### PUBLISHED RALATIVE PERFORMANCE PREDICTION

### 1) Initial Variables

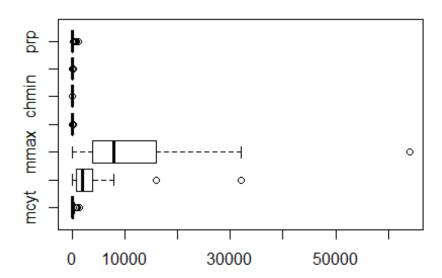
Vendor Name
Model Name
MCYT
MMIN
MMAX
CACH
CHMIN
CHMAX
PRP
ERP

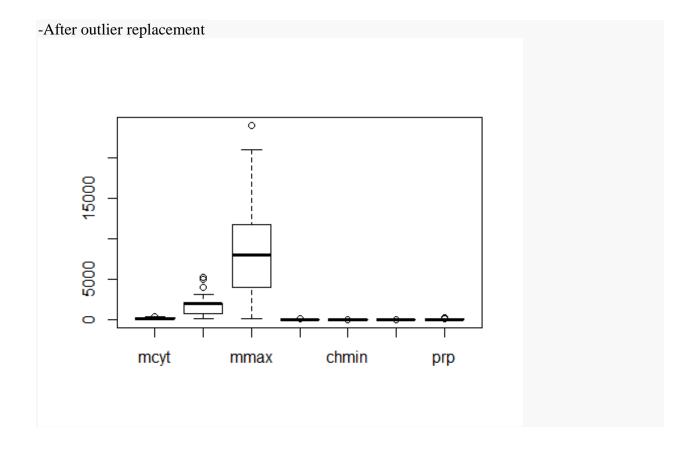
## 2) Pre-processing

- 1) Named the columns of given data
- 2) Nullified the unrequired feature variables like 'Vendor Name' and 'Model Name' and 'ERP'
- 3) Checked for the NULL values
- **4)** Checked the correlation between the feature variables

```
mcyt
                mmin
                         mmax
                                  cach
                                         chmin
                                                 chmax
## mcyt 1.0000000 -0.3370714 -0.3795919 -0.3404142 -0.3007337 -0.2556289
## mmin -0.3370714 1.0000000 0.7578268 0.6027875 0.5266649 0.2938772
## mmax -0.3795919 0.7578268 1.0000000 0.6006801 0.5685938 0.5623875
## cach -0.3404142 0.6027875 0.6006801 1.0000000 0.5881277 0.4235497
## chmin -0.3007337 0.5266649 0.5685938 0.5881277 1.0000000 0.5417623
## chmax -0.2556289 0.2938772 0.5623875 0.4235497 0.5417623 1.0000000
## prp -0.3065714 0.7983105 0.8655762 0.7046424 0.6088411 0.6213091
         prp
## mcyt -0.3065714
## mmin 0.7983105
## mmax 0.8655762
## cach 0.7046424
## chmin 0.6088411
```

- 5) Checked the outliers of the data and replaced it with mean of that respective column
  - -Before outlier replacement





## 3) Feture Selection

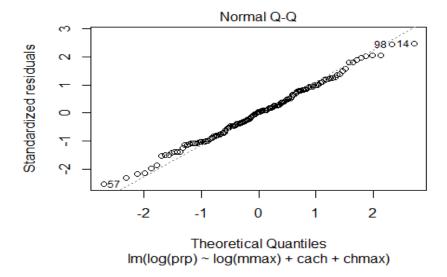
- 1) First of all feature variables are taken into consideration
- 2) And then through analysis and relevance, scaling is done and feature variables are selected

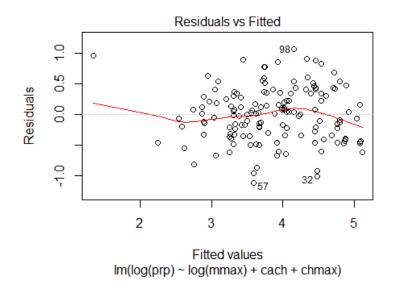
# 4) Model Development

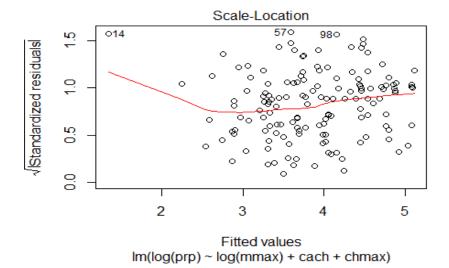
1) Linear algorithm is used for model development

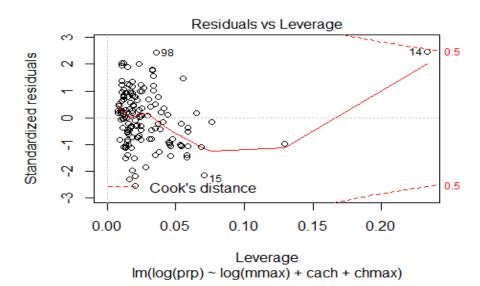
# 5) Model Testing and Accuracy Checking

1) Linearity between data and model is checked









### 2) Analysis of variance table is also done

```
## Response: log(prp)
## Df Sum Sq Mean Sq F value Pr(>F)
## log(mmax) 1 54.100 54.100 274.853 < 2.2e-16 ***
## cach 1 10.290 10.290 52.280 2.731e-11 ***
## chmax 1 4.448 4.448 22.599 4.842e-06 ***
## Residuals 142 27.950 0.197
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

### 3) RMSE is checked for developed model

## [1] 0.4407441

```
setwd("E:/Aegis/Machine Learning/Data")
cpu11=read.csv("data set.csv",stringsAsFactors = TRUE)
colnames(cpu11)=c("vendor","model
name","mcyt","mmin","mmax","cach","chmin","chmax","prp","erp")
cpu11$vendor=NULL
cpu11$`model name`=NULL
cpu11\end{arp}=NULL
anyNA(cpu11)
cor(cpu11)
boxplot(cpu11,horizontal = TRUE)
outlier.removal.with.mean=function(a){
 for(j in 1:ncol(a)){
  v=summary(a[,j])
  rightlimit=v[5]+1.5*IQR(v)
  leftlimit=v[2]-1.5*IQR(v)
  for(i in 1:nrow(a)){
   if(a[i,j]>rightlimit || a[i,j]<leftlimit){</pre>
    a[i,j]=mean(a[,j])
```

```
return(a)
cpu11=outlier.removal.with.mean(cpu11)
boxplot(cpu11)
indi=sample(1:nrow(cpu11),round(0.70*(nrow(cpu11))))
cpu11train=cpu11[indi,]
cpu11test=cpu11[-indi,]
#fitt14=lm(formula = prp ~ mcyt + mmin + mmax + cach + chmin + chmax,
data = cpu11train)
#summary(fitt11)
#plot(fitt11)
#fitt14=lm(log(prp) ~ mcyt + mmin + mmax + cach + chmin +
chmax,cpu11train)#0.4865599
#summary(fitt12)
#plot(fitt12)
#fitt14=lm(log(prp) \sim log(mcyt) + log(mmin) + log(mmax) + cach + chmin
,cpu11train)
#summary(fitt13)
#plot(fitt13)
```

```
fitt14=lm(formula = log(prp) ~ log(mmax) + cach + chmax, data = cpu11train)
summary(fitt14)
plot(fitt14)
anova(fitt14)

out14=predict(fitt14,cpu11test)

error=out14-log(cpu11test[7])

RMSE14=sqrt(mean((error)^2))
RMSE14
```