

Learning from the uncertain: Modelling and forecasting of infectious disease outbreaks

Sebastian Funk

16 November, 2017

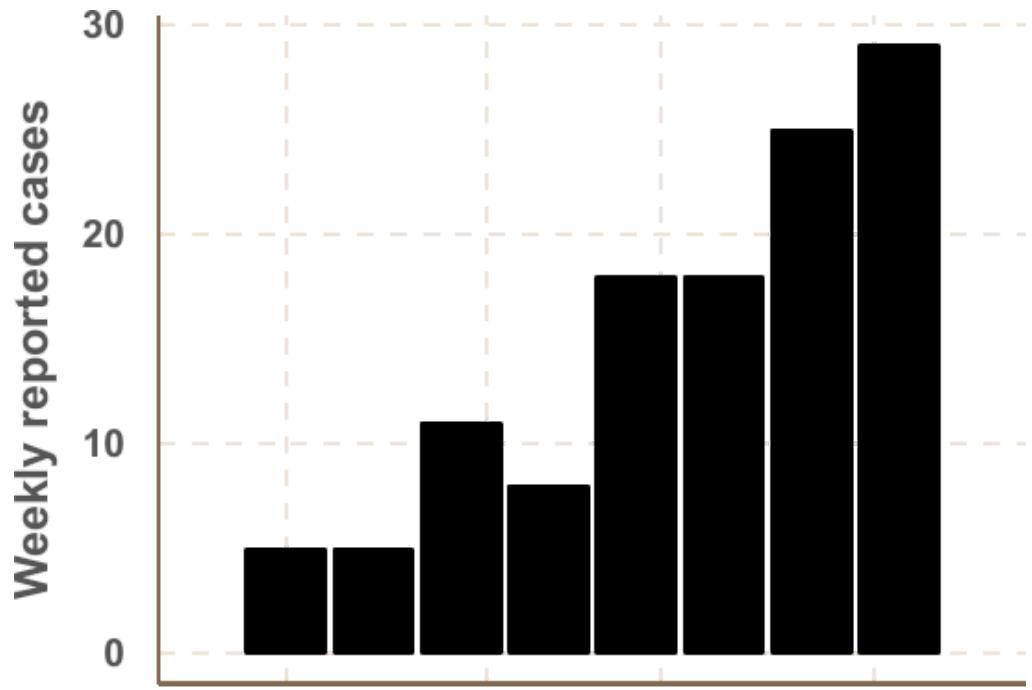
Probabilistic programming meeting, Uppsala

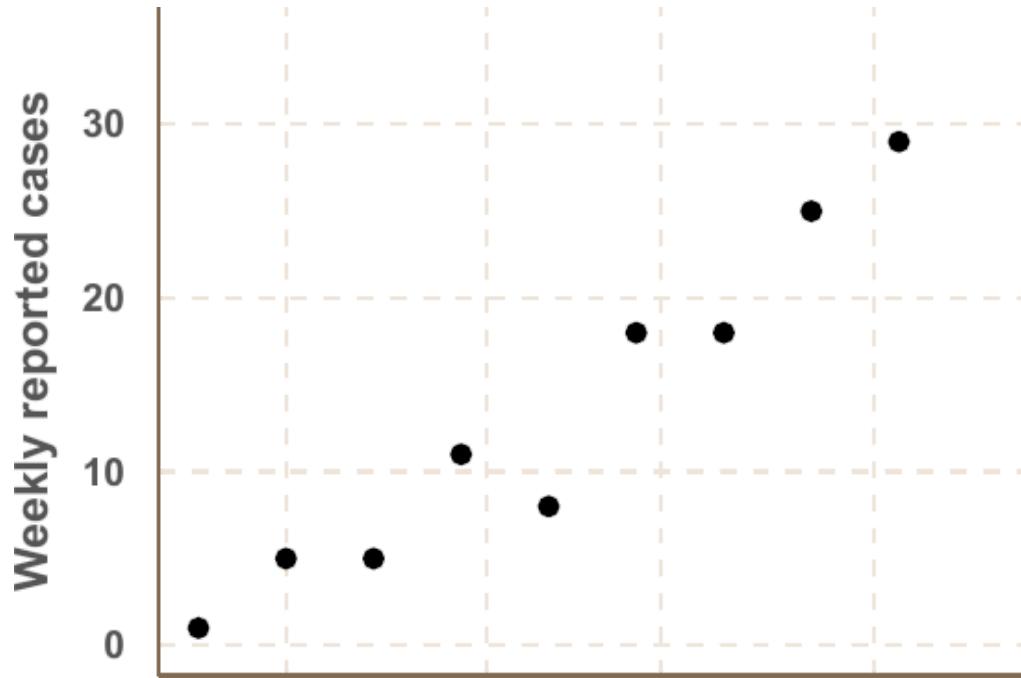
Public health emergencies driven by emerging infectious diseases are at the forefront of global awareness. From HIV in the 1980s to Zika virus's (ZIKV's) recent invasion of the Americas, models that mathematically capture disease processes have played a role in assessing the risk and framing the response to emerging pathogens. **The most prominent, and perhaps most fraught, role of such models is to forecast the course of epidemics (1, 2).** Yet, expli-

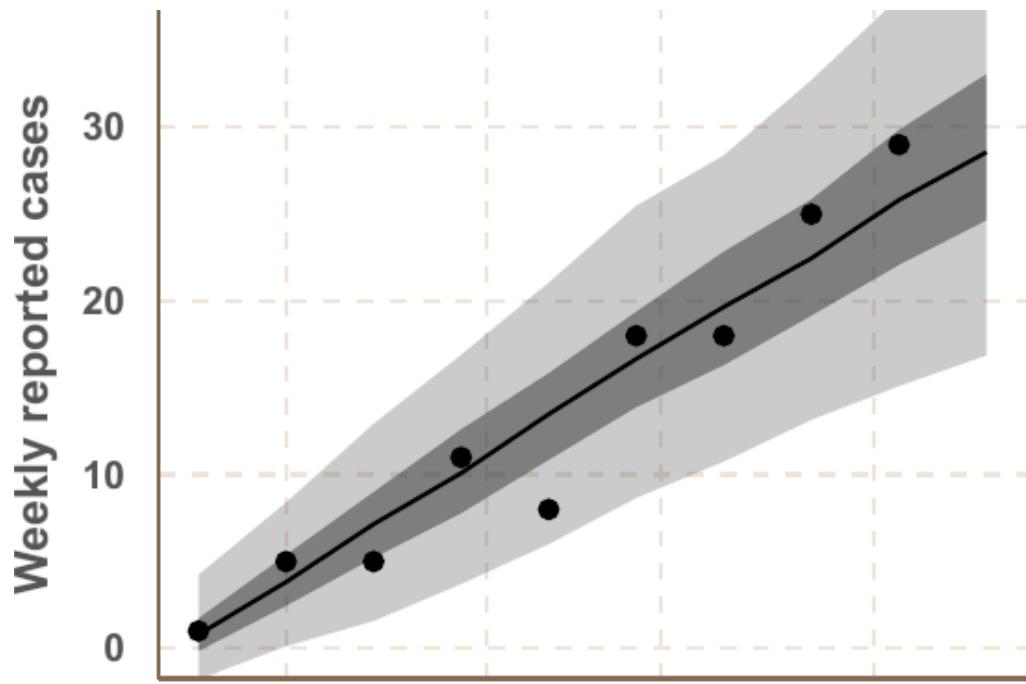
Forecasting the Ebola epidemic

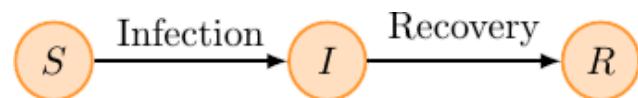
Summer 2014







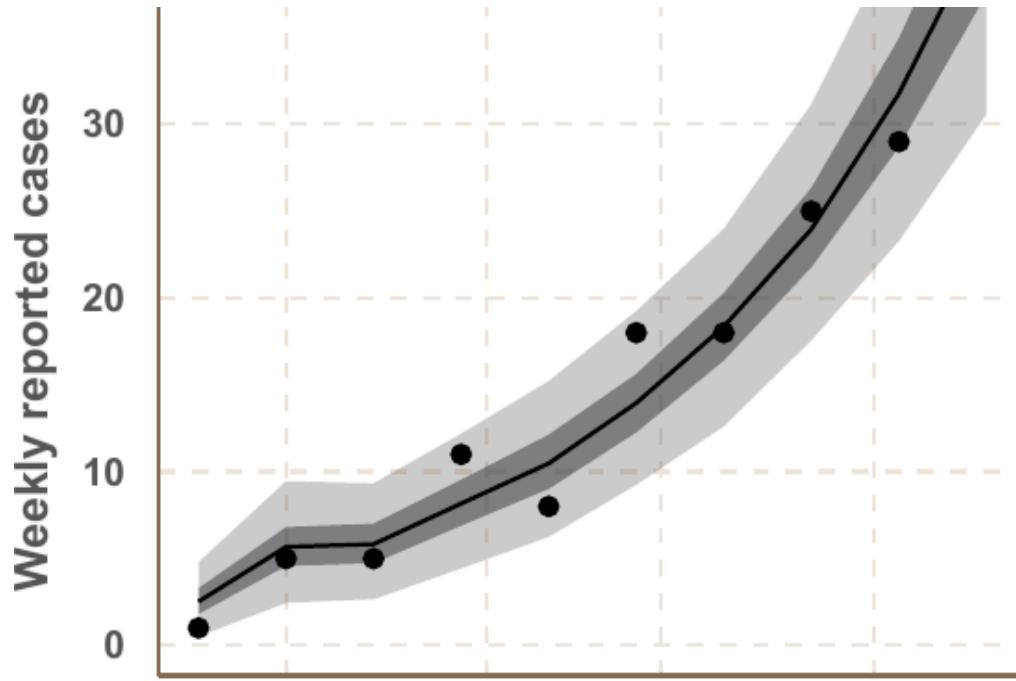


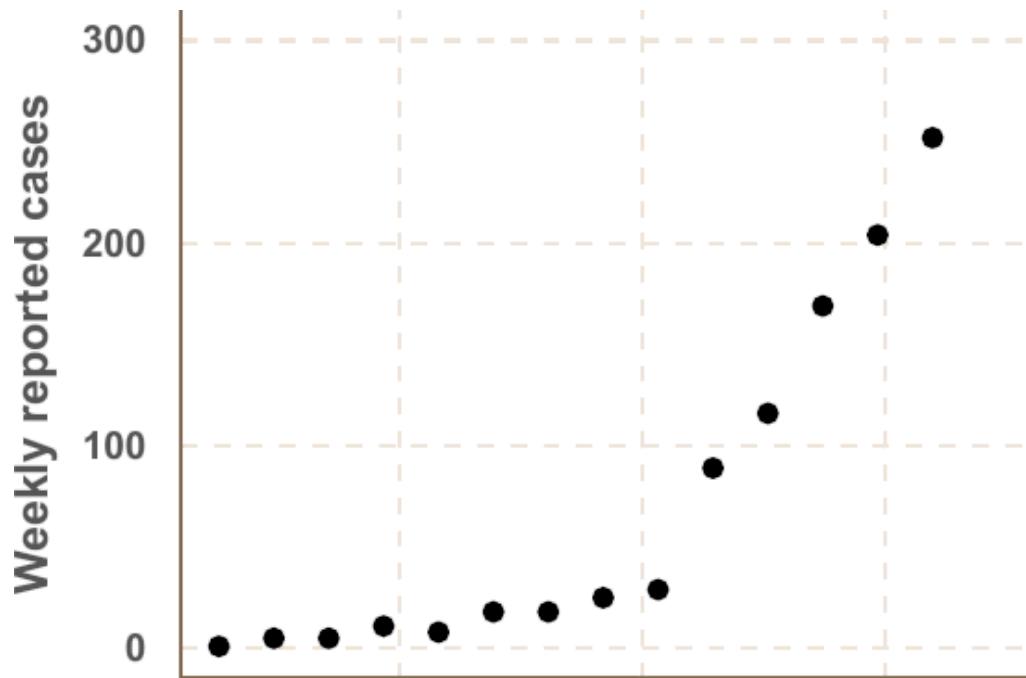


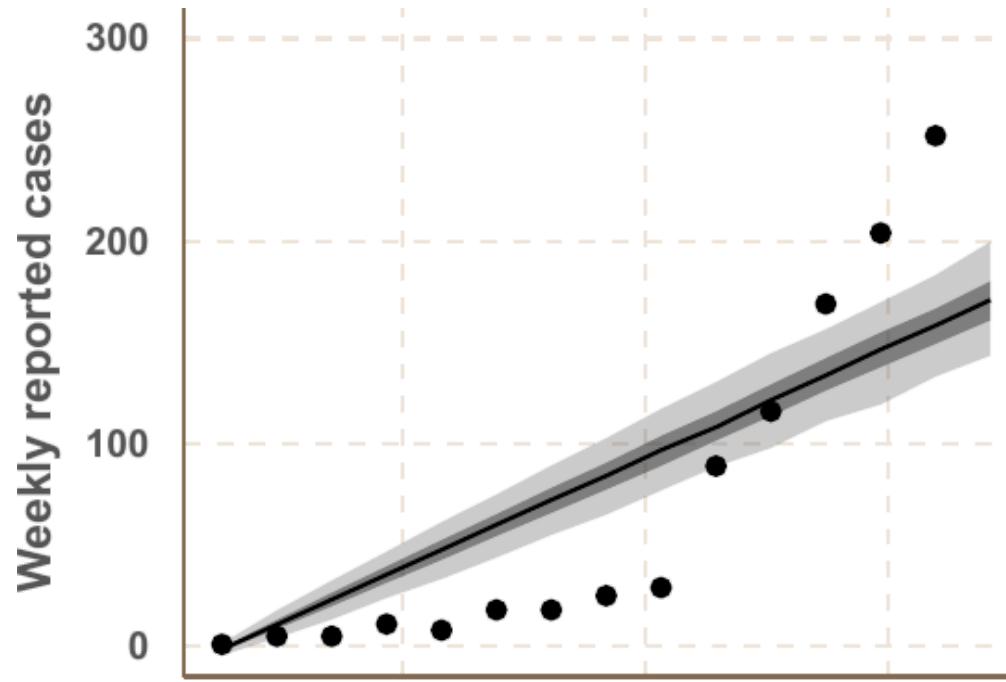
$$\dot{S} = -\beta \frac{S}{N} I$$

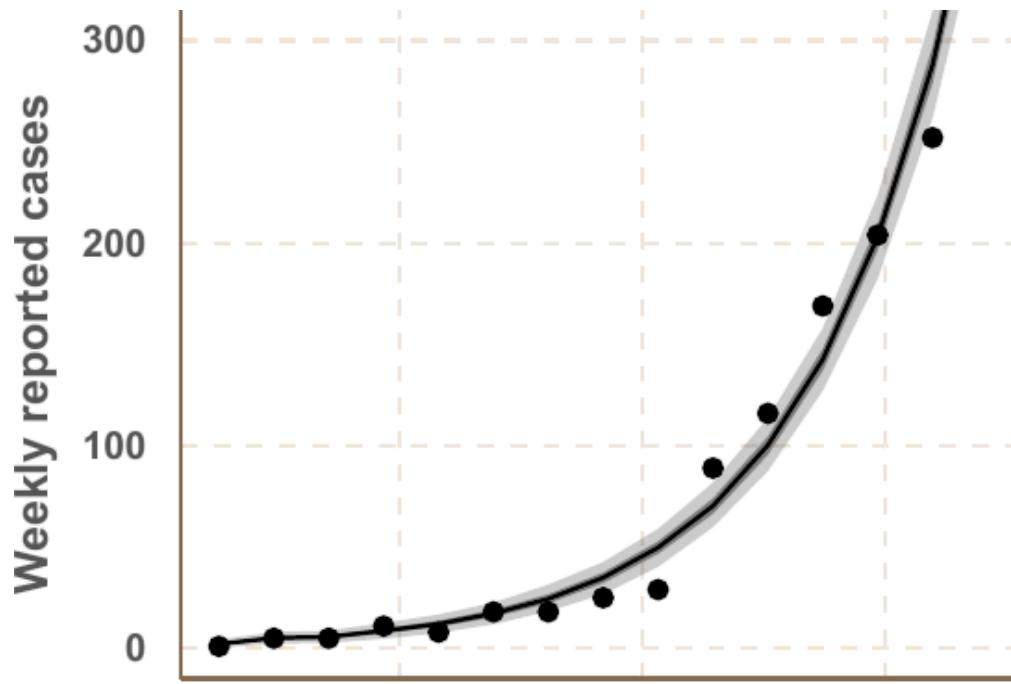
$$\dot{I} = +\beta \frac{S}{N} I - \gamma I$$

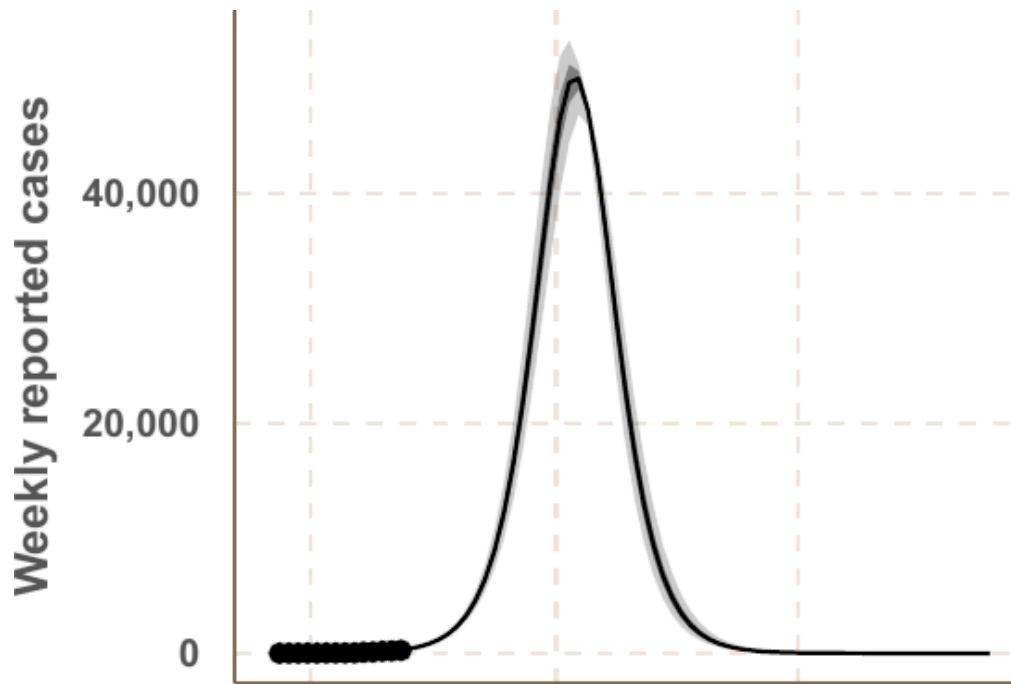
$$\dot{R} = +\gamma I$$

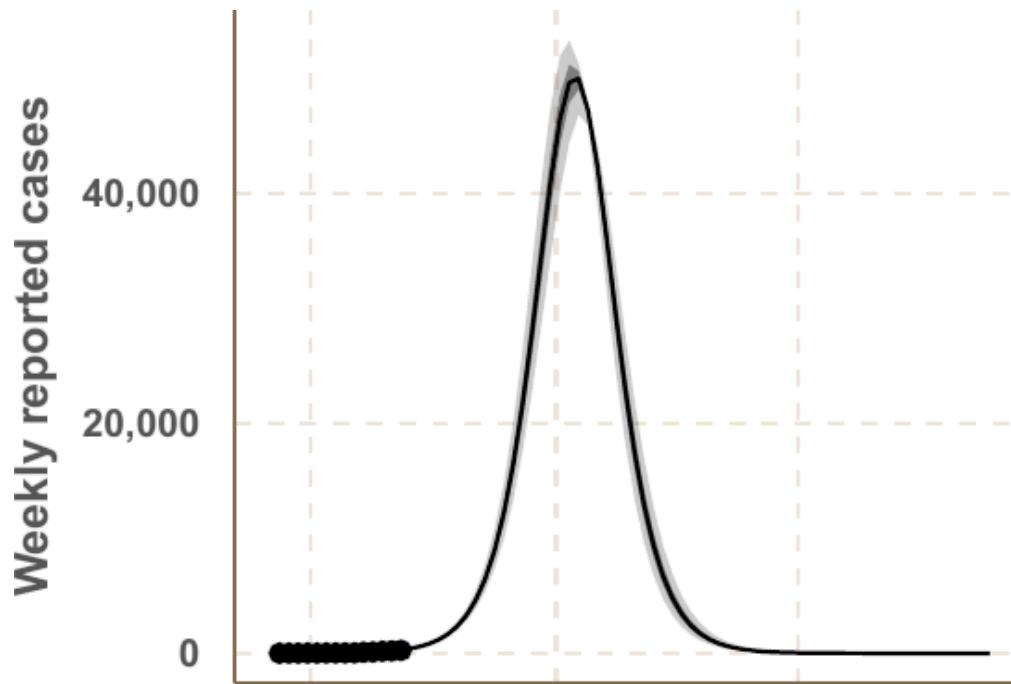


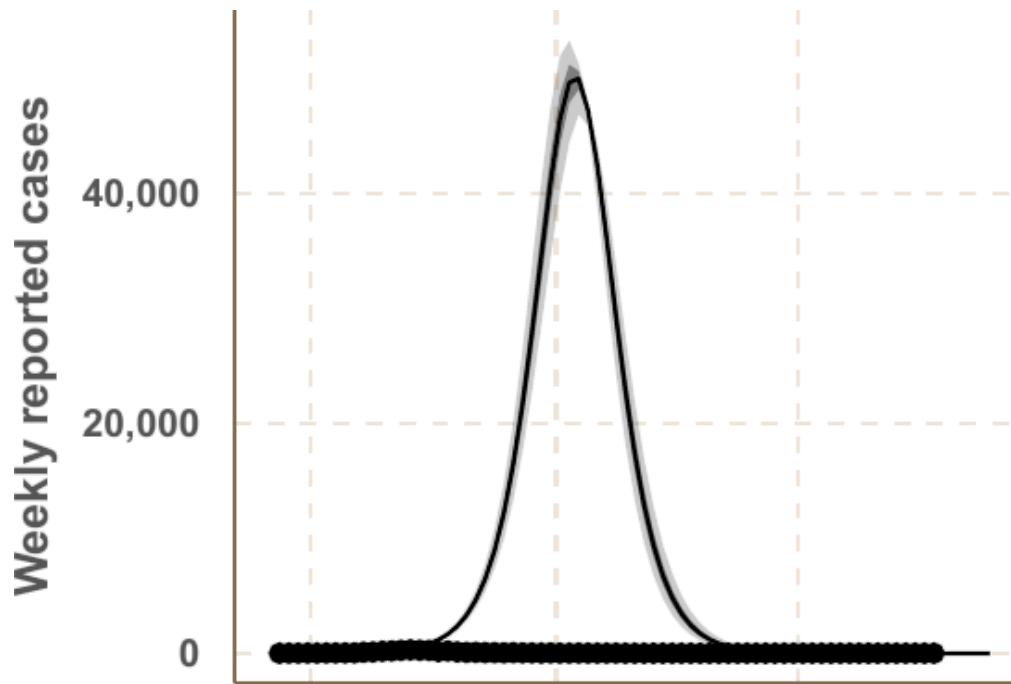


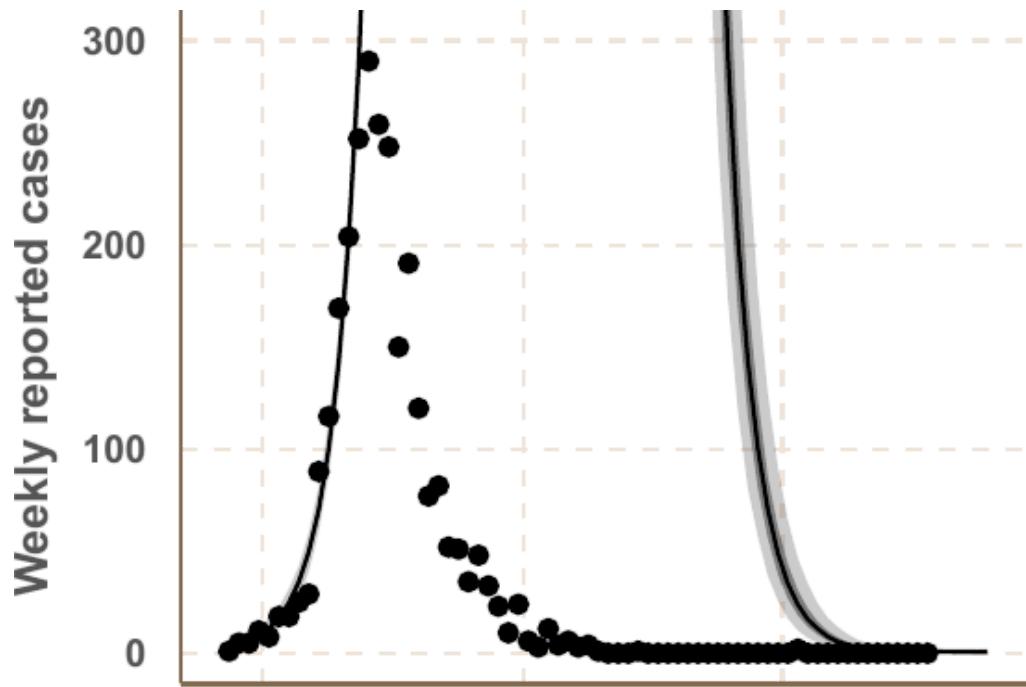










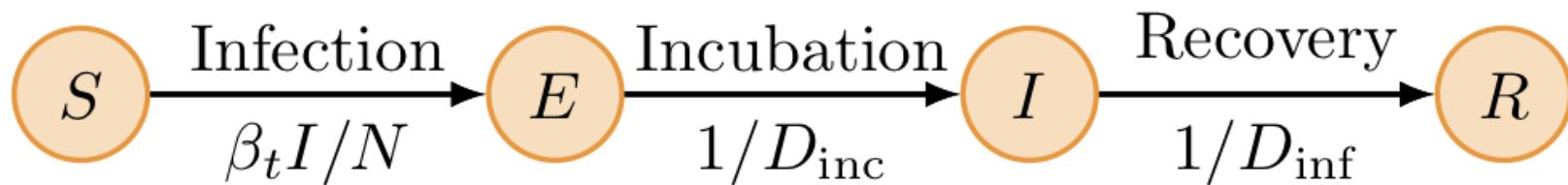


A semi-mechanistic model for real-time forecasting

The unknown

- Community/hospital/funeral transmission
- Spatial dynamics
- Changes in behaviour
- Changes in reporting
- Interventions
- Seasonality
- etc

The known



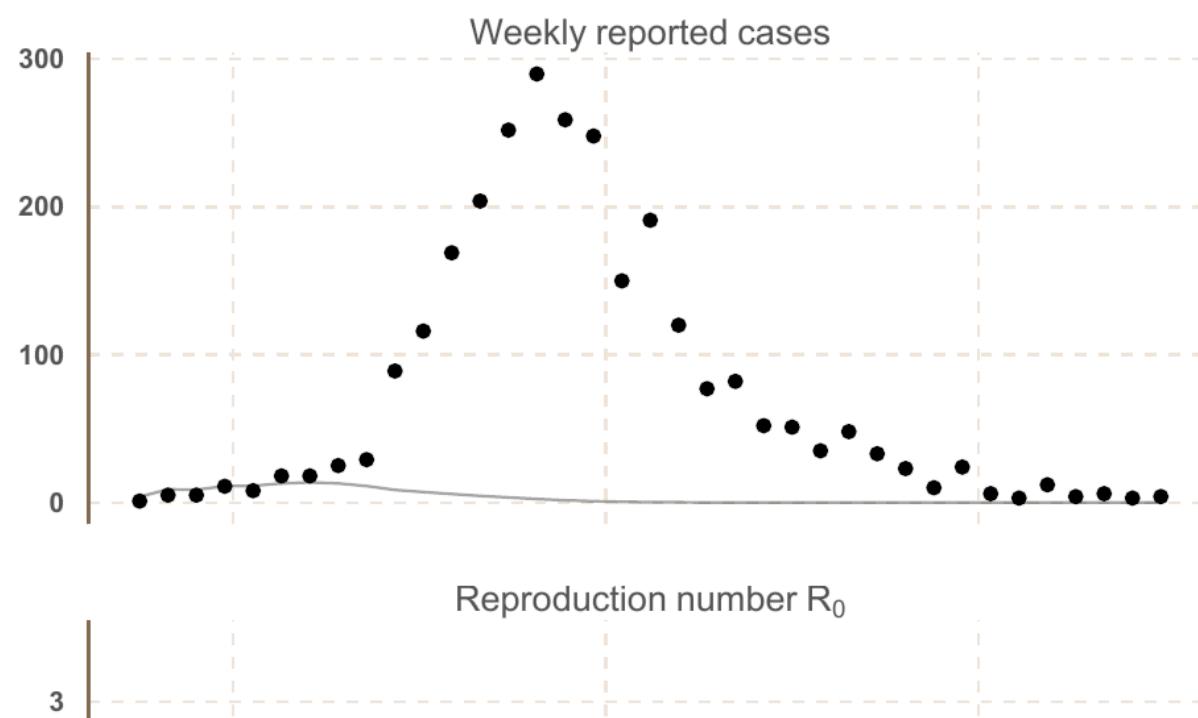
- Average incubation period (~9 days)
- Average infectious period (~11 days)
- Case-fatality rate (~70%)

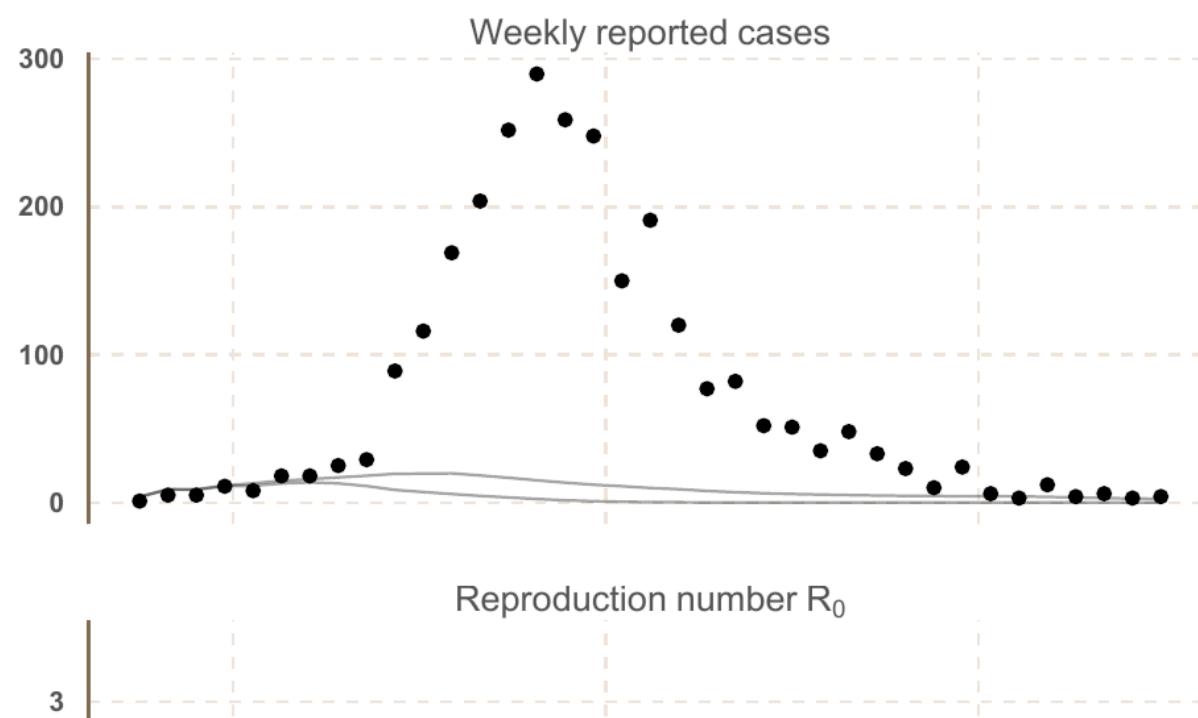
WHO Ebola response team (2014)

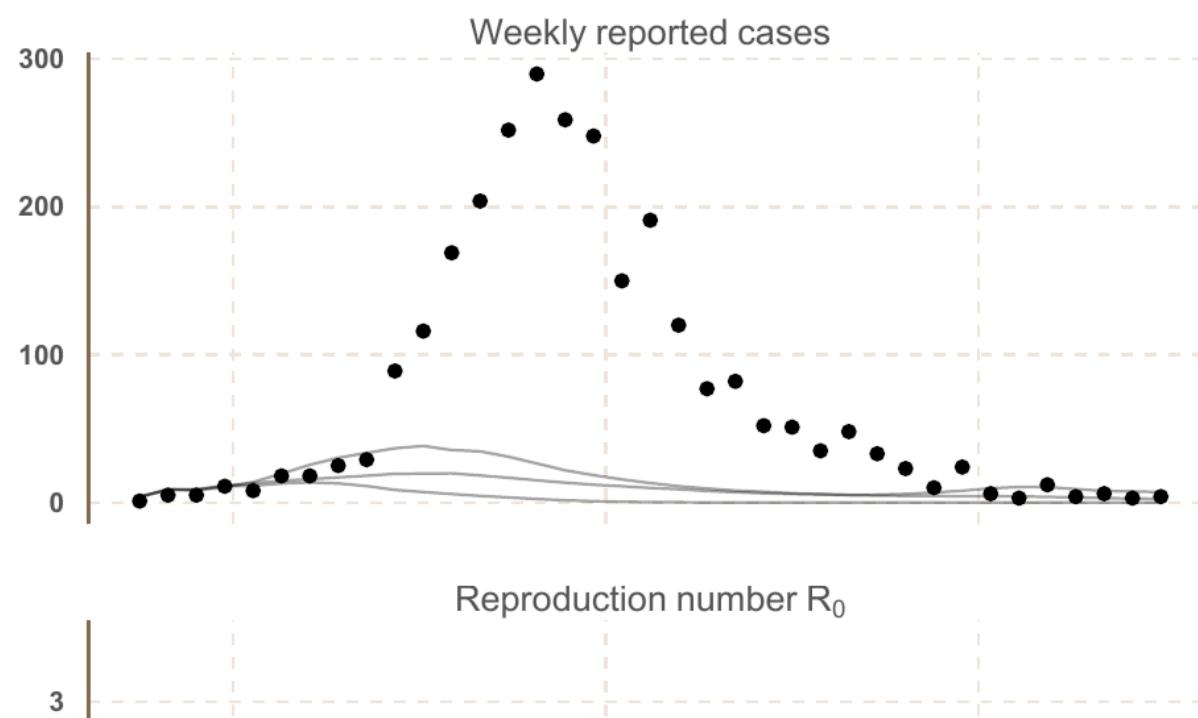
Time-varying transmission rate with smoothing prior

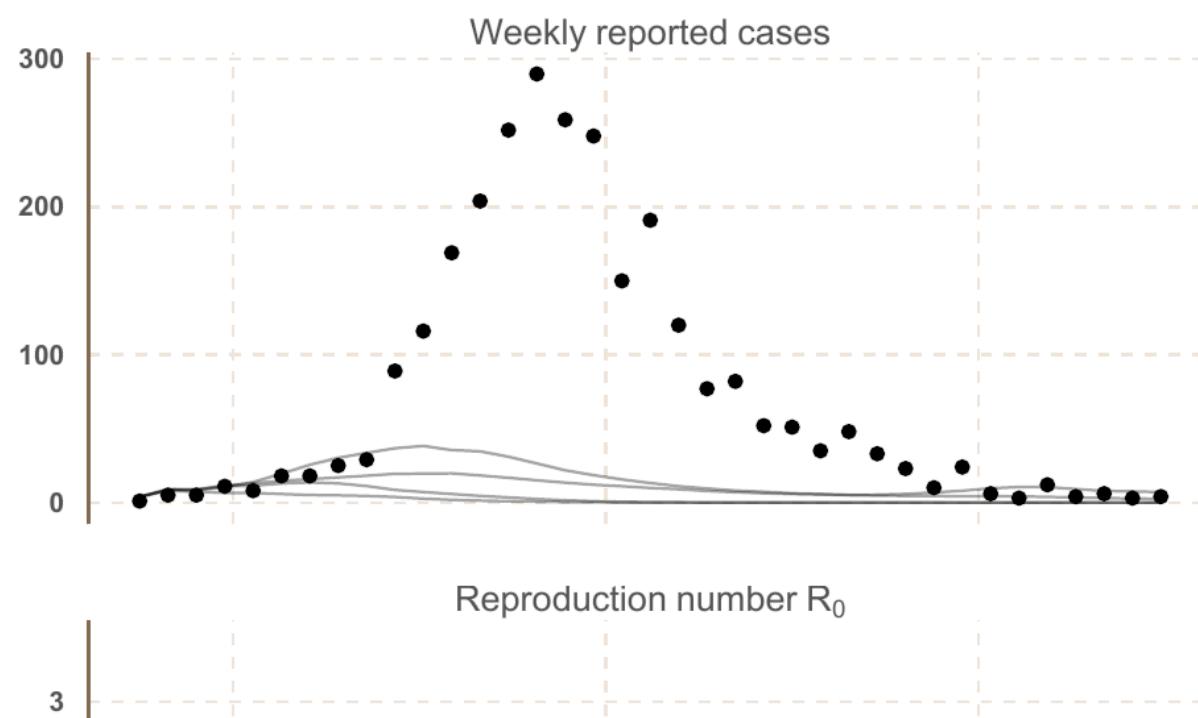
$$d \log \beta_t = \sigma dW_t$$

Dureau et al. (2013)



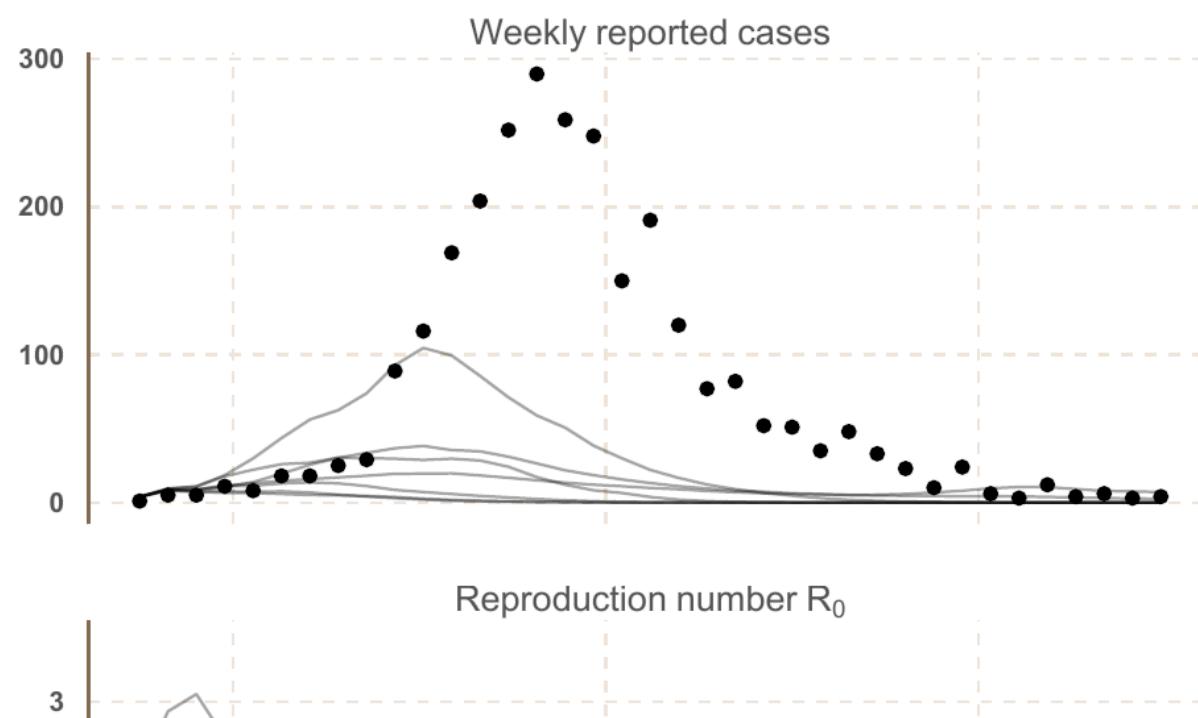


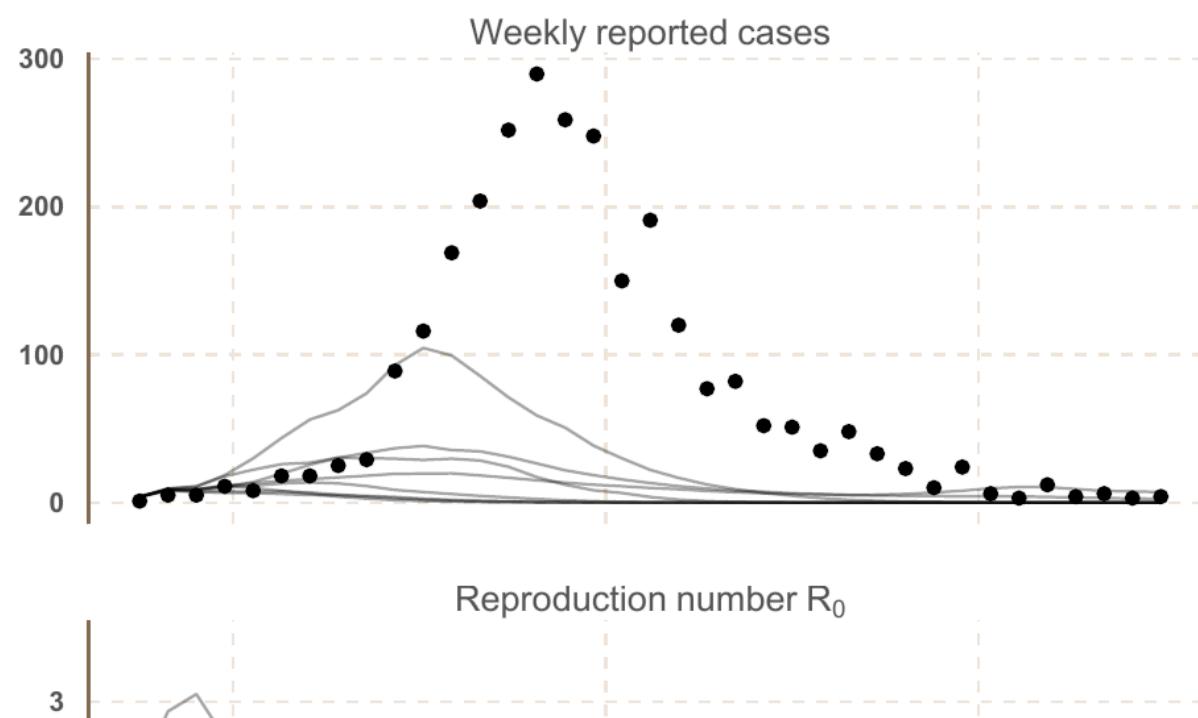




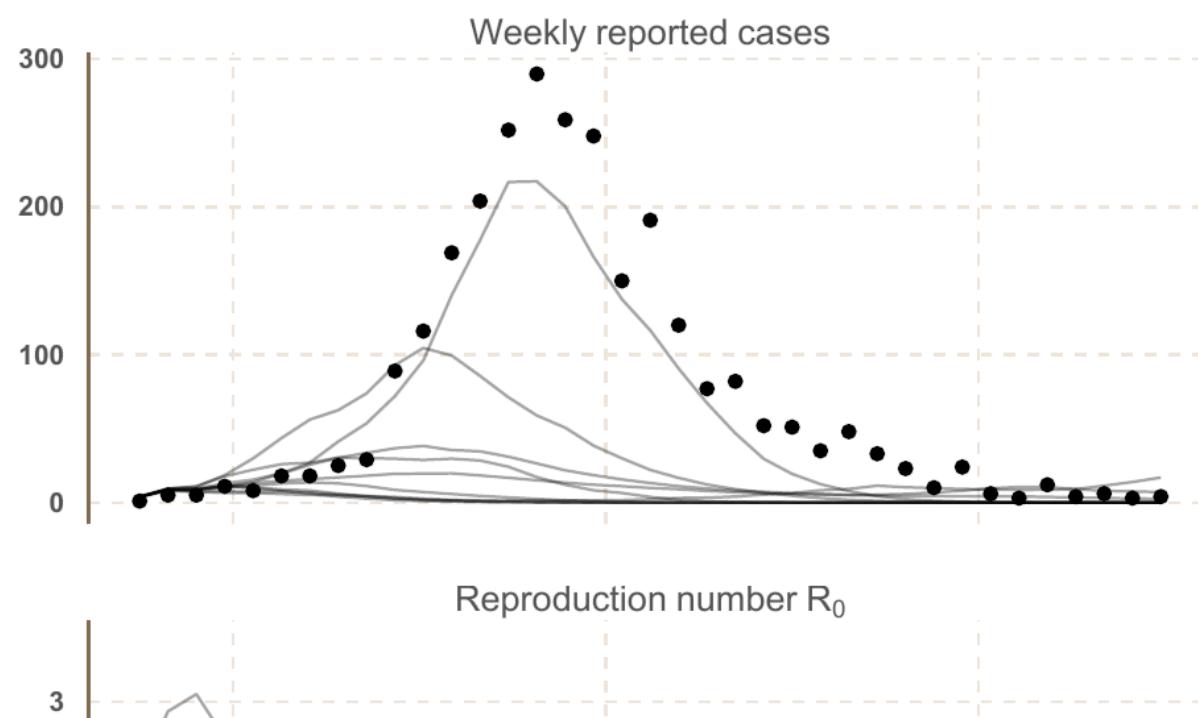




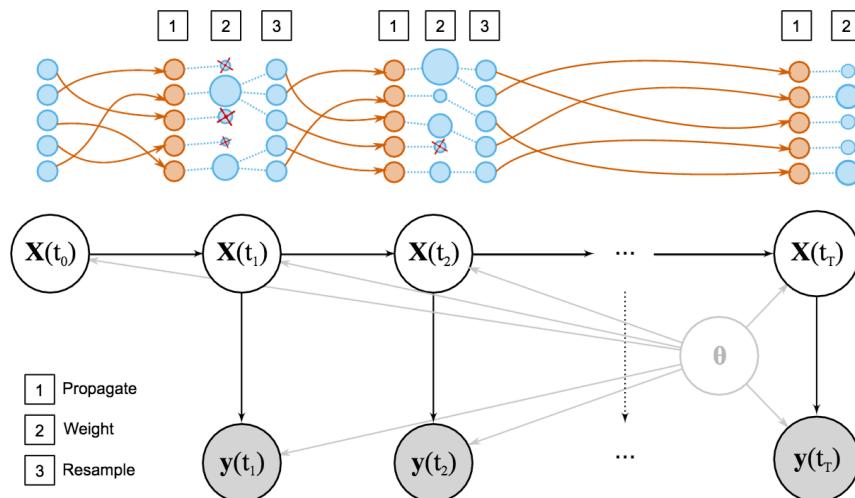




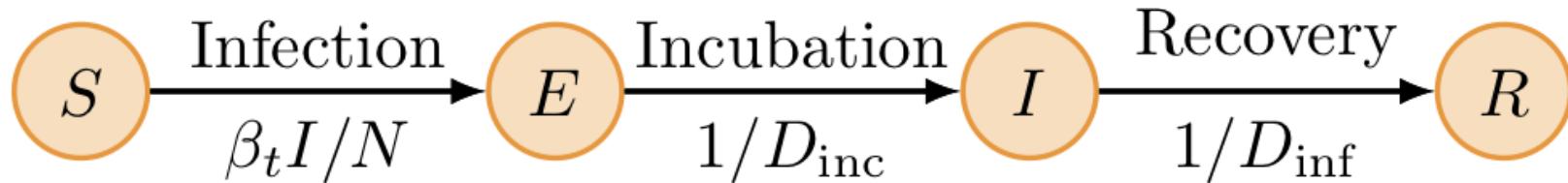




Particle MCMC



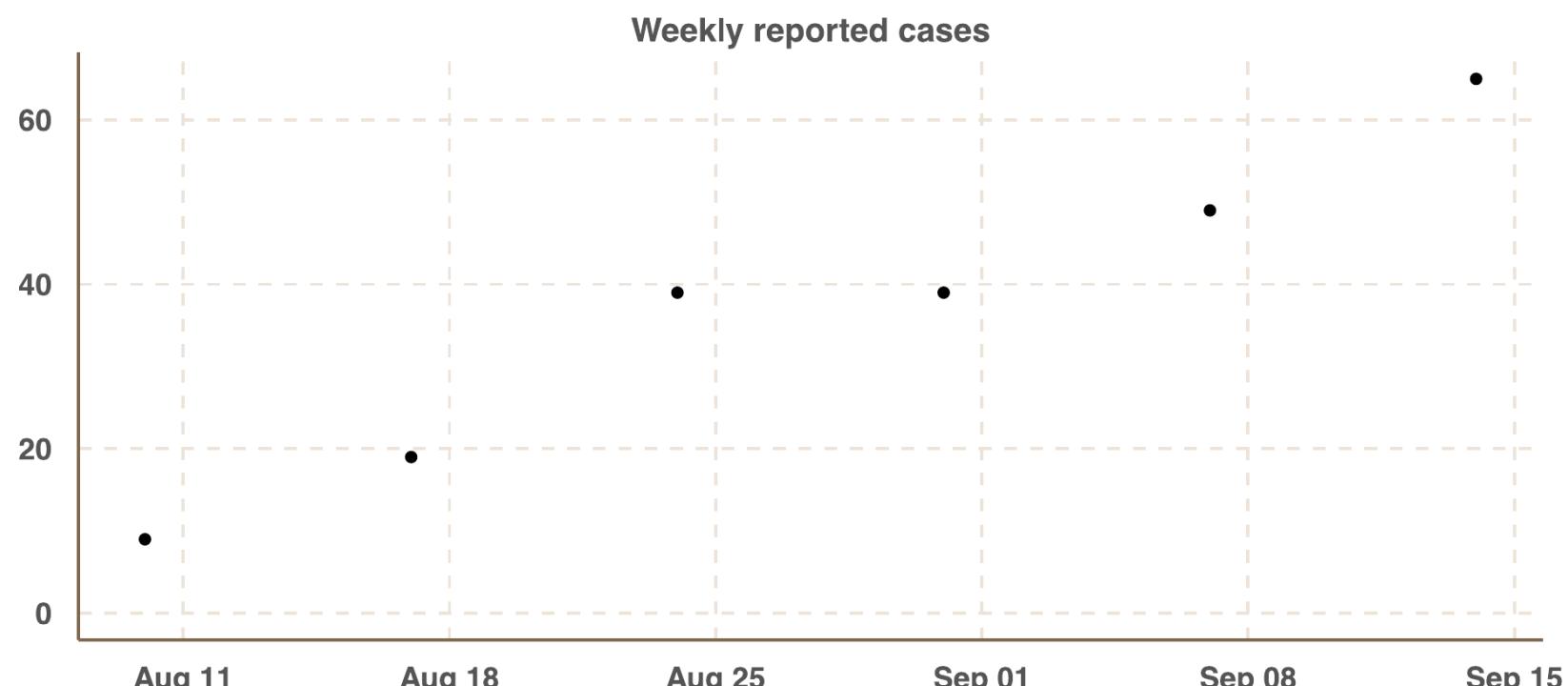
Use particle Markov chain Metropolis-Hastings to sample from $p(\theta|\text{Data})$ and $p(\beta_t|\text{Data})$



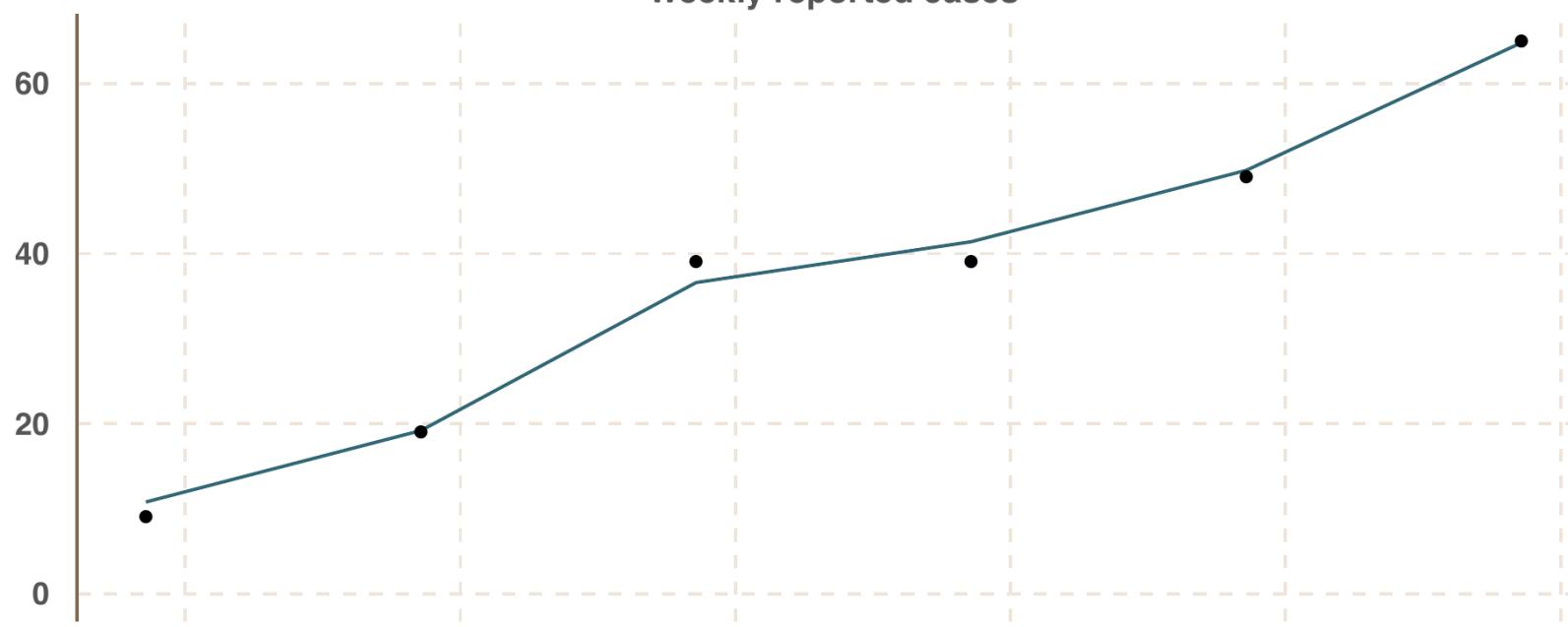
- $d \log \beta_t = \sigma dW_t$
- Negative binomial observations, overdispersion ϕ
- $\theta = \{\sigma, \phi, \beta_0, I_0\}$
 - Intensity of random walk
 - Overdispersion of reporting
 - Initial transmission rate
 - Initial number infective

"We were losing ourselves in details [...] all we needed to know is, are the number of cases rising, falling or levelling off?"

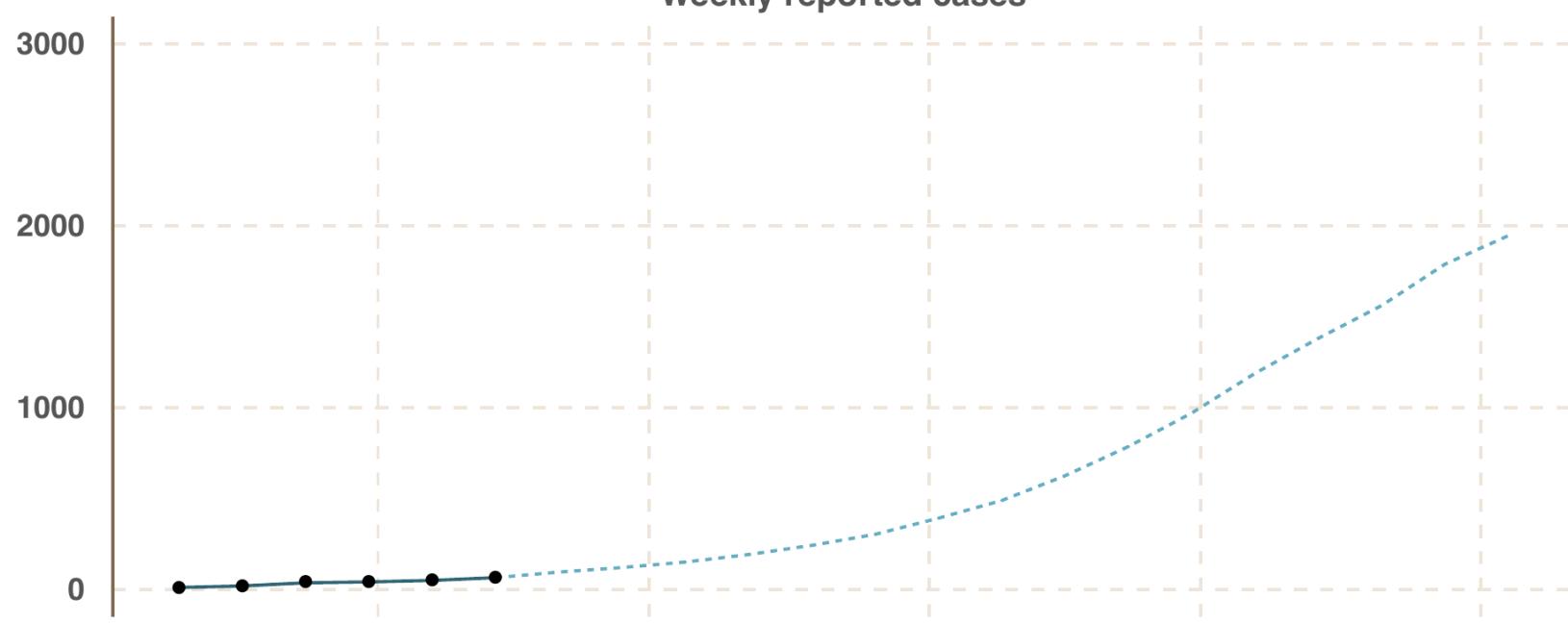
Hans Rosling

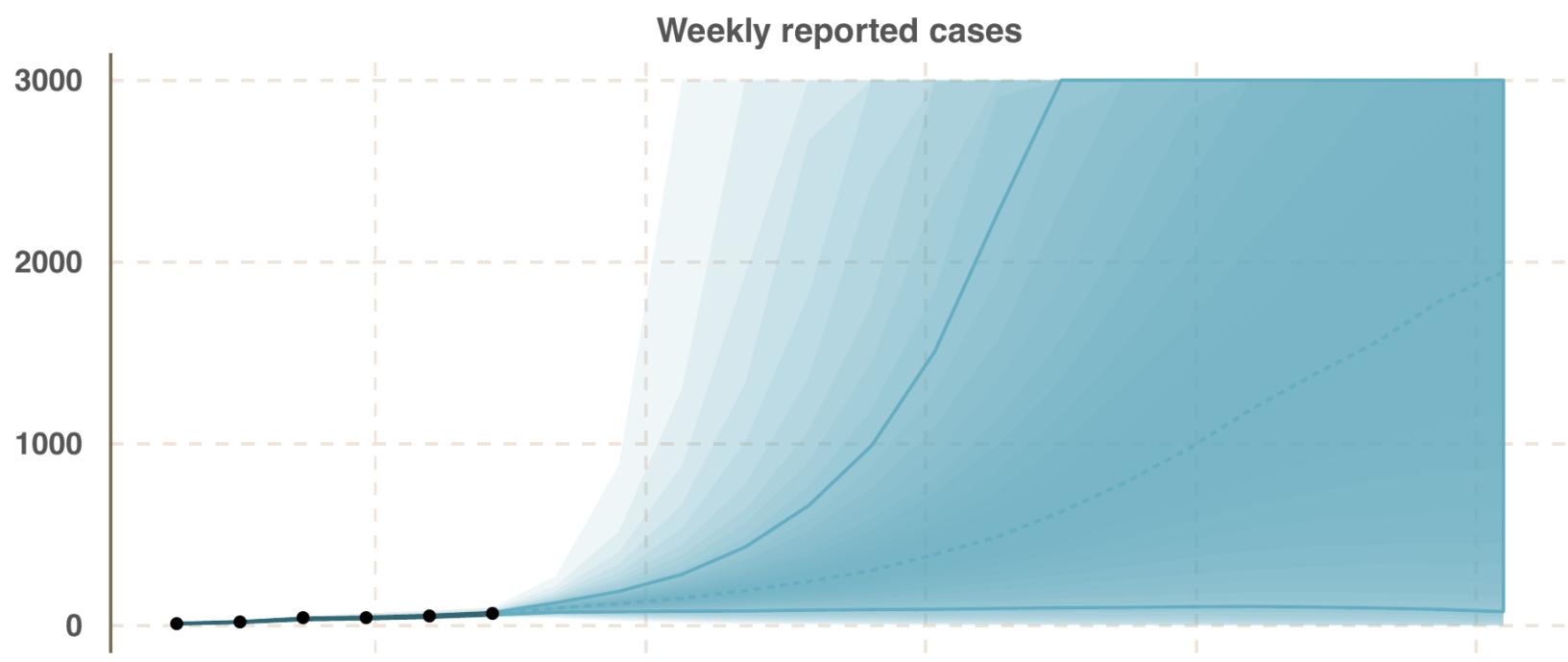


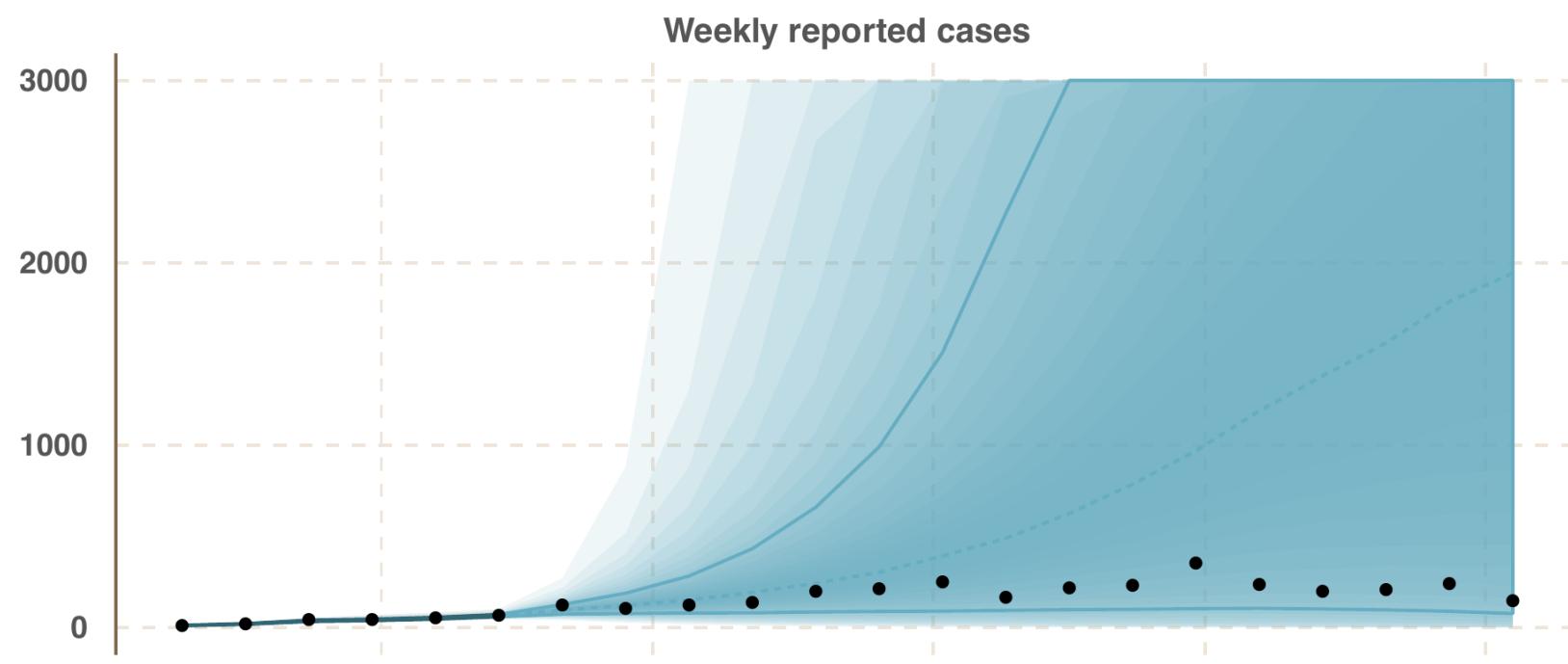
Weekly reported cases



Weekly reported cases





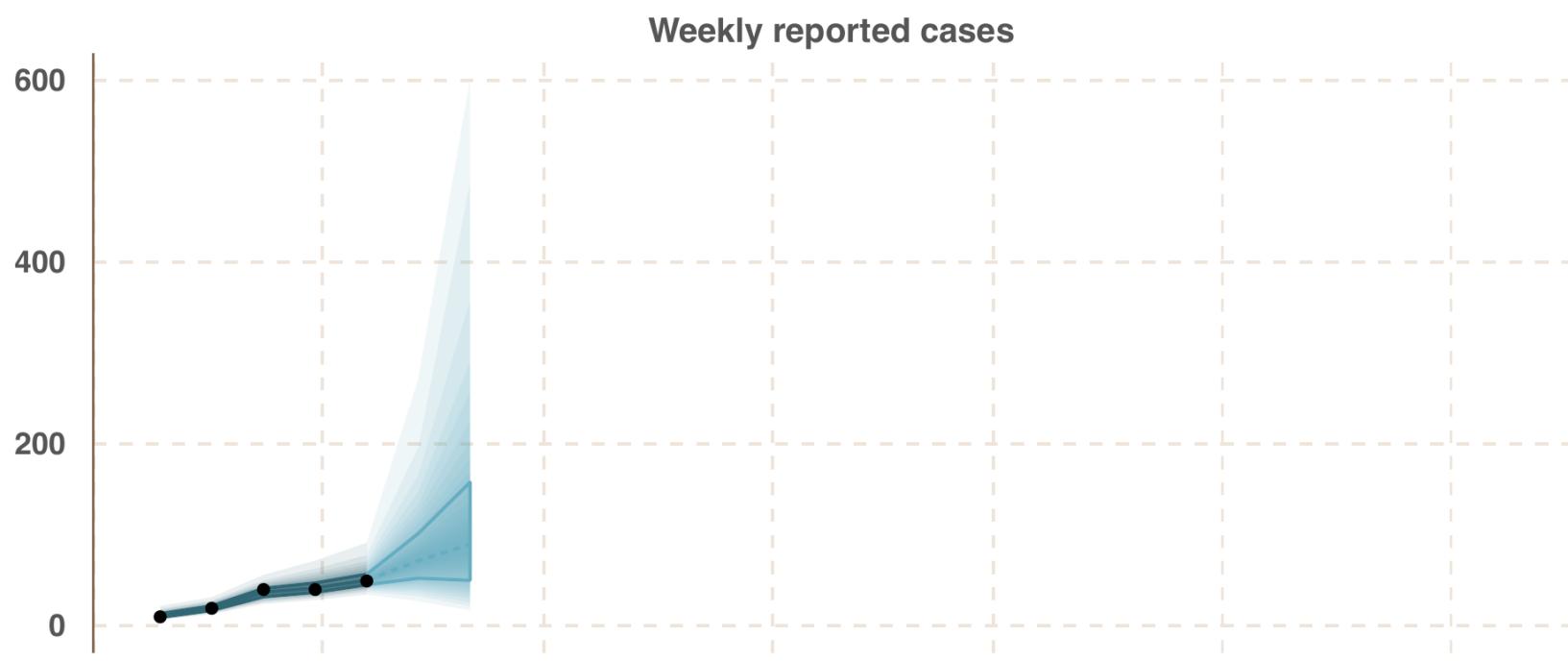


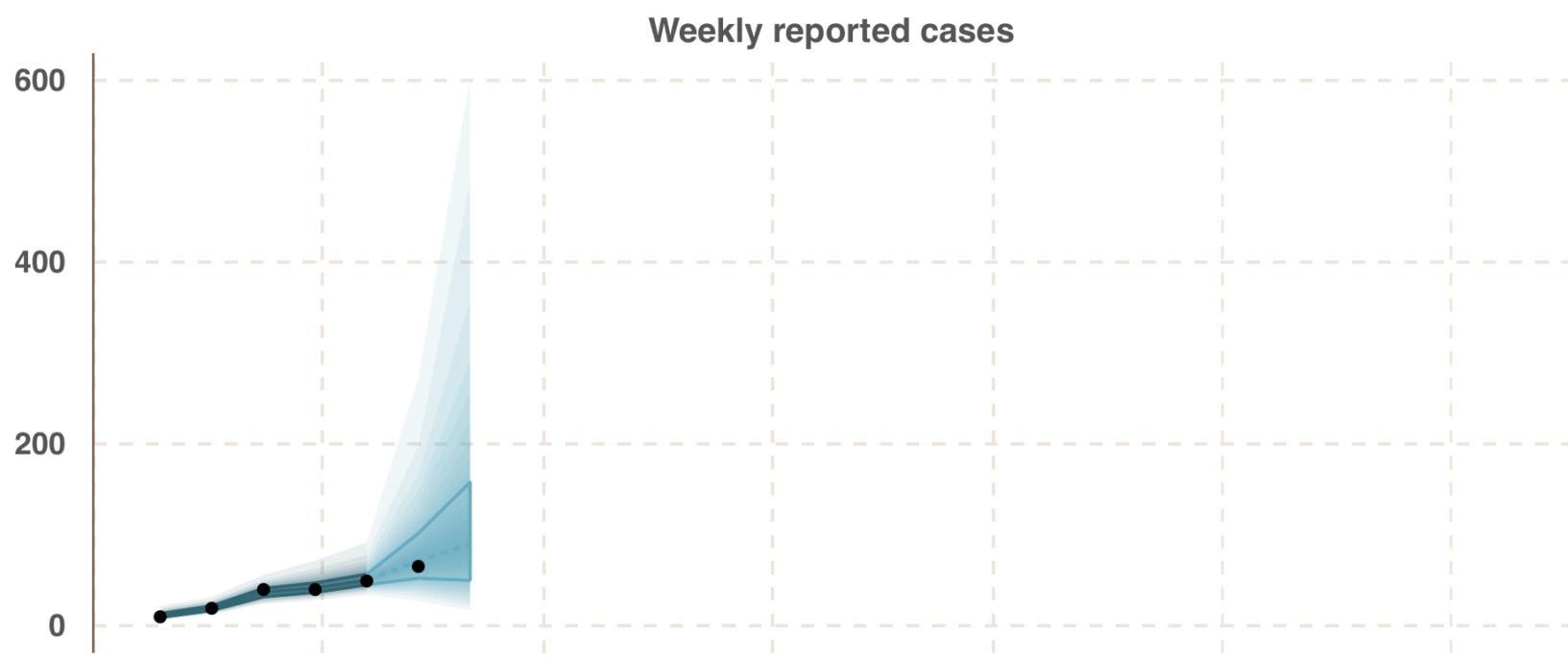


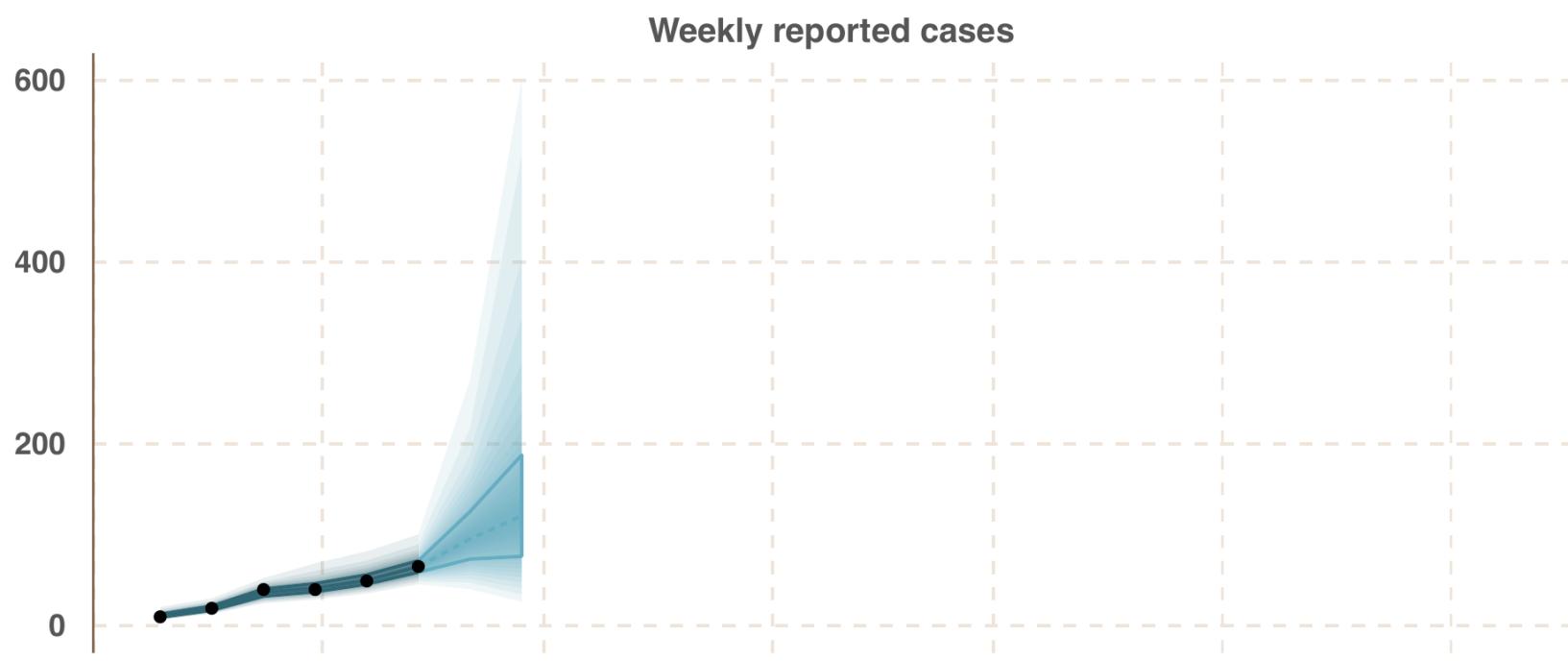


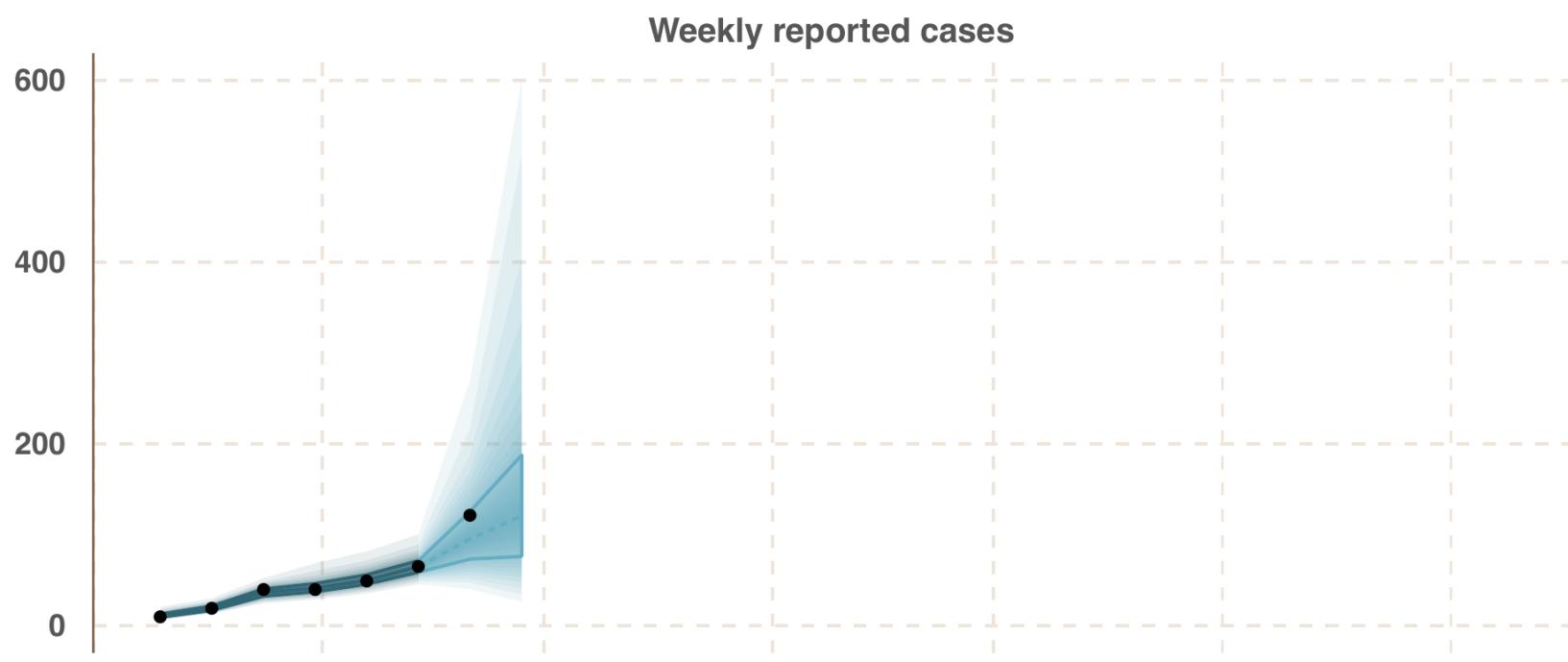


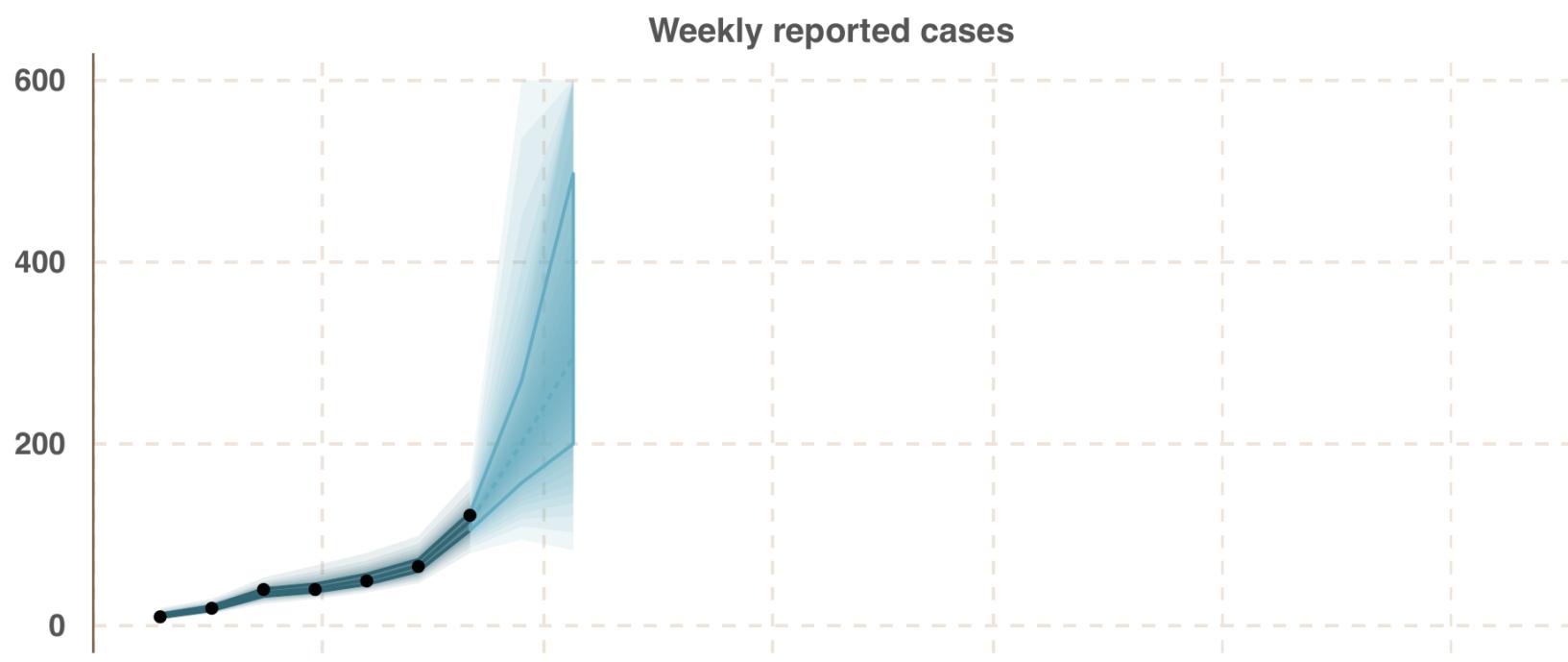


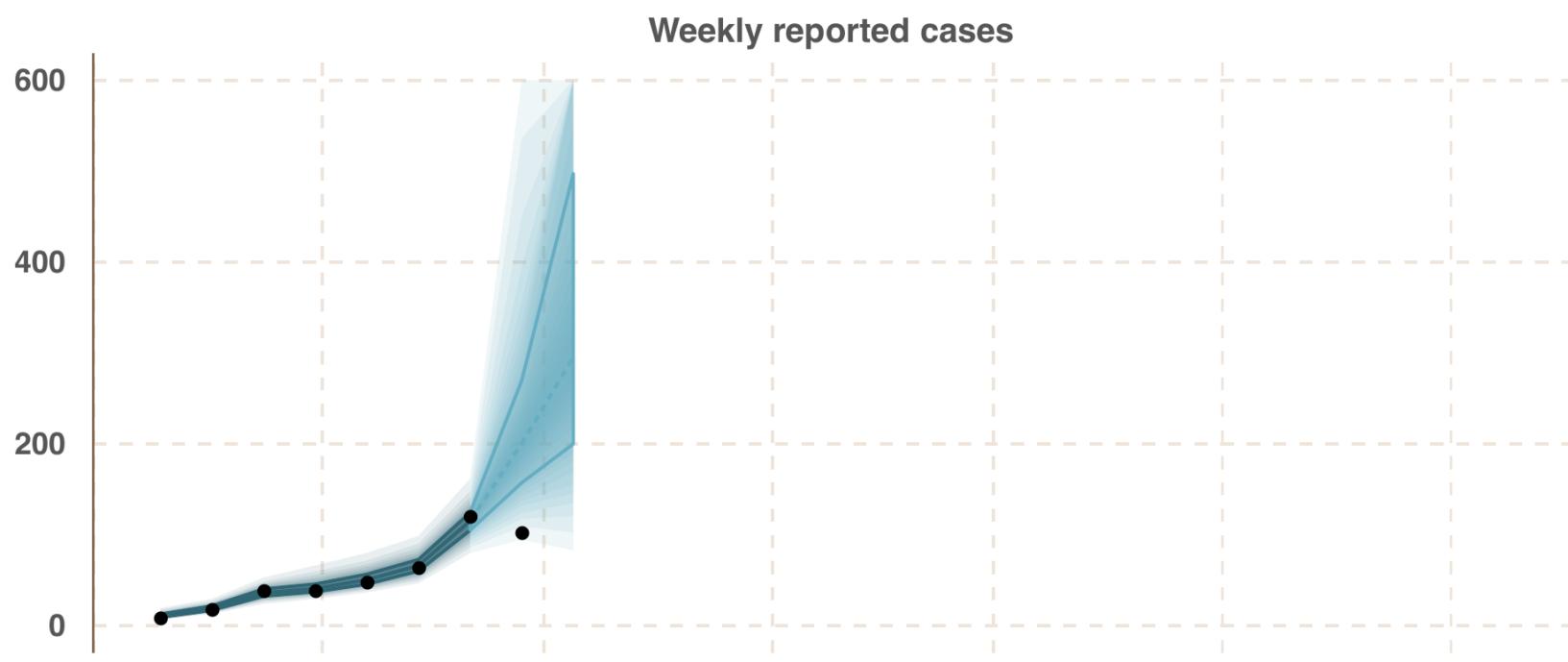


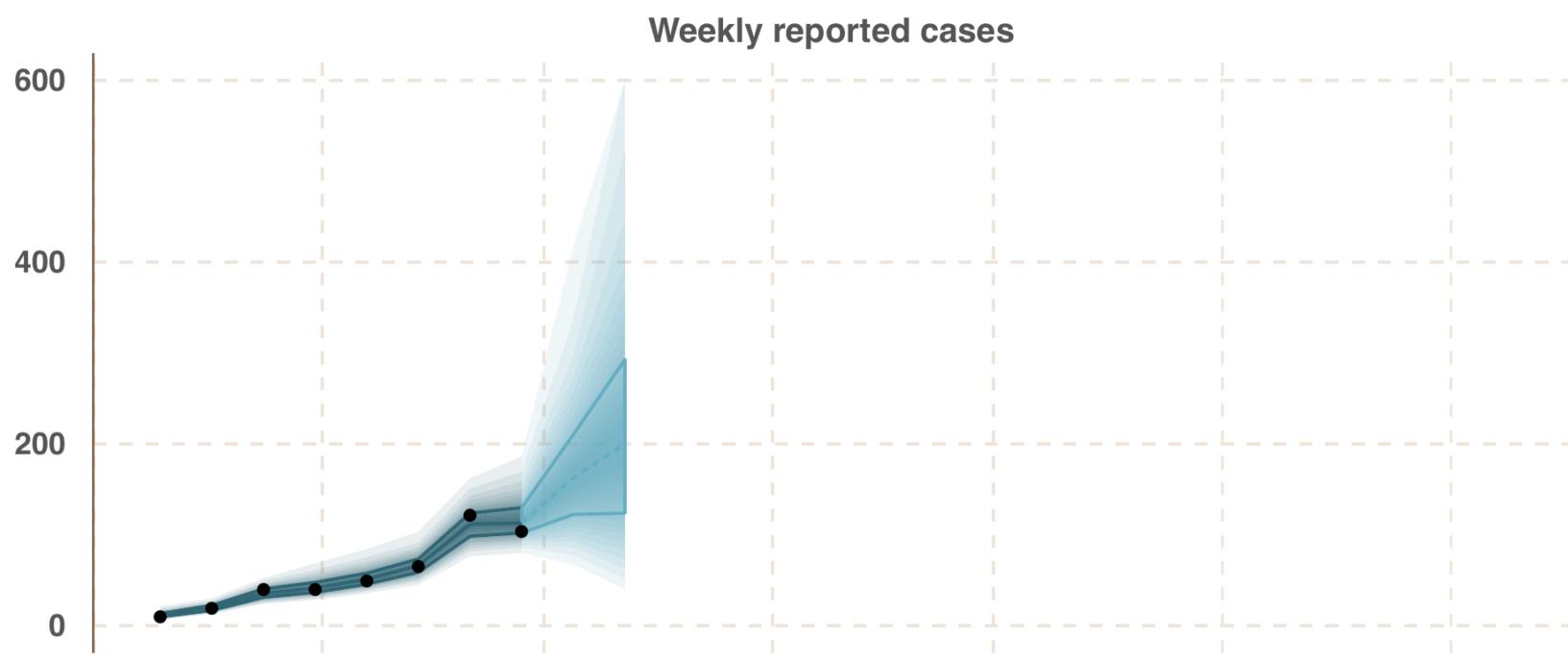


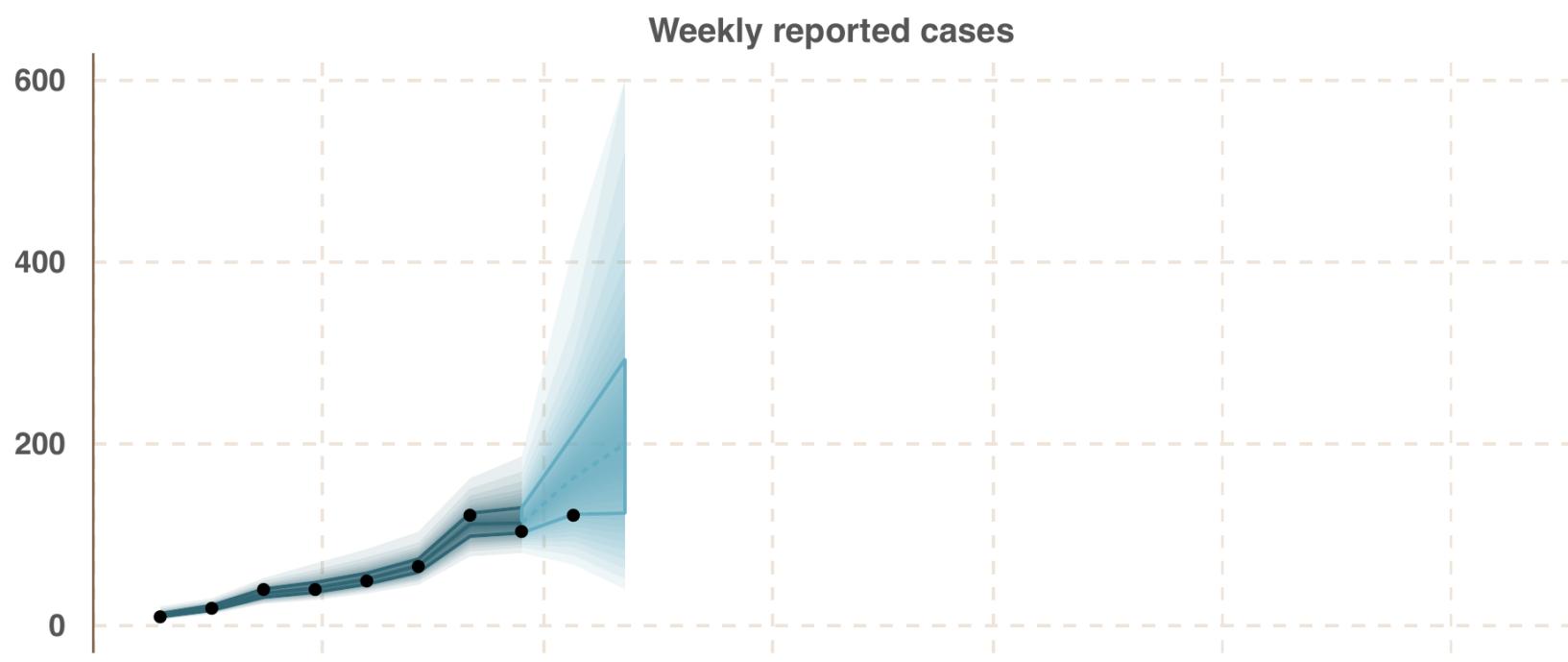


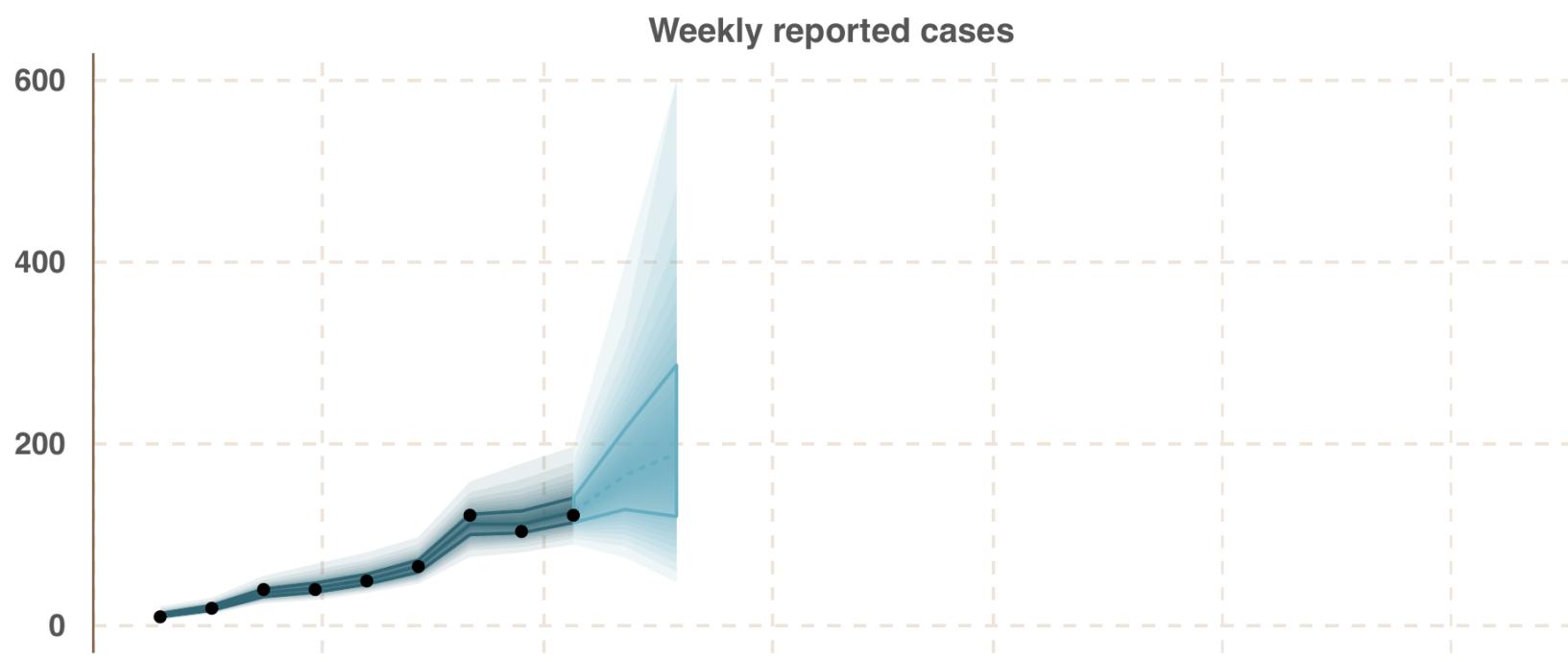


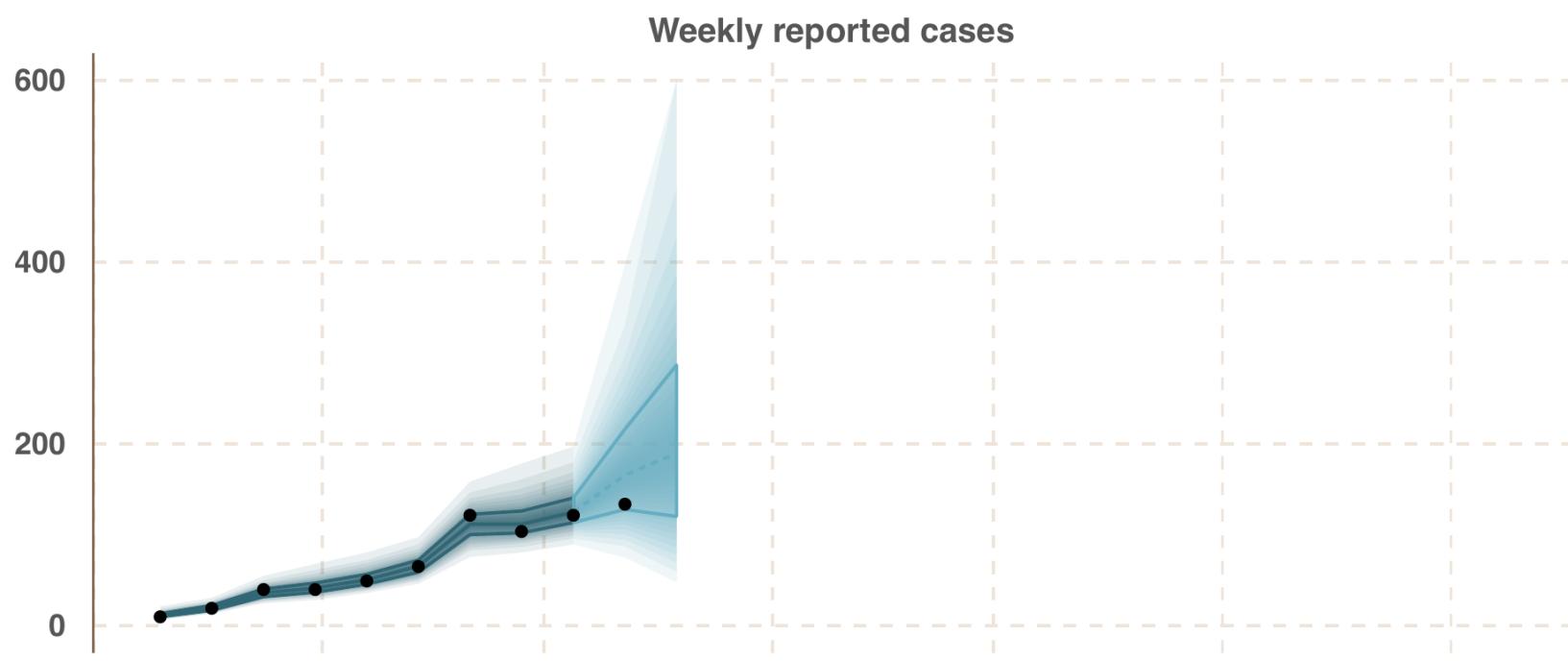


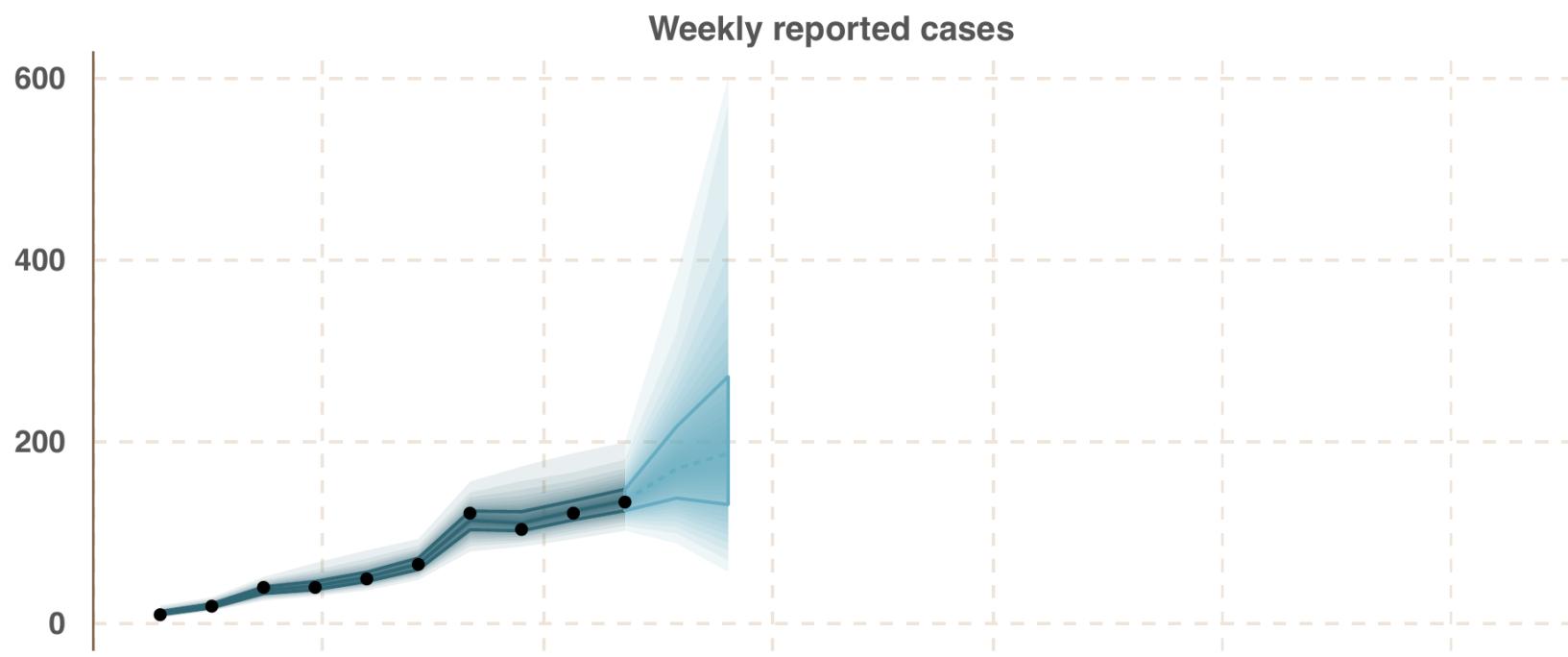


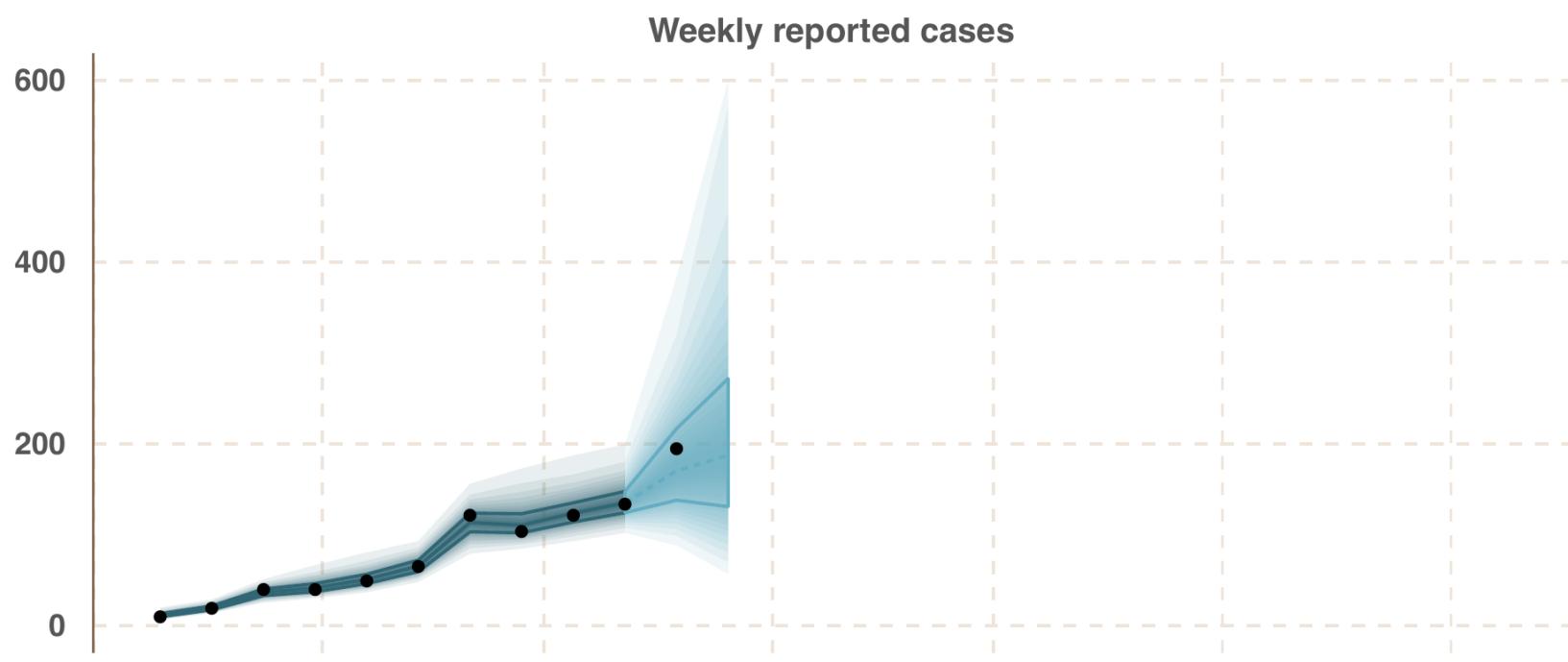






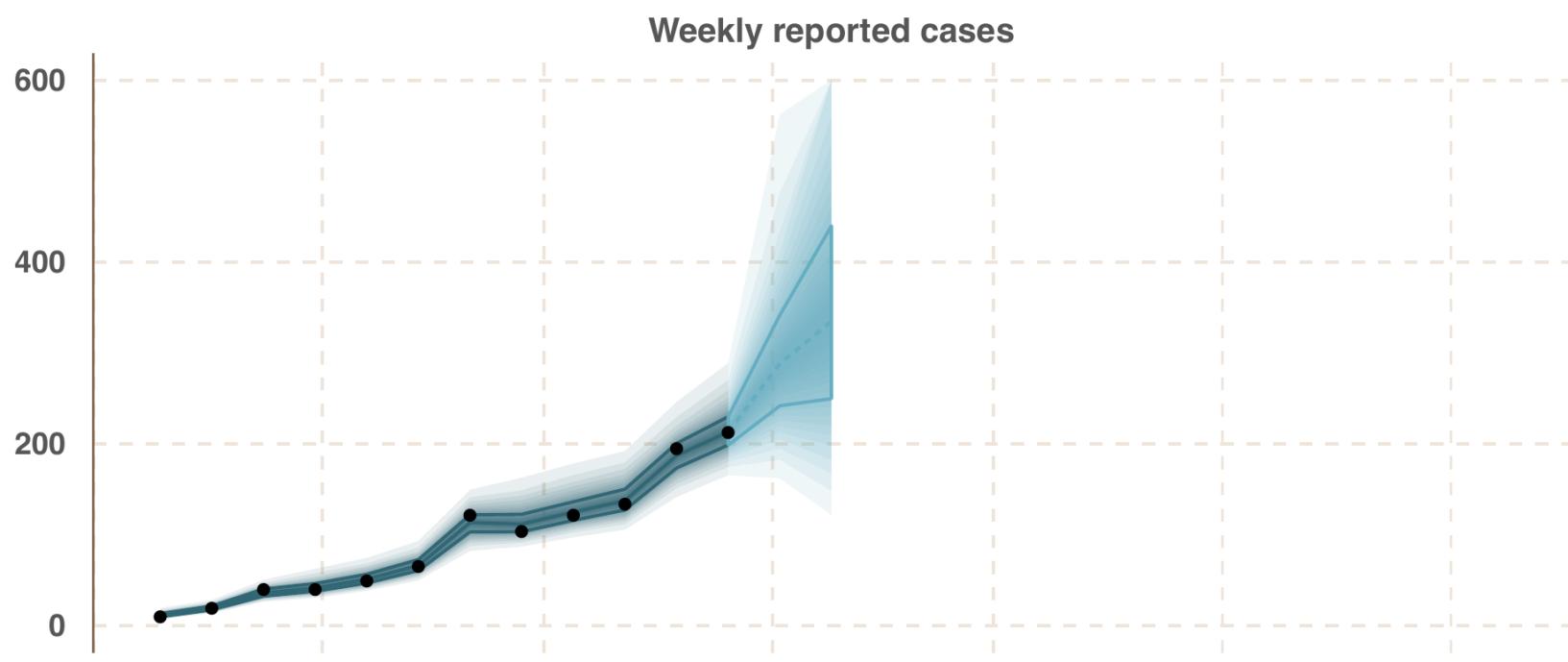




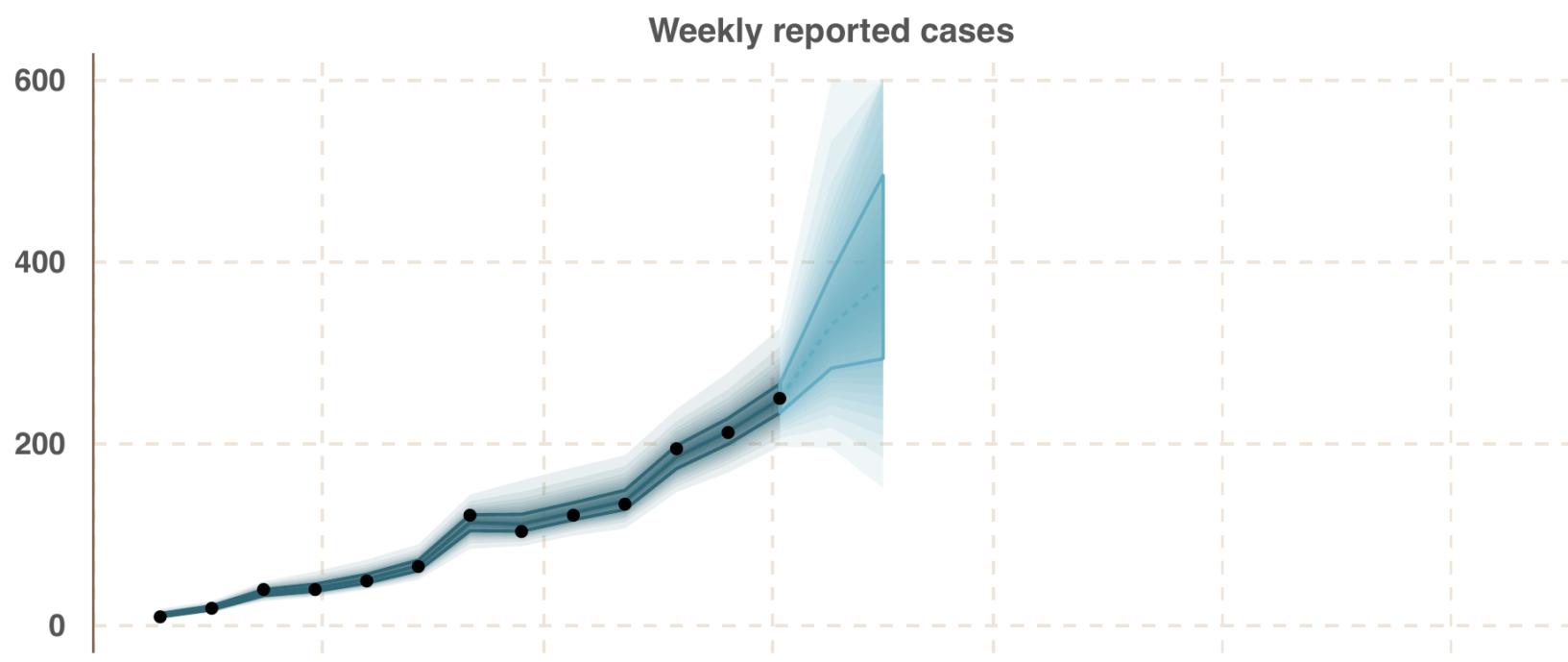


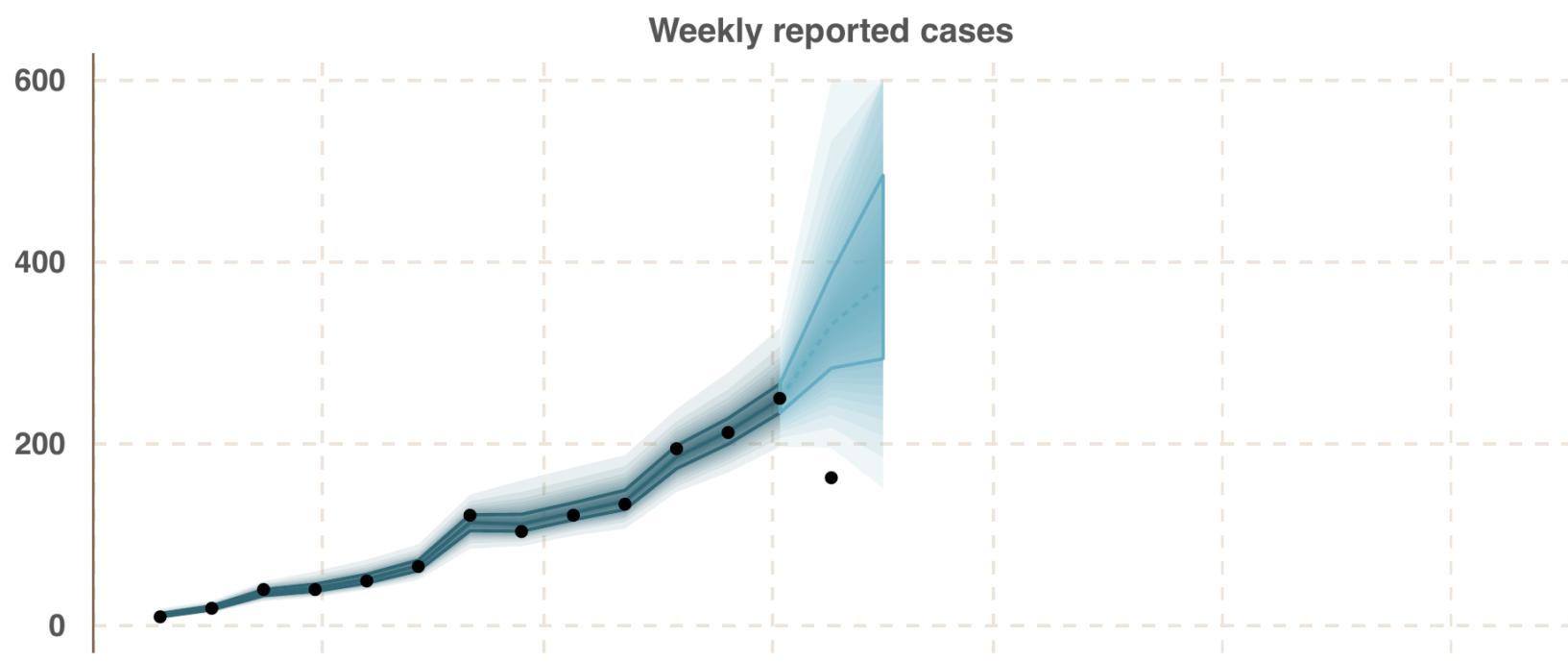


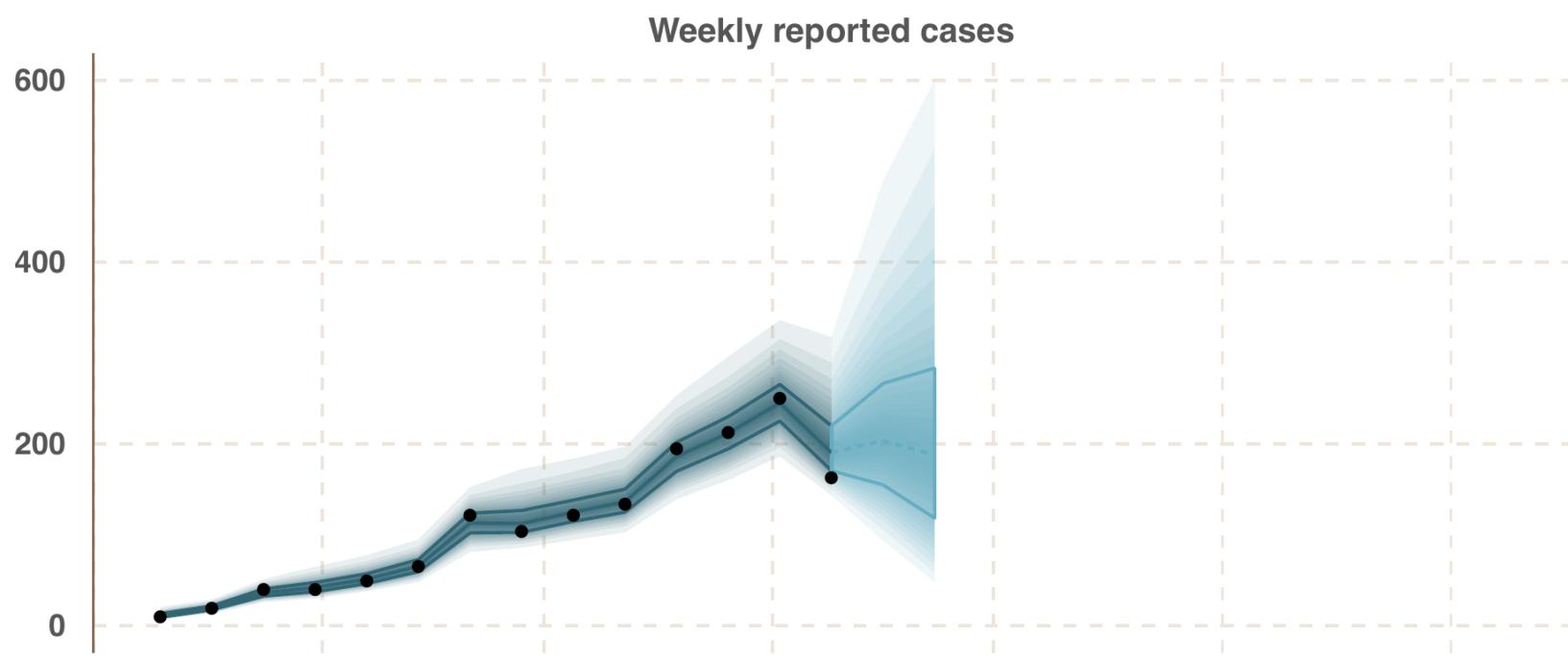


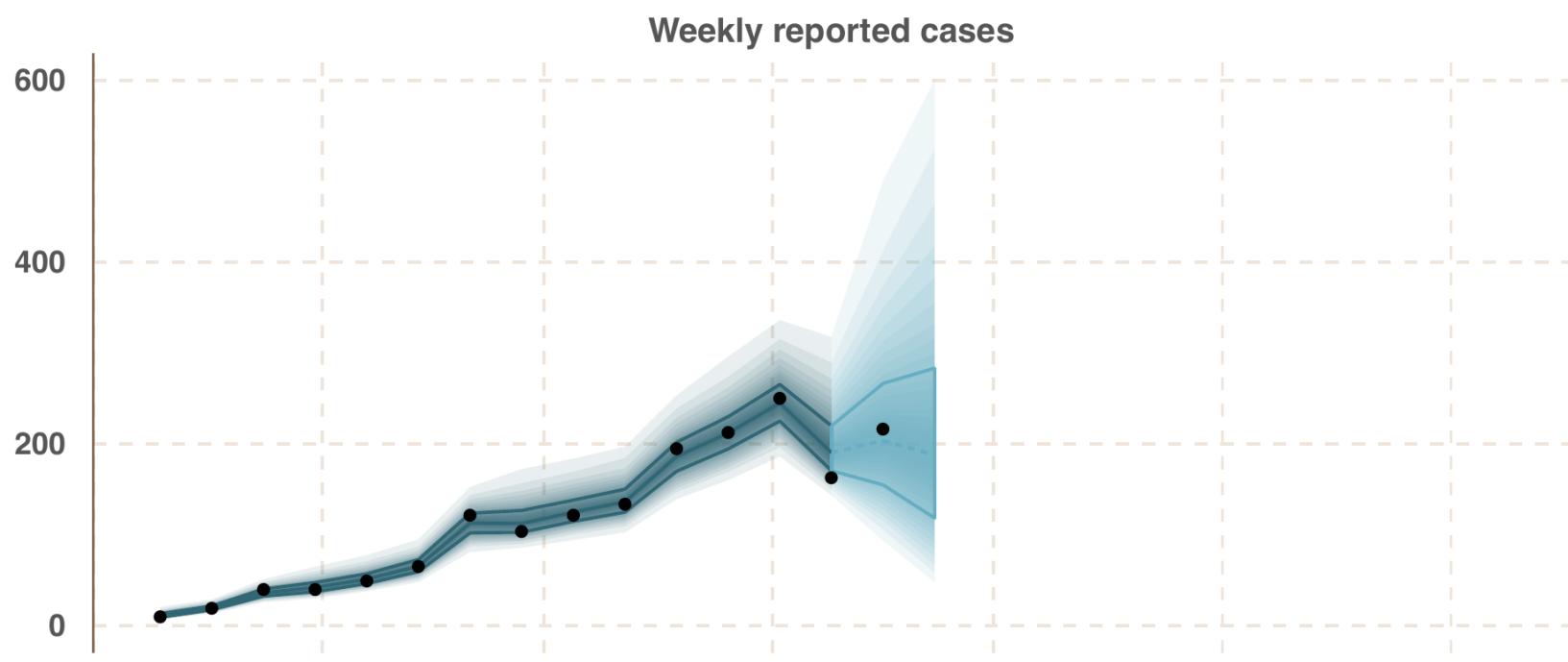


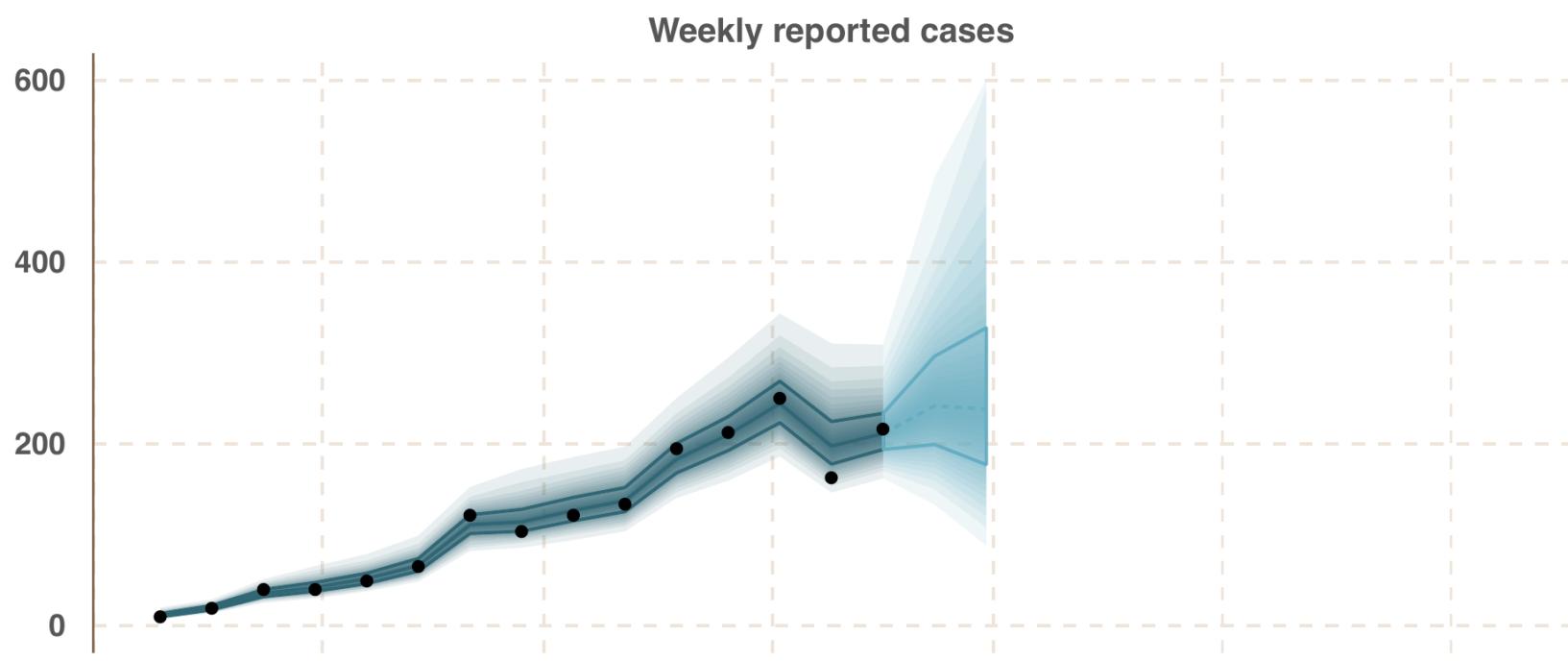


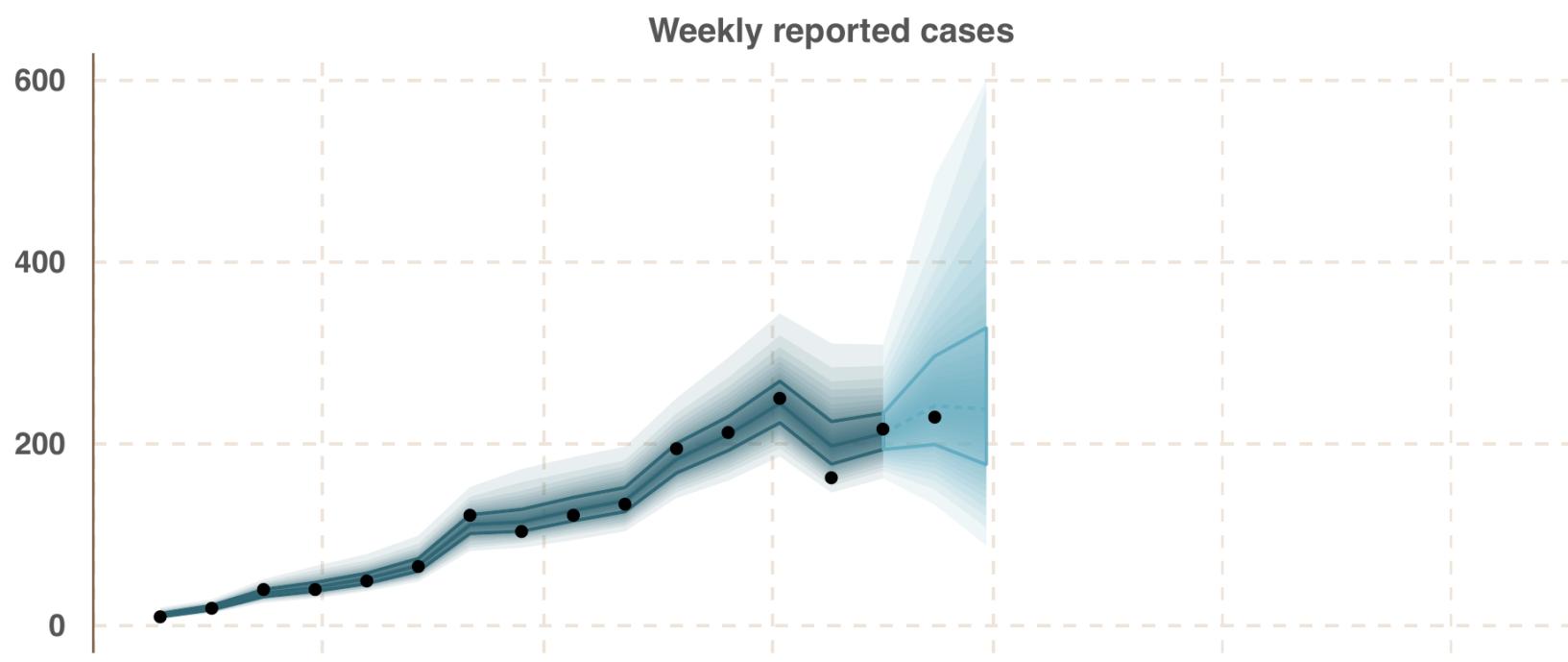


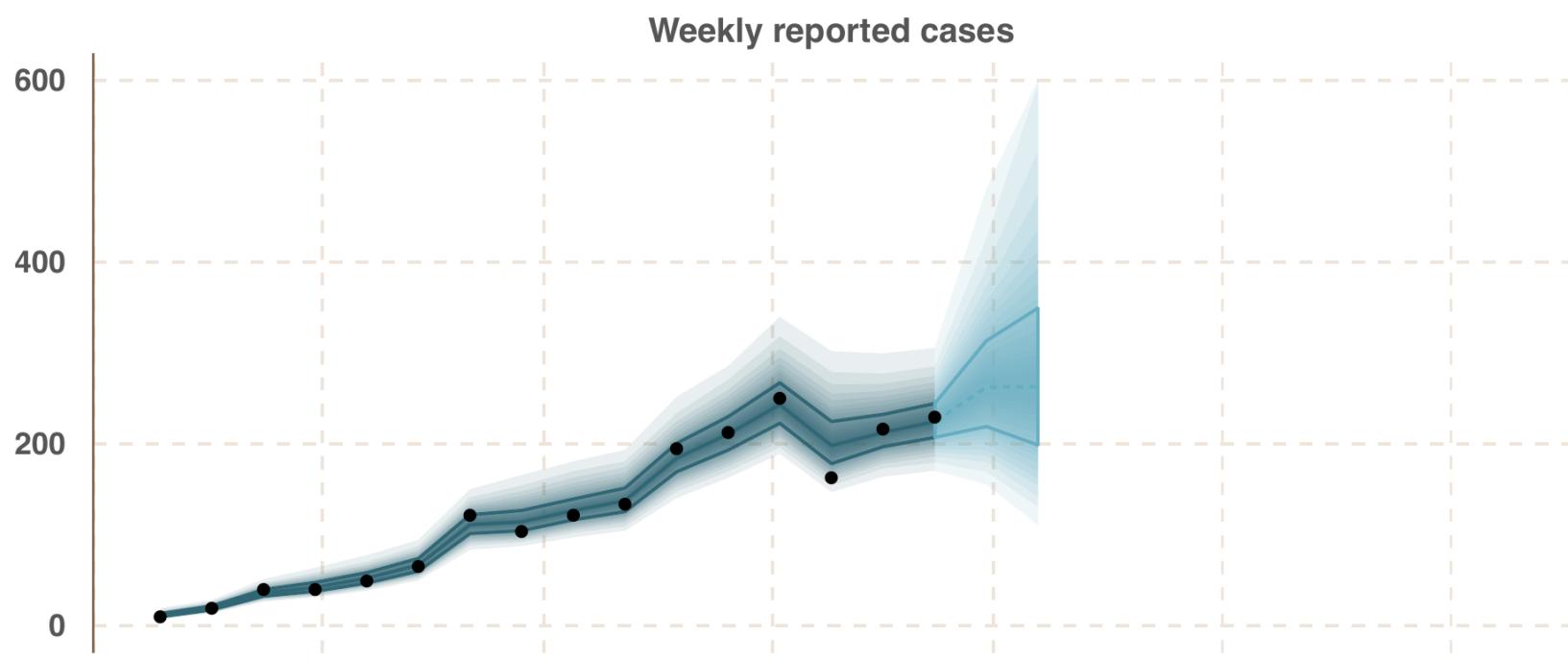


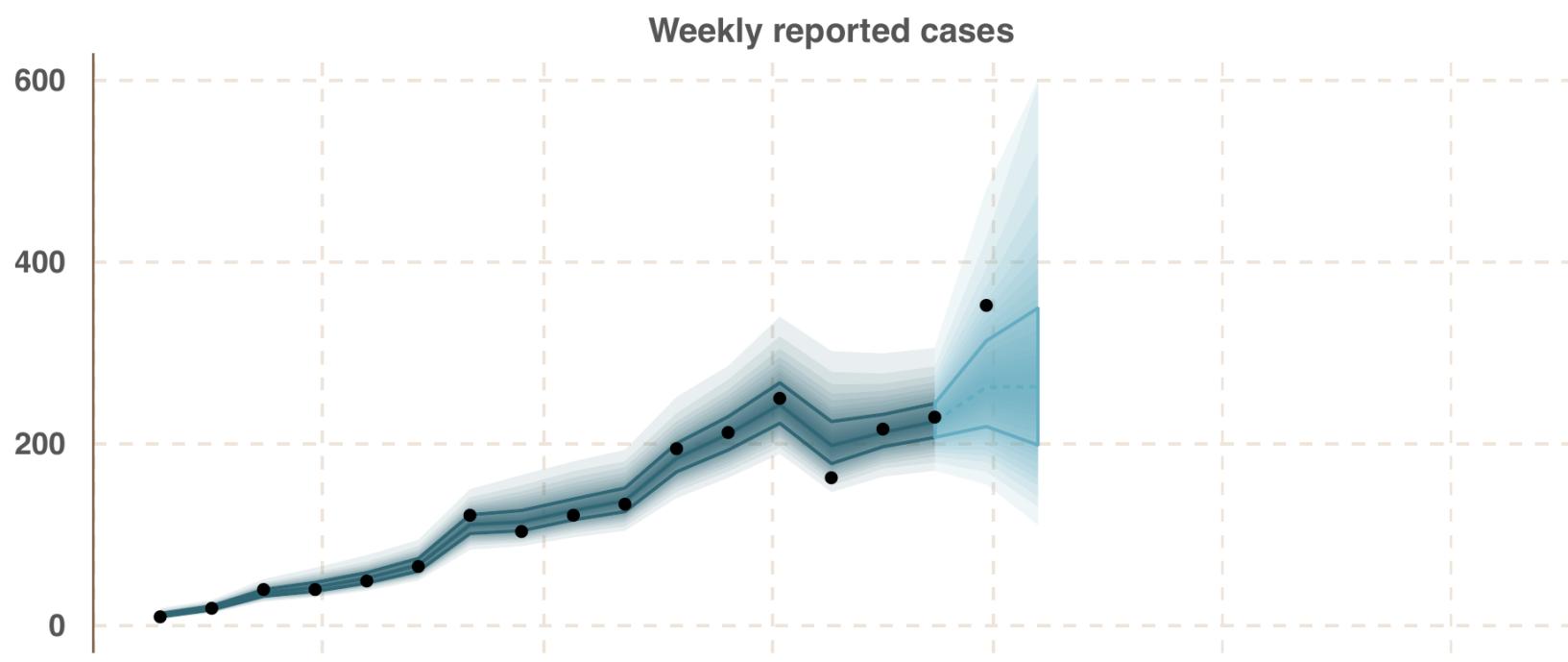




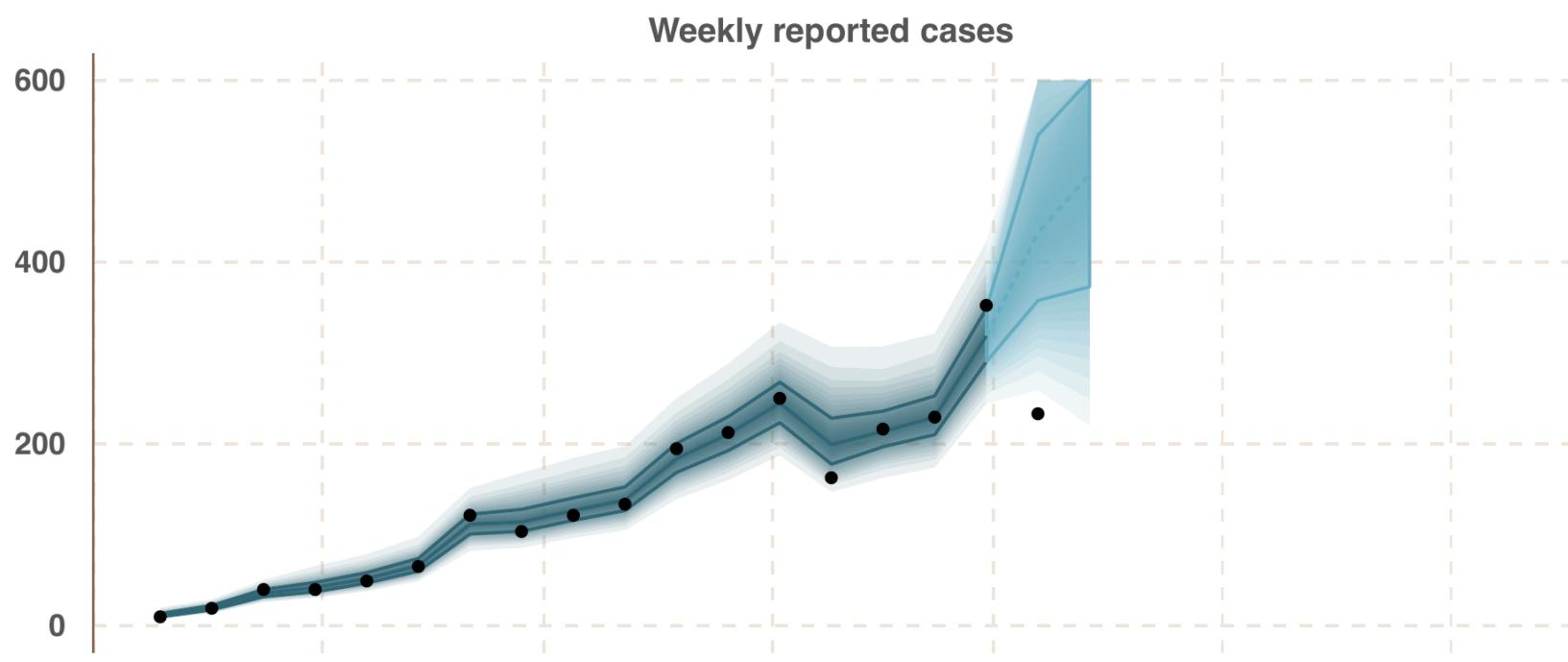


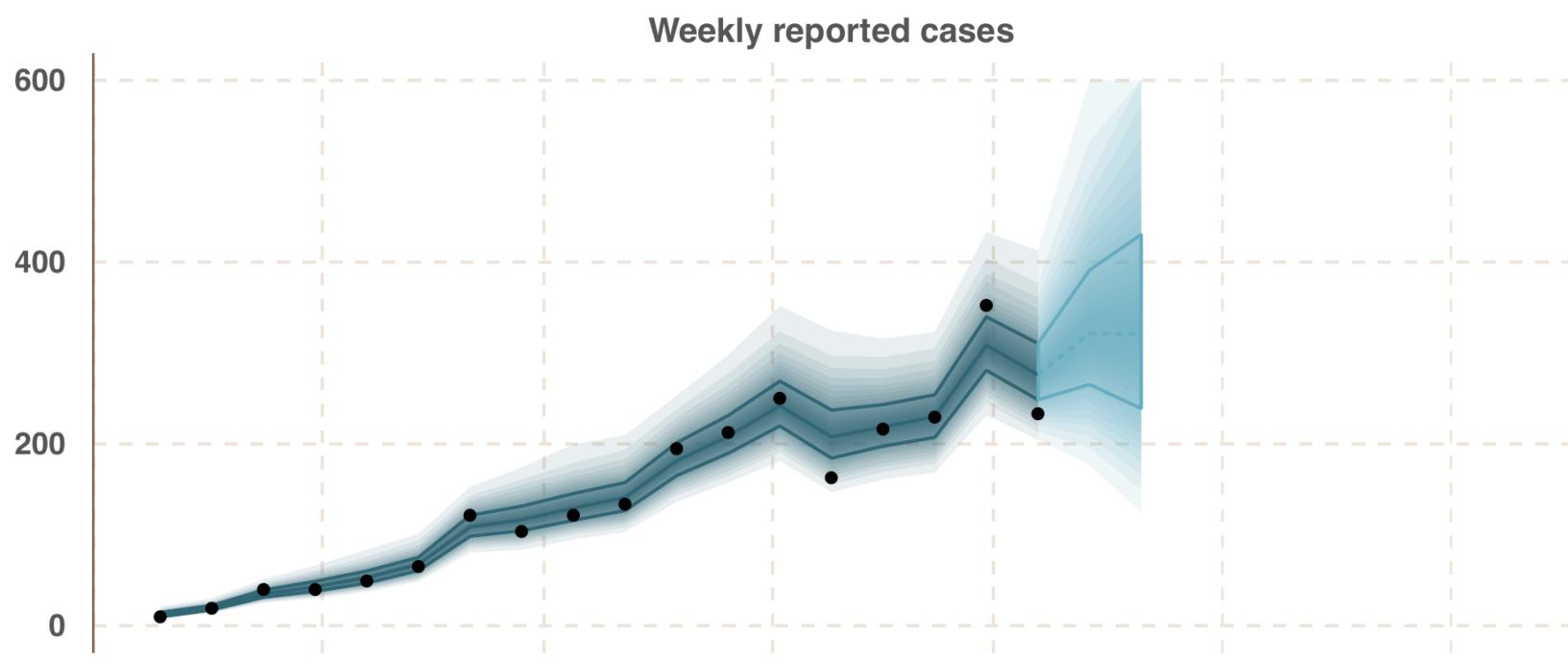


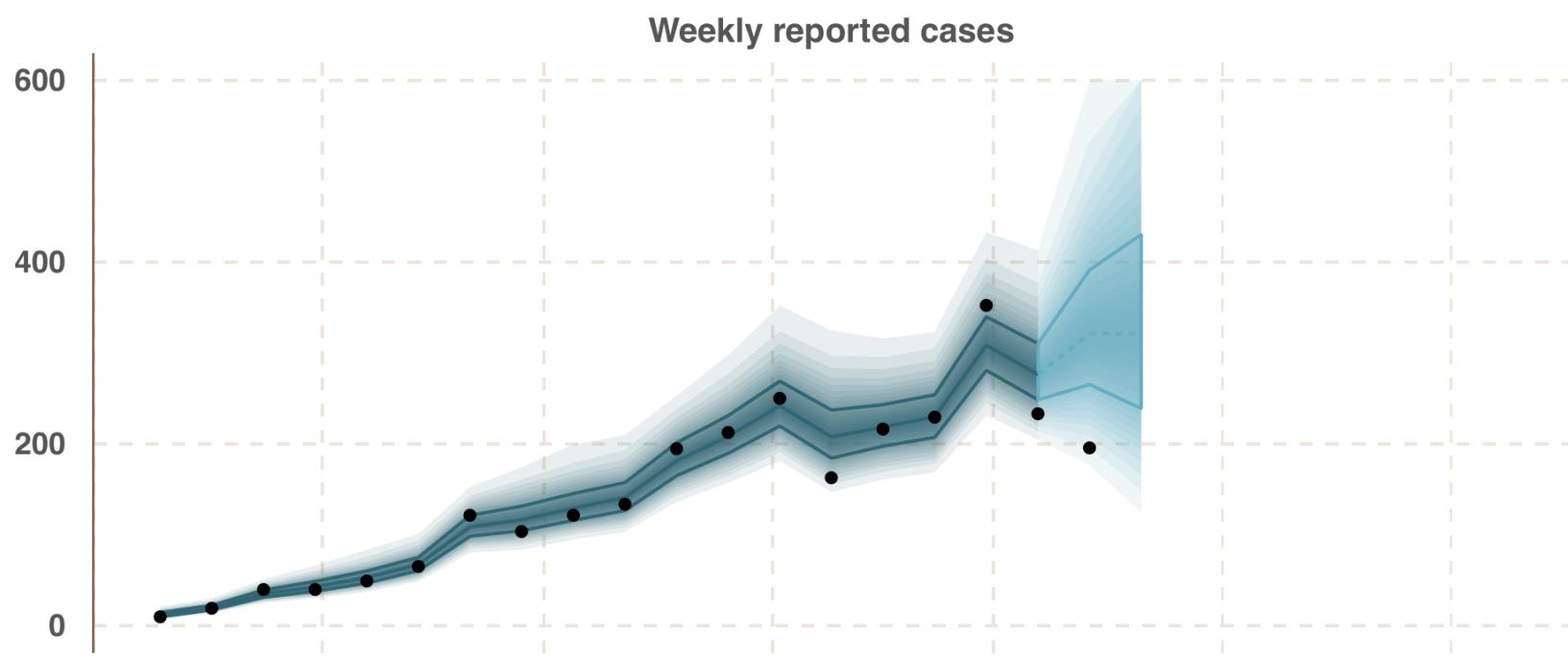


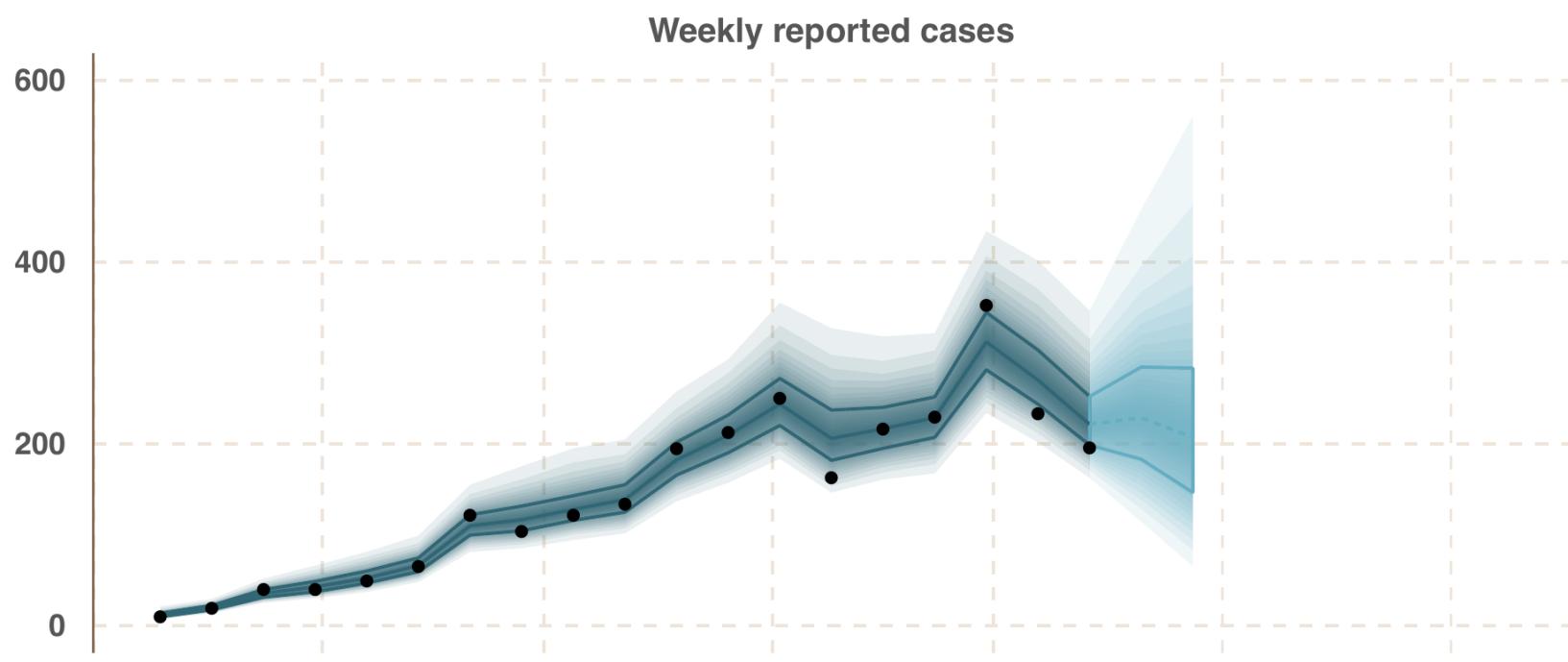


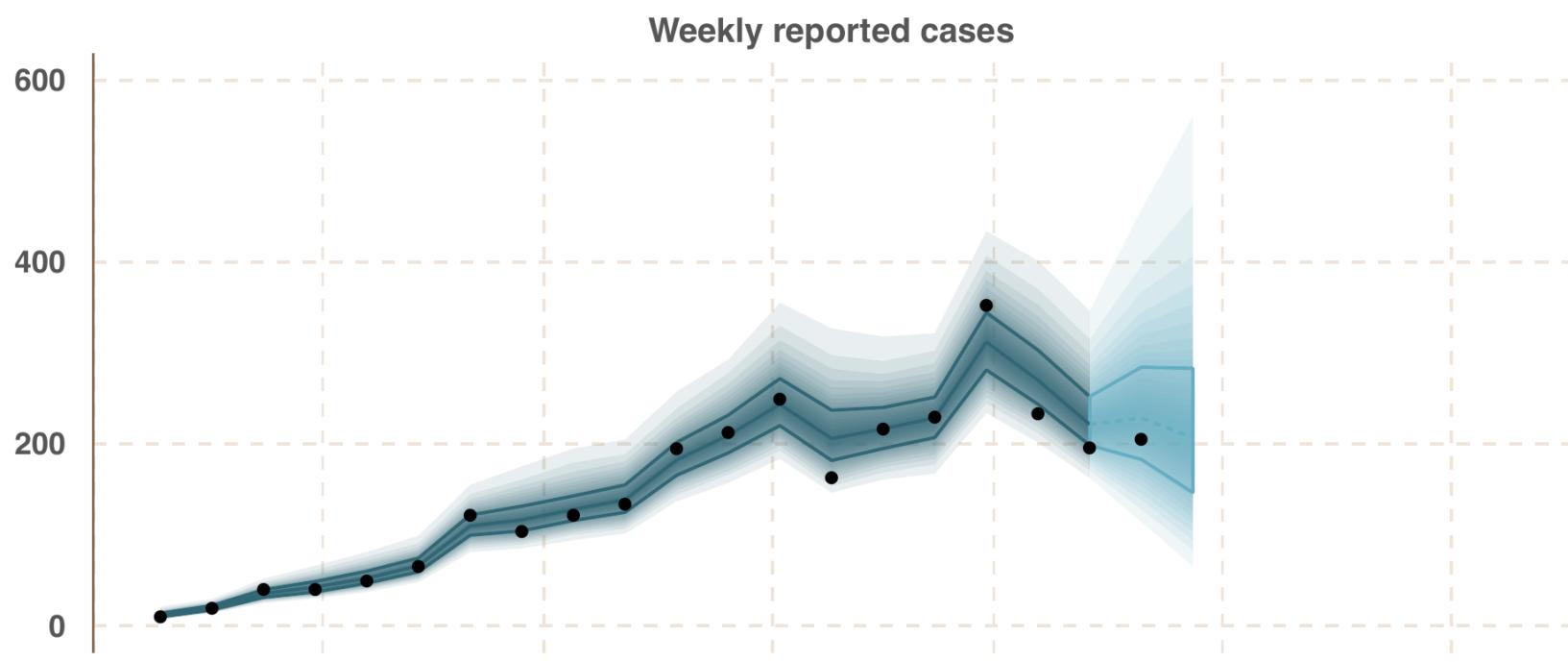


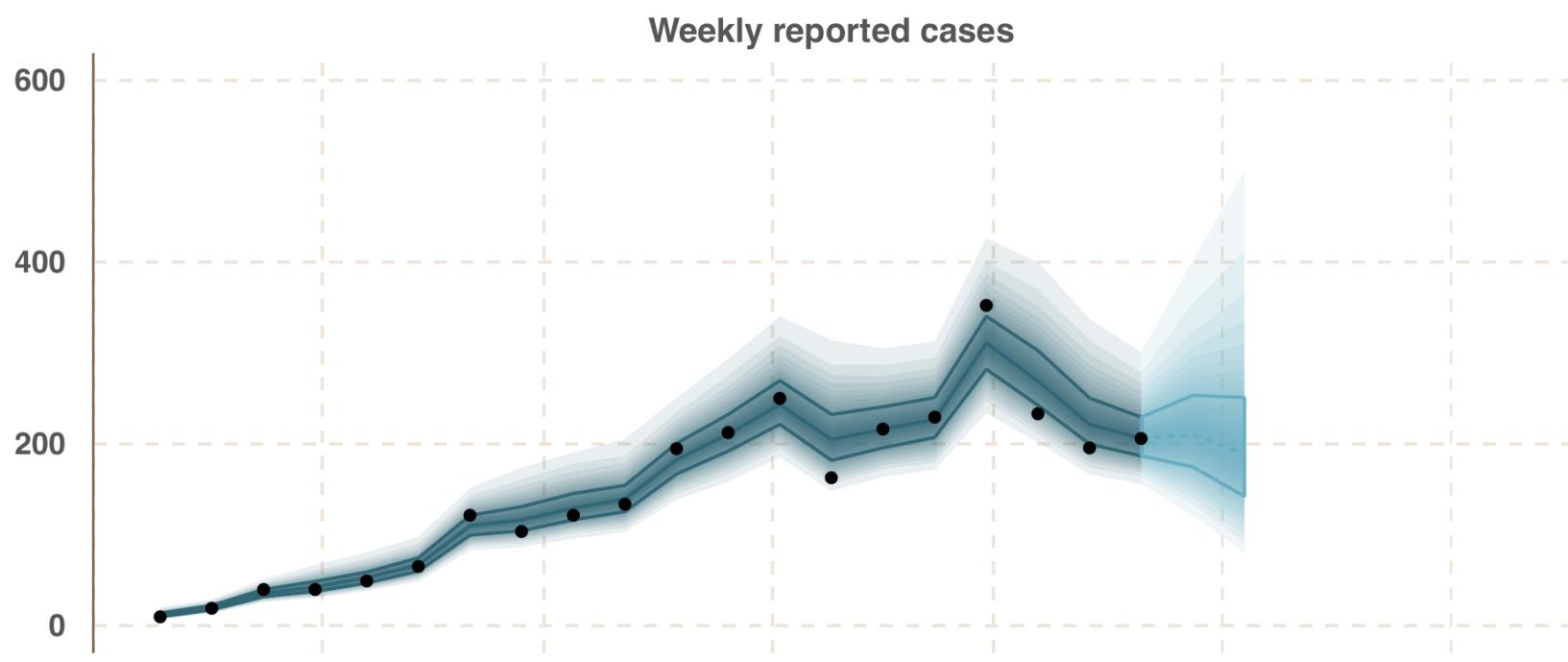


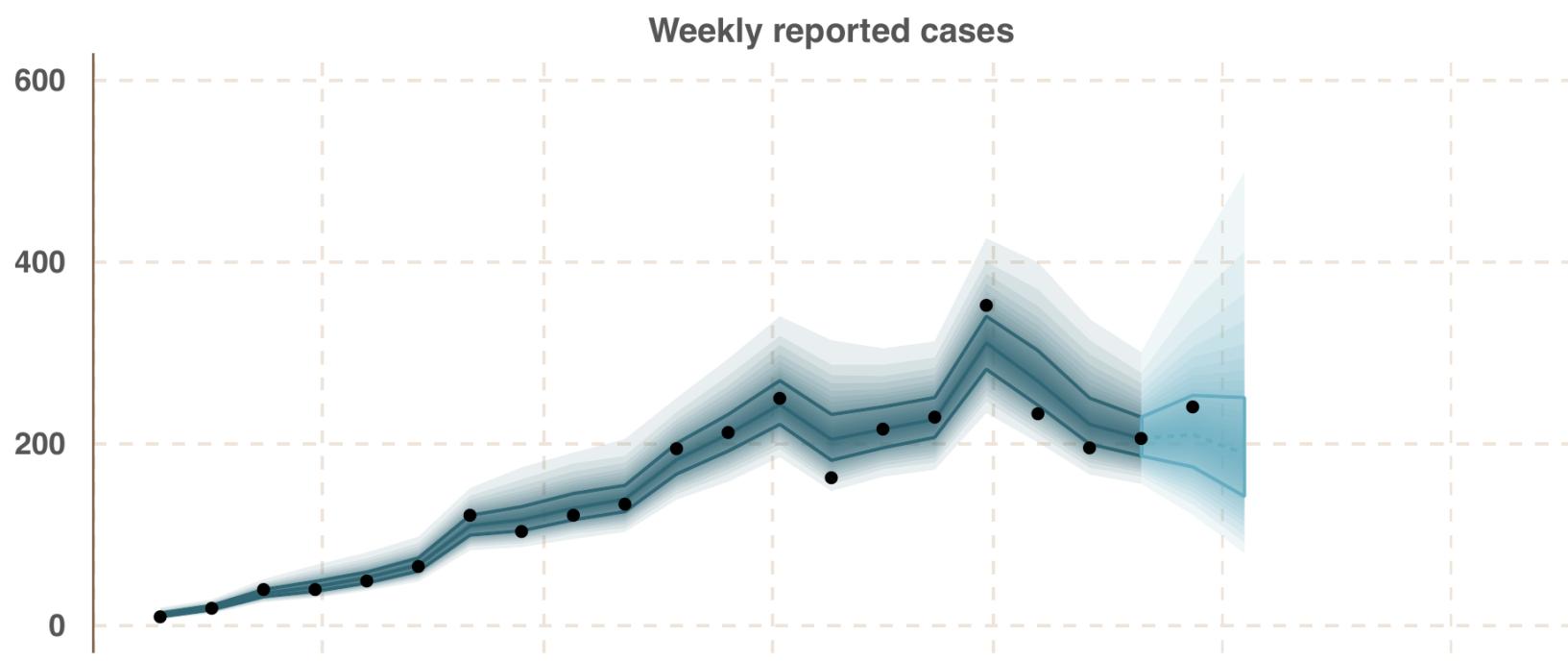


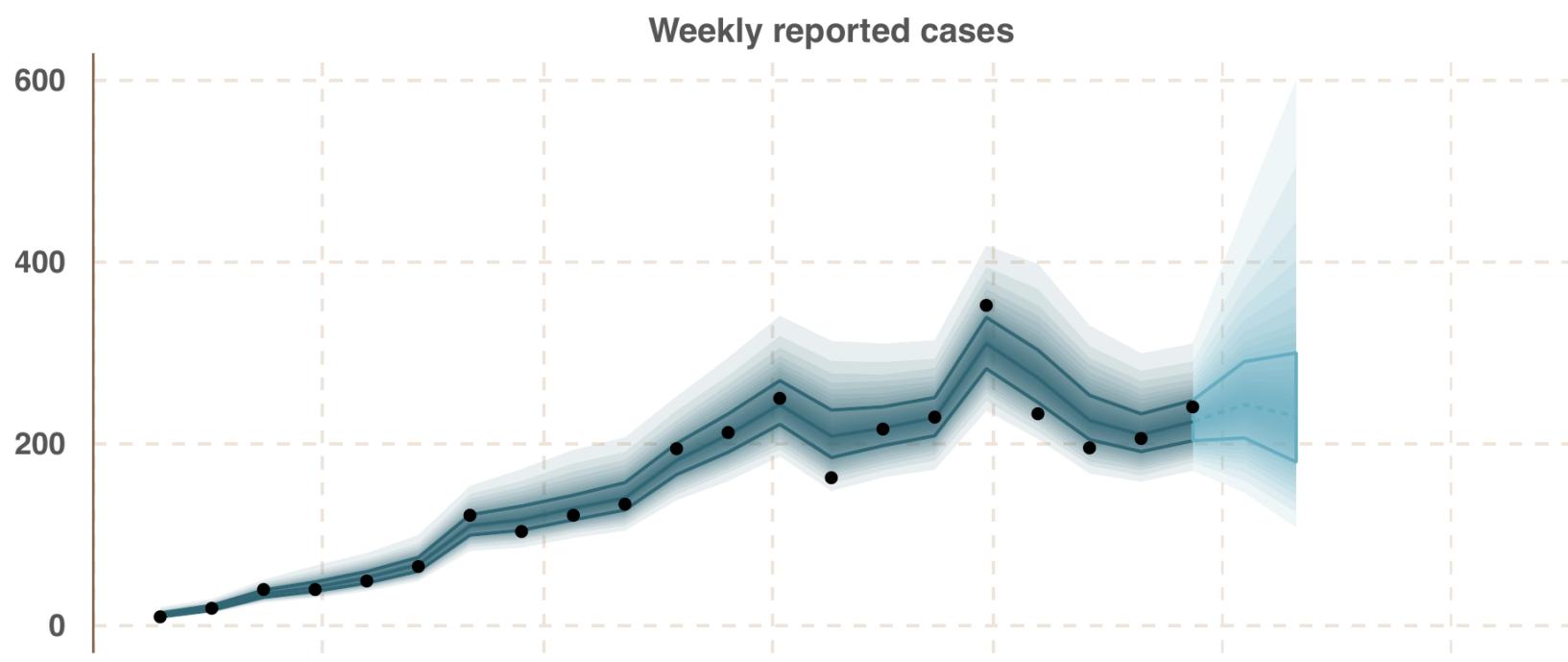


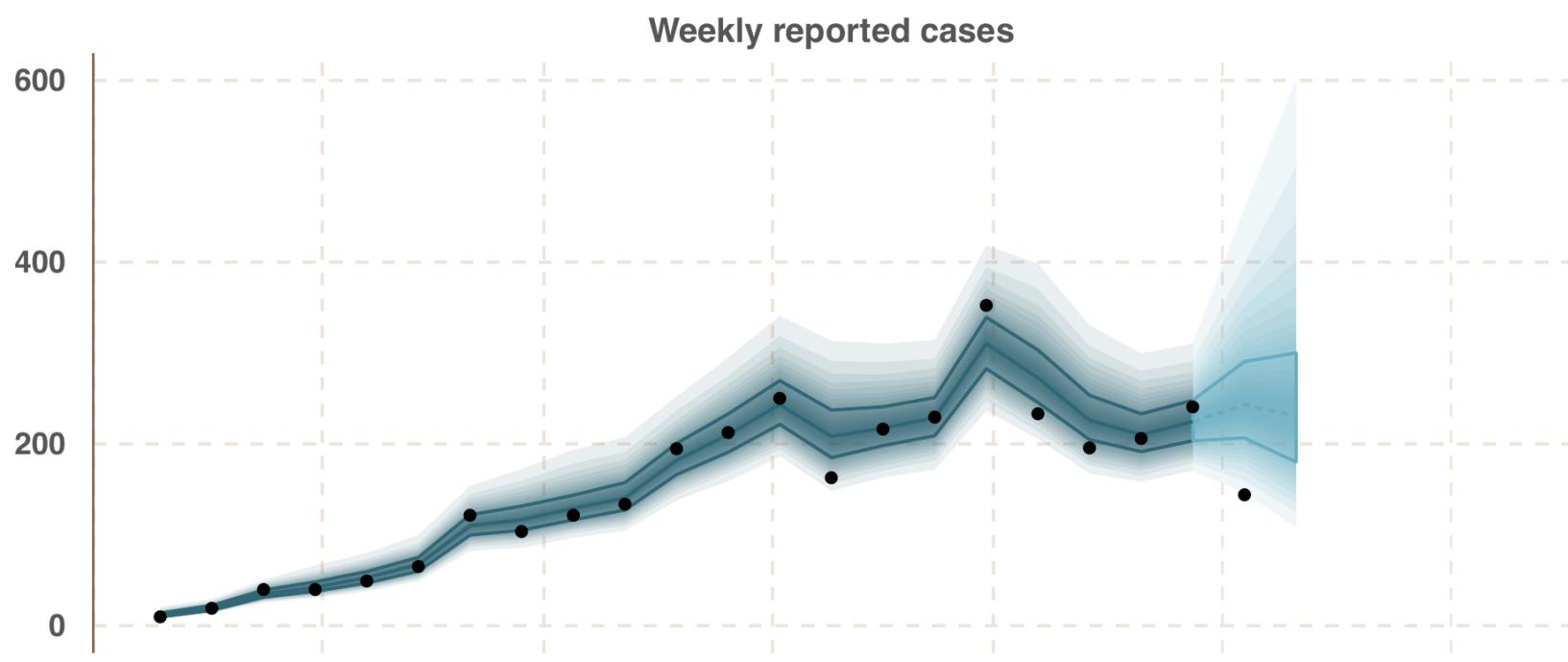


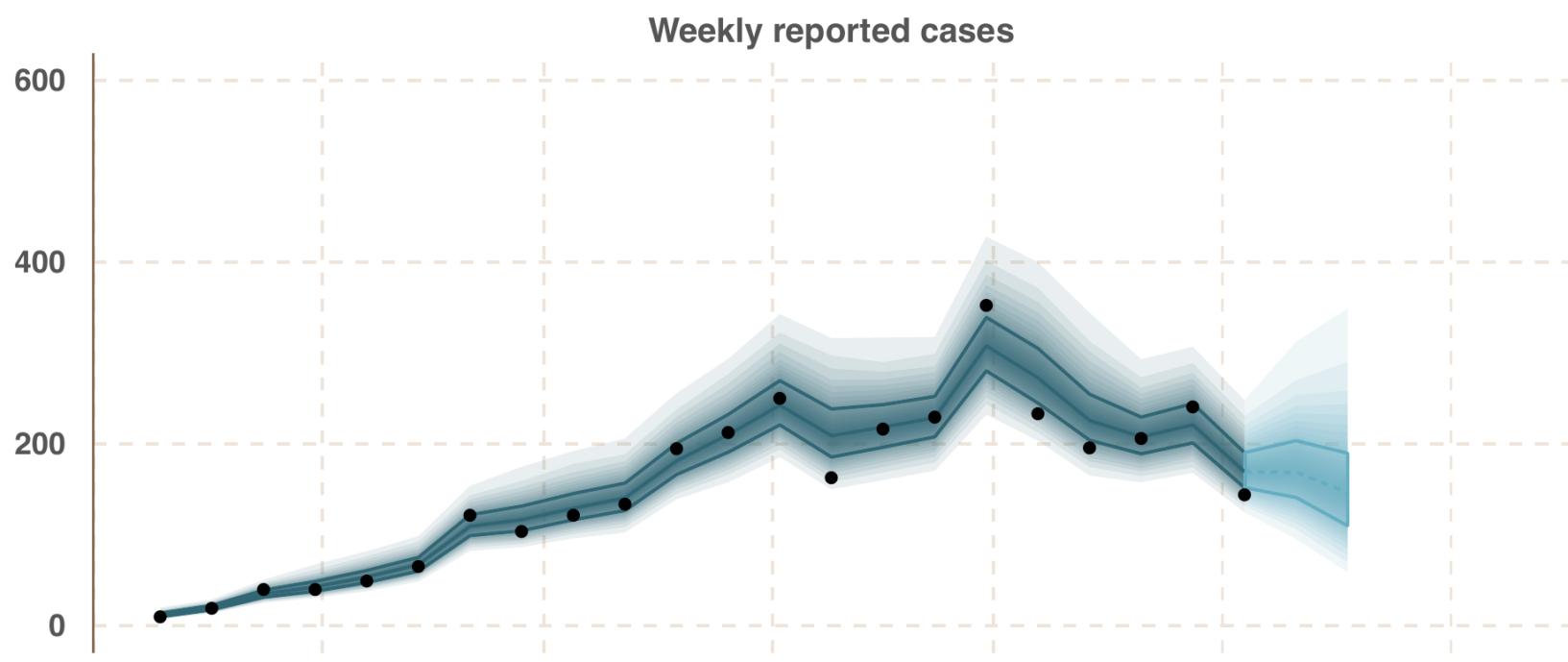


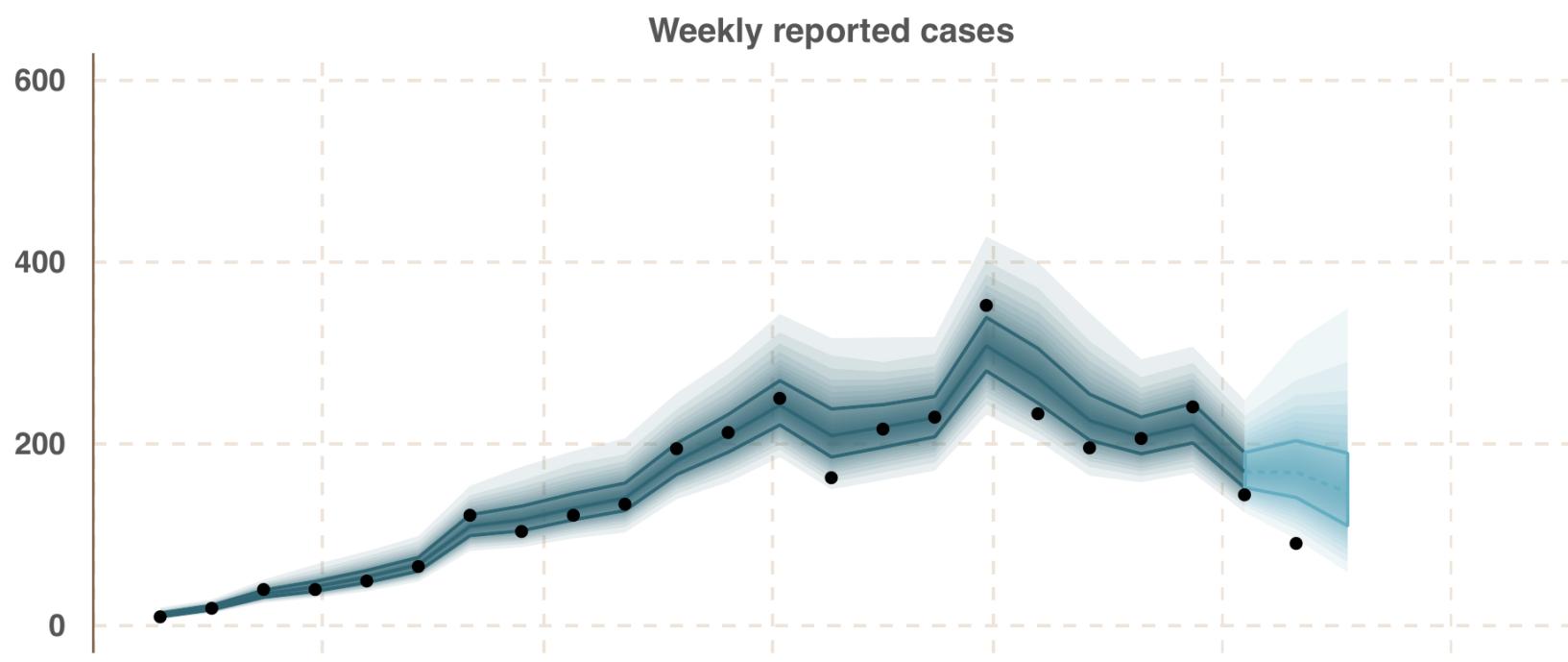


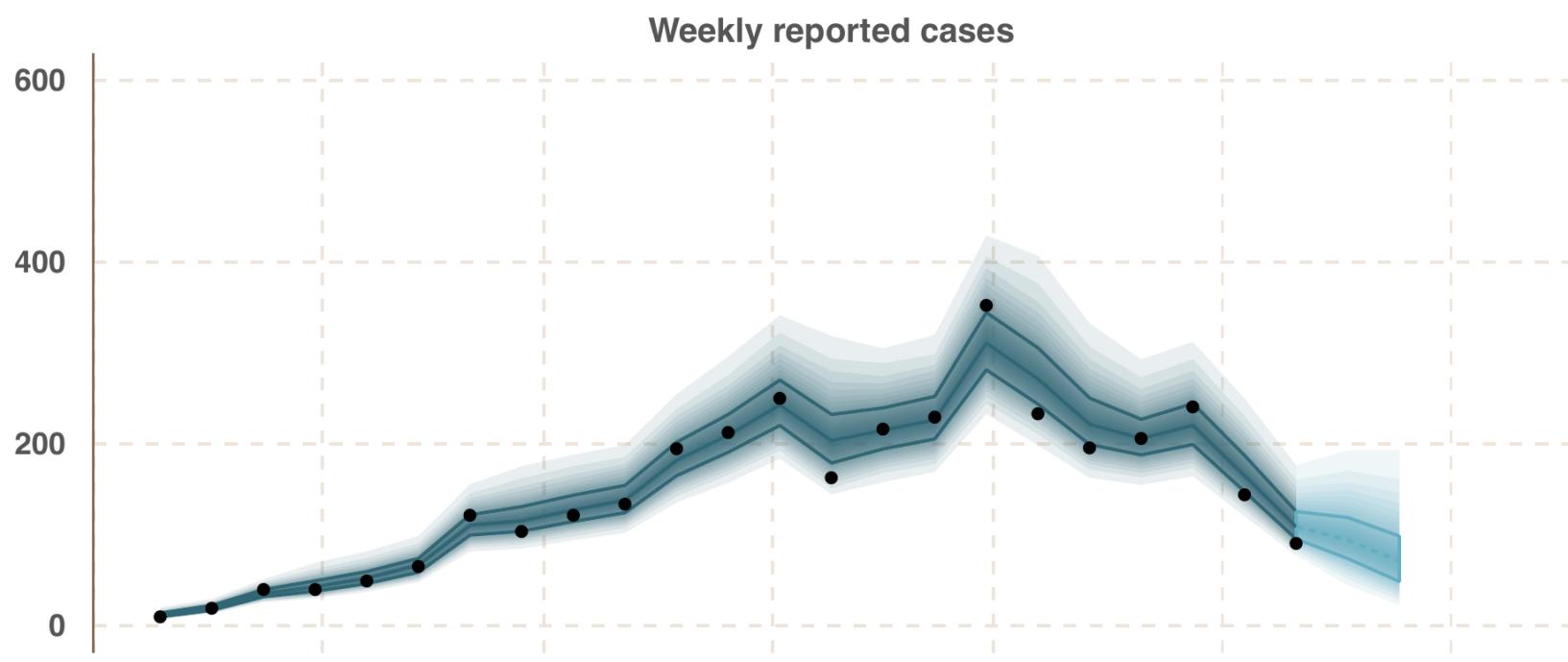


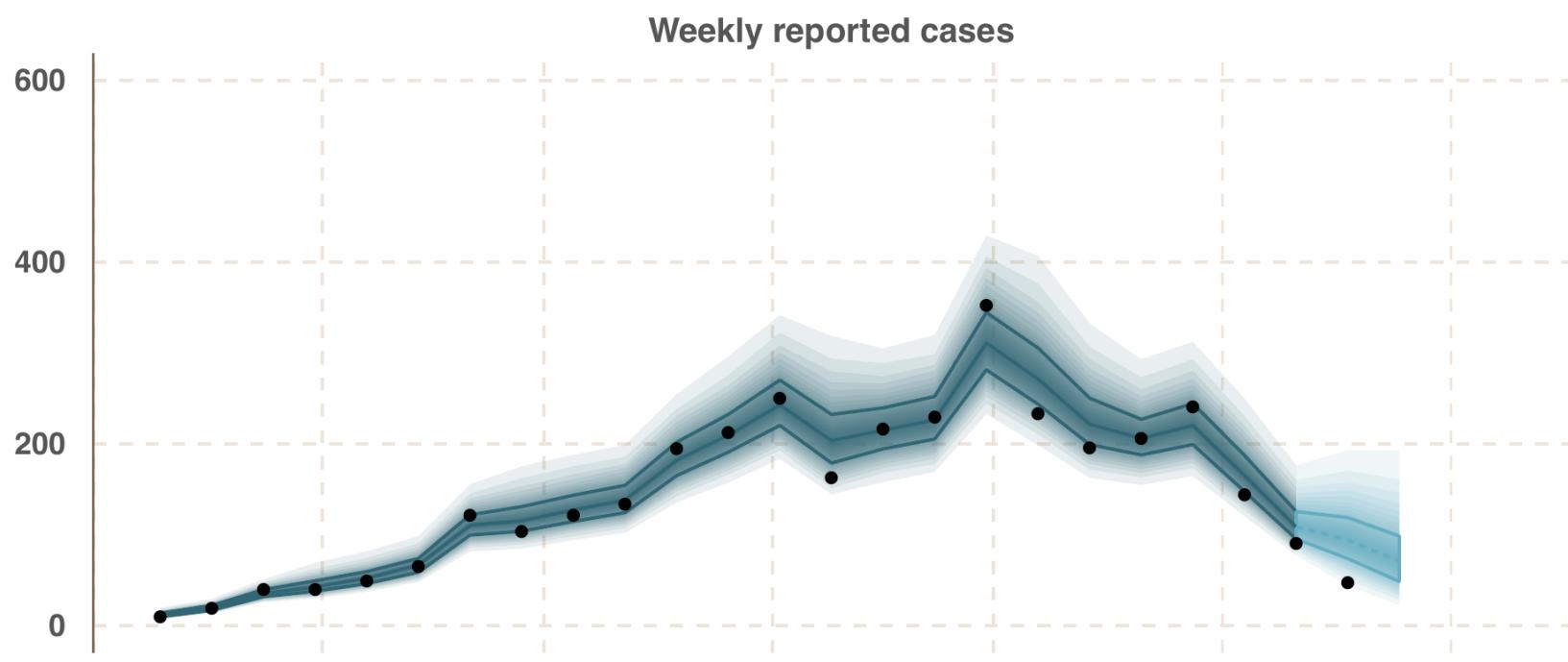


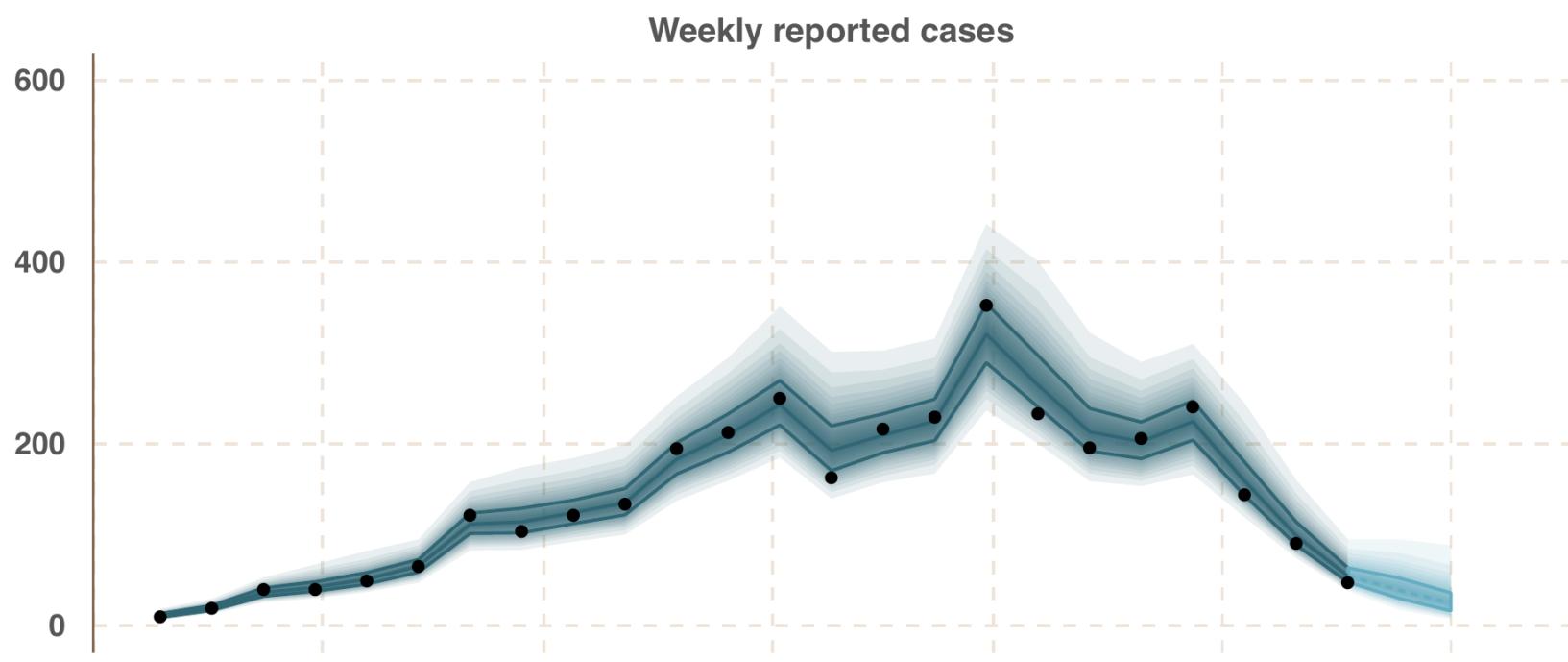


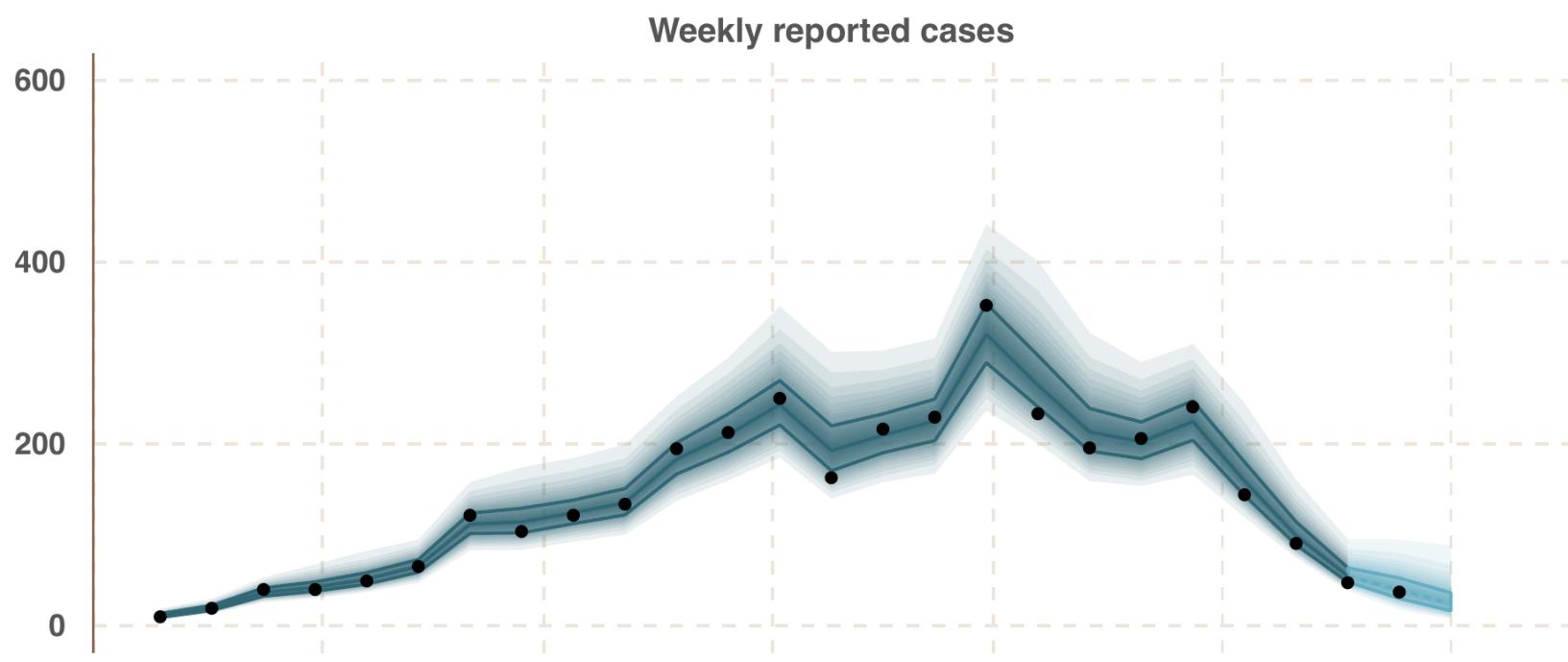


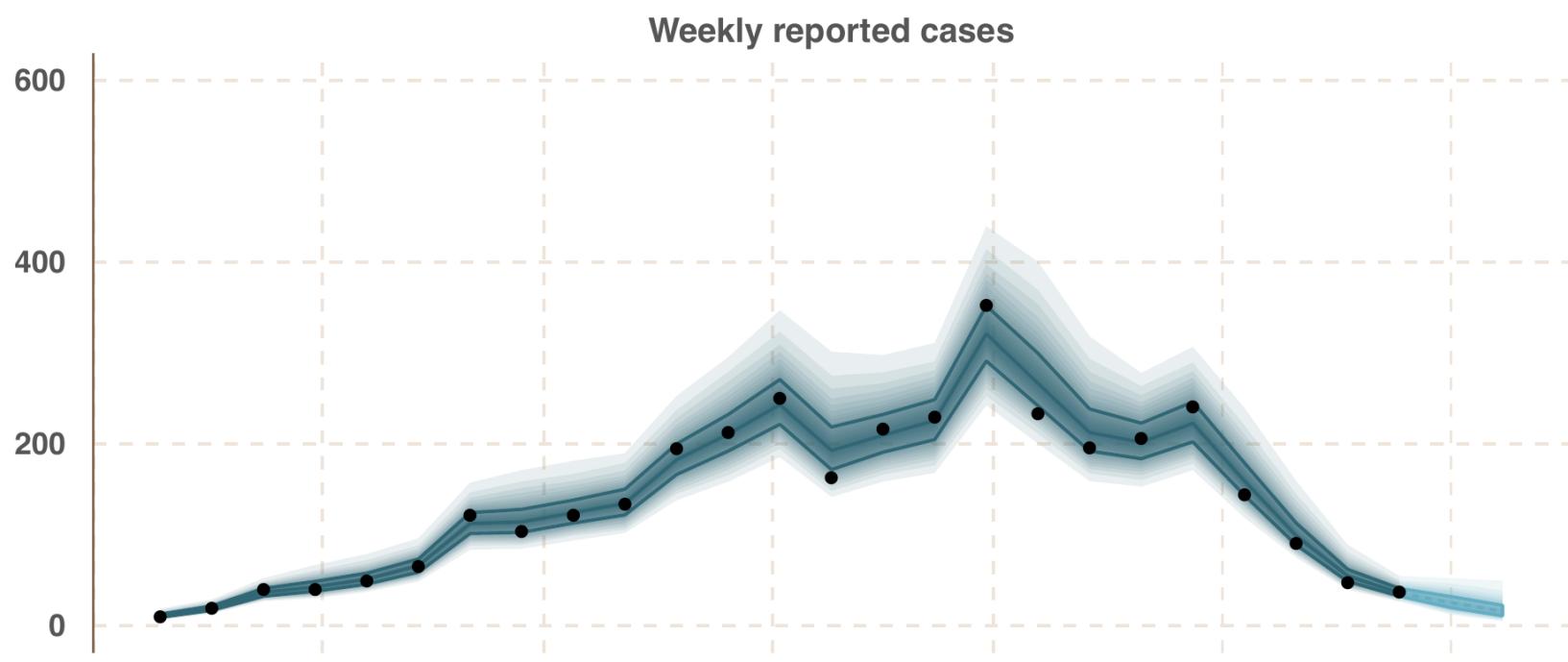


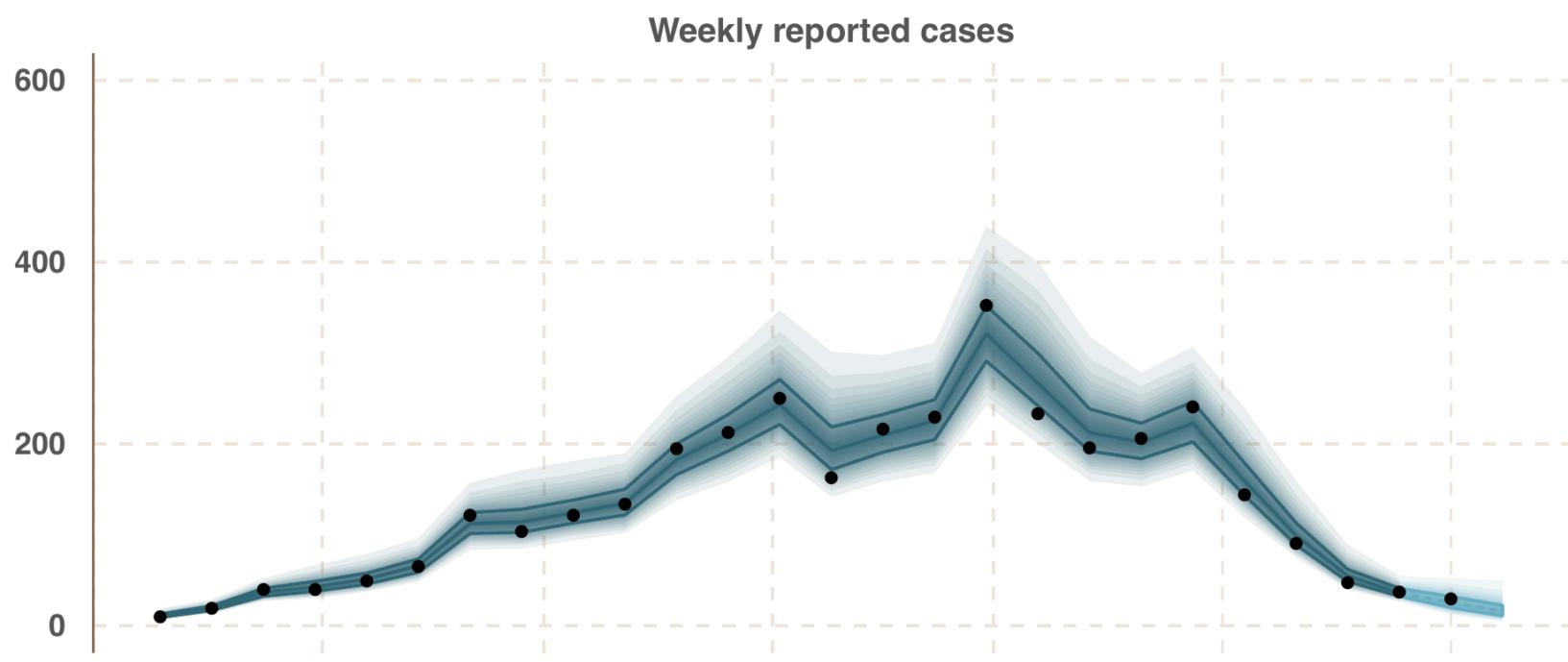


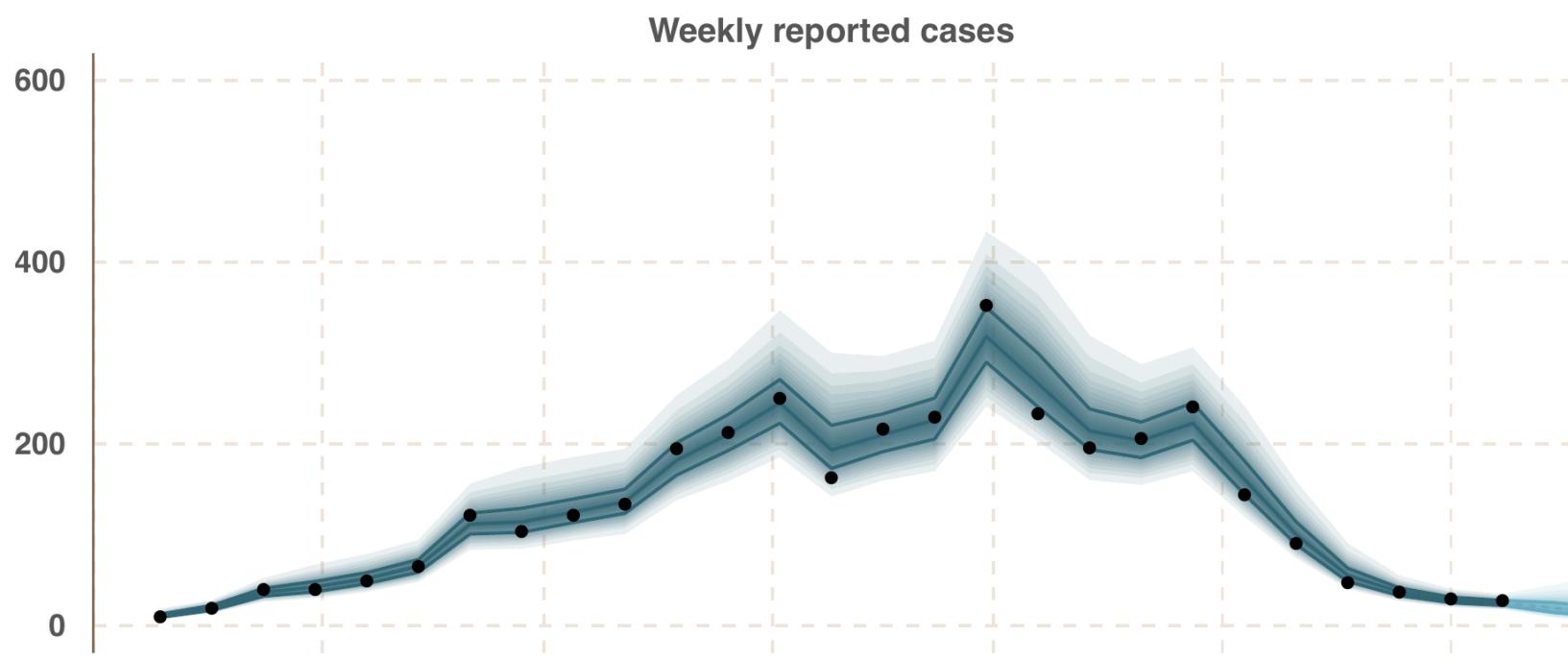


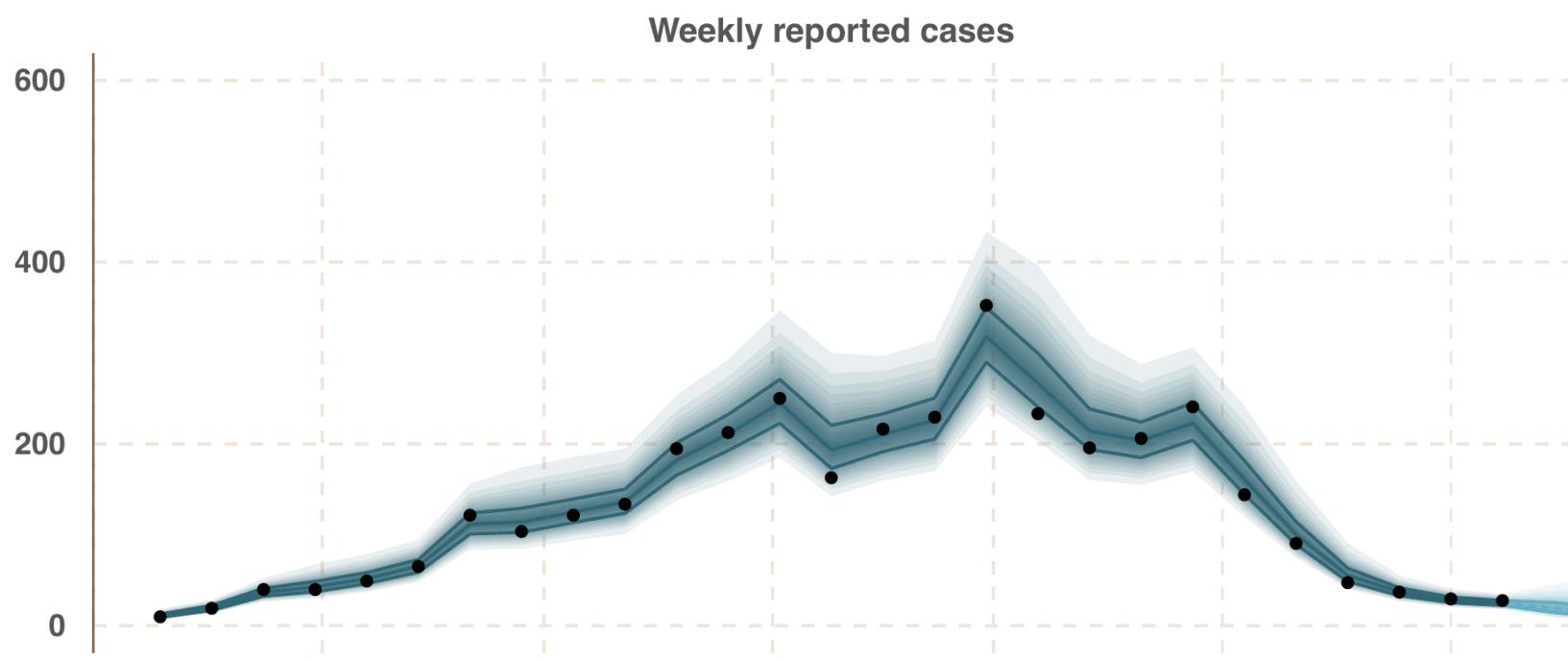












ntncmch.github.io

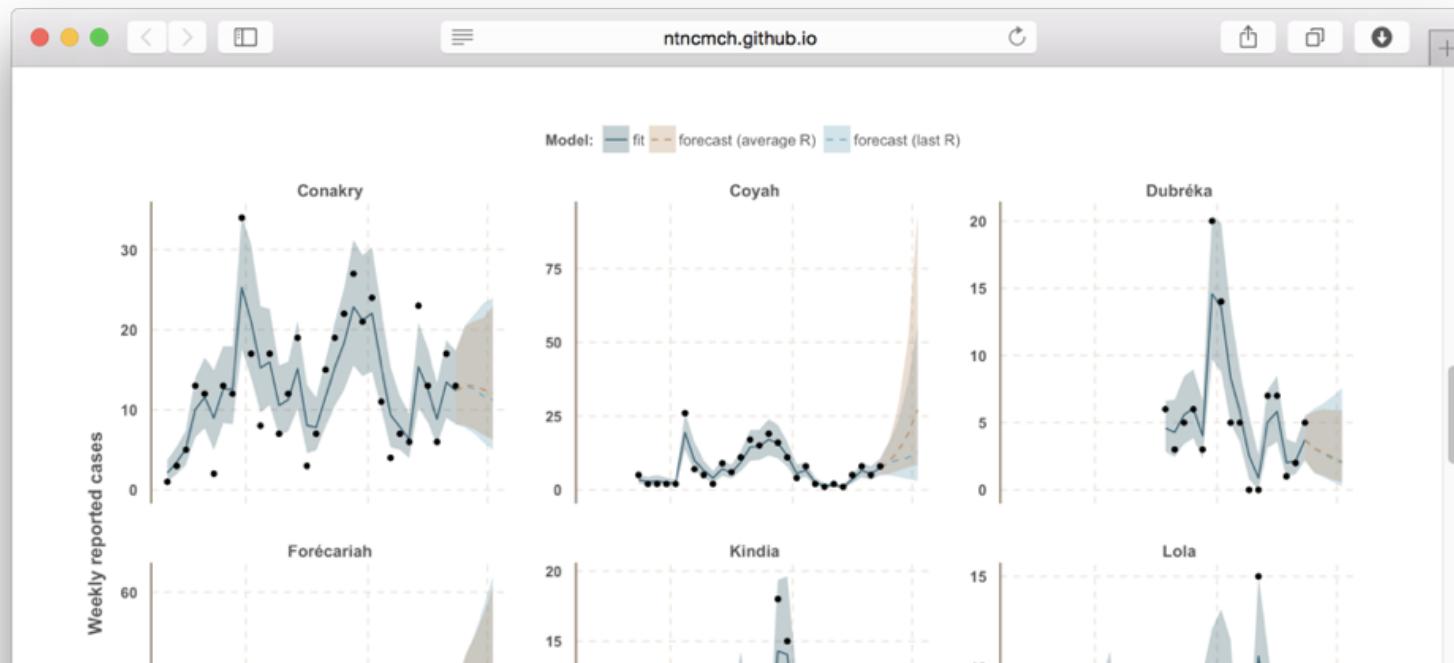
Visualisation and projections of the Ebola outbreak in West Africa

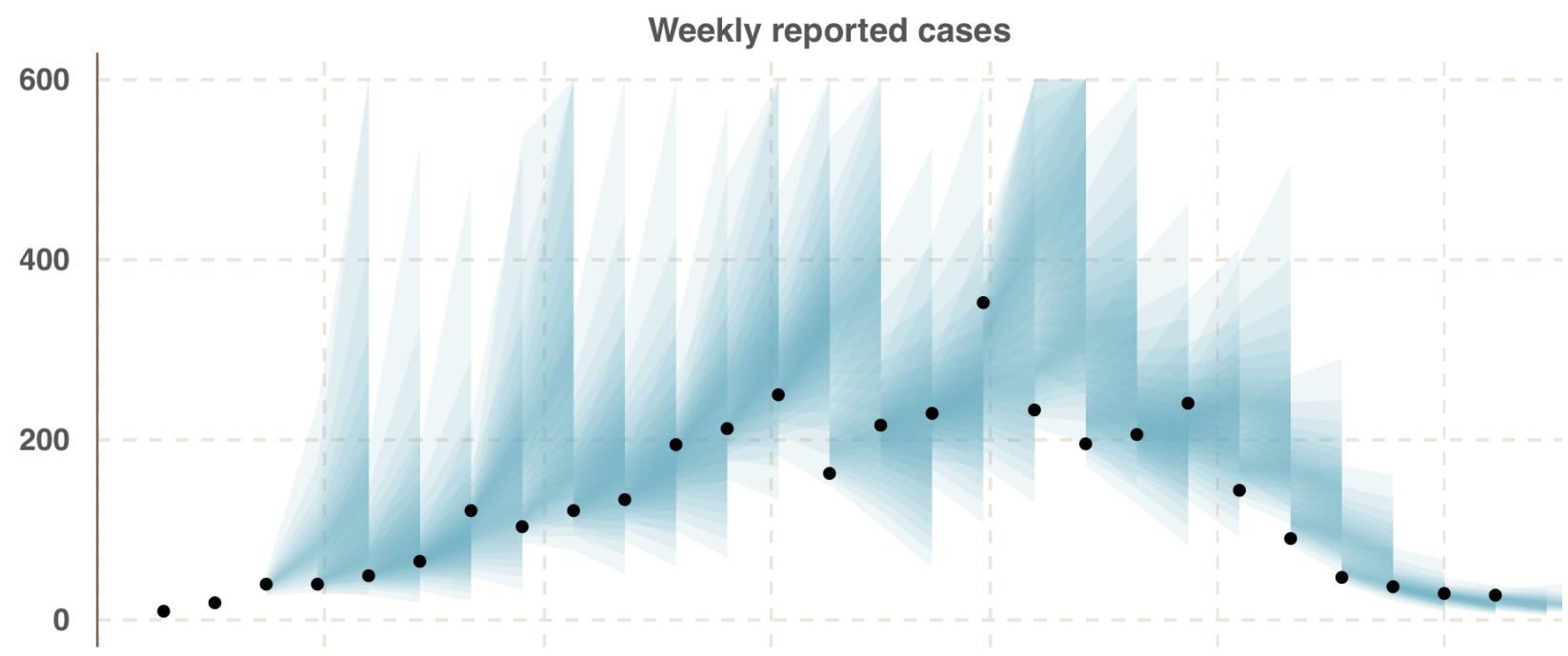
by the Centre for the Mathematical Modelling of Infectious Diseases
London School of Hygiene & Tropical Medicine

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- [Motivation](#)
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Latest weekly reports

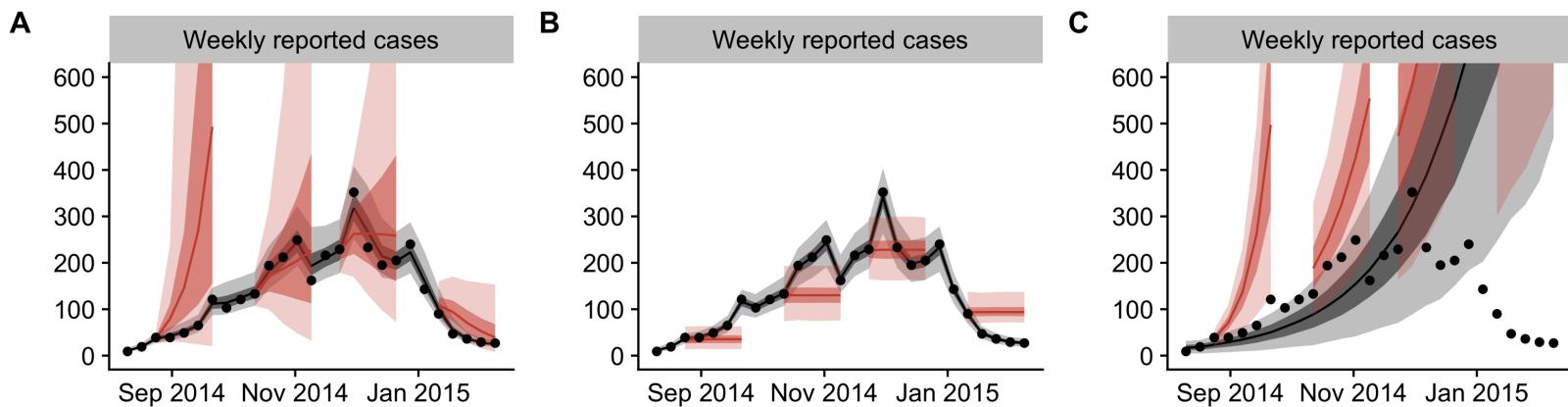
- Liberia (up to 15 March 2015): view [online version](#) or download [pdf slides](#)
- Sierra Leone (up to 15 March 2015): view [online version](#) or download [pdf slides](#)
- Guinea (up to 15 March 2015): view [online version \(French version\)](#) or download [pdf slides \(French version\)](#)





How good were the forecasts?

Comparison with null models



Calibration: Compatibility of forecasts and observations



Calibration: Compatibility of forecasts and observations

Divide $[0, 1]$ in m subintervals

$$C(F_t, x_t) = 1 - \frac{1}{2} \frac{m}{m-1} \sum_j |p_j - \frac{1}{m}|$$

p_j is the proportion of $u_t = F_t(x_t)$ that is in interval j

Sharpness: Concentration of predictive distribution

$$S_t(F_t) = 1 - \frac{\text{MADM}(y)}{m(y)}$$

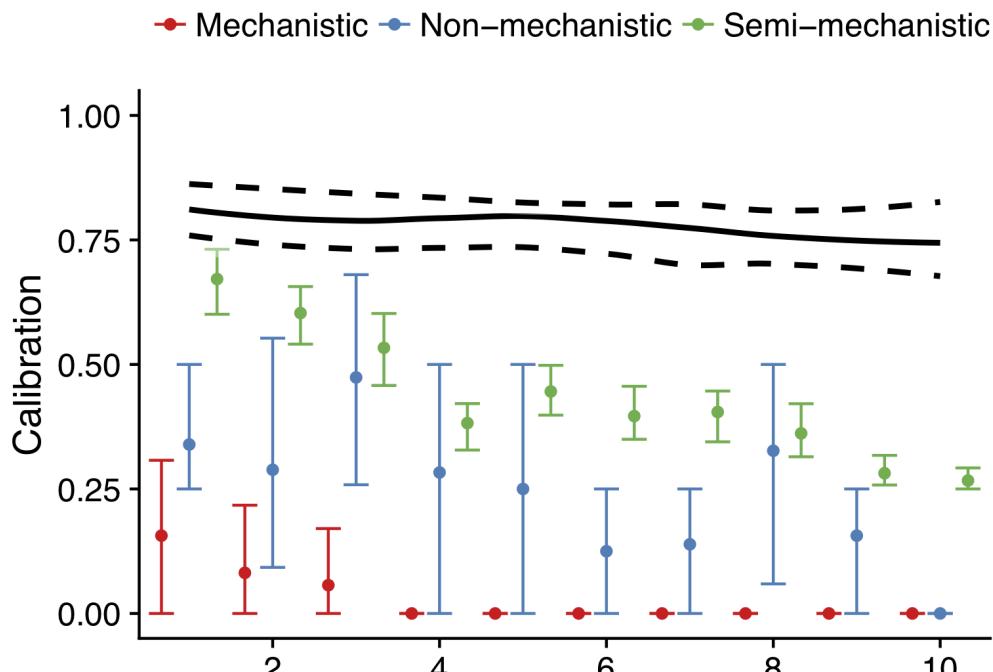
y is a variable distributed according to F_t

$\text{MADM}(y)$: median absolute deviation about the
median $m(y)$ of y

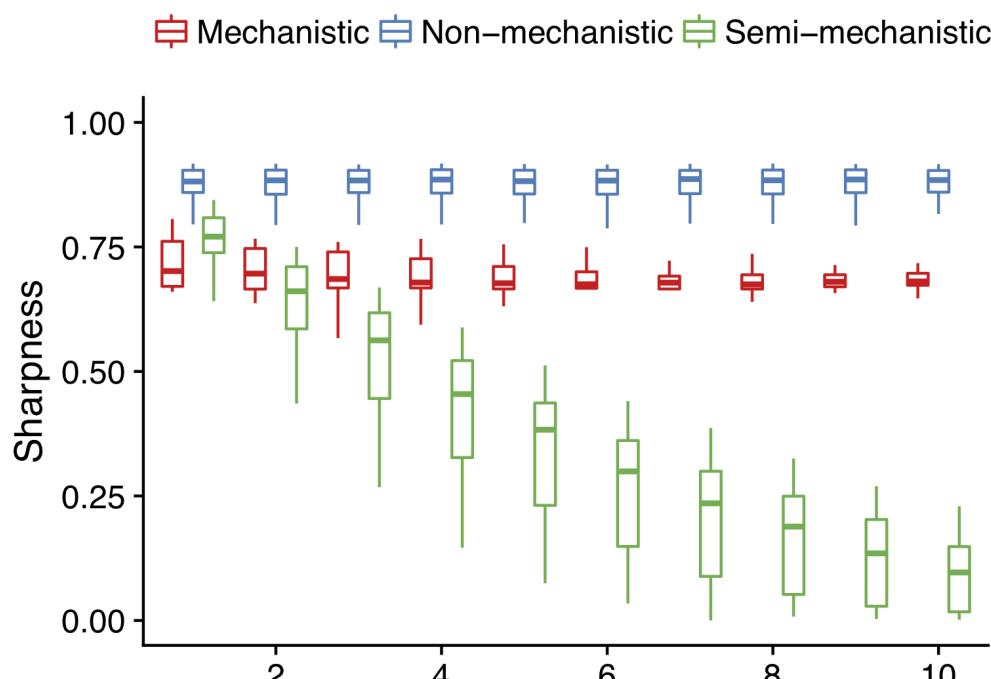
"Evaluate predictive performance on the basis of
maximising the sharpness of the predictive distribution
subject to calibration"

Gneiting et al., *J R Stat Soc B* (2007)

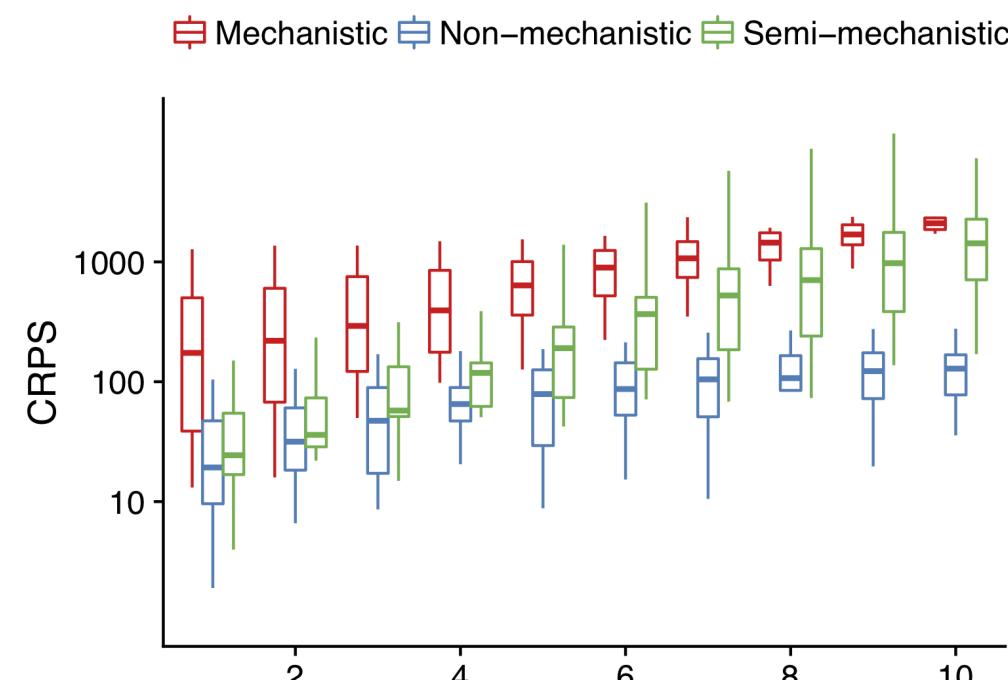
Calibration: Compatibility of forecasts and observations.



Sharpness: Concentration of predictive distribution

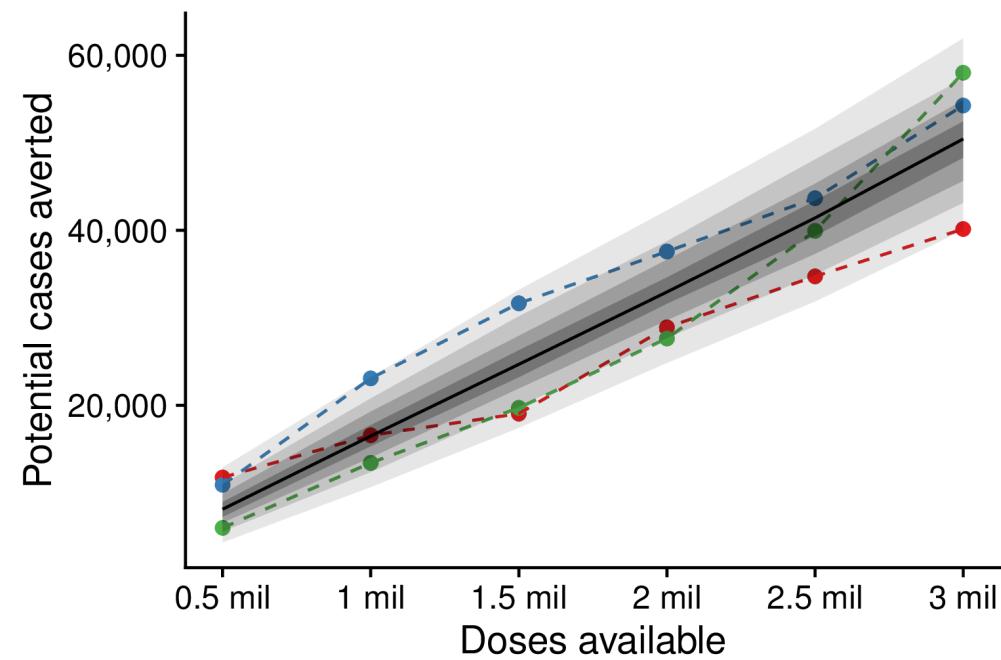


Continuous ranked probability score

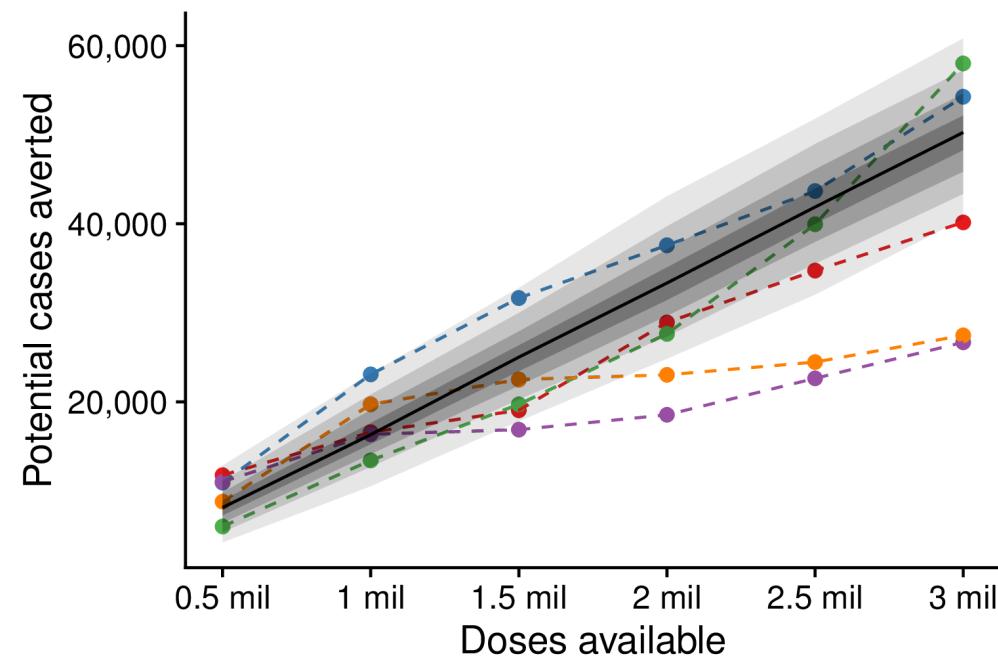


Quality of forecasts vs quality of
decisions

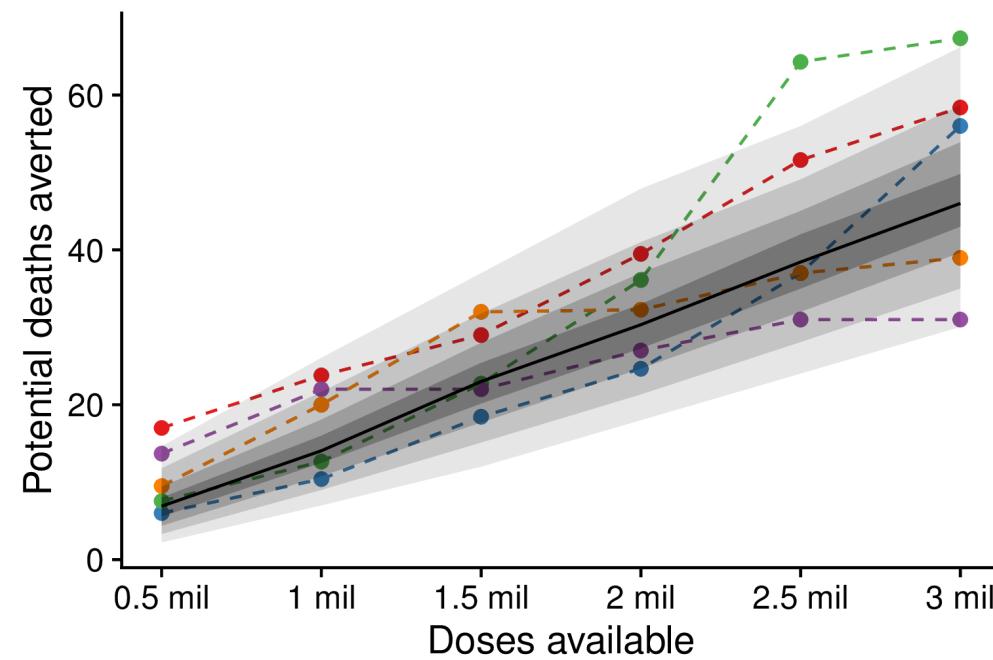
Quality of forecasts vs quality of decisions



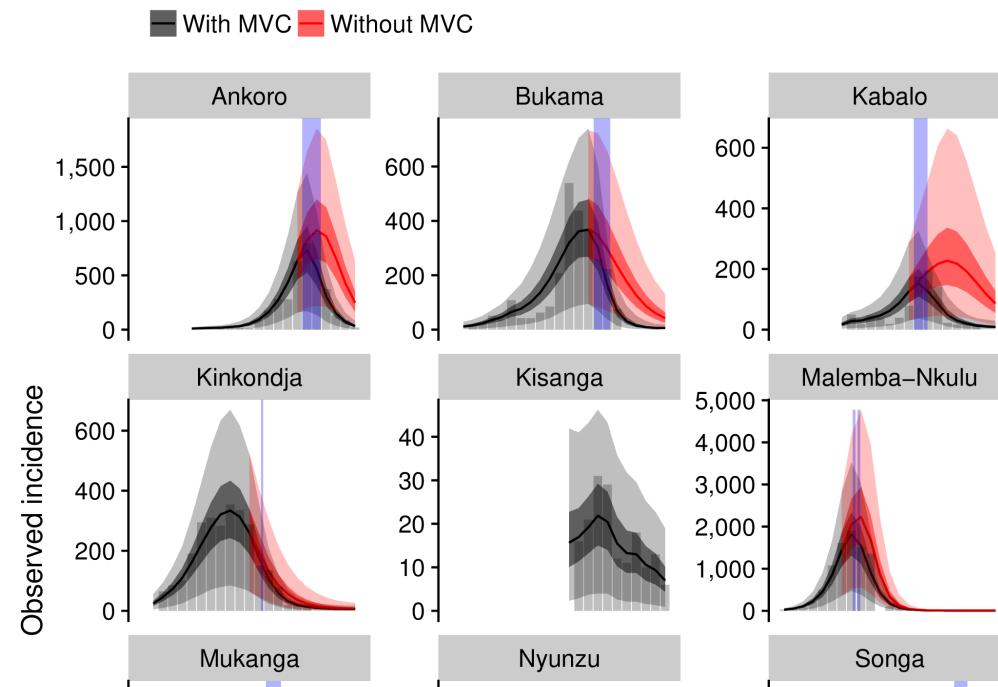
Quality of forecasts vs quality of decisions



Quality of forecasts vs quality of decisions



Evaluating quality of decisions



Outlook

Forecasts are becoming part of outbreak response

TOWARDS EPIDEMIC PREDICTION:
FEDERAL EFFORTS AND OPPORTUNITIES
IN OUTBREAK MODELING

Forecasting challenges

EBOLA CHALLENGE

Welcome to the RAPIDD Ebola challenge

Comparison of disease forecasting models



DARPA Forecasting Chikungunya Challenge

Epidemic Prediction Initiative **BETA**

LOGIN CREATE AN AC

FluSight 2016-17

Home

National Forecasts

FluSight: Seasonal Influenza Forecasting

Influenza (flu) is a respiratory virus that can result in illness ranging from mild to severe. Each year, millions of people get sick with influenza, thousands are hospitalized and thousands of people die from flu.



DENGUE FORECASTING

NATIONAL OCEANIC AND ATMOSPHERIC ADMINISTRATION

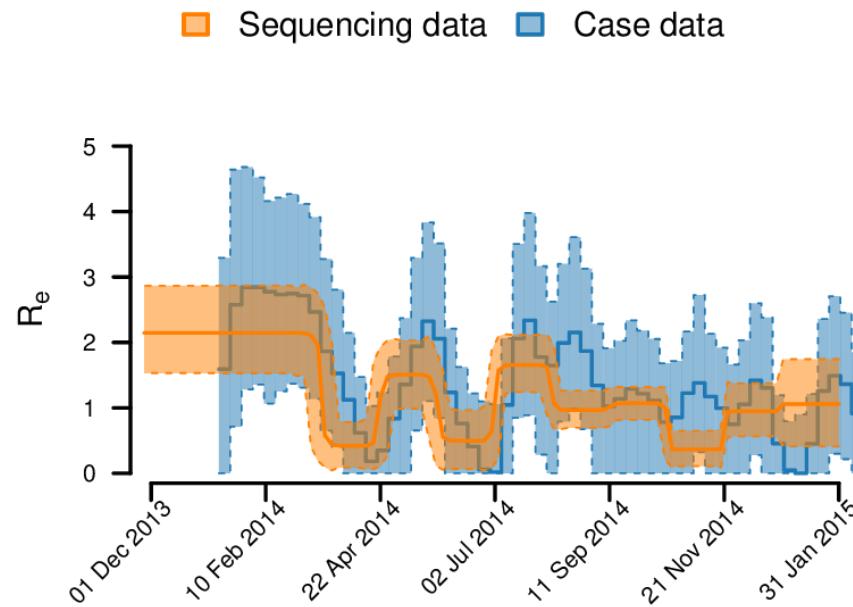
HOME NEWS ABOUT SEARCH

Welcome to the Dengue Forecasting project website. This site is designed specifically for the data, rules and background about the effort.

Challenges in real-time modelling and forecasting

Need methods to
combine all available **data streams**
(individual/behavioural/spatial/genetic)

Challenges in real-time modelling and forecasting



Computationally efficient tools



LibBi

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LibBi is used for state-space modelling and Bayesian inference on high-performance computer hardware, including multi-core CPUs, many-core GPUs (graphics processing units) and distributed-memory clusters.

The staple methods of LibBi are based on sequential Monte Carlo (SMC), also known as particle filtering. These methods include particle Markov chain Monte Carlo (PMCMC) and SMC². Other methods include the extended Kalman filter and some parameter optimisation routines.

LibBi consists of a C++ template library, as well as a parser and compiler, written in Perl, for its own modelling language.

News

- [LibBi 1.3.0 released, new anytime features](#)

14 Dec 2016

Computationally efficient tools



LibBi

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LibBi is used for state-space modelling and Bayesian inference on high-performance computer hardware, including multi-core CPUs, many-core GPUs (graphics processing units) and distributed-memory clusters.

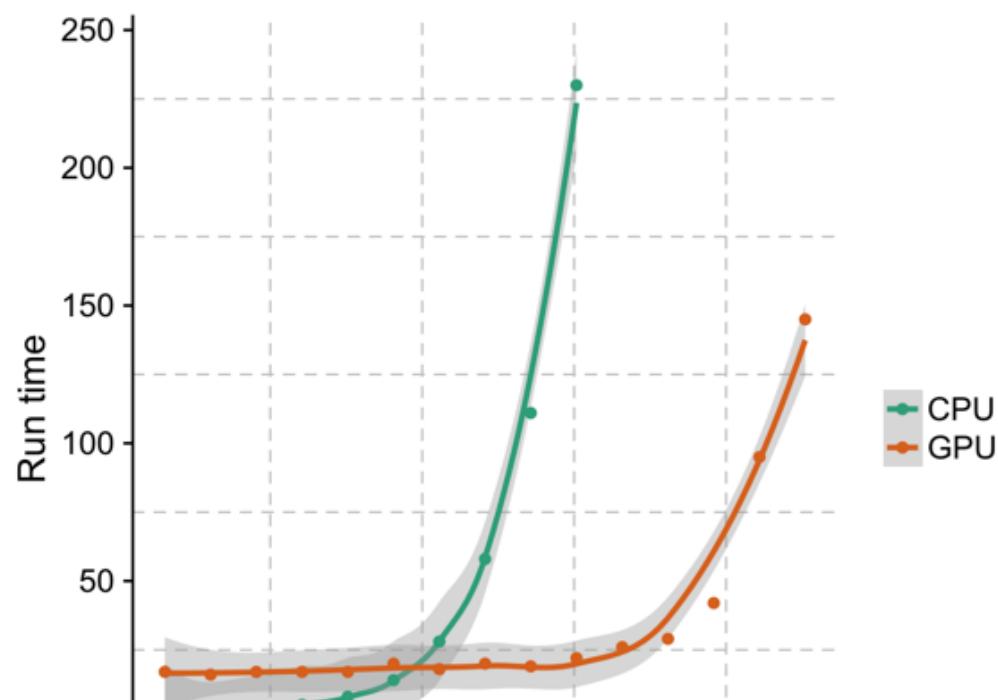
The staple methods of LibBi are based on sequential Monte Carlo (SMC), also known as particle filtering. These methods include particle Markov chain Monte Carlo (PMCMC) and SMC². Other methods include the extended Kalman filter and some parameter optimisation routines.

LibBi consists of a C++ template library, as well as a parser and compiler, written in Perl, for its own modelling language.

News

- [LibBi 1.3.0 released, new anytime features](#)

Computationally efficient tools



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<http://sbfnk.github.io>