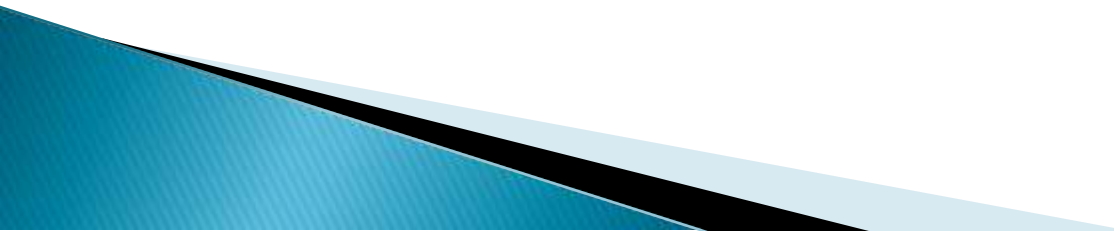


# BUCK-BOOST CURRENT MODE CONTROL CONVERTER

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# OBJECTIVES:

- ▶ 1. SIMULATE A CLOSED LOOP BUCK-BOOST CONVERTER WITH CURRENT MODE CONTROL.
  - ▶ 2.OBTAIN THE BODE PLOT BEFORE AND AFTER THE CONTROLLER DESIGN AND SHOW THAT A PHASE MARGIN OF 40 DEGREE IS ACHIEVED.
  - ▶ 3.DRAW THE NYQUIST PLOT OF OPEN LOOP GAIN AND CONFIRM THE SAME AS IN 2.
  - ▶ 4. DRAW THE ROOT LOCUS OF THE INDUCTOR SERIES RESISTANCE VARIATION AND SHOW THE LIMITS OF THE INDUCTOR SERIES RESISTANCE VARIATION FOR STABLE OPERATION.
- 

# PARAMETERS USED

- ▶  $V_{dc}=24v$
- ▶  $V_o=30v(1et)$
- ▶ Duty cycle=0.55
- ▶  $L=10mH$
- ▶  $C=480microF$
- ▶  $R=3.2ohm$
- ▶  $F=37khz$
- ▶  $V_o=(D/1-D)*V_{dc}$
- ▶  $I_o=V_o/R=9.375Amp$
- ▶ Ripple current<1%
- ▶ Ripple voltage=1%
- ▶ Inductor current =20.833A

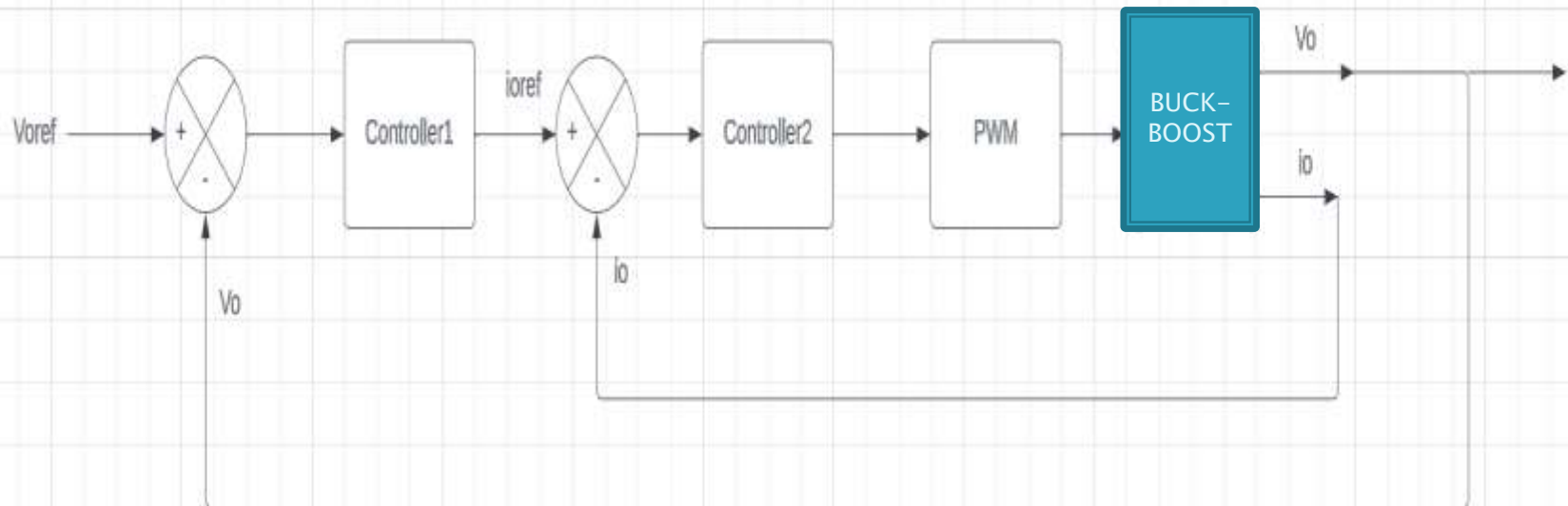
IEEE Reference:– Sliding mode control of PV powered DC/DC Buck–Boost converter with digital signal processor

By Mustafa Ergin ŞAHİN<sup>1</sup> , Halil İbrahim OKUMUŞ<sup>2</sup> , and Hakan KAHVECİ<sup>2 1</sup>  
Department of Electrical and Electronics Engineering, RTE University 53100, Rize,  
TURKEY.

## ► OBJECTIVE- 1

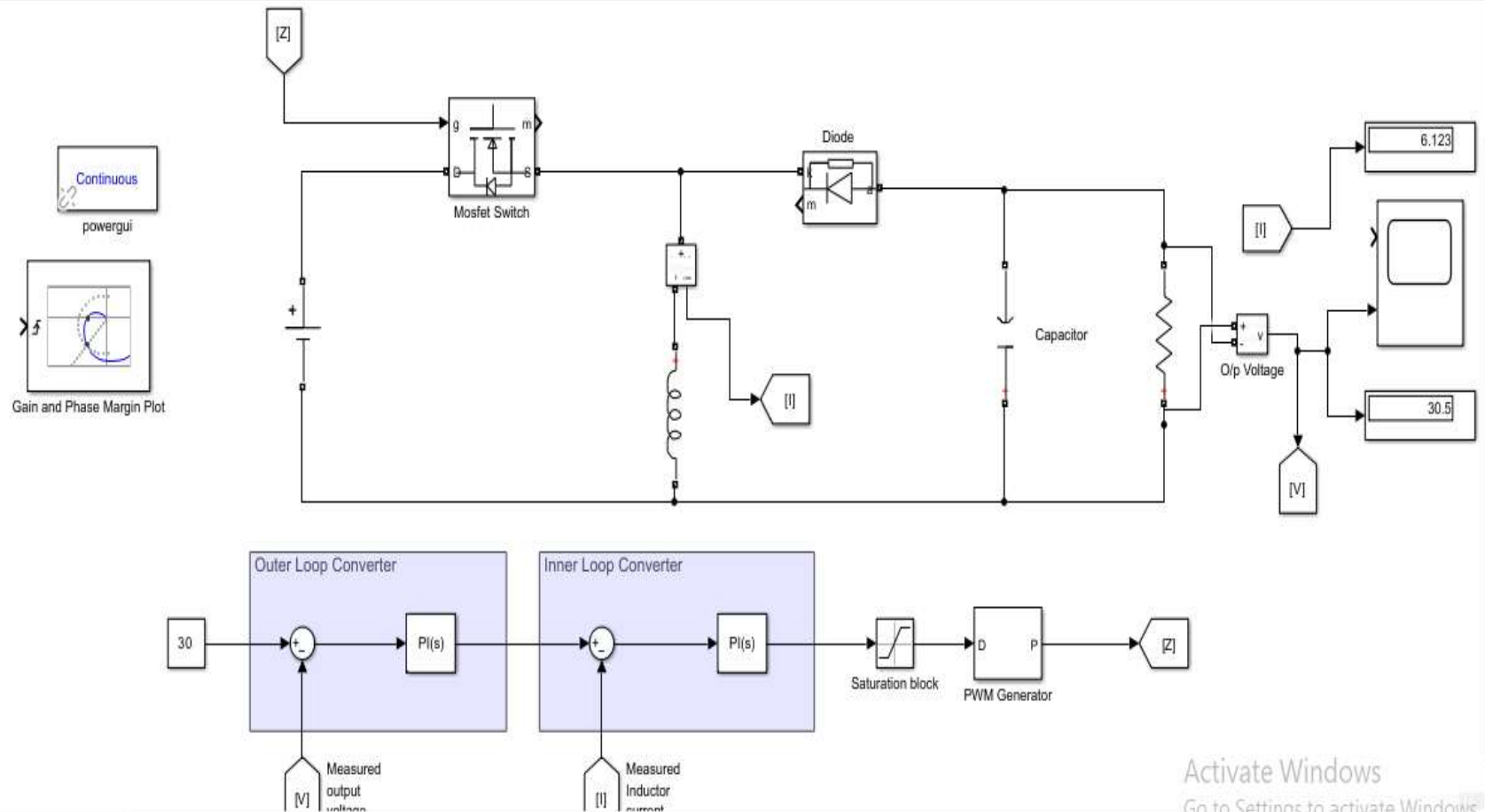
SIMULATE A CLOSED LOOP BUCK–BOOST CONVERTER  
WITH CURRENT MODE CONTROL.

# BLOCK DIAGRAM



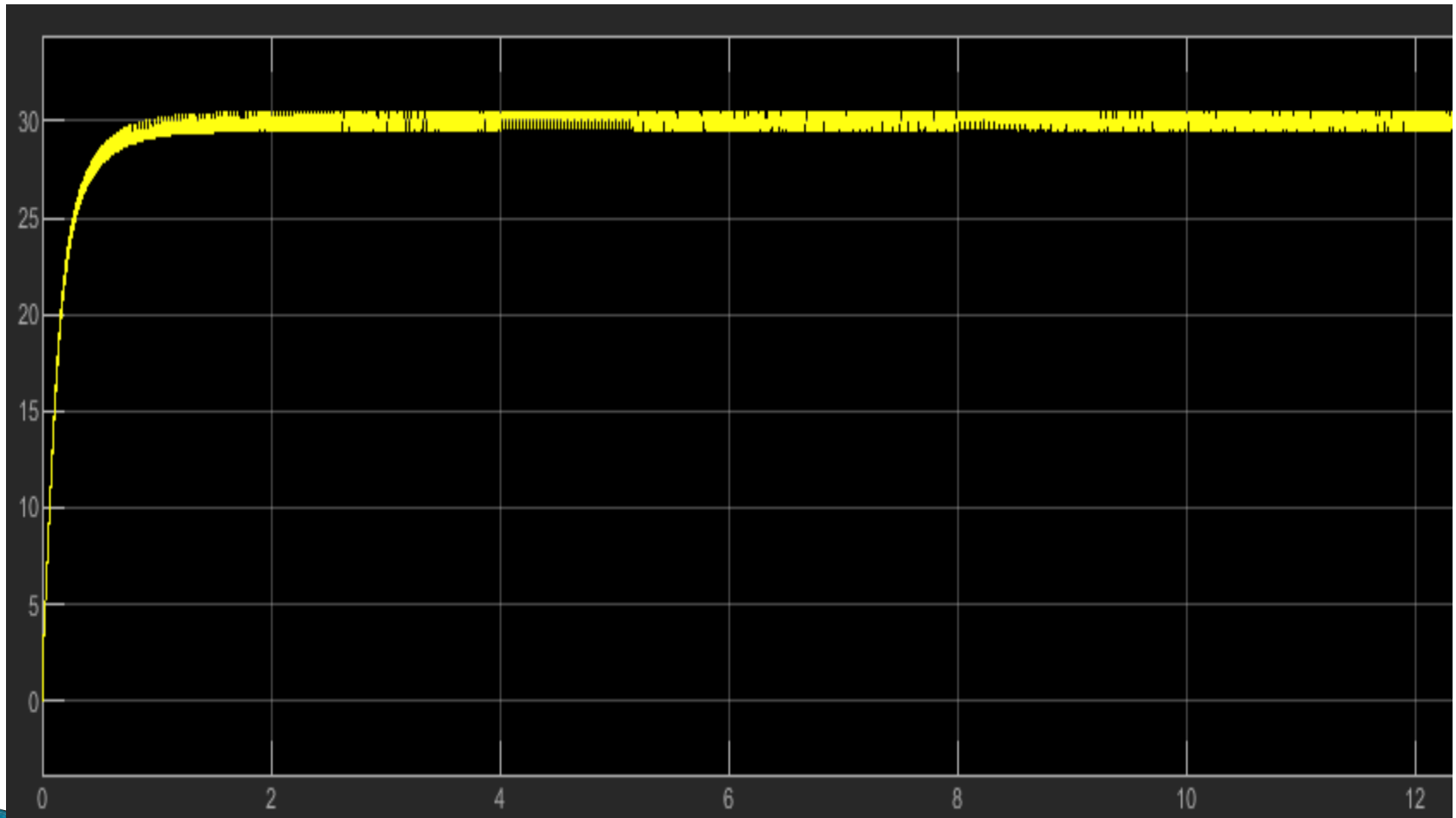
# BUCK-BOOST SIMULATION MODEL

buckboostcon



Activate Windows  
Go to Settings to activate Windows

# Output voltage keeping $V_{ref}=30v$



## ► OBJECTIVE- 2

OBTAIN THE BODE PLOT BEFORE AND AFTER THE CONTROLLER DESIGN AND SHOW THAT A PHASE MARGIN OF 40 DEGREE IS ACHIEVED.



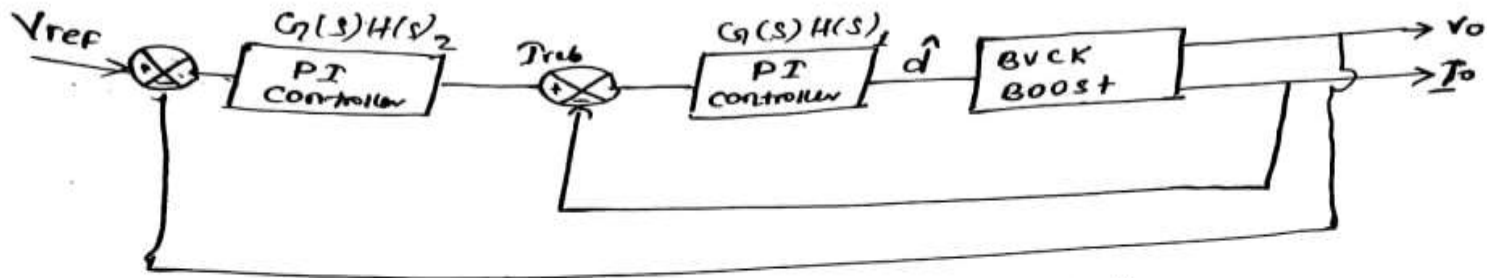
BEFORE THE CONTROLLER

$g_1 =$

$$-1.356e04 s + 1.582e06$$

-----

$$s^2 + 651 s + 4.219e04$$



$$\frac{\Delta I_o}{\Delta d} = \frac{\frac{1}{RLC} (1-D) (V_{dc} + V_c) - \frac{S I_L}{RC}}{S^2 + \frac{1}{RC} S + \frac{1}{LC} (1-D)^2}$$

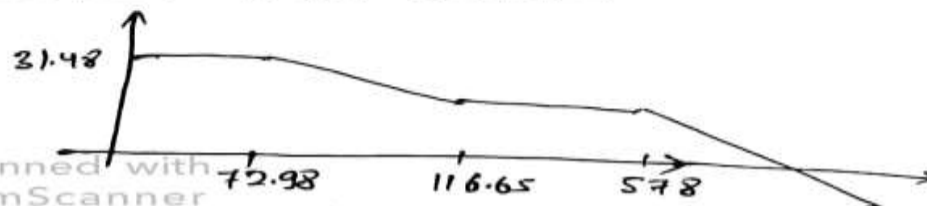
$$= \frac{1582031.250 - 13561.197 S}{S^2 + 651 S + 42187.5}$$

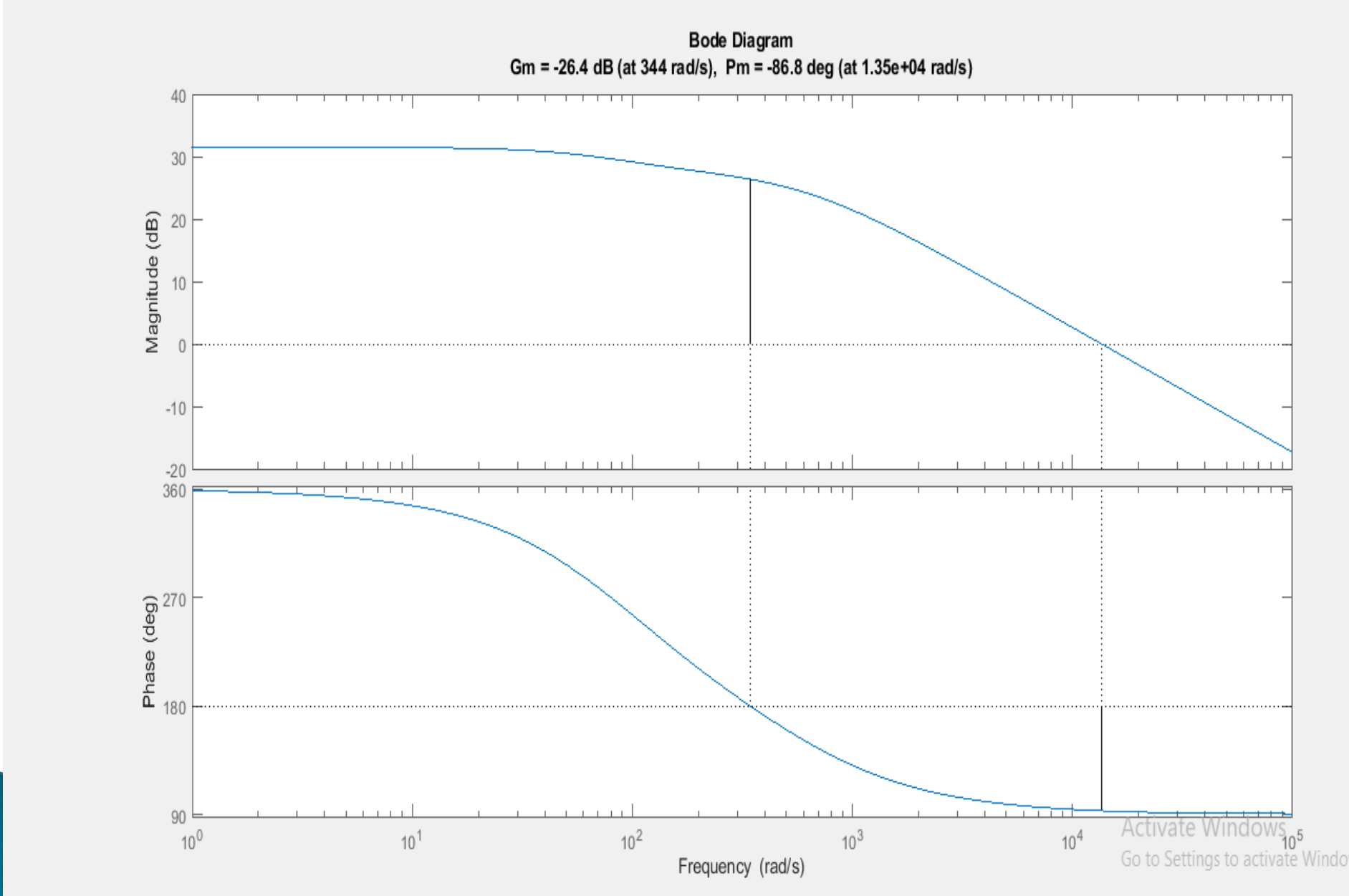
$$= \frac{37.5 \left(1 - \frac{S}{116.65}\right)}{\left(1 + \frac{S}{72.98}\right) \left(1 + \frac{S}{578}\right)}$$

Zero: 116.65

Poles: -72.98, -578

Bode plot Before controller





# INNER/ CURRENT LOOP CONTROLLER

GH1 =

$$-67.8 s + 7909$$

-----

$$s^2 + 578 s$$

$$K_p = 0.005$$

$$K_i = 0.3649$$

With inner loop controller:

$$G(s)H(s) = \frac{(K_p + \frac{K_I}{s}) 37.5 \left(1 - \frac{s}{116.65}\right)}{\left(1 + \frac{s}{72.98}\right) \left(1 + \frac{s}{578}\right)}$$

$$= \frac{13560.57 K_p (116.65 - s) \left(s + \frac{K_I}{K_p}\right)}{s (s + 72.98) (s + 578)}$$

using dominant pole

$$\frac{K_I}{K_p} = 72.98$$

Let  $K_p = 0.005$

$$K_I = 0.3649$$

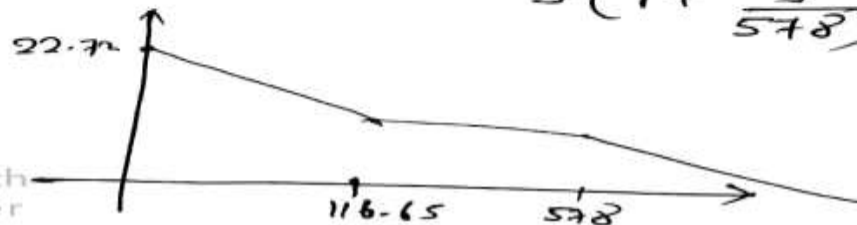
$$\tau = \frac{K_p}{K_I} = 0.0137$$

Now,  $G(s)H(s) = \frac{-67.8s + 7909.2}{s^2 + 578s + 0}$

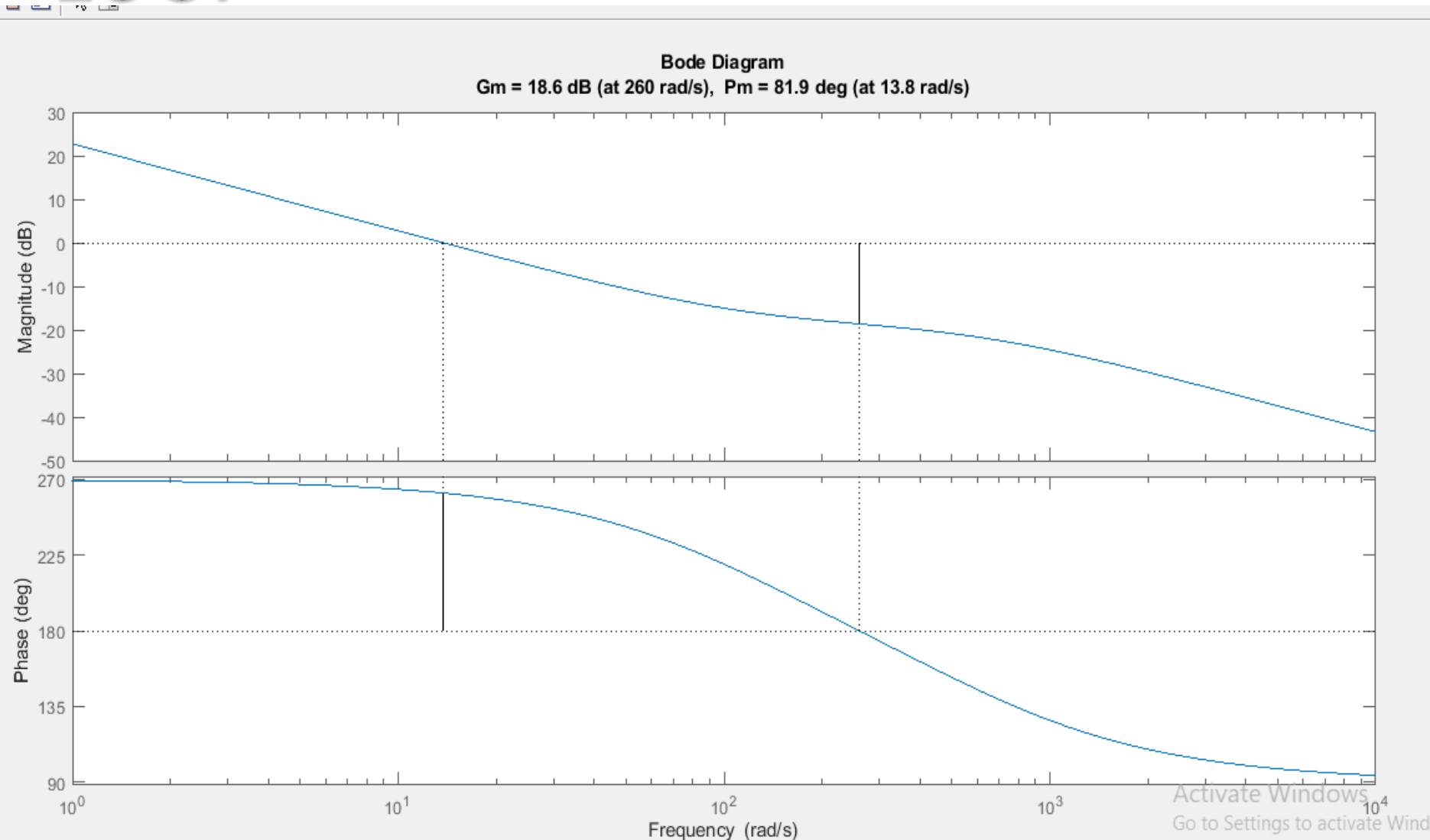
Zero: 116.65

poles: 0, 578

$$G(s)H(s) = \frac{13.683 \left(1 - \frac{s}{116.65}\right)}{s \left(1 + \frac{s}{578}\right)}$$



# BODE PLOT OF INNER/CURRENT LOOP



# OUTER LOOP CONTROLLER

- ▶  $gh2 =$
- ▶
- ▶  $-0.3389 s + 39.53$
- ▶  $-----$
- ▶  $s^2 + 494.2 s$

Overall Transfer function of inner loop

$$\frac{P_o}{T_{ref}} = \frac{G(s)}{1 + G(s)H(s)} = \frac{67.8(116.65 - s)}{s(s + 578)}$$

$$= \frac{7908.87 - 67.8s}{s^2 + 510.2s + 7908.87}$$

pole:  $-16, -494.2$

zero:  $116.65$

2nd controller:  $K_{p2} + \frac{K_{I2}}{s}$   
outer loop controller

$$G_2 H(s) = \left( K_{p2} + \frac{K_{I2}}{s} \right) \left( \frac{7908.87 - 67.8s}{s^2 + 510.2s + 7908.87} \right)$$

$$= \frac{67.785 K_p (116.65 - s) (s + \frac{K_I}{K_p})}{s(s + 16)(s + 494.2)}$$

using dominant pole

$$\frac{K_I}{K_p} = 16$$

let  $K_p = 0.005$

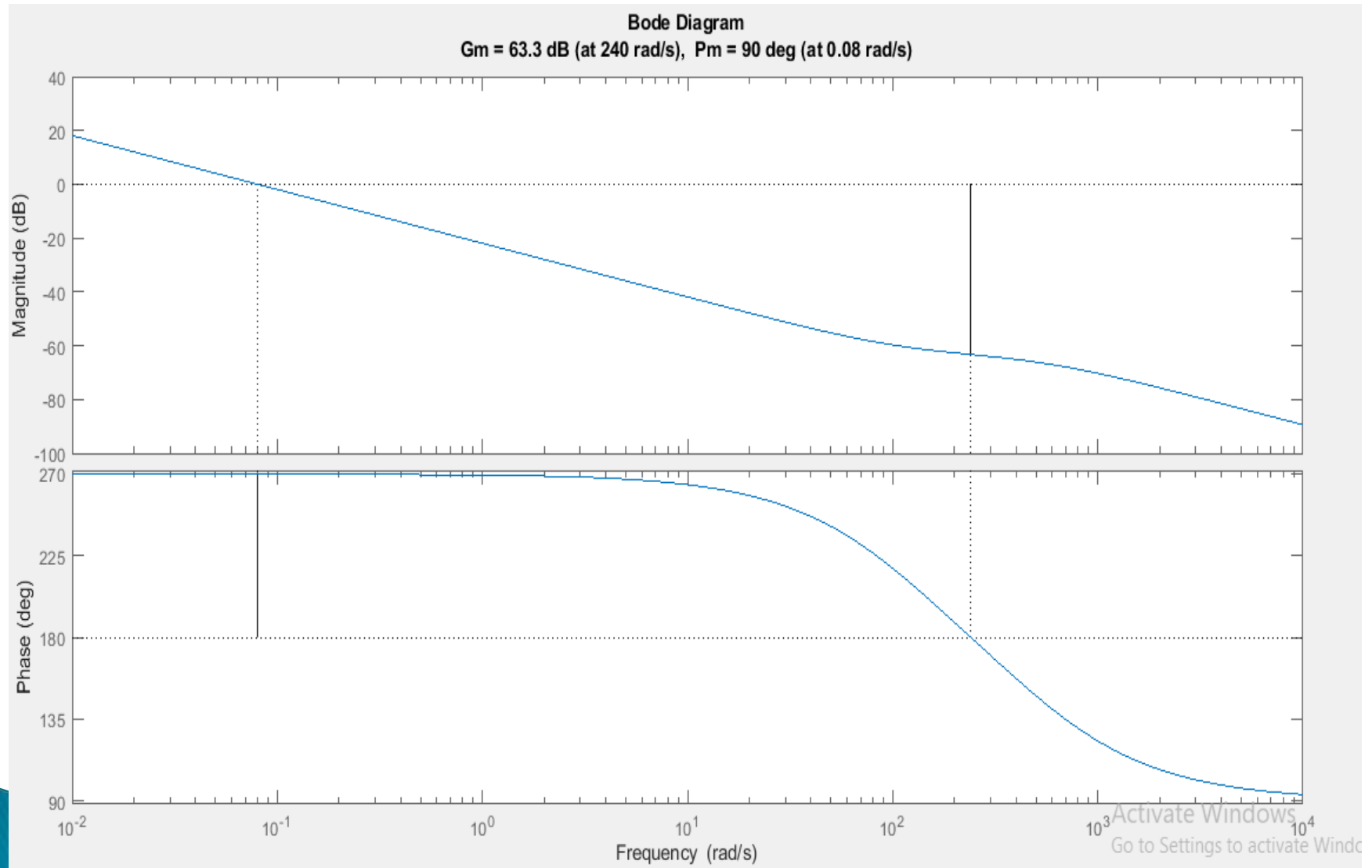
$K_I = 0.08$

$\tau_2 = 0.0625 > \tau_1 = 0.0137$

$$\left. \begin{array}{l} G(s)H(s) \\ = \frac{39.532 - 0.3389s}{s^2 + 494.2s + 0} \end{array} \right|$$



# BODE PLOT after both controller



- ▶ 3.DRAW THE NYQUIST PLOT OF OPEN LOOP GAIN AND CONFIRM THE SAME AS IN 2.

# Nyquist plot without controller

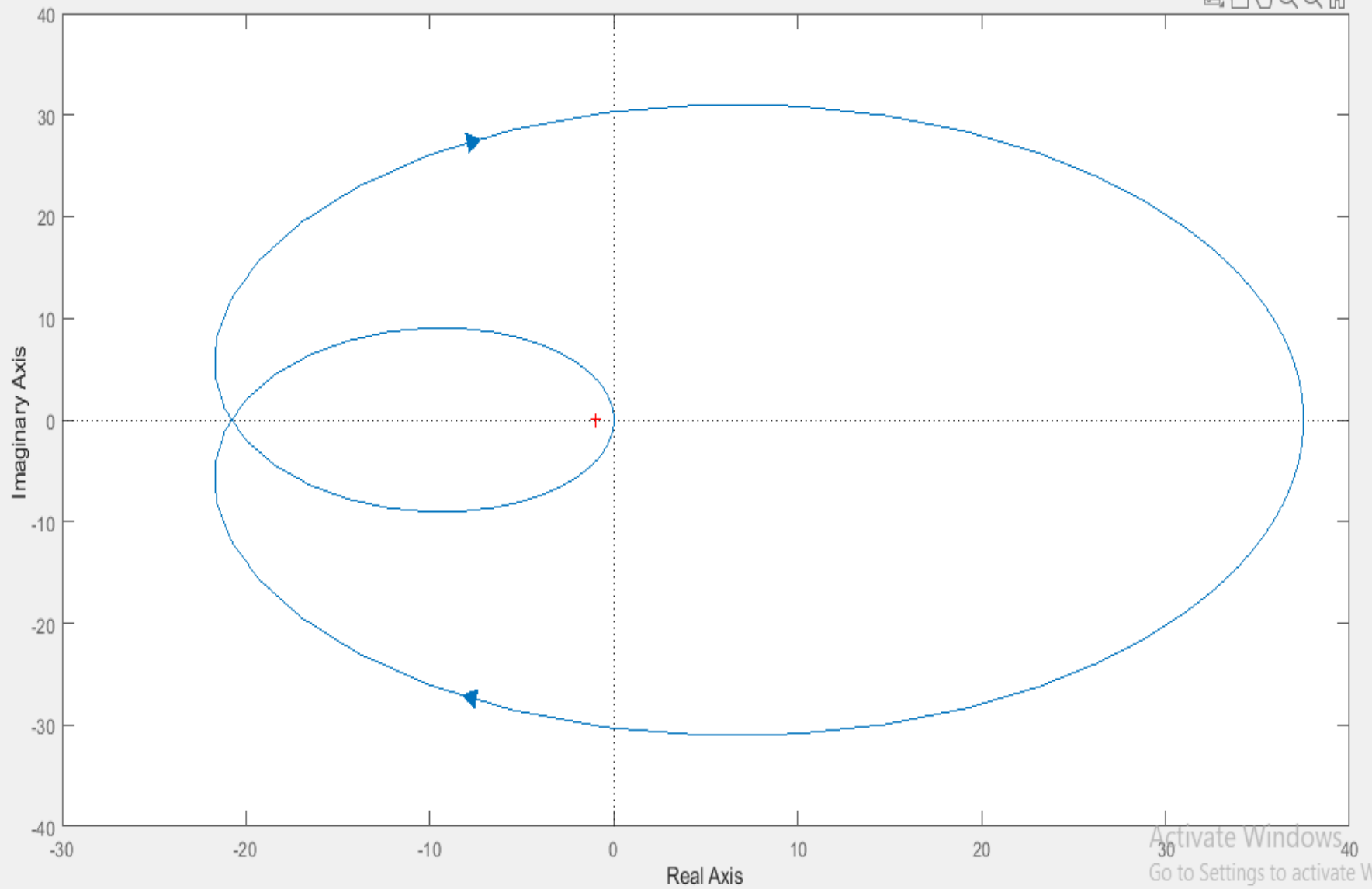
►  $g1 =$

$$-1.356e04 s + 1.582e06$$

-----

$$s^2 + 651 s + 4.219e04$$

Nyquist Diagram



# Nyquist plot with controller(inner loop)

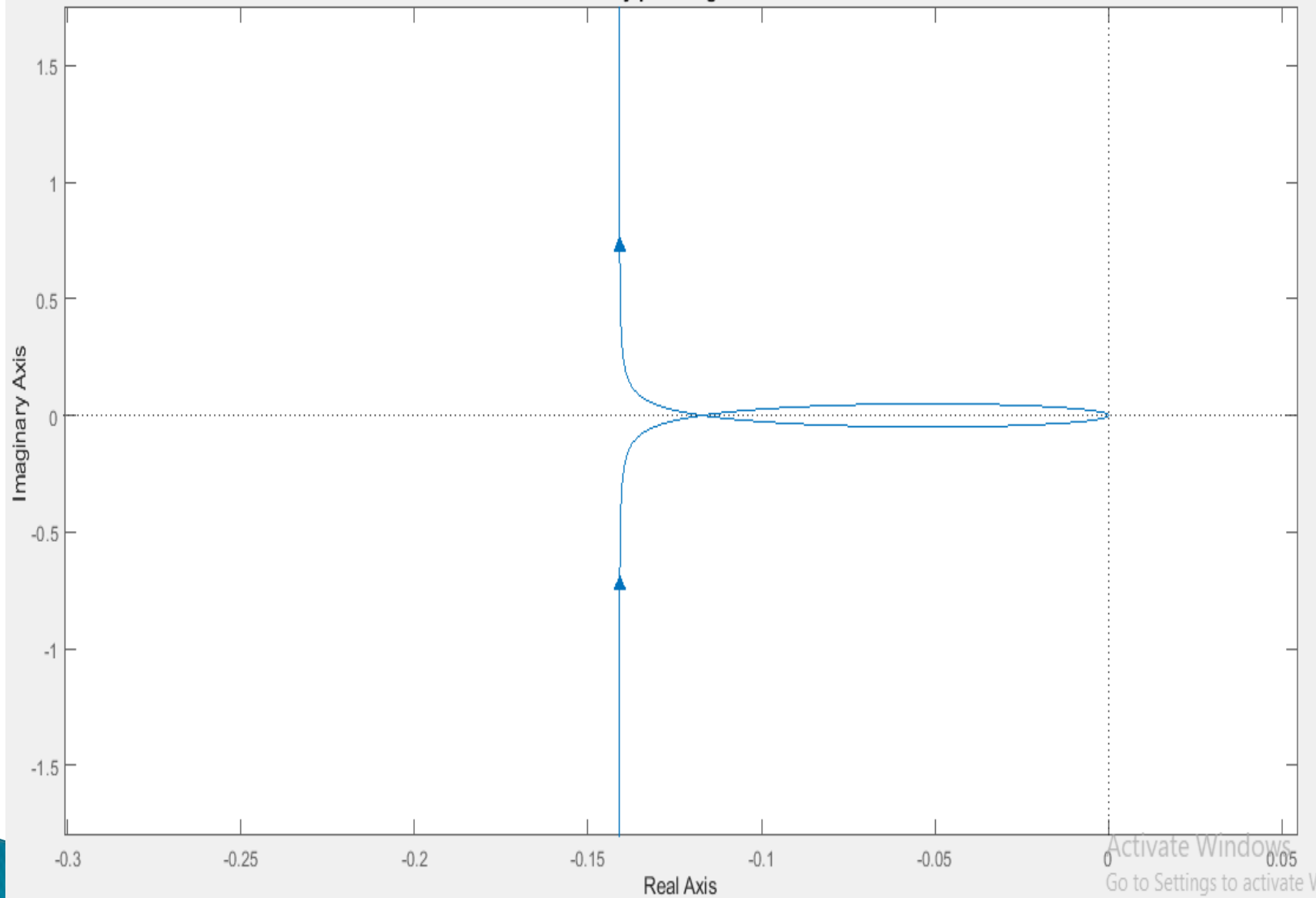
GH1 =

$$-67.8 s + 7909$$

-----

$$s^2 + 578 s$$

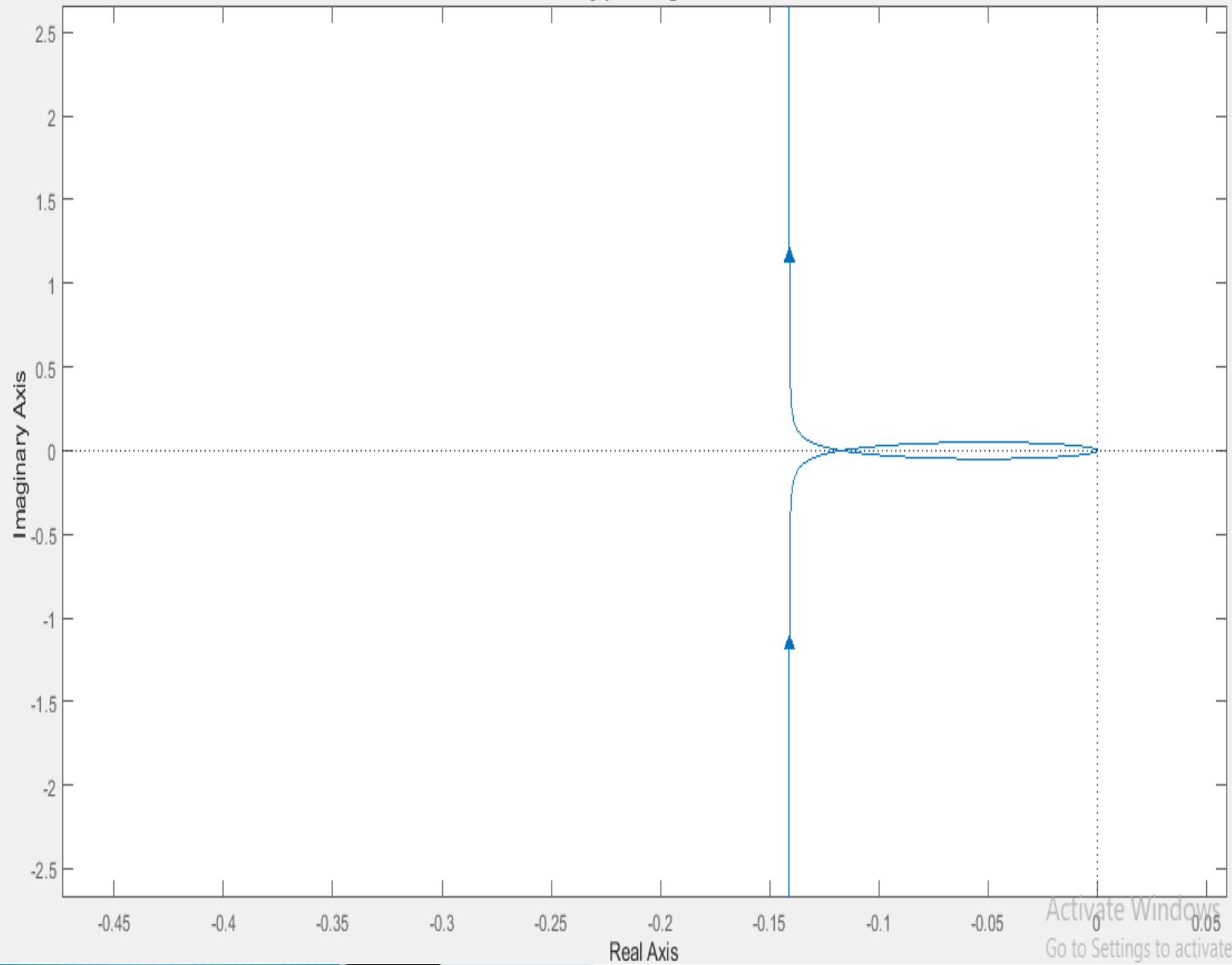
Nyquist Diagram



# Nyquist plot with controller(outer loop)

- ▶  $gh2 =$
- ▶
- ▶  $-0.3389 s + 39.53$
- ▶  $-----$
- ▶  $s^2 + 494.2 s$

Nyquist Diagram

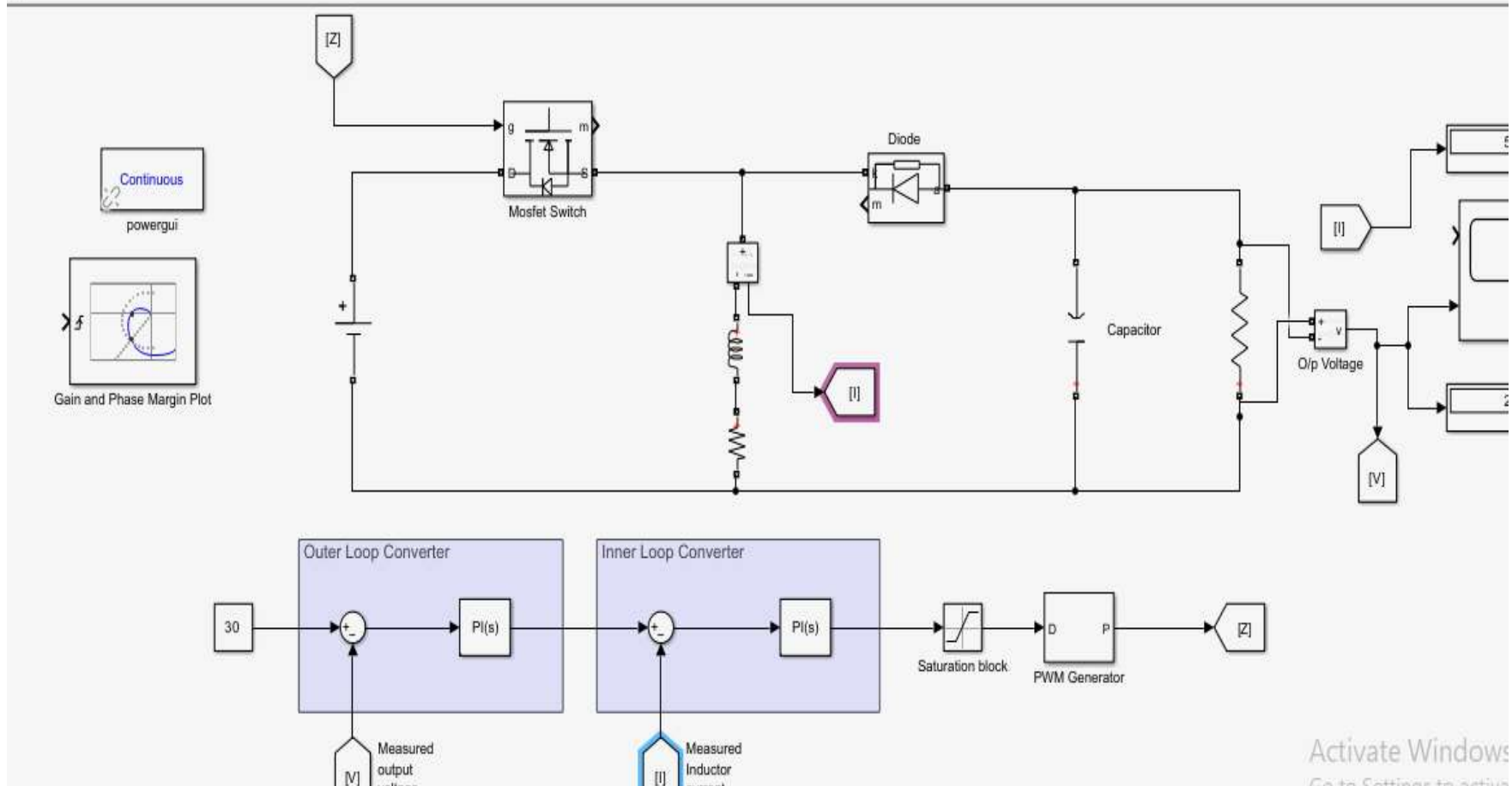




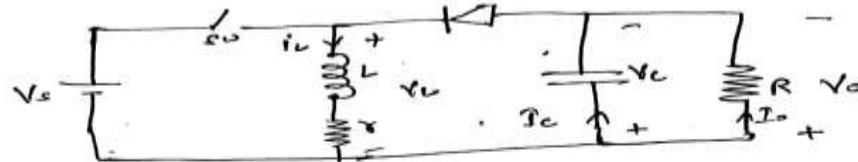
- ▶ 4. DRAW THE ROOT LOCUS OF THE INDUCTOR SERIES RESISTANCE VARIATION AND SHOW THE LIMITS OF THE INDUCTOR SERIES RESISTANCE VARIATION FOR STABLE OPERATION.

# Model:

buckboostcon



# Calculations:



$$\begin{bmatrix} \dot{i}_L \\ \dot{V}_c \end{bmatrix} = \begin{bmatrix} -\frac{\delta}{L} & -\frac{1}{L}(1-D) \\ \frac{(1-D)}{C} & -\frac{1}{RC} \end{bmatrix} \begin{bmatrix} i_L \\ V_c \end{bmatrix} + \begin{bmatrix} \frac{D}{L} \\ 0 \end{bmatrix} V_s$$

$$I_o = \begin{bmatrix} 0 & \frac{1}{R} \end{bmatrix} \begin{bmatrix} i_L \\ V_c \end{bmatrix}$$

$$\begin{bmatrix} \Delta \dot{i}_L \\ \Delta \dot{V}_c \end{bmatrix} = \begin{bmatrix} -\frac{\delta}{L} & -\frac{1}{L}(1-D) \\ \frac{1}{C}(1-D) & -\frac{1}{RC} \end{bmatrix} \begin{bmatrix} \Delta i_L \\ \Delta V_c \end{bmatrix} + \begin{bmatrix} \frac{V_c}{L} \\ -\frac{i_L}{C} \end{bmatrix} \Delta d$$

$$T.F = C [sI - A]^{-1} B : \quad A I_o = \begin{bmatrix} 0 & \frac{1}{R} \end{bmatrix} \begin{bmatrix} \Delta i_L \\ \Delta V_c \end{bmatrix}$$

$$\frac{\Delta i_o}{\Delta d} = \frac{\frac{V_c(1-D)}{RLC} - \frac{i_L}{RC} (s + \frac{\delta}{L})}{s^2 + (\frac{\delta}{L} + \frac{1}{RC})s + (\frac{\delta}{RLC} + \frac{1}{L^2 C}(1-D)^2)}$$

putting values

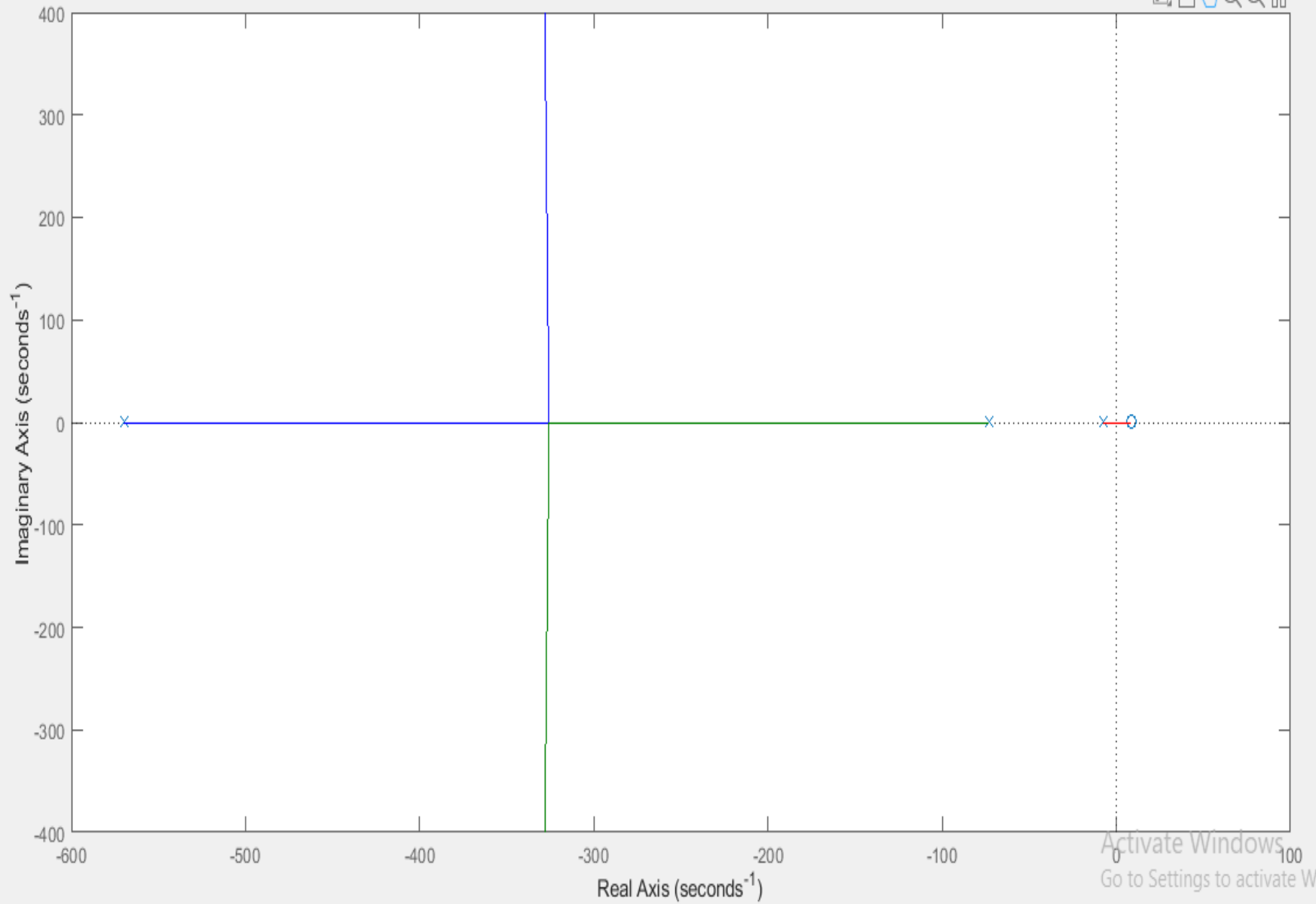
$$1 + K G(s) H(s) = 0$$

$$1 + \delta G(s) H(s) = 0$$

$$1 + \delta (0.8959 s^2 - 7.5994 s + 0)$$

$$\frac{15.36 \times 10^{-6} s^4}{+ 0.00999 s^3 + 0.754 s^2} + 4.927 s + 0$$

# Root Locus



# The value of 'r' for which the system is unstable.

# The value of 'r' for which the system becomes unstable

$$\frac{G(s)H(s)}{1 + r G(s)H(s)}$$

Denominator: i.e. pole:

$$1 + r G(s)H(s) = 0$$

$$1 + r (0.8959s^2 - 7.5994s) = 0$$
$$15.36 \times 10^6 s^4 + 0.00999s^3 + 0.7154s^2 + 4.927s = 0$$

$$\Rightarrow 15.36 \times 10^6 s^4 + 0.00999s^3 + 0.7154s^2 + 4.927s + r(0.8959s^2 - 7.5994s) = 0$$

$$\Rightarrow 15.36 \times 10^6 s^4 + 0.00999s^3 + (0.7154 + 0.8959r)s^2 + (4.927 - 7.5994r)s = 0$$

The characteristic equation are:

$$15.36 \times 10^6 s^4 + 0.00999s^3 + (0.7154 + 0.8959r)s^2 + (4.927 - 7.5994r)s = 0$$

⇒ We apply Routh Hurwitz criterion to find the value of 'r' for which the system is stable



$$15.36 \times 10^6 s^4 + 0.00999 s^3 + (0.7154 + 0.8959s) s^2 + (4.927 - 7.5994s) s = 0$$

$s^4$	$15.36 \times 10^6$	$0.7154 + 0.8959s$
$s^3$	$0.00999$	$4.927 - 7.5994s$
$s^2$	$\frac{0.00999s(0.7154 + 0.8959s) - 15.36 \times 10^6(4.927 - 7.5994s)}{0.00999}$	
$s^1$		
$s^0$		

for stable:  $\delta$

$$\rightarrow \frac{0.00999(0.7154 + 0.8959s) - 15.36 \times 10^6(4.927 - 7.5994s)}{0.00999} > 0$$

$$\rightarrow 0.007146 + 0.00895s - \frac{0.007567}{100} + \frac{0.001167s}{10} > 0$$

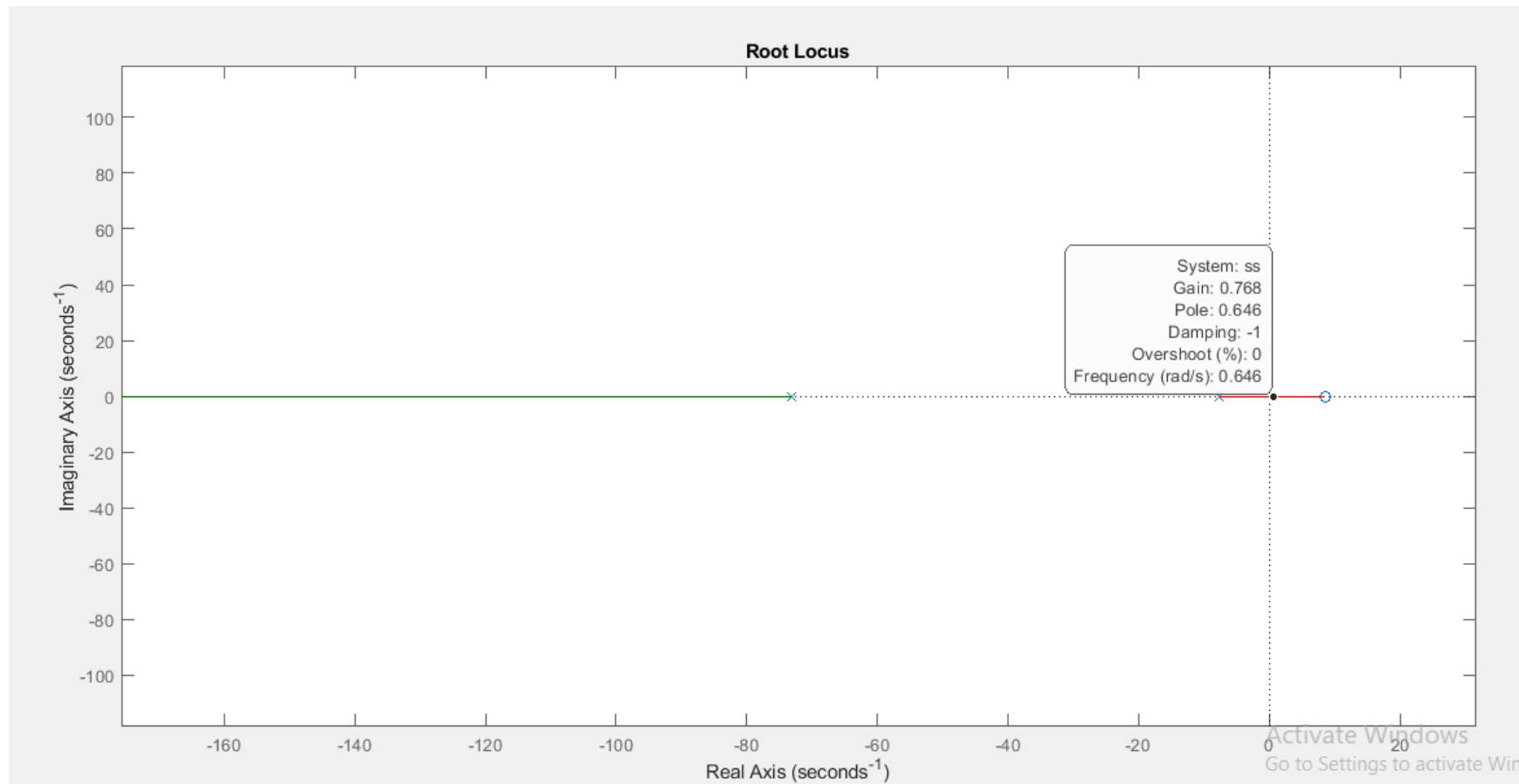
$$\rightarrow 0.0090667s - 0.00707 > 0$$

$$s > \frac{0.00707}{0.0090667} = 0.7798$$

for stable  $s > 0.7798$

for unstable  $s < 0.7798$

for marginally stable  $s = 0.7798$



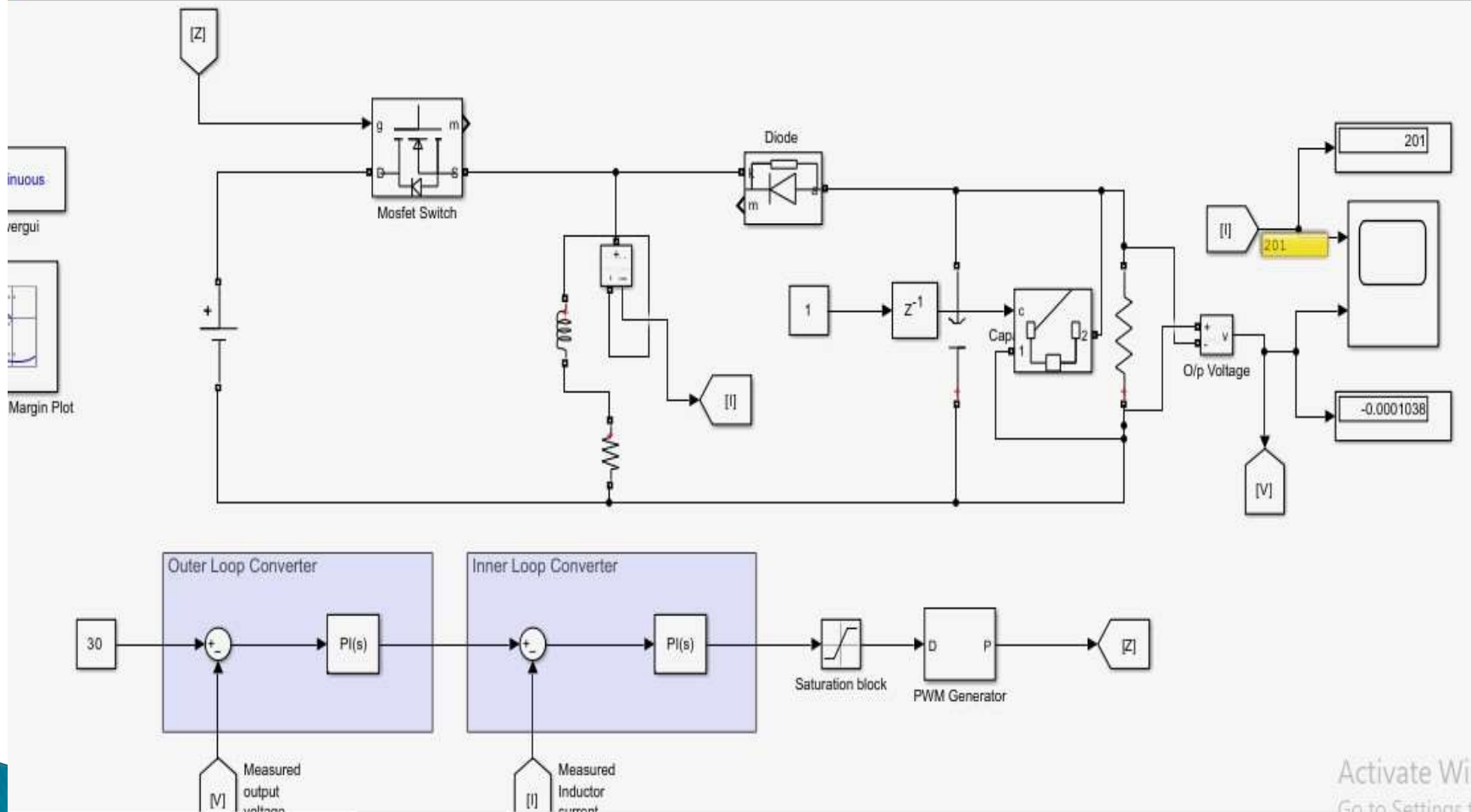
EXTRA OBSERVATIONS:

SHORT CIRCUITED THE LOAD  
AT  $T=10$  SECONDS



# MODEL:

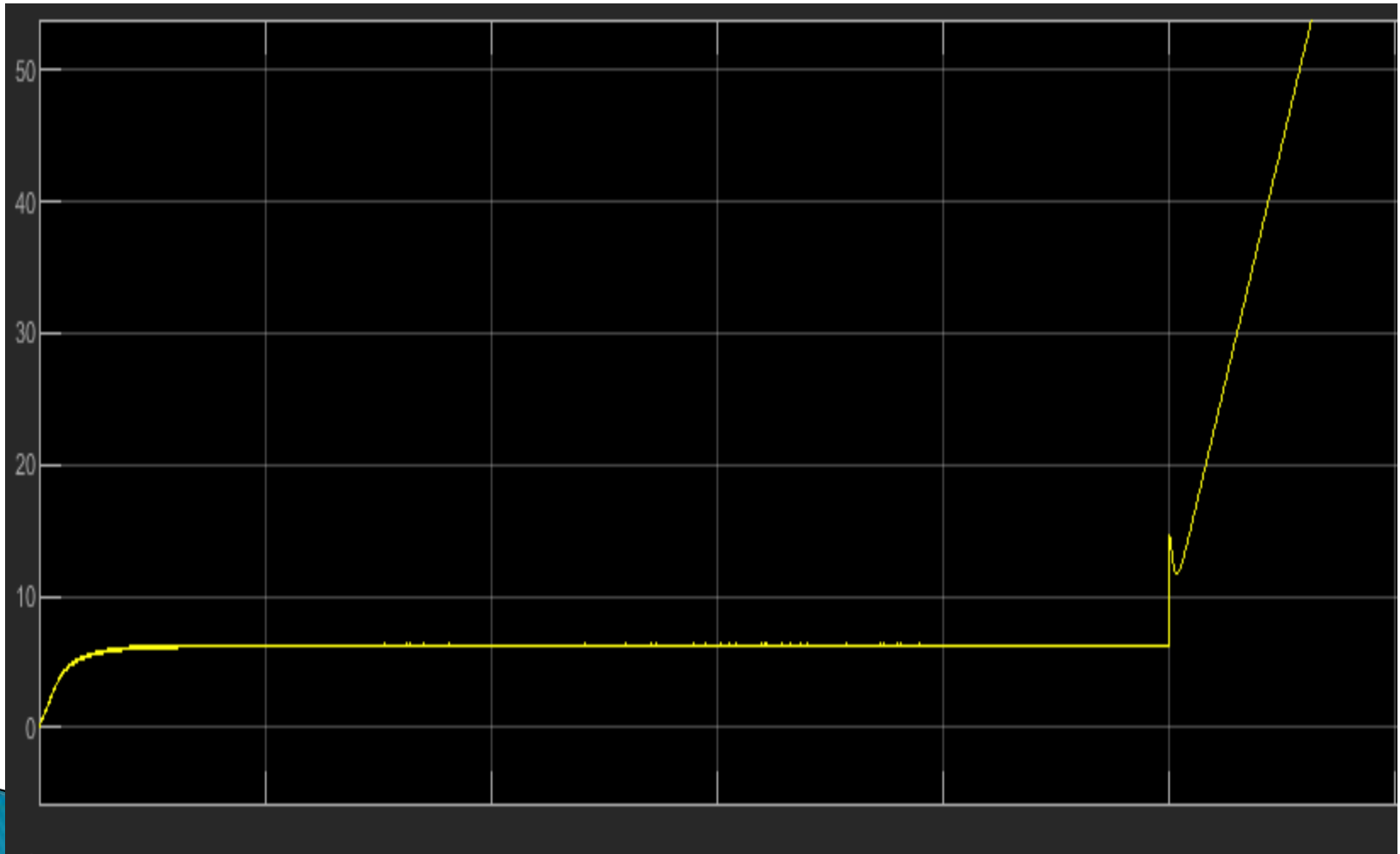
buckboostcm



# VOLTAGE WAVEFORM:



# CURRENT WAVEFORM:



THANK YOU !