

EDA - Session 2

Exploring the Data II





Content

- 1. Exploring the data II
 - Continuous values
 - Correlation bi/multivariate
- 2. Feature selection
 - Methods
 - Alternative: PCA

3. Hands-On



From Exploring the data I

What should you do when encountering a new data set? In general:

- Answer the basic questions about, context, data set size, fields meaning
- Summary statistics
- Pairwise correlations
- Class breakdowns
- Plots of distributions



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Exploring the data II

Pairwise correlations measure relationships:

- Between independent variables
- Between independent variables and the outcome





Exploring the data II

Pairwise correlations are important for:

- Selection of relevant features
- Observing the predictive power of variables





Exploring the data II

Different measures of correlations (statistical framework) depends on the type of variables involved, for example:

- Pearson or spearman for continuous variables
- Phi's coefficient or Cramers' V for categorical variables
- Kendall's Tau for ordinal variables



At least two categories of selection can be described:

- Filter methods (Univariate)
 - f-test (ANOVA) Categorical output
 - chi2 categorical output
 - mutual information
 - Other (pearson, spearman, kendall's tau) Continuous input and continuous output

- Model based
 - Feature importance
 - Recursive Feature Elimination





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- Eigenvalues of covariance matrices are employed for selecting the k eigenvectors corresponding to the new dimensions.





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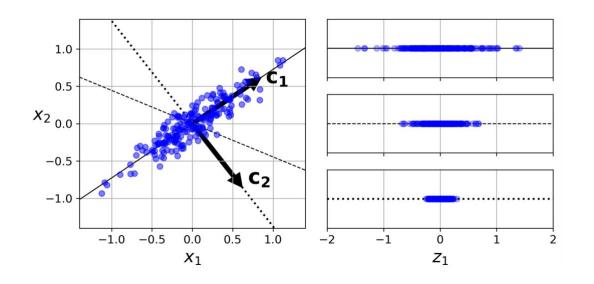
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The PCA directions are highly sensitive to data scaling, and we need to standardize the features prior to PCA if the features have different scales.





PCA Illustration







Hands-On

