



# N-QUEENS PROBLEM

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# INTRODUCTION

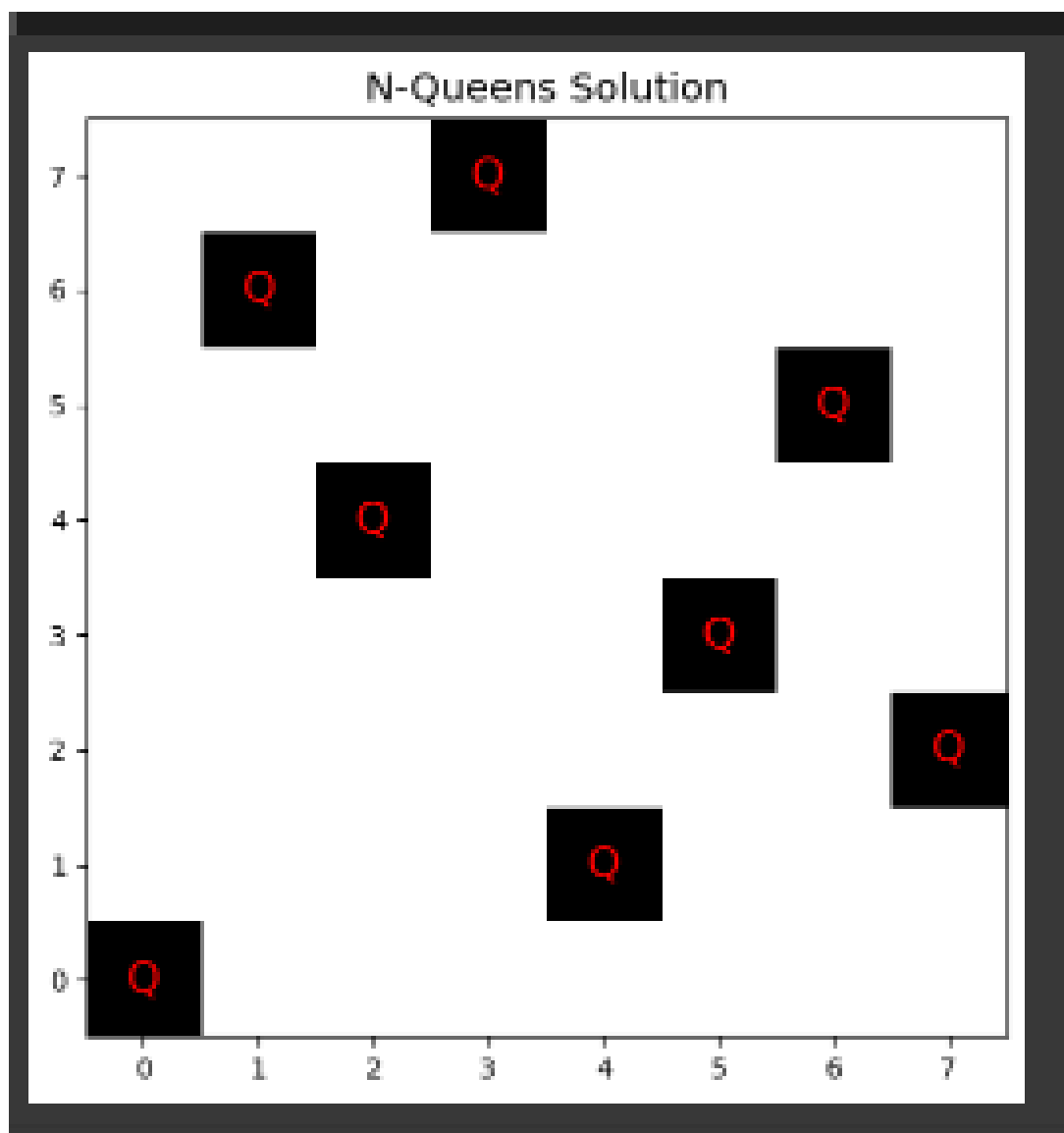
The N-Queens problem is a classic problem in Mathematics and Computer Science. It involves placing  $N$  chess queens on an  $N \times N$  chessboard such that no two queens threaten each other. In other words:

- 1) No two queens can be in the same row.
- 2) No two queens can be in the same column.
- 3) No two queens can be on the same diagonal.

The final goal is to find all valid arrangements or a single valid arrangement of queens on the board.

# METHODOLOGY

The Hill Climbing method is a search technique applied to optimization problems. It is based on the hill-climbing metaphor, where the aim is to ascend to the top of the hill (optimal solution) by iteratively refining a candidate solution. The algorithm begins with a starting solution and gradually advances towards improved solutions by examining neighbouring states.



VISUALISED N-QUEENS BOARD

# CODE

```
import random #imports random library
import pandas as pd
import matplotlib.pyplot as plt
# this function is defined to find the number
of conflicts for a given configuration
def calculate_conflicts(board):
    conflicts = 0
    n = len(board)

    for i in range(n):
        for j in range(i + 1, n):
            if board[i] == board[j] or
abs(board[i] - board[j]) == j - i:
                conflicts += 1
    return conflicts
# this function is to generate a random
configuration of queens
def random_queen_configuration(n):
    return [random.randint(0, n - 1) for _ in
range(n)]
```

# this function is defined to perform hill climbing search for the N-Queens solution

```
def hill_climbing(n):  
    board = random_queen_configuration(n)  
    conflicts = calculate_conflicts(board)  
  
    if conflicts == 0:  
        return board  
  
    while True:  
        best_board = None  
        best_conflicts = conflicts  
  
        for row in range(n):  
            for col in range(n):  
                if col == board[row]:  
                    continue  
  
                new_board = board[:]  
                new_board[row] = col  
                new_conflicts =  
calculate_conflicts(new_board)
```

```
        if new_conflicts <
best_conflicts:
            best_conflicts =
new_conflicts
            best_board = new_board
```

```
    if best_conflicts == conflicts:
        break
```

```
    board = best_board
    conflicts = best_conflicts
```

```
    if conflicts == 0:
        return board
```

```
    return board
```

**#displaying the board in a human-readable way**

```
def display_board(board):
    n = len(board)
    for i in range(n):
        row = ['Q' if j == board[i] else '.'
for j in range(n)]
        print(' '.join(row))
```

# to test the solution for different values of N

```
def solve_n_queens(n):  
    solution = hill_climbing(n)  
    display_board(solution)  
    print("\nSolution found!")
```

# Function to generate the chessboard as a Pandas DataFrame

```
def create_chessboard(board):  
    """  
    Create a DataFrame representation of the chessboard.  
    Rows and columns with queens will be marked as 1, others as 0.  
    """  
    n = len(board)  
    chessboard = [[0] * n for _ in range(n)]  
  
    for i, col in enumerate(board):  
        chessboard[i][col] = 1 # Mark the queen's position as 1  
  
    df = pd.DataFrame(chessboard)  
    return df
```

```
# Function to visualize the N-Queens board
def visualize_n_queens(board):
    """
    Visualize the N-Queens board using
    Matplotlib.
    """

    df = create_chessboard(board)
    plt.figure(figsize=(6, 6))
    plt.imshow(df, cmap="Greys",
interpolation="nearest")

    # Add the queens as red markers
    for i, col in enumerate(board):
        plt.text(col, i, "Q", ha="center",
va="center", color="red", fontsize=16)

    plt.title("N-Queens Solution",
fontsize=14)

    plt.xticks(range(len(board))) # Show
column indices

    plt.yticks(range(len(board))) # Show row
indices
```



```
plt.gca().invert_yaxis() # Invert y-axis
to match chessboard convention
plt.show()
```

### # Example N-Queens solution

```
if __name__ == "__main__":
    # Example board configuration for N = 8
    solution = [0, 4, 7, 5, 2, 6, 1, 3] # A
    valid solution for the 8-Queens problem
    visualize_n_queens(solution)
```

### # Example usage

```
if __name__ == "__main__":
    try:
        while True:
            n=int(input("Enter Value of N = "))
            print("\nSolution for N = ",n,":\n")
            solve_n_queens(n)
    except:
        print("Error !")
```

# Output :

```
→ Enter Value of N = 3

Solution for N = 3 :

Q - -
- - Q
Q - -

Solution found!
Enter Value of N = 7

Solution for N = 7 :

- - - - - Q -
- Q - - - - -
- - - - - Q -
Q - - - - -
- - - Q - - -
- - - - - Q
- - Q - - - -

Solution found!
Enter Value of N = 8

Solution for N = 8 :

- - - - - Q - -
- - Q - - - - -
Q - - - - -
- - - - - Q
- - - - - Q -
- - - - - Q
- Q - - - - -
- - - Q - - - -
- - - - - Q -
- - Q - - - - Q -

Solution found!
Enter Value of N = 10

Solution for N = 10 :

- - - - - - - - Q -
- - - - - Q - - - -
Q - - - - - - - -
- - - - - - - - Q
- - - - - Q - - - -
- Q - - - - - - - -
- - - Q - - - - -
- - - - - - - - Q
- - - - - - - - Q
- - Q - - - - - - -

Solution found!
Enter Value of N = x
Error !
```

# REFERENCES

- <https://www.naukri.com/code360/library/n-queen-problem?form=MG0AV3>
- <https://leetcode.com/problems/n-queens/description/?form=MG0AV3>
- <https://algo.monster/liteproblems/51?form=MG0AV3>
- <https://docs.python.org/3/>