Natural Language Understanding

Lecture 17: Distributed Representations for Documents

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- Introduction
 - Sentences
 - Documents
- 2 Li and Hovy's Model
- 3 Other Models

Reading: Li and Hovy (EMNLP, 2014)

Vector addition/multiplication

Convolutional Neural Networks (CNNs)

Sequential language models (RNNs, LSTMs)

Recursive neural networks

- Vector addition/multiplication
 - bag of words models
 - no tuning of representations
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3 Sequential language models (RNNs, LSTMs)

Recursive neural networks

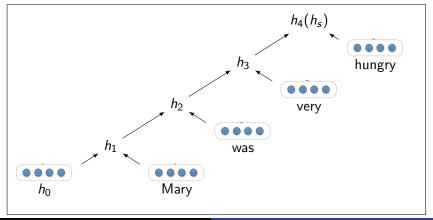
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 - not strictly compositional
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Recursive neural networks

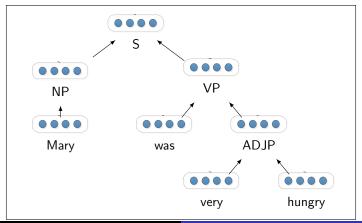
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 - structure ≈ binary trees
 - learn representations for linguistic units

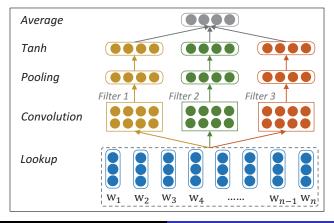
- We have to first decide how to represent sentences.
- Then, we compose sentences into a document representation.
- Many classes of models are possible!

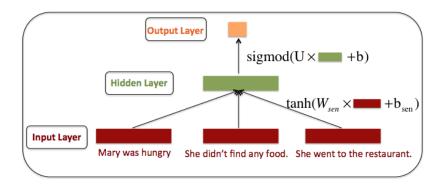


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- Model is trained with a classification task in mind.
- Hidden layer learns document representation.
- We will see how this can be used for coherence modeling.

- Let clique C denote a window of sentences
- Each clique has a label $y_C \in 1$ if C coherent and 0 otherwise.
- How are labels generated?

Mary was very hungry. She didn't find any food at home. So she went to the restaurant.

Coherent (+): original article

Mary was very hungry.

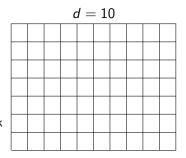
Mom bought a new skirt.

random

So she went to the restaurant.

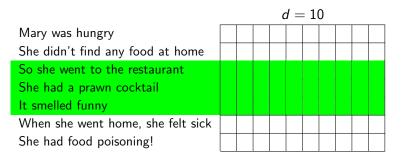
Not coherent (-): random replacement

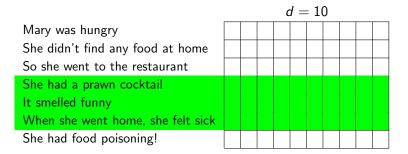
Mary was hungry
She didn't find any food at home
So she went to the restaurant
She had a prawn cocktail
It smelled funny
When she went home, she felt sick
She had food poisoning!





d=10Mary was hungry
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- Let $h_C = [h_{s1}, h_{s2}, \dots, h_{sL}]$ denote concatenation of sentences.
- Each clique C takes as input a $L \times K$ vector h_C (L is the sentence window size, K dimensionality input sentence)
- Hidden layer H takes h_C as input and performs convolution using non-linear function:

$$q_C = \tanh(W_{sen} \times h_C + b_{sen})$$

• Output layer takes q_C and generates a scalar using linear function; sigmoid projects value to [0,1] probability space:

$$p(y_C = 1) = \operatorname{sigmoid}(U^T q_C + b)$$

$$J(\Theta) = \frac{1}{M} \sum_{C \in trainset} \{-y_C \log[p(y_C = 1)] - (1 - y_C) \log[1 - p(y_C = 1)]\} + \frac{Q}{2M} \sum_{\theta \in \Theta} \theta^2$$

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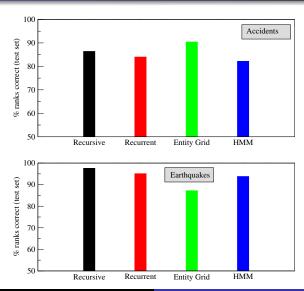
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- $\Theta = [W_{Recurrent}, W_{sen}, U_{sen}]$
- Regularization parameter

Coherence Rating

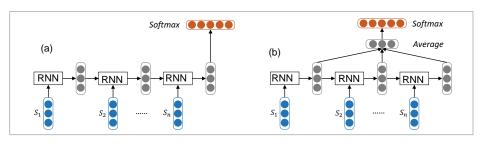
- Let S_d denote coherence score for document d
- d consists of sequence of sentences $d = \{s_1, s_2, \dots, s_{N_d}\}$
- The coherence score for a given document S_d is the probability that all cliques within d are coherent:

$$S_d = \prod_{C \in d} p(y_C = 1)$$

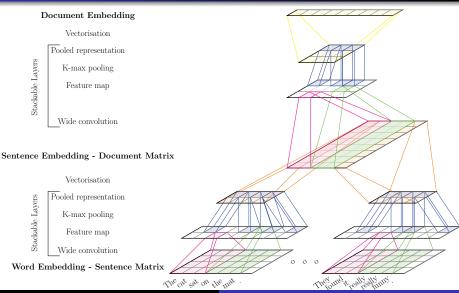
Results: Ordering



Hierarchical RNNs



Hierarchical CNNs



Conclusions

- Techniques for sentence modeling transfer to documents
- Different classes of models depending on choice of composition model for sentences/documents
- Is it reasonable to compress the meaning of a document in a single vector?
- Choice is motivated by computational reasons.

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