End-to-end polyphonic piano transcription

Patrick Saux

Audio Signal Analysis

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- 2 Acoustic and Language models
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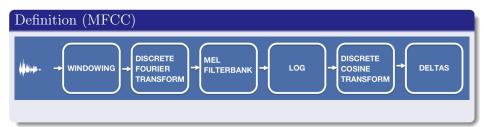
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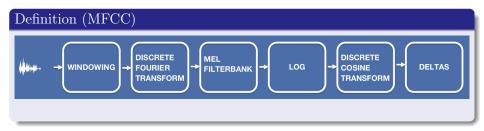
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- In this paper: (almost) end-to-end supervised learning.

Input



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Why MFCC?

- Log scale perception, pitch-invariant patterns,
- Source-filter separation,
- Low dimensional,
- Robust to small deformation.

Dataset

MAPS dataset.

Input: downsample 4x, 7 octaves, 36 bins per octave:

$$x(t) = MFCC(t) \in \mathbb{R}^{252}.$$

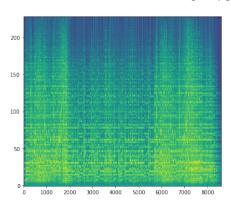
Output: 12 notes per octave:

$$y(t) \in \{0, 1\}^{88}.$$

Sequence length: $t = 0, ..., T, T \approx 1000$.

Dataset

MAPS MUS-chpn op66 AkPnBcht.wav



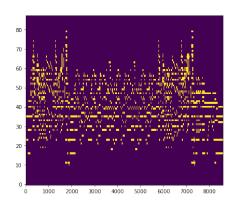


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Why not learn directly $x(t) \mapsto y(t)$?

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• Language model can be trained on large MIDI corpora.

Acoustic models

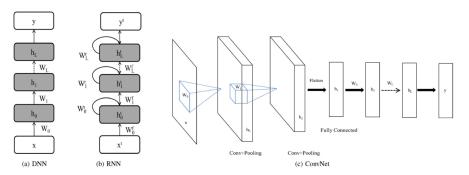


Fig. 1. Neural network architectures for acoustic modelling.

Language models

Definition (RNN-NADE)

The language model is

$$\mathbb{P}(y_t|y_0^{t-1}) = \sigma(V_t h_t + b_v^t)$$

where

$$h_{t} = \sigma(W_{:,< t} y_{0}^{t-1} + b_{h}^{t})$$

$$b_{v}^{t} = b_{v} + W_{1} h_{t}^{RNN}$$

$$b_{h}^{t} = b_{h} + W_{2} h_{t}^{RNN}$$

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Tractable : full sequence likelihood gradient w.r.t parameters known in closed-form

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- In between: beam search.



Two refinements to standard beam search:

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- Branching: at each iteration, draw only the K best candidates from $\mathbb{P}(y_t|x_t)$ to integrate the beam.
- Locally sensitive hash: prune candidates with similar likelihood to avoid beam saturation.

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Own (limited) experiments

Implementation in PyTorch.

Vanilla model:

- Acoustic model: feed-forward, 4 layers of 512 neurons, 25% dropout, ReLU, Adam optimizer.
- Language model: LSTM, 2 layers of 128 neurons, Adam optimizer.
- **Decoding**: greedy.
- Out-of-sample F score: 42%.

Stacked frames:

- Same but reads 3 frames of MFCC to predict the central transcription frame.
- Out-of-sample F score: 53%.



Paper results

- Acoustic model: CNN, 2 layers.
- Language model: RNN-NADE.
- **Decoding**: Hashed branching beam search.
- Out-of-sample F score: 74%.

Hashed branching beam search:

- Requires narrower beam.
- Faster: 22 minutes vs 20 hours on the test set.
- Better decoding accuracy.



Chopin transcription

MAPS MUS-chpn-p10 AkPnStgb.wav

