



Assignment No :- 02

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Class :- R.F.J.T

Sem:- VII

Sub:- JS Lab

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Q.1) Solve the following with Forward Chaining or backward Chaining or resolution (any one).
use predicate logic as language of knowledge representation clearly specify the facts & inference rule used.

Q.1) Example 1:-

- 1) Every child sees some witch has both a black cat & a pointed hat.
- 2) Every witch is good or bad.
- 3) Every child who sees any good witch gets candy.
- 4) Every witch that is bad has a black cat.
- 5) Every witch that is seen by any child has a pointed hat.

→ A) Facts into fol

1) $\exists x \forall y (child(x), witch(y) \rightarrow sees(x, y))$
 $\neg \exists y (witch(y) \rightarrow has(y, black\ cat) \wedge has(y, pointed\ hat))$

2) $\exists y (witch(y) \rightarrow good(y) \vee bad(y))$

3) $\exists x ((sees(x, y) \rightarrow (witch(y) \rightarrow good(y))) \rightarrow get(x, candy))$

4) $\exists y (witch(y) \rightarrow bad(y) \rightarrow has(y, black\ hat))$

5) $\exists y (sees(x, y) \rightarrow has(y, pointed\ hat))$

B) FOL into CNF

1) $\exists x \forall y (child(x), witch(y) \rightarrow sees(x, y))$

$\rightarrow \neg \exists y (witch(y) \rightarrow has(y, Pointed\ hat))$

2) $\forall y (witch(y) \rightarrow good(y))$

$\forall y (witch(y) \rightarrow bad(y))$

3) $\exists x [(sees(x, y) \rightarrow witch(y) \rightarrow good(y)) \rightarrow gets(x, candy)]$

$\rightarrow \exists x [sees(x, good(y)) \rightarrow gets(x, candy)]$

4) $\neg \exists y [bad(y) \rightarrow has(y, black\ hats)]$

5) $\neg \exists y [seen(x, y) \rightarrow has(y, pointed\ hat)]$

$\rightarrow \neg \forall y [seen(x, y) \rightarrow has(y, black\ hat)]$

c) $sees(x, y)$

$witch(y) \vee sees(x, y)$

$\{good \vee bad / y\}$

$\neg seen(x, good) \wedge sees(x, bad) \quad has(y, z)$

$\{y / good \vee bad\}$

$\{z / black\ cat \vee$

$pointed\ hat\}$

$seen(x, good) \vee seen(x, bad)$

$has(good, pointed$

$hats \vee gets(x, candy)$

$seen(x, good) \wedge has(good$

$pointed\ hat) \vee get$

$(x, candy)$

$seen(x, good) \vee$

$gets(x, candy)$

$gets(x, candy)$

$gets(x, candy)$

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2) Example 2 :-

- 1) Every boy or Girl is a child
- 2) Every child gets a doll or a train or a lump of coal
- 3) No boy get any doll
- 4) Every child who is bad get any lump of coal
- 5) No child gets a train
- 6) Ram gets lump of coal
- 7) Prove Ram is bad.

-
- 1) $\forall x (\text{boy}(x) \vee \text{girl}(x) \rightarrow \text{child}(x))$
 - 2) $\forall y (\text{child}(y) \rightarrow \text{gets}(y, \text{doll}) \vee \text{gets}(y, \text{train}) \vee \text{gets}(y, \text{coal}))$
 - 3) $\forall w (\text{boy}(w) \rightarrow \neg \text{gets}(w, \text{doll}))$
 - 4) For all $z (\text{child}(z) \wedge \text{bad}(z) \rightarrow \text{gets}(z, \text{coal}))$
 $\forall y (\text{child}(y) \rightarrow \neg \text{gets}(y, \text{train}))$
 - 5) $\text{child}(\text{Ram}) \wedge \neg \text{get}(\text{Ram}, \text{coal})$
- To prove $(\text{child}(\text{Ram}) \rightarrow \text{bad}(\text{Ram}))$

GIVE clauses -

- 1) $\neg \text{boy}(x) \vee \text{child}(x)$
 $\neg \text{girl}(x) \vee \text{child}(x)$
- 2) $\neg \text{child}(y) \vee \text{gets}(y, \text{doll}) \vee$
 $\text{gets}(y, \text{train}) \vee \text{gets}(y, \text{coal})$
- 3) $\neg \text{boy}(w) \vee \neg \text{gets}(w, \text{doll})$
- 4) $\neg \text{child}(z) \vee \neg \text{bad}(z) \vee \text{gets}(z, \text{coal})$

Resolution:

4) ! Child (2) or bad (2) or get (2, coal)

6) bad (ram)

7) ! Child (ram) or gets (ram, coal)

Substituting 2 by ram

1) (e) ! boy (x) or Child (x)

boy (ram)

8) Child ram / substituting x by ram

9) ! Child (ram) or gets (ram, coal)

8) child (ram)

9) gets (ram, coal)

2) ! Child (y) (or gets (y, doll) or gets (y, train) or gets (y, coal)).

3) child (ram)

10) gets (ram, doll) or gets (ram, train) or gets (ram, coal)

(Substituting y by ram)

9) gets (ram, coal)

10) gets (ram, doll) or gets (ram, train) or gets (ram, coal)

11) get (ram, doll) or gets (ram, coal)

3) ! boy (w) or ! gets (w, doll)

5) boy (ram)

12) ! get (ram, doll) substituting w by ram

11) gets (ram, doll) or gets (ram, train)

12) ! get (ram, doll)

13) get (ram, coal)

13) gets (room, coal)

6) (a) get (room, coal)

13) gets (room, coal)

Hence, bad (room) is proved.

Q.2) Different between STRIPS & ADL

| STRIPS language | ADL |
|--|--|
| 1) only allow positive literals in the states for eg: A valid sentence is STRIPS is expressed as \Rightarrow Intelligent \wedge Beautiful | 1) Can support both positive & negative literals for eg:- same sentence is expressed as \Rightarrow Stupid \wedge -ugly |
| 2) STRIPS Stand for Standard Research Institute problem Solver | 2) Stands for Action Description Language. |
| 3) The Goals are Conjunctions for eg:- (Intelligent \wedge Beautiful) | 3) Goal may involve Conjunctions & disjunctions for eg:- (Intelligent \wedge (Beautiful \wedge Rich)) |

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4) Does not support
Equality

4) Equality predicate
($x = y$) is built in

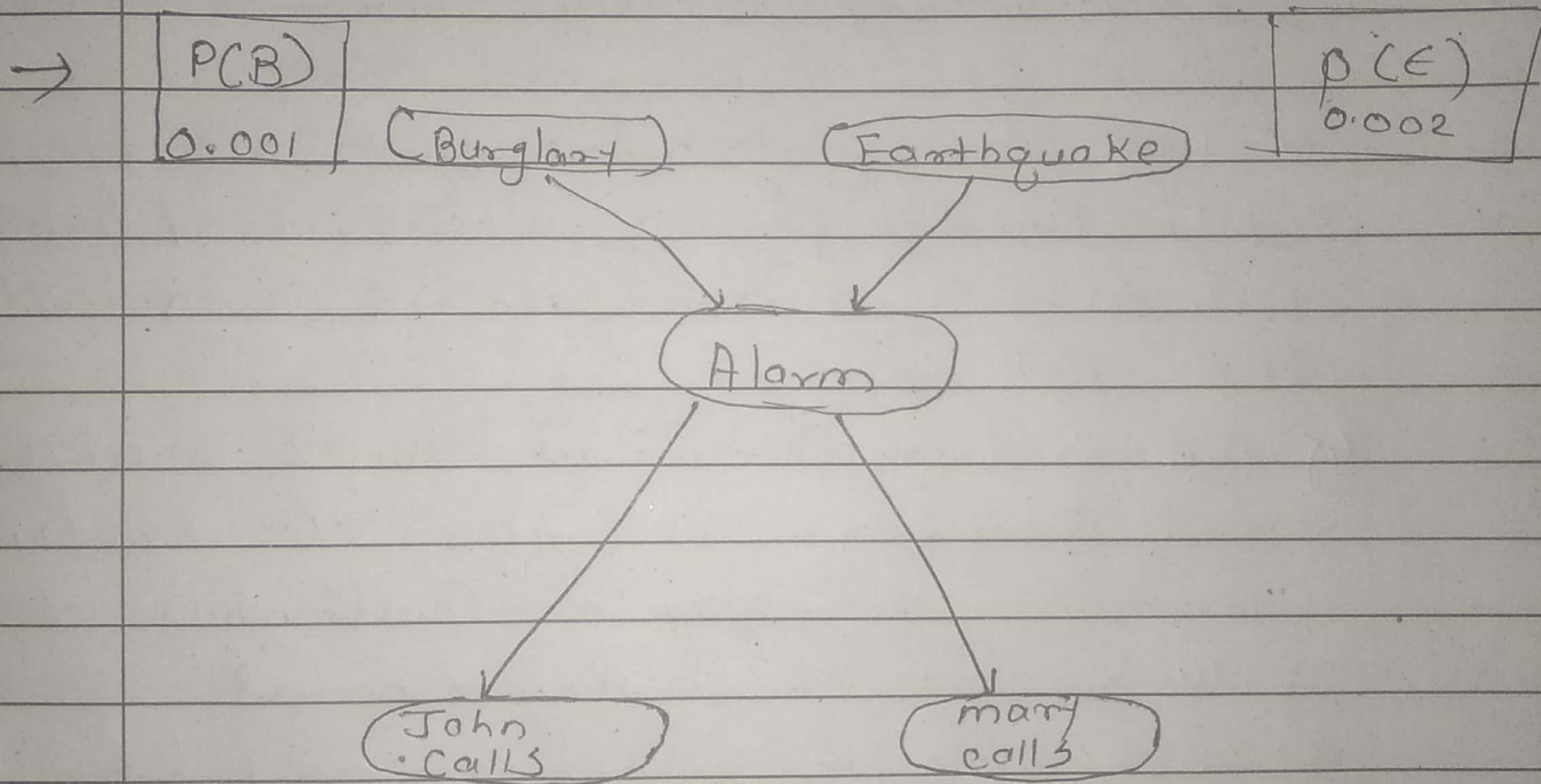
5) Effects are
Conjunctions

5) Conditional effects are
allowed.

6) Does not have
support for
types

6) Support for types
for eg:- The
Variable 'P: person

Q.4) You have two neighbors J and M, who have promised to call you at work when they hear the alarm. J always calls when he hears the alarm, but sometimes confused telephone ringing with alarm & call then too. M likes loud music & sometimes misses the alarm together. Draw a Bayesian network for this domain with suitable probability table.



| A | $P(J)$ |
|---|--------|
| T | 0.09 |
| F | 0.05 |

| A | $P(M)$ |
|---|--------|
| T | 0.70 |
| F | 0.01 |

- 1) Burglary & earthquake affect the probability of the alarm going off.
- whether John & Mary call depend only on alarm
- 2) Mary listening to loud music & John confusing phone ringing to sound of alarm can be read from network only implicitly of uncertainty associated to calling at work.
- 3) The probability actually summarize potentially infinite sets of circumstances
- The alarm might fail to go off due to high humidity power failure, dead battery cut wires, a dead mouse stuck inside the bell, etc.
- 4) The conditional probability tables in n/w gives probability for values of random variables depending on combination of values for the parent nodes
- 5) Each row must be sum to 1 because entries represent exclusive set of cases for variable
- 6) All variable are Boolean
- 7) In general, a table for a Boolean variable with K parents contains 2^K independently specific probabilities

8) Every entry in full joint probability distribution can be calculated from information in Bayesian network.

9) A generic entry in joint distribution is probability of a conjunction of particular assignment to each variable $P(X_1 = x_1 \wedge \dots \wedge X_n = x_n)$ abbreviated as $P(X_1, \dots, X_n)$

10) The value of this entry is $P(X_1, \dots, X_n) = \prod_{i=1}^n P(X_i | \text{Parents}(X_i))$, where $\text{Parents}(X_i)$ denotes the specific value of the variables $\text{Parents}(X_i)$

— $P(j \wedge m \wedge a \wedge b \wedge u \wedge e)$

$= P(j|a) P(m|a) P(a|u \wedge b \wedge u \wedge e) P(u|b) P(e|u)$

$= 0.09 \times 0.07 \times 0.001 \times 0.999 \times 0.998$

$= 0.000628$

11) Bayesian Network

