

1. Sam is given a rectangular paper having dimensions  $h \times w$ , where  $h$  is the height and  $w$  is the width. Sam wants to fold the paper so its dimensions are  $h_1 \times w_1$  in the minimum number of moves. The paper can only be folded parallel to its edges and after folding, the dimensions should be integers.

For example, given  $h=8$  and  $w=4$ , fold the paper until it is  $h_1, w_1 = 6, 1$ . First fold along the long edge 6 units from a side, resulting in a paper that is  $6 \times 4$ . Next, fold along the width 2 units from the 4 unit edge to have  $6 \times 2$ . Fold along the center of the 2 unit edge to achieve a  $6 \times 1$  page in three folds

Min Moves has following parameters :

$h$  : an integer that denotes the initial height

$w$  : an integer that denotes the initial width

$h_1$  : an integer that denotes the final height

$w_1$  : an integer that denotes the final width

### Constraints

$$1 \leq h, w, h_1, w_1 \leq 10^{15}$$

$$h_1 \leq h$$

$$w_1 \leq w$$

### Sample Input 0

2

3

2

2

## Sample Output

1

2. Charlie wants to divide a big piece of waffle which is made up of  $m \times n$  square pieces. Each piece is of size  $1 \times 1$ . The shape of waffle is a rectangle of dimension  $m \times n$ . However, Charlie can break the waffle either horizontally or vertically, along the lines such that the square pieces are not destroyed.

Each break along a line has a certain cost associated with it. The cost is only dependent on the line along which the waffle is being broken, and not on its length.

The total cost is obtained by summing up the costs of all the breaks.

Given the cost associated with each line, Charlie wants to know the minimum cost of breaking the waffle into single square pieces.

## Input

First line contains two integers  $m$  and  $n$  denoting the number of rows and columns respectively.

This is followed by  $m-1$ , each line contains an integer denoting the cost of breaking a waffle along a horizontal line.

This is followed by  $n-1$ , each line contains an integer denoting the cost of breaking a waffle along a vertical line.

## Output

Output should be a single line integer denoting the minimum cost to break the waffle into single square pieces.

## Constraints

$$1 \leq n \leq 10^5$$

$$1 \leq m \leq 10^5$$

## Sample Input

2 2

3

4

### **Sample Output**

10

3. If you have ever looked at an assembly language dump of an executable file, you know that commands come in the form of hexadecimal digits that are grouped by the processor into instructions. It is important that parsing can be done correctly or code will not be executed as expected. Wrong Parsing is the basis for Return Oriented Programming.

You have developed a program in a new scripting language. Of course, it requires accurate parsing in order to perform as expected, and it is very cryptic. You want to determine how many valid commands can be made out of your lines of script. To do this, you count all of the substrings that make up a valid command. Each of the valid commands will be in the following format :

1. First letter is a lowercase English letter
2. Next, it contains a sequence of zero or more of the following characters : lowercase English letters, digits, and colons.
3. Next, it contains a forward slash '/'.
4. Next, it contains a sequence of one or more of the following characters : lowercase English letters, digits.
5. Next, it contains a backward slash '\'.
6. Next, it contains a sequence of one or more lowercase English letter.

Given some string  $s$ , we define the following :

$s[i...j]$  is a substring containing of all the characters in the inclusive range between  $i$  and  $j$ .

For example, your command line is `abc:/b1c\xy`. Valid command substrings are :

`abc:/b1c\xy`

`bc:/b1c\xy`

`c:/b1c\xy`

`abc:/b1c\x`

`bc:/b1c\x`

`c:/b1c\x`

There are six valid commands that may be parsed from that one command string.

### **Sample Input 0**

6

`w\\V/a/b`

`w\\V/a\b`

`w\\V/a\b`

`w:://a\b`

`w::/a\b`

`w:/a\bc::/12\xyz`

### **Sample Output**

0

0

0

0

1

8

4. You are given a string that is formed from only three characters 'a', 'b', 'c'. You are allowed to change at most 'k' characters in the given string while attempting to optimize the uniformity index.

Note : The uniformity index of a string is defined by the maximum length of the substring that contains same character in it.

### Input

The first line of input contains two integers **n** (the size of string) and **k**. The next line contains a string of length **n**.

### Output

A single integer denoting the maximum uniformity index that can be achieved

### Constraints

$1 \leq n \leq 10^6$

$0 \leq k \leq n$

String contains only 'a', 'b', 'c'.

### Sample Input 0

6 3

abaccc

### Sample Output 0

6

## Explanation

First 3 letters can be changed to 'c' and we can get the string 'ccccc'

5. An olive oil seller needs to measure oil for customers using only one type of flask. There are many flasks available, each with marking at various levels. Each customer must receive a flask filled to a mark that is at least equal to the amount ordered. Given a list of customer requirements and a list of flasks with their measurements, determine the single type of flask that will result in the minimal loss to the merchant. Loss is the sum of marking – requirement for each order. Return the zero-based index of the flask type chosen. If there are multiple answers, return the minimum index. If no flask will satisfy the constraints, return -1.

For example, there are  $n=4$  orders for requirements = [4, 6, 6, 7] units of oil. There are  $m=3$  types of flask available with markings = ["3 5 7", "6 8 9", "3 5 6"]. These markings are given as 2D array with total\_marks rows and 2 columns, first is the index of flask and second the mark. To fill the orders using the flask at markings[0] = [3,5,7], the loss is calculated as marking requirement for each order so,  $5-4=1$ ,  $7-6=1$  and  $7-7=0$ . The total loss then is  $1+1+1+0=3$ . Choosing the flask at markings[1], the loss is  $6-4=2$ ,  $6-6=0$ ,  $8-7=1 \rightarrow 2+0+0+1=3$ . The third flask has a maximum mark at 6 which is smaller than the largest order, so it cannot be used. In this case, flask type 0 is chosen.

**Note !** The markings 2d array will be given in order of the flasks, i.e the markings for the 0-index flask will be followed by markings of 1-index flask and so on. For each flask, the given markings will also be in the sorted order.

## Constraints

$$1 \leq n \leq 100$$

$$-1 \leq \text{mat}[i][j] \leq 1$$

## Sample Input 0

2

4

6

2

5

2

0 5

0 7

0 10

1 4

1 10

**Sample Output 0 :**

0

6. In Hackerland every character has a weight. The weight of an English uppercase alphabet A-Z is given below :

$$A = 1$$

$$B = 2 * A + A$$

$$C = 3 * B + B$$

$$D = 4 * C + C$$

....

$$Z = 26 * Y + Y$$

The weight made up of these characters is the summation of weights of each character. Given a total string weight, determine shortest string of given weight. If there is more than one solution, return the lexicographically smallest of them. For example, given weight = 25, and the weights of the first few characters of the alphabets are A=1, B=3, C=12, D=60 it is certain that no letter

larger than C is required. Some of the strings with a total weight equal to the target are ABBBBBC, ACC, AAAAAAABBBBBB. The shortest of these is ACC. While any permutation of these characters will have same weight, this is the lexicographically smallest of them.

### **Example**

#### **Input**

20

#### **Output**

AABBC

7. Dia, Sam, and Robert are the three students of a same class. You know their marks in 'N' subjects. Your job is to find their ranks according to their score.

#### **Input**

N, integer denoting number of subjects.

3 array of integers, denoting marks of Dia, Sam and Robert respectively in N subjects.

#### **Output**

Ranks

### **Example**

#### **Input**

3

23 34 23

32 53 23

55 22 67

#### **Output**

3 2 1



8. Given a string, count all distinct substrings of the given string.

Example

Input

abcd

Output

10

All Elements are Distinct

Input

aaa

Output

6

9.

Given a tree with  $N$  nodes we are required to separate a connected component with exactly  $k$  nodes. You are given queries specifying this  $k$ . We need to find the minimum edges to be removed for each query.

**Input**

First line specifies  $N$ .

Next  $N-1$  lines specify edges.

Next line shows  $Q$ (number of queries).

Subsequent  $Q$  lines contain  $k$  for each query.

**Constraint**

$N \leq 3000$

$Q \leq 3000$

$K \leq N$

### Example

#### Input

5  
1 2  
1 3  
1 4  
1 5  
3  
1  
2  
4

#### Output

1  
3  
1

10. Consider an array A. Your job is to find longest subarray in which elements greater than x are more than elements not greater than x

#### Input

1. size of array , x
2. Array elements

### Example

#### Input

5 5  
4 5 7 8 3

#### Output

3

#### Explanation

Subarray formed : [5,7,8]

11. Find the total number of ways a  $m \times n$  board can be painted using 3 colors while making sure no cells of the same row or the same column have entirely the same color. The answer must be computed modulo  $10^9+7$ .

Input

Two integers – m, n respectively

**Example**

**Input**

3 2

**Output**

174

12. A rotation on a string is defined as removing first element and concatenating it at the end.

Given N and an array of N strings.

Your job is to predict the minimum no. of rotations on the strings so as to make all the strings equal.

If this is not possible return -1

**Example**

**Input**

4  
11234  
34112  
41123  
11234

**Output**

3

13.

Given an integer N

$N \leq 10^{50}$

Output the no. of pairs (x,y) such that

$0 \leq x \leq n$

$0 \leq y \leq n$

$F(x) + F(y) = \text{Prime number}$

$F(x) = \text{sum of digits of } x$

**Note :** (x,y) and (y,x) are to be treated as same pair

**Example**

**Input**

3

**Output**

5

**Explanation**

5 pairs (0,2), (1,1), (0,3), (2,3), (1,2) give prime no.s

14. Given L , R (  $1 \leq L, R \leq 1000000000000000000$  ) . Count the numbers in [L,R] such that each number satisfies two properties :

1. The total count of odd digits are even

2. The total count of even digits are odd

Note – Do not consider zero in MSB position

### **Testcase**

#### **Input**

1 9

#### **Output**

4

#### **Explanation**

The numbers that satisfy both the properties are 2,4,6,8 . In each of these numbers , the count of odd digits are even (i.e 0 ) and count of even digits are odd (i.e 1 ).

15. Given an integer(n) denoting the no. of particles initially and array of sizes of these particles.

These particles can go into any number of simulations (possibly none).

In one simulation, two particles combine to give another particle with size as the difference between the size of them (possibly 0).

Find the smallest particle that can be formed.

### **Constraints**

$n \leq 1000$

$size \leq 10^9$

### **Example 1**

#### **Input**

3

30 10 8

**Output**

2

**Explanation**

10 – 8 is the smallest we can achieve.

**Example 2****Input**

4  
1 2 4 8

**Output**

1

**Explanation**

We cannot make another 1 so as to get 0 so smallest without any simulation is 1

**Example 3****Input**

5  
30 27 26 10 6

**Output**

0

16.

Sam and Alex are playing a new game where there are number of piles, each with any number of stones in it. Players take turns removing stones from any one pile.

The number removed has to be either an integer multiple of a given number,  $k$ , where  $k > 0$ .

If there are fewer than  $k$  stones in a pile, any number can be removed.  
Determine who wins the game.

Sam always starts, they both play optimally, and the last player to remove a stone wins. If Sam wins, return " Sam wins the game of  $n$  pile(s). ", where  $n$  is the number of piles in the input. If Alex wins, return " Alex wins the game of  $n$  pile(s). ".

For example, a game starts with  $n = 3$  piles of stones that contain piles = [3, 5, 7] stones, and a constant  $k = 2$ . Sam will go first and remove  $1 * k = 1 * 2$  stones from the third pile leaving  $7 - 2 = 5$  stones in that pile.

Player Removes Result Start [3, 5, 7] Sam 2 [3, 5, 5] Alex 2 [3, 3, 5] Sam 2 [3, 3, 3] Alex 2 [1, 3, 3] Sam 2 [1, 1, 3] Alex 2 [1, 1, 1] Sam 1 [0, 1, 1] Alex 1 [0, 0, 1] Sam 1 [0, 0, 0]

In this case, Sam wins so " Sam wins the game of 3 pile(s). " is returned.

### Function Description

Complete the function **gameOfPiles** in the editor below. The function must return a string that denotes the result of the game.

**gameOfPiles** has the following parameters:

1. piles[piles[0], piles[1],...piles[n-1]] : an array of integers, each piles[i] (where  $0 \leq i < n$ ) represents the number of stones in the  $i$ -th pile.
2. k: an integer

### Constraints

$$1 \leq n \leq 105$$
$$1 \leq \text{piles}[i] \leq 1000$$
$$1 \leq k \leq 1000$$

Input Format For Custom Testing Sample Case 0

### Sample Input For Custom Testing

2 2 2 1

### Sample Output

Alex wins the game of 2 pile(s).

### Explanation

There are multiple optimal scenarios for this game. Here is a scenario as an example where  $k = 1$  .

Sam first removes 1 stone from the first pile, the configuration becomes  $[1, 2]$  .

Alex then removes 1 stone from the second pile, the configuration becomes  $[1, 1]$  .

Sam then removes 1 stone from the first pile, the configuration becomes  $[0, 1]$  .

At last, Alex removes 1 stone from the second pile, the configuration becomes  $[0, 0]$  .  
Alex makes the last move so Alex wins.