In[7]:= RandomVariate[GaussianOrthogonalMatrixDistribution[3]] // MatrixForm

Out[7]//MatrixForm=

```
0.269447 -0.235567 -0.56972
-0.235567 -0.0732279 0.982845
-0.56972 0.982845 1.96217
```

In[8]:= SymmetricMatrixQ[%]

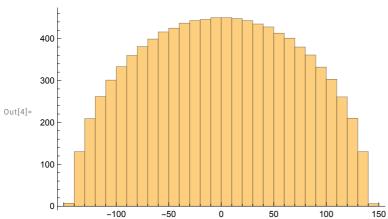
Out[8]= True

In[9]:= UnitaryMatrixQ[%]

Out[9]= False

 $\label{eq:local_local_local} {\tt In[4]:=} \ \ \textbf{RandomVariate[MatrixPropertyDistribution[Eigenvalues[x], where x is the property x is the pro$

x ≈ GaussianOrthogonalMatrixDistribution[10 000]]] // Histogram



Out[10]//MatrixForm=

ln[23] := SymmetricMatrixQ[RandomVariate[GaussianUnitaryMatrixDistribution[3]]]

Out[23]=

False

In[24]:= UnitaryMatrixQ[RandomVariate[GaussianUnitaryMatrixDistribution[3]]]

Out[24]=

False

In[13]:= RandomVariate[GaussianSymplecticMatrixDistribution[3]] // MatrixForm

Out[13]//MatrixForm=

```
0.548777 + 0.1
                       -0.349871 + 1.20083 i -0.544824 + 0.166296 i
                                                                            0. + 0.
-0.349871 - 1.20083 i
                         -1.30091 + 0. i
                                               1.04332 + 0.2497 i
                                                                    -0.131412 + 0.0
-0.544824 - 0.166296 i
                        1.04332 - 0.2497 i
                                                 0.291522 + 0.1
                                                                     0.757392 + 0.2
                      -0.131412 - 0.0361864 i 0.757392 - 0.257043 i
       0. + 0. i
                                                                        0.548777 +
0.131412 + 0.0361864 i
                             0. + 0. i
                                              -0.806668 - 1.05001 i -0.349871 + 1
-0.757392 + 0.257043 i 0.806668 + 1.05001 i
                                                    0. + 0. i
                                                                     -0.544824 + 0.
```

 $\label{ln25} \textbf{In} \textbf{[25]:= Symmetric} \textbf{Matrix} \textbf{Q} \textbf{[RandomVariate} \textbf{[GaussianSymplecticMatrixDistribution[3]]]}$

Out[25]=

False

1. 0 0 0 1. 0 0 0 1.

In[46]:= D1 = Chop[RandomVariate[CircularSymplecticMatrixDistribution[3]]] Out[46]= $\{\{0.603207 - 0.412394 i, 0.530521 - 0.194541 i, \}\}$ -0.100215 - 0.262651 i, 0, 0.199717 + 0.128518 i, 0.0485042 - 0.0948079 i), $\{-0.345448 - 0.271705 \pm, 0.522907 + 0.283278 \pm, 0.211005 + 0.432946 \pm,$ -0.199717 - 0.128518 i, 0, 0.391677 + 0.106695 i}, -0.0485042 + 0.0948079 i, -0.391677 - 0.106695 i, 0-0.345448 - 0.271705 i, 0.391597 + 0.176412 i}, $\{-0.0372997 + 0.169935 \,\dot{\mathbb{1}}, \, 0, \, -0.0943301 + 0.36769 \,\dot{\mathbb{1}}, \, 0, \, -0.0943301 + 0.00943301 + 0.0094301 + 0.0094301 + 0.0094301 + 0.0094301 + 0.0094301 + 0.0094301 + 0.0094301 + 0.0094301 + 0.0094301 + 0.0094301 + 0.0094301 + 0.0094301 + 0.009401 + 0.0$ 0.530521 - 0.194541 i, 0.522907 + 0.283278 i, 0.0418731 - 0.388466 i}, $\{-0.0946027 + 0.221872 \pm, 0.0943301 - 0.36769 \pm, 0, -0.100215 - 0.262651 \pm, 0.0948027 + 0.221872 \pm, 0.0948027 + 0.221872 \pm, 0.0948301 - 0.36769 \pm, 0.0948027 + 0.221872 \pm, 0.0948301 - 0.36769 \pm, 0.0948301 - 0.262651 \pm, 0.0948301 - 0.0948301 - 0.0948301 - 0.0948301 - 0.0948301 - 0.0948301 - 0.0948301 - 0.0948301 - 0.0948301 - 0.0948301 - 0.0948301 - 0.0948301 - 0.0948301 - 0.0948301 - 0.0948301 - 0.0948301 - 0.094801 -$ 0.211005 + 0.432946 i, -0.114293 + 0.688239 i}

In[48]:= Chop[D1.ConjugateTranspose[D1]] // MatrixForm

Out[48]//MatrixForm=

```
1. 0 0 0 0 0
0 1. 0 0 0 0
0 0 1. 0 0 0
0 0 0 1. 0 0
0 0 0 0 1. 0
0 0 0 0 0 1.
```