

ENGR 305 – Lab #10 (2 weeks)
NPN Common-Emitter Amplifier

OBJECTIVES:

To study an NPN-based common-emitter (CE) amplifier by:

- Completing the DC and small-signal analysis based on its theoretical behavior.
- Simulating it to compare the results with the paper analysis.
- Implementing it in an experimental setting, taking measurements, and comparing its performance with theoretical and simulated results.
- Measuring its output resistance.
- Qualitatively seeing the impact of transistor-to-transistor variations.

MATERIALS:

- Laboratory setup, including breadboard.
- 1 NPN bipolar transistor (2N3904)
- 3 “large” (e.g., 47- μ F) capacitors
- Several resistors of varying sizes
- Wires

PART 1: DESIGN AND SIMULATION

Design the amplifier to achieve a small-signal gain of at least $A_v = -200 \text{ V/V}$. Use supplies of $V_+ = V_- = 15\text{V}$, $R_{sig} = 50 \Omega$, $R_L = 10 \text{ k}\Omega$, and $R_B = 10 \text{ k}\Omega$, and design the circuit to have $I_C = 1 \text{ mA}$. Although there will be variations from transistor to transistor, you may assume a value of β of 100 in your calculations. Obtain the datasheet for the NPN transistor that will be used. In your lab book, perform the following:

DC Operating Point Analysis

- Sketch a DC model of the circuit in your lab book, replacing the three “large-valued” coupling capacitors C_{C1} , C_{C2} , and C_E , by open circuits (for simplicity you may also omit v_{sig} , R_{sig} , and R_L).
- What are the values of I_B and I_E ? What is the value of V_B ?
- Determine a value of R_E that produces a base-emitter voltage drop of 0.7 V. What is V_E ?
- Is the value of R_E available? Can you achieve this value by combining resistors or using a decade box?
- *Note:* At this stage we know neither V_{CE} nor R_C .

AC Analysis

- Sketch a small-signal model of the circuit in your lab book, replacing the transistor with its small-signal model (V_A is large, so you may ignore r_0), replacing the capacitors with

short circuits (what happens to R_E) and replacing V_+ with an AC ground. What happens to V_- ? Label the base of the transistor as v_i , i.e., the small-signal voltage at the input.

What are the values of g_m and r_π ?

- What is the ratio of v_i/v_{sig} ? Can you approximate it?
- Derive an expression for $A_v = v_o/v_i$. What is the value of R_C that produces a small-signal voltage gain of *at least* $A_v = -200$ V/V? Is the value you calculate for R_C available? Can you achieve this value by combining several resistors or using a decade box?
- What is the DC voltage at the collector? Does this satisfy the assumption that the transistor should be operating in the active region? Explain.
- What is the output resistance, R_o ?

Simulation

- Simulate the performance of your circuit. Use capacitor values $C_{C1} = C_{C2} = C_E = 47 \mu F$ and the values of R_E and R_C based on your preceding calculations. Use a 10-mV_{pk-pk}, 1-kHz sinusoid with no DC component applied at v_{sig} . For the npn bipolar junction transistor, use the **2N3904** part from the npn dropdown menu.
- Place a voltage source, then right-click on it and click on *advanced*.
 - *Choose SINE:*
 - Amplitude – 5mV
 - Frequency – 1000 (Hz)
- You will run *dc op pnt* for the dc values and *transient* for the ac values. Run about 3-5 periods for the transient.
- From your simulation, report the DC values of V_{BE} , V_{CE} , I_B , I_C , and I_E . How closely do they match your calculations?
- From your simulation, report A_v . How closely does it match your calculations?

PART 2: PROTOTYPING

- Assemble the circuit onto your breadboard using the specified component values and those just calculated. Note that R_{sig} represents the output resistance of the function generator, and therefore you should *not* include it in your physical circuit.

PART 3: MEASUREMENTS

- *DC bias point measurement:* Using a digital multimeter, measure the DC voltages of your circuit at the base (V_B), emitter (V_E), and collector (V_C) of your transistor.
- *AC measurement:* Using a function generator, apply a 10-mV_{pk-pk}, 1-kHz sinusoid with no DC component to your circuit. (*Note:* Some function generators allow only inputs as small as 50 mV_{pk-pk}. If this is the case, use that value instead, but you may expect some distortion in the output waveform.)
- Using an oscilloscope, generate plots of v_o and v_i vs. t .
- *Output resistance R_o :* Replace R_L with a 1-MΩ resistor and repeat the AC measurement. What is the amplitude of the output waveform? Adjust R_L until you find a value such that

the amplitude of the output waveform is approximately 50% of what it was for the $1\text{-M}\Omega$. This new value of R_L is the output resistance R_o . How does it compare to the value you calculated earlier in your analysis? *Hint:* It cannot be greater than the value of R_C .

- *Further exploration:* What happens to the shape of the output signal as you increase the amplitude of the input signal, e.g., to $1\text{ V}_{\text{pk-pk}}$? At what input amplitude do you begin to see a significant distortion?
- Using a digital multimeter, measure all resistors to three significant digits.

PART 4: POST-MEASUREMENT EXERCISE

- Calculate the values of V_{BE} and V_{CE} that you obtained in the lab. How do they compare to your pre-lab calculations? Explain any discrepancies.
- Based on the measured values of V_B , V_C , and V_E and your measured resistor values, what are the real values of all currents based on your lab measurements? How do they compare to your pre-lab calculations? Based on the measured values of currents, what is the actual value of β for your transistor?
- What is the measured value of A_v ? How does it compare to your pre-lab calculations? Explain any discrepancies.
- *Hint:* The single biggest source of variations from your pre-lab simulation results will be due to variations in β