

# Planning (AI)



**Dr. Ganesh Bhutkar**

**VIT, Pune INDIA**

**ganesh.bhutkar@vit.edu**

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# Planning

- **Planning** is finding a **sequence of actions** that achieves a given **goal**, when executed from a given **initial world state**.
- That is, given
  - a **set of operator descriptions** (defining the possible primitive actions by the agent),
  - an **initial state description** and
  - a **goal state description**,compute a plan, which is
  - a **sequence of operator instances**, such that executing them in the initial state will change the world to a state satisfying the goal-state description.
- **Goals** are usually specified as a **conjunction** of goals to be achieved.

# Planning vs. Problem Solving

- **Planning** and **Problem Solving** methods can often solve the same sorts of problems.
- Planning is more **powerful** because of the representations and methods used.
- **States, goals, and actions** are decomposed into sets of sentences; usually in first-order logic.
- Search often proceeds through **plan space** rather than **state space**.
- **Subgoals** can be **planned independently**, reducing the complexity of the planning problem.

# Planning: Typical Assumptions

- **Atomic time:** Each action is indivisible.
- **No concurrent actions** are allowed. (Though all actions do not need to be ordered with respect to each other in the plan.)
- **Deterministic actions:** The result of actions are completely determined - there is no uncertainty in their effects.
- **Agent** is the sole cause of change in the world.
- **Agent is omniscient:** He has complete knowledge of the state of the world.
- **Closed World Assumption:** Everything known to be true in the world, is included in the state description. Anything not listed is false.

# Blocks World

- The **blocks world** is a micro-world that consists of a table, a set of blocks and a robot hand.
- Some **domain constraints**:
  - Only one block can be on another block
  - Any number of blocks can be on the table
  - The hand can only hold one block

- **Typical representation:**

## STRIPS language

ontable(A)

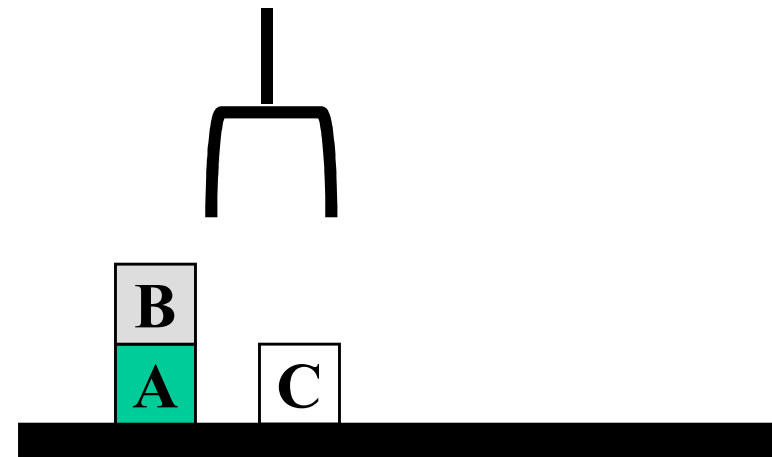
ontable(C)

on(B,A)

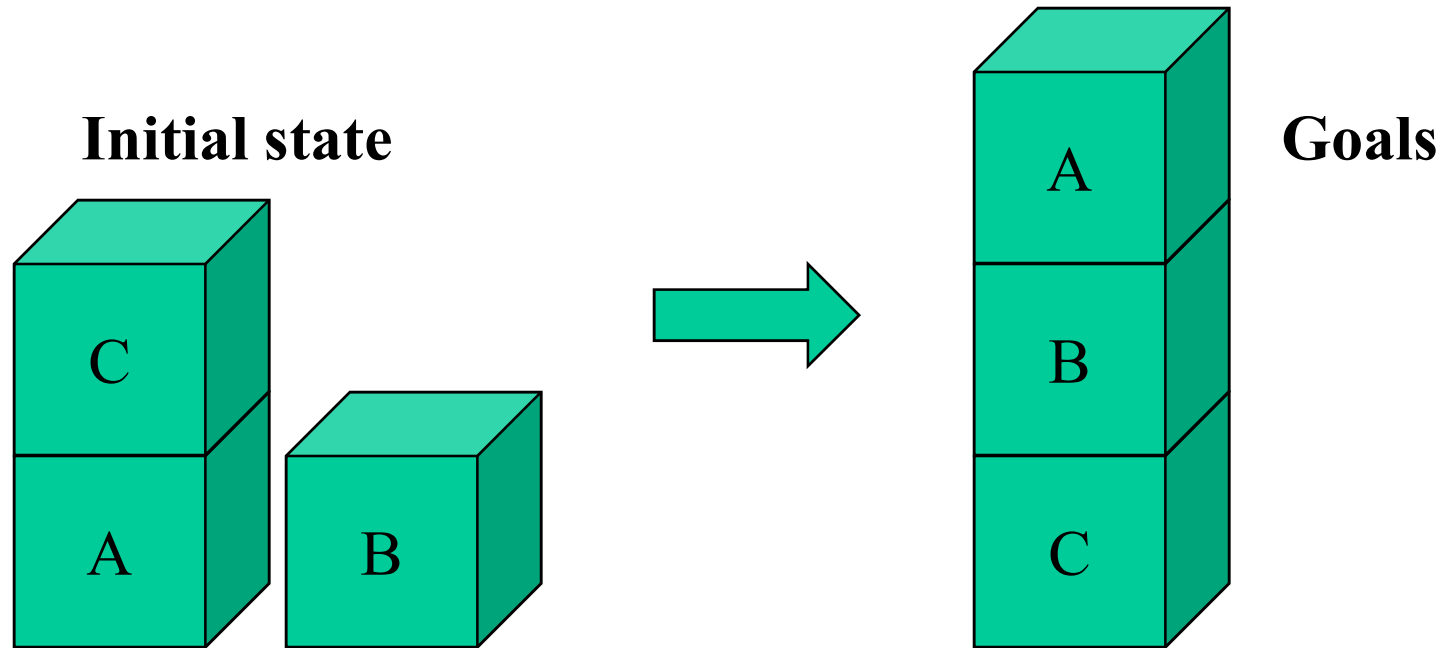
handempty

clear(B)

clear(C)

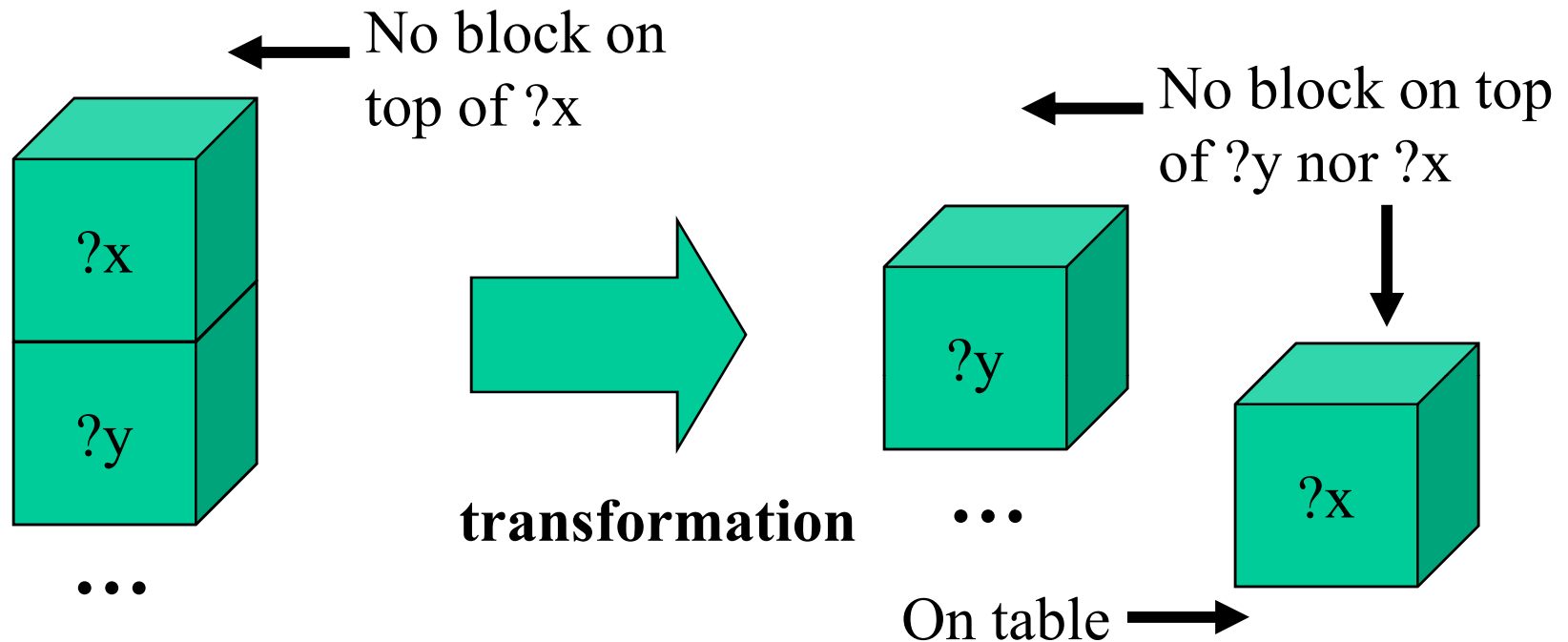


# General-Purpose Planning: State & Goals



- 
- **Initial state:** (onTable A) (on C A) (onTable B) (clear B) (clear C)
  - **Goals:** (onTable C) (on B C) (on A B) (clear A)

# General-Purpose Planning: Operators

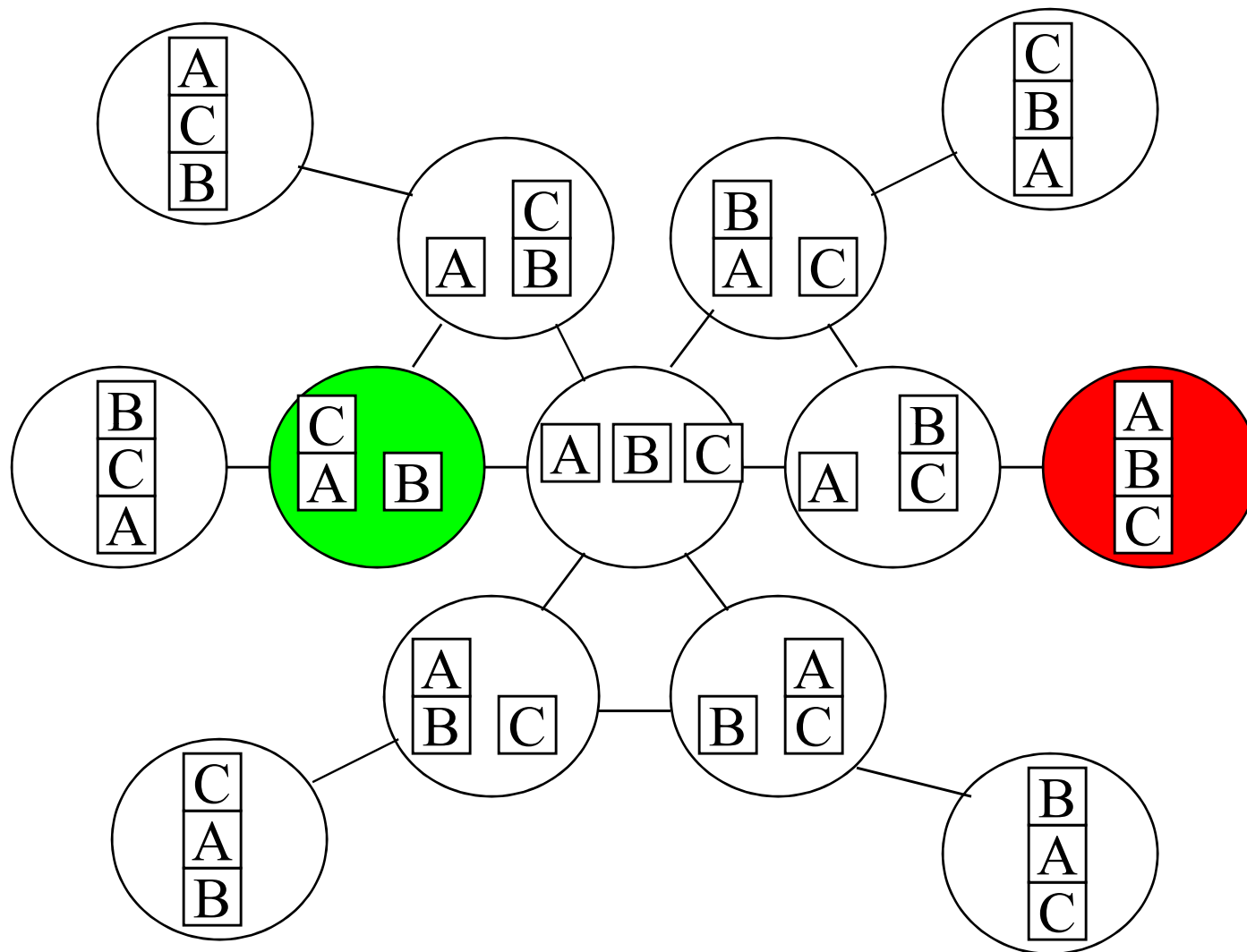


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## Operator: (Unstack ?x)

- **Preconditions:** (on ?x ?y) (clear ?x)
- **Effects:**
  - **Add:** (on ?x table) (clear ?y) & **Delete:** (on ?x ?y)

# Planning: Search Space








# STRIPs Language for Planning

- **STandford Research Institute Problem Solver (STRIPS)**
- STRIPS - State of the world = conjunction of positive, ground, function-free literals
- At(Home) AND IsAt(Umbrella, Home) AND CanBeCarried(Umbrella) AND HandEmpty
- **Not OK as part of the state:**
  - NOT(At(Home)) (negative)
  - At(x)
  - At(Kitchen(Home)) (uses the function Kitchen)
- **Any literal not mentioned is assumed false.**
  - Other languages make different assumptions, e.g., negative literals part of state, unmentioned literals unknown.

# Operator / Action Representation

- **Operators** contain three components:
  - **Action description** 
  - **Precondition** - conjunction of positive literals 
  - **Effect** - conjunction of positive or negative literals which describe how situation changes when operator is applied. 
- Example:  
Op[Action: Go(there),  
Precond:  $\text{At}(\text{here}) \wedge \text{Path}(\text{here}, \text{there})$ ,  
Effect:  $\text{At}(\text{there}) \wedge \sim \text{At}(\text{here})$ ]
- All variables are universally quantified.
- Situation variables are implicit.
  - preconditions must be true in the state immediately before operator is applied; effects are true immediately after.

$\text{At}(\text{here}), \text{Path}(\text{here}, \text{there})$

**Go(there)**

$\text{At}(\text{there}), \sim \text{At}(\text{here})$

# Block World Operators

- Here are the classic basic operations for the blocks world:
  - **stack(X,Y)**: put block X on block Y
  - **unstack(X,Y)**: remove block X from block Y
  - **pickup(X)**: pickup block X
  - **putdown(X)**: put block X on the table
- Each will be represented by
  - a list of **preconditions**
  - a list of **new facts** to be added (**add-effects**)
  - a list of **facts to be removed** (**delete-effects**)
  - optionally, a set of (simple) variable constraints
- **For example:**  
Preconditions (stack(X,Y), [holding(X),clear(Y)])  
deletes (stack(X,Y), [holding(X),clear(Y)]).  
adds (stack(X,Y), [handempty,on(X,Y),clear(X)])

# Block World Operators - II

Operator - **stack(X,Y)**,

**Pre** [holding(X),clear(Y)],

**Add** [handempty,on(X,Y),clear(X)],

**Delete** [holding(X),clear(Y)],

Constr [X\==Y,Y\==table,X\==table]).

Operator - **unstack(X,Y)**,

[on(X,Y), clear(X), handempty],

[holding(X),clear(Y)],

[handempty, clear(X),on(X,Y)],

[X\==Y,Y\==table,X\==table]).

Operator - **pickup(X)**,

[ontable(X), clear(X), handempty],

[holding(X)],

[ontable(X),clear(X),handempty],

[X\==table]).

Operator - **putdown(X)**,

[holding(X)],

[ontable(X),handempty,clear(X)],

[holding(X)],

[X\==table]).

## Example



**1.** Place on stack original goals

**Goal Stack:** On(A,C) & On(C,B)

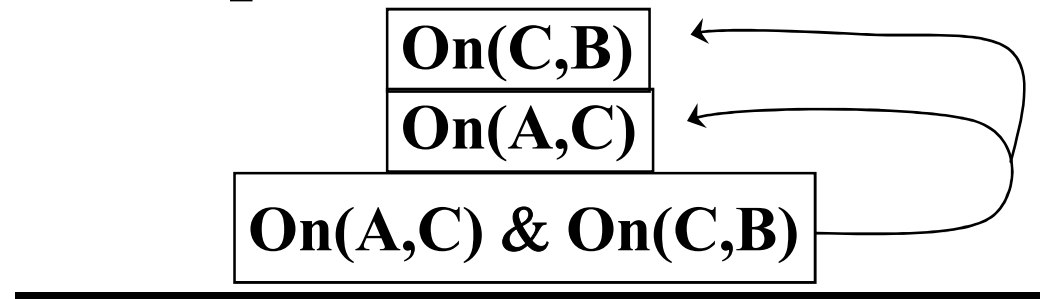
**Database:**

CLEAR(B)  
ON(C,A)  
CLEAR(C)  
ONTABLE(A)  
ONTABLE(B)  
HANDEEMPTY

## Example

2. Since top goal is unsatisfied compound goal, list its unsatisfied subgoals on top of it:

**Stack:**



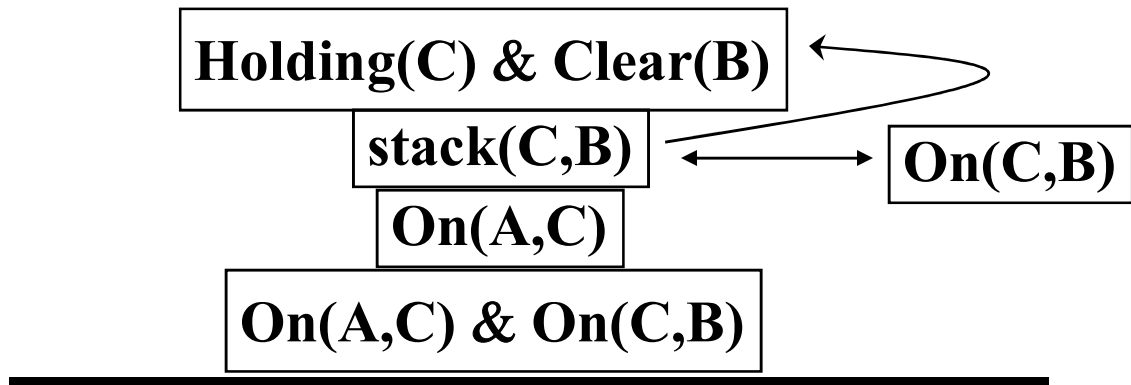
**Database**  
(unchanged):

CLEAR(B)  
ON(C,A)  
CLEAR(C)  
ONTABLE(A)  
ONTABLE(B)  
HANDEEMPTY

# Example

3. Since top goal is unsatisfied single-literal goal, find rule whose instantiated add-list includes the goal, and: a. Replace the goal with the instantiated rule; b. Place the rule's instantiated precondition formula on top of stack

**Stack:**



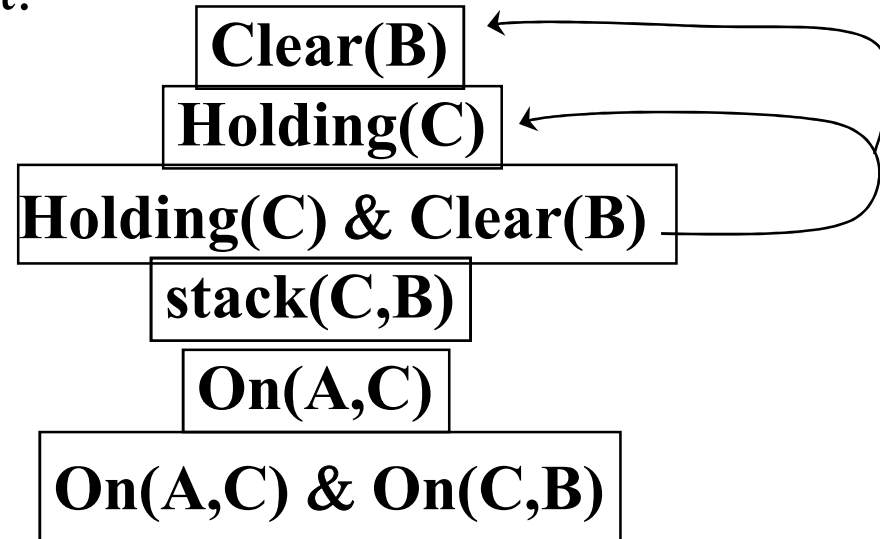
**Database  
(unchanged):**

CLEAR(B)  
ON(C,A)  
CLEAR(C)  
ONTABLE(A)  
ONTABLE(B)  
HANDEEMPTY

# Example

4. Since top goal is unsatisfied compound goal, list its subgoals on top of it:

Stack:



Database  
(unchanged):

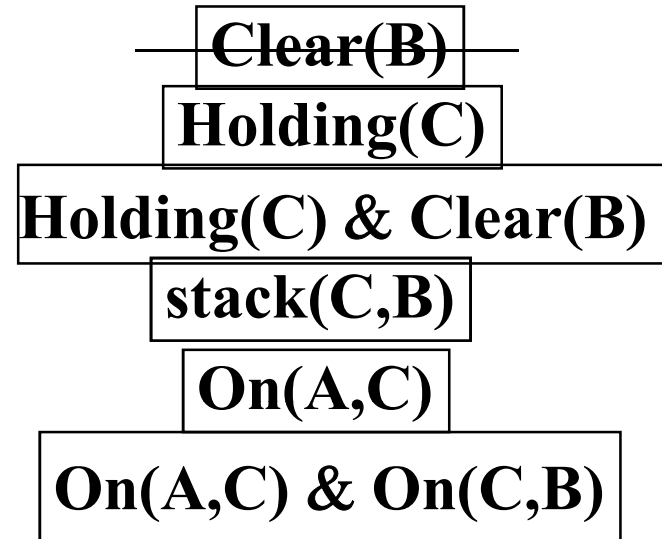
CLEAR(B)  
ON(C,A)  
CLEAR(C)  
ONTABLE(A)  
ONTABLE(B)  
HANDEEMPTY



# Example

5. Single goal on top of stack matches data base, so remove it:

Stack:

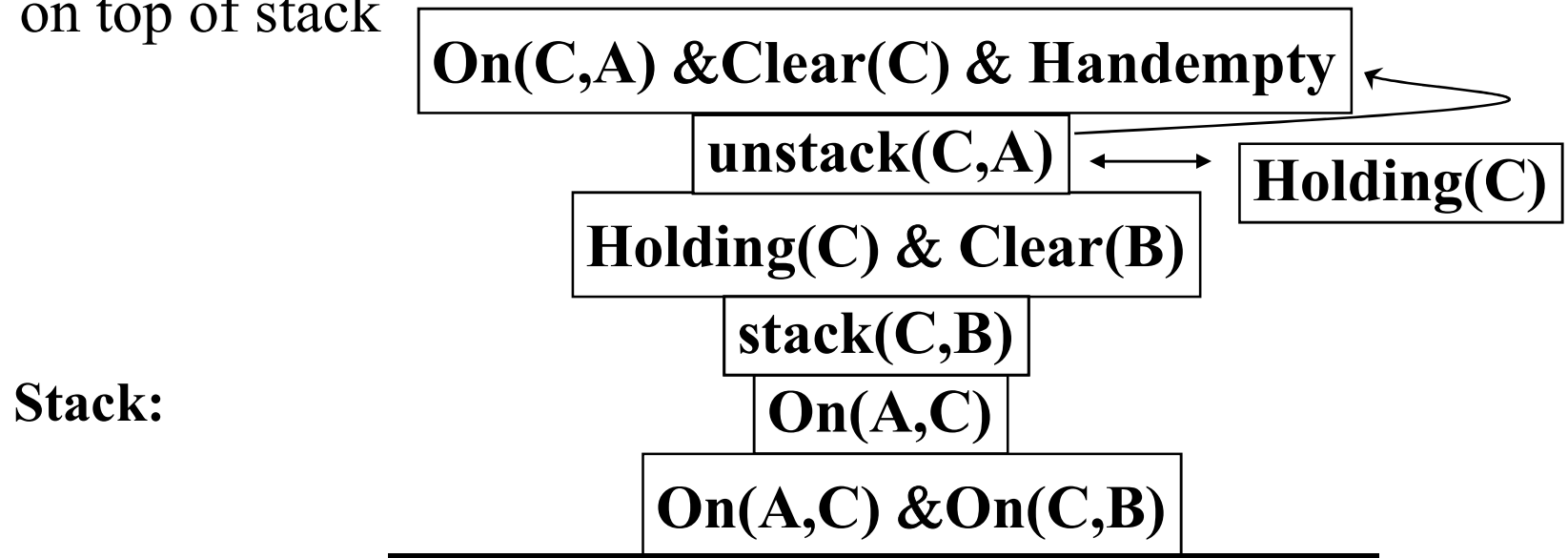


Database  
(unchanged):

CLEAR(B)  
ON(C,A)  
CLEAR(C)  
ONTABLE(A)  
ONTABLE(B)  
HANDEEMPTY

# Example

6. Since top goal is unsatisfied single-literal goal, find rule whose instantiated add-list includes the goal, and: a. Replace the goal with the instantiated rule; b. Place the rule's instantiated precondition formula on top of stack



**Database: (unchanged)**

# Example

7. Compound goal on top of stack matches data base,  
so remove it:

~~On(C,A) & Clear(C) & Handempty~~

Stack:

unstack(C,A)

Holding(C) & Clear(B)

stack(C,B)

On(A,C)

On(A,C) & On(C,B)

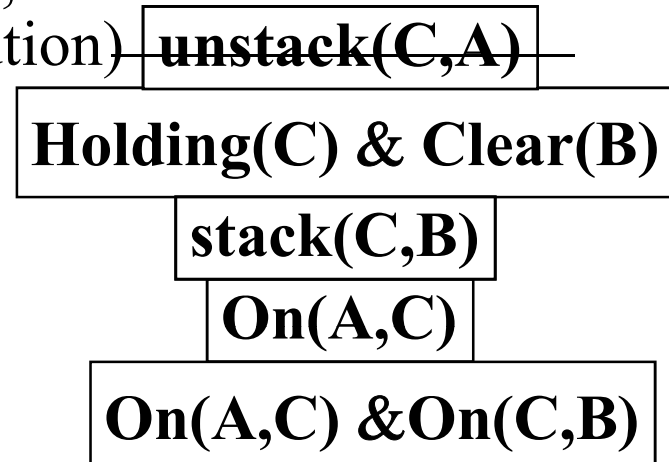
Database  
(unchanged):

CLEAR(B)  
ON(C,A)  
CLEAR(C)  
ONTABLE(A)  
ONTABLE(B)  
HANDEEMPTY

# Example

8. Top item is rule, so:
- Remove rule from stack;
  - Update database using rule;
  - Keep track of rule (for solution)

**Stack:**



**Database:**

unstack(X,Y):

Add - [holding(X),clear(Y)]

Delete -[handempty,clear(X),on(X,Y)]

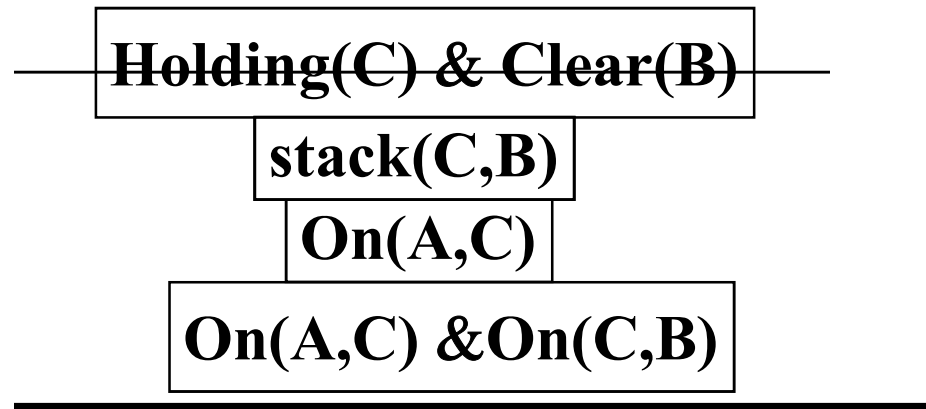
**Solution: {unstack(C,A)}**

**CLEAR(B)**  
**ONTABLE(A)**  
**ONTABLE(B)**  
**HOLDING(C)**  
**CLEAR(A)**

# Example

9. Compound goal on top of stack matches data base, so remove it:

Stack:



Database:  
(unchanged)

**CLEAR(B)**  
**ONTABLE(A)**  
**ONTABLE(B)**  
**HOLDING(C)**  
**CLEAR(A)**

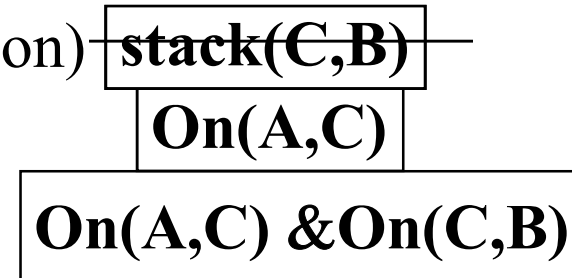
Solution: {unstack(C,A)}

# Example

**10.** Top item is rule, so:

- Remove rule from stack;
- Update database using rule;
- Keep track of rule (for solution)

**Stack:**



**Database:**

stack(X,Y):

Add - [handempty,on(X,Y),clear(X)]

Delete - [holding(X),clear(Y)]

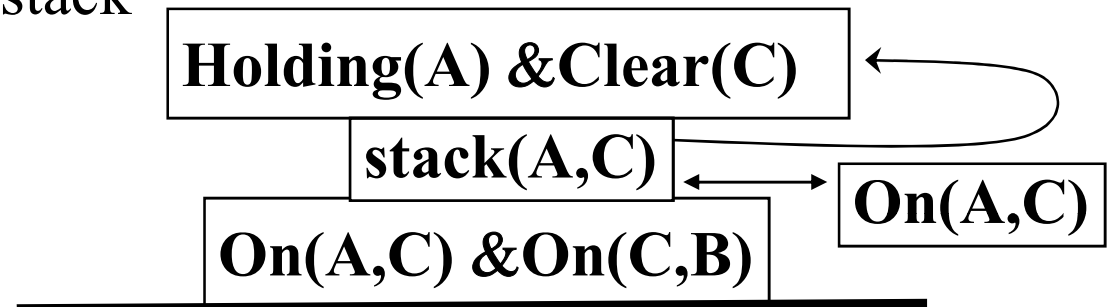
ONTABLE(A)  
ONTABLE(B)  
HANDEEMPTY  
CLEAR(A)  
CLEAR(C)  
ON(C,B)

**Solution:** {unstack(C,A), stack(C,B)}

# Example

- 11.** Since top goal is unsatisfied single-literal goal, find rule whose instantiated add-list includes the goal, and: a. Replace the goal with the instantiated rule; b. Place the rule's instantiated precondition formula on top of stack

**Stack:**



**Database:**  
(unchanged)

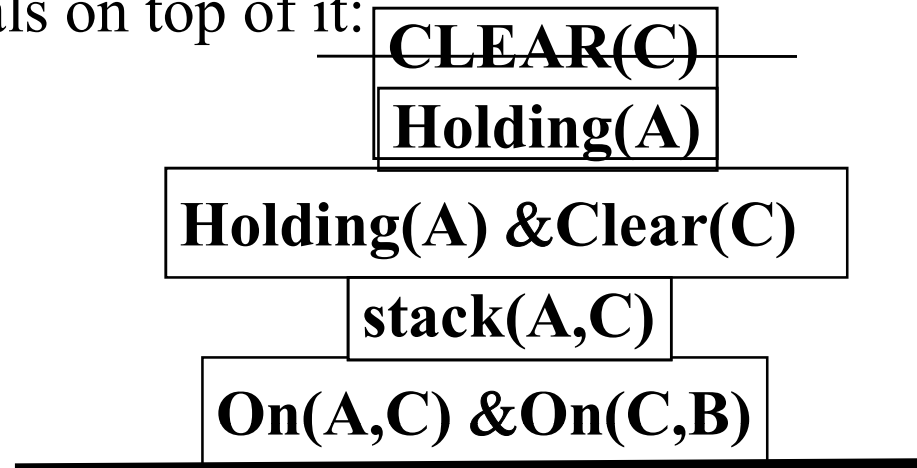
**ONTABLE(A)**  
**ONTABLE(B)**  
**HANDEEMPTY**  
**CLEAR(A)**  
**CLEAR(C)**  
**ON(C,B)**

**Solution: {unstack(C,A), stack(C,B)}**

# Example

**12.** Since top goal is unsatisfied compound goal, list its unsatisfied sub-goals on top of it:

**Stack:**



**Database:**  
(unchanged)

**ONTABLE(A)**  
**ONTABLE(B)**  
**HANDEEMPTY**  
**CLEAR(A)**  
**CLEAR(C)**  
**ON(C,B)**

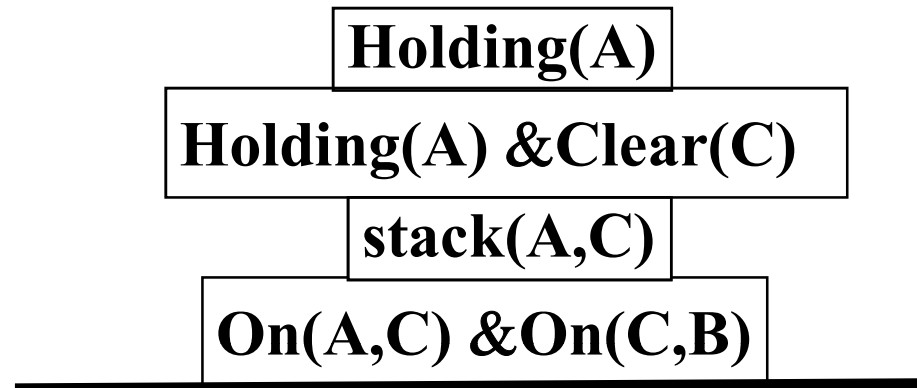
**Solution:** {**unstack(C,A)**, **stack(C,B)**}



# Example

**13.** Since top goal is unsatisfied compound goal, list its unsatisfied sub-goals on top of it:

**Stack:**



**Database:**  
(unchanged)

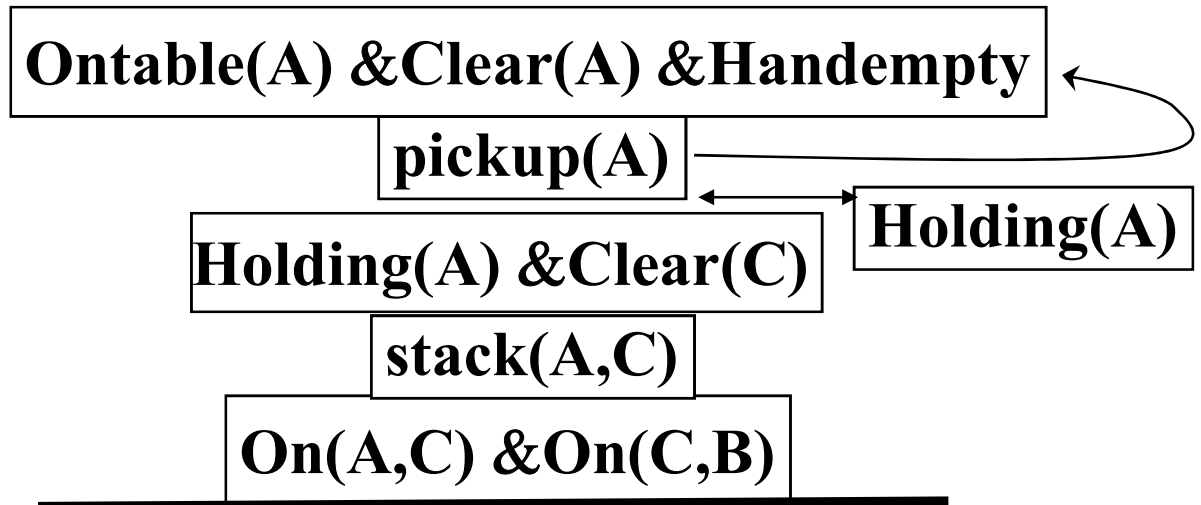
<b>ONTABLE(A)</b>
<b>ONTABLE(B)</b>
<b>HANDEEMPTY</b>
<b>CLEAR(A)</b>
<b>CLEAR(C)</b>
<b>ON(C,B)</b>

**Solution:** {unstack(C,A), stack(C,B)}

# Example

- 14.** Since top goal is unsatisfied single-literal goal, find rule whose instantiated add-list includes the goal, and: a. Replace the goal with the instantiated rule; b. Place the rule's instantiated precondition formula on top of stack

**Stack:**



**Database:**  
(unchanged)

**Solution:** {unstack(C,A), stack(C,B)}

# Example

- 15.** Compound goal on top of stack matches data base, so remove it:

**Stack:**

~~Ontable(A) & Clear(A) & Handempty~~

pickup(A)

Holding(A) & Clear(C)

stack(A,C)

On(A,C) & On(C,B)

**Database:**  
(unchanged)

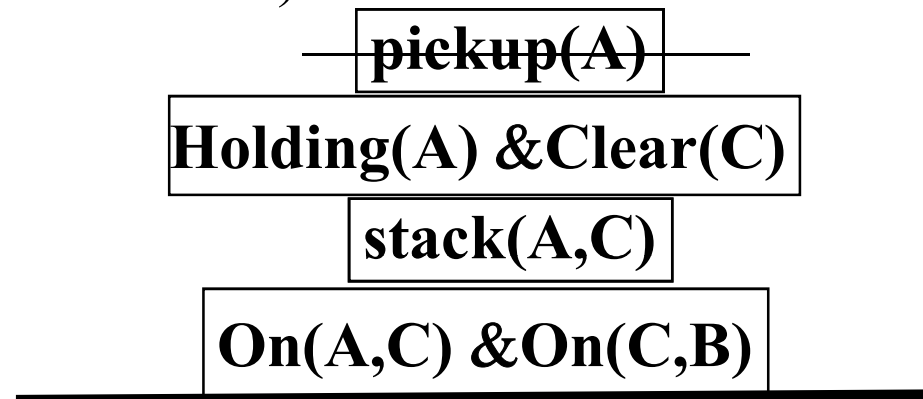
ONTABLE(A)  
ONTABLE(B)  
HANDEEMPTY  
CLEAR(A)  
CLEAR(C)  
ON(C,B)

**Solution:** {unstack(C,A), stack(C,B)}

# Example

- 16.** Top item is rule, so:
- Remove rule from stack;
  - Update database using rule;
  - Keep track of rule (for solution)

**Stack:**



**Database:**

pickup(X):

Add - [holding(X)]

Delete - [ontable(X), clear(X), handempty]

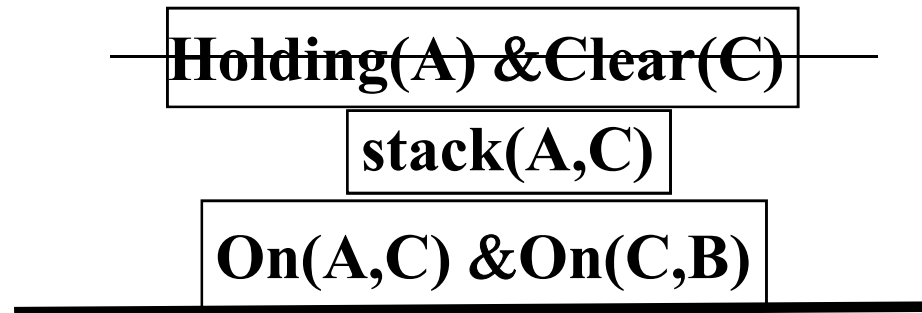
**ONTABLE(B)**  
**ON(C,B)**  
**CLEAR(C)**  
**HOLDING(A)**

**Solution: {unstack(C,A), stack(C,B), pickup(A)}**

# Example

**17.** Compound goal on top of stack matches data base, so remove it:

**Stack:**



**Database:**  
(unchanged)

ONTABLE(B) ON(C,B) CLEAR(C) HOLDING(A)
---

**Solution:** {unstack(C,A), stack(C,B), pickup(A)}

# Example

- 18.** Top item is rule, so:
- Remove rule from stack;
  - Update database using rule;
  - Keep track of rule (for solution)

**Stack:**



**Database:**

stack(X,Y):

Add - [handempty,on(X,Y),clear(X)]

Delete - [holding(X),clear(Y)]

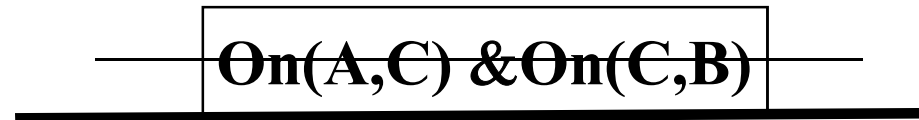
<b>ONTABLE(B)</b>
<b>ON(C,B)</b>
<b>ON(A,C)</b>
<b>CLEAR(A)</b>
<b>HANDEEMPTY</b>

**Solution:** {unstack(C,A), stack(C,B), pickup(A), stack(A,C)}

# Example

**19.** Compound goal on top of stack matches data base,  
so remove it:

**Stack:**



**Database:**

ONTABLE(B)
ON(C,B)
ON(A,C)
CLEAR(A)
HANDEEMPTY

**Solution:** {unstack(C), stack(C,B), pickup(A), stack(A,C)}

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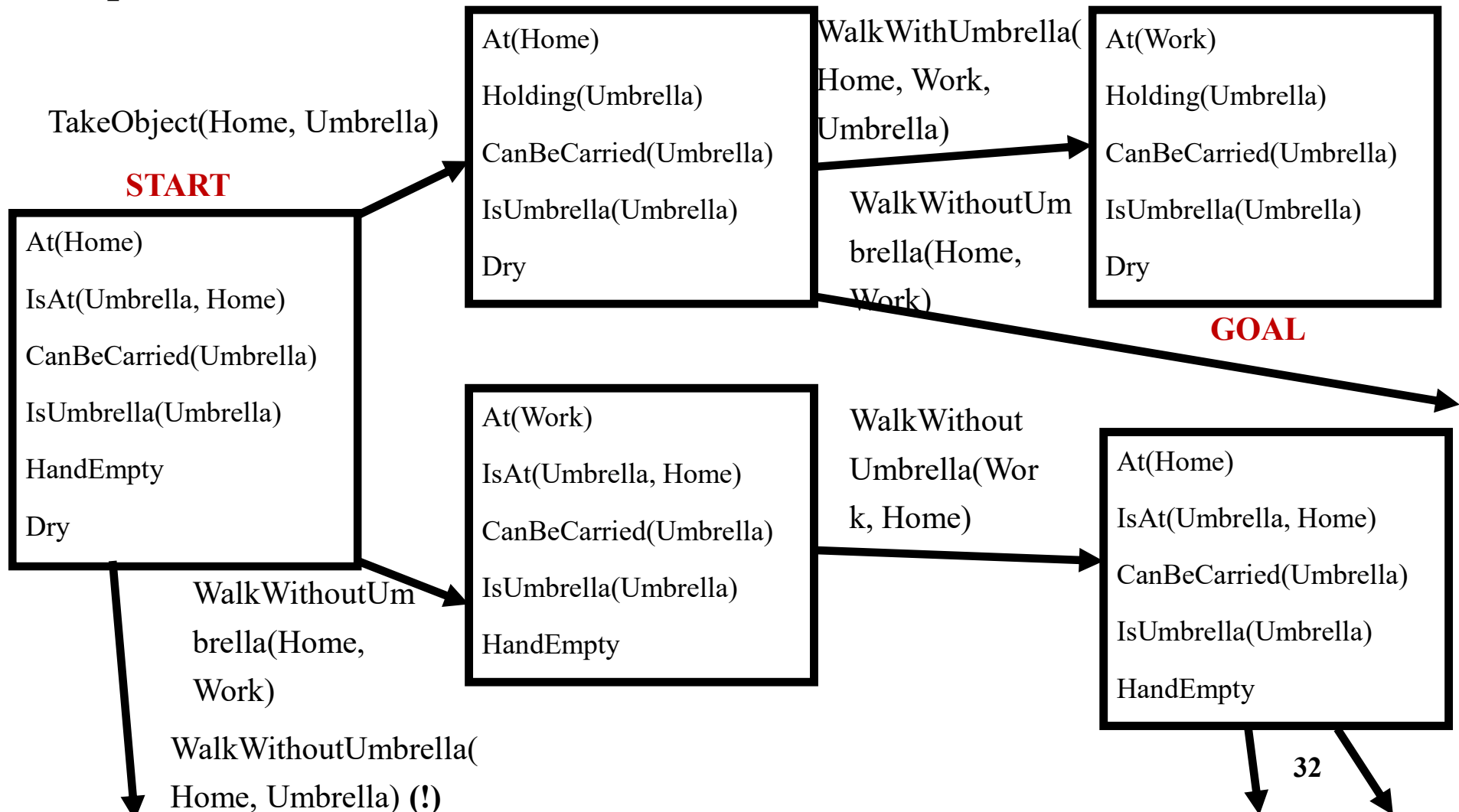
**20.** Stack is empty, so stop.  $\Rightarrow$

**Solution:** {unstack(C,A), stack(C,B), pickup(A), stack(A,C)}

# Forward State-Space Search

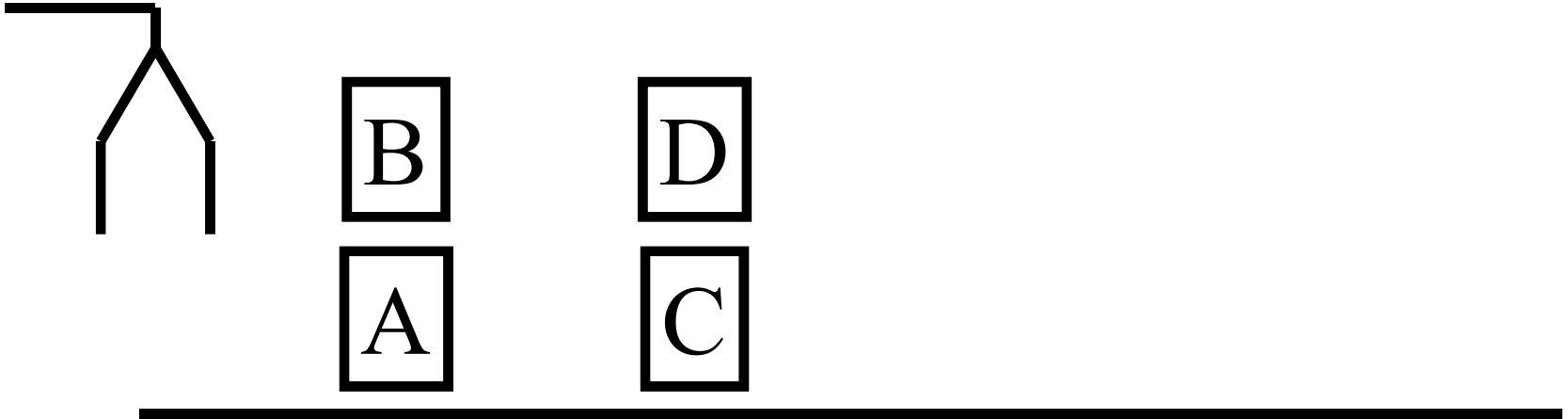
## (Progression Planning)

- **Successors:** All states that can be reached with an action, whose preconditions are satisfied in current state.



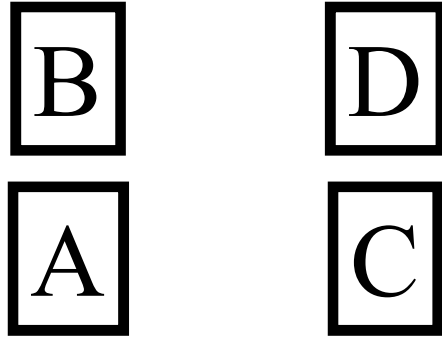


# Blocks World Problem



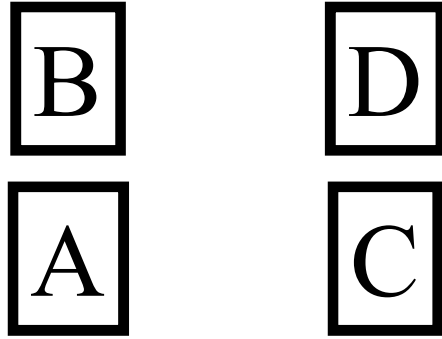
- On(B, A), On(A, Table),
- On(D, C), On(C, Table),
- Clear(B), Clear(D)

# Blocks World Problem: Move Action



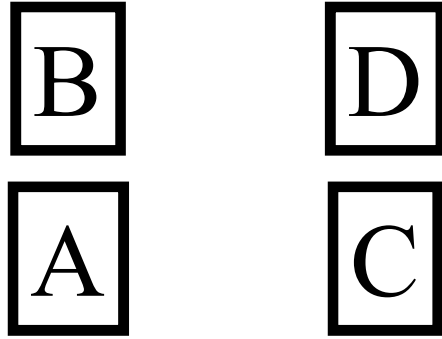
- $\text{Move}(x,y,z)$
- Preconditions:
  - $\text{On}(x,y), \text{Clear}(x), \text{Clear}(z)$
- Effects:
  - $\text{On}(x,z), \text{Clear}(y), \text{NOT}(\text{On}(x,y)), \text{NOT}(\text{Clear}(z))$
- $\text{Move}(B,A,D)$
- Preconditions:
  - $\text{On}(B,A), \text{Clear}(B), \text{Clear}(D)$
- Effects:
  - $\text{On}(B,D), \text{Clear}(A), \text{NOT}(\text{On}(B,A)), \text{NOT}(\text{Clear}(D))$

# Blocks World Problem: MoveToTable Action



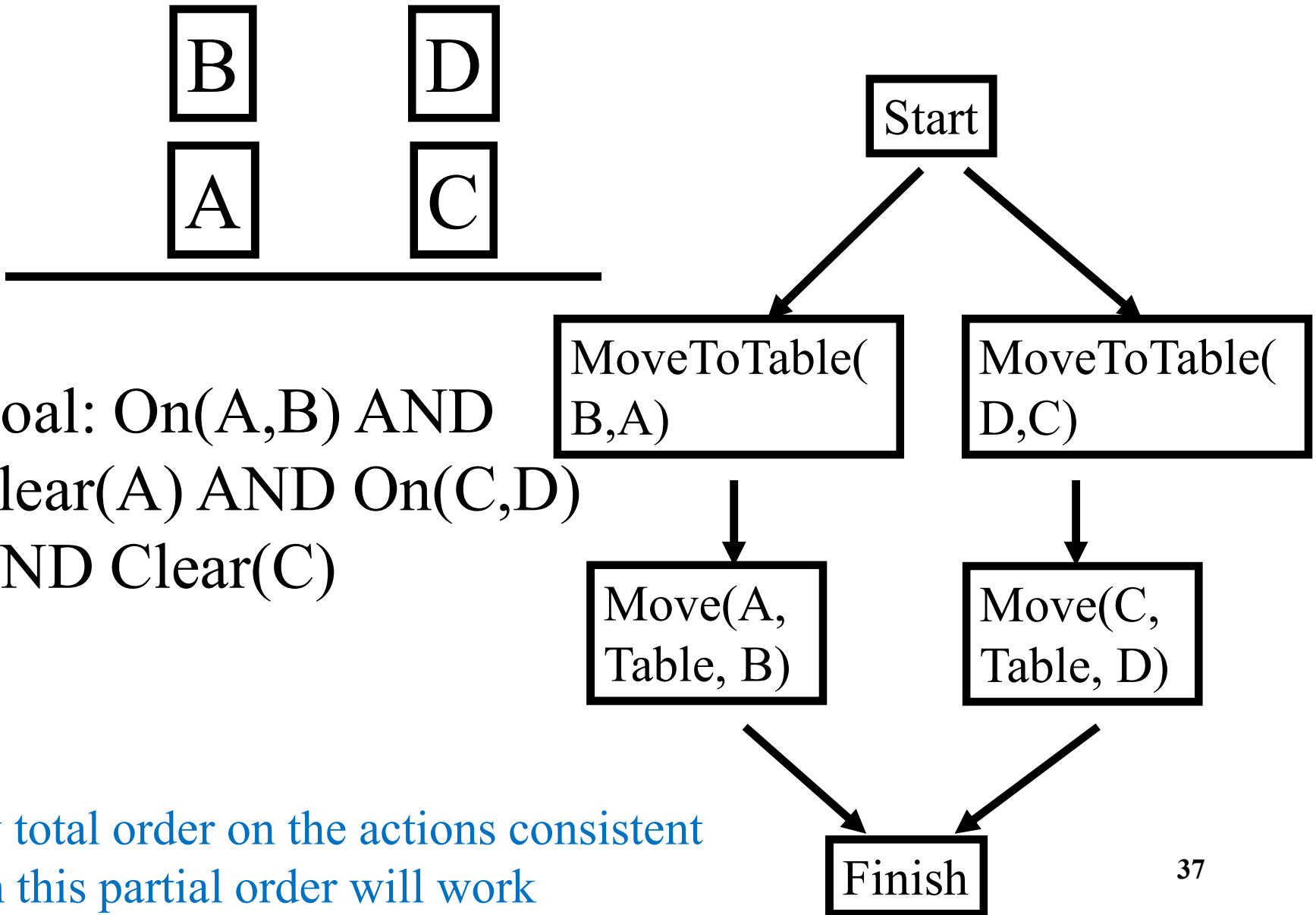
- MoveToTable(x,y)
- Preconditions:
  - On(x,y), Clear(x)
- Effects:
  - On(x,Table), Clear(y), NOT(On(x,y))
- MoveToTable(B,A)
- Preconditions:
  - On(B,A), Clear(B)
- Effects:
  - On(B,Table), Clear(A), NOT(On(B,A))

# Blocks World Example



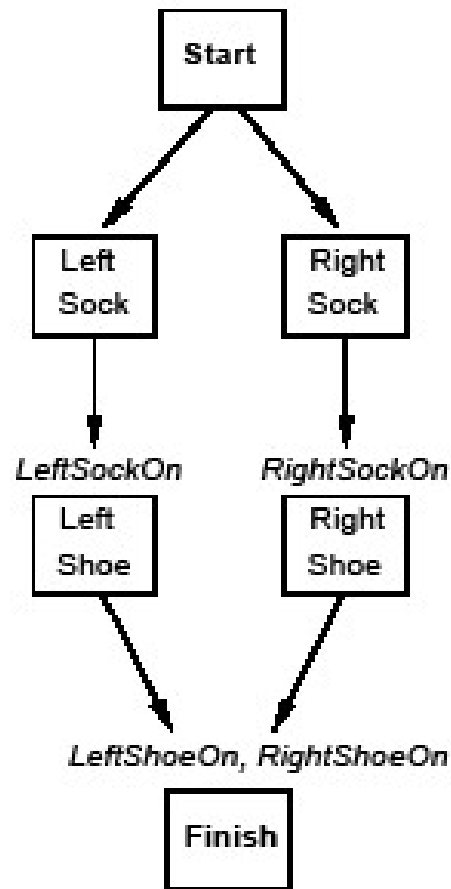
- Goal: On(A,B) AND Clear(A) AND On(C,D) AND Clear(C)
- A plan: MoveToTable(B, A), MoveToTable(D, C), Move(C, Table, D), Move(A, Table, B)
- Really two separate problems

# Partial-Order Plan

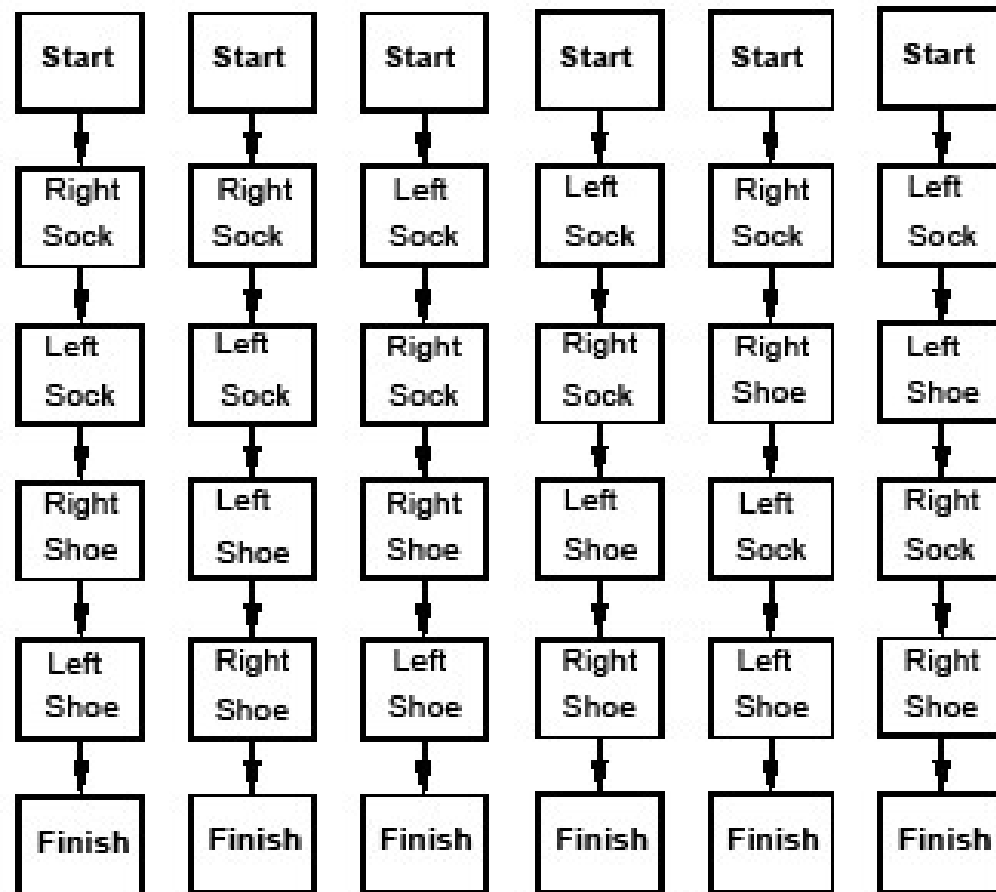


# Partial-Order Plan: Shoe Example

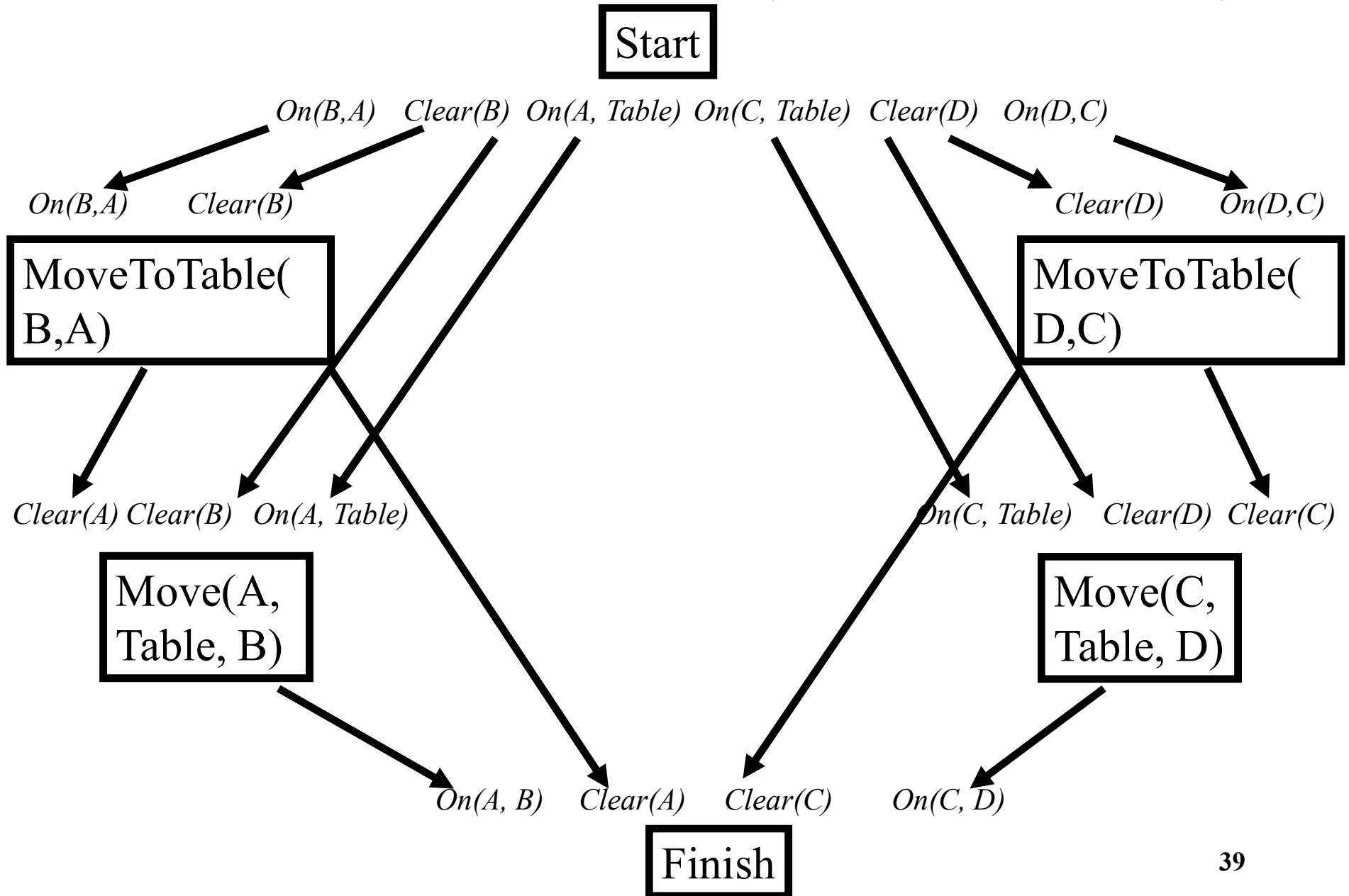
Partial Order Plan:



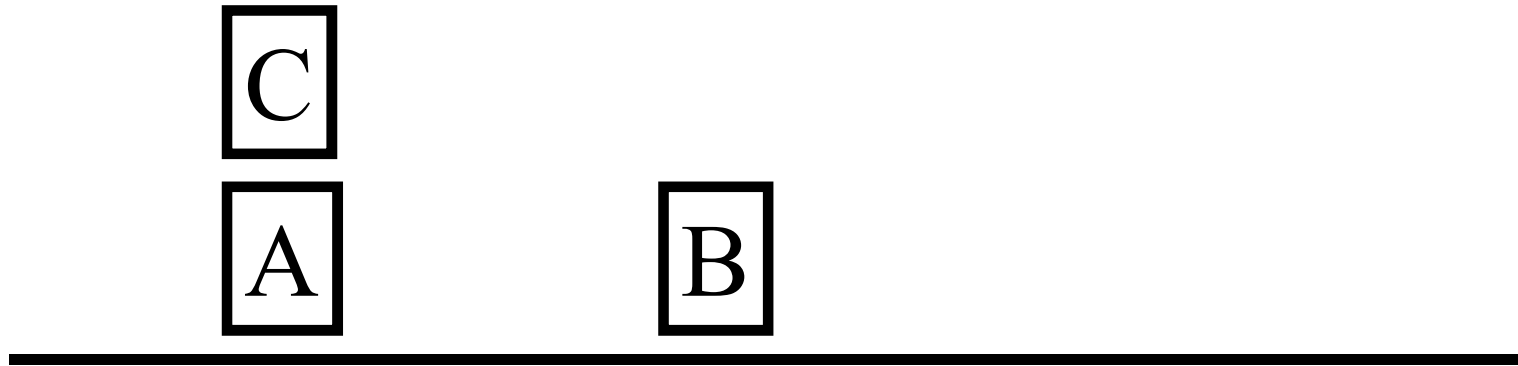
Total Order Plans:



# Partial-Order Plan (with more details)



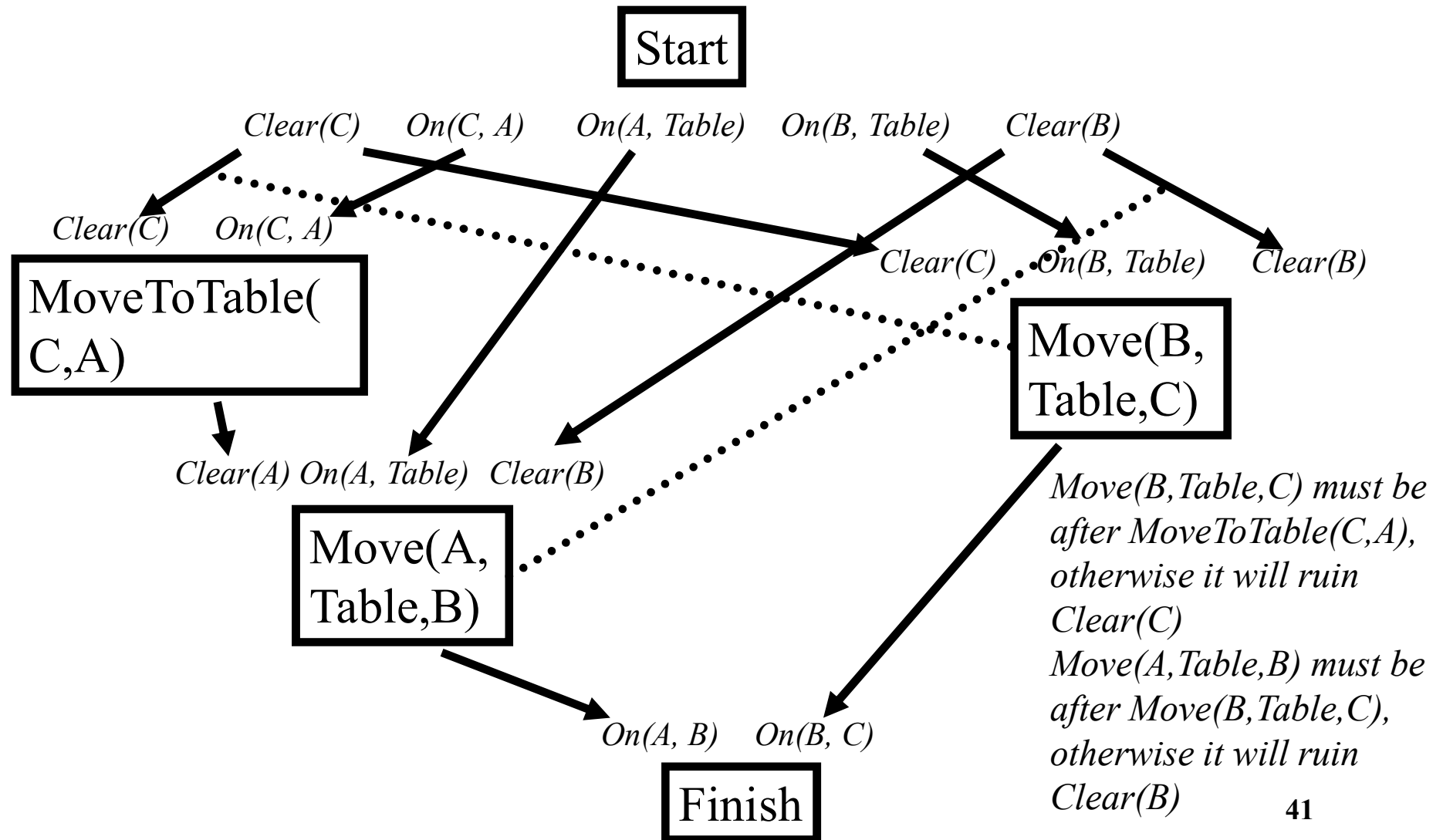
# Not everything decomposes into multiple problems: **Sussman Anomaly**



- Goal:  $\text{On}(A,B)$  AND  $\text{On}(B,C)$
- Focusing on one of these two individually first does not work
- Optimal plan:  $\text{MoveToTable}(C,A)$ ,  $\text{Move}(B,\text{Table},C)$ ,  $\text{Move}(A,\text{Table},B)$

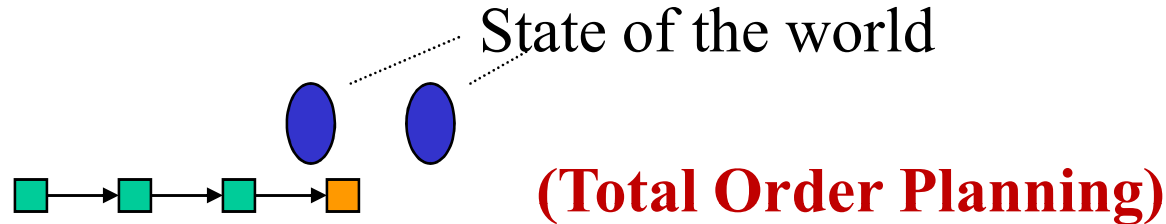


# An incorrect partial order plan for the Sussman Anomaly



# State- and Plan-Space Planning

- **State-Space Planners** transform the state of the world. These planners search for a **sequence of transformations** linking the initial state and a goal state.

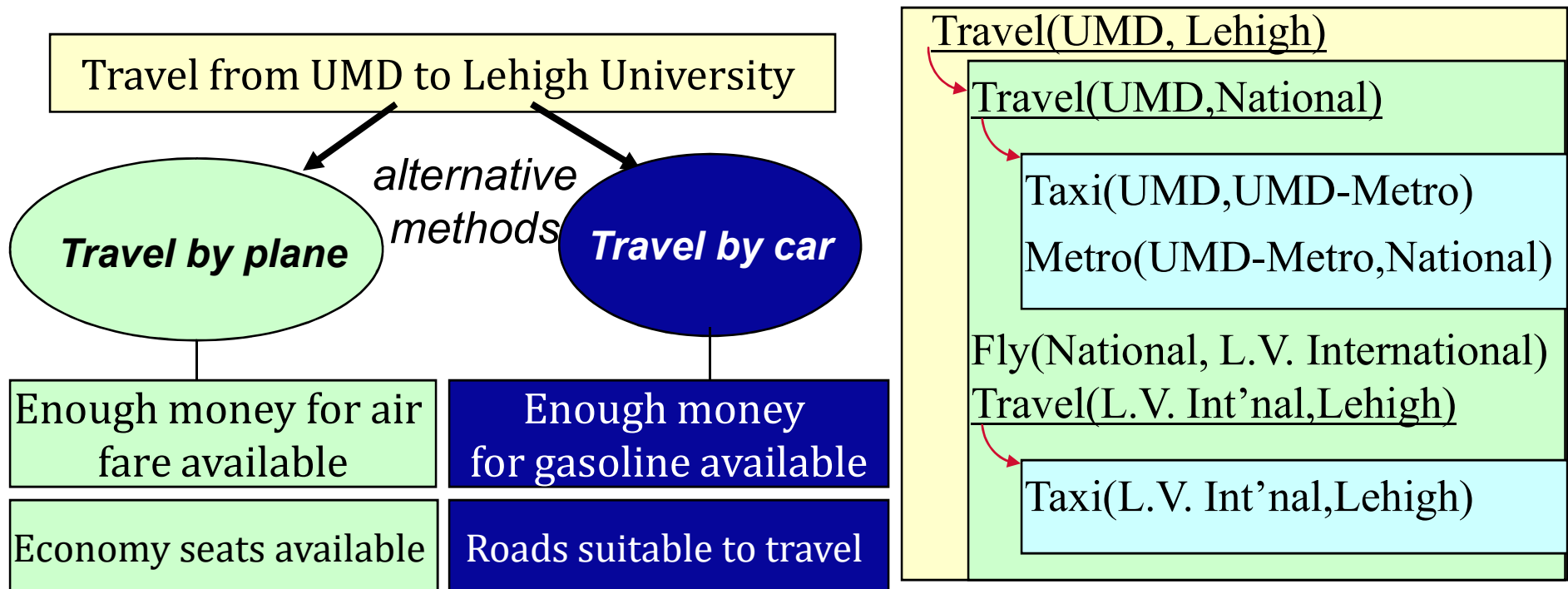


- **Plan-Space Planners** transform the plans. These planners search for a plan satisfying certain conditions.



# Hierarchical Planning

**Principle:** Complex tasks are decomposed into simpler tasks. The goal is to decompose all the tasks into *primitive* tasks, which define actions that change the world.



**Thank You !**