

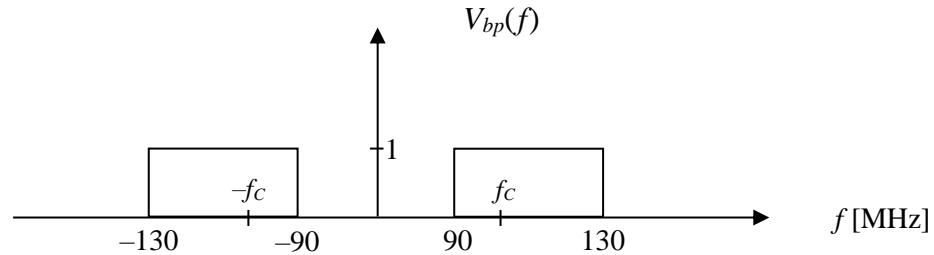
COMMUNICATION THEORY, Exercise 5, Fall 2023

1. A complex lowpass signal $v_{lp}(t)$ can be transformed into a real bandpass signal by doing

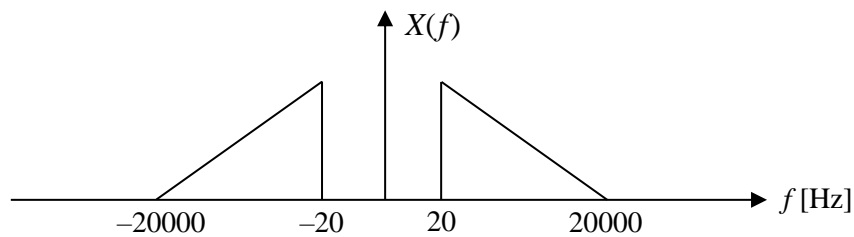
$$v_{bp}(t) = \text{Re}[v_{lp}(t) \cdot e^{j\omega_c t}]$$

Using only real-valued signals and operations:

- draw a block diagram for generating the signal $v_{bp}(t)$ from $v_i(t)$ and $v_q(t)$
 - draw a block diagram for extracting $v_i(t)$ and $v_q(t)$ from the signal $v_{bp}(t)$
 - draw the corresponding diagrams using complex signals and operations instead
2. Find the lowpass equivalent $v_{lp}(t)$ and the corresponding I and Q components $v_i(t)$ and $v_q(t)$ for the following bandpass signal $v_{bp}(t)$, given the carrier frequency $f_c = 100$ MHz.



3. The spectrum of a certain audio signal is shown in the picture below. Draw the spectra of the corresponding AM, DSB, USSB, LSSB, and VSB+C modulated signals using carrier frequency $f_c = 95$ MHz, and calculate the needed bandwidth in each case.



4. Consider the sideband power P_{SB} , defined as the power in one single side or half of the spectrum (not including a possible carrier in the center), and the maximum instantaneous power A_{max}^2 , or the square of the maximum instantaneous amplitude of a signal.
- Find an expression of the ratio P_{SB} / A_{max}^2 for an AM and a DSB modulated signal, as a function of the baseband signal power S_X
 - Assuming $S_X = 0.2$ W, calculate the required transmission power S_T and the corresponding maximum instantaneous power A_{max}^2 to achieve $P_{SB} = 10$ W for AM (with $\mu = 1$) and DSB modulations