

ALM CO-1

- State and Explain Maxwell's Equations.

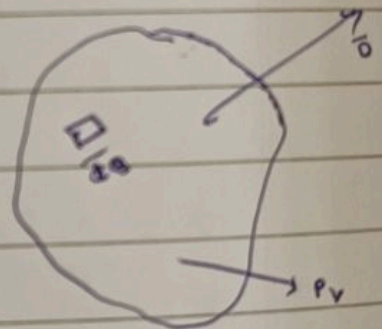
- i) Gauss law for electric field & magnetic field
- ii) Ampere's circuit law
- iii) Faraday's law

- i) Gauss law for electric field:-

Total displacement coming out of close surface is equal to net charge enclosed by closed surface or the volume.

Total displacement = Net charge
in closed surface in volume

$$\psi = \oint \vec{D} \cdot d\vec{s} = Q_{\text{en}}$$



Proof:-

As per Gauss's law

$$\oint \vec{D} \cdot d\vec{s} = Q \quad \text{--- (1)}$$

For volume charge distribution ρ_v

$$Q = \int \rho_v dv \quad \text{--- (2)}$$

from eq (1) & eq (2)

$$\boxed{\oint \vec{D} \cdot d\vec{s} = \int \rho_v dv} \rightarrow \text{Integral form}$$

As per divergence theorem:

$$\oint \vec{A} \cdot d\vec{S} = \int \vec{\nabla} \cdot \vec{A} dv \quad \text{--- (2)}$$

from eq (3) & integral form

$$\int \vec{\nabla} \cdot \vec{B} dv = \int \rho v dv$$

$$\boxed{\vec{\nabla} \cdot \vec{B} = \rho v} \rightarrow \text{Differential form}$$

⇒ Gauss's law for magnetic flux:

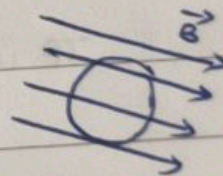
For closed surface, magnetic flux is zero.

$$\boxed{\oint \vec{B} \cdot d\vec{S} = 0} \rightarrow \text{Integral form}$$

Magnetic field always stays in closed loop.

Entering mag flux = -ve

Entering mag flux = +ve



As per Divergence theorem,

$$\oint \vec{B} \cdot d\vec{S} = \int (\vec{\nabla} \cdot \vec{B}) dv = 0$$

$$\boxed{\vec{\nabla} \cdot \vec{B} = 0} \rightarrow \text{Differential form}$$