

# Homework 1: Big O and Unit Testing

## Theory

1. Once the lists are initialized, the concatenation can be carried out by using the '+' operator.

In pseudocode:

Let the name of the first list be <list1>; the second list be <list2>; the concatenated list be <newlist>

Concatenation process:

$\text{newlist} = \text{list1} + \text{list2}$

Using the big O analysis:

Initialization of each of the lists (list1, list2):

$O(n)$  – linear, where  $n$  equals the size of the list (list1 or list2) being initialized

Concatenation of the lists:

$O(M)$  – linear, where  $m$  equals the size of the concatenated list (newlist) adjusted by  $a$ , the resize constant for a list.

$M = a * (\text{length of the concatenated list})$

Summarized analysis –  $O(M)$ , linear

2. (a)

Initializations –

Count = 0

MaxCount = 0

SubIndex = 0

Initial verification for if the input list of integers is of null length – if yes, skip to the end of the loop

Define function (argument -> list of integers):

Iterate through each element of the input but the 1<sup>st</sup> one

Check if this element is bigger or smaller than the previous element

If it is bigger, note this down by adding one to count

Compare the current count to the max count

If it is bigger, we have found a new longest subsequence

Note the subsequence start index down in the subIndex

If it is smaller, set the current count equal to zero

Returnlist = [0]\*MaxCount

Replace the zeros of Returnlist with the elements of the subsequence using the starting index to the input list as (subIndex - MaxCount)

- (b) The initializations of the variables can be classified as  $O(n)$  – linearly increasing runtime with respect to the size of the individual variables. The net effect can be defined as  $O(n)$ ,  $n$  being the size of the biggest variable in terms of space occupied.

Runtime for the function

If loop verification for the length of the list can be classified as  $O(1)$  – constant runtime

Iterating through the elements of the list can be classified as  $O(n)$  – linearly increasing runtime with respect to the size of the list of integers that is input to the function.

If loop verification for size inequalities of the list elements can be classified as  $O(1)$  – constant runtime

Arithmetic that is a part of this if true statement can be classified as  $O(1)$  - constant runtime.

For loop used to generate the function return list can be classified as  $O(n)$  – linearly increasing runtime with respect to the size of the return list