Electrons and Positrons

There are x *electrons* and y *positrons* on a two-dimensional plane. They can only move parallel to the rectangular coordinate axis at a speed of 1 unit per second.

You assign a direction of movement, *Up*, *Down*, *Left*, or *Right*, to each individual particle before they start moving. Once movement starts, an electron colliding with a positron has two options:

- Ignore the positron and continue moving.
- React with the positron and vanish, taking the positron along with it.

You are given q queries, where each query consists of the set of cartesian coordinates for all the electrons and positrons on a plane. For each query, assign a direction to each individual particle such that when they start moving at time $t = 0$, the number of vanished particles is maximized at time $t = \infty$. Then print the maximum possible number of electrons that chose to react and vanish on a new line.

Note: Multiple electrons and positrons may initially be colliding at $t = 0$.

Input Format

The first line contains an integer, q, denoting the number of queries. The subsequent lines describe each query in the following format:

1. The first line contains two space-separated integers describing the respective values of x (the number of electrons) and y (the number of positrons).
2. Next, each line i of the x subsequent lines contains two space-separated integers describing the the cartesian coordinate of electron x_i.
3. Next, each line j of the y subsequent lines contains two space-separated integers describing the cartesian coordinate of positron y_j.

Constraints

- $1 \leq q \leq 5$
- $2 \leq x + y \leq 2000$
- $-10^9 \leq x_i,\ y_i \leq 10^9$

Output Format

For each query, print an integer denoting the maximum number of electrons that choose to react and vanish with a positron as time approaches ∞.

Sample Input 0

```
2
1 1
0 0
1 0
2 2
0 0
0 1
1 0
1 -1
```

Sample Output 0

```
1
2
```

Explanation 0

We perform the following $q = 2$ queries:

1. We have an electron at $(0, 0)$ and a positron at $(1, 0)$. We can move the electron in the *Right* direction and the positron in the *Left* direction to ensure that they collide and the electron chooses to react and vanish itself and the positron. Because one vanish reaction occured, we print 1 on a new line.
2. We have two electrons located at $(0, 0)$ and $(0, 1)$, and two positrons located at $(1, 0)$ and $(1, -1)$. We can assign the *Down* direction to both electrons and the *Left* direction to both positrons. Once time starts, both electrons will eventually collide with a positron, and both of them will choose to react and vanish. Because two react and vanishes occur, we print 2 on a new line.