Q1) GCD

```
#include<stdio.h>
void main() {
  int a, b, m, n, r, modcount = 0, assigncount = 0;
  printf("Key in the two numbers [first number should be greater than second number ] whose GCD is
to be cacalculated\n");
  scanf("%d %d",&a, &b);
  m = a;
  n = b;
  while (n > 0) {
    r = m \% n;
    modcount++;
    m = n;
    n = r;
    assigncount = assigncount + 2;
  }
  printf("\n\tGCD of %d and %d is %d. \n\tThe mod function was called %d time[s].\n\tAssignment
operation was done %d times \n", a, b, m, modcount, assign count);
```

```
/tmp/ZazlfPwaUL.o

Key in the two numbers [first number should be greater than second number ]

whose GCD is to be cacalculated

15265

15

GCD of 15265 and 15 is 5.

The mod function was called 3 time[s].

Assignment operation was done 6 times
```

Q2) Comparison of Horner's rule and brute force method

```
#include<stdio.h>
void main()
int P, x, degree, coeff[10], i, loopmultaddcount=0; int p[10], k, pbrute=0, brutemultcount=0;
printf("Key in the degree of the polynomialin");
scan("d", &degree);
printf("Key in the %d coefficients starting from that for
degree %din", degree + 1, degree);
for (i = 0; i <= degree; i++)
scanf("%d",
', &coeff[i]);
printf("the coefficients aren");
for (i = 0; i <= degree; i++)
printf("@dit", coeff[i]);
printf("n"):
printf("Key in the value for Xin");
scanf("d", &x);
//Horner's method
P=coeff[0];
for i = 1; i <= degree; i++)
P = P*x + coeff[i];
loopmultaddcount++;
//Brute force method
for (k = 0; k <= degree; k++)
{
p[k]=coeff[k];
for(i=1; i<= degree-k; i++)
p[k] = p[k] * x;
brutemultcount++;
}
for (i=0; i <= degree; i++)
pbrute = pbrute + p[l;
```

```
Clear

/tmp/LbE9dJhqYF.o

Key in the degree of the polynomial: 6

Key in the 7 coefficients starting from that for degree 6:
6
5
4
-3
2
8
-7
The coefficients are:
6 5 4 -3 2 8 -7

Key in the value for X: 3

P(x) at x = 3 is P(3) = 5867.
In Horner's method:
[1] The loop was iterated 6 time(s).
[2] There were 6 multiplication operations and 6 addition operations.

In the brute force method:
[1] P(x) at x = 3 is P(3) = 5867.
[2] There were 21 multiplications as against 6 in Horner's method.
```

Q 3) Matrix Multiplication

```
#include <stdio.h>
#include <stdlib.h>
void main() {
  int A[10][10], B[10][10], C[10][10];
  int rA, cA, rB, cB;
  int i, j, k;
  int outerloopcount = 0, middleloopcount = 0, innerloopcount = 0, addncount = 0, multcount
= 0;
  printf("Key in the row size and column size [maximum is 10 X 10] for the first matrix, say,
A\n");
  scanf("%d %d", &rA, &cA);
  printf("Key in the row size and column size [maximum is 10 X 10] for the second matrix,
say, B\n");
  scanf("%d %d", &rB, &cB);
  if (cA != rB) {
     printf("\nMatrices are incompatible for multiplication\n");
     exit(0);
  }
  printf("Key in row-wise the elements of the first [%d X %d] matrix A\n", rA, cA);
  for (i = 0; i < rA; i++)
     for (j = 0; j < cA; j++)
        scanf("%d", &A[i][j]);
  printf("\nFirst matrix A is:\n");
  for (i = 0; i < rA; i++) {
     for (j = 0; j < cA; j++)
        printf("\t%d\t", A[i][j]);
     printf("\n");
  }
  printf("\nKey in row-wise the elements of the second [%d X %d] matrix B\n", rB, cB);
  for (i = 0; i < rB; i++)
     for (j = 0; j < cB; j++)
        scanf("%d", &B[i][j]);
  printf("\nSecond matrix B is:\n");
  for (i = 0; i < rB; i++) {
     for (j = 0; j < cB; j++)
        printf("\t%d\t", B[i][j]);
     printf("\n");
  }
  // Matrix multiplication
  for (i = 0; i < rA; i++) {
     outerloopcount++;
```

```
for (i = 0; i < cB; i++) {
     middleloopcount++;
     C[i][j] = 0;
     for (k = 0; k < cA; k++) {
        innerloopcount++;
        C[i][j] += A[i][k] * B[k][j]; // Use * for multiplication
        addncount++;
        multcount++;
     }
  }
}
printf("\nThe matrix product is C = A \times B and C :: \n");
for (i = 0; i < rA; i++) {
  for (j = 0; j < cB; j++)
     printf("\t%d\t", C[i][j]);
  printf("\n");
}
printf("\nStatistics:\n");
printf("[1] Outer loop was iterated for %d time(s).\n", outerloopcount);
printf("[2] Middle loop was iterated for %d time(s).\n", middleloopcount);
printf("[3] Inner loop was iterated for %d time(s).\n", innerloopcount);
printf("[4] %d additions were done.\n", addncount);
printf("[5] %d multiplications were done.\n", multcount);
```

}

```
Clear
 Output
/tmp/NkOlLqNUVv.o
Key in the row size and column size [maximum is 10 X 10] for the first
   matrix, say, A
Key in the row size and column size [maximum is 10 X 10] for the second
   matrix, say, B
5 2
Key in row-wise the elements of the first [5 X 5] matrix A
1 2 3 4 5
1 2 3 4 5
1 2 3 4 5
1 2 3 4 5
1 2 3 4 5
First matrix A is:
            2
                   3
   1
                            4
                                    5
            2
                    3
                            4
                                    5
            2
                    3
                            4
                                    5
   1
            2
                    3
                                    5
    1
                            4
            2
                    3
                                    5
```

```
Key in row-wise the elements of the second [5 X 2] matrix B
1 10
2 10
3 10
4 10
5 10
Second matrix B is:
   1
          10
   2
          10
         10
   3
          10
   4
          10
   5
The matrix product is C = A \times B and C is:
   55
          150
   55
          150
   55
          150
   55
          150
   55
          150
Statistics:
[1] Outer loop was iterated for 5 time(s).
[2] Middle loop was iterated for 10 time(s).
[3] Inner loop was iterated for 50 time(s).
[4] 50 additions were done.
```

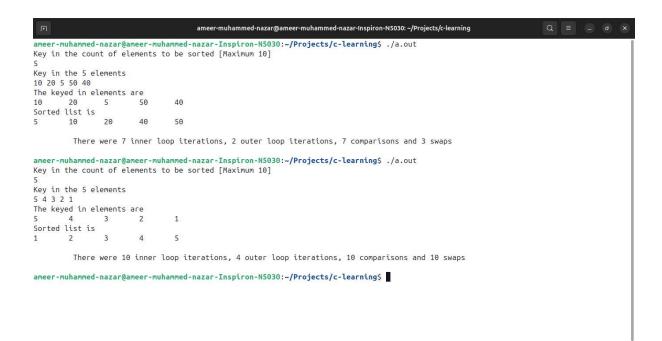
[5] 50 multiplications were done.

Q4) Left to Right Binary Exponentiation

```
#include <stdio.h>
#include <string.h>
int binaryexp(float base, int power)
{
  int binrev[100], bin[100], i, l, j, k, powers;
  double result;
  i++;
  powers = power;
  i = 0;
  while (power)
    binrev[i] = power % 2;
    power = power / 2;
    i++;
    l = i;
  for (k = 0; k < l; k++, i--)
    bin[k] = binrev[i - 1];
  printf("\n binary is \n");
  for (k = 0; k < l; k++)
    printf("\t%d\t", bin[k]);
  printf("\n");
  result = 1;
  for (j = 0; j < l; j++)
    if (bin[j] == 1)
       result = result * result * base;
    if (bin[j] == 0)
       result = result * result;
  printf("\n %f to the power %d using left to right binary exponentiation is \n\n\ base, powers, result);
}
void main()
  float x;
  int n;
  printf("\nKey in the base number X whose power is to be calculated using left to right binary exponentiation is
required and the value of power / index \n\n");
  scanf("%f%d", &x, &n);
  printf("\n-----X = \%f.....power / index = \%d\n", x, n);
  binaryexp(x, n);
}
```

Q5) Bubble sort

```
#include <stdio.h>
void main(){
int A[10], i, j, n, t, cmpcount = 0, swapcount=0,outerloopcount = 0, innerloopcount=0,
swapcheck=0;printf("Key in the count of elements to be sorted
[Maximum 10] \n");
scanf("%d", &n);
printf("Key in the %d elements\n", n);
for (i = 0 i < n i++)
scanf("%d", &A[i]);
printf("\nThe keyed in elements are \n");for ( i = 0 i < n i++)
printf("%d\t", A[i]);
printf("\n");
for (i = 0 i \le n - 2 i++){
if (i!= 0 && swapcheck == 0) break;outerloopcount++;
for (j = 0 j \le n - j - 2 j ++){
innerloopcount++;
cmpcount++;
swapcheck = 0; if (A[j] > A[j + 1]){
swapcheck = 1;swapcount++;
t = A[j];
A[j] = A[j+1];
A[j+1] = t;
}}
printf("\nthe sorted list is\n");
for (i=0; i <= n-1; i++)
printf("\t%d", A[i]);
printf("\n");
printf("\n\tThere were %d inner loop iterations, %d outer loop iterations, %d comparisions and %d
swaps\n\n", innerloopcount, outerloopcount, cmpcount, swapcount);
}
```



Q6) Selection Sort

```
#include <stdio.h>
// Function to swap two elements
void swap(int *f, int *s) {
        int t = *f;
        *f = *s;
        *s = t:
}
void main() {
        int A[10], i, j, n;
        int cmpcount = 0, swapcount = 0;
        int outerloopcount = 0, innerloopcount = 0, minpos;
       // Input number of elements
        printf("Key in the count of elements to be sorted [Maximum 10]\n");
        scanf("%d", &n);
       // Input array elements
        printf("Key in the %d elements\n", n);
        for (i = 0; i < n; i++) {
        scanf("%d", &A[i]);
       }
       // Display the input array
        printf("\nThe keyed in elements are \n");
        for (i = 0; i < n; i++) {
        printf("%d\t", A[i]);
        }
        printf("\n");
       // Selection sort algorithm
       for (i = 0; i < n - 1; i++) {
        outerloopcount++;
        minpos = i;
       for (j = i + 1; j < n; j++) {
        innerloopcount++;
        cmpcount++;
        if (A[j] < A[minpos]) {
               minpos = j;
        }
       // Swap if needed
        if (minpos != i) {
        swapcount++;
```

```
swap(&A[minpos], &A[i]);
}

// Display the sorted array
printf("\nThe sorted list is\n");
for (i = 0; i < n; i++) {
    printf("\t%d", A[i]);
    }
    printf("\n");

// Display counts
    printf("\n\tThere were %d inner loop iterations, %d outer loop iterations, %d comparisons, and %d swaps\n\n",
    innerloopcount, outerloopcount, cmpcount, swapcount);
}</pre>
```

```
Output
                                                                                 Clear
/tmp/kj6LJZFaXw.o
Key in the count of elements to be sorted [Maximum 10]
Key in the 5 elements
50
40
20
10
5
The keyed in elements are
50 40 20 10 5
The sorted list is
      10 20 40 50
   There were 10 inner loop iterations, 4 outer loop iterations, 10 comparisons, and 2
        swaps
=== Code Exited With Errors ===
```

Q7) Fractional Knapsack problem

```
#include <stdio.h>
struct item
{
  int id;
  int w;
  int p;
  float value;
};
void main()
  int i, j, w, p, tw = 0, capacity, itemcount;
  float tv = 0, partp;
  struct item K[50];
  printf("\nKey in count of items [maximum 50] and the maximum capacity of the bag\n\t");
  scanf("%d%d", &itemcount, &capacity);
  printf("Key in, row-wise [one line per item], the serial number, the weight and the profit for each of the %d
items\n", itemcount);
  for (i = 0; i < itemcount; i++)
    scanf("%d%d%d", &K[i].id, &K[i].w, &K[i].p);
  for (i = 0; i < itemcount; i++)
    K[i].value = (float)K[i].p / K[i].w;
  struct item KK;
  for (i = 0; i < itemcount - 1; i++)
    for (j = 0; j < itemcount - 1 - i; j++)
      if (K[j + 1].value > K[j].value)
         KK = K[j + 1];
         K[j+1]=K[j];
         K[i] = KK;
      }
    }
  printf("The %d items arranged in non-descending order of the ratio Value = [ Profit / Weight] is as under\n",
itemcount);
  printf("\n\tValue\tltem serial number\tWeight\tProfit\n");
  for (i = 0; i < itemcount; i++)
    printf("\n\t%0.2f \t\t %d \t\t %d \t %d \n", K[i].value, K[i].id, K[i].w, K[i].p);
  printf("\n");
  printf("The solution to the Fractional Knapsack problem\n\n");
  for (i = 0; i < itemcount; i++)
  {
```

```
if (K[i].w + tw <= capacity)
       tw += K[i].w;
       tv += K[i].p;
       printf("\nSelected Item %d [whole]\t\tWeight %d \t Profit %d \t\tCumulative Weight\t%d\tCumulative
Value \t%0.2f\n\n", K[i].id, K[i].w, K[i].p, tw, tv);
    }
    else
    {
       w = capacity - tw;
       partp = (float)w * (float)K[i].p / (float)K[i].w;
       tw += w;
       tv += partp;
       printf("\nSelected Item %d [part]\t\tWeight %d \t Profit %0.2f \t\tCumulative Weight\t%d\tCumulative
Value \t%0.2f\n\n", K[i].id, w, partp, tw, tv);
       break;
    }
  }
  printf("\nThus the Knapsack with a capacity of %d can hold items worth a Cumulative Total Value of
\t%0.2f\n\n", tw, tv);
  printf("\n");
}
  PROBLEMS
            OUTPUT
                   DEBUG CONSOLE
                                  TERMINAL
                                            PORTS
                                                                                                                     ☼ cppdbg: main.exe +
  Key in count of items [maximum 50] and the maximum capacity of the bag
  Key in, row-wise [one line per item ], the serial number, the weight and the profit for each of the 5 items
  1 5 20
  2 8 30
  3 10 40
  4 12 32
  5 15 55
  The 5 items arranged in non-descending order of the ratio Value = [ Profit / Weight] is as under
                ltem serial number
                                       Weight Profit
         4.00
                                               20
         4.00
                         3
                                        10
                                               40
         3.75
                                        8
                                               30
         3.67
                                        15
                                               55
         2.67
                                               32
  The solution to the Fractional Knapsack problem
  Selected Item 1 [whole]
                               Weight 5
                                               Profit 20
                                                                    Cumulative Weight
                                                                                                  Cumulative Value
                                                                                                                        20.00
  Selected Item 3 [whole]
                               Weight 10
                                               Profit 40
                                                                    Cumulative Weight
                                                                                          15
                                                                                                  Cumulative Value
                                                                                                                        60.00
  Selected Item 2 [part]
                               Weight 5
                                               Profit 18.75
                                                                    Cumulative Weight
                                                                                                  Cumulative Value
                                                                                                                        78.75
                                                                                          20
  Thus the Knapsack with a capacity of 20 can hold items worth a Cumulative Total Value of
                                                                                          78.75
```