

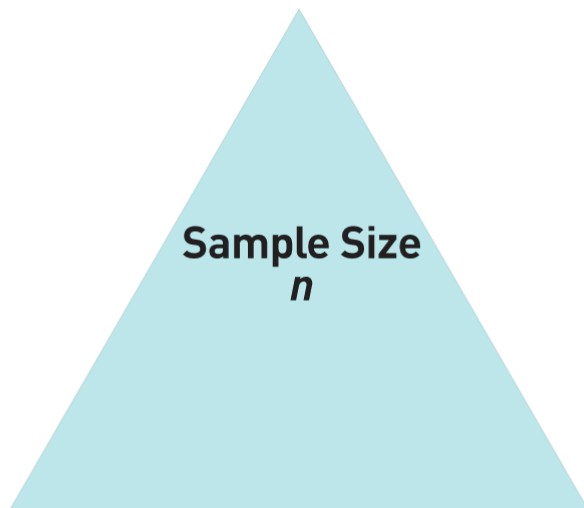
5.5 Sample Size for Continuous

MBC 638

Data Analysis and Decision Making

Sample Size Story

Know any three of these and you can calculate the fourth.



Sample size = number of elements or observations in a sample data set

Sample Size Story

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Level of confidence you
desire; risk of drawing
the wrong conclusion (z)

Sample Size
 n

Sample Size Story

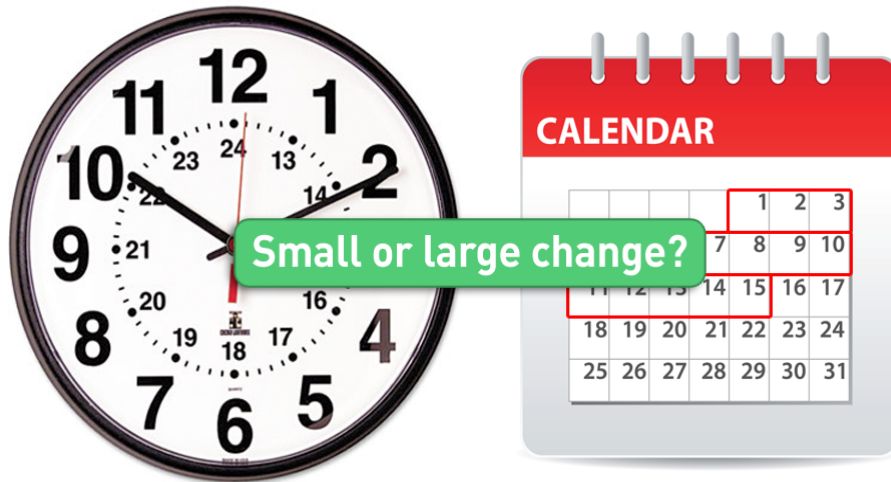
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How much of a difference you
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Variability in the
population (σ)

The only way to have both high confidence and a tight interval is to increase sample size.

Sample Size Formula for Continuous Data

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Use this formula to see how sample size is affected by an increase or decrease in variability, confidence, or margin of error.

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- Suppose you have collected a simple random sample of data and found the standard deviation to be three minutes.
- How many samples are needed to detect a change in job completion time after a process improvement project is implemented?
 - You are okay with a margin of error of two minutes.
 - Assume you want 95% confidence.

Example: Time to Complete Job (cont.)

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Example: Time to Complete Job (cont.)

$$n = \left(\frac{1.96(3)}{2} \right)^2$$

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Example: Time to Complete Job (cont.)

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$$= 8.6 \cong 9$$

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Nine samples are needed to detect a change in the population mean.