

NAME : SAYAK DAS

## **FORECASTING OF THE NEXT DEMAND**

**ts** is a time period component. And the monthly sales of mixer grinder from 2016 to 2019 is shown. I have 4 years of data. "ts" represents the time series index or time period component. It is a sequential numbering or labeling of the data points in the time series dataset. Each value of "**ts**" corresponds to a specific time point or period, in this case, represented as a combination of month and year.



2018	29	5	402		
2018	30	6	451		
2018	31	7	501		
2018	32	8	695		
2018	33	9	610		
2018	34	10	636		
2018	35	11	821		
2018	36	12	669		
2019	37	1	484		
2019	38	2	662		
2019	39	3	472		
2019	40	4	420		
2019	41	5	339		
2019	42	6	364		
2019	43	7	373		
2019	44	8	317		
2019	45	9	333		
2019	46	10	333		
2019	47	11	300		

Decomposition of a time series into its trend, seasonality, and error components.

The trend component represents the overall direction of the time series, whether it is increasing, decreasing, or staying constant. Seasonality refers to patterns that **repeat** over a specific period, such as daily, weekly, or yearly patterns. The error component represents the unexplained or random variation **in** the data.

To estimate the components of a time series, you can use various methods.

One simple approach is the moving average method, where you calculate the average of a certain number of consecutive observations to smooth out the fluctuations and estimate the trend component. For example, using a **3**-period moving average, you would calculate the average of the current observation, the one before it, and the one after it.

Once you have estimated the trend and seasonality components, you can analyze the remaining error component to understand how other variables, such as price or competing product prices, affect the series. This can be done through regression analysis or by examining the relationship between the error component and the relevant variables.

Overall, decomposing a time series into its components allows you to understand and model the different factors that contribute to its behavior.

By analyzing and modeling each component separately, you can gain insights into the underlying patterns and relationships within the data.

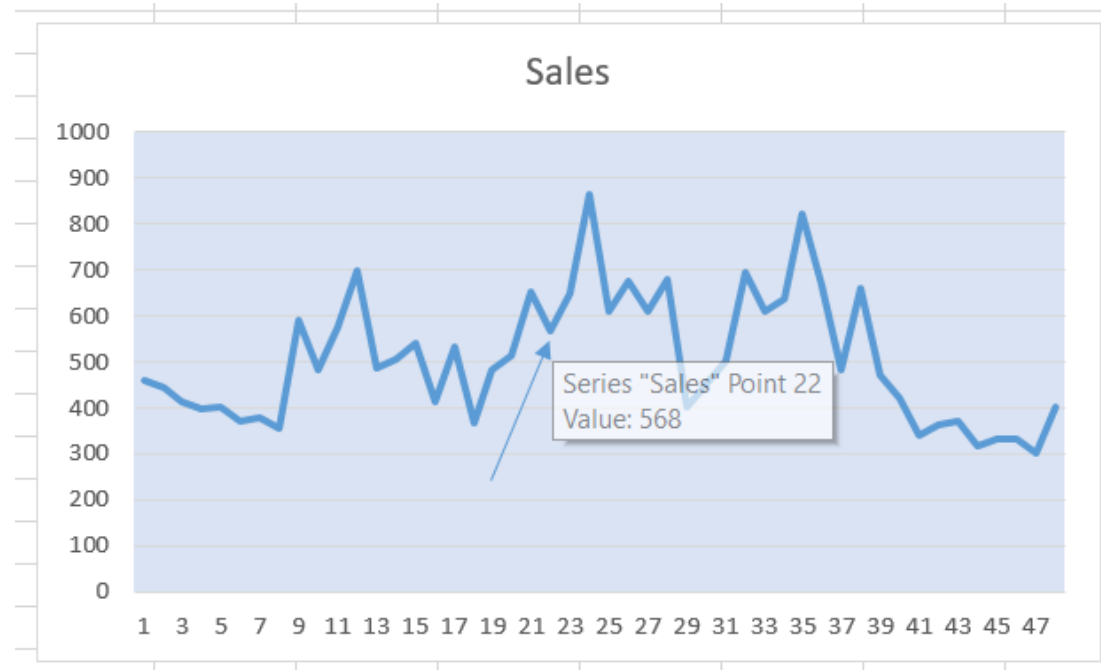
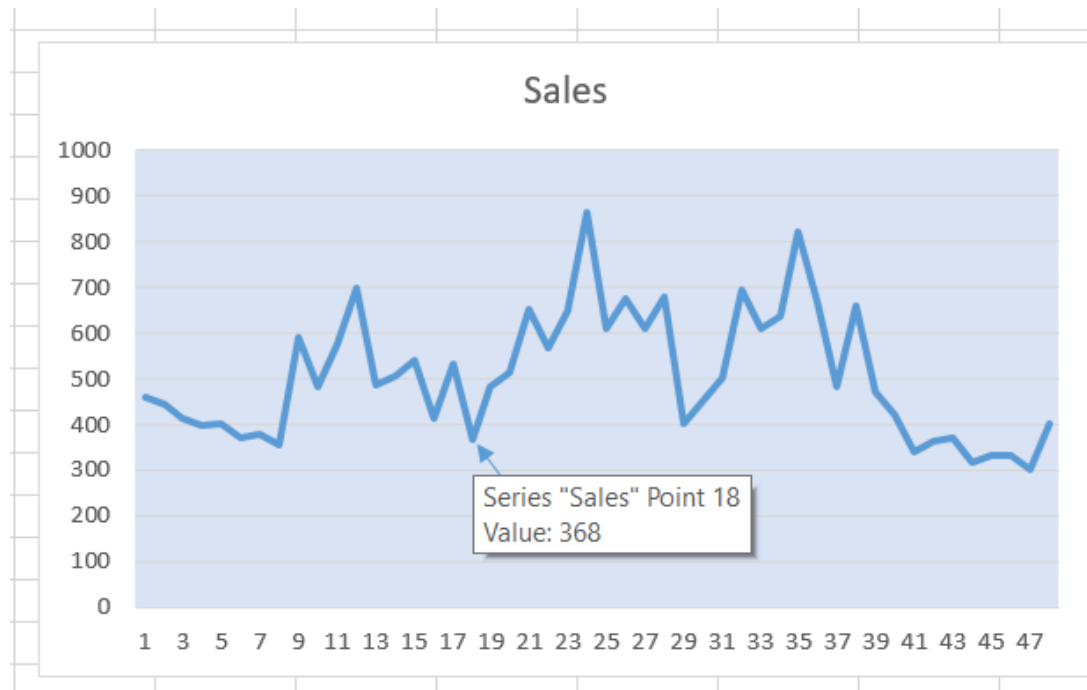
To identify the seasonality component, you can analyze the patterns that **repeat** over a specific period. For instance, **if** you have monthly data and observe a pattern that repeats every **12** months, you can infer a yearly seasonality. You can estimate the seasonality component by subtracting the trend component from the original data.

The remaining component after removing the trend and seasonality is the error component.

It represents the part of the time series that cannot be explained by the trend and seasonality factors alone. This component may include random fluctuations, measurement errors, or other factors that influence the series.

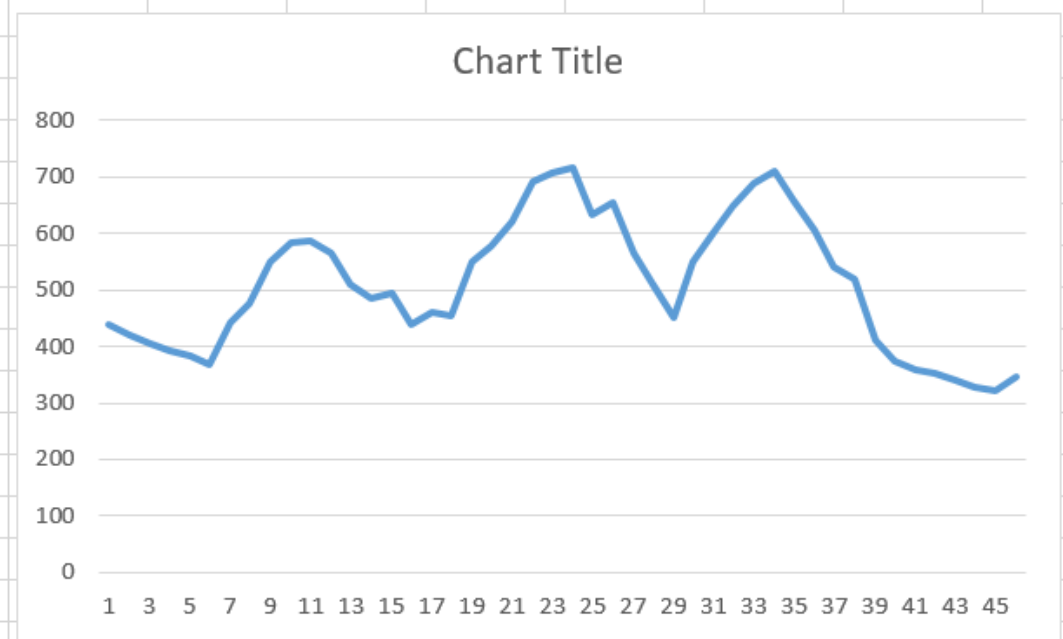
We can find the error part and do a regression analysis after removing the trend and seasonality components from time series component or x variable

So let's use the moving average for smoothening the seasonality change



Hence we can do odd smoothing with seasonality 3 or quarterly with 3 period moving average

A	B	C	D	E	F	G	H	I	J	K
Year	ts	Month	Sales	SMA(SIMPLE MOVING AVERAGE)						
2016	1	1	460							
2016	2	2	446	439.6666667						
2016	3	3	413	419.3333333						
2016	4	4	399	404.3333333	This cell is left blank because there is no previous data					
2016	5	5	401	391						
2016	6	6	373	384.6666667						
2016	7	7	380	369						
2016	8	8	354	442						
2016	9	9	592	476						
2016	10	10	482	549.3333333						
2016	11	11	574	585						
2016	12	12	699	587						
2017	13	1	488	564						
2017	14	2	505	510.6666667						
2017	15	3	539	485.3333333						
2017	16	4	412	494.6666667						
2017	17	5	533	437.6666667						
2017	18	6	368	461.6666667						
2017	19	7	484	454.6666667						
2017	20	8	512	549						
2017	21	9	651	577						
2017	22	10	568	622						
2017	23	11	647	692.6666667						
2017	24	12	863	707.3333333						
2018	25	1	612	716.6666667						
2018	26	2	675	632.3333333						
2018	27	3	610	654.6666667						
2018	28	4	679	563.6666667						
2018	29	5	402	510.6666667						
2018	30	6	454	454.3333333						

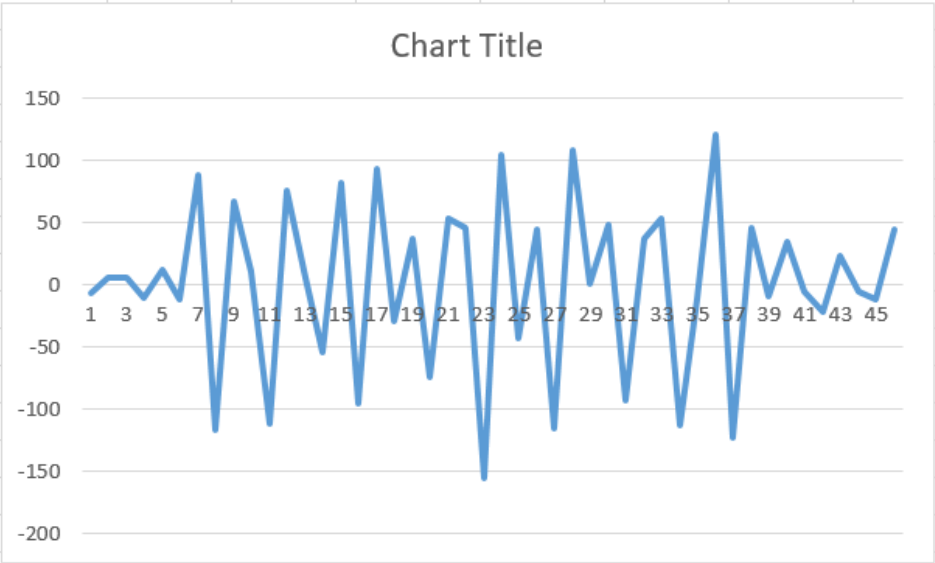


Therefore, on plotting the seasonality is now smoothened

F3		✕ ✓ <i>fx</i>		=E3-D3											
	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O
1	Year	ts	Month	Sales	SMA(SIMPLE MOVING AVERAGE )	error									
2	2016	1	1	460											
3	2016	2	2	446	439.6666667	-6.33333									
4	2016	3	3	413	419.3333333	6.33333									
5	2016	4	4	399	404.3333333	5.33333									
6	2016	5	5	401	391	-10									
7	2016	6	6	373	384.6666667	11.66667									
8	2016	7	7	380	369	-11									
9	2016	8	8	354	442	88									
10	2016	9	9	592	476	-116									
11	2016	10	10	482	549.3333333	67.33333									
12	2016	11	11	574	585	11									
13	2016	12	12	699	587	-112									
14	2017	13	1	488	564	76									
15	2017	14	2	505	510.6666667	5.66667									
16	2017	15	3	539	485.3333333	-53.6667									
17	2017	16	4	412	494.6666667	82.66667									
18	2017	17	5	533	437.6666667	-95.3333									
19	2017	18	6	368	461.6666667	93.66667									
20	2017	19	7	484	454.6666667	-29.3333									
21	2017	20	8	512	549	37									
22	2017	21	9	651	577	-74									
23	2017	22	10	568	622	54									
24	2017	23	11	647	692.6666667	45.66667									
25	2017	24	12	863	707.3333333	-155.667									
26	2018	25	1	612	716.6666667	104.6667									
27	2018	26	2	675	632.3333333	-42.6667									
28	2018	27	3	610	654.6666667	44.66667									
29	2018	28	4	679	563.6666667	-115.333									
30	2018	29	5	402	510.6666667	108.6667									
31	2018	30	6	451	451.3333333	0.333333									
32	2018	31	7	501	549	48									

Chart Title

On plotting the error, we see that there is a seasonality of the error. The jump in the error after every 2 or 3 values is due to the change in the year.



On plotting the error, we see that there is a seasonality of 2 & 3 in it, this is the jump is after each 2 or 3 value

We can also find the error by fitting a linear regression model and do the prediction

```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
from sklearn.linear_model import LinearRegression
from sklearn.metrics import mean_squared_error

# Read the dataset
df=pd.read_csv("D:\\data ANALYTICS AND SCIENCE\\NPTEL- MARKETING Analytics\\sales error.csv")

# Remove rows with missing values
df_1 = df.dropna()

# Convert month to factor
df_1['Month'] = df_1['Month'].astype('category')

# Fit the linear regression model
model = LinearRegression()
model.fit(df_1[['ts', 'Month']], df_1['SMA'])

# Predict values based on the model
predicted = model.predict(df_1[['ts', 'Month']])

# Calculate the errors
errors = df_1['SMA'] - predicted

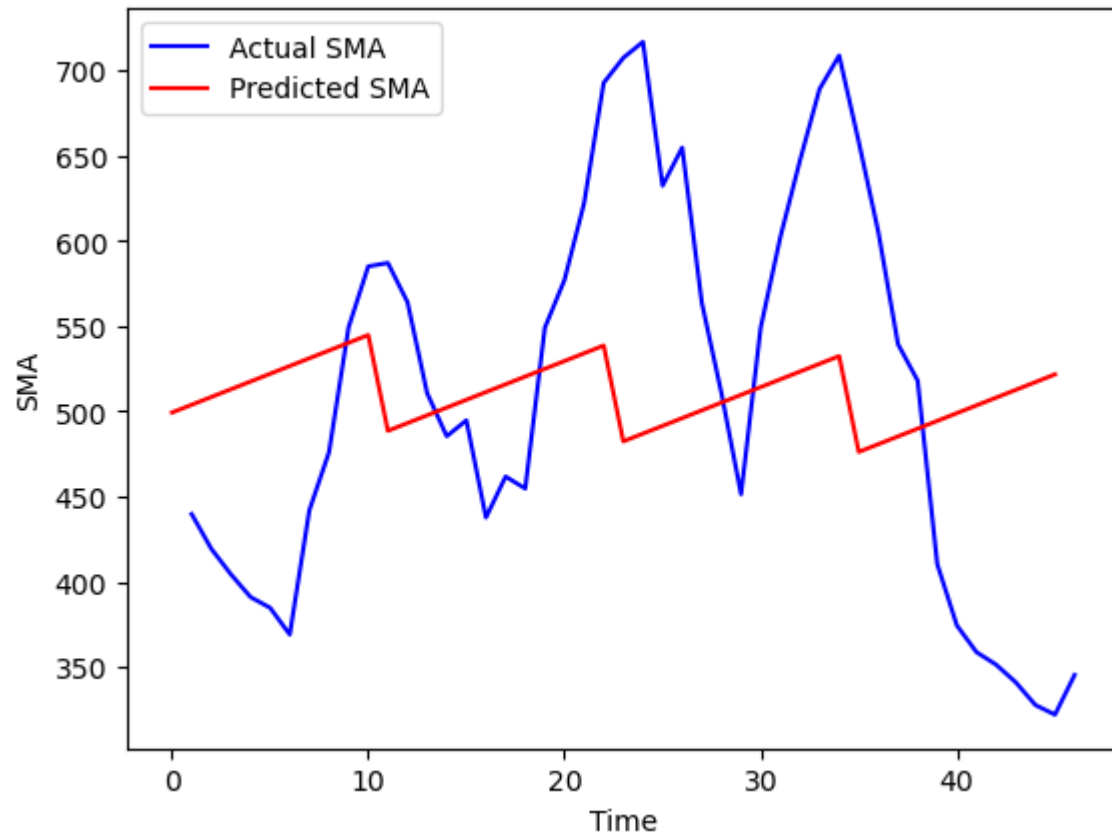
# Calculate RMSE
rmse = np.sqrt(mean_squared_error(df_1['SMA'], predicted))
rmse

# Plot Line graph
plt.plot(df_1['SMA'], color='blue', label='Actual SMA')
plt.plot(predicted, color='red', label='Predicted SMA')
plt.xlabel('Time')
plt.ylabel('SMA')
plt.legend()
plt.show()
```

```
: # Calculate RMSE
rmse = np.sqrt(mean_squared_error(df_1['SMA'], predicted))
rmse |

: 114.42655729979907
```





An RMSE of 114.4266 suggests that, on average, the predicted SMA values differ from the actual SMA values by approximately 114.4266 units.

THIS MODEL IS NOT PREDICTING WELL SO WE CAN USE OTHER MODEL

## GRADEINT BOOSTING

```
: from sklearn.ensemble import GradientBoostingRegressor

# Read the dataset
df = pd.read_csv("D:\\data ANALYTICS AND SCIENCE\\NPTEL- MARKETING Analytics\\sales error.csv")

# Remove rows with missing values
df_1 = df.dropna()

# Convert month to factor in a new DataFrame
df_2 = df_1.copy()
df_2['Month'] = df_2['Month'].astype('category')

# Fit the Gradient Boosting model
model = GradientBoostingRegressor()
model.fit(df_2[['ts', 'Month']], df_2['SMA'])

# Predict values based on the model
predicted = model.predict(df_2[['ts', 'Month']])

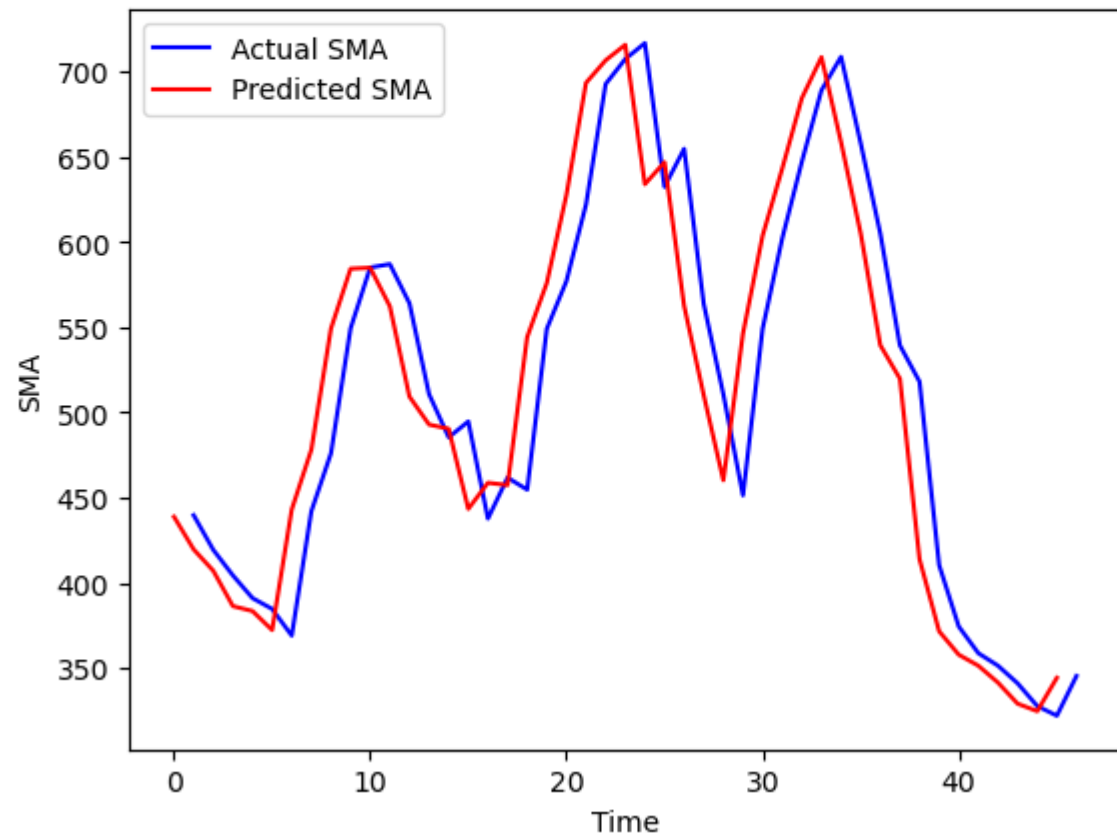
# Calculate the errors
errors = df_2['SMA'] - predicted

# Calculate RMSE
rmse = np.sqrt(mean_squared_error(df_2['SMA'], predicted))
rmse
```

```
: 3.1807005323769713
```

**gradient boost has hugely reduced the error**

```
# Plot line graph
plt.plot(df_2['SMA'], color='blue', label='Actual SMA')
plt.plot(predicted, color='red', label='Predicted SMA')
plt.xlabel('Time')
plt.ylabel('SMA')
plt.legend()
plt.show()
```



So the GRADIENT BOOST has decreased the moving average error

## Forecasting next year's 1st quarter sales

```
pred=pd.read_csv("D:\\data ANALYTICS AND SCIENCE\\NPTEL- MARKETING Analytics\\next 4 month prediction.csv")
pred
```

	Year	ts	Month
0	2020	49	1
1	2020	50	2
2	2020	51	3
3	2020	52	4

Utilizing the trained Gradient Boosting model to predict future values of the target variable (SMA) based on the input features (ts and Month). This can help to estimate the expected values for the upcoming time periods.

```
# Convert month to factor in the "pred" dataframe
pred['Month'] = pred['Month'].astype('category')

# Make predictions using the trained model
predicted_pred = model.predict(pred[['ts', 'Month']])

# Add the predicted values to the "pred" dataframe
pred['Predicted_SMA'] = predicted_pred

# Print the "pred" dataframe with predicted values
print(pred)
```

	Year	ts	Month	Predicted_SMA
0	2020	49	1	417.548106
1	2020	50	2	383.685415
2	2020	51	3	385.415404
3	2020	52	4	381.031363