

1  
point

**1.**

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When  $\mathcal{KL}(q||p)$  is equal to zero?

- ☐ Never.
- ☐  $p(x) = cq(x), \forall x \in X$  and different  $c$ .
- ☐  $p(x) = q(x), \forall x \in X$ .
- 

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**2.**

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Consider true distribution  $p(x)$  which we want to approximate with some distribution  $q(x)$  minimizing either forward ( $\mathcal{KL}(p||q)$ ) or reverse ( $\mathcal{KL}(q||p)$ )  $\mathcal{KL}$ -divergence. We call *zero-forcing* the effect when  $q(x)$  is forced to be 0 in some areas even if  $p(x) > 0$ . We call *zero-avoiding* the effect when  $q(x) = 0$  is avoided whenever  $p(x) > 0$ . Select true statements.

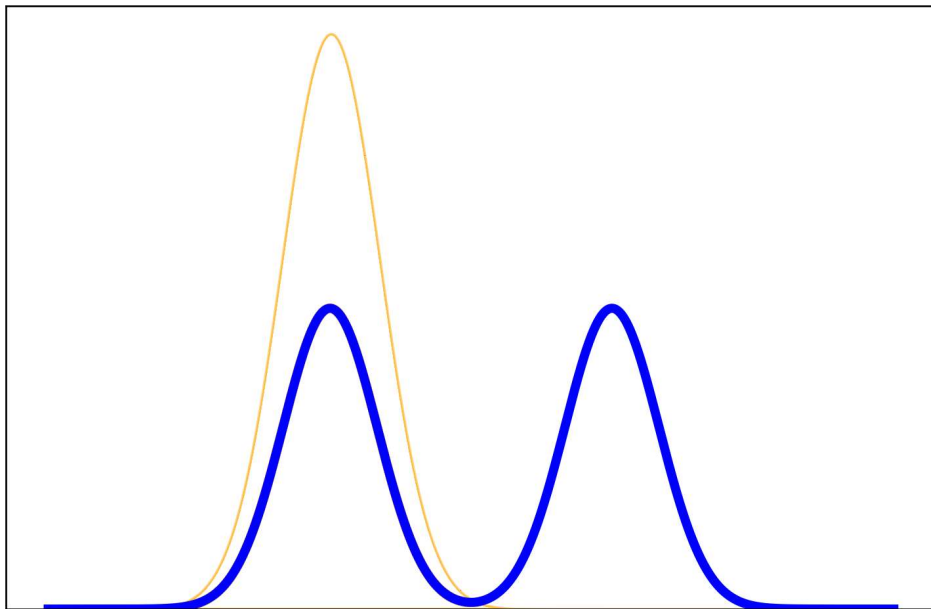
- ☐  $\mathcal{KL}(q||p)$  is zero-forcing.
- ☐  $\mathcal{KL}(q||p)$  is zero-avoiding.
- ☐  $\mathcal{KL}(p||q)$  is zero-forcing.
- ☐  $\mathcal{KL}(p||q)$  is zero-avoiding.
-

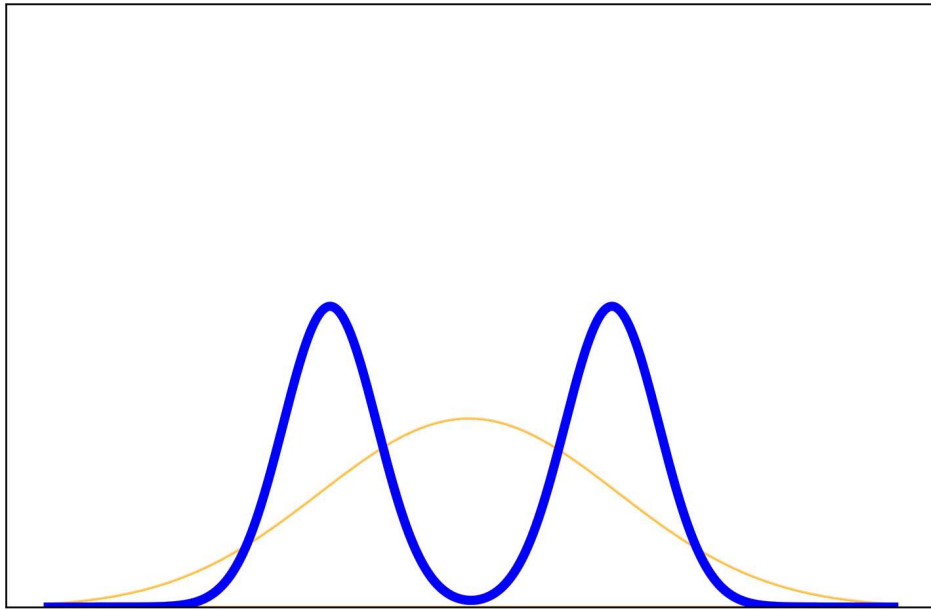
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**3.**

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Consider we learn true bimodal distribution  $p(x)$  (blue line) with Gaussian distribution  $q(x)$  (orange line) by minimizing reverse  $\mathcal{KL}$ -divergence  $\mathcal{KL}(q||p)$ . Which distribution will be fitted?

☐ a)☐ b)



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**4.**

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What variational family is used in mean field approximation method?

- ☐ Gaussian distribution
- ☐ Any distributions we want
- ☐ Factorised distribution

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**5.**

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Choose update formula for mean field.

☐  $\log q_j(x_j) = \mathbb{E}_{x_{-j}} \log p(x) + \text{const.}$

☐  $\log q_j(x_j) = \mathbb{E}_{x_{-j}} \log p(x).$

☐  $q_j(x_j) = \mathbb{E}_{x_{-j}} p(x) + \text{const.}$

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**6.**

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Can we calculate every factorized distribution for one step?

☐ No, we should update all factorized distributions one after another until they converge.

☐ Yes, they depend only on joint distribution.

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