 2) Read prefix End to Start
- 3) if read is operand push
- 4) if read is operator perform
 - 2 pops let 1st pop be left
 - 2nd pop be right
 operate and push answer on stack

5) continue step 3, 3, 4 till prefix not over

6) pop stack and take it as answer.

e.g. * , + , 5 , 2 , - , 10 , 3

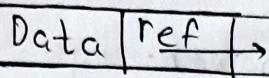
$$\boxed{10} \boxed{3} \boxed{10-3}$$

$$\boxed{\begin{array}{c} 8 \\ 2 \\ 2 \\ 7 \end{array}} \boxed{\frac{5+2}{7}}$$

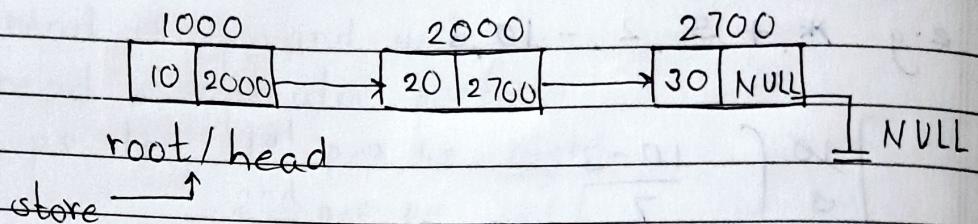
$$\boxed{7} \boxed{7} \boxed{\frac{7 \times 7}{49}}$$

$$\boxed{49} \rightarrow 49$$

* Linked List :- (Linear, Dynamic Structure)

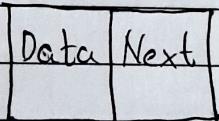


LIFO as per need
FIFO



- Collection of nodes inter-linked, in sequential manner.
- Properties
 - ① 1st node / left most : root
 - ② Right most / last would have next as NULL.

Node



create list ()

insert Left (e)

insert Right (e)

delete Left (),

delete Right (),

Search (key)

print list ()

struct node

{

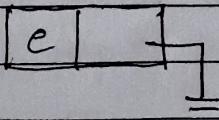
int data;

struct node *next;

}

struct node *n

n = (struct node *) malloc (size of (struct node));

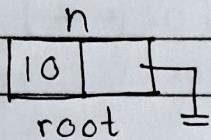


$n \rightarrow \text{data} = e;$

$n \rightarrow \text{next} = \text{NULL};$

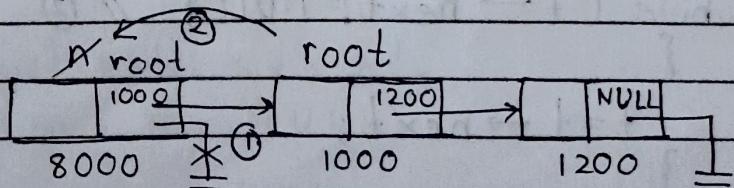
```
# include <stdio.h>
struct node
{
    int data;
    struct node *next;
};

//create list
struct node *root; //never lose it
void createlist()
{
    root = NULL;
}
```



```
void insertleft (int e)
```

```
{
    struct node *n;
    n=(struct node *) malloc (size of (struct node));
    n->data = e;
    n->next = NULL;
    if (root == NULL)
    {
        root = n;
    }
}
```



```
else
{
```

```

n->next = root; // ①
root = n; // ②
}
printf("\n %d inserted:", e);
}

```

```

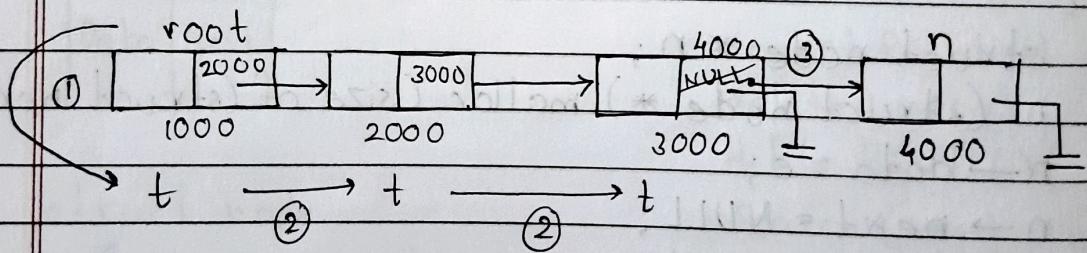
void insertRight (int e)
{

```

```

    struct node *n, *t;
    n=(struct node *)malloc (size of (struct node));
    n->data = e;
    n->next = NULL;
    if (root == NULL)
    {
        root = n;
    }
}

```



```

else
{

```

```

    t=root; // ①

```

```

    while (t->next != NULL) // ②
    {

```

```

        t=t->next;
    }

```

```

    t->next=n; // ③
}

```

```
    } printf ("\n %d inserted: ", e);
```

```
void deleteLeft ()
```

{

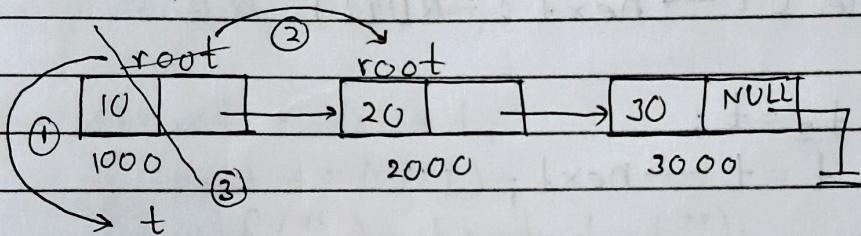
```
struct node *t;
```

```
if (root == NULL)
```

{

```
printf ("Empty List");
```

}



```
else
```

{

```
t = root; // ①
```

```
root = root → next; // ②
```

```
printf ("\n %d deleted", t → data);
```

```
free(t); // ③
```

}

}

```
void deleteRight ()
```

{

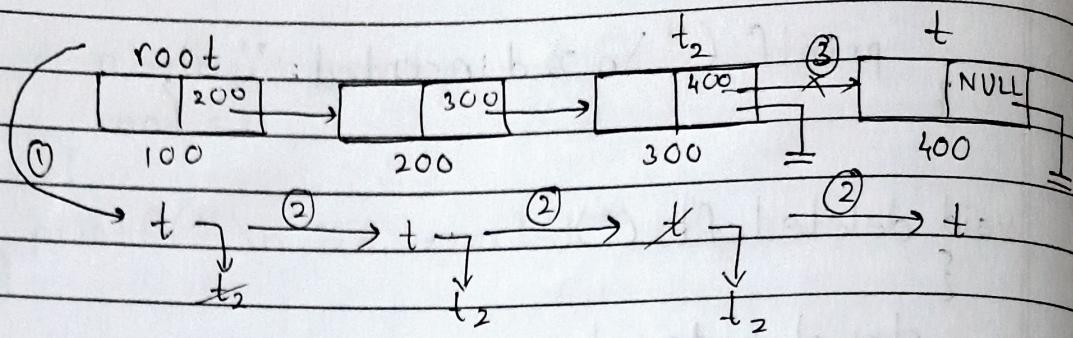
```
struct node *t, *t2;
```

```
if (root == NULL)
```

{

```
printf ("Empty List");
```

}



else

{

$t = \text{root};$ // ①

$t_2 = \text{root};$ // ①

while ($t \rightarrow \text{next} \neq \text{NULL}$) // ②

{

$t_2 = t;$

$t = t \rightarrow \text{next};$

}

$t_2 \rightarrow \text{next} = \text{NULL};$ // ③

printf ("\\n %d deleted", $t_2 \rightarrow \text{data});$

free (t);

}

}

void printLinkedList()

{

struct node *t;

if ($\text{root} == \text{NULL}$)

{ printf ("\\n Empty List");

} else

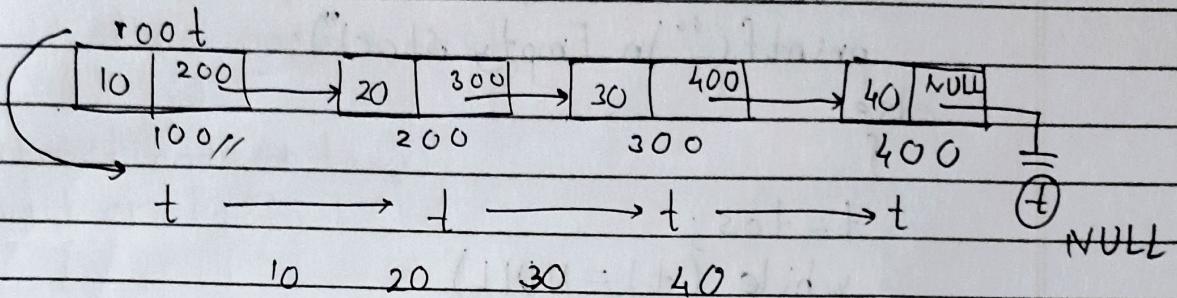
{

$t = \text{root};$ // ①

while ($t \neq \text{NULL}$) // ②

{ printf ("%d", $t \rightarrow \text{data});$

```
t = t->next;
}
}
```



```
void search (int key)
{
```

```
    struct node *t;
    if (root == NULL)
        {printf ("\n Empty List");}
    else
    {
        t = root; // ①
        while (t != NULL)
        {
            if (t->data == key)
                {printf ("\n Found in List :");
                 break;
                }
            if (t == NULL)
                {printf ("\n Not found in List :");
                }
        }
    }
}
```

```

void PrintStack()
{
    struct node *t;
    if (*rootas == NULL)
        printf ("In Empty stack");
    else
    {
        t = tos;
        while (t != NULL)
        {
            printf ("%d", t->data);
            t = t->next;
        }
    }
}

```

* Stack using Linked List:-

① LIFO

② Sequential

③ Dynamic

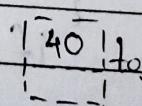
push / pop at

one end

(left only)

Dynamic Stack

push (e)



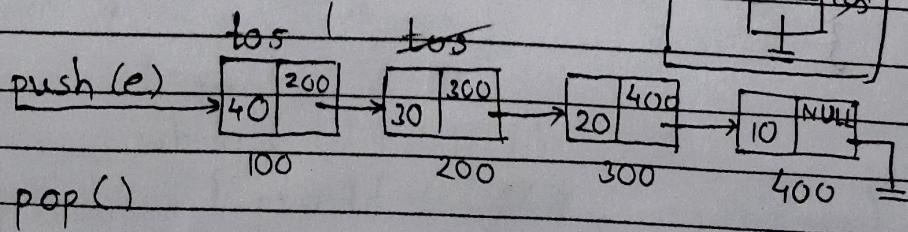
pop ()

push (10)

push (20)

push (30)

push (40)



```
#include <stdio.h>
struct node
{
    int data;
    struct node *next;
};
struct node *tos;
void createStack()
{
    tos = NULL;
}
void push(int e)
{
    struct node *n;
    n = (struct node *)malloc(sizeof(struct node));
    n->data = e;
    n->next = NULL;
    if (tos == NULL)
    {
        tos = n;
    }
    else
    {
        n->next = tos;
        tos = n;
    }
    printf (" %d pushed", e);
}
void pop()
{
    struct node *t;
```

```
if (tos == NULL)
    printf ("\n Empty stack");
else
{
    t = tos;
    tos = tos->next;
    printf ("\n %d popped", t->data);
    free (t);
}
void printStack()
{
    struct node *t,
    if (tos == NULL)
        printf ("\n Fmpty stack");
    else
    {
        t = tos; // ①
        printf (" In Stack has \n");
        while (t != NULL)
        {
            printf ("\n %d", t->data);
            t = t->next;
        }
    }
}
void main ()
{
    createStack();
    push(10);
```

```

push(20);
push(30);
push(40);
printStack();
pop();
pop();
printStack();
}
    
```

Output:-

10 pushed

20 "

30 "

40 "

Stack has

40

30

20

10

40 popped

30 popped

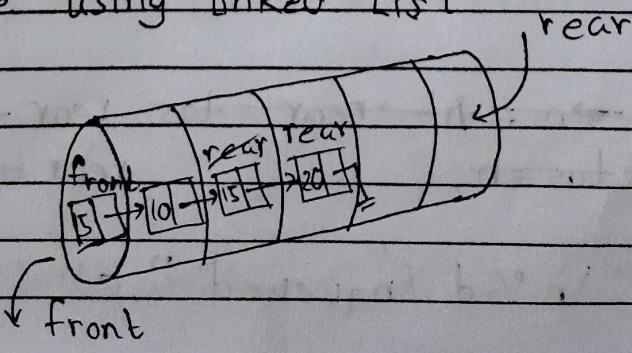
Stack has

20

10

* Dynamic Queue :-

Queue using linked List



- FIFO

- Double ended

- front → Rear

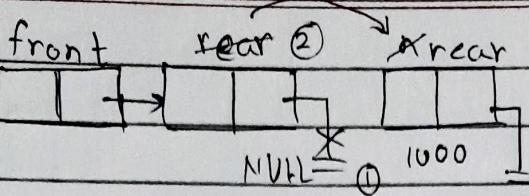
print : FIFO

Enqueue / Insert_right()
Dequeue / Delete_left()

```
#include <stdio.h>
struct node
{
    int data;
    struct node *next;
};

struct node *rear, *front;
void createQueue()
{
    rear = NULL;
    front = NULL;
}

void Enqueue(int e)
{
    struct node *n;
    n = (struct node *) malloc (sizeof (struct node));
    n->data = e;
    n->next = NULL;
    if (front == NULL)
    {
        front = rear = n;
    }
    else
    {
        rear->next = n;
        rear = n;
    }
    printf ("%d Enqueued", e);
}
```



Void Dequeue ()

{

struct node *t;

if (front == NULL)

printf ("In Empty Queue");

else

{

t = front; //①

front = front → next; //②

printf ("In %d Dequeued", t → data);

free (t); //③

}

}

void print Queue ()

{

struct node *t;

if (front == NULL)

printf ("In Empty Queue");

else

{

printf ("In Queue has\n");

for (t = front; t != NULL; t = t → next)

printf ("%d", t → data);

}

}

void main()

{

createQueue();

```

Enqueue(10);
// (20);
// (30);
// (40);
print Queue();
Dequeue();
Dequeue();
print Queue();
}

```

Output -

10 Enqueued

20

30

40

Queue has

10 20 30 40

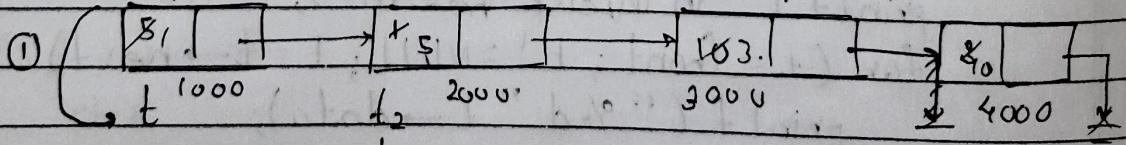
10 Dequeued

20 Dequeued

Queue has

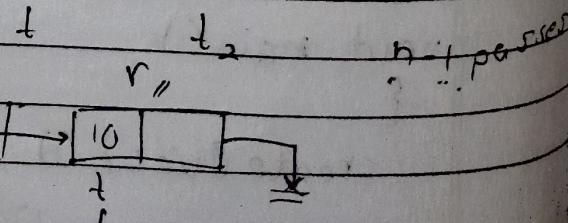
30 40

* Sorting :- Write a pseudo code to sort linear linked
temp root list using bubble code.



$t \rightarrow \text{next}$

$t \quad t_2$



if t.

void sortList (struct node *r)

{

 struct node *t, *t₂, *tempRoot;

 int temp;

 if (r == NULL)

 printf ("Empty List");

 else

{

 tempRoot = r;

 while (r → next != NULL) // passes n-1

{

 t = tempRoot; // start from 1st

 t₂ = t → next;

 while (t → next != NULL) // sorts

{

 if (t → data > t₂ → data) // Ascending

{

 temp = t → data;

 t → data = t₂ → data;

 t₂ → data = temp;

}

 t = t → next;

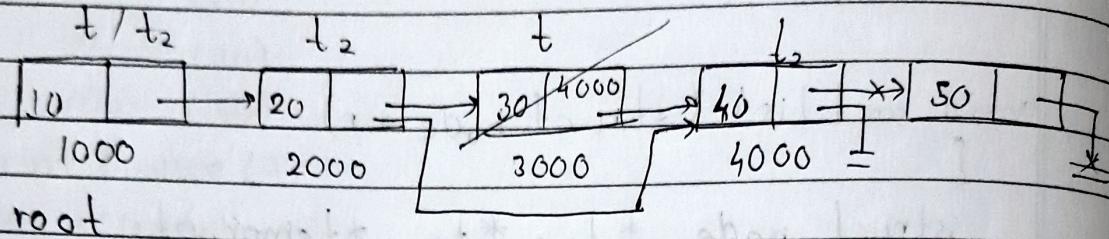
 t₂ = t₂ → next;

 r = r → next;

}

Delete a specific number from

* Delete Specific:- linked list if found.



$$t_2 \rightarrow \text{next} = t \rightarrow \text{next}$$

key = 10

key = 50

key = 30

① Search

↳ if found

→ case 1: left most

if ($t == \text{root}$) → delete_left()

→ case 2: Right most.

if ($t \rightarrow \text{next} == \text{NULL}$) → delete_right()

→ case 3

if not 1st / 2nd then in betn.

void delete (int key)

{

struct node *t, *t₂;

if ($\text{root} == \text{NULL}$)

printf ("Empty list");

else

{

$t = \text{root};$

$t_2 = \text{root};$

while ($t != \text{NULL} \& t \rightarrow \text{data} \neq \text{key}$)

{

$t_2 = t;$

$t = t \rightarrow \text{next};$

}

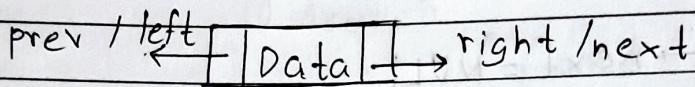
```
if (t != NULL) // found
{
    //case 1
    if (t == root)
    {
        root = root->next;
    }
    //case 2
    else if (t->next == NULL)
    {
        t->next = t->next;
    }
    else // case 3
    {
        t->next = t->next;
    }
    printf ("\n %d found and deleted", t->data);
    free(t);
}
else
    printf ("\n %d not found", key);
```

```
x void PEEK()
{
    if (top == NULL)
    {
        printf ("\n Stack is Empty");
    }
    else
    {
        printf ("The topmost element= %d", top->data);
    }
}
```

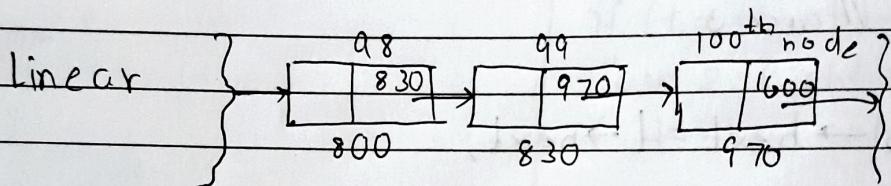
* Doubly Linked List:-

1) Need of Doubly linked list:-

Linear linked list can only travel in one direction as a end result we cannot access last data while moving forward, to access last element we have to start again from first.
So ⁿ is doubly linked list.



It has special node structure.



Drop current goto 1st (root) and again start till we reach 99th node.

```
#include <stdio.h>
```

```
#include <conio.h>
```