# Applied Machine Learning with Big Data "EE 6973"



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# Deep Learning Best Practices

#### Bias and Variance

**Training Data Set** 

Test Data Set

Human Level Error = 5% Training Error = 30% Test Error = 33%

What to do next ????

Human Level Error = 5% Training Error = 7% Test Error = 30%

What to do next ????

"Over fitting problem"

Bigger Model
Training Longer or Use GPU (Faster Systems)
New Model architecture

More Data
Regularization
New Model architecture

## End-to-End Deep Learning

#### Simple (Classification or Regression)

- ► Movie Review → Sentiment
- ▶ Image → Object Recognition

"DL, CNN, RNN" models

#### 2<sup>nd</sup> Major Trends

- ► Image → Caption
- ► Audio → Transcript
- ► English → French
- ▶ Parameter → image

## K-Means Clustering

## 3 Types of Learning

Supervised

- Learning from labeled data
- E.g., Spam classification
- Classification
- Regression
- Ranking

Unsupervised

- Discover structure in unlabeled data
- E.g., Document clustering
- Clustering
- Hidden Markov Models

Reinforcement

- Learning by "doing" with delayed reward
- ➤ E.g., Chess computer

## What is Clustering?

Attach label to each observation or data points in a set

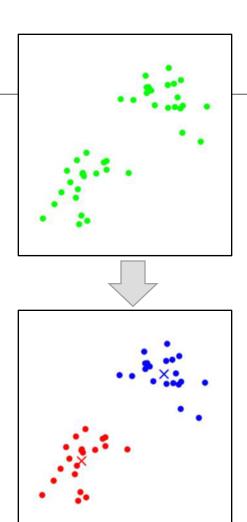
You can say this "unsupervised classification"

Clustering is alternatively called as "grouping"

Intuitively, if you would want to assign same label to a data points that are "close" or "similar" to each other. Thus, clustering algorithms rely on a distance metric between data points

For example: Euclidean distance

$$E = \sum_{k=1}^{K} \sum_{\mathbf{x} \in C_k} d^2(\mathbf{x}, \mathbf{m}_k)$$
$$d^2(\mathbf{x}, \mathbf{m}_k) = \sum_{n=1}^{N} (x_n - m_{kn})^2$$



### NP-hard combinatorial optimization problem

In how many ways can we assign K labels to N observations?

For each such possibility, we can compute a cost. Pick up the assignment with best cost.

Number of possible classes:

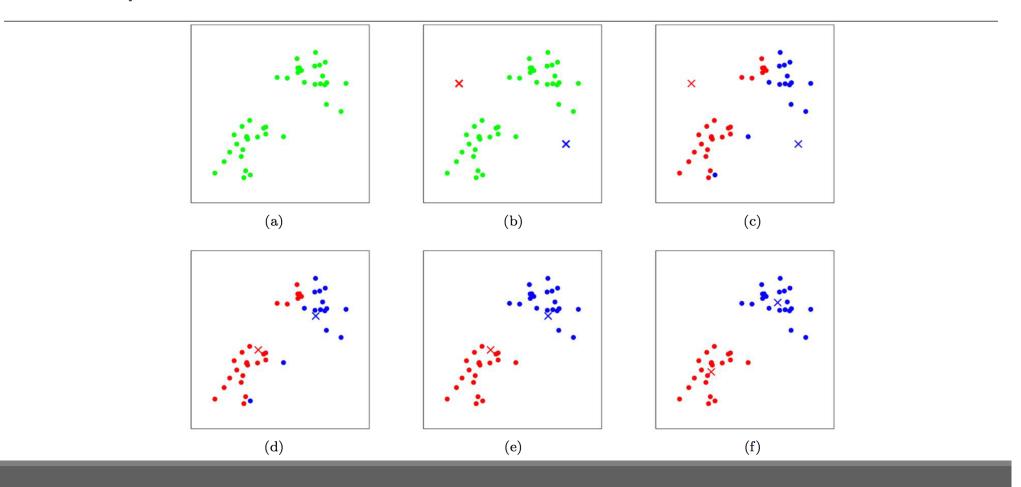
$$S(N,K) = \frac{1}{K!} \sum_{k=1}^{K} (-1)^{K-k} {K \choose k} k^{N}$$

## What is K-means Clustering?

**k-means clustering** aims to partition n observations into **k clusters** in which each observation belongs to the **cluster** with the nearest **mean**, serving as a prototype of the **cluster**.

- An unsupervised clustering algorithm
- "K" stands for number of clusters, it is typically a user input to the algorithm; some criteria can be used to automatically estimate K. It is an approximation to an NP-hard combinatorial optimization problem but Easy to implement.
- K-means algorithm is iterative in nature and works only for numerical data

# Example



#### K-Means

#### The K-means algorithm: a heuristic method

- K-means algorithm: each cluster is represented by the center of the cluster and the algorithm converges to stable centroids of clusters.
- K-means algorithm is the simplest but computationally expensive partitioning method for clustering analysis

#### K-Means

Given the cluster number K, the K-means algorithm is carried out in three steps after initialization:

Initialization: randomly set seed points

- 1) Assign each object to the cluster of the nearest seed point measured with a specific distance metric
- 2) Compute new seed points as the centroids of the clusters of the current partition (the centroid is the canter, i.e., *mean point*, of the cluster)
- 3) Go back to Step 1), stop when no more new assignment (i.e., membership in each cluster no longer changes)

## K-Means Algorithm

```
Randomly initialize K cluster centroids C1, C2, ..., Ck

Repeat {
    for i= 1 to N
        xi := Label as the closest cluster centroid
    for k= 1 to k

    Ck := mean of points assigned to cluster k
```

# Example: Customer Segmentation based on spending and revenue "T-shirt sizing"

