

# Programming Languages (2)

## Essence of Object-Oriented Programming

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# Classes and objects

- ▶ a *class*  $\approx$  a data type definition + functions (*methods*) for it
- ▶ an *object* is a data instance created from a class definition

```
1 # define a class named rect
2 class rect:
3     def __init__(self, x, y, width, height):
4         self.x = x
5         self.y = y
6         self.width = width
7         self.height = height
8
9 r = rect(10,20,30,40) # create an instance (or an object) of rect
```

# Methods

- ▶  $\approx$  functions
- ▶ unlike ordinary functions, a method of the same name can be defined for multiple classes (i.e., implemented differently)

```
1 class rect:
2     ...
3     # define a method named area
4     def area(self):
5         return self.width * self.height
6
7 class ellipse:
8     ...
9     # define another method named area
10    def area(self):
11        return self.radius * self.radius * math.pi
12
```

# Dynamic dispatch

- ▶ when you call a method, which method gets called among many implementations is determined by the class argument(s) belong to

```
1 # shapes may have both rect and ellipse instances
2 for s in shapes:
3     ... s.area() ...
```

# Language design points

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- ▶ in a code like the above, a variable **s** may take a value of different classes (types) over time (*polymorphism*)
- ▶ for languages that require type declarations, *how to declare/specify the type of s or shapes?*
- ▶ *does Go/Julia/OCaml/Rust require type declarations?*

# Language design points

```
1 # shapes may have both rect and ellipse instances
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- ▶ more fundamentally, how can we guarantee, prior to execution, that *type errors ( $\approx$  application of non-existing methods) do not happen at runtime?*
- ▶ such property is called *type safety*
- ▶ an algorithm that checks type safety prior to execution is often called *static type checking*
- ▶ *does Go/Julia/OCaml/Rust guarantee type safety?*

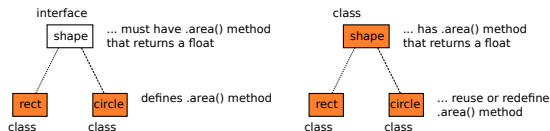
# Different approaches

- ▶ forgo static type checking and thus type safety (e.g., Python, javascript, Lisp, Smalltalk, ...)
- ▶ disallow polymorphism altogether and make it (trivially) type-safe (e.g., Pascal)
- ▶ do some (loose) static type checking but allow polymorphism via unsafe casts between pointers (e.g., C/C++)
- ▶ allow polymorphism yet guarantee type safety via *subtypes*
  - ▶  *$C$  is a subtype of  $P$  ( $C \leq P$ )*  $\equiv$  a value of  $C$  can be safely used wherever  $P$  is expected
  - ▶ allow  $P \leftarrow C$  (assign a variable of type  $P$  a value of type  $C$ )

# Different approaches to subtyping

## ► *subclass* vs. *interface*

- a *subclass* that *inherits, extends or derives* from an existing class to make a subtype
- an *interface* (or *trait, abstract class, etc.*) and a (*concrete*) *class* that *implements or conforms* to it



## ► *nominal (explicit)* vs. *structural* subtyping

- **nominal** : subtype relation admitted only when so declared
- **structural** : subtype relation admitted whenever appropriate (based on the structure)



# How/if they guarantee type safety?

- ▶ following slides briefly explain how Go/Rust/OCaml guarantee *type safety*
- ▶ *type safety*  $\equiv$  “no such methods” error never happens at runtime  $\equiv$  when a program containing  $o.m(\dots)$  passes static type check,  $o$  always has method  $m$  at runtime
- ▶ recall that this is not the case for some languages (including Python, Julia, C++, etc.)

# A common framework

- ▶ we (i.e., static type checker) like to guarantee that,
  - ▶ for any expression  $E$  whose *static type* is  $S$ ,
  - ▶ any value  $E$  could take at runtime can be *safely put* in anywhere  $S$  is expected ( $\approx$  any such value implements all the methods  $S$  specifies)
- ▶ for which we have to guarantee that, for any *assignment-like operations*  $o = p$ , any value  $p$  could take at runtime can be *safely put* in anywhere  $S$  is expected
- ▶ we want to check it by comparing  $p$ 's static type ( $T$ ) and  $o$ 's static type ( $S$ )
- ▶ this is precisely what we like to capture by *subtype* relationship ( $T \leq S$ )

# Note: assignment-like operations

- ▶ = any operation in which a value is stored to a location of potentially different static type
  - ▶ assignment to a variable/structure/array element
  - ▶ function calls (passing values to parameters)
  - ▶ function return (returning a value)

# Subtype relationship

- ▶  $T$  is a subtype of  $S$  ( $T \leq S$ )
- ▶  $\approx$  any value of  $T$  can be safely put anywhere  $S$  is expected
- ▶  $\approx T$  has all methods  $S$  has
- ▶ (this is not exactly correct, but suffices for now)

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  3. when each of  $S$  and  $T$  is an object type ( $S = \langle m_0 : t_0, \dots \rangle$ ,  $T = \langle m'_0 : t'_0, \dots \rangle$ ), then
    - ▶  $\{m_0, \dots\} \subset \{m'_0, \dots\}$  and
    - ▶ for each  $m_i = m'_j$ ,  $t'_j \leq t_i$