



**d. Create and store a vector that contains, in any configuration, the following:**

- i. A sequence of integers from 6 to 12 (inclusive)
- ii. A threefold repetition of the value 5.3
- iii. The number -3
- iv. A sequence of nine values starting at 102 and ending at the number that is the total length of the vector created in (c)

```
vec1<-c(6:12,rep(5.3,3),-3,seq(from=102, to= length(vec),length.out = 9))
print(vec1)

## [1] 6.00 7.00 8.00 9.00 10.00 11.00 12.00 5.30 5.30 5.30
## [11] -3.00 102.00 101.75 101.50 101.25 101.00 100.75 100.50 100.25 100.00
```

**e. Confirm that the length of the vector created in (d) is 20**

```
length(vec1)==20
```

```
## [1] TRUE
```

## Exercise 2.4

**a. Create and store a vector that contains the following, in this order:**

- A sequence of length 5 from 3 to 6 (inclusive)
- A twofold repetition of the vector c(2,-5.1,-33)
- The value 7/42+2

```
vec2<-round(c(seq(3,6,length.out = 5),rep(c(2,-5.1,-33),2),7/42+2),2)
print(vec2)

## [1] 3.00 3.75 4.50 5.25 6.00 2.00 -5.10 -33.00 2.00 -5.10
## [11] -33.00 2.17
```

**b. Extract the first and last elements of your vector from (a), storing them as a new object**

```
vec3<-vec2[c(1,length(x=vec2))]
print(vec3)
```

```
## [1] 3.00 2.17
```

**c. Store as a third object the values returned by omitting the first and last values of your vector from (a)**

```
vec4<-vec2[c(-1,-length(x=vec2))]
print(vec4)
```

```
## [1] 3.75 4.50 5.25 6.00 2.00 -5.10 -33.00 2.00 -5.10 -33.00
```

**d. Use only (b) and (c) to reconstruct (a).**

```
a<-c(vec3[1],vec4,vec3[2])
a
## [1] 3.00 3.75 4.50 5.25 6.00 2.00 -5.10 -33.00 2.00 -5.10
## [11] -33.00 2.17
```

**e. Overwrite (a) with the same values sorted from smallest to largest**

```
e<-sort(vec2,decreasing = F)
e
## [1] -33.00 -33.00 -5.10 -5.10 2.00 2.00 2.17 3.00 3.75 4.50
## [11] 5.25 6.00
```

**f. Use the colon operator as an index vector to reverse the order of (e), and confirm this is identical to using sort on (e) with decreasing=TRUE**

```
e[12:1]
## [1] 6.00 5.25 4.50 3.75 3.00 2.17 2.00 2.00 -5.10 -5.10
## [11] -33.00 -33.00

sort(e,decreasing = T)
## [1] 6.00 5.25 4.50 3.75 3.00 2.17 2.00 2.00 -5.10 -5.10
## [11] -33.00 -33.00
```

**g. Create a vector from (c) that repeats the third element of (c) three times, the sixth element four times, and the last element once**

```
g<-c(rep(vec4[3],3), rep(vec4[6],4),vec4[10])
g
## [1] 5.25 5.25 5.25 -5.10 -5.10 -5.10 -5.10 -33.00
```

**h. Create a new vector as a copy of (e) by assigning (e) as is to a newly named object. Using this new copy of (e), overwrite the first, the fifth to the seventh (inclusive), and the last element with the values 99 to 95 (inclusive), respectively**

```
h<-e
h
## [1] -33.00 -33.00 -5.10 -5.10 2.00 2.00 2.17 3.00 3.75 4.50
## [11] 5.25 6.00

h[c(1,5,6,7,12)]<-c(99:95)
h
```

```
## [1] 99.00 -33.00 -5.10 -5.10 98.00 97.00 96.00 3.00 3.75 4.50
## [11] 5.25 95.00
```

## Exercise 2.5

a. Convert the vector `c(2,0.5,1,2,0.5,1,2,0.5,1)` to a vector of only 1s, using a vector of length 3

```
c(2,0.5,1,2,0.5,1,2,0.5,1) + c((-1),0.5,0) #vector of 3
## [1] 1 1 1 1 1 1 1 1 1
```

b. The conversion from a temperature measurement in degrees Fahrenheit F to Celsius C is performed using the following equation:  $C = 5/9 (F - 32)$

Use vector-oriented behavior in R to convert the temperatures 45, 77, 20, 19, 101, 120, and 212 in degrees Fahrenheit to degrees Celsius

```
f<-c(45,77,20,19,101,120,212)
5/9*(f-32)
## [1] 7.222222 25.000000 -6.666667 -7.222222 38.333333 48.888889
## [7] 100.000000
```

c. Use the vector `c(2,4,6)` and the vector `c(1,2)` in conjunction with `rep` and `*` to produce the vector `c(2,4,6,4,8,12)`

```
c1<-(rep(c(1,2),each=3))*c(2,4,6)
c1
## [1] 2 4 6 4 8 12
```

d. Overwrite the middle four elements of the resulting vector from (c) with the two recycled values -0.1 and -100, in that order

```
c1[2:5]<-c(-0.1, -100)
c1
## [1] 2.0 -0.1 -100.0 -0.1 -100.0 12.0
```

## Exercise 3.1

a. Construct and store a  $4 \times 2$  matrix that's filled row-wise with the values 4.3, 3.1, 8.2, 8.2, 3.2, 0.9, 1.6, and 6.5, in that order

```
mat_a<-matrix(data=c(4.3, 3.1, 8.2, 8.2, 3.2, 0.9, 1.6, 6.5),nrow=4,ncol=2,byrow=T)
mat_a

##      [,1] [,2]
## [1,]  4.3  3.1
## [2,]  8.2  8.2
## [3,]  3.2  0.9
## [4,]  1.6  6.5
```

b. Confirm the dimensions of the matrix from (a) are  $3 \times 2$  if you remove any one row

```
mat_a.b<-mat_a[-4,]      # removing 4th row
dim(mat_a.b)

## [1] 3 2
```

c. Overwrite the second column of the matrix from (a) with that same column sorted from smallest to largest

```
mat_a.c<-mat_a
mat_a.c[,2]<-sort(mat_a.c[,2],decreasing = F)
mat_a.c

##      [,1] [,2]
## [1,]  4.3  0.9
## [2,]  8.2  3.1
## [3,]  3.2  6.5
## [4,]  1.6  8.2
```

d. What does R return if you delete the fourth row and the first column from (c)? Use matrix to ensure the result is a single-column matrix, rather than a vector

```
mat_a.d<-mat_a.c
matrix(data=mat_a.d[-4,-1])

##      [,1]
## [1,]  0.9
## [2,]  3.1
## [3,]  6.5
```

e. Store the bottom four elements of (c) as a new  $2 \times 2$  matrix

```
mat_a.e<-mat_a.c
mat_a.e<-mat_a.e[3:4,1:2]
mat_a.e

##      [,1] [,2]
## [1,]  3.2  6.5
## [2,]  1.6  8.2
```

f. Overwrite, in this order, the elements of (c) at positions (4,2), (1,2), (4,1), and (1,1) with  $-1/2$  of the two values on the diagonal of (e)

```
mat_a.c[c(4,1),c(2,1)] <- -1/2* (diag(mat_a.e))
mat_a.c

##      [,1] [,2]
## [1,] -4.1 -4.1
## [2,]  8.2  3.1
## [3,]  3.2  6.5
## [4,] -1.6 -1.6
```

## Exercise 3.2

a. Calculate the following:

$$2/7 * \begin{bmatrix} 1 & 2 \\ 2 & 4 \\ 7 & 6 \end{bmatrix} - \begin{bmatrix} 10 & 20 \\ 30 & 40 \\ 50 & 60 \end{bmatrix}$$

```
matrix_a <- matrix(data=c(1,2,7,2,4,6),nrow = 3,ncol = 2)
matrix_a

##      [,1] [,2]
## [1,]    1    2
## [2,]    2    4
## [3,]    7    6

matrix_b <- matrix(data=c(10,20,30,40,50,60),nrow = 3,ncol = 2,byrow = T)
matrix_b

##      [,1] [,2]
## [1,]   10   20
## [2,]   30   40
## [3,]   50   60

2/7*((matrix_a-matrix_b))

##      [,1] [,2]
## [1,] -2.571429 -5.142857
```

```
## [2,] -8.000000 -10.285714
## [3,] -12.285714 -15.428571
```

## b. Store these two matrices:

$$A = \begin{bmatrix} 1 \\ 2 \\ 7 \end{bmatrix} B = \begin{bmatrix} 3 \\ 4 \\ 8 \end{bmatrix}$$

Which of the following multiplications are possible? For those that are, compute the result.  
i.  $A \cdot B$

Ans. *Not possible because the total columns of 1st matrix(1) is not equal to the total rows of second matrix(3)*

```
A <- matrix(data=c(1,2,7),nrow = 3,ncol = 1)
B <- matrix(data=c(3,4,8),nrow = 3,ncol=1)
```

```
A
##      [,1]
## [1,]    1
## [2,]    2
## [3,]    7
```

```
B
##      [,1]
## [1,]    3
## [2,]    4
## [3,]    8
```

Here R gives an error as the both matrix cannot be multiplied

ii.  $A^T \cdot B$

Ans. *The transpose of A matrix converts it into 1x3 matrix and B is 3x1 matrix so the multiplication is now possible*

```
t(A)%*%B
##      [,1]
## [1,]   67
```

iii.  $B^T \cdot (A \cdot A^T)$

Ans. *Possible*

```
t(B)%*%(A%*%t(A))
##      [,1] [,2] [,3]
## [1,]   67  134  469
```

iv.  $(A \cdot A^T) \cdot B^T$

Ans. Not Possible

```
#(A %*% t(A)) %*% t(B)
```

This is the error R is throwing 'Error in (A %\*% t(A)) %\*% t(B) : non-conformable arguments', which says that the dimensions of matrix are not correct for multiplication

v.  $[(B \cdot B^T) + (A \cdot A^T) - 100I_3] - 1$

Ans. Possible

```
((B%*%t(B))+(A%*%t(A))-100 * diag(3))-1
```

```
##      [,1] [,2] [,3]
## [1,]  -91   13   30
## [2,]   13  -81   45
## [3,]   30   45   12
```

c. For

$$A = \begin{bmatrix} 2 & 0 & 0 & 0 \\ 0 & 3 & 0 & 0 \\ 0 & 0 & 5 & 0 \\ 0 & 0 & 0 & -1 \end{bmatrix}$$

confirm that  $A^{-1} \cdot A = I_4$  provides a  $4 \times 4$  matrix of zeros.

```
A<- matrix (data= c(2,0,0,0, 0,3,0,0, 0,0,5,0, 0,0,0,-1), nrow=4,ncol=4)
A
```

```
##      [,1] [,2] [,3] [,4]
## [1,]    2    0    0    0
## [2,]    0    3    0    0
## [3,]    0    0    5    0
## [4,]    0    0    0   -1
```

`matrixcalc::svd.inverse(A) %*% A - diag(4)` #using *matrixcalc* library. Also, *matlib* library can be used.

```
##      [,1] [,2] [,3] [,4]
## [1,]    0    0    0    0
## [2,]    0    0    0    0
## [3,]    0    0    0    0
## [4,]    0    0    0    0
```

Thus we get a 4x4 matrix of zeros



### 20.4.6 Exercises

#### 1. What does `mean(is.na(x))` tell you about a vector `x`? What about `sum(!is.finite(x))`?

Ans. `mean(is.na(x))` tells us the proportion of NA's in the vector `x` and `sum(!is.finite(x))` tells us the elements which are not finite

#### 2. Carefully read the documentation of `is.vector()`. What does it actually test for? Why does `is.atomic()` not agree with the definition of atomic vectors above?

Ans. `is.vector` returns `TRUE` if `x` is a vector of the specified mode having no attributes other than names. It returns `FALSE` otherwise. On the other hand atomic vector are linear vector of single type. They include logical, integer, double and character. For example

```
is.vector(list())
```

```
[1] TRUE
```

```
is.vector(numeric())
```

```
[1] TRUE
```

```
is.atomic(list())
```

```
[1] FALSE
```

```
is.atomic(numeric())
```

```
[1] TRUE
```

Here we can see that while `list` is a recursive vector it is heterogeneous but it is a vector so `is.vector` returns true but `list` is not a atomic vector as it is not homogeneous so `is.atomic` returns false

#### 3. Compare and contrast `setNames()` with `purrr::set_names()`

Ans. Function `setNames` is from `stats` package and is written in camel case while `purrr::set_names()` is written in snake case. They basically do the same thing of setting a name of an object but `purrr::set_names()` has tweaked defaults, and stricter argument checking

## 4. Create functions that take a vector as input and returns:

1.The last value. Should you use [ or [[ ?

Ans. I will be using the double square brackets so that I can get the last value even if they are named

```
last_value <- function(v){  
  v[[length(x=v)]]  
}  
last_value(c(a=1,b=2,c=3)) # Using the function  
## [1] 3  
  
last_value(c(1,2,3,4))  
## [1] 4
```

2.The elements at even numbered positions

```
even_position <- function(v){  
  for (i in 1:length(v)){  
    if (i%%2==0) print (v[[i]])  
  }  
}  
even_position(4:7)  
## [1] 5  
## [1] 7
```

3.Every element except the last value

```
except_last_value <- function(v){  
  v[-length(v)]  
}  
except_last_value(c(a=1,b=4,c=5))  
## a b  
## 1 4
```

4.Only even numbers (and no missing values)

```
even_number <- function(v){  
  v[v%%2==0 & !is.na(v)]  
}  
  
even_number(c(1:7,NA,8,10,NA,NA,77,66,55,44))  
## [1] 2 4 6 8 10 66 44
```

## 5. Why is `x[-which(x > 0)]` not the same as `x[x <= 0]`?

```
v1 <- c(1,2,3,4,5,-3,-4,-5,-6,NA,0,NA)
v1[-which(v1 > 0)]

## [1] -3 -4 -5 -6 NA 0 NA

v1[v1 <= 0]

## [1] -3 -4 -5 -6 NA 0 NA
```

As we can see the output from both the case is the same. Both gives elements which are less than equal to zero and also NA's

## 6. What happens when you subset with a positive integer that's bigger than the length of the vector? What happens when you subset with a name that doesn't exist?

```
v1 <- c(1,2,3,4,5,-3,-4,-5,-6,NA,0,NA)
v2<-c(a=1,b=2,c=3)
length(v1)

## [1] 12

v1[13]

## [1] NA

v2["d"]

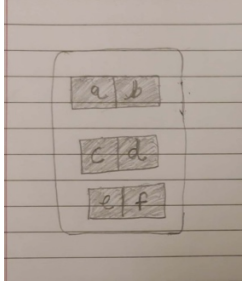
## <NA>
## NA
```

In both the cases we get NA's for the values which are not present

## 20.5.4 Exercises

### 1. Draw the following lists as nested sets:

a. `list(a, b, list(c, d), list(e, f))`



b. `list(list(list(list(list(list(a))))))`

