

## UNIT-II

### Introduction to Solar Cells:

P-N Junction Under illumination: solar cell – generation of photo voltage – light generated current – I-V equation of solar cell – solar cell characteristics. Upper limits of cell parameters – short circuit current – open circuit voltage - Fill factor - efficiency – losses in solar cells – model of solar cell – effect of series – shunt Resistance on efficiency – effect solar radiation on efficiency -effect of temperature on efficiency – basic design aspects of solar cells.

#### 2.1 P-N Junction Under illumination:

When a photon hits a piece of silicon, one of three things can happen:

1. The photon can pass straight through the silicon — this (generally) happens for lower energy photons.
2. The photon can reflect off the surface.
3. The photon can be absorbed by the silicon if the photon energy is higher than the silicon band gap value. This generates an electron-hole pair and sometimes heat depending on the band structure.

When a photon is absorbed, its energy is given to an electron in the crystal lattice. Usually this electron is in the valence band. The energy given to the electron by the photon "excites" it into the conduction band where it is free to move around within the semiconductor. The network of covalent bonds that the electron was previously a part of now has one fewer electron. This is known as a hole. The presence of a missing covalent bond allows the bonded electrons of neighbouring atoms to move into the "hole" leaving another hole behind, thus propagating holes throughout the lattice. It can be said that photons absorbed in the semiconductor create electron-hole pairs.

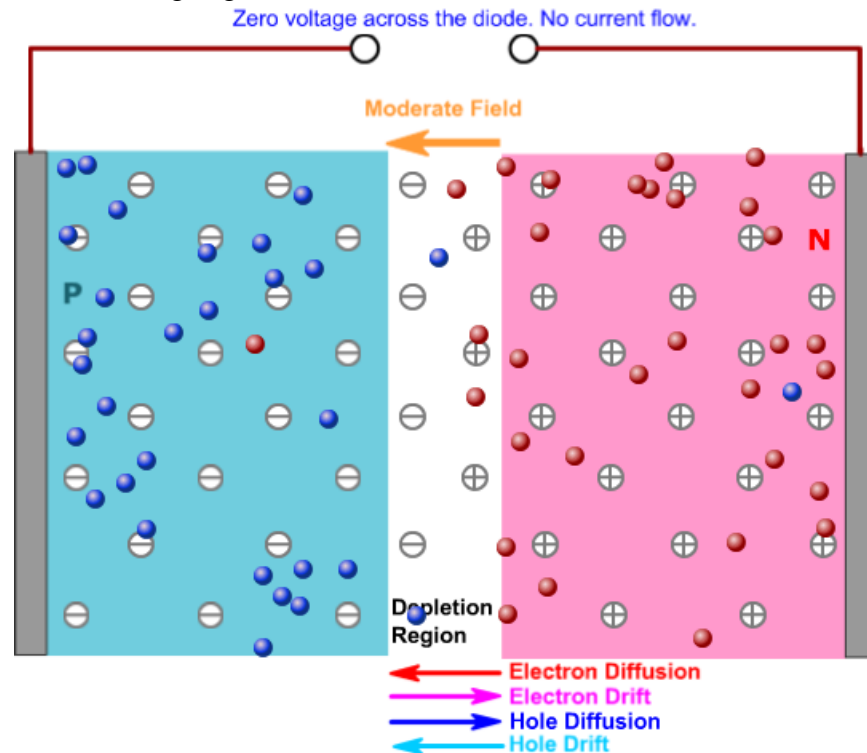
A photon only needs to have energy greater than that of the band gap in order to excite an electron from the valence band into the conduction band. However, the solar frequency spectrum approximates a black body spectrum at about 5,800 K, and as such, much of the solar radiation reaching the Earth is composed of photons with energies greater than the band gap of silicon. These higher energy photons will be absorbed by the solar cell, but the difference in energy between these photons and the silicon band gap is converted into heat (via lattice vibrations — called phonons) rather than into usable electrical energy. The photovoltaic effect can also occur when two photons are absorbed simultaneously in a process called two-photon photovoltaic effect. However, high optical intensities are required for this nonlinear process.

#### 2.2 solar cell

##### 2.2.1 generation of photo voltage

The collection of light-generated carriers does not by itself give rise to power generation. In order to generate power, a voltage must be generated as well as a current. Voltage is generated in a solar cell by a process known as the "photovoltaic effect". The collection of light-generated carriers by the p-n junction causes a movement of electrons to the n-type side and holes to the p-

type side of the junction. Under short circuit conditions, there is no build up of charge, as the carriers exit the device as light-generated current.

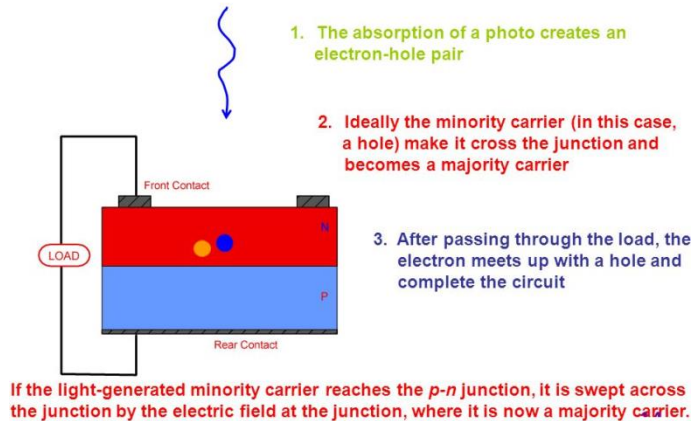


However, if the light-generated carriers are prevented from leaving the solar cell, then the collection of light-generated carriers causes an increase in the number of electrons on the n-type side of the p-n junction and a similar increase in holes in the p-type material. This separation of charge creates an electric field at the junction which is in opposition to that already existing at the junction, thereby reducing the net electric field. Since the electric field represents a barrier to the flow of the forward bias diffusion current, the reduction of the electric field increases the diffusion current. A new equilibrium is reached in which a voltage exists across the p-n junction. The current from the solar cell is the difference between  $I_L$  and the forward bias current. Under open circuit conditions, the forward bias of the junction increases to a point where the light-generated current is exactly balanced by the forward bias diffusion current, and the net current is zero. The voltage required to cause these two currents to balance is called the "open-circuit voltage".

### 2.2.2 light generated current

The generation of current in a solar cell, known as the "light-generated current", involves two key processes. The first process is the absorption of incident photons to create electron-hole pairs. Electron-hole pairs will be generated in the solar cell provided that the incident photon has an energy greater than that of the band gap. However, electrons (in the p-type material), and holes (in the n-type material) are meta-stable and will only exist, on average, for a length of time equal to the minority carrier lifetime before they recombine. If the carrier recombines, then the light-generated electron-hole pair is lost and no current or power can be generated.

## Light Generated Current



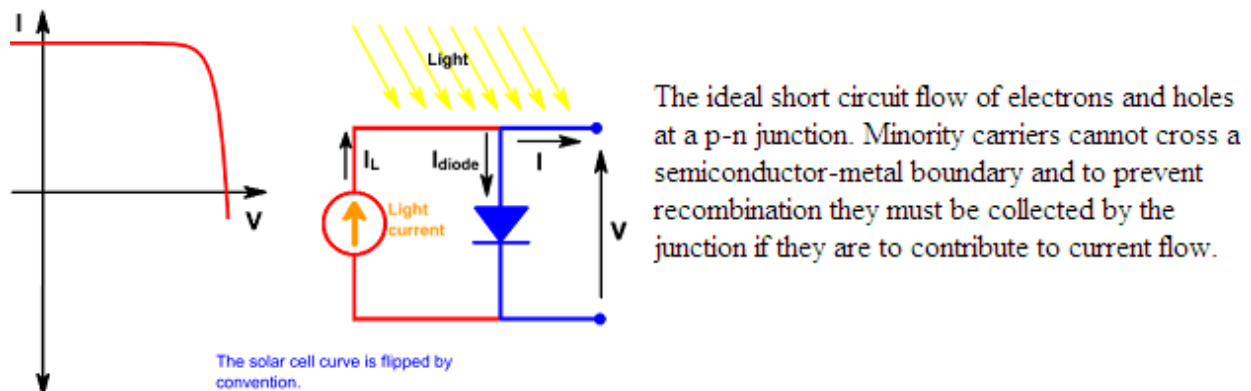
A second process, the collection of these carriers by the  $p$ - $n$  junction, prevents this recombination by using a  $p$ - $n$  junction to spatially separate the electron and the hole. The carriers are separated by the action of the electric field existing at the  $p$ - $n$  junction. If the light-generated minority carrier reaches the  $p$ - $n$  junction, it is swept across the junction by the electric field at the junction, where it is now a majority carrier. If the emitter and base of the solar cell are connected together (i.e., if the solar cell is short-circuited), the light-generated carriers flow through the external circuit.

### 2.2.3 I-V equation of solar cell and solar cell characteristics

The IV curve of a solar cell is the superposition of the IV curve of the solar cell diode in the dark with the light-generated current.<sup>1</sup> The light has the effect of shifting the IV curve down into the fourth quadrant where power can be extracted from the diode. Illuminating a cell adds to the normal "dark" currents in the diode so that the diode law becomes:

$$I = I_0 \left[ \exp \left( \frac{qV}{nkT} \right) - 1 \right] - I_L$$

where  $I_L$  = light generated current.



The effect of light on the current-voltage characteristics of a  $p$ - $n$  junction.

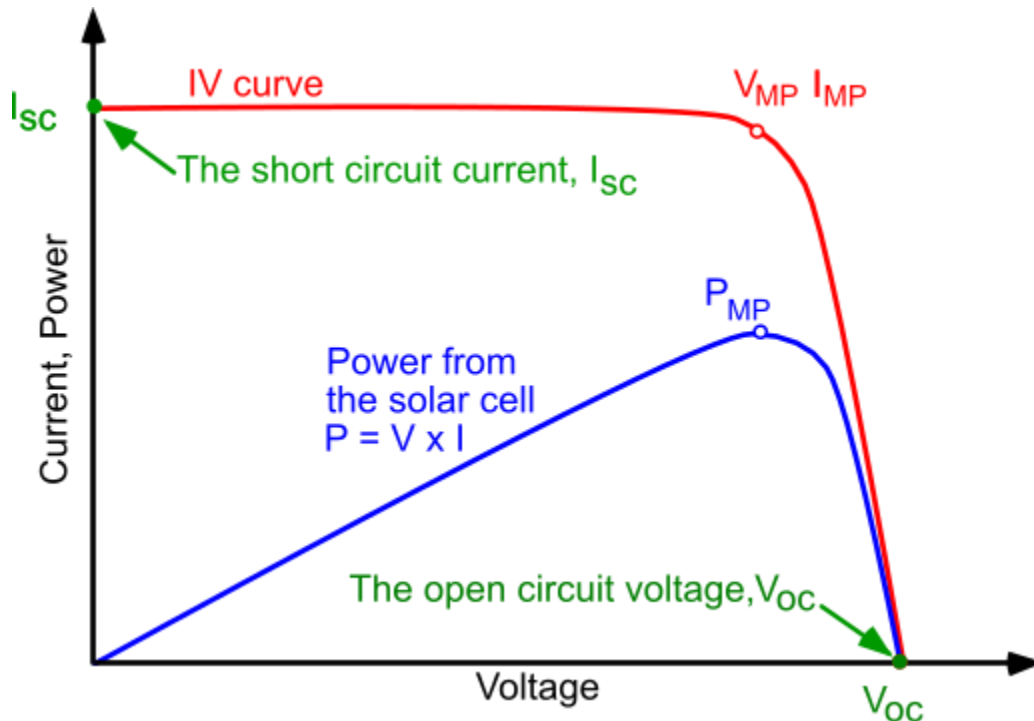
The equation for the IV curve in the first quadrant is:

$$I = I_L - I_0 \left[ \exp \left( \frac{qV}{nkT} \right) - 1 \right]$$

The -1 term in the above equation can usually be neglected. The exponential term is usually  $\gg 1$  except for voltages below 100 mV. Further, at low voltages, the light generated current  $I_L$  dominates the  $I_0(\dots)$  term so the -1 term is not needed under illumination.

$$I = I_L - I_0 \left[ \exp \left( \frac{qV}{nkT} \right) \right]$$

Plotting the above equation gives the IV curve below with the relevant points on the curve labeled and discussed in more detail on the following pages. The power curve has a maximum denoted as  $P_{MP}$  where the solar cell should be operated to give the maximum power output. It is also denoted as  $P_{MAX}$  or maximum power point (MPP) and occurs at a voltage of  $V_{MP}$  and a current of  $I_{MP}$ .



*Current voltage (IV) curve of a solar cell. To get the maximum power output of a solar cell it needs to operate at the maximum power point,  $P_{MP}$ .*

Rearranging the equation above gives the voltage in terms of current:

$$V = \frac{nkT}{q} \ln \left( \frac{I_L - I}{I_0} \right)$$

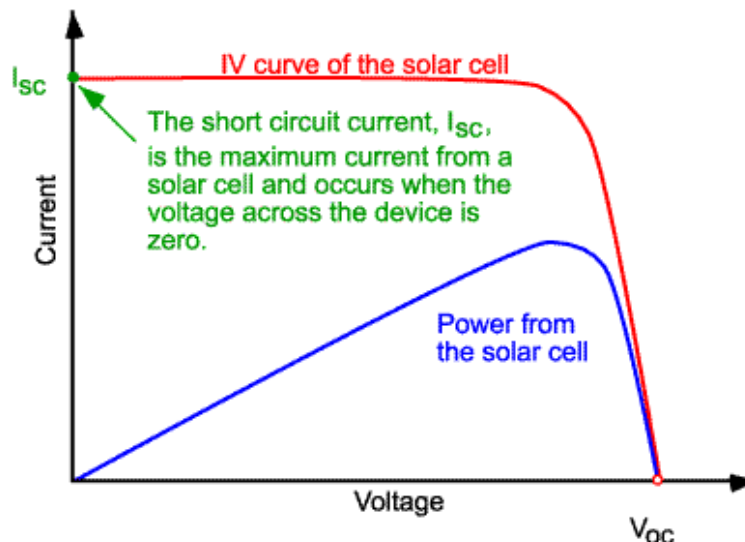
When  $I > I_L$  the number inside the  $\ln(\ )$  is negative and undefined. So what happens in reality? The solar cell goes into reverse bias (negative voltage) and either the non-idealities in the solar cell limit the voltage or the supply limits the voltage. In either case, the solar cell will dissipate

power. If there is no limit on the supply then a solar cell close to ideal (very high  $R_{SHUNT}$  in reverse bias) will be destroyed almost instantly. Other cells will be destroyed due to heating.

## 2.3 Upper limits of cell parameters

### 2.3.1 short circuit current

The short-circuit current is the current through the solar cell when the voltage across the solar cell is zero (i.e., when the solar cell is short circuited). Usually written as  $I_{SC}$ , the short-circuit current is shown on the IV curve below.



The short-circuit current is due to the generation and collection of light-generated carriers. For an ideal solar cell at most moderate resistive loss mechanisms, the short-circuit current and the light-generated current are identical. Therefore, the short-circuit current is the largest current which may be drawn from the solar cell.

The short-circuit current depends on a number of factors which are described below:

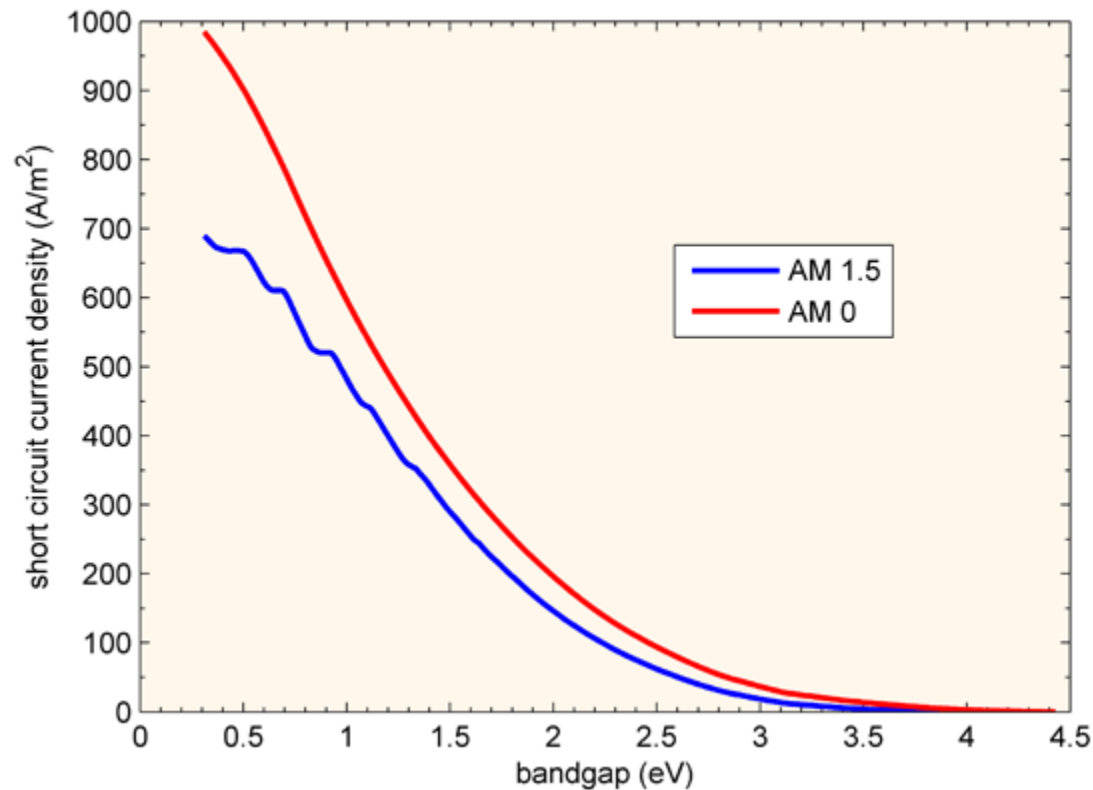
- **the area of the solar cell.** To remove the dependence of the solar cell area, it is more common to list the short-circuit current **density** ( $J_{sc}$  in  $\text{mA}/\text{cm}^2$ ) rather than the short-circuit current;
- **the number of photons** (i.e., the power of the incident light source).  $I_{sc}$  from a solar cell is directly dependant on the light intensity as discussed in Effect of Light Intensity;
- **the spectrum of the incident light.** For most solar cell measurement, the spectrum is standardised to the AM1.5 spectrum;
- **the optical properties** (absorption and reflection) of the solar cell (discussed in Optical Losses); and
- **the collection probability** of the solar cell, which depends chiefly on the surface passivation and the minority carrier lifetime in the base.

When comparing solar cells of the same material type, the most critical material parameter is the diffusion length and surface passivation. In a cell with perfectly passivated surface and uniform generation, the equation for the short-circuit current can be approximated as:

$$I_{SC} = qG(L_n + L_p)$$

where  $G$  is the generation rate, and  $L_n$  and  $L_p$  are the electron and hole diffusion lengths respectively. Although this equation makes several assumptions which are not true for the conditions encountered in most solar cells, the above equation nevertheless indicates that the short-circuit current depends strongly on the generation rate and the diffusion length.

Silicon solar cells under an AM1.5 spectrum have a maximum possible current of  $46 \text{ mA/cm}^2$ . Laboratory devices have measured short-circuit currents of over  $42 \text{ mA/cm}^2$ , and commercial solar cell have short-circuit currents between about  $28 \text{ mA/cm}^2$  and  $35 \text{ mA/cm}^2$ .



*In an ideal device every photon above the bandgap gives one charge carrier in the external circuit so the highest current is for the lowest bandgap.*

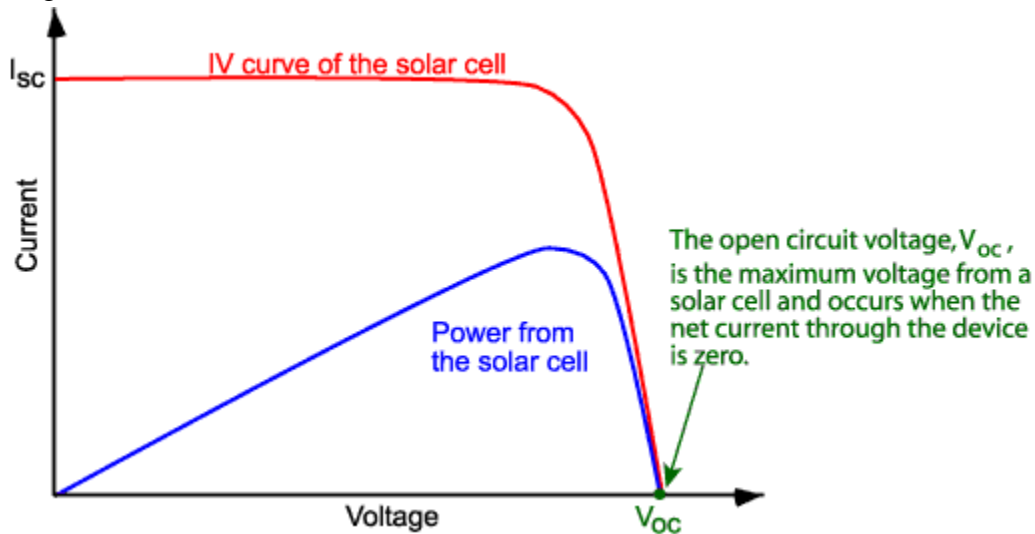
### **Illuminated Current and Short Circuit Current ( $I_L$ or $I_{sc}$ ?)**

$I_L$  is the light generated current inside the solar cell and is the correct term to use in the solar cell equation. At short circuit conditions the externally measured current is  $I_{sc}$ . Since  $I_{sc}$  is usually equal to  $I_L$ , the two are used interchangeably and for simplicity and the solar cell equation is written with  $I_{sc}$  in place of  $I_L$ . In the case of very high series resistance ( $> 10 \Omega\text{cm}^2$ )  $I_{sc}$  is less than  $I_L$  and writing the solar cell equation with  $I_{sc}$  is incorrect.

Another assumption is that the illumination current  $I_L$  is solely dependent on the incoming light and is independent of voltage across the cell. However,  $I_L$  varies with voltage in the case of drift-field solar cells and where carrier lifetime is a function of injection level such as defected multicrystalline materials.

### 2.3.2 open circuit voltage

The open-circuit voltage,  $V_{OC}$ , is the maximum voltage available from a solar cell, and this occurs at zero current. The open-circuit voltage corresponds to the amount of forward bias on the solar cell due to the bias of the solar cell junction with the light-generated current. The open-circuit voltage is shown on the IV curve below.



An equation for  $V_{oc}$  is found by setting the net current equal to zero in the solar cell equation to give:

$$V_{oc} = \frac{nkT}{q} \ln \left( \frac{I_L}{I_0} + 1 \right)$$

A casual inspection of the above equation might indicate that  $V_{oc}$  goes up linearly with temperature. However, this is not the case as  $I_0$  increases rapidly with temperature primarily due to changes in the intrinsic carrier concentration  $n_i$ . The effect of temperature is complicated and varies with cell technology. See the page “Effect of Temperature” for more details

$V_{oc}$  **decreases** with temperature. If temperature changes,  $I_0$  also changes.

The above equation shows that  $V_{oc}$  depends on the saturation current of the solar cell and the light-generated current. While  $I_{sc}$  typically has a small variation, the key effect is the saturation current, since this may vary by orders of magnitude. The saturation current,  $I_0$  depends on recombination in the solar cell. Open-circuit voltage is then a measure of the amount of recombination in the device. Silicon solar cells on high quality single crystalline material have open-circuit voltages of up to 764 mV under one sun and AM1.5 conditions, while commercial devices on multicrystalline silicon typically have open-circuit voltages around 600 mV.

The  $V_{oc}$  can also be determined from the carrier concentration:

$$V_{oc} = \frac{kT}{q} \ln \left[ \frac{(N_A + \Delta n)\Delta n}{n_i^2} \right]$$

where  $kT/q$  is the thermal voltage,  $N_A$  is the doping concentration,  $\Delta n$  is the excess carrier concentration and  $n_i$  is the intrinsic carrier concentration. The determination of  $V_{OC}$  from the carrier concentration is also termed Implied  $V_{OC}$ .

### Voc as a Function of Bandgap, $E_G$

Where the short-circuit current ( $I_{SC}$ ) decreases with increasing bandgap, the open-circuit voltage increases as the band gap increases. In an ideal device the  $V_{OC}$  is limited by radiative recombination and the analysis uses the principle of detailed balance to determine the minimum possible value for  $J_0$ .

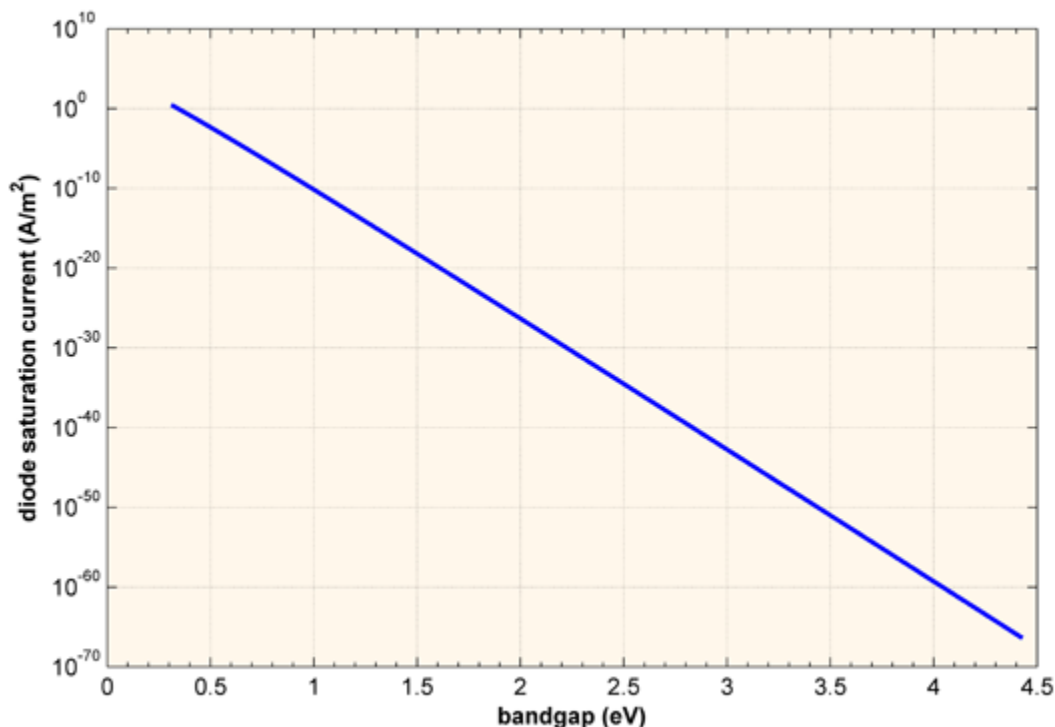
The minimum value of the diode saturation current is given by:

$$J_0 = \frac{q}{k} \frac{15\sigma}{\pi^4} T^3 \int_u^\infty \frac{x^2}{e^x - 1} dx$$

where  $q$  is the electronic charge,  $\sigma$  is the Stefan–Boltzmann constant,  $k$  is Boltzmann constant,  $T$  is the temperature and

$$u = \frac{E_G}{kT}$$

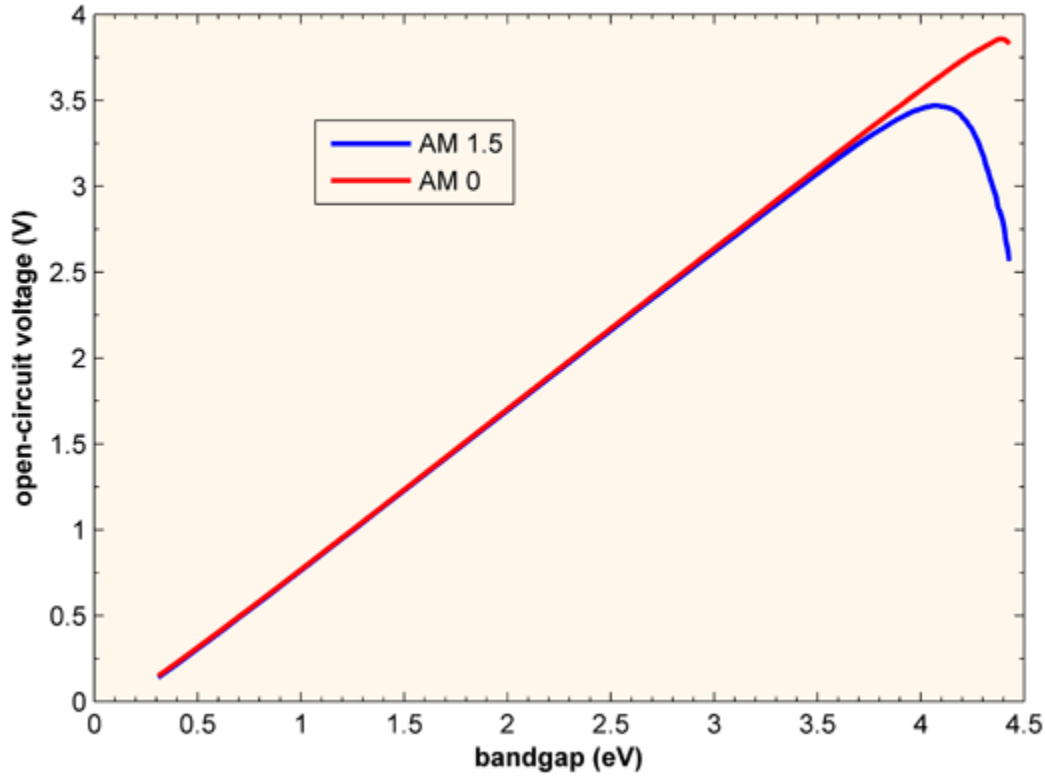
Evaluating the integral in the above equation is quite complex. The graph below uses the method outlined in



*Diode saturation current as a function of band gap. The values are determined from detailed balance and place a limit on the open circuit voltage of a solar cell.*



The  $J_0$  calculated above can be directly plugged into the standard solar cell equation given at the top of the page to determine the  $V_{OC}$  so long as the voltage is less than the band gap, as is the case under one sun illumination.



*$V_{OC}$  as function of bandgap for a cell with AM 0 and AM 1.5. The  $V_{OC}$  increases with bandgap as the recombination current falls. There is drop off in  $V_{OC}$  at very high band gaps due to the very low  $I_{sc}$ .*

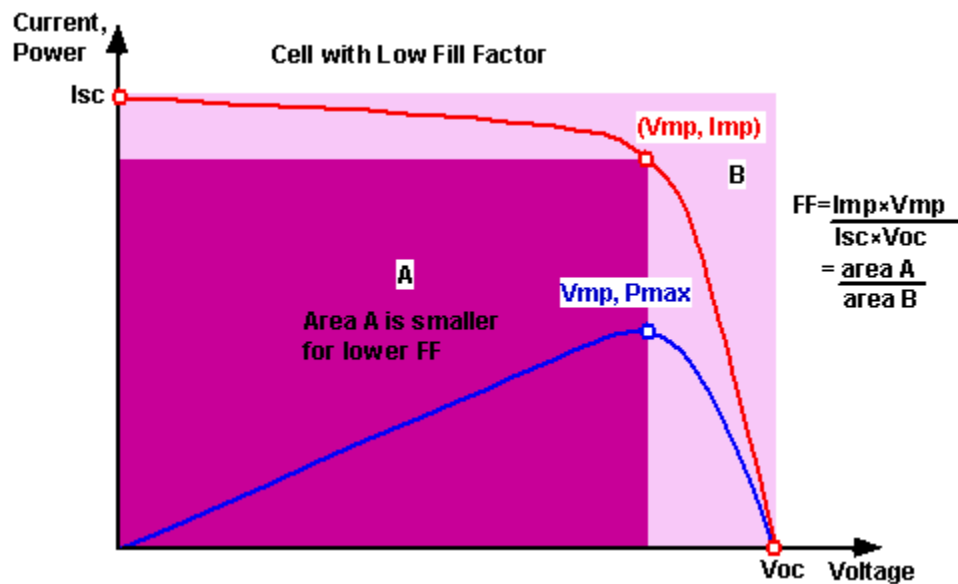
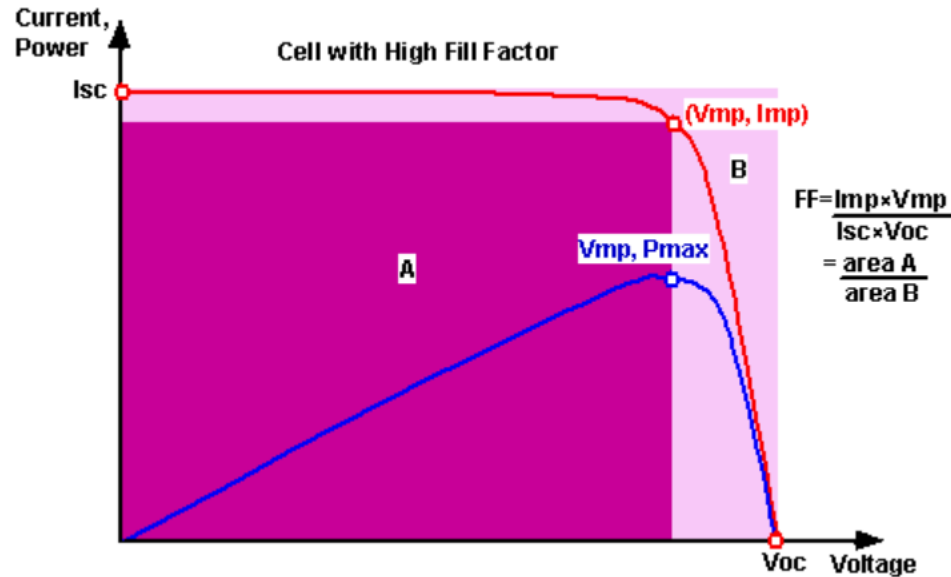
### 2.3.3 Fill factor

The short-circuit current and the open-circuit voltage are the maximum current and voltage respectively from a solar cell. However, at both of these operating points, the power from the solar cell is zero. The "fill factor", more commonly known by its abbreviation "FF", is a parameter which, in conjunction with  $V_{oc}$  and  $I_{sc}$ , determines the maximum power from a solar cell. The FF is defined as the ratio of the maximum power from the solar cell to the product of  $V_{oc}$  and  $I_{sc}$  so that:

$$FF = \frac{P_{MP}}{V_{OC} \times I_{SC}}$$

$$FF = \frac{V_{MP}I_{MP}}{V_{OC}I_{SC}}$$

Graphically, the FF is a measure of the "squareness" of the solar cell and is also the area of the largest rectangle which will fit in the IV curve. The FF is illustrated below.



Graph of cell output current (red line) and power (blue line) as a function of voltage. Also shown are the cell short-circuit current ( $I_{sc}$ ) and open-circuit voltage ( $V_{oc}$ ) points, as well as the maximum power point ( $V_{mp}$ ,  $I_{mp}$ ). Click on the graph to see how the curve changes for a cell with low FF.

As FF is a measure of the "squareness" of the IV curve, a solar cell with a higher voltage has a larger possible FF since the "rounded" portion of the IV curve takes up less area. The maximum theoretical FF from a solar cell can be determined by differentiating the power from a solar cell with respect to voltage and finding where this is equal to zero. Hence:

$$\frac{d(IV)}{dV} = 0$$

giving:

$$V_{MP} = V_{OC} - \frac{nkT}{q} \ln\left(\frac{qV_{MP}}{nkT} + 1\right)$$

The equation above requires Lambert functions to solve (see below) but a simpler approach is to use iteration to calculate  $V_{MP}$ . The equation above only relates  $V_{oc}$  to  $V_{MP}$  and extra equations are needed to find  $I_{MP}$  and FF. A more commonly used expression for the FF can be determined empirically as:

$$FF = \frac{v_{oc} - \ln(v_{oc} + 0.72)}{v_{oc} + 1}$$

where  $v_{oc}$  is defined as a "normalized  $V_{oc}$ ":

$$v_{oc} = \frac{q}{nkT} V_{oc}$$

The above equations show that a higher voltage will have a higher possible FF. However, large variations in open-circuit voltage within a given material system are relatively uncommon. For example, at one sun, the difference between the maximum open-circuit voltage measured for a silicon laboratory device and a typical commercial solar cell is about 120 mV, giving maximum FF's respectively of 0.85 and 0.83. However, the variation in maximum FF can be significant for solar cells made from different materials. For example, a GaAs solar cell may have a FF approaching 0.89.

The above equation also demonstrates the importance of the ideality factor, also known as the "n-factor" of a solar cell. The ideality factor is a measure of the junction quality and the type of recombination in a solar cell. For the simple recombination mechanisms discussed in Types of Recombination, the n-factor has a value of 1. However, some recombination mechanisms, particularly if they are large, may introduce recombination mechanisms of 2. A high n-value not only degrades the FF, but since it will also usually signal high recombination, it gives low open-circuit voltages.

A key limitation in the equations described above is that they represent a maximum possible FF, although in practice the FF will be lower due to the presence of parasitic resistive losses, which are discussed in Effects of Parasitic Resistances. Therefore, the FF is most commonly determined from measurement of the IV curve and is defined as the maximum power divided by the product of  $I_{sc} * V_{oc}$ , i.e.:

$$FF = \frac{V_{MP} I_{MP}}{V_{OC} I_{SC}}$$

#### Exact determination of $V_{MP}$

The equation for a solar cell is:

$$I = I_L - I_0 \left[ \exp\left(\frac{V}{nV_t}\right) - 1 \right]$$

$Power = V \times I$  and in addition the -1 term has no effect at  $V_{MP}$

$$P = VI_L - VI_0 \exp\left(\frac{V}{nV_t}\right)$$

$V_{MP}$  is when the derivative of the power with respect to  $V$  is zero:

$$0 = I_L - I_0 \exp\left(\frac{V_{MP}}{nV_t}\right) \left(1 + \frac{V_{MP}}{nV_t}\right)$$

$V \gg V_t$  and rearranging gives:

$$\frac{I_L}{I_0} = \exp\left(\frac{V_{MP}}{nV_t}\right) \left(\frac{V_{MP}}{nV_t}\right)$$

The Lambert W function provides the solution to a class of exponential functions.

$$Y = Xe^x \Leftrightarrow X = W(Y)$$

so we get:

$$\begin{aligned} \frac{V_{MP}}{nV_t} &= W\left(\frac{I_L}{I_0}\right) \\ V_{MP} &= nV_t W\left(\frac{I_L}{I_0}\right) \end{aligned}$$

using the expression for  $V_{OC}$  we can also write:

$$V_{MP} = nV_t W\left(\exp\left(\frac{V_{OC}}{nV_t}\right)\right)$$

Since the expression inside the  $W()$  is always real and positive we only ever need the principle branch of the Lambert W function,  $W_0$ . The Lambert W function is a transcendental function much like logarithm function. While it is not available on most calculators, it is available on advanced mathematical packages such as Matlab or Python. With further analysis the Lambert W function can also be used for other solar cell terms and in the presence of parasitic resistances.

### 2.3.4 Efficiency

The efficiency is the most commonly used parameter to compare the performance of one solar cell to another. Efficiency is defined as the ratio of energy output from the solar cell to input energy from the sun. In addition to reflecting the performance of the solar cell itself, the efficiency depends on the spectrum and intensity of the incident sunlight and the temperature of the solar cell. Therefore, conditions under which efficiency is measured must be carefully controlled in order to compare the performance of one device to another. Terrestrial solar cells

are measured under AM1.5 conditions and at a temperature of 25°C. Solar cells intended for space use are measured under AM0 conditions..

The efficiency of a solar cell is determined as the fraction of incident power which is converted to electricity and is defined as:

$$P_{max} = V_{OC} I_{SC} FF$$
$$\eta = \frac{V_{OC} I_{SC} FF}{P_{in}}$$

Where:

$V_{oc}$  is the open-circuit voltage;

$I_{sc}$  is the short-circuit current;

$FF$  is the fill factor and

$\eta$  is the efficiency.

The input power for efficiency calculations is 1 kW/m<sup>2</sup> or 100 mW/cm<sup>2</sup>. Thus the input power for a 100 × 100 mm<sup>2</sup> cell is 10 W and for a 156 × 156 mm<sup>2</sup> cell is 24.3 W

## 2.4 losses in solar cells

The major losses in solar cells are reflection loss, resistive loss, recombination loss and thermal loss which affect the efficiency of solar cell adversely.

### 2.4.1 Reflection Loss

The reflection loss occurs from top surface of the solar cells which receives the light. Reflection losses affect the  $I_{sc}$  short circuit current of the solar cell. Reflection reduces the absorbed carriers and hence the  $I_{sc}$ . It becomes necessary to improve the absorption and reduce reflection to improve short circuit current. For a bare Si these losses account for more than 30%.

To reduce the reflectivity in solar cells a common approach is, use of an antireflective coating (ARC ≤ 60nm).

### 2.4.2 Recombination Losses

Photon incident on the solar cell generates electron hole pairs, these generated pairs are called as carriers. Generated carriers needs to be separated before they recombine, with emission of energy. Recombination causes loss of carrier and affects the performance of the cell. Open circuit voltage  $V_{oc}$  of the cell is affected by recombination of carriers. As recombination increases the  $V_{oc}$  reduces. Various techniques are used to reduce the recombination in the solar cells and improve  $V_{oc}$ . Generation of carriers is in the entire volume of the solar cell material. The carriers generated near depletion region are separated out very quickly as they get swept away by the electric field present in the depletion region. Were as the carriers which are generated away from the depletion region that is in the bulk region, on the surface, or at the back surface have less probability of getting separated. These carriers will be lost and would not contribute to the current low if they recombine. Recombination of carriers generated in the Solar cells due to photo excitation is one of the most dominating loss occurring in the solar cell. These

losses account for major portion total input power. Different recombination losses that occur at different regions of the solar cells are

1. Surface recombination.
2. Bulk recombination.
3. Depletion region recombination.
4. Recombination at metal Semiconductor contact

#### 2.4.2.1 Surface recombination

Surface recombination is high in Si due to the presence of incomplete bonds also called as dangling bonds. These bonds appear due to sudden disruption of crystal structure. The incomplete bonds traps the generated carriers and get recombined.

To reduce the effect of surface recombination, passivation is needed at the surface. This is accomplished by depositing a layer of  $\text{Si}_3\text{N}_4$  or  $\text{SiO}_2$  at the top surface.

#### 2.4.2.2 Depletion region recombination

Recombination occurring in the depletion region is less significant as compared to the surface recombination due to the presence of electric field. Charge carriers generated in depletion region are separated by electric field very quickly avoiding any chance of recombination. Any recombination occurring in the depletion region is mostly driven by the trap assisted recombination or band to band recombination.

#### 2.4.2.3 Bulk recombination

Trap assisted recombination is dominating in the bulk region of the solar cell. As explained earlier the impurities if present in the semiconductor create a energy state which acts as the trap. To reduce the trap assisted recombination a high purity semiconductor material is required.

#### 2.4.2.4 Recombination at Metal Semiconductor contacts

Metal semiconductor contacts regions provide very large recombination sites. Semiconductor and metal contact junctions are formed at both front and back side of the solar cell. Back side contact contributes more to the recombination as it has more contact area with the semiconductor. Surface recombination velocity is also present at the rear contact and needs to be reduced. Rear surface passivation can reduce this.

#### 2.4.3 Series Resistance Losses

Series resistance losses contribute to around less than 20% of the total input power. But these losses increases tremendously when solar cell is operated at high intensities. Series resistance of the cell is combination of,

1. Emitter layer resistance
2. Metal-semiconductor contact (front and back)
3. Metal bus-bars and fingers
4. Bulk semiconductor resistance

The possible measures that can help to reduce the series resistance are as follows,

1. High conductivity base (substrate) material of zone (Fz), Zochralski (Cz).
2. Optimizing the junction depth for reducing the emitter resistance. Increasing the thickness to reduce the sheet resistance.
3. Increasing the number of fingers by reducing the width increases the current collection and reduces the metal semiconductor contact resistance.
4. Electroplated metal contacts to reduce the resistance of the metal contacts by increasing the metal density.
5. Different metallization techniques Buried contact, H design, Back contact.
6. Use of different techniques for depositing metal contacts at the front and back surface. This is called as the Hybrid contacts. This can reduce the cost of deposition of metals.

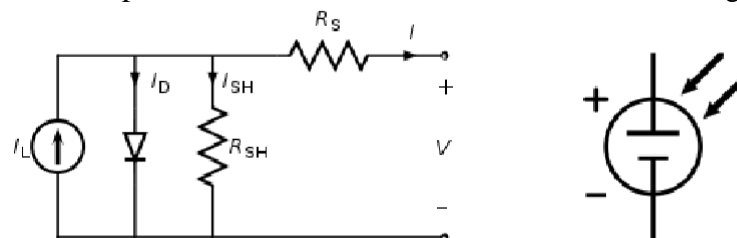
#### 2.4.4 Thermal Losses

A major portion of loss in solar cell is due to heat. Light absorbed by the solar cells has excess energy than that required for generation of electron hole pair (band-gap energy  $E_g$ ). This excess energy is released in the form of heat. This thermal energy causes a rise in the temperature of the cell. The parameters that are affected by the temperature of the cell are band gap energy, diffusion length, minority carrier lifetime, intrinsic carrier density. The increases in diffusion length and minority carrier concentration and intrinsic carrier concentration and decrease in band gap energy causes the increases in the reverse saturation current  $I_0$ . The increase in  $I_0$  reduces the open circuit voltage which degrades the efficiency of the cell.

If temperature rise is kept within limits with the help of proper cooling arrangements, with use of heat sinks or heat pipes, thermal losses could be maintained within limits.

#### 2.5 model of solar cell

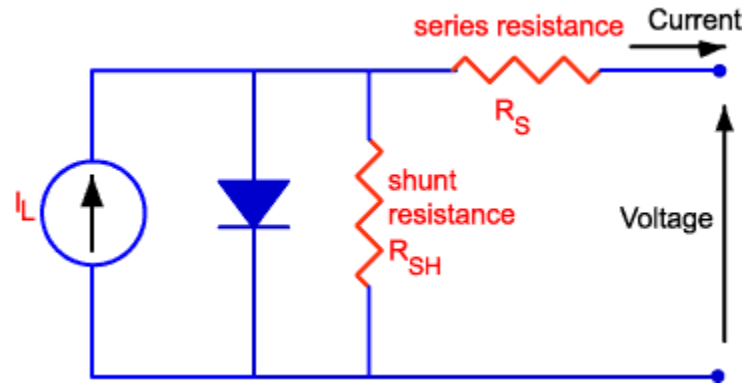
To understand the electronic behavior of a solar cell, it is useful to create a model which is electrically equivalent, and is based on discrete ideal electrical components whose behavior is well defined. An ideal solar cell may be modeled by a current source in parallel with a diode; in practice no solar cell is ideal, so a shunt resistance and a series resistance component are added to the model. The resulting equivalent circuit of a solar cell is shown on the left. Also shown, on the right, is the schematic representation of a solar cell for use in circuit diagrams.



The equivalent circuit of a solar cell & schematic symbol of a solar cell

## 2.6 effect of series –shunt Resistance on efficiency

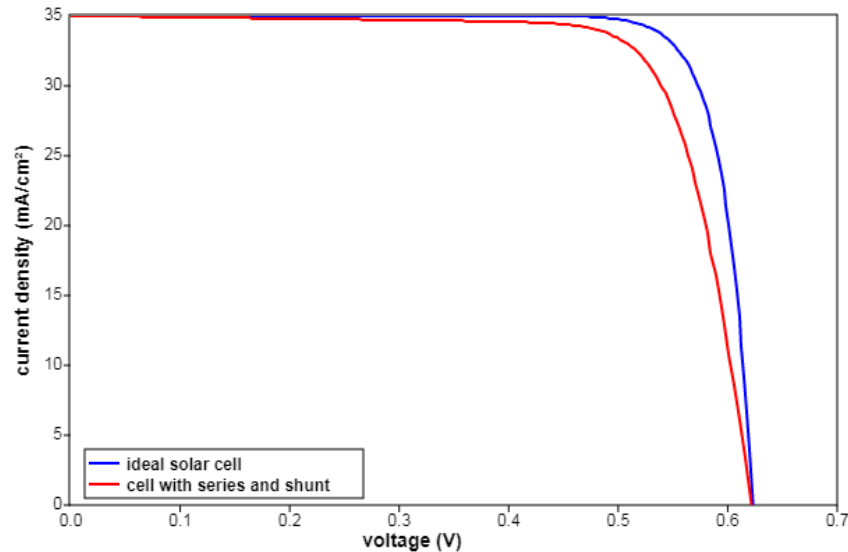
Resistive effects in solar cells reduce the efficiency of the solar cell by dissipating power in the resistances. The most common parasitic resistances are series resistance and shunt resistance. The inclusion of the series and shunt resistance on the solar cell model is shown in the figure below.



*Parasitic series and shunt resistances in a solar cell circuit.*

In most cases and for typical values of shunt and series resistance, the key impact of parasitic resistance is to reduce the fill factor. Both the magnitude and impact of series and shunt resistance depend on the geometry of the solar cell, at the operating point of the solar cell.

In the presence of both series and shunt resistances, the IV curve of the solar cell is given by;



## 2.7 effect solar radiation on efficiency

Changing the light intensity incident on a solar cell changes all solar cell parameters, including the short-circuit current, the open-circuit voltage, the FF, the efficiency and the impact of series and shunt resistances. The light intensity on a solar cell is called the number of suns, where 1 sun corresponds to standard illumination at AM1.5, or 1 kW/m<sup>2</sup>. For example a system with 10 kW/m<sup>2</sup> incident on the solar cell would be operating at 10 suns, or at 10X. A PV module



designed to operate under 1 sun conditions is called a "flat plate" module while those using concentrated sunlight are called "concentrators".

### **Concentrators**

A concentrator is a solar cell designed to operate under illumination greater than 1 sun. The incident sunlight is focused or guided by optical elements such that a high intensity light beam shines on a small solar cell. Concentrators have several potential advantages, including a higher efficiency potential than a one-sun solar cell and the possibility of lower cost. The short-circuit current from a solar cell depends linearly on light intensity, such that a device operating under 10 suns would have 10 times the short-circuit current as the same device under one sun operation. However, this effect does not provide an efficiency increase, since the incident power also increases linearly with concentration. Instead, the efficiency benefits arise from the logarithmic dependence of the open-circuit voltage on short circuit. Therefore, under concentration,  $V_{oc}$  increases logarithmically with light intensity, as shown in the equation below;

$$V'_{oc} = \frac{nkT}{q} \ln \left( \frac{XI_{sc}}{I_0} \right) = \frac{nkT}{q} \left[ \ln \left( \frac{I_{sc}}{I_0} \right) + \ln X \right] = V_{oc} + \frac{nkT}{q} \ln X$$

where X is the concentration of sunlight.

From the equation above, a doubling of the light intensity ( $X=2$ ) causes a 18 mV rise in  $V_{oc}$ .

The cost of a concentrating PV system may be lower than a corresponding flat-plate PV system since only a small area of solar cells is needed.

The efficiency benefits of concentration may be reduced by increased losses in series resistance as the short-circuit current increases and also by the increased temperature operation of the solar cell. As losses due to short-circuit current depend on the square of the current, power loss due to series resistance increases as the square of the concentration.

### **Low Light Intensity**

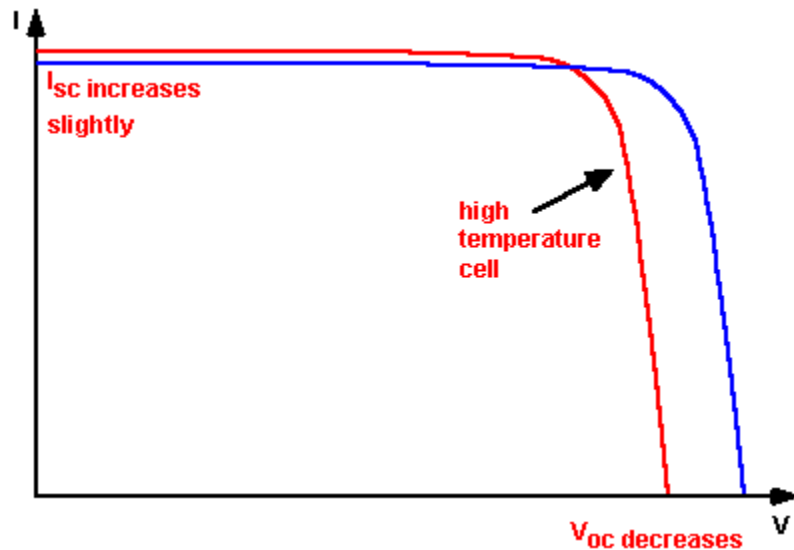
Solar cells experience daily variations in light intensity, with the incident power from the sun varying between 0 and 1 kW/m<sup>2</sup>. At low light levels, the effect of the shunt resistance becomes increasingly important. As the light intensity decreases, the bias point and current through the solar cell also decreases, and the equivalent resistance of the solar cell may begin to approach the shunt resistance. When these two resistances are similar, the fraction of the total current flowing through the shunt resistance increases, thereby increasing the fractional power loss due to shunt resistance. Consequently, under cloudy conditions, a solar cell with a high shunt resistance retains a greater fraction of its original power than a solar cell with a low shunt resistance.

### **2.7 effect of temperature on efficiency**

Like all other semiconductor devices, solar cells are sensitive to temperature. Increases in temperature reduce the band gap of a semiconductor, thereby effecting most of the semiconductor material parameters. The decrease in the band gap of a semiconductor with increasing temperature can be viewed as increasing the energy of the electrons in the material. Lower energy is therefore needed to break the bond. In the bond model of a semiconductor band

gap, reduction in the bond energy also reduces the band gap. Therefore increasing the temperature reduces the band gap.

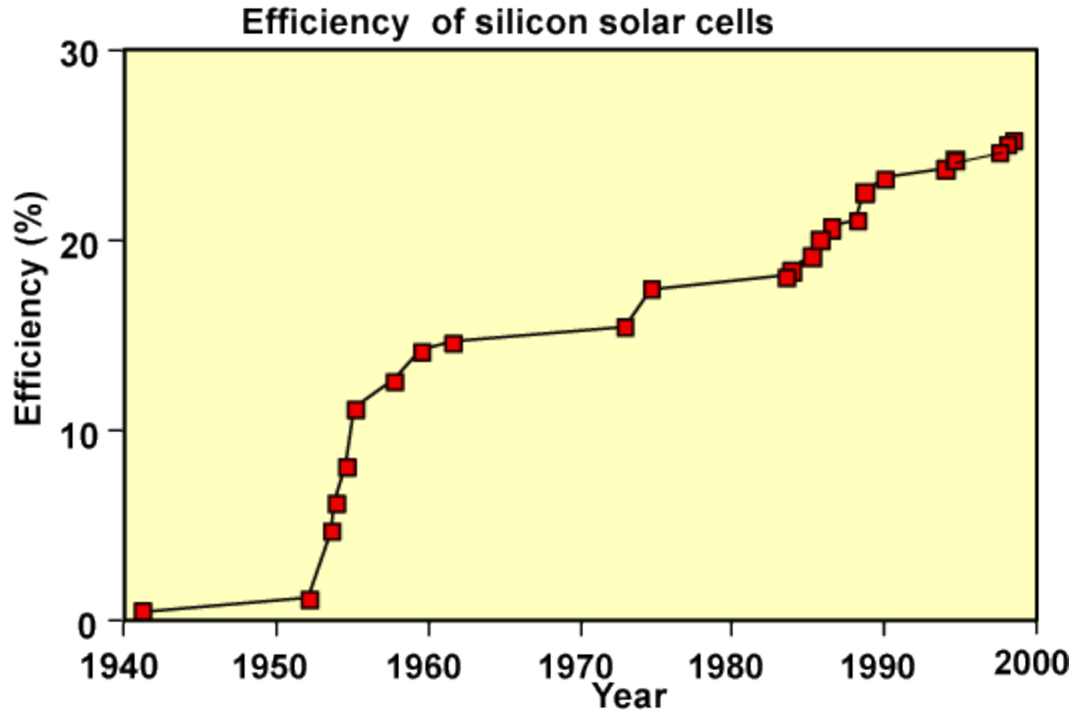
In a solar cell, the parameter most affected by an increase in temperature is the open-circuit voltage. The impact of increasing temperature is shown in the figure below.



The open-circuit voltage decreases with temperature because of the temperature dependence of  $I_0$ .

## 2.8 basic design aspects of solar cells.

Solar cell design involves specifying the parameters of a solar cell structure in order to maximize efficiency, given a certain set of constraints. These constraints will be defined by the working environment in which solar cells are produced. For example in a commercial environment where the objective is to produce a competitively priced solar cell, the cost of fabricating a particular solar cell structure must be taken into consideration. However, in a research environment where the objective is to produce a highly efficient laboratory-type cell, maximizing efficiency rather than cost, is the main consideration.



*Evolution of silicon solar cell efficiency.*

The theoretical efficiency for photovoltaic conversion is in excess of 86.8%. However, the 86.8% figure uses detailed balance calculations and does not describe device implementation. For silicon solar cells, a more realistic efficiency under one sun operation is about 29% . The maximum efficiency measured for a silicon solar cell is currently 24.7% under AM1.5G. The difference between the high theoretical efficiencies and the efficiencies measured from terrestrial solar cells is due mainly to two factors. The first is that the theoretical maximum efficiency predictions assume that energy from each photon is optimally used, that there are no unabsorbed photons and that each photon is absorbed in a material which has a band gap equal to the photon energy. This is achieved in theory by modeling an infinite stack of solar cells of different band gap materials, each absorbing only the photons which correspond exactly to its band gap.

The second factor is that the high theoretical efficiency predictions assume a high concentration ratio. Assuming that temperature and resistive effects do not dominate in a concentrator solar cell, increasing the light intensity proportionally increases the short-circuit current. Since the open-circuit voltage ( $V_{oc}$ ) also depends on the short-circuit current,  $V_{oc}$  increases logarithmically with light level. Furthermore, since the maximum fill factor (FF) increases with  $V_{oc}$ , the maximum possible FF also increases with concentration. The extra  $V_{oc}$  and FF increases with concentration which allows concentrators to achieve higher efficiencies.

In designing such single junction solar cells, the principles for maximizing cell efficiency are:

- increasing the amount of light collected by the cell that is turned into carriers;
- increasing the collection of light-generated carriers by the  $p-n$  junction;

- minimising the forward bias dark current;
- extracting the current from the cell without resistive losses.