

# x12simldoc92

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## 1 Seasonal Adjustment by Using X12SIML

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### 1.1 X12SIML (Ver.92)

- Seasonal adjustment based on the SIML method.
- References : Sato and Kunitomo (2020, 2021) :  
<http://www.mims.meiji.ac.jp/publications/2020-ds/SDS-15.pdf>  
<http://www.mims.meiji.ac.jp/publications/2021-ds/SDS-20.pdf>
- It is like X-12ARIMA of the U.S. Census Bureau with outlier detections.
- Works in R.
- I has auto-outlier detections such as AO, LS, RAMP, and others.
- It is possible to define regression variables in the program.
- Install source program ( “x12siml8.R” ). No need for other libraries.

```
[1]: source("x12siml92.R")
```

### 1.2 How to use x12siml

```
“x12siml” <- function(data, reg = NULL, trend = 2, ilog = 0, frequency = 4, start  
= c(1994, 1), iplot = T, sorder = 1, mtype=1, pb=2,pa=2, ...)
```

- In reg, you can insert user defined explanatory variables.
- In trend and sorder, insert positive integers. The larger values mean more flexibility on trend and seasonality. As a suggestion, use the number of 10% of data for trend and 1~3 for sorder.

- pb is the cycle number of naive predictions and pa is the cycle number of naive backcasts. pb and pa can be used to stabilize the estimates of seasonal states when the number of data is not large.
- mtype is the SIML filter-type. It is 1 for forward-filter and 2 for the backward-filter.
- In ... , you can use the outlier variables in the following list.
- Structural Breaks and Outliers
  - AO (additive outlier)
  - LS (level shift)
  - TC (temporaly change)
  - RAMP (slope change shift, ramp)
  - VAT
  - Holiday
  - Leap Year
  - TCRAMP(RAMP+TC)
  - TCRAMP1(RAMP+(one blank)+TC)
- **Outlier variables**
- AO > x12siml(data,start=c(1993,1),frequency=4,ao=c(2001,2))  
(AO is setted at 2001Q2.)
- LS > x12siml(data,start=c(1993,1),frequency=4,ls=c(2001,2))  
(LS is setted at 2001Q2.)
- RAMP > x12siml(data,start=c(1993,1),frequency=4,rp=c(2001,2,2001,4))  
(RAMP is setted from 2001Q2 to Q4.)
- TLS > x12siml(data,start=c(1993,1),frequency=4,tls=c(2001,2,2001,4))  
(TLS(temporary level shift) is setted from 2001Q2 to Q4.)
- TC > x12siml(data,start=c(1993,1),frequency=4,tc=c(2001,2))  
(TC is setted at 2001Q2.)
- VAT > x12siml(data,start=c(1993,1),frequency=4,vat=c(2001,1))  
(VAT dummy (1 at the selected pwrion and -1 in the next period).)
- VATT > x12siml(data,start=c(1993,1),frequency=4,vatt=c(2001,1))  
(VATT dummy (1 at the selected pwrion and -1 in the next period with a trend).)
- Holiday > x12siml(data,start=c(1993,1),frequency=4,hol=c(2001,3,2003,4))  
(Dummies as AO with several periods (the resulting estimates are in the estimated seasonal).)
- LeapYear > x12siml(data,start=c(1993,1),frequency=4, ly=c(1996,1))  
(Set AO at each 4\*frequency after the selected period.)
- SLS > x12siml(data,start=c(1993,1),frequency=4, sls=c(2003,4))  
(Level shift in seasonals at the selected period.)
- TCRAMP > x12siml(data,start=c(1993,1),frequency=4,tcrp=c(2001,2,2001,4,2003,3))  
(Set TCRAMP from 2001Q2 to 2002Q3 (RAMP from 2001Q2 to 2001Q4 and TC from

2001Q4 to 2003Q3).)

- TCRAMP1 > x12siml(data,start=c(1993,1),frequency=4,tcrp1=c(2001,2,2001,4,2003,3))  
(Set TCRAMP1 from 2001Q2 to 2002Q3 (RAMP from 2001Q2 to 2001Q4 and TC from 2002Q1 to 2003Q3).)

[ ]:

```
[2]: TCRATE <- 0.8^2
start <- c(1993,1)
frequency <- 4
reg2 <- list(ao=c(2001,2),ls=c(2001,2),rp=c(2001,2,2001,4),
            tc=c(2001,2), vat=c(2001,1),hol=c(2001,3,2003,4), sls=c(2003,4),
            ly=c(1996,1), tcrp=c(2001,2,2001,4,2003,3),tls=c(2001,2,2001,4),
            tcrp1=c(2001,2,2001,4,2003,3)
            )
```

```
[5]: data <- rnorm(100)
      n <- length(data)
      nn <- length(reg2)
      dimnames.reg <- NULL
      reg <- NULL

      if(nn > 0) {
        for(i in seq(nn)) {
          switch(names(reg2[i]),
                "ls"={
                  z <- rep(0, n)
                  tt <- sum((reg2[[i]] - start) * c(frequency,
→1)

                  ) + 1
                  z[1:(tt - 1)] <- -1
                  z <- z+1
                  reg <- cbind(reg, z)
                },
                "tc"= {
                  tcrate <- TCRATE #0.6999999999999996^(12/
→frequency)

                  z <- rep(0, n)
```

```

tt <- sum((reg2[[i]] - start) * c(frequency,
→1)

) + 1
z[tt:n] <- tcrate^(0:(n - tt))
reg <- cbind(reg, z)
},
"ao"= {
z <- rep(0, n)
tt <- sum((reg2[[i]] - start) * c(frequency,
→1)

) + 1
z[tt] <- 1
reg <- cbind(reg, z)
},
"hol"= {
z <- rep(0, n)
nnn2 <- length(reg2[[i]])/2
for(j in seq(nnn2)) {
tt <- sum((reg2[[i]][j*2-(1:
→0)]-start)*c(frequency,1)

) + 1
z[tt] <- 1
}

reg <- cbind(reg, z)
},
"sls"= {
z <- rep(0, n)
nyy <- floor(n/frequency)+1
yyy <- c(rep(start[1],frequency-start[2]+1),
t(matrix(rep((start[1]+1):(start[1]+nyy),frequency),
nrow=nyy))) [1:n]
mmm <- c((start[2]):frequency,rep(1:frequency,nyy)) [1:n]
sty <- reg2[[i]] [1]
stm <- reg2[[i]] [2]
z[yyy >= sty] <- -1/(frequency-1)
z[yyy >= sty & mmm==stm] <- 1
reg <- cbind(reg, z)

```

```

    },

    "ly"= {
      z <- rep(0, n)
      if(length(reg2[[i]])==1)
        tt <- reg2[[i]]+(0:n)*(frequency*4)
      else
        tt <- sum((reg2[[i]] - start) * c(frequency,
→1)

          ) + 1 + (0:n)*(frequency*4)
        z[tt] <- 1
        z <- z[1:n]
        reg <- cbind(reg, z)
      },

      "vat"={
        z <- rep(0, n)
        tt <- sum((reg2[[i]] - start) * c(frequency,
→1)

          ) + 1
        z[tt] <- 1
        z[tt + 1] <- -1
        reg <- cbind(reg, z)
      },

      "rp"= {
        z <- rep(0, n)
        tt1 <- sum((reg2[[i]][1:2] - start) * c(
          frequency, 1)) + 1
        tt2 <- sum((reg2[[i]][3:4] - start) * c(
          frequency, 1)) + 1
        z[1:(tt1)] <- -1
        z[(tt1 + 1):(tt2 - 1)] <- (((tt1 + 1):(tt2 -
→1)

          ) - tt1)/(tt2 - tt1) - 1
        z <- z+1
        reg <- cbind(reg, z)
      },

```

```

"tls"= {
    z <- rep(0, n)
    tt1 <- sum((reg2[[i]][1:2] - start) * c(
        frequency, 1)) + 1
    tt2 <- sum((reg2[[i]][3:4] - start) * c(
        frequency, 1)) + 1
    z[(tt1):tt2] <- 1
    reg <- cbind(reg, z)
},
"tcrp"= {
    z <- rep(0, n)
    tt1 <- sum((reg2[[i]][1:2] - start) * c(
        frequency, 1)) + 1
    tt2 <- sum((reg2[[i]][3:4] - start) * c(
        frequency, 1)) + 1
    tt3 <- sum((reg2[[i]][5:6] - start) * c(
        frequency, 1)) + 1
    tcrate <- TCRATE
    # z[1:(tt1)] <- -1
    z[(tt1 + 1):(tt2 - 1)] <- (((tt1 + 1):(tt2 - 1)
→ 1)
        ) - tt1)/(tt2 - tt1)
    z[(tt2):tt3] <- tcrate^(0:(tt3 - tt2))
    z[tt3:n] <- z[tt3]
    reg <- cbind(reg, z)
},
"tcrp1"= {
    z <- rep(0, n)
    tt1 <- sum((reg2[[i]][1:2] - start) * c(
        frequency, 1)) + 1
    tt2 <- sum((reg2[[i]][3:4] - start) * c(
        frequency, 1)) + 1
    tt3 <- sum((reg2[[i]][5:6] - start) * c(
        frequency, 1)) + 1
    tcrate <- TCRATE
    #0.80000000000000004 #^(12/frequency)
    # z[1:(tt1)] <- -1

```

```

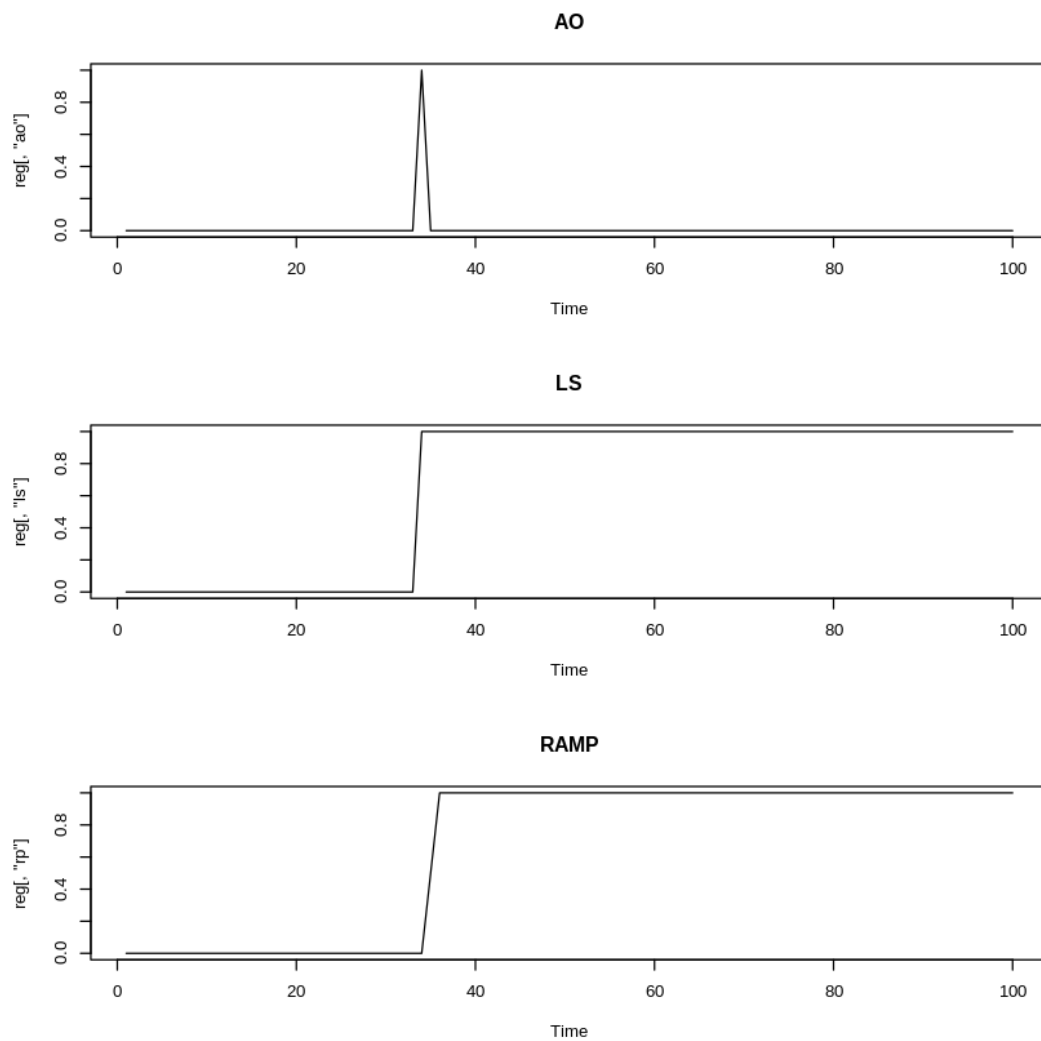
                                z[(tt1 + 1):(tt2 - 1)] <- (((tt1 + 1):(tt2 - 1)
→1)
                                ) - tt1)/(tt2 - tt1)
                                z[tt2] <- 1
                                z[(tt2 + 1):tt3] <- tcrate^(0:(tt3 - tt2 - 1)
→1))
                                z[tt3:n] <- z[tt3]
                                reg <- cbind(reg, z)
                                },
                                {
                                    nn <- nn-1
                                    cat(paste("Warning:",names(reg2[i]), "is not
→supported\n"))
                                    reg2[i] <- NULL
                                }
                                )
                                }
                                }
                                dimnames(reg) <- list(NULL,names(reg2))

```

```

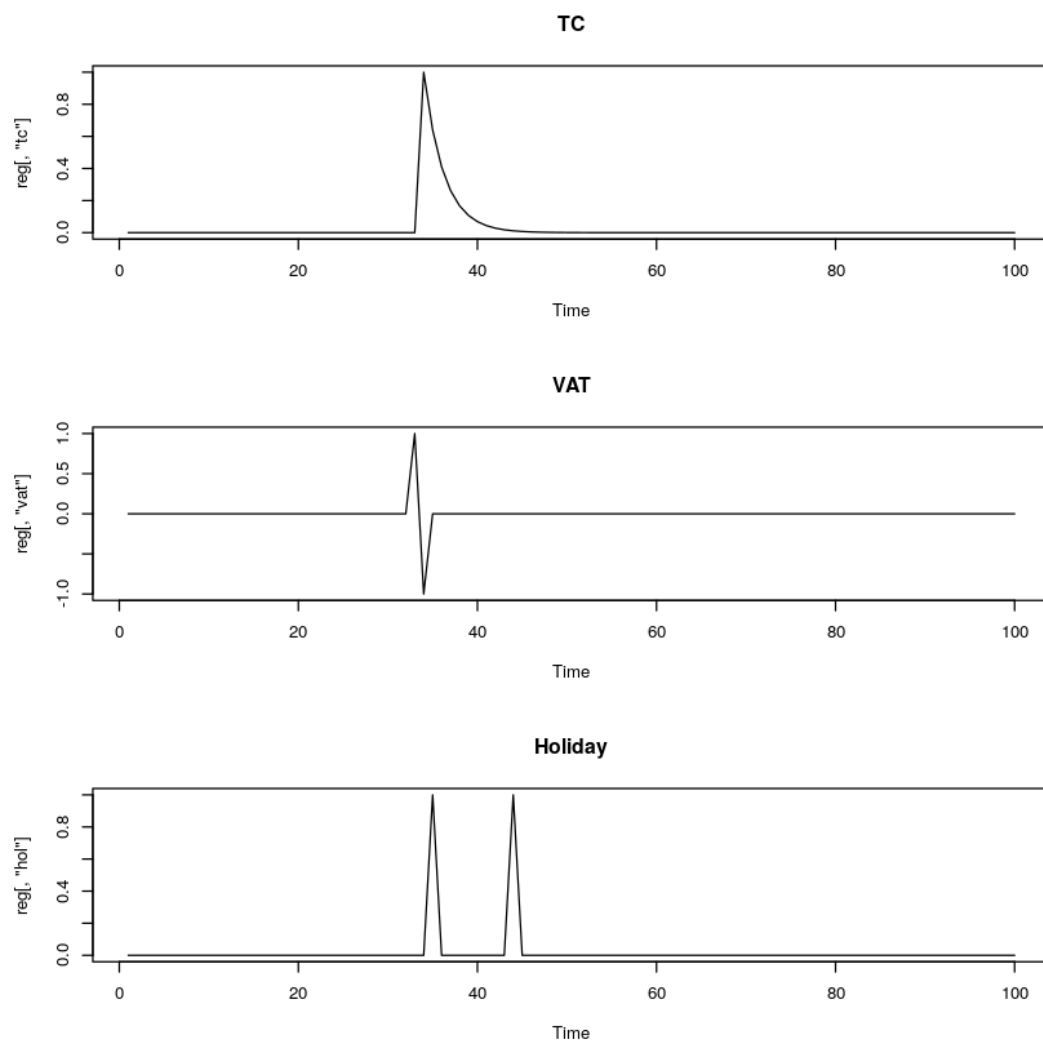
[6]: par(mfrow=c(3,1))
plot.ts(reg[, "ao"], main="AO")
plot.ts(reg[, "ls"], main="LS")
plot.ts(reg[, "rp"], main="RAMP")

```

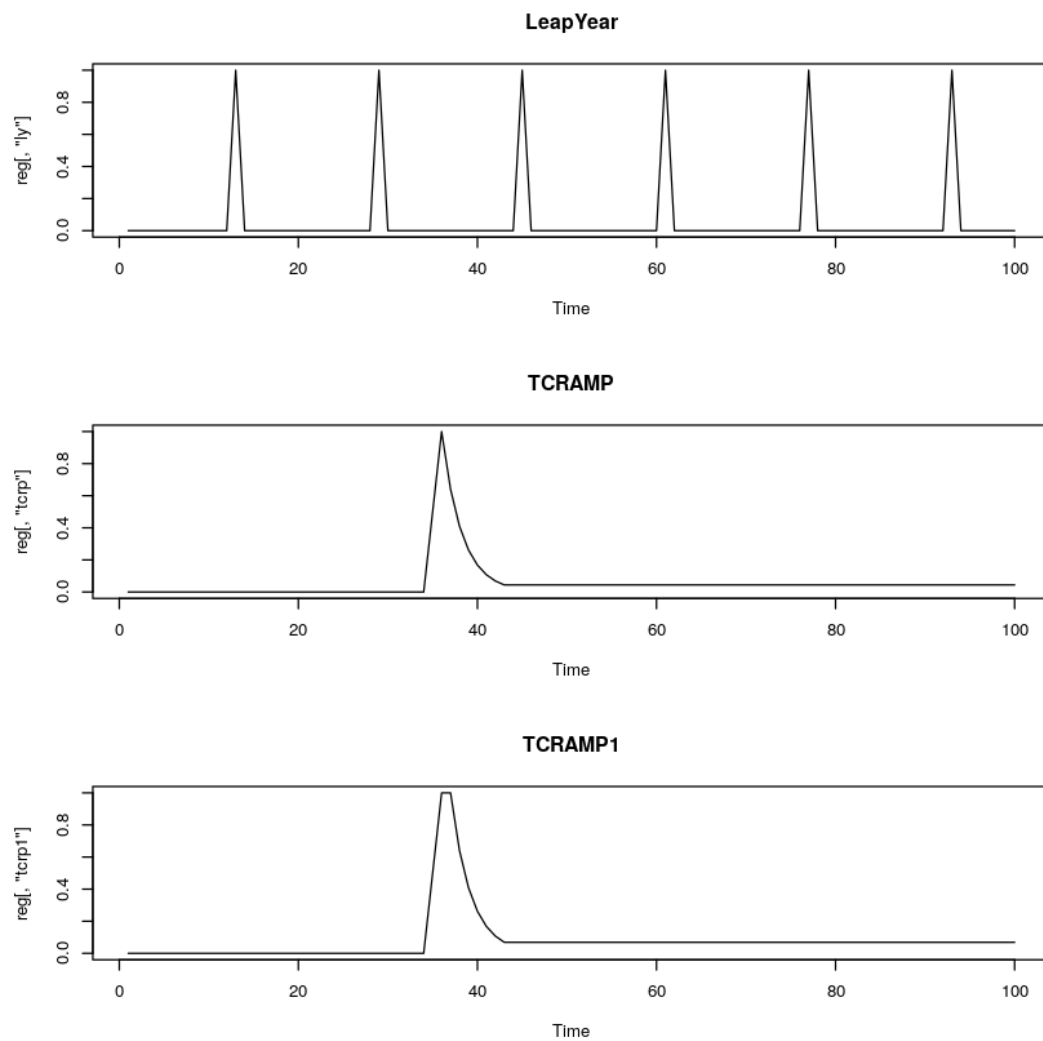


```
[11]: par(mfrow=c(3,1))
      plot.ts(reg[, "tc"], main="TC")
      plot.ts(reg[, "vat"], main="VAT")
      plot.ts(reg[, "hol"], main="Holiday")
```

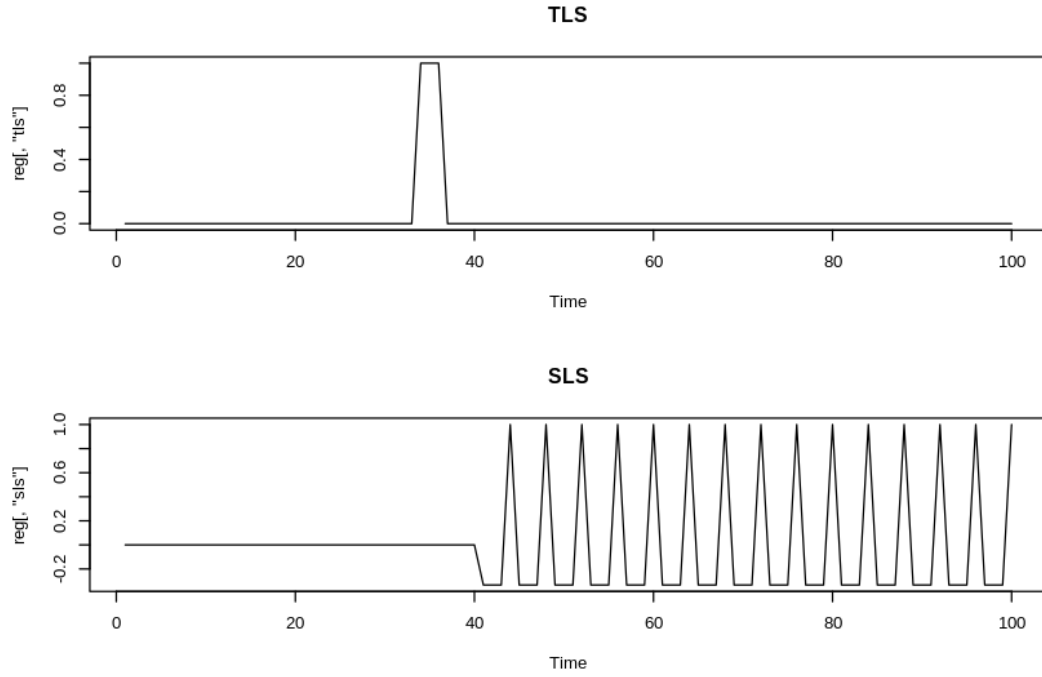




```
[18]: par(mfrow=c(3,1))
      plot.ts(reg[, "ly"], main="LeapYear")
      plot.ts(reg[, "tcrp"], main="TCRAMP")
      plot.ts(reg[, "tcrp1"], main="TCRAMP1")
```



```
[6]: par(mfrow=c(3,1))  
plot.ts(reg[, "tls"], main="TLS")  
plot.ts(reg[, "sls"], main="SLS")
```



### 1.3 Seasonal Frequency

- We set the seasonal frequency as  $s$  (that is,  $s = 12$  for monthly data,  $s = 4$  for quarterly data) .
- We usually observe seasonal fluctuations at  $f_s$  :

$$f_s = \left( \frac{1}{s}, \frac{2}{s}, \dots, \frac{[s/2]}{s} \right)$$

$$f_{12} = \left( \frac{1}{12}, \frac{2}{12}, \dots, \frac{6}{12} \right)$$

$$f_7 = \left( \frac{1}{7}, \frac{2}{7}, \frac{3}{7} \right)$$

$$f_4 = \left( \frac{1}{4}, \frac{2}{4} \right)$$

- We set the seasonal band with sorder (flexible seasonals) :

$$ind_s = (2 * f_s * n - sorder) : (2 * f_s * n + sorder) (\leq n)$$

$$ind_4 = (n/2 - sorder) : (n/2 + sorder), (n - sorder) : n$$

We assume that the number 1~n in the x-axis corresponds to 0~1/2.

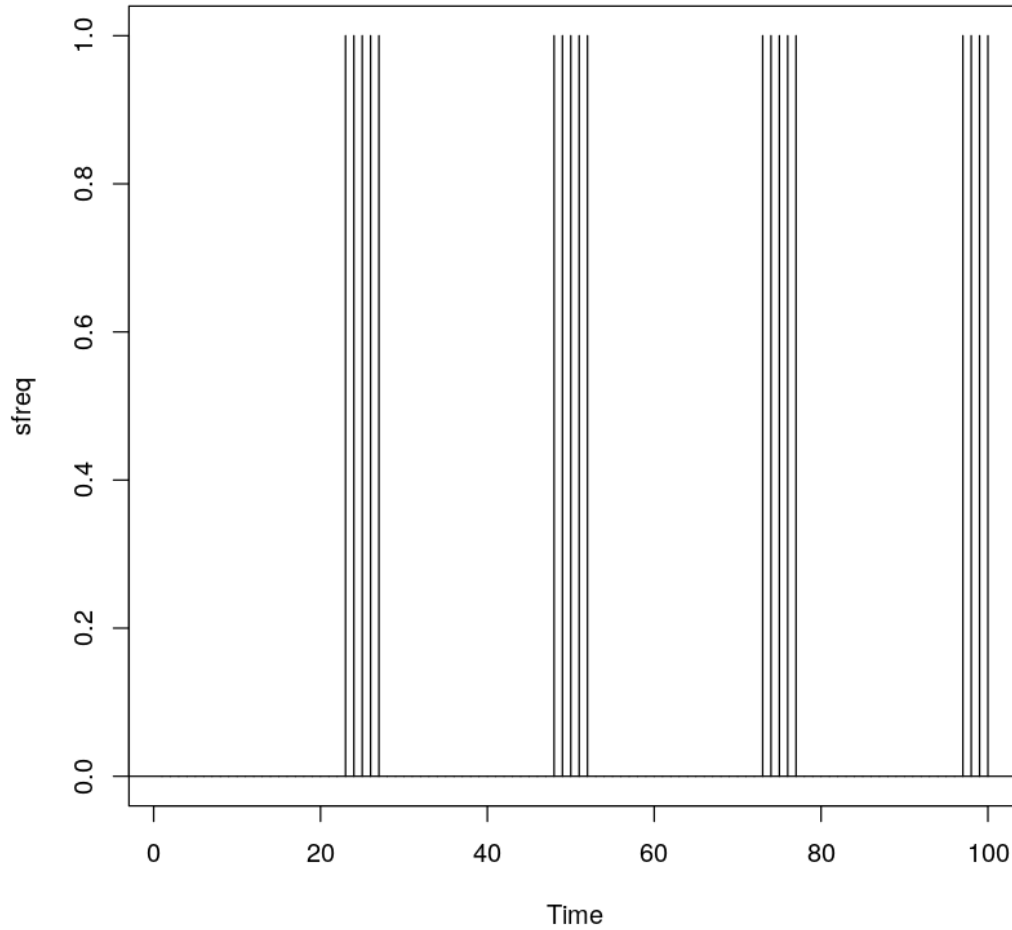
```
[2]: h <- 0
n1 <- 100
frequency <- 8
sorder <- 2
period <- frequency

if(F) {
  sid <- ceiling(2*(n1+h)/period)+(-sorder):(sorder)
  if(period==4) { sid <- c(sid,n1-(( max(sorder+1-h,0) ):0))}
  if(period==12) {
    sid <- c(sid,ceiling(4*(n1+h)/period)+(-sorder):(sorder))
    sid <- c(sid,ceiling(6*(n1+h)/period)+(-sorder):(sorder))
    sid <- c(sid,ceiling(8*(n1+h)/period)+(-sorder):(sorder))
    sid <- c(sid,ceiling(10*(n1+h)/period)+(-sorder):(sorder))
    sid <- c(sid,n1-(( max(sorder+1-h,0) ):0))
  }
  if(period==7) {
    sid <- c(sid,ceiling(4*(n1+h)/period)+(-sorder):(sorder))
    sid <- c(sid,ceiling(6*(n1+h)/period)+(-sorder):(sorder))
    ## sid <- c(sid,n1-(( max(sorder+1-h,0) ):0))
  }
}

sid <- ceiling(2*(n1+h)/period)+(-sorder):(sorder)
if(period > 4) {
  for(i in 2:(ceiling(period/2)-1)) {
    sid <- c(sid,ceiling(2*i*(n1+h)/period)+(-sorder):(sorder))
  }
}

if(period %% 2 == 0) sid <- c(sid,n1-(( max(sorder+1-h,0) ):0))
sfreq <- rep(0,n1)
sfreq[sid] <- 1
```

```
plot.ts(sfreq,type="h")
abline(h=0)
```



#### 1.4 Regression (regsiml)

- A) We set the  $K_n$  transformed data as  $Z$ , the  $K_n$  transformed regression variables as  $Z^{(d)}$ .

$$z = PC^{-1}y, Zd = PC^{-1}W$$

- B) From  $Z$ , select the seasonal band and construct  $Z_s$ .

$$z_s = J_s z$$

$J_s$  is the selection matrix to find the seasonal bands.

- C) From  $Z$ , select bands except the seasonal bands and construct  $Z_{-s}$ .

$$z_{-s} = J_{-s}z$$

$J_{-s}$  is the selection matrix chooshing bands except the seasonal bands.

- D) From  $Z_{-s}$ , form  $Z_t$  by selecting the first  $m$  terms ( $m$  is trend).

$$z_t = J_m z$$

$J_m$  is the selection transformation of the first  $m$  terms.

- E) For  $Z^{(d)}$ , construct  $Z_s^{(d)}, Z_{-s}^{(d)}, Z_t^{(d)}$  in the same way.

$$Zd_s = J_s Z d, Zd_{-s} = J_{-s} Z d, Zd_t = J_m Z d$$

- F) Regression A : Regress  $Z_t$  on  $Z_t^{(d)}$  with 0 intercept.

$$C_t = (Zd_t' Zd_t)^{-1} Zd_t' z_t$$

- G) Regression B : Regress  $Z_{-s}$  on  $Z_{-s}^{(d)}$  with 0 intercept.

$$C_{-s} = (Zd_{-s}' Zd_{-s})^{-1} Zd_{-s}' z_{-s}$$

- H) When the dummy variables include one of AO, VAT, HOL, LY, then, compare the F values to select the results of either Regression A or Regression B. Otherwise, Regression A is chosen.

- I) By running Regression, obtain the regressison coefficients "coef" and the residuals "res".

$$C = C_t \text{ or } C_{-s}, res = J_m' z_t - Zd_t C_t \text{ or } J_{-s}' z_{-s} - Zd_{-s} C_{-s}$$

- J)  $Z_{s*}$  is the residuals of  $Z_s^{(d)}$  minus coef times  $Z_s$ .

$$z_{s*} = z_s - Zd_s C$$

- K)  $Z_{t*}$  is composed of the first  $m$  terms of  $res$  and set 0 otherwise,

$$z_{t*} = J_m res$$

- L) The inverse transformations of  $Z_{s*}$  and  $Z_{t*}$  are the seasonal  $S$  and trend  $Tr$ .

$$S = CP' J_s' z_{s*}, Tr = CP' J_m' z_{t*}$$

- M) AIC of Regression A is AIC.a and AIC of Regression B is AIC.b . (We multiple  $n$  instead of  $n$  to Log of estimated variances.)

```

[8]: ## regsiml
      mat <- siml.mat(n,m1,type=mtype)
      ## type=1 (前向き), 2 (後ろ向き)
      n1 <- dim(mat$K)[1]
      ## A)
      z.y <- mat$K %*% c(data)
      z.d <- mat$K %*% reg
      z.s <- z.y
      ## B)
      z.s[-sid] <- 0
      ## C)
      z.y[sid] <- 0
      ## D)E)F)
      zz <- lsfit(z.d[1:m1,],z.y[1:m1],inter=F)
      vvv2 <- mean((zz$res)^2)

      ## G)
      zz.tmp <- lsfit(z.d[-sid,],z.y[-sid],inter=F)
      vvv3 <- mean((zz.tmp$res)^2)

      if( "F of zz" < "F of zz.tmp" and (ao or vat or ly or hol) ) zz <- zz.tmp

      ## K)
      res <- c(zz$res,rep(0,n1-m1))

      ## J)
      z.s[sid] <- z.s[sid]-c(z.d %*% zz$coef)[sid]

      ## L)
      trend <- mat$inv %*% res
      seasonal <- mat$inv %*% z.s

      ## M)
      para <- log(c(vvv2,vvv3))*n1+2*(k+1)

```

Error in makeMat21(n, m, type = type): object 'm1' not found  
 Traceback:

1. `siml.mat(n, m1, type = mtype)`
2. `makeMat21(n, m, type = type)`

## 1.5 Result (x12siml)

- In x12siml, we use the results of regsiml to make figures.

Among dummy variables, except “ao”, “vat”, “hol”, “ly” the effects are included in the estimated trend. The variables “hol” and “ly” are included in the estimated seasonals. The variables “ao” and “vat” are included in the estimated noise.

```
[ ]: zz <- regsiml(data, reg, m1 = trend, log = ilog, period =
               frequency, sorder = sorder,
               mtype=mtype, pb=pb, pa=pa)

               if(ilog > 0)
                 data <- log(data)
               z.trend <- zz$trend
               if(!is.null(reg)) {
                 zz.dumm <- seq(ncol(zz$trade))
                 zz.dumm <- zz.dumm[dimnames(zz$trade)[[2]] != "ao" &
                                   dimnames(zz$trade)[[2]] != "vat" &
                                   dimnames(zz$trade)[[2]] != "hol" &
                                   dimnames(zz$trade)[[2]] != "ly"
                                   ]
                 if(length(zz.dumm) > 0) {
                   z.trend <- z.trend + c(apply(zz$trade[,zz.
↪dumm, drop=F], 1, sum)) }
                 }
                 zz.seasonal <- zz$seasonal
               if(any(dimnames(reg)[[2]] == "ly"))
                 zz.seasonal <- zz.seasonal+zz$trade[, "ly"]
               if(any(dimnames(reg)[[2]] == "hol")) {
                 ididi <- seq(nn0)[dimnames(reg)[[2]] == "hol"]
                 for(ijij in ididi) {
                   zz.seasonal <- zz.seasonal+zz$trade[, ijij]
                 }
               }
             }
```



```

z.adj <- data - zz.seasonal
zz.noise <- data-(zz.seasonal+z.trend)

```

## 1.6 Outlier Auto-detection

```
outlier(data, start=c(1998,1), frequency=12,type="ao",tt=c(1999,1,2009,12))
```

- We search AO from 1999, January to 2009 December. Search one period to improve AIC with certain value (the default is 4).
- To detect multiple periods, set : `> outlier(data, start=c(1998,1), frequency=12,type="ao",tt=c(2001,4,2009,12), ao=c(2001,3))`  
 – (Some care should be made not to take double counts of period.)
- For type, you can use "ao", "ls", "tc", "rp".
- Auto-search of TKRAMP and/or TCRAMP
- Auto-search tkramp during 2008, January~2010, December. (It may take time if the search length is long.)
- TKRAMP is the double RAMP (Takaoka-RAMP, RAMP+RAMP)
- Search one period to improve AIC with certain value (the default is 4).
- To use detection with other outliers, use : `> tkramp(data, start=c(1996,1), frequency=4,tt=c(2008,1,2010,12), ls=c(2001,3))`
- The same for tcramp : `> tcramp(data, start=c(1996,1), frequency=4,tt=c(2008,1,2010,12))`

```

[2]: zz <- x12siml(shouhi,sorder=2,trend=10,frequency=4,start=c(1994,1),
               vat=c(2014,1),vat=c(1997,1),
               rp=c(2008,3,2009,1),rp=c(2009,1,2009,4))
#zz <- x12siml(shouhi,sorder=2,trend=10,rp=c(2008,2,2009,1),vat=c(2014,1))
## If you want to include VAT dummy variable to trend.
%(VAT ダミーをトレンドに入りたい場合)

#plot.ts(zz$trend+zz$dummy[, "vat"])

```

```
[1] "make mat"
```

```

      vat      vat      rp      rp
11664.552 95997.246 -4679.330 4536.477

```

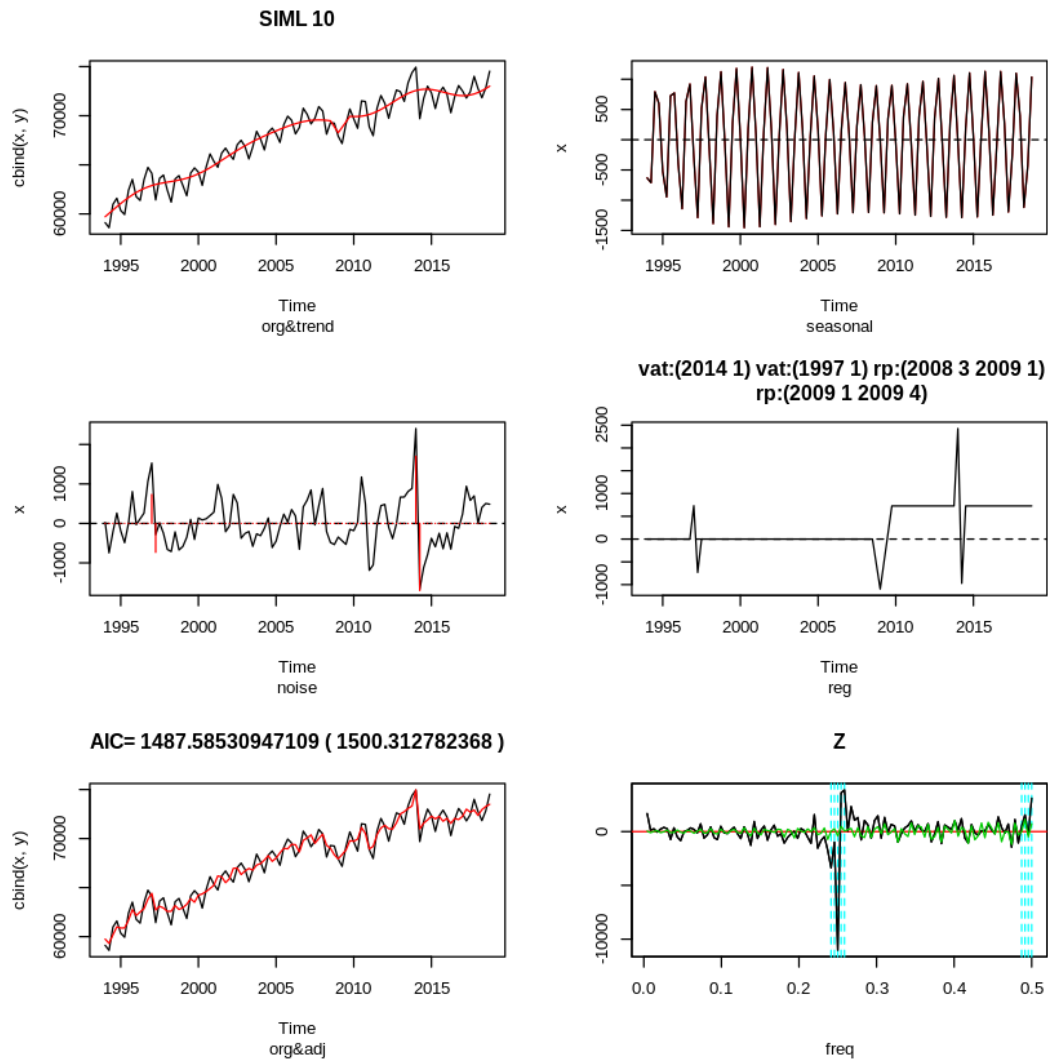
	vat	vat	rp	rp
	1698.4904	731.3393	-1095.7953	1823.0909

Residual Standard Error=753.1881  
R-Square=0.1588  
F-statistic (df=4, 6)=0.2832  
p-value=0.8788

	Estimate	Std.Err	t-value	Pr(> t )
vat	11664.552	140435.672	0.0831	0.9365
vat	95997.246	94214.217	1.0189	0.3476
rp	-4679.329	9227.136	-0.5071	0.6302
rp	4536.477	9897.715	0.4583	0.6628

Residual Standard Error=628.1707  
R-Square=0.3265  
F-statistic (df=4, 103)=12.4845  
p-value=0

	Estimate	Std.Err	t-value	Pr(> t )
vat	1698.4904	274.1562	6.1953	0.0000
vat	731.3393	277.7734	2.6329	0.0098
rp	-1095.7953	907.0976	-1.2080	0.2298
rp	1823.0909	1101.7570	1.6547	0.1010



```
[9]: zz <- outlier(shouhi,sorder=2,trend=10,type="ao",tt=c(2012,1,2015,1),vat=c(2014,1))
## VAT ダミーをトレンド入れた場合
plot.ts(zz$trend+zz$dummy[, "vat"])
```

```
[1] "make mat"

X
14613.06

X
1708.676

Residual Standard Error=669.3823
R-Square=0.0034
F-statistic (df=1, 9)=0.0307
```

p-value=0.8648

	Estimate	Std.Err	t-value	Pr(> t )
X	14613.06	83426.11	0.1752	0.8648

Residual Standard Error=651.6736

R-Square=0.2541

F-statistic (df=1, 106)=36.1055

p-value=0

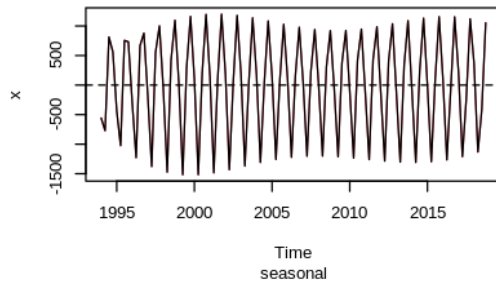
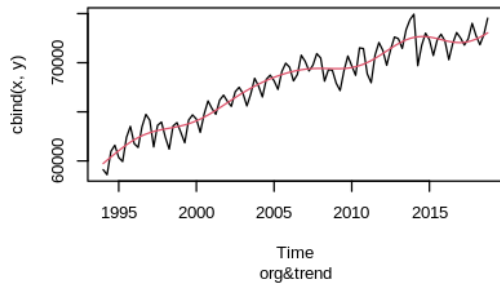
	Estimate	Std.Err	t-value	Pr(> t )
X	1708.676	284.3632	6.0088	0

	ao	vat
	-32341.1	187586.3
	ao	vat
	403.5853	1731.1860
	ao	vat
	-13082.94	83211.63
	ao	vat

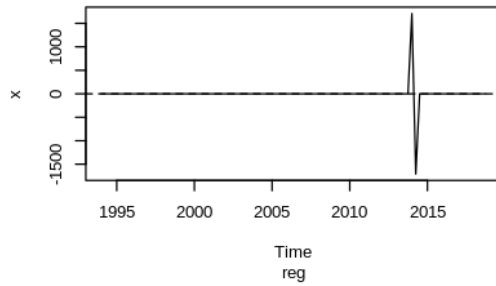
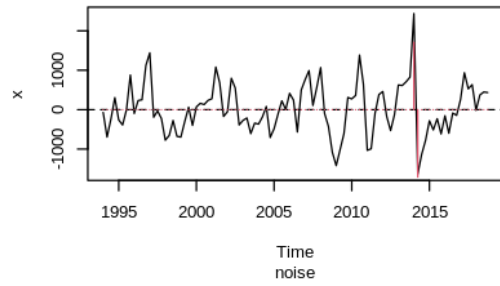
(中略)

	ao	vat
	20261.99	78383.67
	ao	vat
	-64.45557	1711.58885
	ao	vat
	22799.13	99500.00
	ao	vat
	442.8487	1742.4985

# SIML 10

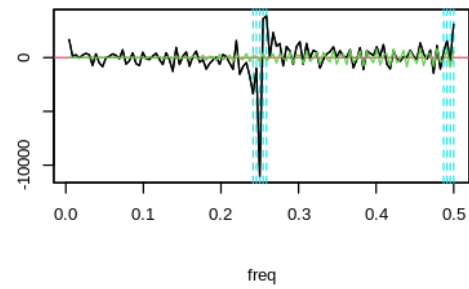
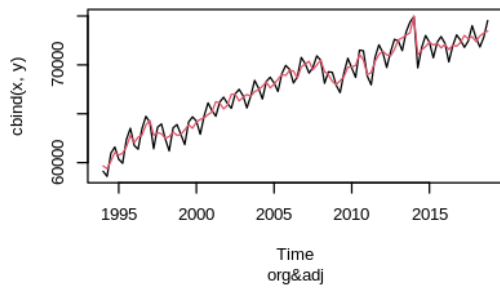


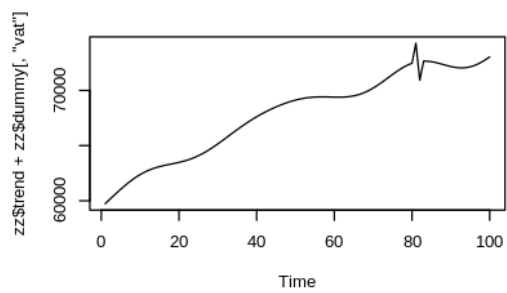
# vat:(2014 1)



AIC= 1501.25260432684 ( 1506.16494163304 )

# Z





```
[3]: source("x12siml92.R")
zz <- x12siml(shouhi,sorder=2,trend=40,frequency=4,start=c(1994,1),
             vat=c(2014,1),vat=c(1997,1))
trendvat <- zz$trend + apply(cbind(zz$dummy),1,sum)
plot.ts(trendvat)
shouhi2 <- shouhi-apply(cbind(zz$dummy),1,sum)
zz2 <- x12siml(shouhi2,sorder=2,trend=40,frequency=4,start=c(1994,1),
              rp=c(2008,3,2009,1),rp=c(2009,1,2009,4))
```

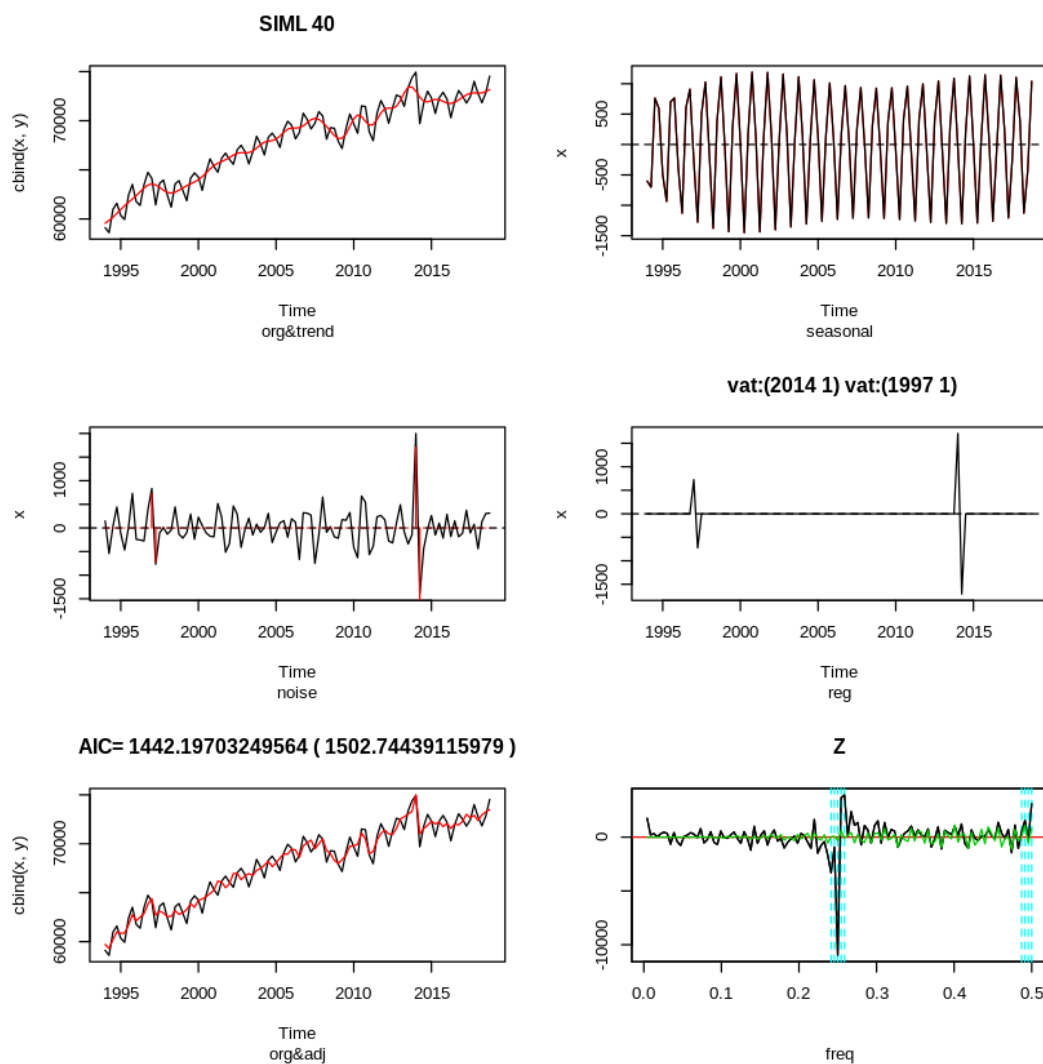
```
[1] "make mat"
      vat      vat
6481.018 1414.665
      vat      vat
```

1707.0046 724.8809  
Residual Standard Error=500.7721  
R-Square=0.2517  
F-statistic (df=2, 38)=6.3921  
p-value=0.004

	Estimate	Std.Err	t-value	Pr(> t )
vat	6481.018	1844.716	3.5133	0.0012
vat	1414.665	1714.464	0.8251	0.4144

Residual Standard Error=639.6484  
R-Square=0.2953  
F-statistic (df=2, 105)=22.0051  
p-value=0

	Estimate	Std.Err	t-value	Pr(> t )
vat	1707.0046	279.1154	6.1158	0.0000
vat	724.8809	282.7774	2.5634	0.0118



```

rp      rp
-1649.172 1954.881
rp      rp
-1060.731 1836.088
Residual Standard Error=508.1073
R-Square=0.1263
F-statistic (df=2, 38)=2.7471
p-value=0.0769

```

	Estimate	Std.Err	t-value	Pr(> t )
rp	-1649.172	935.7152	-1.7625	0.0860
rp	1954.881	1009.1918	1.9371	0.0602



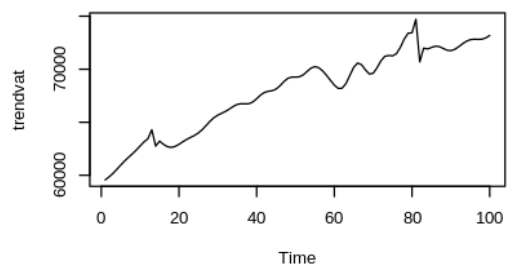
Residual Standard Error=627.6136

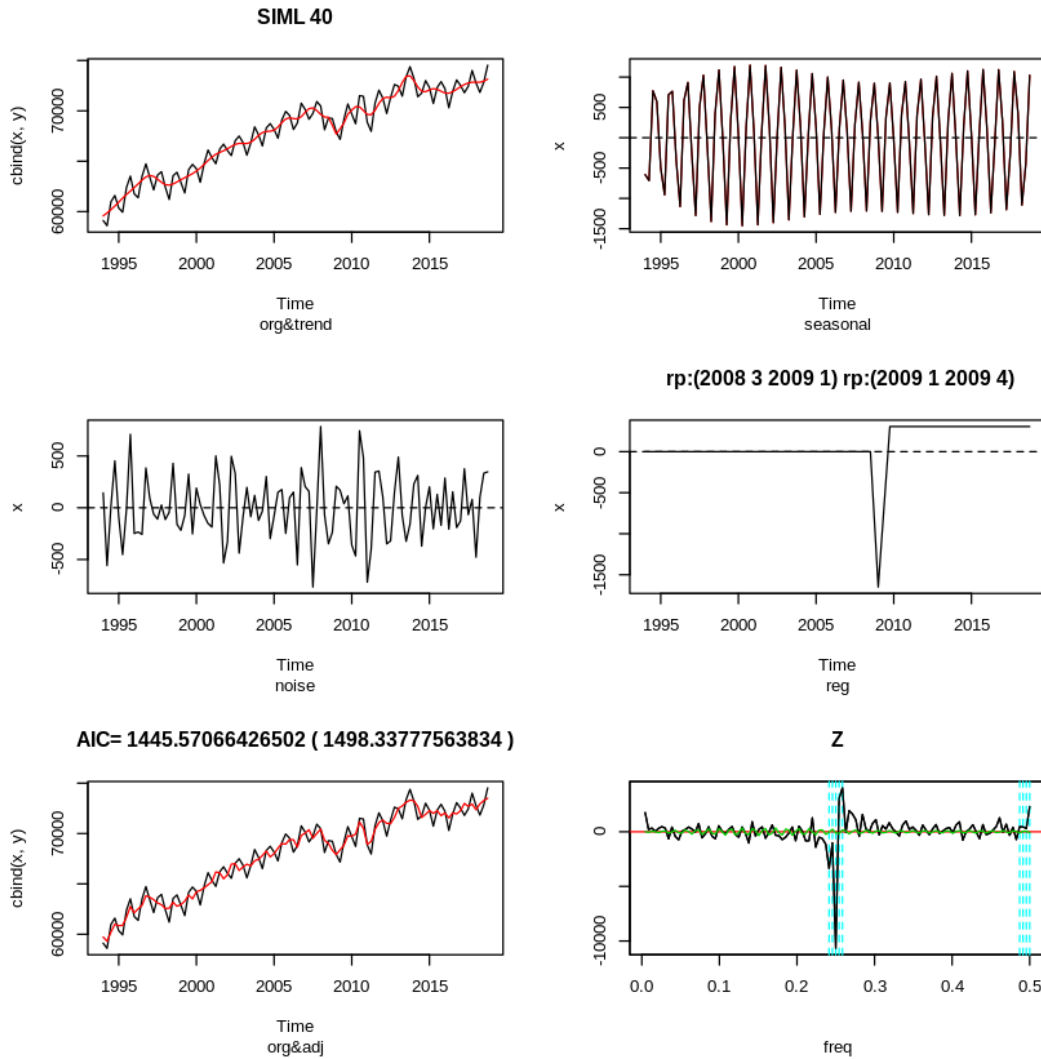
R-Square=0.0373

F-statistic (df=2, 105)=2.0327

p-value=0.1361

	Estimate	Std.Err	t-value	Pr(> t )
rp	-1060.731	906.6988	-1.1699	0.2447
rp	1836.088	1103.1782	1.6644	0.0990





```
[4] : #source("x12siml7m.R")
zz <- x12siml(shouhi,sorder=2,trend=40,frequency=4,start=c(1994,1),
             vatt=c(2014,1),#vatt=c(1997,1),
             # rp=c(2008,3,2009,1),rp=c(2009,1,2009,4)
             )
```

X

6410.93

X

1707.833

Residual Standard Error=498.7189

R-Square=0.2383

F-statistic (df=1, 39)=12.2032

p-value=0.0012

	Estimate	Std.Err	t-value	Pr(> t )
X	6410.93	1835.204	3.4933	0.0012

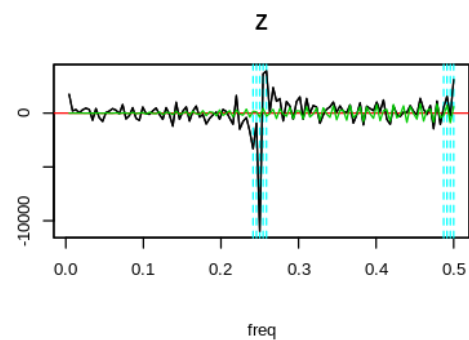
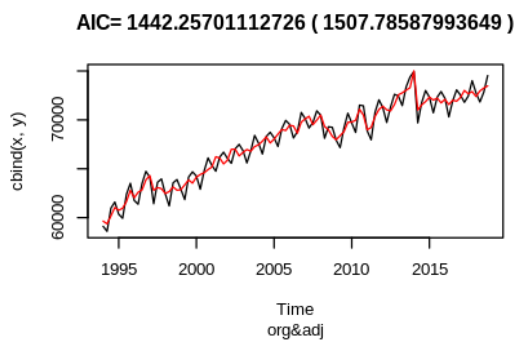
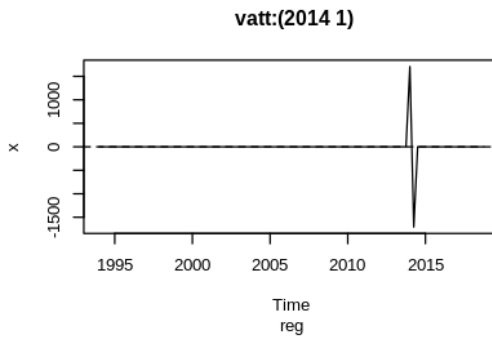
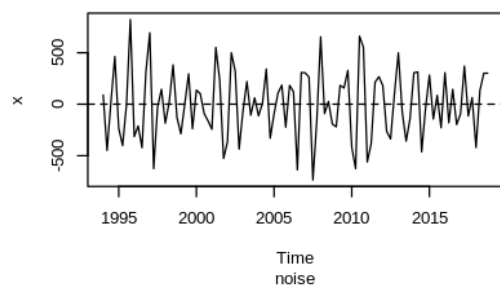
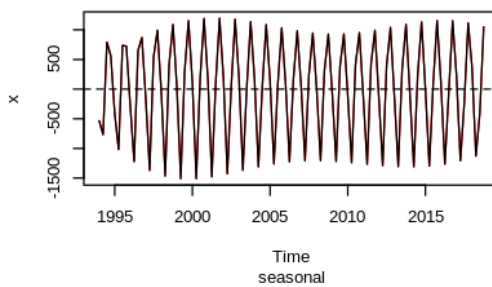
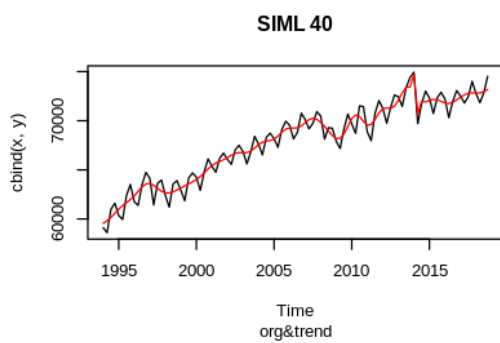
Residual Standard Error=656.2426

R-Square=0.2513

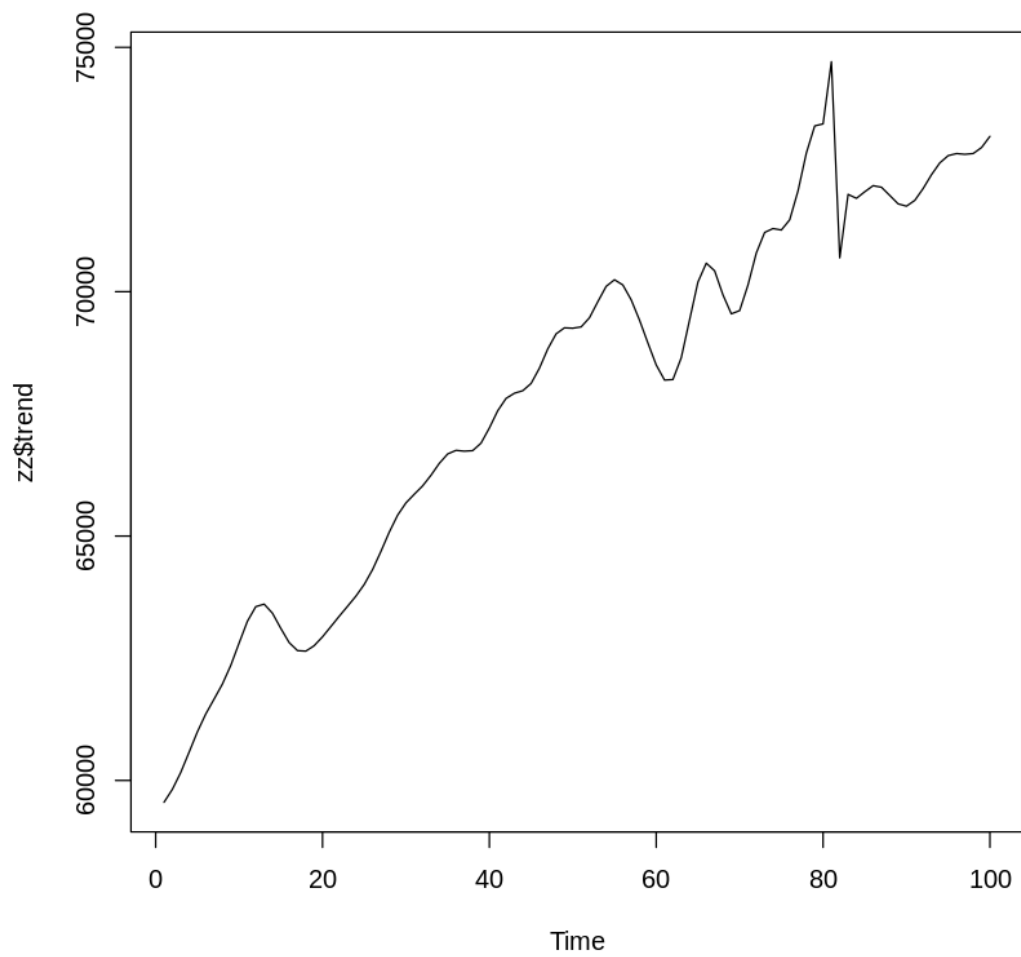
F-statistic (df=1, 106)=35.5695

p-value=0

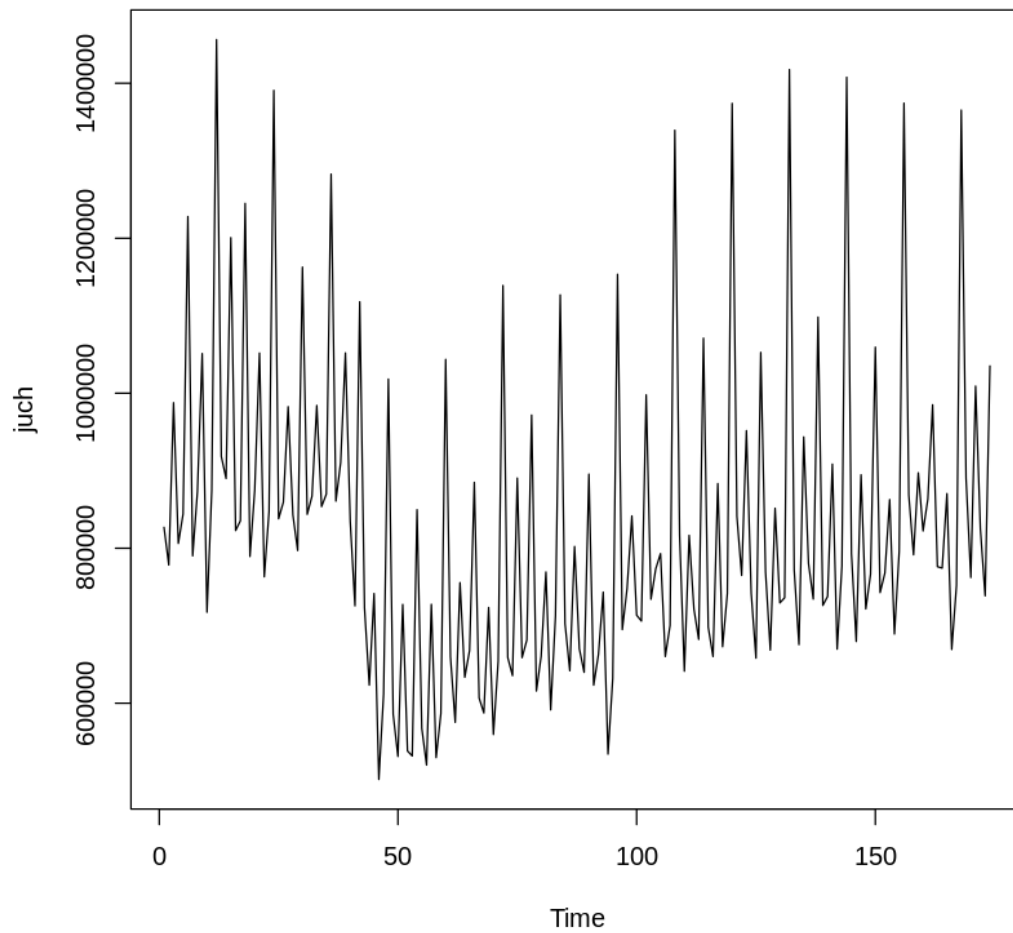
	Estimate	Std.Err	t-value	Pr(> t )
X	1707.833	286.3562	5.964	0



```
[5]: plot.ts(zz$trend)
```



```
[11]: juch <- read.csv("juchuuw.csv")[,1]  
plot.ts(juch)
```



```
[12]: #juch[40] <- juch[40]*1.3
      zz <- ☐
      ↪ outlier(juch,tt=c(2008,1,2009,10),ilog=T,start=c(2005,4),frequency=12,trend=18,sorder=3,

[1] "make mat"
      X
-0.1299419
      X
-0.09596938
[1] "-1552.08081898594" "-943.090978293566" "2008"
[4] "1"                  "2008"                  "2"
      X
-0.1522739
```

X  
-0.3235478  
[1] "-1558.82185151989" "-946.269588459274" "2008"  
[4] "1" "2008" "3"

X  
-0.1751104

X  
-0.2371553  
[1] "-1566.99742143887" "-943.827425459942" "2008"  
[4] "1" "2008" "4"

(中略)

X  
0.06665927

X  
-0.07261937

X  
0.1003971

X  
-0.04969224

X  
0.07624362

X  
-0.04833362

X  
0.03700928

X  
-0.02554626

X  
0.01324179

X  
-0.002374418

X  
-0.02469234

X  
-0.389145

X

-0.1977416

Residual Standard Error=0.0179

R-Square=0.6918

F-statistic (df=1, 17)=38.1612

p-value=0

	Estimate	Std.Err	t-value	Pr(> t )
X	-0.3891	0.063	-6.1775	0

Residual Standard Error=0.1186

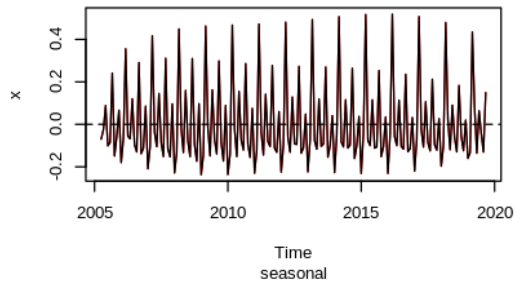
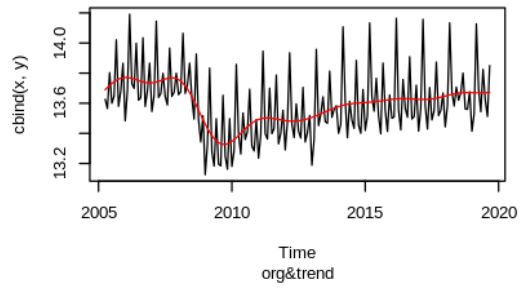
R-Square=0.0064

F-statistic (df=1, 181)=1.1697

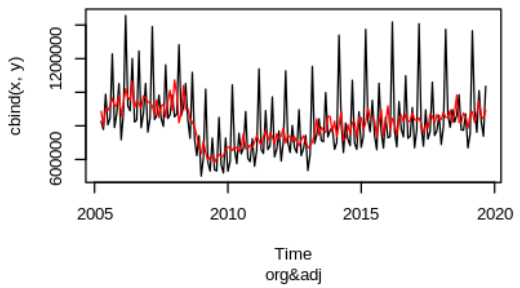
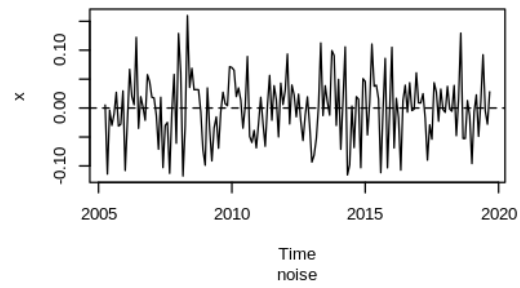
p-value=0.2809

	Estimate	Std.Err	t-value	Pr(> t )
X	-0.1977	0.1828	-1.0815	0.2809

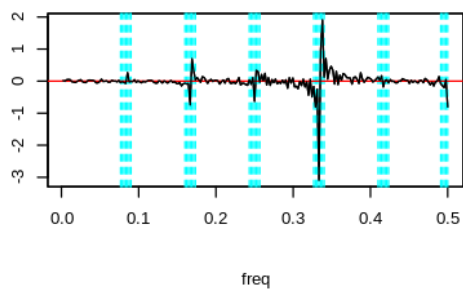
# SIML 18



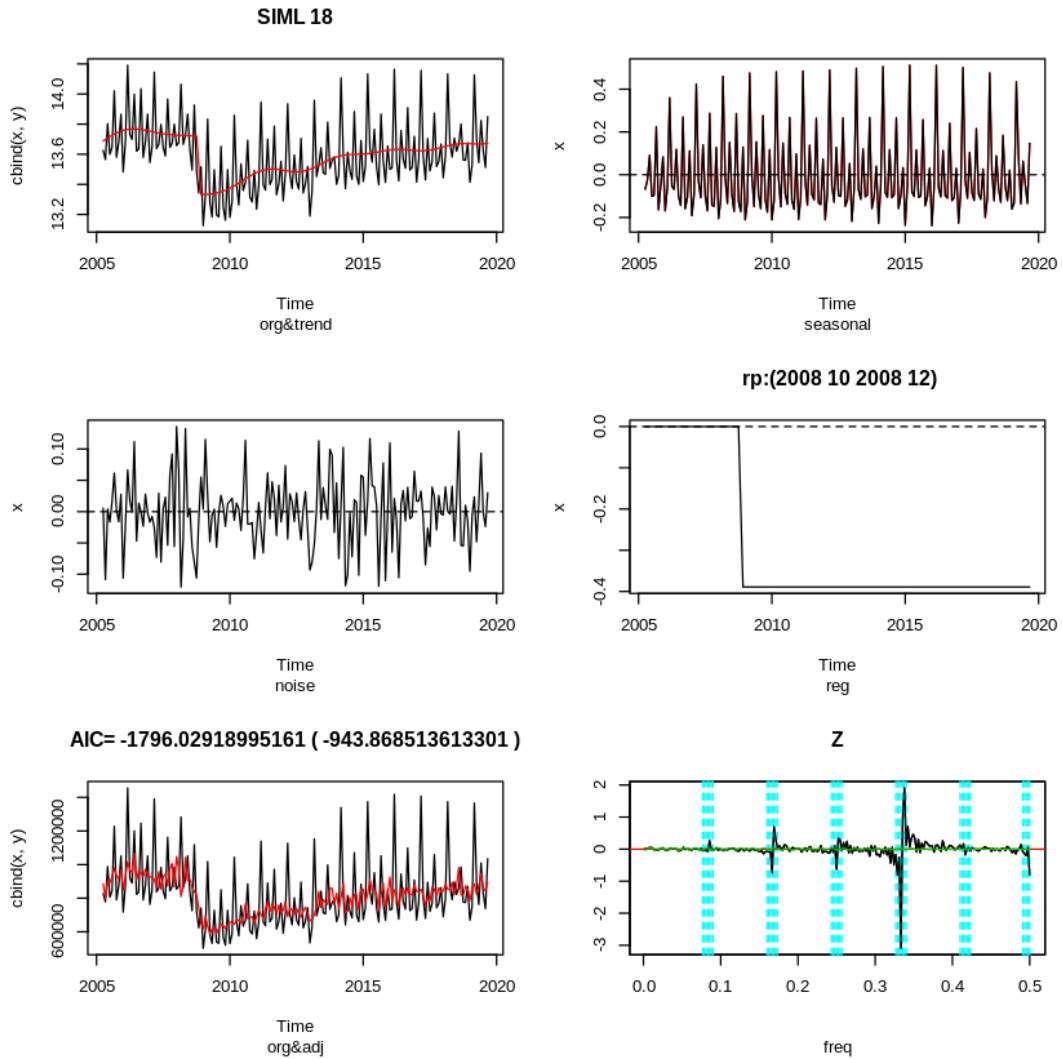
AIC= -1536.72490436904 ( -944.438483280165 )



## Z







[ ]:

```
[38]: x <- rnorm(100)
x2 <- rnorm(100)
y <- x+rnorm(100)
lsfit(cbind(x,x2)[1:15,],y[1:15],inter=F)$coef
x[16:100] <- 0
lsfit(cbind(x,x2),y,inter=F)$coef
```

x	1.08999511636473 x2	-0.216014865209377
x	1.09077684498083 x2	-0.04949255476582

```
[7]: zz <- x12siml(kakeim[,2],sorder=3,trend=25,frequency=12,start=c(2002,1),
                vat=c(2014,3),#vat=c(1997,1),
                rp=c(2008,12,2009,4),rp=c(2009,4,2009,12))
```

```
[1] "make mat"
```

```
      vat      rp      rp
11988.9364 -160.1981  676.9128
```

```
      vat      rp      rp
1059.58764 -30.28929  474.97769
```

```
Residual Standard Error=49.5741
```

```
R-Square=0.5755
```

```
F-statistic (df=3, 22)=9.94
```

```
p-value=2e-04
```

	Estimate	Std.Err	t-value	Pr(> t )
vat	11988.9364	3103.2146	3.8634	0.0008
rp	-160.1981	177.4699	-0.9027	0.3765
rp	676.9128	191.5743	3.5334	0.0019

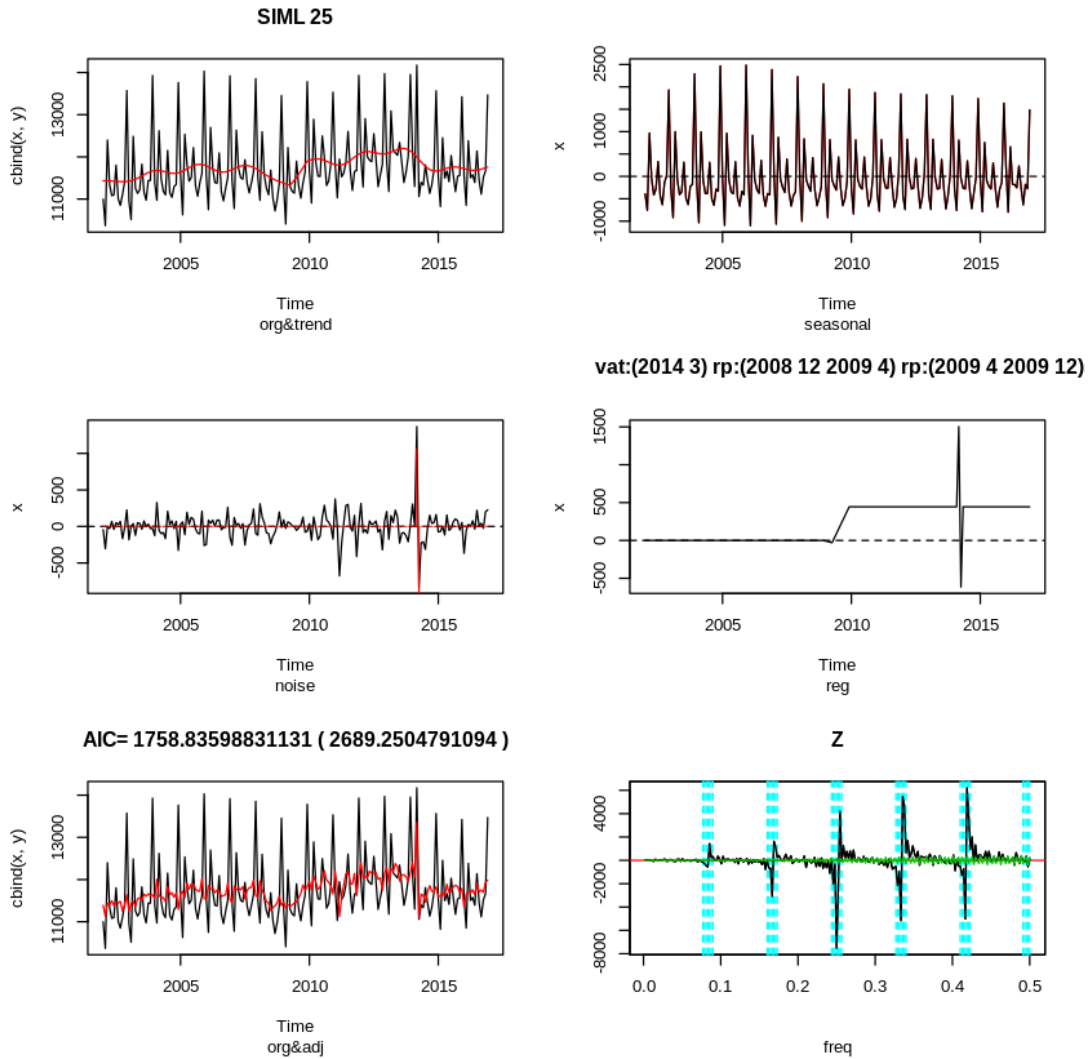
```
Residual Standard Error=360.6754
```

```
R-Square=0.1838
```

```
F-statistic (df=3, 185)=13.885
```

```
p-value=0
```

	Estimate	Std.Err	t-value	Pr(> t )
vat	1059.5876	164.5208	6.4404	0.0000
rp	-30.2893	770.0244	-0.0393	0.9687
rp	474.9777	1055.2663	0.4501	0.6532

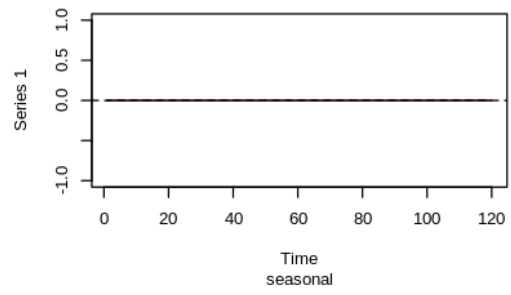
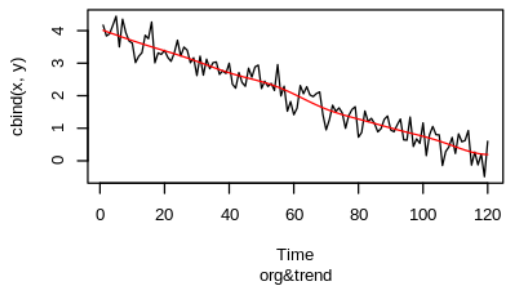


```
[8]: y <- (120:1)/30+rnorm(120)/3
z1 <- x12siml(y,trend=10,sorder=0,start=c(1,1),frequency=1)
y[80] <- y[80]+3
#y[31] <- y[31]-3

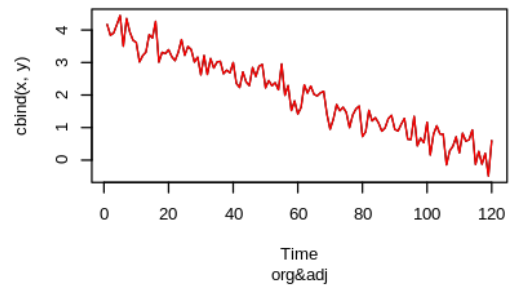
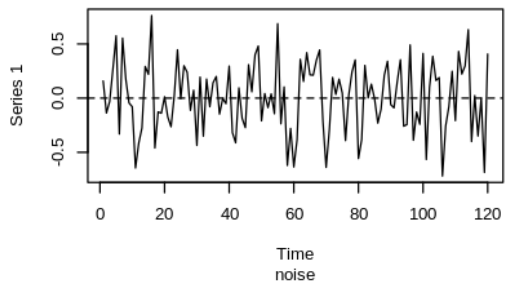
z2 <- x12siml(y,trend=10,sorder=0,start=c(1,1),frequency=1) #,aot=c(80,1))
plot.ts((z1$trend-z2$trend)[- (80)])
```

```
[1] "make mat"
```

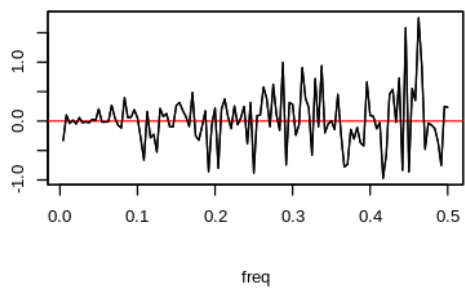
### SIML 10

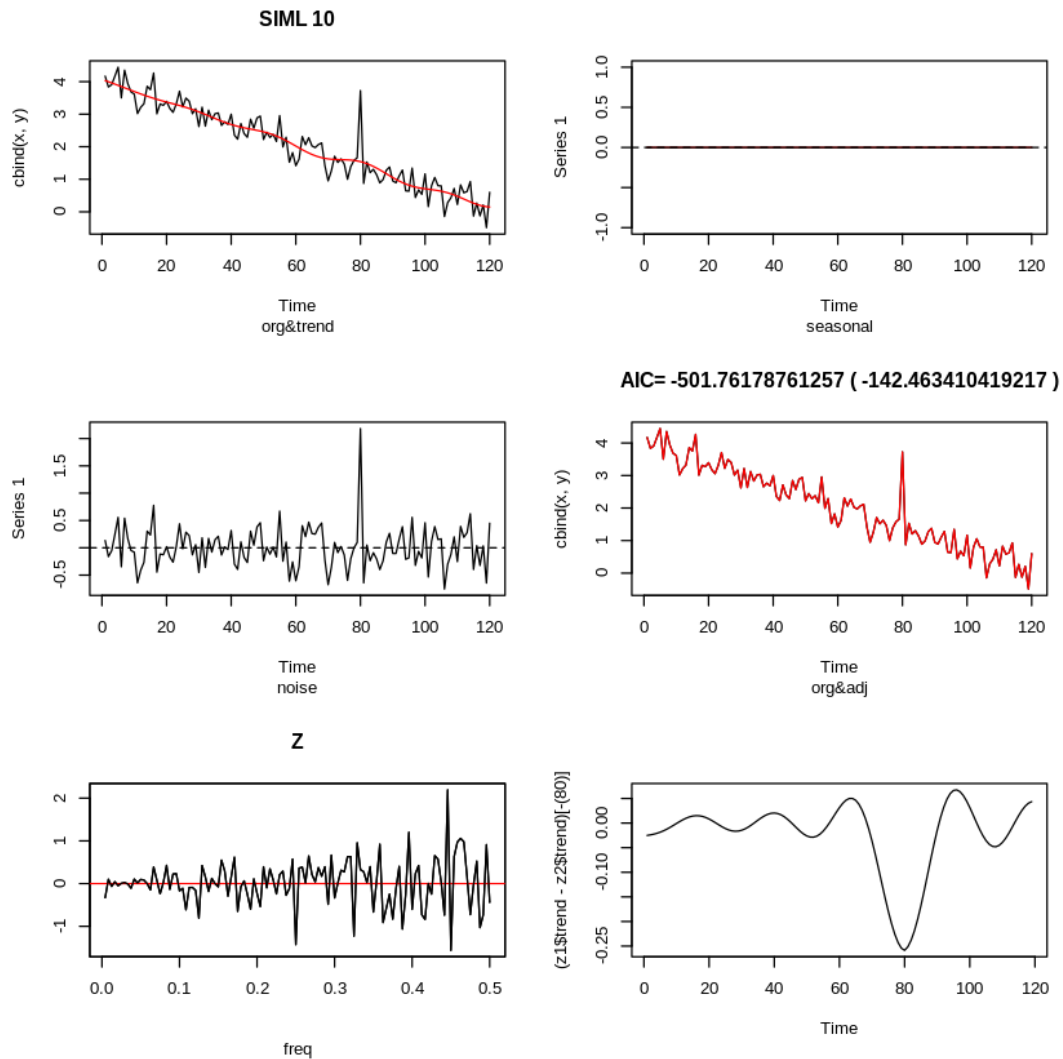


AIC= -519.52262021067 ( -188.578531400702 )



### Z





```
[9]: shouhi3 <- shouhi2
shouhi3[99] <- shouhi3[99]*1.1

# Without seasonals, regress all Z
%(季節性をなしにして、Z全体に回帰させる場合)

zz2 <- x12siml(shouhi3,sorder=0,trend=40,frequency=4,start=c(1994,1) ,
#      rp=c(2008,3,2009,1),rp=c(2009,1,2009,4),
      aot=c(2018,3)
)
shouhi3[80]-shouhi2[80]
```

```
# The estimated value may be larger than the actual outlier.  
(about 1000.)  
%(実際の異常値よりも大きい値が推定されてしまう。(1000ぐらい大きい))
```

```
[1] "make mat"
```

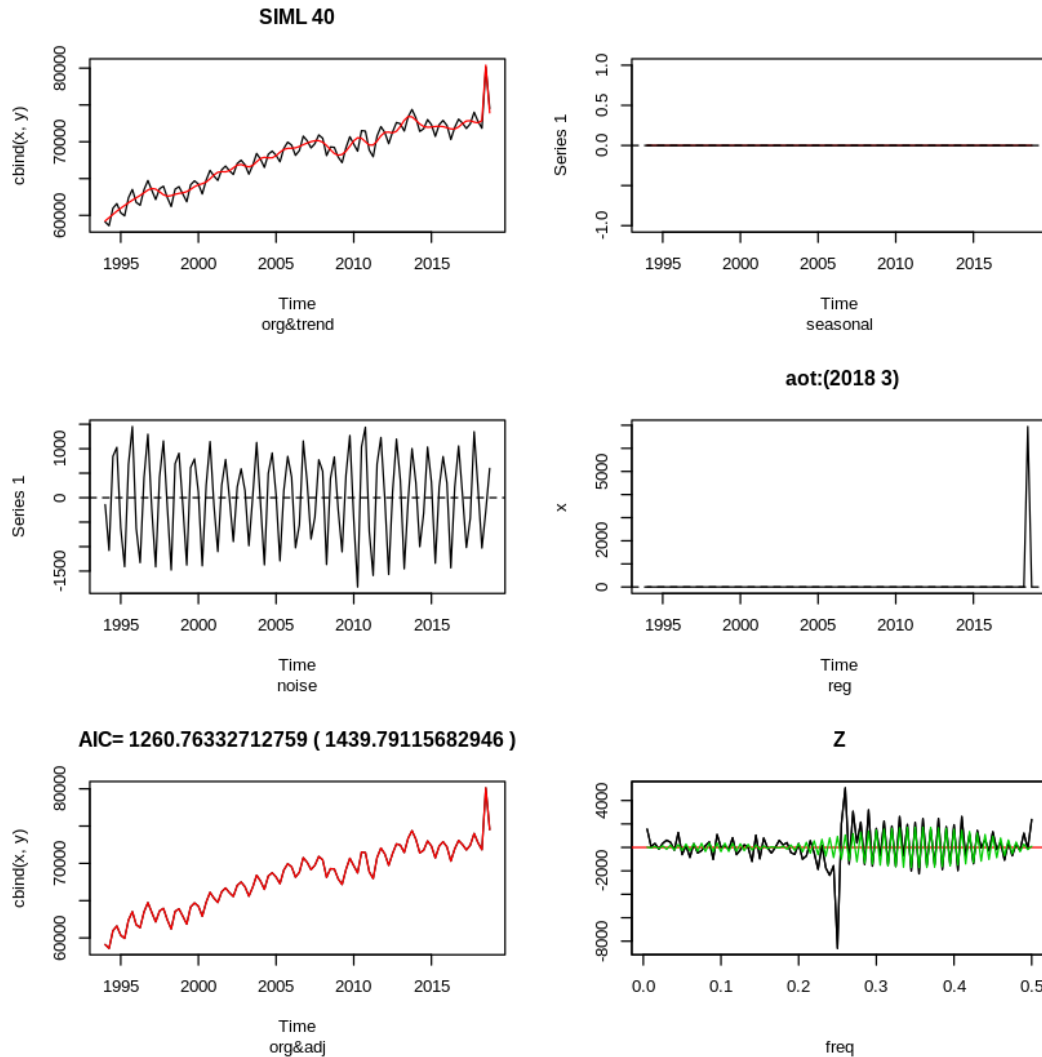
```
      X  
9033.126  
      X  
6943.179  
Residual Standard Error=542.656  
R-Square=0.2676  
F-statistic (df=1, 39)=14.2473  
p-value=5e-04
```

```
      Estimate Std.Err t-value Pr(>|t|)  
X 9033.126 2393.157  3.7746    5e-04
```

```
Residual Standard Error=1318.145  
R-Square=0.3592  
F-statistic (df=1, 99)=55.4909  
p-value=0
```

```
      Estimate Std.Err t-value Pr(>|t|)  
X 6943.179 932.0679  7.4492      0
```

```
0
```



```
[10]: shouhi3 <- shouhi2
shouhi3[80] <- shouhi3[80]*1.1
zz2 <- x12siml(shouhi3,sorder=2,trend=40,frequency=4,start=c(1994,1) ,
#       rp=c(2008,3,2009,1),rp=c(2009,1,2009,4),
#       aot=c(2013,4)
#       )
# Assuming seasonals and regress except the seasonal
# frequency bonds, we can estimate the true value.
#(季節性を仮定して、季節周波数以外で回帰すると、正しい値を推定することができる。)
```

```
[1] "make mat"
```

```
X
```

11454.64

X

7572.638

Residual Standard Error=488.4421

R-Square=0.6272

F-statistic (df=1, 39)=65.6134

p-value=0

	Estimate	Std.Err	t-value	Pr(> t )
X	11454.64	1414.116	8.1002	0

Residual Standard Error=636.3842

R-Square=0.7052

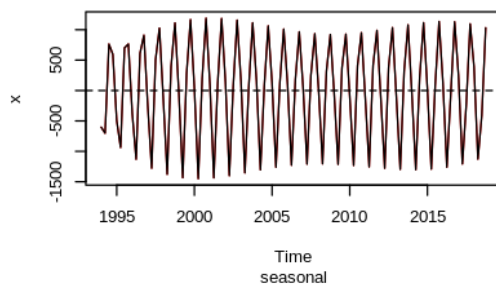
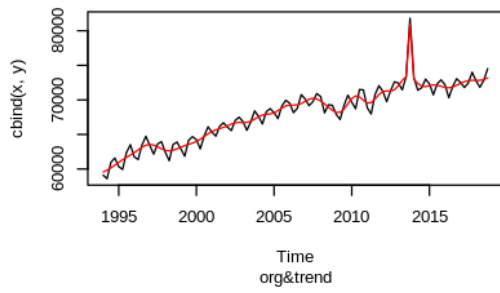
F-statistic (df=1, 106)=253.5785

p-value=0

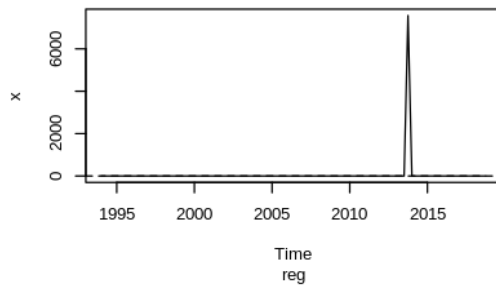
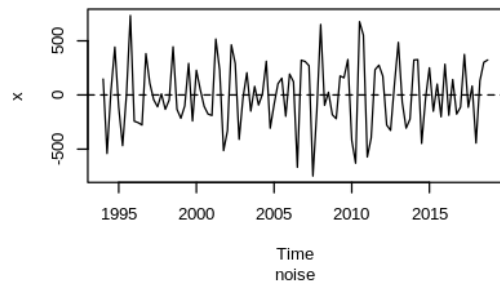
	Estimate	Std.Err	t-value	Pr(> t )
X	7572.638	475.5443	15.9241	0



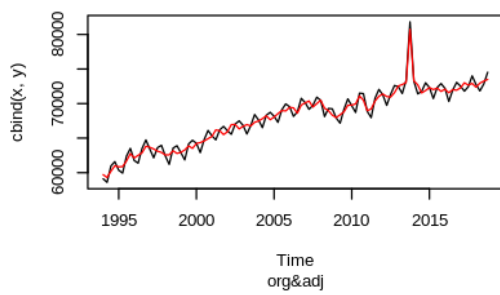
**SIML 40**



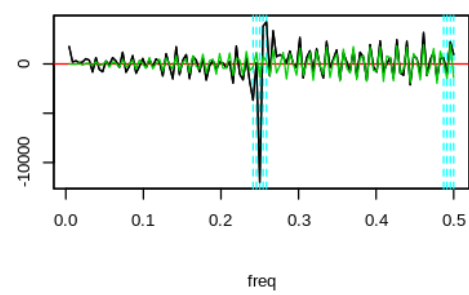
**aot:(2013 4)**



**AIC= 1437.42640491071 ( 1500.65696358615 )**



**Z**



[ ]: