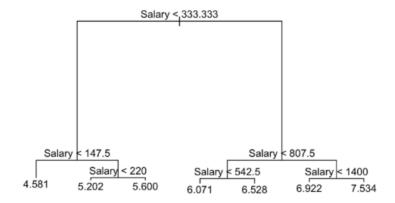
## STAT 4360 (Introduction to Statistical Learning, Spring 2023) Mini Project 6

Name: Sayema Rahman

1. (a) The regression tree shows the 7 nodes in the tree. The first and main split is 333.333. The second two splits are 147.5 and 807.5. The next split that occurs at 147.5 is between 4.581 and 220. The next split is at 220 and the two values are 5.202 and 5.600. Going back to the first node on the tree, the right side split, and 807.5 splits again to get 542.5 and 1400. The 542.5 node splits into two nodes labeled 6.071 and 6.528. The 1400 node splits into two two nodes labeled 6.922 and 7.534. The estimated test MSE is 0.03770513. Due to the value of the MSE being close to 0, the squared difference between the predicted logarithm of salaries and the actual log of the salaries is quite small. This all leads to the there being a good prediction accuracy.



```
1) root 212 167.7000 5.927
2) Salary < 333.333 90 19.7400 5.046
4) Salary < 147.5 40 1.9490 4.586 *
5) Salary > 147.5 50 2.5930 5.413
10) Salary < 227.5 27 0.3430 5.229 *
11) Salary > 227.5 23 0.2588 5.629 *
3) Salary > 333.333 122 26.4200 6.578
6) Salary < 685 54 2.1210 6.163 *
7) Salary > 685 68 7.6820 6.906
14) Salary < 1137.5 48 0.7414 6.718 *
15) Salary > 1137.5 20 1.1390 7.359 *
[1] 0.03770513
```

(b) The unpruned tree has a greater RMSE value than the pruned tree. The pruned tree is significantly better than the unpruned tree. The most important predictors seemed to be salary.

```
Regression tree:
rpart(formula = logSalary ~ ., data = Hitters)
Variables actually used in tree construction:
[1] Salary
Root node error: 207.15/263 = 0.78766
n = 263
        CP nsplit rel error
                              xerror
                                           xstd
                0 1.000000 1.008497 0.0653957
1 0.728394
2 0.095559
                1 0.271606 0.277005 0.0198256
3 0.091437
                2 0.176047 0.186950 0.0170238
                3 0.084610 0.093920 0.0076299
4 0.024618
5 0.017778
                4 0.059992 0.065283 0.0043848
6 0.011997
                5 0.042214 0.049899 0.0035979
7 0.010000
                6 0.030217 0.041931 0.0033119
[1] "Unpruned Tree Results:"
NULL
[1] "Pruned Tree Results:"
[1] "Estimated Test MSE for Best Pruned Tree: 0.0259497143687166"
> pruned_loocv$results
                RMSE Rsquared
         Ср
1 0.01000000 0.1650142 0.9655682 0.1379667
2 0.01199666 0.2036880 0.9477909 0.1743102
3 0.01777830 0.2140254 0.9420251 0.1835095
4 0.02461812 0.2547620 0.9188206 0.2261205
5 0.09143698 0.3999945 0.7975733 0.3459384
6 0.09555868 0.4820213 0.7067753 0.4242894
7 0.72839437 0.8828512 0.0722373 0.8099396
```

(c) The test MSE is 9.50350999076997e-05 for Random Forest which is fairly low. This indicates that the model is good for predicting the salary based on these predictors. Cbat, Walks, and Chits are all important predictors.

```
model \leftarrow randomForest(logSalary \sim ., data = Hitters, mtry = ncol(Hitters)-1, ntree = 1000)
predictions = predict(model, newdata = Hitters)
bagging = mean((Hitters$logSalary - predictions)^2)
print(paste("Test MSE for Model:", bagging))
importance = |importance(model)
print(importance)
 [1] "Test MSE for Model: 9.50350999076997e-05"
         IncNodePurity
          1.172444e-02
8.662642e-03
AtBat
Hits
           6.422724e-03
HmRun
Runs
           1.761487e-02
RBI
           9.344264e-03
```

Walks

Years

CRBI

1.997124e-02

6.519051e-03

1.065231e-02

CAtBat 1.679037e-02 CHits 1.714956e-02 CHmRun 1.301456e-02 CRuns 1.514062e-02

CWalks 1.334762e-02 League 2.081534e-03 Division 4.698867e-03 Putouts 1.351578e-02 Assists 1.145240e-02 Errors 1.778280e-02 Salary 2.055031e+02 NewLeague 1.776642e-03

## > print(important\_predictors)

Overall 0.3096749 AtBat CAtBat 1.3072363 CHits 1.5683953 CHmRun 0.1966182 1.2931470 CRBI 1.3205929 CRuns CWalks 0.8442868 Division 0.1469899 RBI 0.3535231 0.1820475 Runs Salary 4.3862302 Walks 0.1713732 Years 0.3376300 Hits 0.0000000 0.0000000 HmRun 0.0000000 League PutOuts 0.0000000 Assists 0.0000000 Errors 0.0000000 NewLeague 0.0000000

(d) The most important predictors are CAtBat and hits.

(e) The most important predictors are Salary and CHmRun.







Description: df [20 x 2]

	var <chr></chr>	rel.inf <dbl></dbl>
Salary	Salary	9.984267e+01
CHmRun	CHmRun	5.771258e-02
CAtBat	CAtBat	2.040630e-02
CRBI	CRBI	1.158551e-02
CHits	CHits	1.132665e-02
CRuns	CRuns	1.109609e-02
CWalks	CWalks	1.075639e-02
Hits	Hits	8.078839e-03
RBI	RBI	7.635 <b>87</b> 3e-03
AtBat	AtBat	5.156068e-03

1-10 of 20 rows

## [1] 0.03630034

	IncNodePurity					
AtBat	3.62587669					
Hits	4.42659293					
HmRun	1.41021655					
Runs	2.48389560					
RBI	3.03771219					
Walks	2.81629951					
Years	3.71197835					
CAtBat	27.67734929					
CHits	23.90228720					
CHmRun	3.88817550					
CRuns	19.32487347					
CRBI	12.04679923					
CWalks	12.87025342					
League	0.09792569					
Division	0.14956095					
PutOuts	1.43845019					
Assists	0.64533342					
Errors	0.64282587					
Salary	80.94946578					
NewLeague	0.15087372					
[1] 0 003072795						

[1] 0.003072795

<sup>(</sup>f) I would recommend the boosting approach as the best approach, as it is better when it comes to giving us an analysis of the data.

<sup>2. (</sup>a) The estimated test error rate is approximately 0.22. The key features of the fit are Length, Class, and Mode.

```
# Step 4(a): Fit a support vector classifier to the data with cost parameter
# chosen optimally. Summarize key features of the fit. Compute its estimated
# test error rate.
svm_linear <- train()</pre>
  X = X
  y = y,
  method = "svmLinear",
  trControl = cv,
  tuneGrid = expand.grid(C = seq(0.1, 10, by = 0.1))
optimal_cost <- svm_linear$bestTune$C
# summarize key features
summary(svm_linear$finalModel)
# compute estimated test error rate
test_error <- 1 - svm_linear$results$Accuracy</pre>
estimated_test_error_rate <- mean(test_error)</pre>
cat("Estimated Test Error Rate:", estimated_test_error_rate, "\n")
 Length Class
                 Mode
          ksvm
                   S4
 Estimated Test Error Rate: 0.2243689
```

(b) The key features of the fit are Length, Class, and Mode. The estimated test error rate is approximately 0.21.

```
> results <- resumples(list(svc = svm_linear, svm_rolynomial = svm_poly, svm_kaalal = svm
> summary(results)
Call:
summary.resamples(object = results)
Models: SVC, SVM_Polynomial, SVM_Radial
Number of resamples: 10
Accuracy
                    Min.
                           1st Qu.
                                      Median
                                                  Mean
                                                          3rd Qu. Max. NA's
SVC
               0.7487437 0.7650000 0.7725000 0.7754752 0.7810945 0.815
SVM_Polynomial 0.7500000 0.7572048 0.7705597 0.7814938 0.8037500 0.840
                                                                           0
SVM Radial
               0.9600000 0.9800249 0.9900249 0.9875024 1.0000000 1.000
Kappa
                                      Median
                    Min.
                           1st Qu.
                                                  Mean
                                                          3rd Qu.
SVC
               0.3944005 0.4522063 0.4654069 0.4687534 0.4878247 0.5684628
                                                                               0
SVM_Polynomial 0.3955513 0.4184998 0.4472776 0.4806959 0.5374588 0.6281232
                                                                               0
               0.9096352 0.9557799 0.9778269 0.9720857 1.0000000 1.0000000
                                                                               0
SVM_Radial
```

```
+  y = y,
+  method = "svmPoly",
+  trControl = cv,
+  preProc = c("center", "scale"),
+  tuneGrid = tuneGridPoly
+ )
>
>  summary(svm_poly)
Length Class Mode
    1  ksvm S4
>
>  test_error_svm_poly <- 1 - max(svm_poly$results$Accuracy)
>  print(test_error_svm_poly)
[1]  0.2185062
```

(c) The estimated test error rate is approximately 0.01249764.

```
# (c): Fit Support Vector Machine (SVM) with radial kernel and optimal parameters
library(caret)
library(e1071)
svm_model_radial <- train(</pre>
 x = X
 y = y,
  method = "svmRadial",
  trControl = cv,
  tuneGrid = expand.grid(C = seq(0.1, 10, by = 0.1), sigma = seq(0.1, 2, by = 0.1)),
  preProc = c("center", "scale"),
  tuneLength = 10
# Optimal cost and gamma parameters
optimal_cost_radial <- svm_model_radial$bestTune$C
optimal_sigma <- svm_model_radial$bestTune$sigma
# Step 5: Summarize key features of the fit
summary(svm_model_radial$finalModel)
# Step 6: Compute estimated test error rate
test_error_radial <- 1 - svm_model_radial$results$Accuracy</pre>
estimated_test_error_rate_radial <- mean(test_error_radial)</pre>
# Output results
cat("Optimal Cost Parameter (Radial Kernel):", optimal_cost_radial, "\n")
cat("Optimal Sigma Parameter (Radial Kernel):", optimal_sigma, "\n")
cat("Estimated Test Error Rate (Radial Kernel):", estimated_test_error_rate_radial, "\n")
     method = "svmRadial",
 +
     trControl = cv,
     preProc = c("center", "scale"),
     tuneGrid = tuneGridRadial
 + )
 > # Summarize key features of the fit
 > summary(svm_radial)
 Length Class
                     Mode
                       S4
       1
            ksvm
 > # Compute estimated test error rate
 > test_error_svm_radial <- 1 - max(svm_radial$results$Accuracy)</pre>
 > print(test_error_svm_radial)
 [1] 0.01249764
 >
```

- (d) I would recommend Radial Kernel as the recommended method as it gives the best test error value.
  - 3. (a) Standardizing the variables before clustering is a good idea.
    - (b) I would use a metric-based system to cluster the players.
    - (C) The mean salary of the two players was 458.3 and 792.98. This suggests that cluster 2 has more high-performance players than cluster 1.

cluster <int></int>	AtBat <dbl></dbl>	Hits <dbl></dbl>	HmRun <dbl></dbl>	Runs <dbl></dbl>	RBI <dbl></dbl>	Walks <dbl></dbl>	Years <dbl></dbl>	CAtBat <dbl></dbl>	CHits ⟨dbl⟩	
1	408.4802	109.1436	10.90594	55.35149	49.89604	40.0198	5.19802	1664.203	445.1535	
2	387.6230	103.4754	13.98361	52.73770	56.75410	44.7377	14.31148	5946.967	1639.5738	

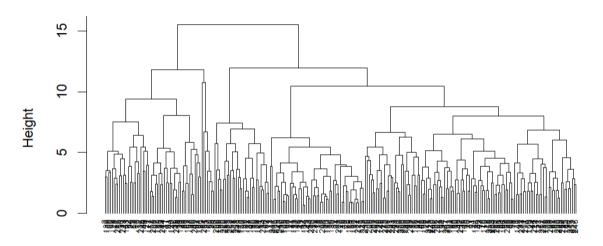
> salary\_mean <- tapply(Hitters\$Salary, cut\_dendo, mean)</pre>

> print(salary\_mean)

L 2

458.2994 792.9841

## **Cluster Dendrogram**



dist(scaled\_predictor)
hclust (\*, "complete")

(d) The two clusters show the mean salaries of the players. In Cluster 1 we have more high-performance players while Cluster 2 would suggest that the players are more low-performing players.

1 2 848.4415 307.7072

(e) The k-means algorithm gives the more sensible result.

Contact

$$\frac{1}{2n} \frac{2}{2n!} (x_{1} - x_{3})^{2} = \frac{1}{2n!} (x_{2} - x_{3})^{2} \qquad x = \frac{1}{2n!} x_{2}^{2}$$

$$\frac{1}{2n} \frac{2}{2n!} \frac{1}{2n!} \frac{1}{2n!} (x_{1} - x_{3})^{2} \qquad x = \frac{1}{2n!} x_{2}^{2}$$

$$\frac{1}{2n!} \frac{2}{2n!} \frac{1}{2n!} \frac{1}{2n!} (x_{1} - x_{3})^{2} \qquad x_{1}^{2} - \frac{1}{2n!} \frac{1}{2n!} (x_{2} - x_{2})^{2} + x_{2}^{2} x_{3}^{2} + x_{2}^{2} x_{3}^{2}) + \frac{1}{4n!} \frac{1}{2n!} \frac{1}{2n!} x_{3}^{2}$$

$$= \frac{1}{2n!} (n \sum_{k=1}^{n} x_{k}^{2} - \frac{1}{2n!} \sum_{k=1}^{n} 2x_{k}^{2} x_{3}^{2} + n \sum_{k=1}^{n} x_{3}^{2}$$

$$= \frac{1}{2n!} (2n \sum_{k=1}^{n} x_{k}^{2} - 2n \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{3}^{2}$$

$$= \frac{1}{2n!} (x_{1}^{2} - 2x \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{k}^{2}$$

$$= \frac{1}{2n!} (x_{1}^{2} - 2x \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{k}^{2}$$

$$= \frac{1}{2n!} (x_{1}^{2} - 2x \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{k}^{2}$$

$$= \frac{1}{2n!} (x_{1}^{2} - 2x \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{k}^{2}$$

$$= \frac{1}{2n!} (x_{1}^{2} - 2x \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{k}^{2}$$

$$= \frac{1}{2n!} (x_{1}^{2} - 2x \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{k}^{2}$$

$$= \frac{1}{2n!} (x_{1}^{2} - 2x \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{k}^{2}$$

$$= \frac{1}{2n!} (x_{1}^{2} - 2x \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{k}^{2}$$

$$= \frac{1}{2n!} (x_{1}^{2} - 2x \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{k}^{2}$$

$$= \frac{1}{2n!} (x_{1}^{2} - 2x \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{k}^{2}$$

$$= \frac{1}{2n!} (x_{1}^{2} - 2x \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{k}^{2})$$

$$= \frac{1}{2n!} (x_{1}^{2} - 2x \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{k}^{2})$$

$$= \frac{1}{2n!} (x_{1}^{2} - 2x \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{k}^{2})$$

$$= \frac{1}{2n!} (x_{1}^{2} - 2x \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{k}^{2})$$

$$= \frac{1}{2n!} (x_{1}^{2} - 2x \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{k}^{2}$$

$$= \frac{1}{2n!} (x_{1}^{2} - 2x \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{k}^{2}$$

$$= \frac{1}{2n!} (x_{1}^{2} - 2x \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{k}^{2} + n \sum_{k=1}^{n} x_{k$$

```
1a)
```{r}
library(ISLR)
library(tree)
library(MASS)
library(rpart)
library(caret)
library(randomForest)
library(qbm)
library(e1071)
library(ISLR2)
# load the data
data("Hitters")
# clean the data set
Hitters <- na.omit(Hitters)</pre>
Hitters$logSalary <- log(Hitters$Salary)</pre>
tree = rpart(logSalary ~ ., data=Hitters)
plot(tree)
text(tree, pretty = 0)
set.seed(123) # For reproducibility
index <- createDataPartition(Hitters$logSalary, p = 0.8, list =</pre>
FALSE)
training data <- Hitters[index, ]</pre>
test data <- Hitters[-index, ]</pre>
# Fit tree
tree fit <- tree(logSalary ~., data = training data)</pre>
print(tree fit)
# Predict on testing data
predictions <- predict(tree fit, test data)</pre>
# Calculating the MSE
MSE Test <- mean((test data$logSalary - predictions)^2)</pre>
print(MSE Test)
. . .
1b)
```{r}
printcp(tree)
prunedTree = prune(tree, cp =
tree$cptable[which.min(tree$cptable[,"xerror"]), "CP"])
prunedLoocv <- train(logSalary ~ ., data = Hitters, method = "rpart",</pre>
                        trControl = trainControl(method = "LOOCV"),
```

```
tuneGrid = expand.grid(.cp =
tree$cptable[,"CP"]))
prunedLoocv$results
# Compare results
print("Unpruned Tree Results:")
print(tree$results)
print("Pruned Tree Results:")
print(prunedLoocv$results)
# Report estimated test MSE for the best pruned tree
best cp <-
prunedLoocv$results$cp[which.min(prunedLoocv$results$RMSE)]
best pruned tree <- prune(tree, cp = best cp)</pre>
test predictions <- predict(best pruned tree, newdata = test data)</pre>
test mse <- mean((test data$logSalary - test predictions)^2)</pre>
print(paste("Estimated Test MSE for Best Pruned Tree:", test mse))
# Identify important predictors
important predictors <- varImp(best pruned tree)</pre>
print(important predictors)
(C)
model <- randomForest(logSalary ~ ., data = Hitters, mtry =</pre>
ncol(Hitters)-1, ntree = 1000)
predictions = predict(model, newdata = Hitters)
bagging = mean((Hitters$logSalary - predictions)^2)
print(paste("Test MSE for Model:", bagging))
importance = importance(model)
print(importance)
. . .
(d)
```{r}
random forest = randomForest(logSalary ~ ., data = Hitters, method =
"rf",
                              ntree = 1000, trControl =
trainControl(method = "LOOCV",
number = 1),
                              tuneGrid = expand.grid(.mtry = floor(
                                (ncol(Hitters) - 1) / 3)))
loocv = train(logSalary ~ ., data = Hitters, method = "rf", ntree =
1000,
                 trControl = trainControl(method = "LOOCV", number =
1),
```

```
tuneGrid = expand.grid(.mtry = floor((ncol(Hitters)
- 1) / 3)))
loocv$results$RMSE^2
importance = importance(random forest)
print(importance)
(e)
```{r}
boosting model = gbm(logSalary ~., data = Hitters, distribution =
"gaussian",
                     n.trees = 1000, interaction.depth = 1, shrinkage
= 0.01,
                     cv.folds = nrow(Hitters), n.cores = NULL)
MSE = min(boosting model$cv.error)
print(MSE)
summary = summary(boosting model)
print(summary)
Question 2
```{r}
library(e1071)
library(caret)
library(ggplot2)
library(MASS)
diabetes <- read.table("C:/Users/sayem/Downloads/diabetes.csv",
sep=",", header = T)
# renaming columns to get rid of .. at the end of each variable
names(diabetes) <- c("Pregnancies", "Glucose", "BloodPressure",</pre>
"SkinThickness",
                      "Insulin", "BMI", "DiabetesPedigreeFunction",
"Age", "Outcome")
head(diabetes)
X <- diabetes[, -9] # Features</pre>
y <- diabetes$Outcome
y \leftarrow factor(y, levels = c(0, 1))
# 10-fold cross validation
set.seed(123) # For reproducibility
cv <- trainControl(method = "cv", number = 10)</pre>
```{r}
#DONE
# Step 4(a): Fit a support vector classifier to the data with cost
# chosen optimally. Summarize key features of the fit. Compute its
estimated
```

```
# test error rate.
svm linear <- train(</pre>
 x = X,
 y = y,
 method = "svmLinear",
  trControl = cv,
  tuneGrid = expand.grid(C = seq(0.1, 10, by = 0.1))
optimal cost <- svm linear$bestTune$C</pre>
# summarize key features
summary(svm linear$finalModel)
# compute estimated test error rate
test error <- 1 - svm linear$results$Accuracy</pre>
estimated test error rate <- mean(test error)</pre>
cat("Estimated Test Error Rate:", estimated test error rate, "\n")
```{r}
library(caret)
library(e1071)
# (b): Fit Support Vector Machine (SVM) with polynomial kernel and
optimal cost parameter
svm model poly <- train(</pre>
 x = X
 y = y,
 method = "svmPoly",
 trControl = cv,
 tuneGrid = expand.grid(degree = 1:3, scale = c(0.1, 1, 10), C =
seq(0.1, 10, by = 0.1))
# Optimal cost parameter
optimal cost poly <- svm model poly$bestTune$C</pre>
# Summarize key features of the fit
print(svm model poly)
# Compute estimated test error rate
test error poly <- 1 - svm model poly$results$Accuracy</pre>
estimated test error rate poly <- mean(test error poly)</pre>
# Output results
cat("Optimal Cost Parameter (Polynomial Kernel): ",
optimal cost poly, "\n")
cat("Estimated Test Error Rate (Polynomial Kernel): ",
estimated test error rate poly, "\n")
```

. . .

```
```{r}
# (c): Fit Support Vector Machine (SVM) with radial kernel and
optimal parameters
library(caret)
library(e1071)
svm model radial <- train(</pre>
 x = X
 y = y,
 method = "svmRadial",
 trControl = cv,
  tuneGrid = expand.grid(C = seq(0.1, 10, by = 0.1), sigma = seq(0.1, 10, by = 0.1)
2, by = 0.1)),
 preProc = c("center", "scale"),
 tuneLength = 10
# Optimal cost and gamma parameters
optimal cost radial <- svm model radial$bestTune$C</pre>
optimal sigma <- svm model radial$bestTune$sigma
# Step 5: Summarize key features of the fit
summary(svm model radial$finalModel)
# Step 6: Compute estimated test error rate
test error radial <- 1 - svm model radial$results$Accuracy
estimated test error rate radial <- mean(test error radial)
# Output results
cat("Optimal Cost Parameter (Radial Kernel):", optimal cost radial,
"\n")
cat("Optimal Sigma Parameter (Radial Kernel):", optimal sigma, "\n")
cat ("Estimated Test Error Rate (Radial Kernel):",
estimated test error rate radial, "\n")
```{r}
# (d) Compare results from the above three methods and also from the
method you
# recommended for these data in Mini Projects 3 and 4. Which method
would you
# recommend now?
results <- resamples(list(SVC = svm linear, SVM Polynomial =
svm poly, SVM Radial = svm radial))
summary(results)
Question 3
``{r}
Hitters <- as.data.frame(sapply(Hitters, as.numeric))</pre>
# Extract predictors
```

```
predictors <- Hitters[, -which(names(Hitters) == "Salary")]</pre>
#(a) Standardizing variables before clustering
scaled predictor <- scale(predictors)</pre>
#(b) Selecting a distance measure
# Since we standardized the variables, Euclidean distance is good for
clustering
#(c) Hierarchical clustering with complete linkage and Euclidean
distance
hierarchical_cluster <- hclust(dist(scaled predictor), method =</pre>
"complete")
# Cut dendrogram at a height resulting in two distinct clusters
cut dendo <- cutree(hierarchical cluster, k = 2)</pre>
# Summarize cluster-specific means of variables
cluster mean <- aggregate(predictors, by = list(cluster = cut dendo),
FUN = mean)
print(cluster mean)
# Summarize mean salaries of players in the two clusters
salary mean <- tapply(Hitters$Salary, cut dendo, mean)</pre>
print(salary mean)
# dendrogram
plot(hierarchical cluster, hang = -1, cex = 0.6)
\# (d) K-means clustering with K = 2
kmeans cluster <- kmeans(scaled predictor, centers = 2)</pre>
kmeans_clustermean <- aggregate(predictors, by = list(cluster =</pre>
kmeans cluster$cluster), FUN = mean)
print(kmeans clustermean)
kmeans salarymean <- tapply(Hitters$Salary, kmeans cluster$cluster,
mean)
print(kmeans salarymean)
```