Natural Language Understanding

Lecture 8: Introduction to Dependency Parsing

Frank Keller

School of Informatics University of Edinburgh keller@inf.ed.ac.uk

Based on slides by Mark Steedman

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- Dependency Grammar
 - Constituents vs. Dependencies
 - Dependency Relations
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 - Constituent vs. Dependency Parsing
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Reading: McDonald et al. (2005).

Background: Jurafsky and Martin (2009: Ch. 12.7).

Constituents vs. Dependencies

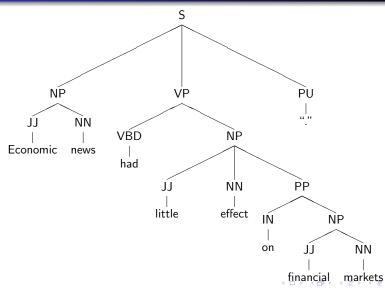
Traditional grammars model *constituent structure:* they capture the configurational patterns of sentences.

For example, verb phrases (VPs) have certain properties in English:

- (1) a. I like ice cream. Do you Ø? (VP ellipsis)
 - b. I like ice cream and hate bananas. (VP conjunction)
 - c. I said I would hit Fred, and hit Fred I did. (VP fronting)

In other languages (e.g., German), there is little evidence for the existence of a VP constituent.

Constituents vs. Dependencies



Constituents vs. Dependencies

But from a semantic point of view, the important thing about verbs such as *like* is that they license two NPs:

- an agent, found in subject position or with nominative inflection;
- 2 a *patient*, found in *object* position or with *accusative* inflection.

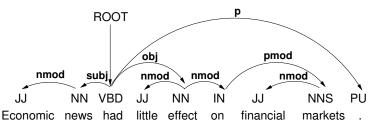
Which arguments are licensed, and which roles they play, depends on the verb (configuration is secondary).

To account for semantic patters, we focus *dependency*. Dependencies can be identified even in non-configurational languages.

Dependency Structure

A dependency structure consists of *dependency relations*, which are *binary* and *asymmetric*. A relation consists of:

- a head (H);
- a dependent (D);
- a *label* identifying the relation between H and D.



[From Joakim Nivre, Dependency Grammar and Dependency Parsing.]



Dependency Trees

Formally, the dependency structure of a sentence is a graph with the words of the sentence as its nodes, linked by directed, labeled edges, with the following properties:

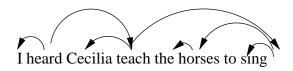
- connected: every node is related to at least one other node, and (through transitivity) to ROOT;
- single headed: every node (except ROOT) has exactly one incoming edge (from its head);
- acyclic: the graph cannot contain cycles of directed edges.

These conditions ensure that the dependency structure is a tree.

Dependency Trees: Projectivity

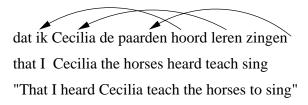
We distinguish projective and non-projective dependency trees:

A dependency tree is *projective* wrt. a particular linear order of its nodes if, for all edges $h \to d$ and nodes w, w occurs between h and d in linear order only if w is *dominated* by h.



Dependency Trees: Projectivity

A dependency tree is *non-projective* if w can occur between h and d in linear order without being dominated by h.



A non-projective dependency grammar is not context-free. But efficient non-projective parsers exist, e.g., the MST parser.

Constituent vs. Dependency Parsing

In ANLP and FNLP, we've already seen various parsing algorithms for context-free languages (shift-reduce, CKY, active chart).

Why consider dependency parsing as a distinct topic?

- context-free parsing algorithms base their decisions on adjacency;
- in a dependency structure, a dependent need not be adjacent to its head (even if the structure is projective);
- we need new parsing algorithms to deal with non-adjacency (and with non-projectivity if present).

Two Types of Dependency Parsers

We will consider two types of dependency parsers:

- graph-based dependency parsing, based on maximum spanning trees (MST parser, McDonald et al. 2005);
- 2 transition-based dependency parsing, an extension of shift-reduce parsing (MALT parser, Nivre 2003).

Alternative: map dependency trees to phrase structure trees and do standard CF parsing (not covered here).

Graph-based Dependency Parsing

Goal: find the highest scoring dependency tree in the space of all possible trees for a sentence.

Let $\mathbf{x} = x_1 \cdots x_n$ be the input sentence, and \mathbf{y} a dependency tree for \mathbf{x} . Here, \mathbf{y} is a set of dependency edges, with $(i,j) \in \mathbf{y}$ if there is an edge from x_i to x_j .

In order to assign scores to dependency trees, we *edge factorize* them: the score of a tree is the sum of the scores of all its edges.

Graph-based Dependency Parsing

The score of a dependency edge (i, j) is:

$$s(i,j) = \mathbf{w} \cdot \mathbf{f}(i,j)$$

where **w** is a weight vector and $\mathbf{f}(i,j)$ is a feature vector. Then the score of dependency tree **y** for sentence **x** is:

$$s(\mathbf{x}, \mathbf{y}) = \sum_{(i,j) \in \mathbf{y}} s(i,j) = \sum_{(i,j) \in \mathbf{y}} \mathbf{w} \cdot \mathbf{f}(i,j)$$

Dependency parsing is the task of finding the tree \mathbf{y} with highest score for a given sentence \mathbf{x} .

Maximum Spanning Tree Parsing

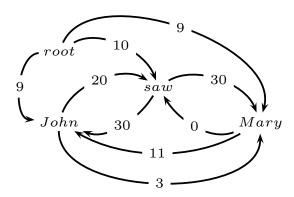
This task can be achieved using the following approach (McDonald et al. 2005):

- start with a totally connected graph G, i.e., assume a directed edge between every pair of words;
- assume you have a scoring function that assigns a score s(i,j) to every edge (i,j);
- find the maximum spanning tree (MST) of G, i.e., the tree with the highest overall score that includes all nodes of G;
- this is possible in $O(n^2)$ time using the Chu-Liu-Edmonds algorithm; it finds both projective and non-projective MSTs;
- the correct parse is the MST of G.



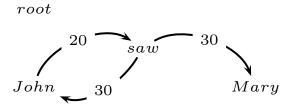
Chu-Liu-Edmonds (CLE) Algorithm

Example: $\mathbf{x} = John \ saw \ Mary$, with graph $G_{\mathbf{x}}$. Start with the fully connected graph, with scores:



Chu-Liu-Edmonds (CLE) Algorithm

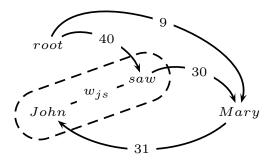
Each node j in the graph greedily selects the incoming edge with the highest score s(i,j):



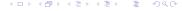
If a tree results, it is the maximum spanning tree. If not, there must be a cycle.

CLE Algorithm: Recursion

Identify the cycle and contract it into a single node and recalculate scores of incoming and outgoing edges:

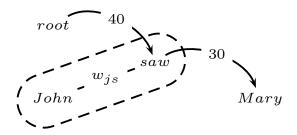


Now call CLE recursively on this contracted graph. MST on the contracted graph is equivalent to MST on the original graph.



CLE Algorithm: Recursion

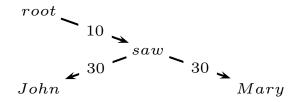
Again, greedily collect incoming edges to all nodes:



This is a tree, hence it must be the MST of the graph.

CLE Algorithm: Reconstruction

Now reconstruct the uncontracted graph: the edge from w_{js} to Mary was from saw. The edge from ROOT to w_{js} was a tree from ROOT to saw to John, so we include these edges too:



MST Parser: Features

Parsing accuracy depends the scoring function, i.e., the features f(i,j) and the weight vector \mathbf{w} .

The Margin Infused Relaxed Algorithm (MIRA) can be used to learn \mathbf{w} (McDonald et al. 2005).

Features $\mathbf{f}(i,j)$ used:

Unigram Features				
p-word, p-pos				
p-word				
p-pos				
c-word, c-pos				
c-word				
c-pos				

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Bigram Features
p-word, p-pos, c-word, c-pos
p-pos, c-word, c-pos
p-word, c-word, c-pos
p-word, p-pos, c-pos
p-word, p-pos, c-word
p-word, c-word
p-pos, c-pos
```

MST Parser: Features

More features:

In Between PoS Features				
p-pos, b-pos, c-pos				
Surrounding Word PoS Features				
p-pos, p-pos $+1$, c-pos -1 , c-pos				
p-pos-1, p-pos, c-pos-1, c-pos				
p-pos, p-pos $+1$, c-pos, c-pos $+1$				
p-pos -1 , p-pos, c-pos, c-pos $+1$				

p: parent, c: child, b: between parent and child, -1: to left, +1: to right.

Total feature: 6,998,447 for English 13,450,672 for Czech.



Transition-based Dependency Parsing

The MST parser builds a dependency tree though graph surgery. The main alternative is the MALT parser (Nivre 2003):

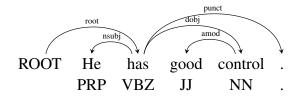
- the MALT parser is a shift-reduce parser, defined through a transition system;
- for a given parse state, the transition system defines a set of actions $\mathcal T$ which the parser can take;
- if more than one action is applicable, a classifier (e.g., an SVM) is used to decide which action to take;
- just like in the MST model, this requires a large set of hand-engineered features.

Transition-based Dependency Parsing

The arc-standard transition system (Nivre 2003):

- configuration c = (s, b, A) with stack s, buffer b, set of dependency arcs A;
- initial configuration for sentence w_1, \ldots, w_n is $s = [ROOT], b = [w_1, \ldots, w_n], A = \emptyset$;
- c is terminal if buffer is empty, stack contains only ROOT, and parse tree is given by A_c;
- if s_i is the ith top element on stack, and b_i the ith element on buffer, then we have the following transitions:
- LEFT-ARC(/): adds arc $s_1 \rightarrow s_2$ with label / and removes s_2 from stack; precondition: $|s| \ge 2$;
- RIGHT-ARC(1): adds arc $s_2 \rightarrow s_1$ with label 1 and removes s_1 from stack; precondition: $|s| \ge 2$;
- SHIFT: moves b_1 from buffer to stack; recondition: $|b| \ge 1$.

Transition-based Dependency Parsing



Transition	Stack	Buffer	A
	[ROOT]	[He has good control .]	Ø
SHIFT	[ROOT He]	[has good control .]	
SHIFT	[ROOT He has]	[good control .]	
LEFT-ARC(nsubj)	[ROOT has]	[good control .]	$A \cup \text{nsubj(has,He)}$
SHIFT	[ROOT has good]	[control .]	-
SHIFT	[ROOT has good control]	[.]	
LEFT-ARC(amod)	[ROOT has control]	[.]	$A \cup amod(control,good)$
RIGHT-ARC(dobj)	[ROOT has]	[.]	$A \cup dobj(has,control)$
RIGHT-ARC(root)	[ROOT]		$A \cup \operatorname{root}(ROOT,has)$

Summary

Comparing the MST and MALT parsers:

- the MST parser selects the globally optimal tree, given a set of edges with scores;
- it can naturally handle projective and non-projective trees;
- the MALT parser makes a sequence of local decisions about the best parse action;
- it can be extended to "pseudo-projective" dependency trees with transformation techniques;
- accuracy of MST and MALT is similar, but MALT is faster;
- both require a set of manually engineered featured and a model that learns feature weights.

Recent work on dependency parsing uses *neural networks to learn* both features and feature weights: next lecture.

References

- Jurafsky, Daniel, and James H. Martin. 2009. Speech and Language Processing: An Introduction to Natural Language Processing, Computational Linguistics and Speech Recognition. Upper Saddle River, NJ: Pearson Education, 2nd edn.
- McDonald, Ryan, Fernando Pereira, Kiril Ribarov, and Jan Hajič. 2005. Non-projective dependency parsing using spanning tree algorithms. In *Proceedings of the Human Language Technology Conference and the Conference on Empirical Methods in Natural Language Processing*, 523–530. Vancouver.
- Nivre, Joakim. 2003. An efficient algorithm for projective dependency parsing. In *Proceedings of the International Workshop on Parsing Technologies*, 149–160. Nancy.